## 2022-06-16 1. library(Pareto) library(ggplot2) library(gridExtra) set.seed(100) Data = data.frame(x.n=rnorm(50000), x.p=rPareto(50000, t=1, alpha=2)) summary(Data\$x.n) Min. 1st Qu. Median Mean 3rd Qu. Max. ## -4.087893 -0.671144 -0.005919 -0.000208 0.672466 4.363243 $H=ggplot(data = Data) + aes(x= x.n) + geom_histogram(color = "black", fill = "red", bins = 30) + ggtitle("Normal Herotal Her$ istogram") + xlab("Normally distibuted variables") Normal Histogram 4000 -2000 --2.5 2.5 0.0 Normally distibuted variables $B=ggplot(data = Data) + aes(x = x.n) + xlab("Normally distibuted variables") + geom_boxplot(fill = "red") + ggtit$ le("Normal Boxplot") Normal Boxplot -2.5 2.5 Normally distibuted variables grid.arrange(B,H, nrow = 2)Normal Boxplot 0.0 -2.5 2.5 Normally distibuted variables 2. Yes, it is basically what we were Normal Histogram 6000 -4000 -2000 --2.5 2.5 Normally distibuted variables aiming for. A lot of the observations are negative so that mean will be negative as well. Moreover the variables are standard normally distributed from the fact that mean is around 0 and standard deviation is around zero. #Mean=Median=Mode nmean =mean(Data\$x.n) #-0.0002084956 ## [1] -0.0002084956 nsd = sd(Data\$x.n) #0.9989658## [1] 0.9989658 3. Once summarized the interval it can be seen that 47664 observations lay inside the interval mentioned in the code. Following that summarizing the data is possible and will be exact. Looking on the graph and the console outcome, we can conclude that most of the observations are included in the interval mentioned (MEAN -2\*SD). Following that summarizing the data is possible and the mean can be used to predict new observations. Moreover variable is standard normally distributed what can be seen after checking mean and standard deviation. $summarize\_interval <- subset(Data\$x.n, Data\$x.n > nmean - 2* nsd \& Data\$x.n < nmean + 2* nsd)$ length(summarize\_interval) ## [1] 47664 $S=ggplot(data = Data) + aes(x= x.n) + geom_histogram(color = "black", fill = "red", bins = 30) + ggtitle("Normal Hi$ stogram") + xlab("Normally distibuted variables") + geom\_vline(xintercept= nmean - 2\* nsd) + geom\_vline(xintercep t = nmean + 2\*nsdNormal Histogram 6000 -4000 -4. 2000 --2.5 Normally distibuted variables pmean = 1.993904 psd = 2.601173 Once found mean and standard deviation, we moved to looking for the outliers. That procedure helped us see how many observations might be the extreme ones. 45302 is the number of observations laying inside the interval. Especially once we plot both distributions we can see that there are outliers appearing. The mean neglects new very extreme realizations because extreme realizations will lay outside the interval shown on the histogram. Moreover the mean and standard deviation is bad predictor from the fact that data on the histogram is not placed symmetrically and most of the observations are laying below the mean line. It can be easily assumed that mean is not the best predictor. "plot(Datax.n,Data x.p)" also by plotting both sets of variables outliers can be seen. I did not use filter function since removed outliers in the way that there was no need to filter them out. pmean = mean(Data\$x.p) #1.993904psd = sd(Data\$x.p) #2.601173Q1 <- quantile(Data\$x.p,.025) 2.5% Q3 <- quantile(Data\$x.p,.75) 75% ## 1.991712 IQR <- IQR(Data\$x.p)</pre> IQR ## [1] 0.8373718 no\_outliers <- subset(Datax.p, Datax.p < (Q1 - 1.5\*IQR) & Datax.p < (Q3 + 1.5\*IQR)) length(no\_outliers) ## [1] 45302 summary(no\_outliers) ## Min. 1st Qu. Median Mean 3rd Qu. Max. ## 1.000 1.138 1.351 1.528 1.763 3.248 summarize\_pareto<- subset(Data\$x.p, Data\$x.p > pmean - 2\* psd & Data\$x.p< pmean + 2\* psd)</pre> length(summarize\_pareto) #49036 ## [1] 49036 The mean of pareto observations after removing outliers also decreased. $P = ggplot(data = Data) + aes(x = x.p) + geom_histogram(fill = "green") + ggtitle("Pareto Histogram") + geom_vlin$ e(aes(xintercept=mean(Data\$x.p)), color="blue") + geom\_vline(xintercept= pmean - 2\* psd) + geom\_vline(xintercept = pmean + 2\*psd) ## Warning: Use of `Data\$x.p` is discouraged. Use `x.p` instead. ## `stat\_bin()` using `bins = 30`. Pick better value with `binwidth`. Pareto Histogram 40000 -30000 control 20000 -10000 -100 150 x.p $C = ggplot(data = Data) + aes(x = x.p) + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(fill = "red") + ggtitle(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(" Pareto Boxplot, LWD = 0.01") + geom_boxplot(" Pareto Boxplot(" Paret$ m\_boxplot(lwd=0.01) Pareto Boxplot, LWD = 0.01 150 x.p plot(Data\$x.n,Data\$x.p) 100 90 Data\$x.n hist(no\_outliers, main = "Histogram without outliers") Histogram without outliers 8000 0009 4000

Assignment 1 | Exercise 1

0.4 -

0.2 -

0.0 -

-0.2 **-**

0.2 -

0.0 -

-0.2 **-**

-0.4 **-**

nsd

S

Q1

Q3

##

0.2 -

0.0 -

-0.2 **-**

-0.4 **-**

Data\$x.p

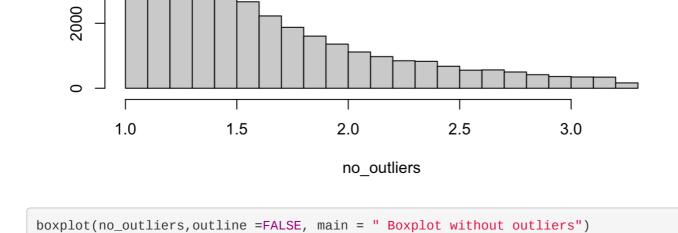
Frequency

2.5

2.0

1.5

1.0



**Boxplot without outliers**