```
In[1]:= x1[t] = L1 Sin[ang1[t]]
                   y1[t] = -L1 Cos[ang1[t]]
                   x2[t] = x1[t] + L2 Sin[ang2[t]]
                   y2[t] = y1[t] - L2 Cos[ang2[t]]
  Out[1]= L1 Sin[ang1[t]]
  Out[2] = -L1 Cos[ang1[t]]
  Out[3]= L1 Sin[ang1[t]] + L2 Sin[ang2[t]]
  Out[4]= -L1 Cos[ang1[t]] - L2 Cos[ang2[t]]
   ln[7] = T1 = 1/2 M1 (D[x1[t], t]^2 + D[y1[t], t]^2)
 \text{Out}[7] = \frac{1}{2} \, \text{M1} \, \left( \text{L1}^2 \, \text{Cos}[\, \text{ang1} \, [\, \text{t}\, ] \,]^2 \, \text{ang1}' \, [\, \text{t}\, ]^2 + \text{L1}^2 \, \text{Sin}[\, \text{ang1} \, [\, \text{t}\, ] \,]^2 \, \text{ang1}' \, [\, \text{t}\, ]^2 \right)
   ln[8] = U1 = M1g(y1[t] + L1)
  \texttt{Out[8]= g M1 (L1-L1 Cos[ang1[t]])}
   ln[9] = T2 = 1/2 M2 (D[x2[t], t]^2 + D[y2[t], t]^2)
 Out[9]= \frac{1}{2} M2 ((L1 Cos[ang1[t]] ang1'[t] + L2 Cos[ang2[t]] ang2'[t])<sup>2</sup> +
                                 (L1 Sin[ang1[t]] ang1'[t] + L2 Sin[ang2[t]] ang2'[t])^2)
 ln[10] = U2 = M2 g (L1 + L2 + y2[t])
Out[10] = g M2 (L1 + L2 - L1 Cos[ang1[t]] - L2 Cos[ang2[t]])
 ln[11]:= L = T1 + T2 - (U1 + U2)
Out[11] = -g M1 (L1 - L1 Cos[ang1[t]]) - g M2 (L1 + L2 - L1 Cos[ang1[t]] - L2 Cos[ang2[t]]) + Cos[ang1[t]] - L2 Cos[ang1[t]]) + Cos[ang1[t]] - L2 Cos[ang1[t]] - L2 Cos[ang1[t]]) + Cos[ang1[t]] - L2 Cos[ang1[t]]) + Cos[ang1[t]] - L2 Cos[ang1[t]] - L2 Cos[ang1[t]]) + Cos[ang1[t]] - Cos[ang1[t]] - Cos[ang1[t]]) + Cos[ang1[t]] - Cos[ang1[t]] -
                        \frac{1}{2}\,\mathrm{M1}\,\left(\mathrm{L1^2\,Cos}\,[\mathrm{ang1}\,[\mathrm{t}]\,]^2\,\mathrm{ang1'}[\mathrm{t}]^2 + \mathrm{L1^2\,Sin}\,[\mathrm{ang1}\,[\mathrm{t}]\,]^2\,\mathrm{ang1'}[\mathrm{t}]^2\right) + \\
                        \frac{1}{2}\,\mathrm{M2}\,\left(\,(\mathrm{L1}\,\mathrm{Cos}[\mathrm{ang1}[\mathrm{t}]]\,\,\mathrm{ang1'}[\mathrm{t}]\,+\mathrm{L2}\,\mathrm{Cos}[\mathrm{ang2}[\mathrm{t}]]\,\,\mathrm{ang2'}[\mathrm{t}]\,)^{\,2}\,+\right.
                                      (L1 Sin[ang1[t]] ang1'[t] + L2 Sin[ang2[t]] ang2'[t])^2)
```

```
ln[12]:= E1 = D[L, ang1[t]] - D[D[L, ang1'[t]], t]
Out[12] = -g L1 M1 Sin[ang1[t]] - g L1 M2 Sin[ang1[t]] +
                                                          \frac{1}{-}\,\text{M2}\,\,(-2\,\text{L1}\,\text{Sin}[\text{ang1[t]}]\,\,\text{ang1'[t]}\,\,(\text{L1}\,\text{Cos}[\text{ang1[t]}]\,\,\text{ang1'[t]}\,+\,\text{L2}\,\text{Cos}[\text{ang2[t]}]\,\,\text{ang2'[t]})\,\,+\,\,
                                                                                    2 L1 Cos[ang1[t]] ang1'[t] (L1 Sin[ang1[t]] ang1'[t] + L2 Sin[ang2[t]] ang2'[t])) -
                                                                          M1 (2 L1^2 Cos[ang1[t]]^2 ang1"[t] + 2 L1^2 Sin[ang1[t]]^2 ang1"[t]) -
                                                          \frac{1}{2}\,\text{M2}\,\left(-\,2\,\,\text{L1}\,\,\text{Sin}\,[\text{ang1[t]}]\,\,\text{ang1'[t]}\,\,(\text{L1}\,\,\text{Cos}\,[\text{ang1[t]}]\,\,\text{ang1'[t]}\,+\,\text{L2}\,\,\text{Cos}\,[\text{ang2[t]}]\,\,\text{ang2'[t]})\,\,+\,\,\text{L2}\,\,\text{L2}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3}\,\,\text{L3
                                                                                      2 L1 Cos[ang1[t]] ang1'[t] (L1 Sin[ang1[t]] ang1'[t] + L2 Sin[ang2[t]] ang2'[t]) +
                                                                                     2 L1 Cos[ang1[t]] (-L1 Sin[ang1[t]] ang1'[t]^2 - L2 Sin[ang2[t]] ang2'[t]^2 + L2 Sin[ang2[t]] ang2'[t
                                                                                                                    L1 Cos[ang1[t]] ang1"[t] + L2 Cos[ang2[t]] ang2"[t]) +
                                                                                     2 L1 Sin[ang1[t]] (L1 Cos[ang1[t]] ang1'[t]^2 + L2 Cos[ang2[t]] ang2'[t]^2 +
                                                                                                                    L1 Sin[ang1[t]] ang1''[t] + L2 <math>Sin[ang2[t]] ang2''[t])
   In[13]:= E2 = D[L, ang2[t]] - D[D[L, ang2'[t]], t]
Out[13] = -g L2 M2 Sin[ang2[t]] +
                                                          \frac{1}{2} \text{ M2 (-2 L2 Sin[ang2[t]] ang2'[t] (L1 Cos[ang1[t]] ang1'[t] + L2 Cos[ang2[t]] ang2'[t]) + Cos[ang2[t]] + Cos[ang2[t
                                                                                     2 L2 Cos[ang2[t]] ang2'[t] (L1 Sin[ang1[t]] ang1'[t] + L2 Sin[ang2[t]] ang2'[t])) -
                                                          \frac{1}{2} \text{M2} \left(-2 \text{ L2 Sin}[\text{ang2[t]}] \text{ ang2'[t]} \right) \left(\text{L1 Cos}[\text{ang1[t]}] \text{ ang1'[t]} + \text{L2 Cos}[\text{ang2[t]}] \text{ ang2'[t]}\right) + \frac{1}{2} \left(-2 \text{ L2 Sin}[\text{ang2[t]}] \text{ ang2[t]}\right) + \frac{1}{2} \left(-2 \text{ L2 Sin}[\text{ang2[t]}] \text{ ang2'[t]}\right) + \frac
                                                                                      2 L2 Cos[ang2[t]] ang2'[t] (L1 Sin[ang1[t]] ang1'[t] + L2 Sin[ang2[t]] ang2'[t]) +
                                                                                     2 L2 Cos[ang2[t]] (-L1 Sin[ang1[t]] ang1'[t]^2 - L2 Sin[ang2[t]] ang2'[t]^2 +
                                                                                                                    L1 Cos[ang1[t]] ang1''[t] + L2 Cos[ang2[t]] ang2''[t]) +
                                                                                     2 L2 Sin[ang2[t]] (L1 Cos[ang1[t]] ang1'[t]^2 + L2 Cos[ang2[t]] ang2'[t]^2 +
                                                                                                                    L1 Sin[ang1[t]] ang1''[t] + L2 <math>Sin[ang2[t]] ang2''[t])
```

```
In[14]:= Solve[{E1 == 0, E2 == 0}, {ang1''[t], ang2''[t]}]
Out[14] = {\{ang1''[t] \rightarrow -(\{g M1 Cos[ang2[t]]^2 Sin[ang1[t]] + g M2 Cos[ang2[t]]^2 Sin[ang1[t]] - \{\{ang1''[t]\} \rightarrow -(\{g M1 Cos[ang2[t]]\}^2 Sin[ang1[t]] + g M2 Cos[ang2[t]]^2 Sin[ang1[t]] - \{\{ang1''[t]\} \rightarrow -(\{g M1 Cos[ang2[t]\}\}^2 Sin[ang1[t]] + g M2 Cos[ang2[t]]^2 Sin[ang1[t]] - \{\{ang1''[t]\} \rightarrow -(\{g M1 Cos[ang2[t]\}\}^2 Sin[ang1[t]] + g M2 Cos[ang2[t]]^2 Sin[ang1[t]] - \{\{ang1''[t]\} \rightarrow -(\{g M1 Cos[ang2[t]\}\}^2 Sin[ang1[t]] + g M2 Cos[ang2[t]]^2 Sin[ang1[t]] - \{\{ang1''[t]\} \rightarrow -(\{g M1 Cos[ang2[t]\}\}^2 Sin[ang1[t]] + g M2 Cos[ang2[t]]^2 Sin[ang1[t]] - \{\{ang1''[t]\} \rightarrow -(\{g M1 Cos[ang2[t]\}\}^2 Sin[ang1[t]] + g M2 Cos[ang2[t]] + g M2 Cos
                                                                                          g M2 Cos[ang1[t]] Cos[ang2[t]] Sin[ang2[t]] + g M1 Sin[ang1[t]] Sin[ang2[t]]^2 +
                                                                                         L1 M2 Cos[ang1[t]] Cos[ang2[t]]^2 Sin[ang1[t]] ang1'[t]^2 -
                                                                                         L1 M2 Cos[ang1[t]] ^2 Cos[ang2[t]] Sin[ang2[t]] ang1'[t]^2 +
                                                                                         L1 M2 Cos[ang2[t]] Sin[ang1[t]]<sup>2</sup> Sin[ang2[t]] ang1'[t]<sup>2</sup> -
                                                                                         L1 M2 Cos[ang1[t]] Sin[ang1[t]] Sin[ang2[t]]^2 ang1'[t]^2 +
                                                                                         L2 M2 Cos[ang2[t]]^3 Sin[ang1[t]] ang2'[t]^2 -
                                                                                         L2 M2 Cos[ang1[t]] Cos[ang2[t]]^2 Sin[ang2[t]] ang2'[t]^2 +
                                                                                         L2 M2 Cos[ang2[t]] Sin[ang1[t]] Sin[ang2[t]]^2 ang2'[t]^2 -
                                                                                         L2 M2 Cos[ang1[t]] Sin[ang2[t]]<sup>3</sup> ang2'[t]<sup>2</sup>) /
                                                                            (L1 (M1 Cos[ang1[t]]^2 Cos[ang2[t]]^2 + M1 Cos[ang2[t]]^2 Sin[ang1[t]]^2 Sin[ang1[t]]^2 + M1 Cos[ang2[t]]^2 Sin[ang1[t]]^2 Sin[ang1[t]]^2 + M1 Cos[ang2[t]]^2 Sin[ang1[t]]^2 S
                                                                                                      M2 \cos[ang2[t]]^2 \sin[ang1[t]]^2 - 2 M2 \cos[ang1[t]] \cos[ang2[t]]
                                                                                                              Sin[ang1[t]] Sin[ang2[t]] + M1 Cos[ang1[t]]^2 Sin[ang2[t]]^2 +
                                                                                                      M2 Cos[ang1[t]]^2 Sin[ang2[t]]^2 + M1 Sin[ang1[t]]^2 Sin[ang2[t]]^2)),
                                              ang2''[t] \rightarrow -(-gM1Cos[ang1[t]]Cos[ang2[t]]Sin[ang1[t]]-
                                                                                         g M2 Cos[ang1[t]] Cos[ang2[t]] Sin[ang1[t]] +
                                                                                         g M1 Cos[ang1[t]]^2 Sin[ang2[t]] + g M2 Cos[ang1[t]]^2 Sin[ang2[t]] -
                                                                                         L1 M1 Cos[ang1[t]]^2 Cos[ang2[t]] Sin[ang1[t]] ang1'[t]^2 -
                                                                                         L1 M2 Cos[ang1[t]]^2 Cos[ang2[t]] Sin[ang1[t]] ang1'[t]^2 -
                                                                                         L1 M1 Cos[ang2[t]] Sin[ang1[t]]<sup>3</sup> ang1'[t]<sup>2</sup> -
                                                                                         L1 M2 Cos[ang2[t]] Sin[ang1[t]]^3 ang1'[t]^2 + L1 M1 Cos[ang1[t]]^3
                                                                                                Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]] ang1'[t]^2 + L1 M2 Cos[ang1[t]]^3 Sin[ang2[t]]^3 Sin[ang2[t]
                                                                                         L1 M1 Cos[ang1[t]] Sin[ang1[t]]<sup>2</sup> Sin[ang2[t]] ang1'[t]<sup>2</sup> +
                                                                                         L1 M2 Cos[ang1[t]] Sin[ang1[t]]^2 Sin[ang2[t]] ang1'[t]^2 -
                                                                                         L2 M2 Cos[ang1[t]] Cos[ang2[t]]^2 Sin[ang1[t]] ang2'[t]^2 +
                                                                                         L2 M2 Cos[ang1[t]]^2 Cos[ang2[t]] Sin[ang2[t]] ang2'[t]^2 -
                                                                                         L2 M2 Cos[ang2[t]] Sin[ang1[t]]^2 Sin[ang2[t]] ang2'[t]^2 +
                                                                                         L2 M2 Cos[ang1[t]] Sin[ang1[t]] Sin[ang2[t]]<sup>2</sup> ang2'[t]<sup>2</sup>) /
                                                                            (L2 (M1 Cos[ang1[t]]^2 Cos[ang2[t]]^2 + M1 Cos[ang2[t]]^2 Sin[ang1[t]]^2 Sin[ang1[t]]^2 + M1 Cos[ang2[t]]^2 Sin[ang1[t]]^2 S
                                                                                                       M2 \cos[ang2[t]]^2 \sin[ang1[t]]^2 - 2 M2 \cos[ang1[t]] \cos[ang2[t]]
                                                                                                               Sin[ang1[t]] Sin[ang2[t]] + M1 Cos[ang1[t]]^2 Sin[ang2[t]]^2 +
                                                                                                       M2 \cos[ang1[t]]^2 \sin[ang2[t]]^2 + M1 \sin[ang1[t]]^2 \sin[ang2[t]]^2)))
  In[15]:= FullSimplify[%]
Out[15] = {\{ang1''[t] \rightarrow -(g(2M1+M2)Sin[ang1[t]] + gM2Sin[ang1[t]] - 2ang2[t]] + 2M2Sin[ang1[t]] - 2ang2[t]] + 2M2Sin[ang1[t]] + 2M2Sin[ang1[t]] - 2ang2[t] - 
                                                                                                 Sin[ang1[t] - ang2[t]] (L1 Cos[ang1[t] - ang2[t]] ang1'[t]<sup>2</sup> + L2 ang2'[t]<sup>2</sup>) /
                                                                            (L1 (2 M1 + M2 - M2 Cos[2 (ang1[t] - ang2[t])))),
                                               ang2''[t] \rightarrow \left(2 \, \text{Sin}[\text{ang1}[t] - \text{ang2}[t]] \, \left( \, (\text{M1} + \text{M2}) \, \left( \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t]^2 \right) + \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t] + \text{L1} \, \text{ang1'}[t] \right) \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t] + \text{L1} \, \text{ang1'}[t] \right) \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t] + \text{L1} \, \text{ang1'}[t] \right) \right) + \left( \, (\text{M1} + \text{M2}) \, \left( \, \text{g} \, \text{Cos}[\text{ang1}[t]] + \text{L1} \, \text{ang1'}[t] \right) \right) \right)
                                                                                        L2 M2 Cos[ang1[t] - ang2[t]] ang2'[t]^2)) /
                                                              (L2 (2 M1 + M2 - M2 Cos[2 (ang1[t] - ang2[t])))))
```

```
In[18]:= Experimental `OptimizeExpression [
       -((g(2M1+M2)Sin[ang1[t]]+gM2Sin[ang1[t]-2ang2[t]]+
              2 M2 Sin[ang1[t] - ang2[t]] (L1 Cos[ang1[t] - ang2[t]] ang1'[t]^2 + L2 ang2'[t]^2)) /
            (L1 (2 M1 + M2 - M2 Cos[2 (ang1[t] - ang2[t])))), (2 Sin[ang1[t] - ang2[t]))
            ((M1 + M2) (g Cos[ang1[t]] + L1 ang1'[t]^2) + L2 M2 Cos[ang1[t] - ang2[t]] ang2'[t]^2))
         (L2 (2 M1 + M2 - M2 Cos[2 (ang1[t] - ang2[t])))), OptimizationLevel \rightarrow 2]
Out[18]= Experimental `OptimizedExpression [
      Block (Compile`$1, Compile`$2, Compile`$3, Compile`$4,
         Compile`$5, Compile`$6, Compile`$7, Compile`$8, Compile`$9,
         Compile`$10, Compile`$11, Compile`$22, Compile`$23, Compile`$25,
         Compile`$26, Compile`$32, Compile`$20, Compile`$21}, Compile`$1 = \frac{1}{1};
        Compile`$2 = 2 M1;
        Compile $3 = ang1[t];
        Compile`$4 = ang2[t];
        Compile`$5 = -Compile`$4;
        Compile`$6 = Compile`$3 + Compile`$5;
        Compile`$7 = 2 Compile`$6;
        Compile`$8 = Cos[Compile`$7];
        Compile \$9 = -M2 Compile \$8;
        Compile`$10 = Compile`$2 + M2 + Compile`$9;
        Compile`$11 = \frac{1}{\text{Compile`$10}};
        Compile`$22 = ang1'[t];
        Compile \$23 = \text{Compile} \$22^2;
        Compile \$25 = ang2'[t];
        Compile \$26 = \text{Compile } \$25^2;
        Compile`$32 = \frac{1}{1.2};
        Compile`$20 = Sin[Compile`$6];
        Compile`$21 = Cos[Compile`$6];
        {-Compile`$1 Compile`$11 (g (Compile`$2 + M2) Sin[Compile`$3] +
             q M2 Sin [Compile`$3 - 2 Compile`$4] + 2 M2 Compile`$20 (L1 Compile`$21
                 Compile`$23 + L2 Compile`$26)), 2 Compile`$32 Compile`$11 Compile`$20
          (M1 + M2) (q Cos[Compile`$3] + L1 Compile`$23) + L2 M2 Compile`$21 Compile`$26)}]]
```