

Course Overview ge43fij

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Exam Results

General Information

Module number: IN0003

Course: Functional Programming and Verification

Examiner: Prof. Dr. Helmut Seidl

Exam Title: Retake Exam: Functional Programming and Verification (IN0003) SS23

Date: Oct 10, 2023 **Working Time:** 13:35 - 15:35

Duration: 2h

Review Timespan: Oct 20, 2023 09:30 - Oct 25, 2023 11:59 Review is open

Examined student: Qichen Liu

Result Overview

#	Exercise	Your Points	Achievable Points	Achieved Percentage
1	Quiz: Weakest Preconditions	6	16	37.5%
2	Quiz: OCaml	6	8	75%
3	A Equational Reasoning	10.5	18	58.3%
4	Tail Recursion	0	18	-
5	Modules and Functors	12	28	42.9%
6	Recursive Datatypes	0	32	0%
Tota	al	34.5	120	28.7%

Grade: 5.0

Grade	Interval (%)
5.0	[0 - 30)
4.7	[30 - 35)
4.3	[35 - 40)
4.0	[40 - 45)
3.7	[45 - 50)
3.3	[50 - 55)
3.0	[55 - 60)
2.7	[60 - 65)
2.3	[65 - 70)
2.0	[70 - 75)
1.7	[75 - 80)
1.3	[80 - 85)
1.0	[85 - ∞)

Intervals:

- [a, b): Left boundary is included in and right is excluded from the interval
- (a, b]: Left boundary is excluded from and right is included in the interval
- [a, b]: Both boundaries are included in the interval

Exercises

#1 쓪 Quiz: Weakest Preconditions [6 / 16 Points] 😢 37.5%

1) WP Your Score: 0/2

Which of the following assertions is logically equivalent to the weakest precondition for the statement x = x - 1;, given the postcondition $\forall n.((n > 0 \land x > 0) \lor n \le 0)$?

Please choose the correct answer option

Answer	Solution	You
x > 1	Correct	0
false	Wrong	0
$n>0 \wedge x>1$	Wrong	0
$(n>0 \land x>1) \lor n \leq 0$	Wrong	•

2) WP

Which of the following assertions is logically equivalent to the weakest precondition for the statement x=10;, given the postcondition $(y=x\implies x\le 5) \land (y\ne x\implies x>5)$?

Please choose the correct answer option

Answer	Solution		You
y eq 10	Correct	A	0
x=10	Wrong		0
$(y=10\implies x\leq 5)\wedge (y eq 10\implies x>5)$	Wrong	<u> </u>	•
$(y=x \land x \leq 5) \lor (y \neq x \land x > 5)$	Wrong		0

3) WP Your Score: 0/2

Which of the following assertions is logically equivalent to the weakest precondition for the statement x = read();, given the postcondition $i>0 \land y=2 \cdot i \land x>0 \land k\neq 0$?

Please choose the correct answer option

Answer	Solution		You
false	Correct	A	0
$i>0 \land y=2\cdot i \land k eq 0$	Wrong		0
$orall x.(i>0 \land y=2\cdot i \land k eq 0)$	Wrong	A	•
$\exists x. (i>0 \land y=2 \cdot i \land x>0 \land k eq 0)$	Wrong		0

4) WP Your Score: 2/2

Which of the following assertions is logically equivalent to the weakest precondition for the statement x = y + 1;, given the postcondition $y > 0 \land x > 0$?

Exam

Please choose the correct answer option

Answer	Solution	You
y > 0	Correct	•
x > 0	Wrong	0
x=y+1	Wrong	0
y > 1	Wrong	0

5) WP

Which of the following assertions is logically equivalent to the weakest precondition for the condition i != n, given the postconditions $B_{true} \equiv q = i! \land i < n$ in the true-case and $B_{false} \equiv q = n!$ in the false-case?

Please choose the correct answer option

Answer	Solution		You
$i \leq n \wedge q = i!$	Correct	A	0
q=i!	Wrong	A	•
$i eq n \wedge q = i!$	Wrong		0
q=n!	Wrong		0

6) WP

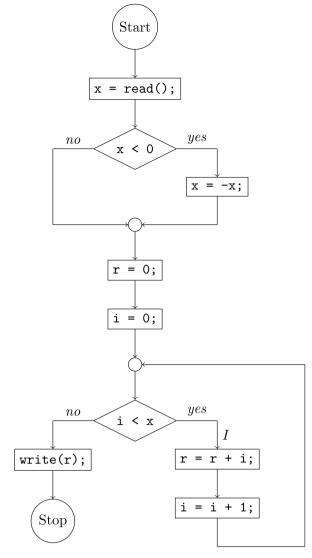
Which of the following assertions is logically equivalent to the weakest precondition for the condition n >= 0, given the postconditions $B_{true} \equiv x = 5 \cdot i \wedge i < n$ in the true-case and $B_{false} \equiv false$ in the false-case?

Please choose the correct answer option

Answer	Solution	You
$n >= 0 \wedge (x = 5 \cdot i \wedge i < n)$	Correct	•
$false \lor (x = 5 \cdot i \land i < n)$	Wrong	0
$true \implies (x = 5 \cdot i \wedge i < n)$	Wrong	0
$n >= 0 \implies (x = 5 \cdot i \wedge i < n)$	Wrong	0

7) Loop Invariant Your Score: 0/2

Select the assertion that holds for the following loop at the program point annotated with I:



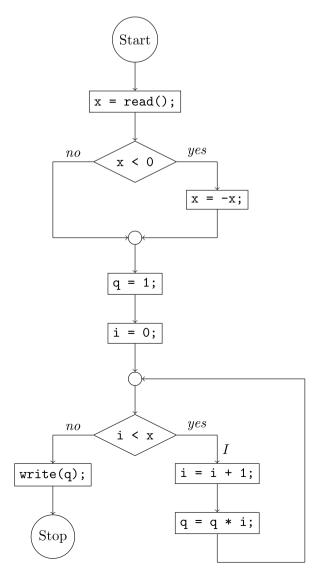
Please choose the correct answer option

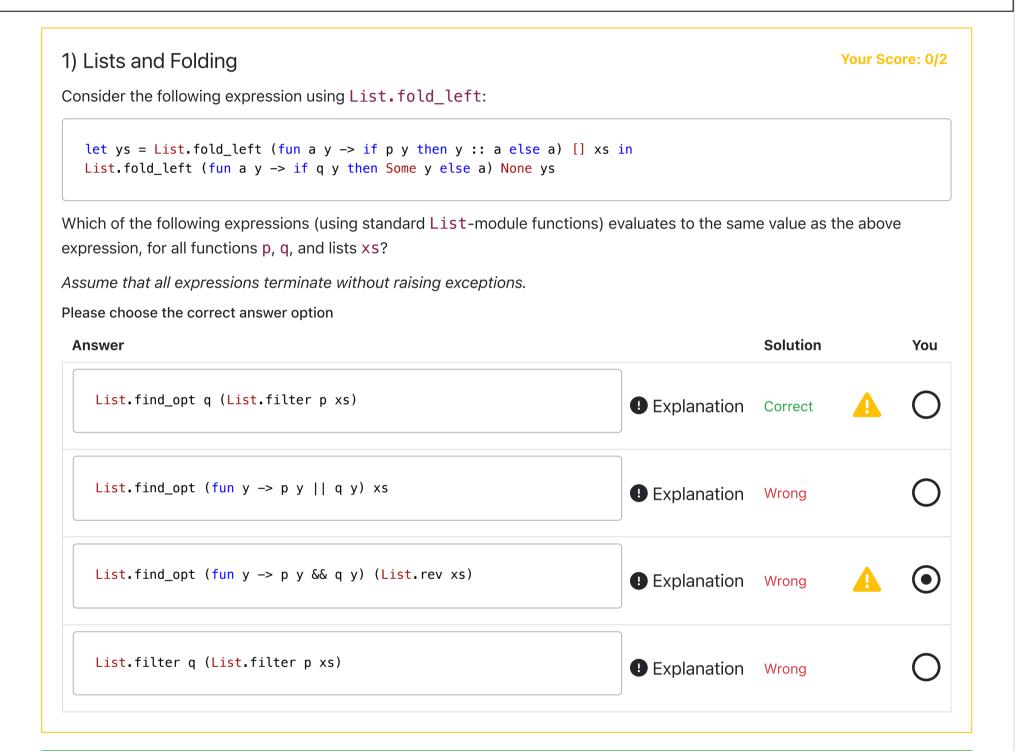
Answer	Solution		You
$i < x \wedge r = \sum_{a=0}^{i-1} a$	Correct		0
$i < x \wedge r = \sum_{a=0}^i a$	Wrong	<u> </u>	•
$r = \sum_{a=0}^x a$	Wrong		0
i=x	Wrong		0

Exam

8) Loop Invariant Your Score: 2/2

Select the assertion that holds for the following loop at the program point annotated with I:





2) Tail Recursion Your Score: 2/2

Given the following type definition for binary trees:

```
type 'a tree = Leaf | Node of 'a tree * 'a * 'a tree
```

Which of the following functions is tail recursive?

Please choose the correct answer option

let rec size acc = function
| Leaf -> acc
| Node (l, x, r) -> size (size (acc + 1) l) r
Wrong

Answer

Solution

You

```
let rec to_list acc = function
      | Leaf -> List.rev acc
      | Node (l, x, r) ->
                                                                                            Wrong
          let xs = to_list acc l in
          to_list (x :: xs) r
    let rec find_along path t = match t, path with
      | Leaf, _ -> []
      | _, [] -> []
                                                                                            Wrong
      | Node (l, x, r), b :: xs ->
          if b then x :: find_along xs r
          else x :: find_along xs l
    let rec insert acc y = function
      | Leaf -> acc
      | Node (l, x, r) ->
                                                                                            Correct
          if y < x then insert ((true, x, r) :: acc) y l</pre>
          else insert ((false, x, l) :: acc) y r
3) Input/Output
                                                                                                      Your Score: 2/2
Which of the following functions never raises a Sys_error exception to its caller?
Hint: The functions open_out, output_string and close_out can raise Sys_error.
Please choose the correct answer option
 Answer
                                                                                            Solution
                                                                                                                You
    let output_twice s path =
      match (try Some (open_out path) with Sys_error _ -> None) with
                                                                                            Wrong
          (try output_string ch s; output_string ch s with Sys_error _ -> ());
          close_out ch
      | None -> ()
    let output_twice s path =
      try
        let ch = open_out path in
          output_string ch s;
                                                                                            Correct
          output_string ch s
        with Sys_error _ -> close_out ch
      with
        Sys_error _ -> ()
    let output_twice s path =
```

```
let output_twice s path =
  let helper f =
    let ch = open_out path in
    try (f ch; close_out ch)
    with Sys_error _ -> close_out ch
  in
  helper (fun ch -> try (output_string ch s; output_string ch s) with Sys_error
    _-> ())
Wrong
```

```
let output_twice s path =
  let helper f =
    let ch = open_out path in
    try f ch with Sys_error _ -> ();
    try close_out ch with Sys_error _ -> ()
  in
  helper (fun ch -> output_string ch s; output_string ch s)
Wrong
```

4) Modules and Functors

Your Score: 2/2

Consider the following incomplete program:

```
module type A = ...
module M : A = struct
  type t = L | R
  let dup x = [x; x]
end
```

Assuming the program compiles, which of the following must hold?

Please choose the correct answer option

Answer	Solution	You
The signature A must contain the value dup.	Wrong	0
The signature A is allowed to specify dup to be of type int -> int list.	Correct	•
The signature A is allowed to be a functor module type (functor>).	Wrong	0
It is possible to match on values of type $M.t$ outside the definition of M , as long as the signature A contains $type\ t$.	Wrong	0

#3 A Equational Reasoning [10.5 / 18 Points] 🗴 58.3%

Number of words: 222 Number of characters: 1438

Your assessed submission:

[Generalization]

<u>Generalized statement (if necessary) (*): m + length xs = count m (map (fun z -> true) [])</u> $\checkmark\checkmark$

② 1.5 Points: Correct generalization: `[]` should be `xs` (we deduct 0.5p)

[Base Case]

Statement being proven in base case: m + length[] = count m (map (fun z -> true)[]). \checkmark

⊘ 0.5 Points: Correct statement.

Proof of base case:

O Points: Does not proof base case but tries to prove `length [] = count 0 (map (fun $z \rightarrow true)$ [])`

Problem Statement

Equational Reasoning

Given the following definitions (as in the tutorials, we write let rec in place of and for clarity of presentation):

length []

(length) = match [] with | [] -> 0 | 1 :: lst -> 1 + length last ✓

② 1 Point: Correct equational reasoning step.

('last' should have been 'lst')

(match) = m

• O Points: Wrong application of rule. Should have been `0` (though that proves the wrong base case).

(match) = m

(count) = match [] with | [] -> k | c :: cst -> count (match c with true -> k + 1) false -> k) cst

O Points: Should have been `match [] with [] -> 0 | c :: cst -> count (match c with true -> 0 + 1 | false -> 0) cst ` (though that proves the wrong base case). Coming from the `m`, it should have been `match [] with [] -> m | c :: cst -> count (match c with true -> m + 1 | false -> m) cst ` (though that would make the next step wrong).

(<u>map</u>) = count 0 [] ✓

◆ 1 Point: Correct equational reasoning step.

(Label in wrong line)

= count 0 (map (fun $z \rightarrow true)$ [])

• O Points: Wrong application of `map`: The definition of `map f ms` is not `[]` (or `ms`).

[Inductive Step]

Induction hypothesis (or hypotheses): m + length xs = count m (map (fun z -> true) xs) for xs with length <math>n >= 0

② 0.5 Points: Correct induction hypothesis.

Statement being proven in inductive step: m + length xss = count m (map (fun z -> true) xss) for xss with length = <math>n+1(or xss = x::xs)

✓ 1 Point: Correct statement.

If you use `x::xs` here instead of `xss`, you will be able to prove the inductive step (as it has some information about the structure of the list, which allows you to choose the correct branch of `match` statements).

Proof of inductive step:

m + length xss

(length) = match xss with | [] -> 0 | I :: lst -> 1 + length last ✓

⊘ 0.5 Points: Correct application of the `length`-rule (though `last` should have been `lst`).

However, this also drops the `m +`.

(match) = m + length xs

• O Points: Wrong application of `match` rule. This should have been `m + (1 + length xs)` (the `m` being here is correct, as it should have been in the step

```
let rec length ls =
  match ls with
  | [] -> 0
  | l :: lst -> 1 + length
lst
let rec count k cs =
  match cs with
  | [] -> k
  | c :: cst ->
      count
        (match c with true -
> k + 1 | false -> k)
        cst
let rec map f ms =
  match ms with
  | [] -> []
  | m :: mst -> f m :: map f
mst
```

Show that the statement:

```
length xs = count 0 (map (fun z
```

holds for all lists xs.

Use equational reasoning. If you prove a generalized claim, show that the generalization can be instantiated to the original claim.

Submission Format

Submissions may only be in the form of plain text.

Your submission **must follow** the following format. Copy this template into your submission and then complete it by replacing the <...> with your answers. Leave any fields you don't need blank.

```
[Generalization]
Generalized statement (if
necessary) (*): <...>
[Base Case]
Statement being proven in
base case: <...>
```

before as well).

(I.H) = count m (map (fun z -> true) xs) <

2 Points: Correct equational reasoning step.

(The `1 + ` still being missing from before)

(count) = count m map (fun z -> true) xs

• O Points: Labels are offset by 1 line.

(fun z -> true) = count m (true)::map (fun z -> true) xs

• O Points: Labels are offset by 1 line.

Wrong application of `count`: Step generates a `true` out of thin air, which is not a valid rule.

(match) = count m ((fun z -> true) x :: map (fun z -> x) xs)

• O Points: Labels are offset by 1 line. Rule name is wrong (should be `fun`).

(map) = count m (match xss with | [] -> [] | m :: mst -> f m :: map f mst) ✓

② 0.5 Points: Labels are offset by 1 line.

`f` should be `(fun $z \rightarrow true$)`. Assuming `xss = x::xs` from above (better to just write `x::xs`).

= count m (map (fun z -> true) xss) <

② 1 Point: Correct equational reasoning step.

Labels are offset by 1 line.

Regains the `fun $z \rightarrow true$ `.

[Instantiation]

Instantiation of generalization (if necessary):

length xs

(arith) = 0 + length xs

(*) = count 0 (map (fun z -> true) xs)

/

② 1 Point: Correct instantiation.

QED

How useful is this feedback to you?



You can submit one complaint for each manually assessed exercise in this exam.

#4 IIII Tail Recursion [0 / 18 Points] (?)

You didn't submit any solution for this exercise.

#5 Modules and Functors [12 / 28 Points] × 42.9%

Your Submission

The submission is linked to commit bede12741f4

Assessment

^ Wrong (32)

Test Case · feedback failed

```
> (See more) Total: 12P
ListMonoid:
     (max 3P)
  type t:
1P
    PASS
 zero:
1P
    PASS
 plus:
    PASS
FunctionMonoid:
    (max 4P)
 type t:
1P
    PASS
 zero:
    PASS
 plus: [...] ...
```

Test Case · points:26 failed

Test Case · points:27 failed

Test Case · points:24 failed

Test Case · points:25 failed

Test Case · 0:core:5:PairMonoid:2:plus:1:prop:0:all failed

```
where P = PairMonoid
(ListMonoid):
P.plus was not defined
File "probe-
data/PAIR_PLUS_EX/probe.ml"
, line 3, characters 8-14:
3 | let _ = M.plus
Error: Unbound value M.plus
```

Test Case · O:core:5:PairMonoid:1:zero:0:zero

Problem Statement

Tasks:

Modules and Functors: Modular Monoids

In this exercise, we will implement monoids as modules in OCaml. A monoid groups together a type t, an associative binary operation plus, and an identity element zero. That means that:

- plus (plus x y) z is equal to plus x (plus y z)
- plus zero x and plus x zero both return x

We will represent monoids as modules with the following signature:

```
module type Monoid = sig
  type 'a t
  val zero : 'a t
  val plus : 'a t -> 'a t -> 'a t
end
```

0. **3 Grading** No results

Check the results of this task to see how your submission was graded.

1. **ListMonoid** No results

Lists form a monoid. The identity element (zero) is the empty list, and the binary operation (plus) is list concatenation.

Implement the module ListMonoid, which conforms to the signature Monoid where the type 'a tis 'a list.

2. **?? FunctionMonoid** No results

Functions of type 'a -> 'a form a monoid. The identity element is the identity function (i.e. the function that always returns its input). The binary operation is function composition, i.e. plus f g is a function that returns f $(g \times g)$ given an input x.

Implement the module FunctionMonoid, which conforms to the signature Monoid where the type 'a t is 'a -> 'a.

3. Operations on Monoids

Further operations can be implemented based on an existing implementation of a monoid. Implement the functor MonoidOperations, conforming to the following

```
module type MonoidOperations = functor (M : Monoid) -> sig
 val fold : 'a M.t list -> 'a M.t
 val mul : int -> 'a M.t -> 'a M.t
end
```

You may not assume anything about the monoid M, except that plus is associative and zero is an identity element, as described above.

1. ? fold No results

```
Given a list xs, the function fold combines the elements in order using M. plus.
Thus, for a list [x_1; x_2; \ldots; x_{n-1}; x_n], the result is equal to
M.plus x_1 (M.plus x_2 (... (M.plus x_{n-1} x_n))). For empty lists, it returns
M.zero.
```

Exam

failed

where P = PairMonoid(ListMonoid):

P.zero was not defined

File "probedata/PAIR ZERO EX/probe.ml" , line 3, characters 8-14: 3 | let _ = M.zero

Error: Unbound value M.zero

Test Case ·

O:core:6:PairListFlippedListMonoid:2:plus:1:prop50.an OptionMonoid No results failed

test `all` failed on ≥ 1 cases: PairListFlippedListMonoid.p lus ([], []) ([], [""]) (after 6 shrink steps) Expected: ([], [""]) But got: ([], [])

Test Case ·

0:core:5:PairMonoid:2:plus:0:fixed:0:examples failed

where P = PairMonoid(ListMonoid): P.plus was not defined

File "probedata/PAIR_PLUS_EX/probe.ml" , line 3, characters 8-14: 3 | let _ = M.plus

Error: Unbound value M.plus

Test Case ·

0:core:2:MonoidOperations:1:mul:0:fixed:0:examples

failed

where 0 = MonoidOperations(ListMonoid):

O.mul was not defined

File "probedata/OPS_MUL_EX/probe.ml", line 2, characters 8-13: 2 | let _ = M.mul

Error: Unbound value M.mul

Test Case · points:22 failed

Test Case · points:23 failed

Test Case · points:20 failed

Test Case · points:21 failed

2. ? mul No results

Given a non-negative integer n and a value x from M, the function mul starts with M. zero and then adds x to it n times. When n is 0, it returns M. zero.

For example, the result of mul $3 \times would$ be equal to M.add $\times would$ $\times w$ (M.add x M.zero)).

4. PlipMonoid No results

Given an existing monoid, a new monoid may be formed by swapping the order of the arguments to plus.

Implement FlipMonoid. The functor FlipMonoid takes a module M as an argument, which conforms to the Monoid signature. It returns a module which conforms to the signature Monoid, where the type 'a t is 'a M.t.

Given an existing monoid, a monoid can be defined on optional values from the option datatype. The identity element is **None**.

The plus operation is defined as follows:

- ∘ plus (Some x) (Some y) returns Some (Base.plus x y), where Base is the existing monoid
- plus (Some x) None and plus None (Some x) both return Some x
- plus None None returns None

Implement OptionMonoid. The functor OptionMonoid takes a module M as an argument, which conforms to the Monoid signature. It returns a module which conforms to the signature Monoid, where the type 'a tis 'a M.t option.

6. PairMonoid No results

Given two existing monoids, a new monoid may be defined over pairs. Each element is a pair of a value from the first monoid and a value from the second monoid. The identity element is the pair consisting of the identity element from the first monoid and the identity element of the second monoid. The binary operation is also defined by applying the first binary operation to the first element from each pair, and the second binary operation to the second elements.

Implement PairMonoid. The functor PairMonoid takes two modules, L and R, as arguments, each conforming to the Monoid signature. It returns a module which conforms to the signature Monoid, where the type 'a t is ('a L.t * 'a R.t).

7. **PairListFlippedListMonoid** No results

Define the module PairListFlippedListMonoid, a Monoid where the type 'a tis ('a list * 'a list). The monoid is a pair monoid: the first monoid in the pair is the list monoid, and the second is also the list monoid, but with the plus operation flipped.

For your definition of PairListFlippedListMonoid, you may assume all other modules and functors from previous parts of the exercise are correctly defined.

```
Test Case · 0:core:3:FlipMonoid:2:plus:1:prop:0:all failed
```

where F = FlipMonoid
(ListMonoid):
F.plus was not defined

Error: Unbound value M.plus

Test Case · 0:core:3:FlipMonoid:1:zero:0:zero

failed
where F = FlipMonoid

(ListMonoid):
F.zero was not defined

File "probedata/FLIP_ZERO_EX/probe.ml"
, line 2, characters 8-14:
2 | let _ = M.zero

Error: Unbound value M.zero

Test Case ·

0:core:3:FlipMonoid:2:plus:0:fixed:0:examples

where F = FlipMonoid
(ListMonoid):
F.plus was not defined

Error: Unbound value M.plus

Test Case ·

0:core:2:MonoidOperations:0:fold:1:prop:0:all failed

where 0 = MonoidOperations
(ListMonoid):
0.fold was not defined

Error: Unbound value M.fold

Test Case · points:19 failed

Test Case · points:17 failed

Test Case · points:18 failed

```
Test Case · points:15 failed
```

Test Case · points:16 failed

Test Case · points:13 failed

Test Case · points:14 failed

Test Case ·

0:core:4:OptionMonoid:2:plus:1:prop:0:all failed

where 0 = OptionMonoid
(ListMonoid):
0.plus was not defined

Error: Unbound value M.plus

Test Case ·

0:core:4:OptionMonoid:1:zero:0:zero failed

where 0 = OptionMonoid
(ListMonoid):
0.zero was not defined

Error: Unbound value M.zero

Test Case ·

0:core:4:OptionMonoid:2:plus:0:fixed:0:examples failed

where 0 = OptionMonoid
(ListMonoid):
0.plus was not defined

Error: Unbound value M.plus

Test Case ·

O:core:6:PairListFlippedListMonoid:2:plus:0:fixed:0:examples failed

test `examples` failed on ≥
1 cases:
PairListFlippedListMonoid.p
lus (["a"], ["x"; "y"])
(["b"; "c"], ["z"])

```
Expected:
(["a"; "b"; "c"], ["z";
"x"; "y"])
But got:
([], [])
```

Test Case ·

0:core:2:MonoidOperations:0:fold:0:fixed:0:examples failed

where 0 = MonoidOperations
(ListMonoid):
0.fold was not defined

File "probedata/OPS_FOLD_EX/probe.ml",
line 2, characters 8-14:

Error: Unbound value M.fold

^^^^

2 | let _ = M.fold

Test Case ·

0:core:2:MonoidOperations:1:mul:1:prop:0:all failed

where 0 = MonoidOperations
(ListMonoid):
0.mul was not defined

File "probedata/OPS_MUL_EX/probe.ml",
line 2, characters 8-13:
2 | let _ = M.mul

Error: Unbound value M.mul

Test Case · points:12 failed

Correct (27)

12P

Test Case · 0:core:4:OptionMonoid:0:t passed

Test Case · 0:core:6:PairListFlippedListMonoid:0:t passed

Test Case ·

0:core:1:FunctionMonoid:2:plus:0:fixed:0:example passed

Test Case ⋅ 0:core:3:FlipMonoid:0:t passed

Test Case · 0:core:0:ListMonoid:1:zero:0:zero passed

Test Case · 0:core:1:FunctionMonoid:1:zero:0:fixed:0:examples passed

0:core:0:ListMonoid:2:plus:0:fixed:0:examples

Test Case ·

passed

Test Case · 0:core:1:FunctionMonoid:1:zero:1:prop:0:all passed **Test Case** · 0:core:1:FunctionMonoid:0:t passed **Test Case** · 0:core:0:ListMonoid:2:plus:1:prop:0:all passed **Test Case · points:0** 1P passed **Test Case · points:1** 1P passed **Test Case** · 0:core:5:PairMonoid:0:t passed **Test Case · points:2** 1P passed **Test Case · points:3** 1P passed **Test Case · points:4** 1P passed **Test Case · points:5** 1P passed **Test Case · points:6** 1P passed **Test Case · points:7** 1P passed **Test Case · points:8** 1P passed **Test Case · points:9** 1P passed **Test Case** · 0:core:6:PairListFlippedListMonoid:1:zero:0:zero passed **Test Case** · 0:core:0:ListMonoid:0:t passed

Test Case · points:11 1P passed

Test Case · build passed

Test Case · points:10 1P

Test Case · 0:core:1:FunctionMonoid:2:plus:1:prop:0:all passed

You can submit one complaint for each manually assessed exercise in this exam.

#6 Email Recursive Datatypes [0/32 Points] 🗴 0%

Your Submission

passed

The submission is linked to commit No commit was made

Assessment

^ Wrong (1)

Test Case ⋅ {{ name }} failed

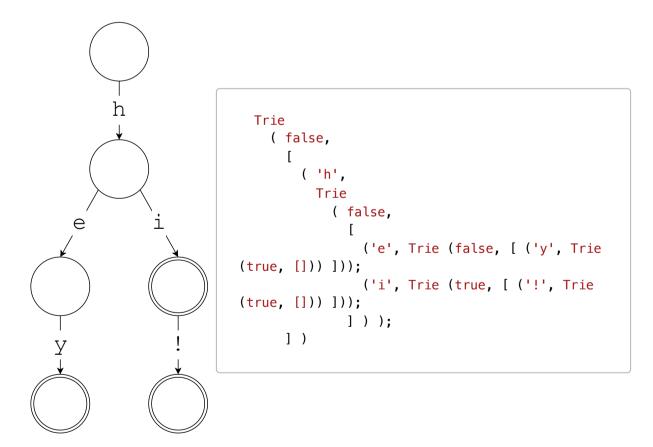
Empty submission

Problem Statement

Tries, Tries, Tries

A trie is a tree that stores words in a compact way. In OCaml, we implement a trie as a type with the constructor Trie of (bool * (char * trie) list). The bool specifies whether the sequence of characters given by the path from the root to the current node is a word stored in the trie. The (char * trie) list stores the outgoing edges in an association list, where the letter of the outgoing edge is associated with its sub-trie.

As an example, we fill an empty trie with the words hey, hi, and hi!. Below, there is a visualization where the sub-tries are labeled and tries where the bool is set to true have a double outline. Additionally, it is shown how the trie is represented in OCaml using the defined trie-type.



1: The Trie-Module

The Trie-Module contains the main implementation for your tries.

The type Trie.trie and the value Trie.empty are already given and **should not** be changed.

All words the Trie-Module works with are represented as char lists so that you can use the known functions from the List-Module to access and modify the characters of the words.

Hint: You may use the List module for this exercise.

? Trie.contains trie word No results

Returns true if the passed trie contains the passed word; otherwise returns false

Trie.insert trie word No results

Inserts the passed word into the given trie.

? Trie.remove trie word No results

Removes the passed word from the given trie.

To save used memory of the tries, subtries that do not store any words (i.e., every bool is false) should be removed from the returned trie. You may assume all passed tries already follow this invariant.

2: Shared Tries as a service

The Trie_db-Functor wraps the Trie-Module and allows shared access to a Trie using the Reppy-system discussed in the lecture.

The Trie_db-Functor should not implement the Trie functionality by itself, but use the methods from the passed Trie-module.

This allows you to implement the Trie_db without having implemented the Trie.

The Trie_db already contains the type t representing a channel similar to the exercises from the lecture.

? Trie_db(Trie).create () No results

Creates a new Trie_db-server in a new thread.

? Trie_db(Trie).insert trie_server word No results

Inserts the word into the shared trie_server.

Trie_db(Trie).remove trie_server word No results

Removes the word from the shared trie_server.

Trie_db(Trie).contains trie_server word No results

Returns true if the passed trie contains the passed word; otherwise returns false. This should block and return the resulting bool.

Examples No results

Examples for the use of the specified trie-type, the Trie-Module and the Trie_db-Functor can be seen with the example_trie_*-functions at the end of the file.

The order of the tries sub-trie-list is not defined, so you may not be able to test equality directly. However, public tests checking these examples are provided.

Additionally, while local testing of your Trie_db may require an implemented Trie, the (public) tests test your Trie_db with a fully functional Trie.

Note: The hidden tests not assigned to any task give no points, as they are already covered by other tests.

You can submit one complaint for each manually assessed exercise in this exam.

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