

Junction Tree Variational Autoencoder for Molecular Graph Generation

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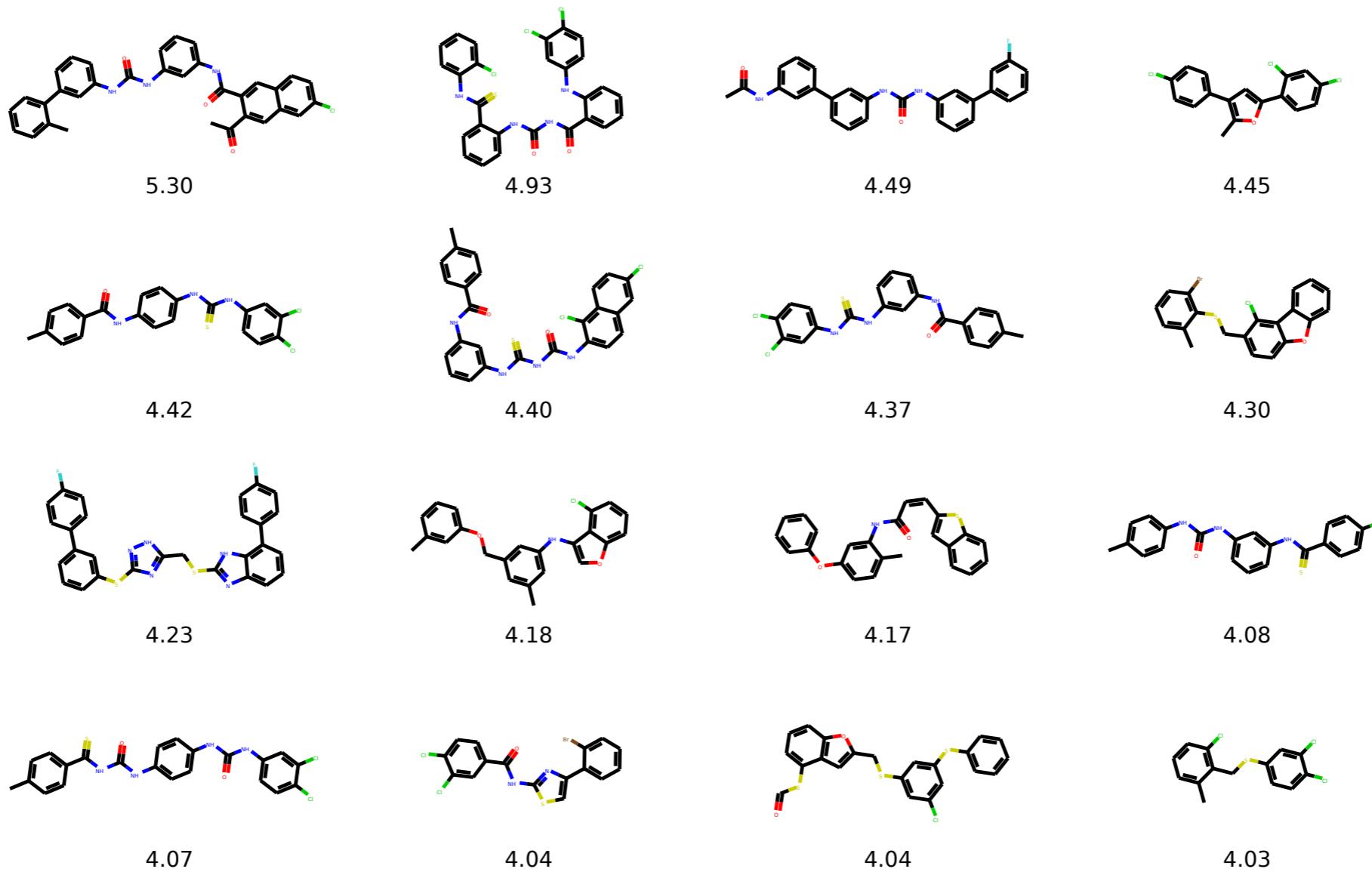
Presentation adapted from slides by: Wengong Jin
Presenter: Yevgeny Tkach

2019 Spring @
<https://qdata.github.io/deep2Read/>

Executive Summary

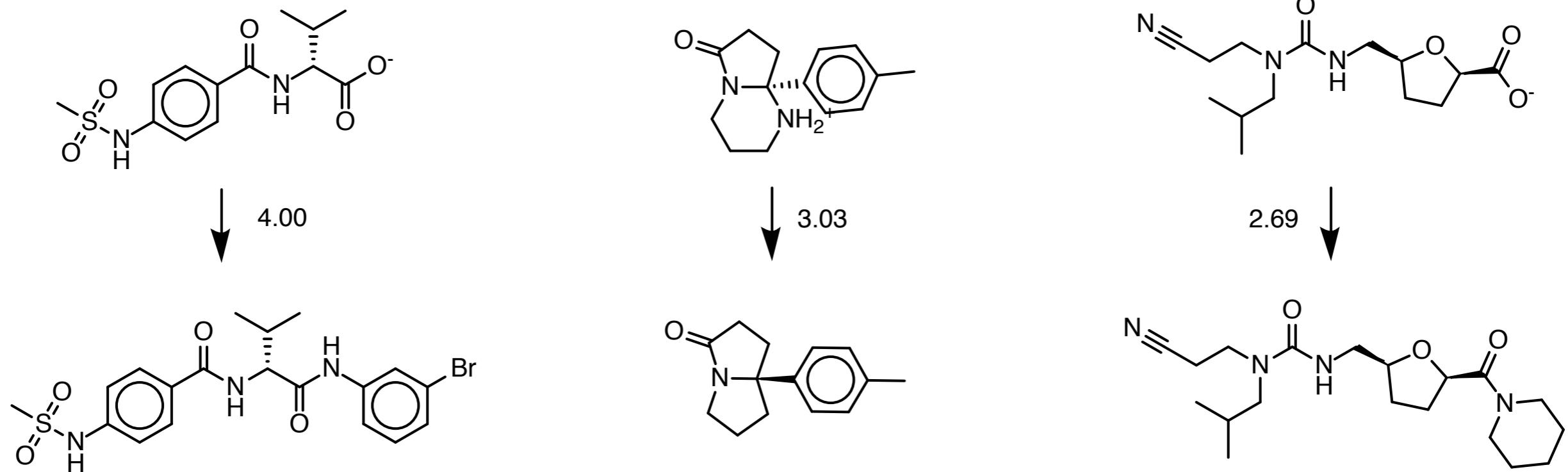
- Molecule generation using VAE. Encoding and decoding is based on spacial graph message passing algorithm.
- Instead of generating the molecule node by node which can be looked at as “character level” generation, this work builds higher level vocabulary based on tree decomposition of the molecule graph.
- Using proper “words/parts of speech” helps to make sure that the final molecule is valid.

Drug Discovery



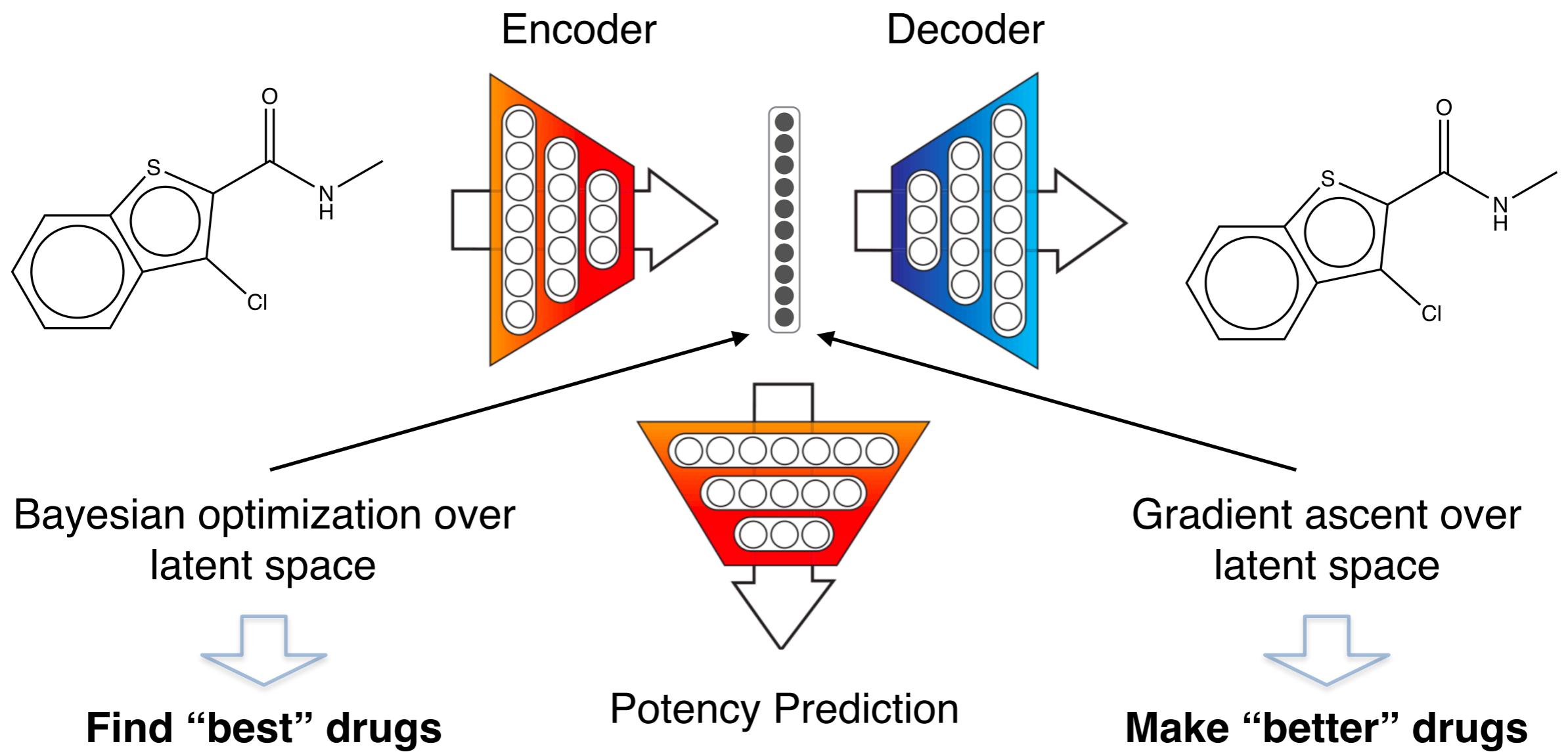
Generate molecules with high potency

Drug Discovery



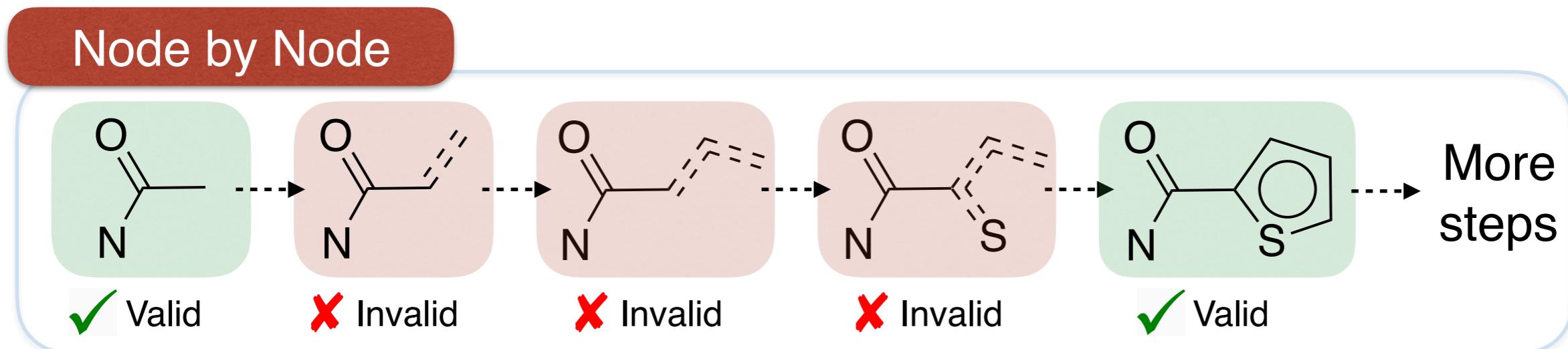
Modify molecules to increase potency

Molecular Variational Autoencoder



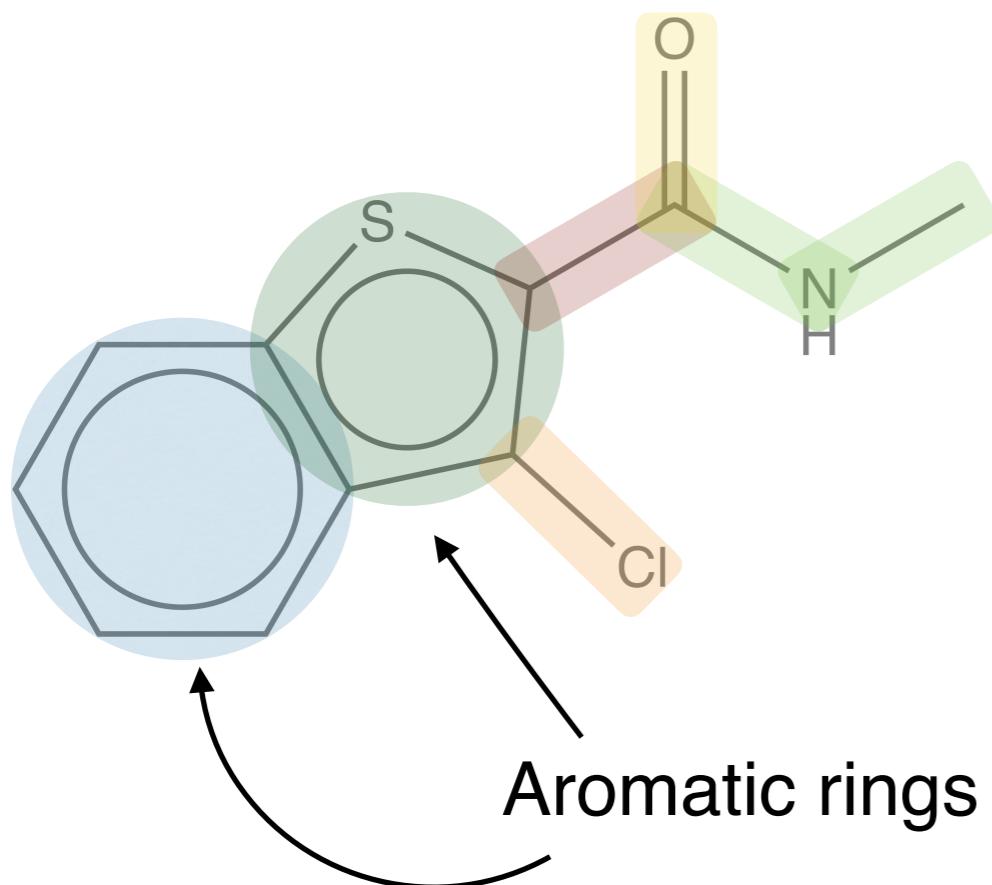
[1] Gomez-Bombarelli et al., Automatic chemical design using a data-driven continuous representation of molecules, 2016

How to generate graphs?

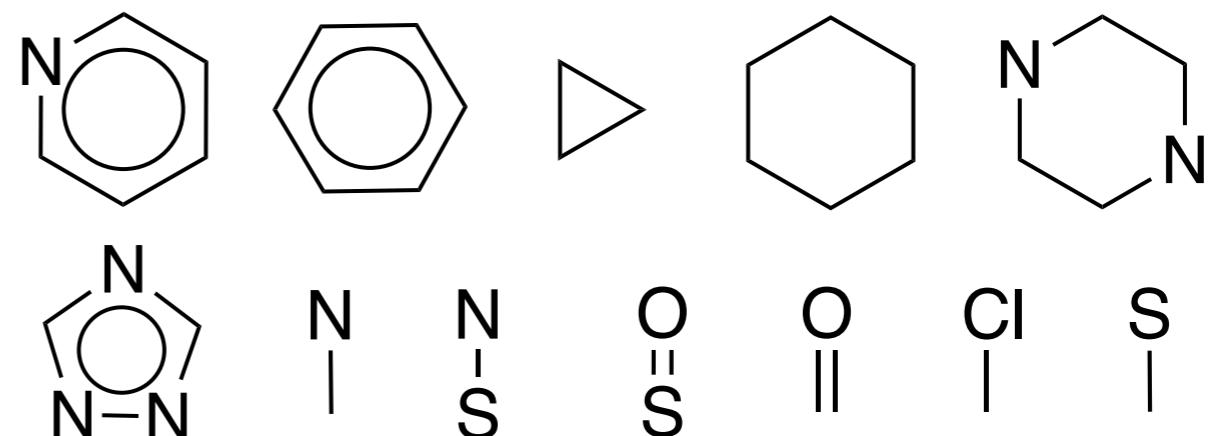


- Not every graphs is chemically valid
- Invalid intermediate states → hard to validate
- Very long intermediate steps → difficult to train (Li et al., 2018)

Functional Group

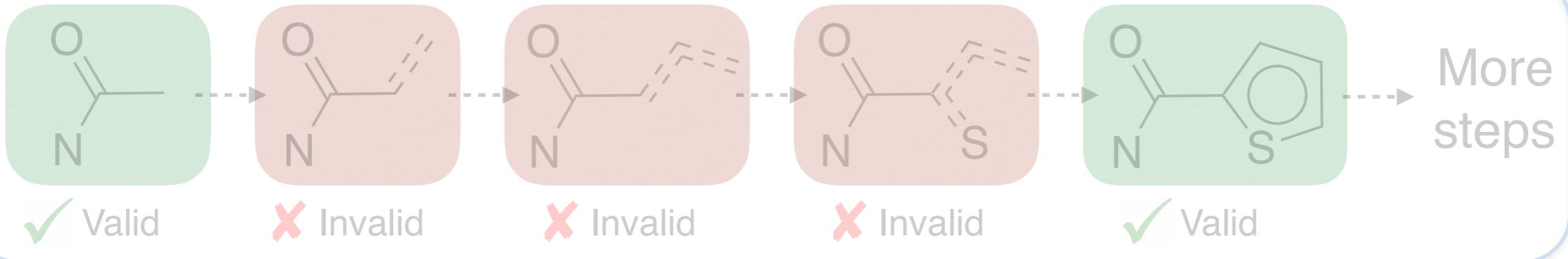


Functional Groups

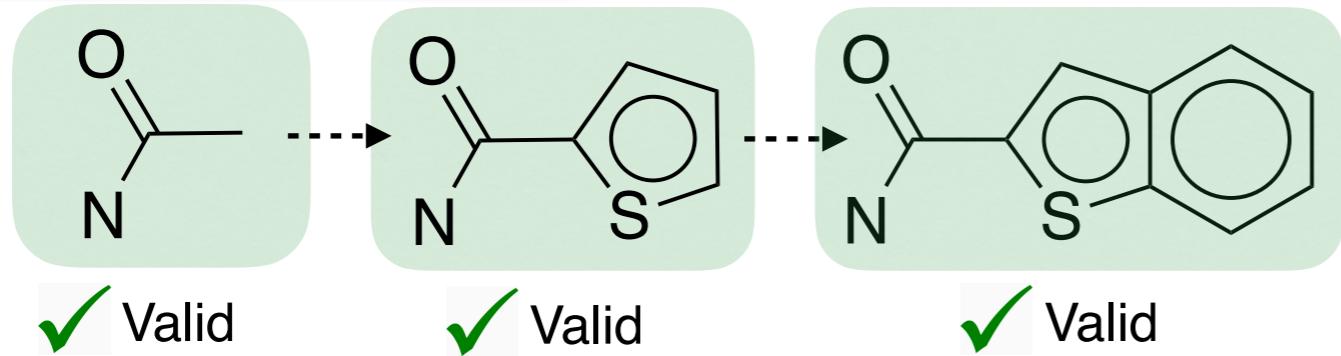


How to generate graphs?

Node by Node

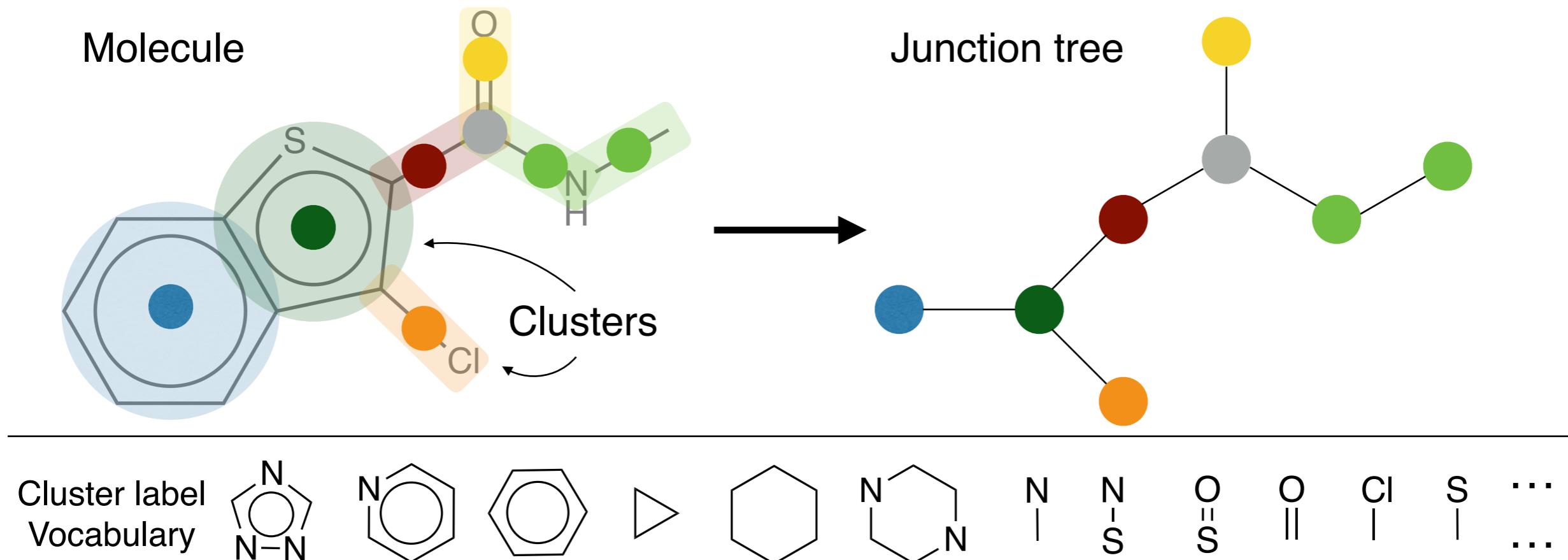


Group by Group



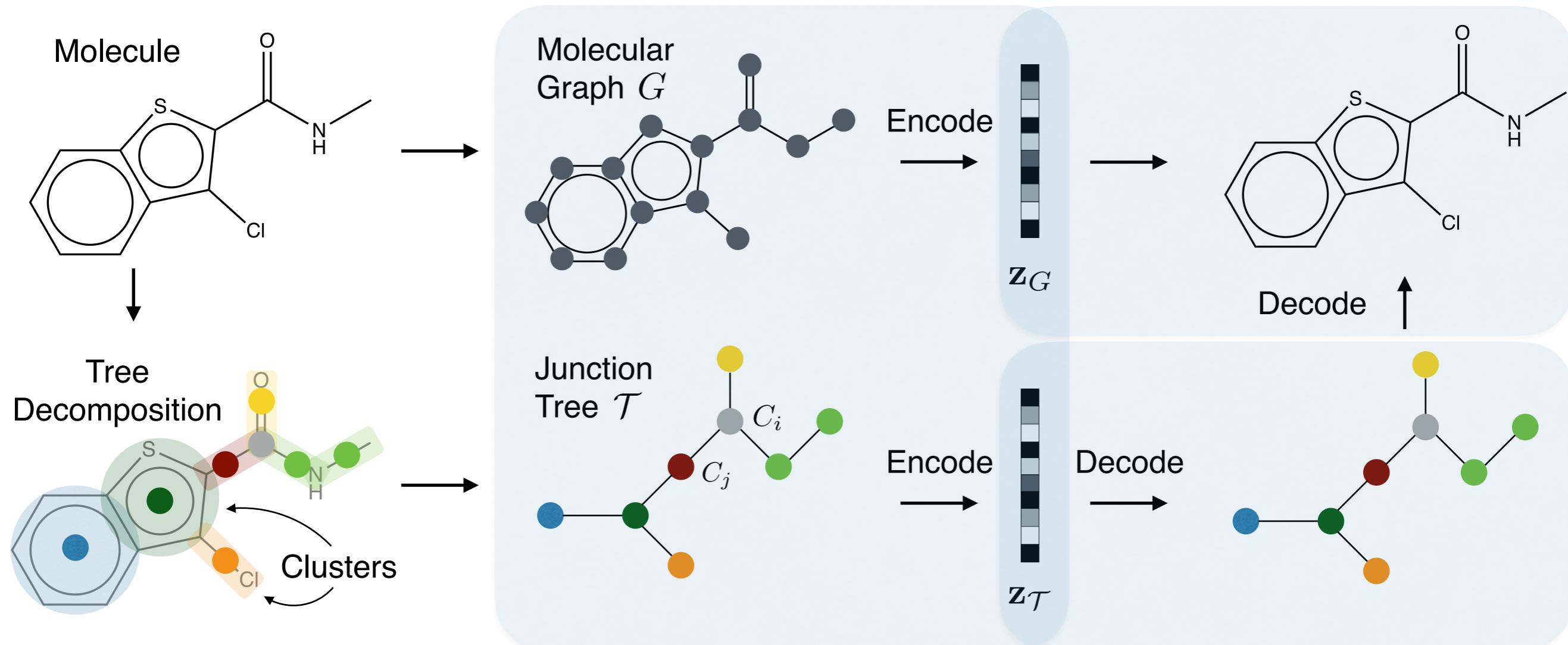
- Shorter action sequence
- Easy to check validity

Tree Decomposition

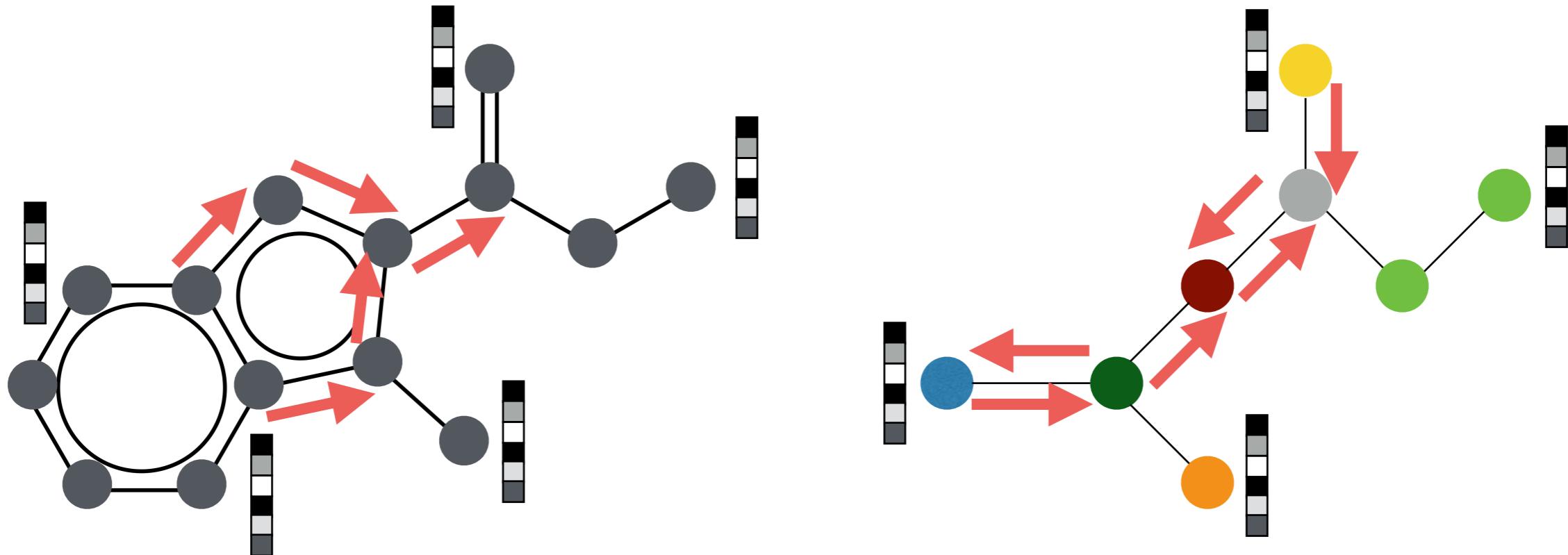


- Generate junction tree → Generate graph group by group
- Vocabulary size: less than 800 given 250K molecules

Our Approach

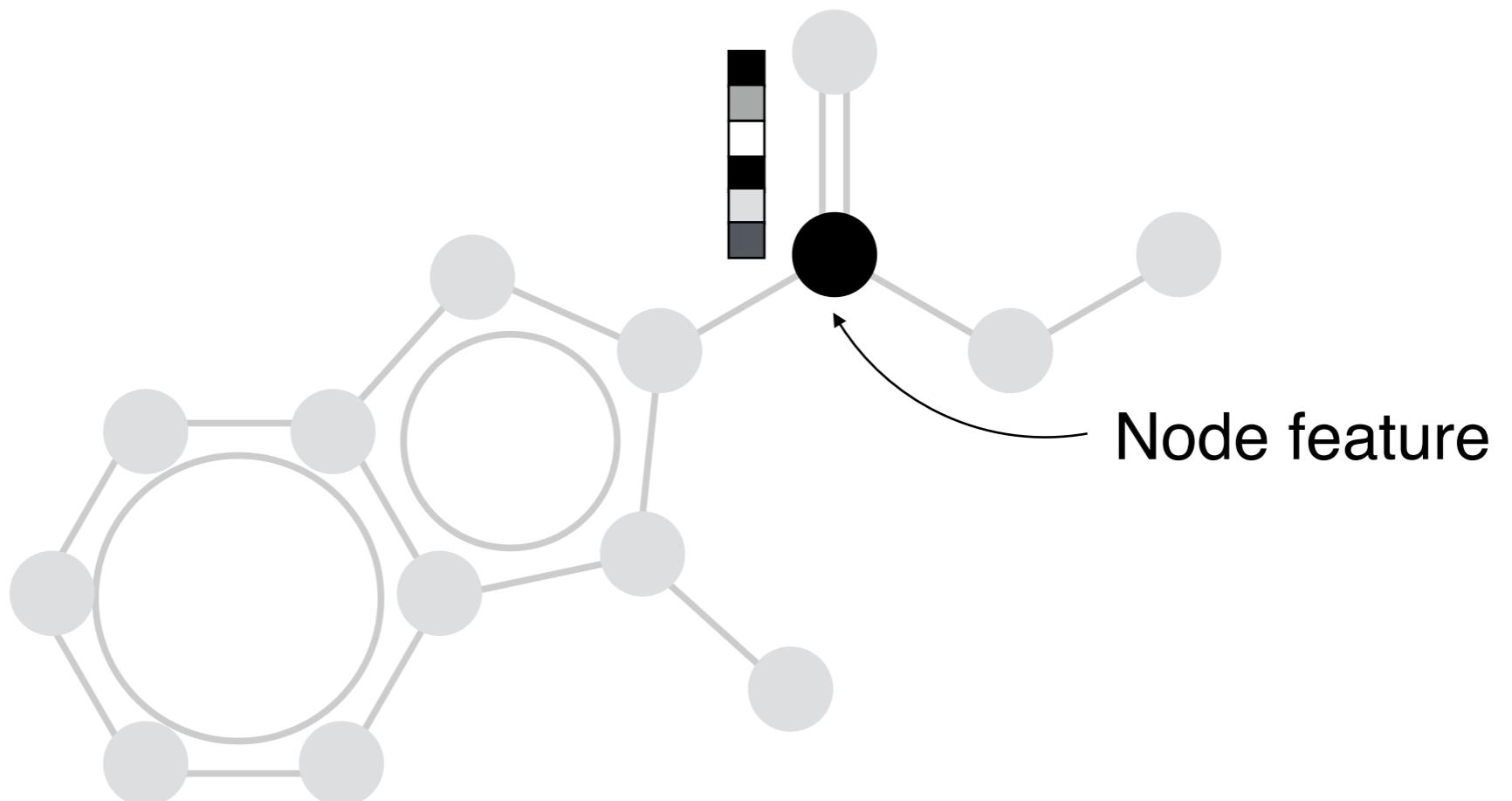


Graph & Tree Encoder

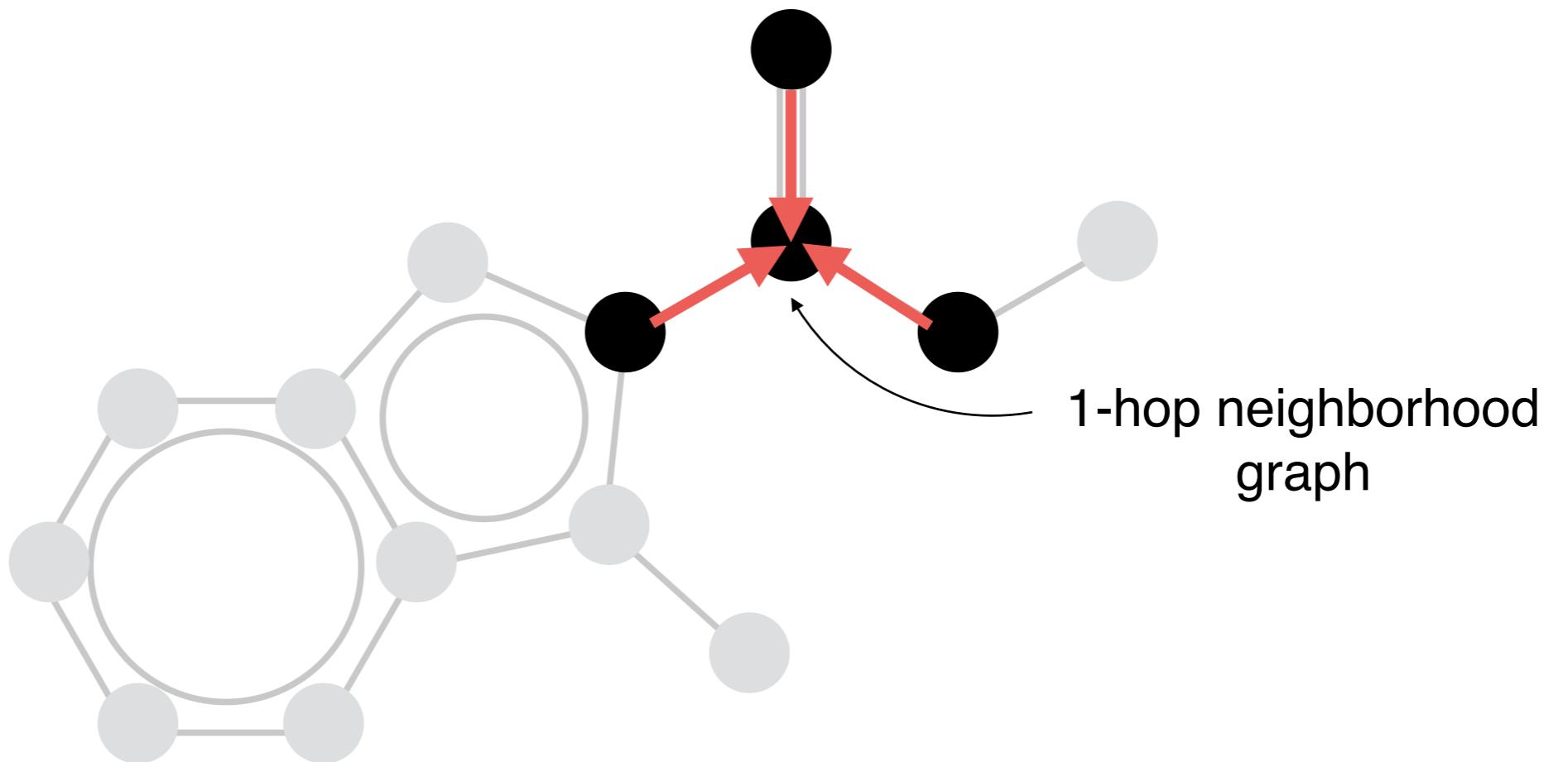


Neural Message Passing Network (MPN)

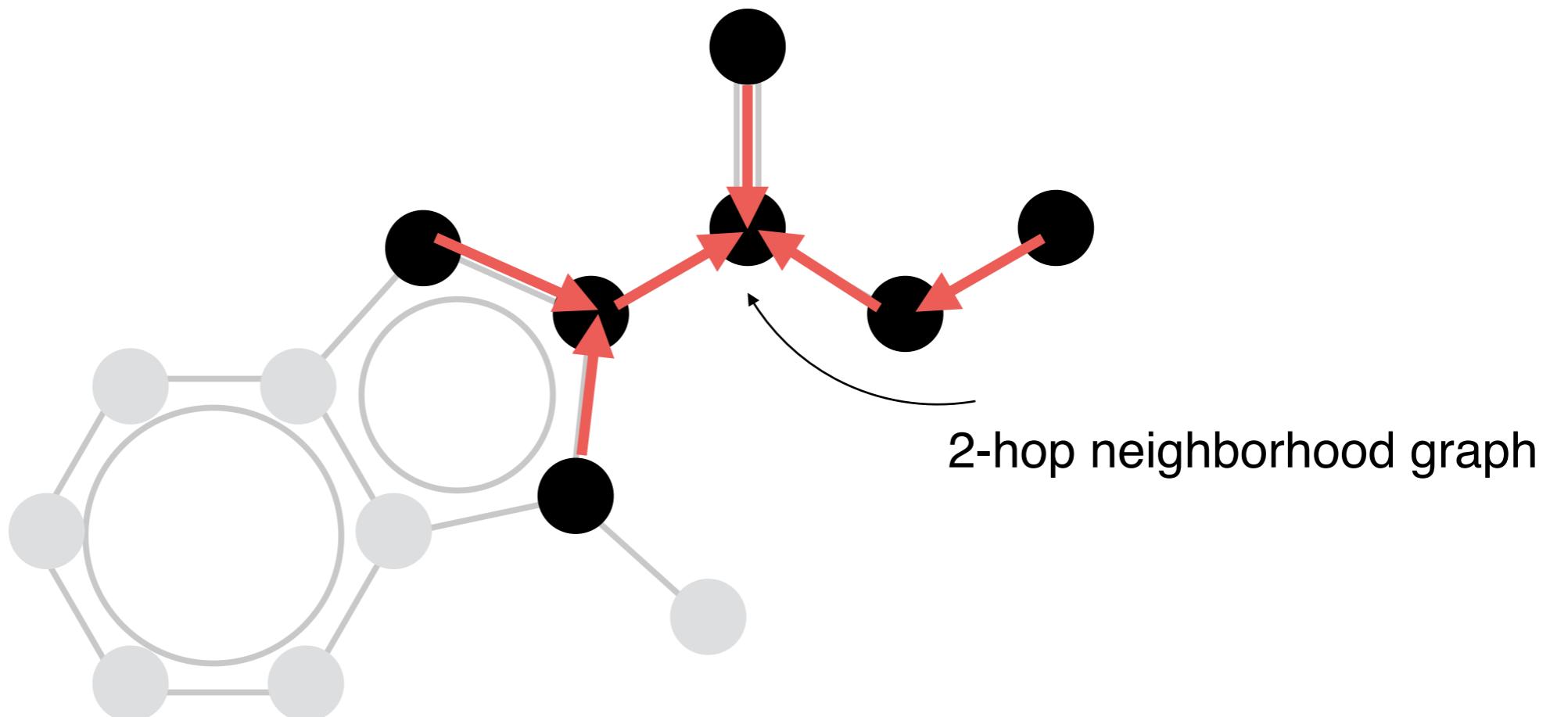
Graph Encoding



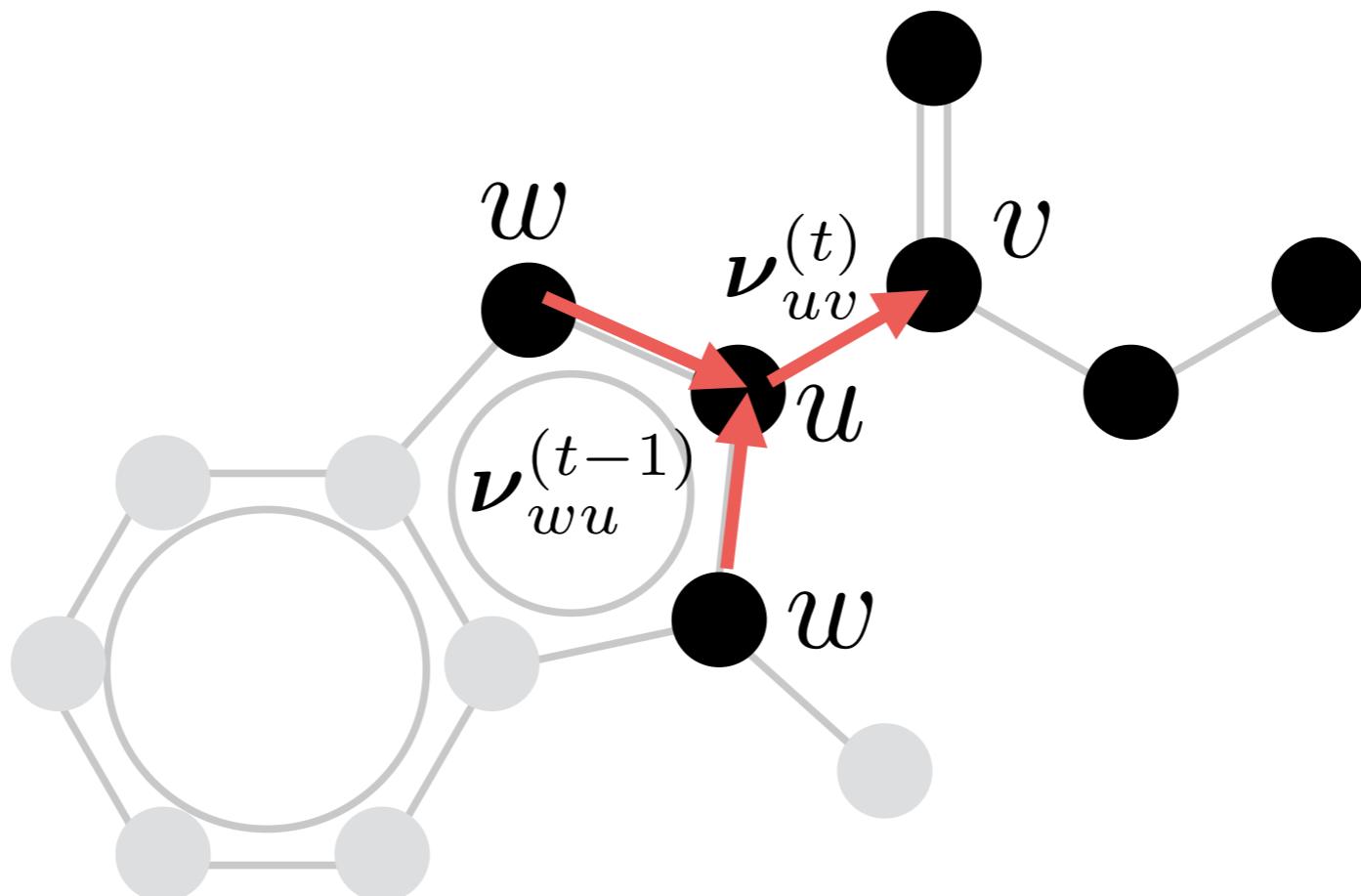
Graph Encoding



Graph Encoding



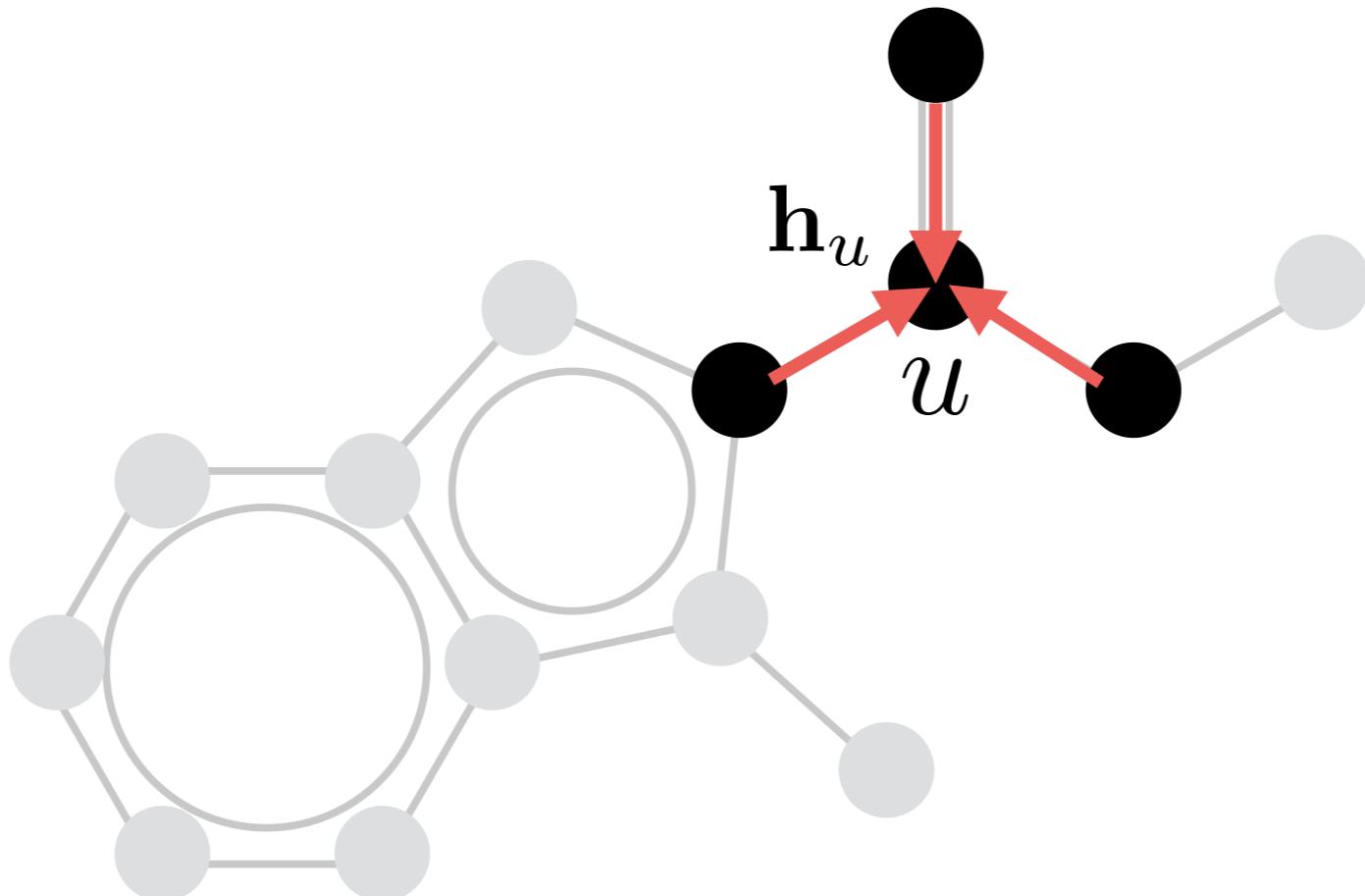
Graph Encoding



$$\nu_{uv}^{(t)} = \tau(\mathbf{W}_1^g \mathbf{x}_u + \mathbf{W}_2^g \mathbf{x}_{uv} + \mathbf{W}_3^g \sum_{w \in N(u) \setminus v} \nu_{wu}^{(t-1)})$$

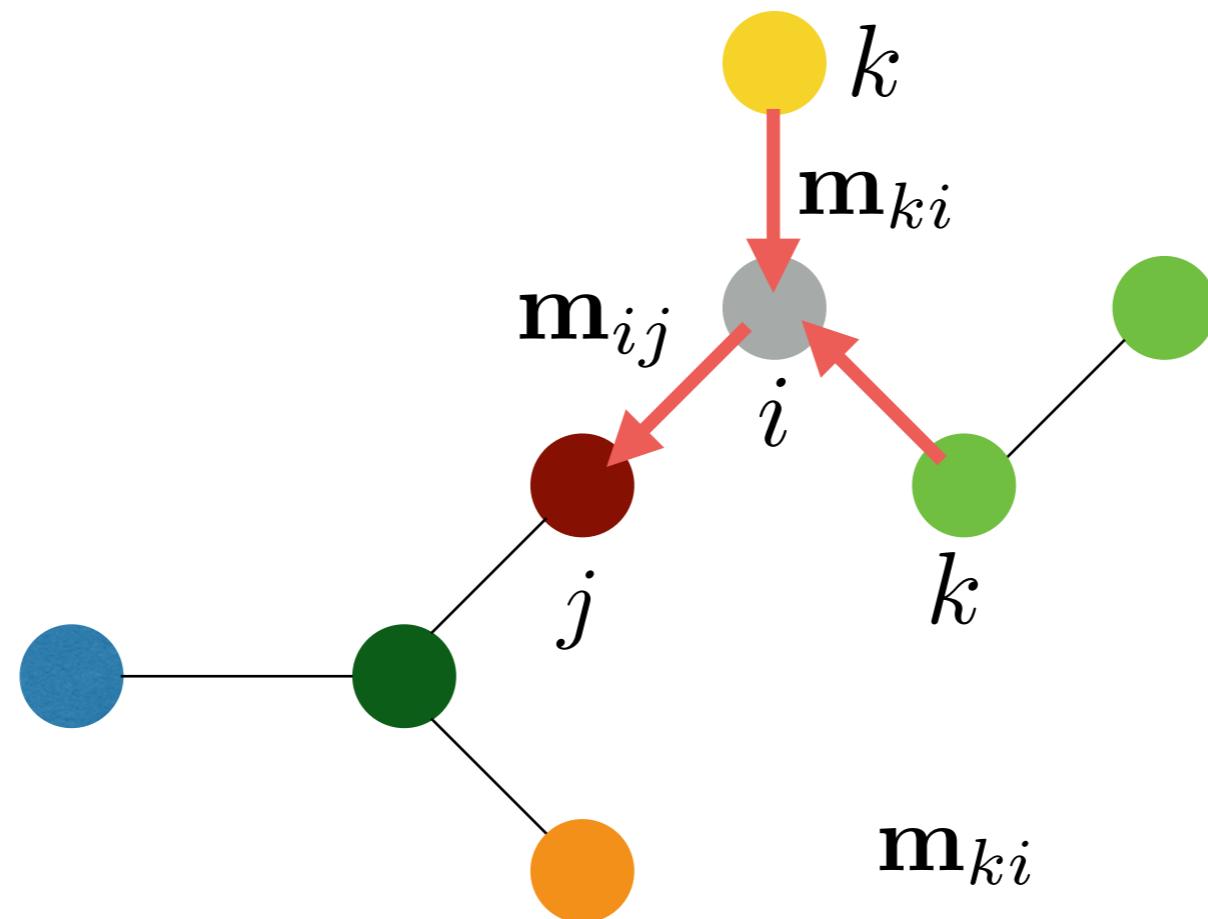
Messages Node feature Edge feature $w \in N(u) \setminus v$

Graph Encoding



$$\mathbf{h}_u = \tau(\mathbf{U}_1^g \mathbf{x}_u + \sum_{v \in N(u)} \mathbf{U}_2^g \boldsymbol{\nu}_{vu}^{(T)})$$

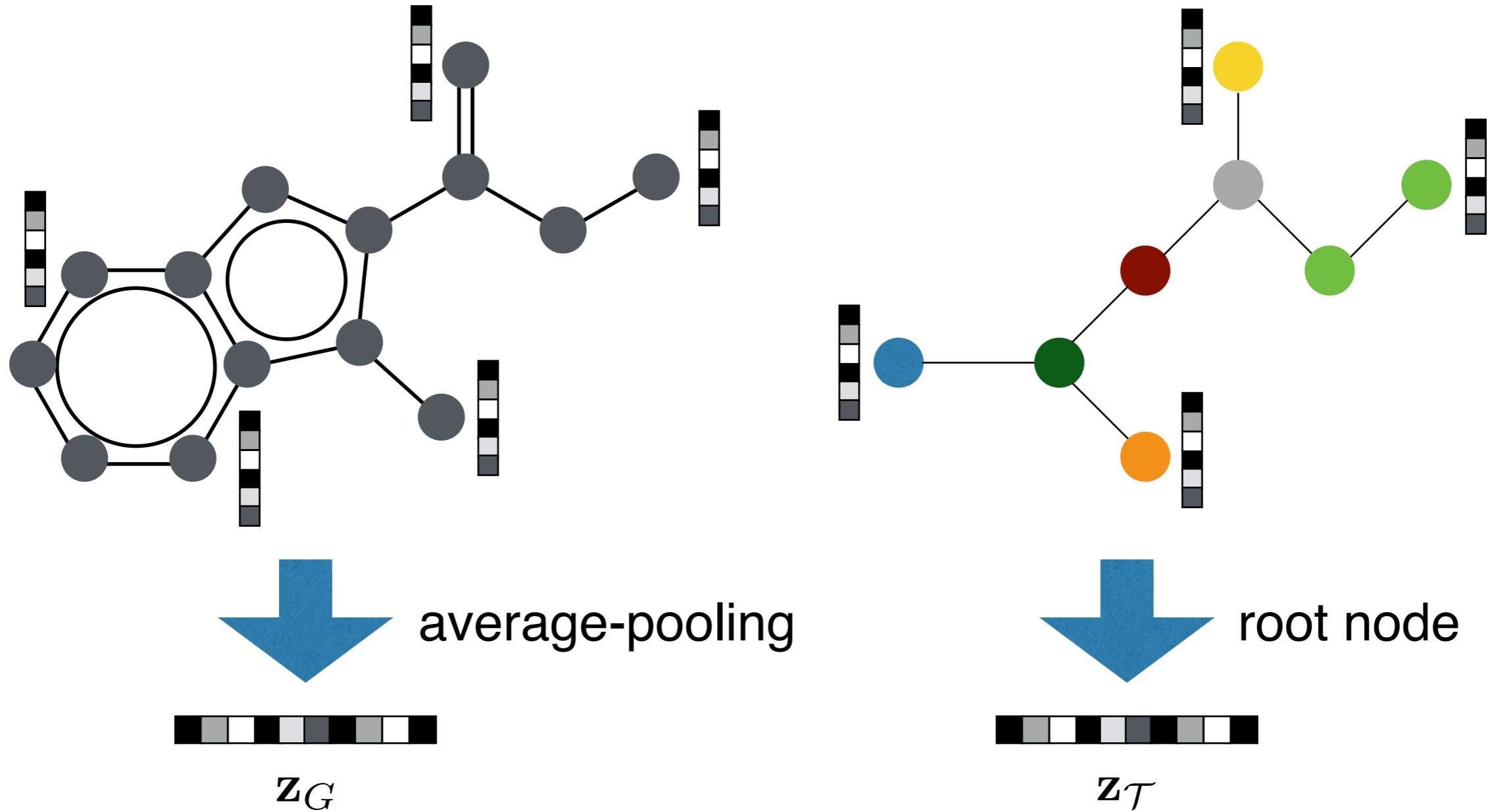
Tree Encoding



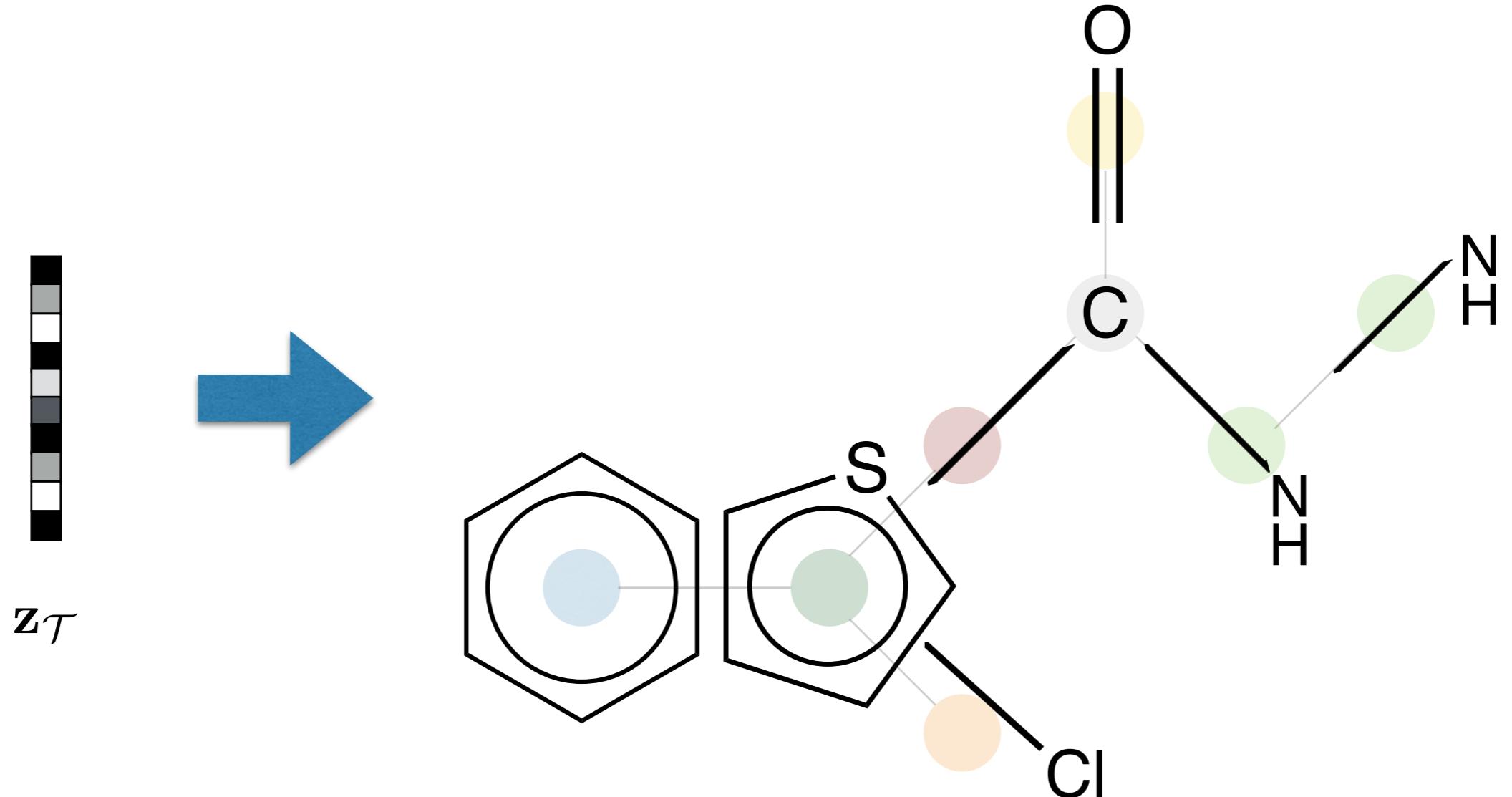
$$\mathbf{m}_{ij} = \text{GRU}(\mathbf{x}_i, \{\mathbf{m}_{ki}\}_{k \in N(i) \setminus j})$$

To capture long range interactions

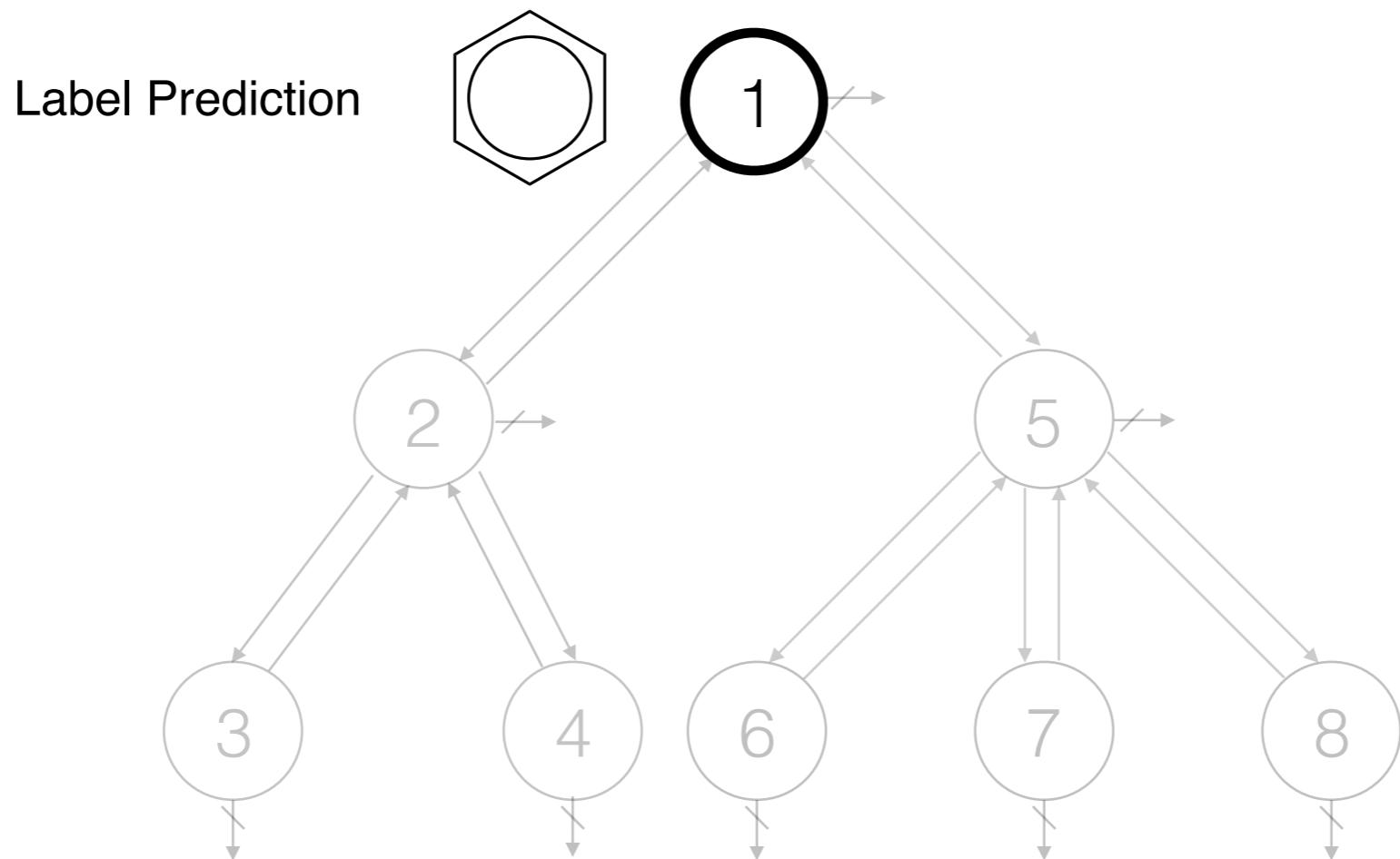
Graph & Tree Encoder



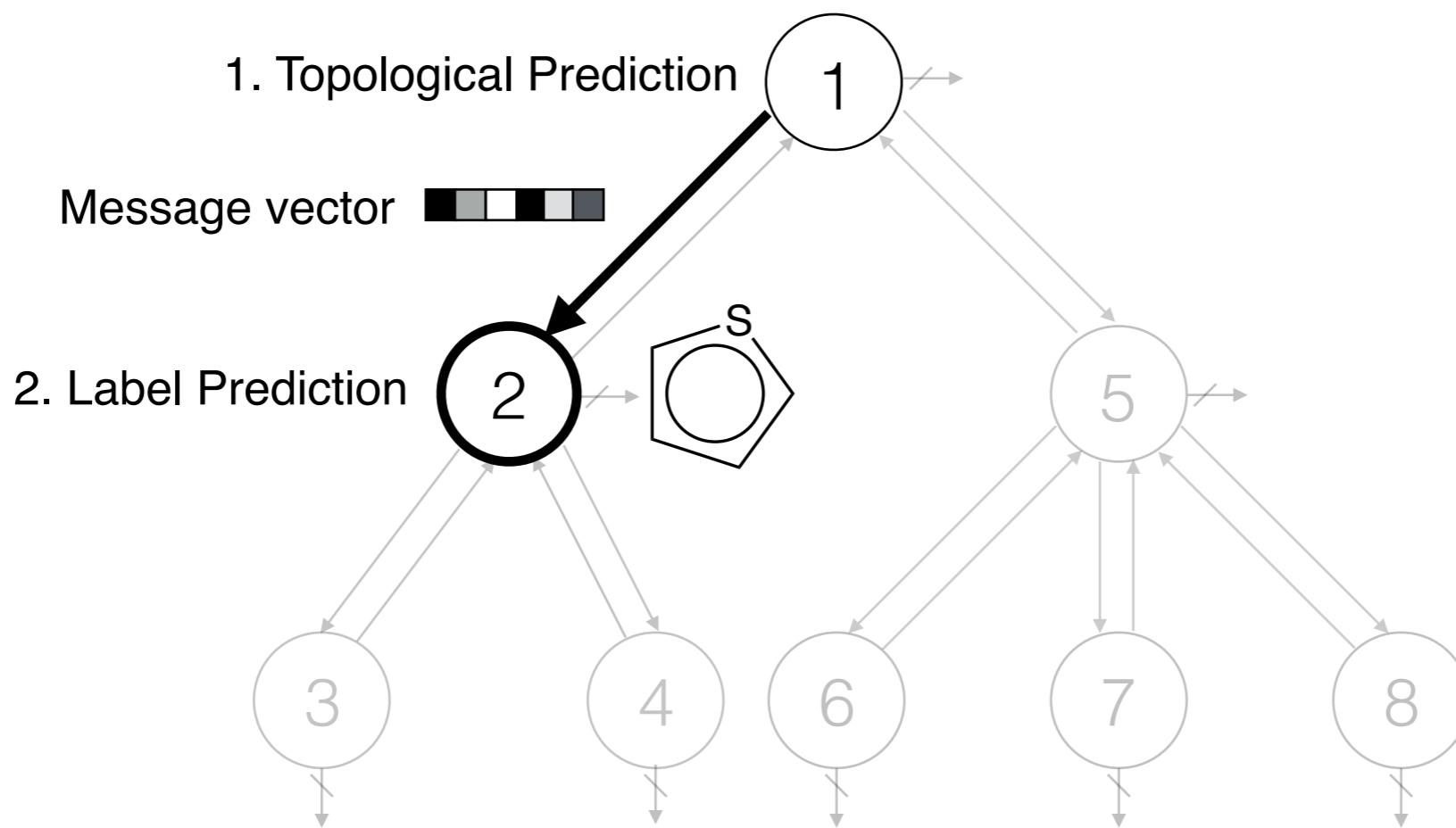
Tree Decoder



Tree Decoder



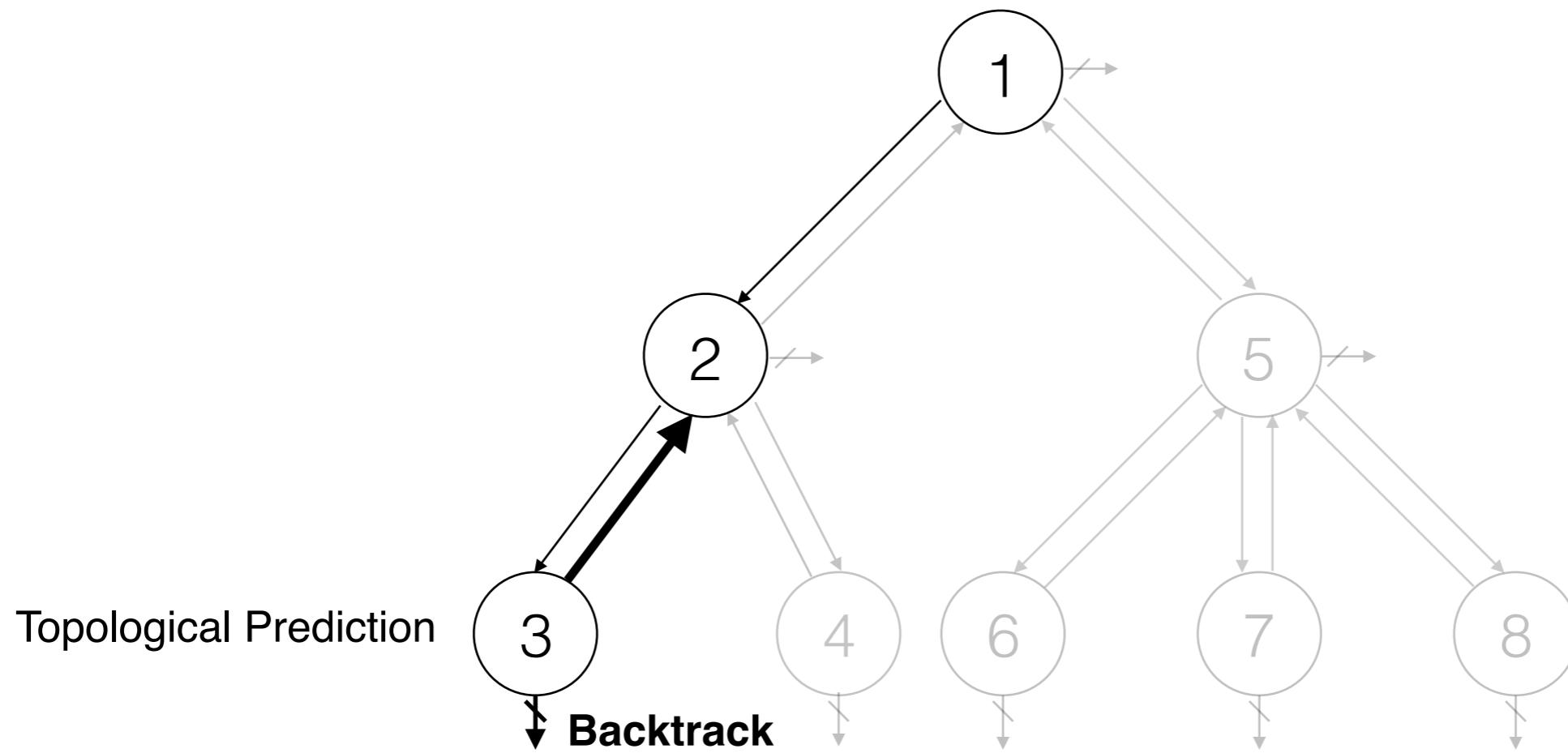
Tree Decoder



Topological Prediction: Whether to expand a child or backtrack?

Label Prediction: What is the label of a node?

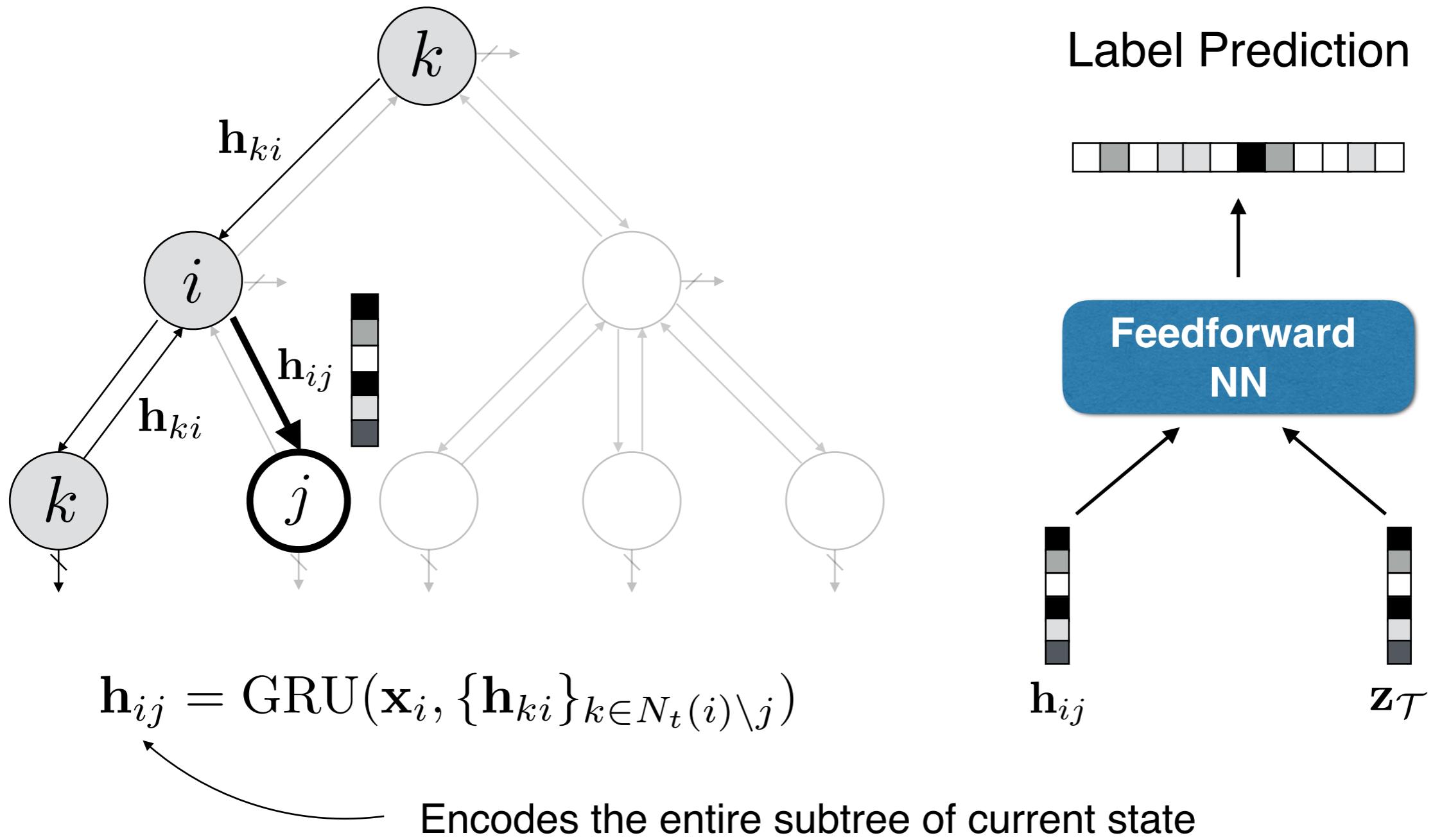
Tree Decoder



Topological Prediction: Whether to expand a node or backtrack?

Label Prediction: What is the label of a node?

Tree Decoder



Tree Decoder

Algorithm 1 Tree decoding at sampling time

Require: Latent representation $\mathbf{z}_{\mathcal{T}}$

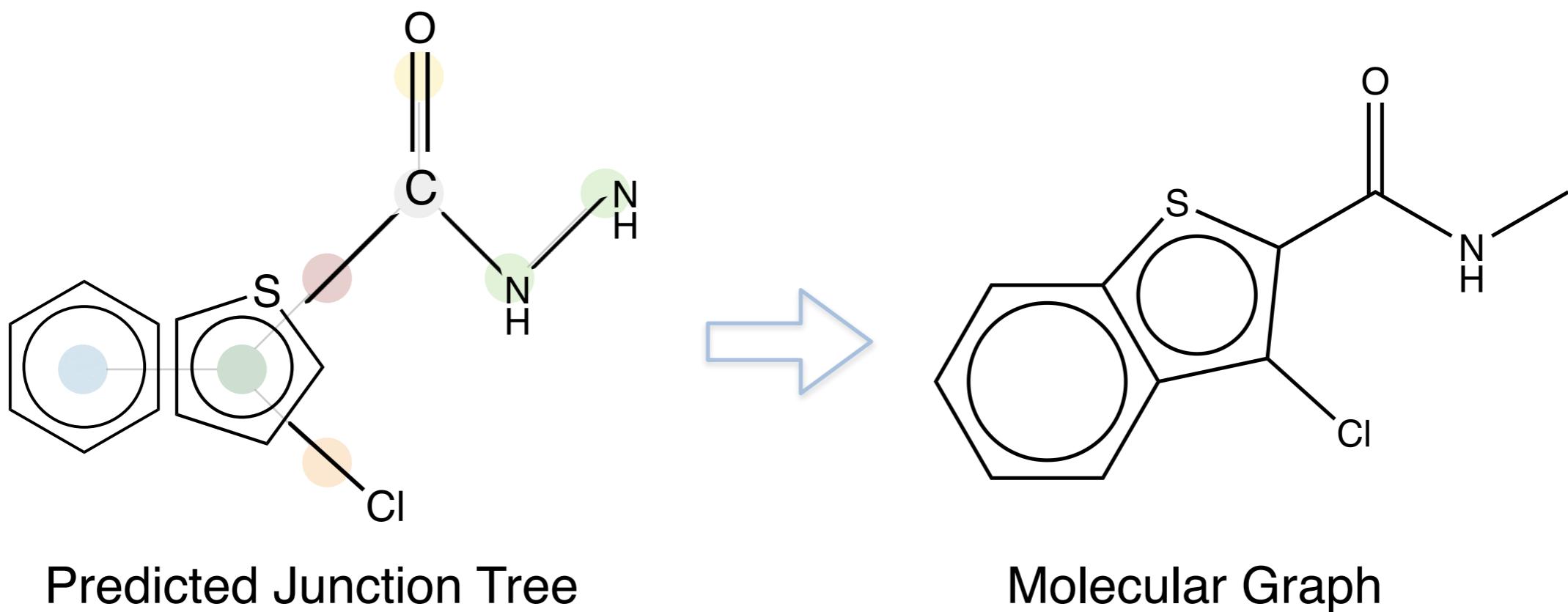
```
1: Initialize: Tree  $\hat{\mathcal{T}} \leftarrow \emptyset$ 
2: function SampleTree( $i, t$ )
3:   Set  $\mathcal{X}_i \leftarrow$  all cluster labels that are chemically compatible with node  $i$  and its current neighbors.
4:   Set  $d_t \leftarrow expand$  with probability  $p_t$ .      ▷ Eq.(11)
5:   if  $d_t = expand$  and  $\mathcal{X}_i \neq \emptyset$  then
6:     Create a node  $j$  and add it to tree  $\hat{\mathcal{T}}$ .
7:     Sample the label of node  $j$  from  $\mathcal{X}_i$       ▷. Eq.(12)
8:     SampleTree( $j, t + 1$ )
9:   end if
10: end function
```

$$p_t = \sigma(\mathbf{u}^d \cdot \tau(\mathbf{W}_1^d \mathbf{x}_{i_t} + \mathbf{W}_2^d \mathbf{z}_{\mathcal{T}} + \mathbf{W}_3^d \sum_{(k, i_t) \in \tilde{\mathcal{E}}_t} \mathbf{h}_{k, i_t})) \quad (11)$$

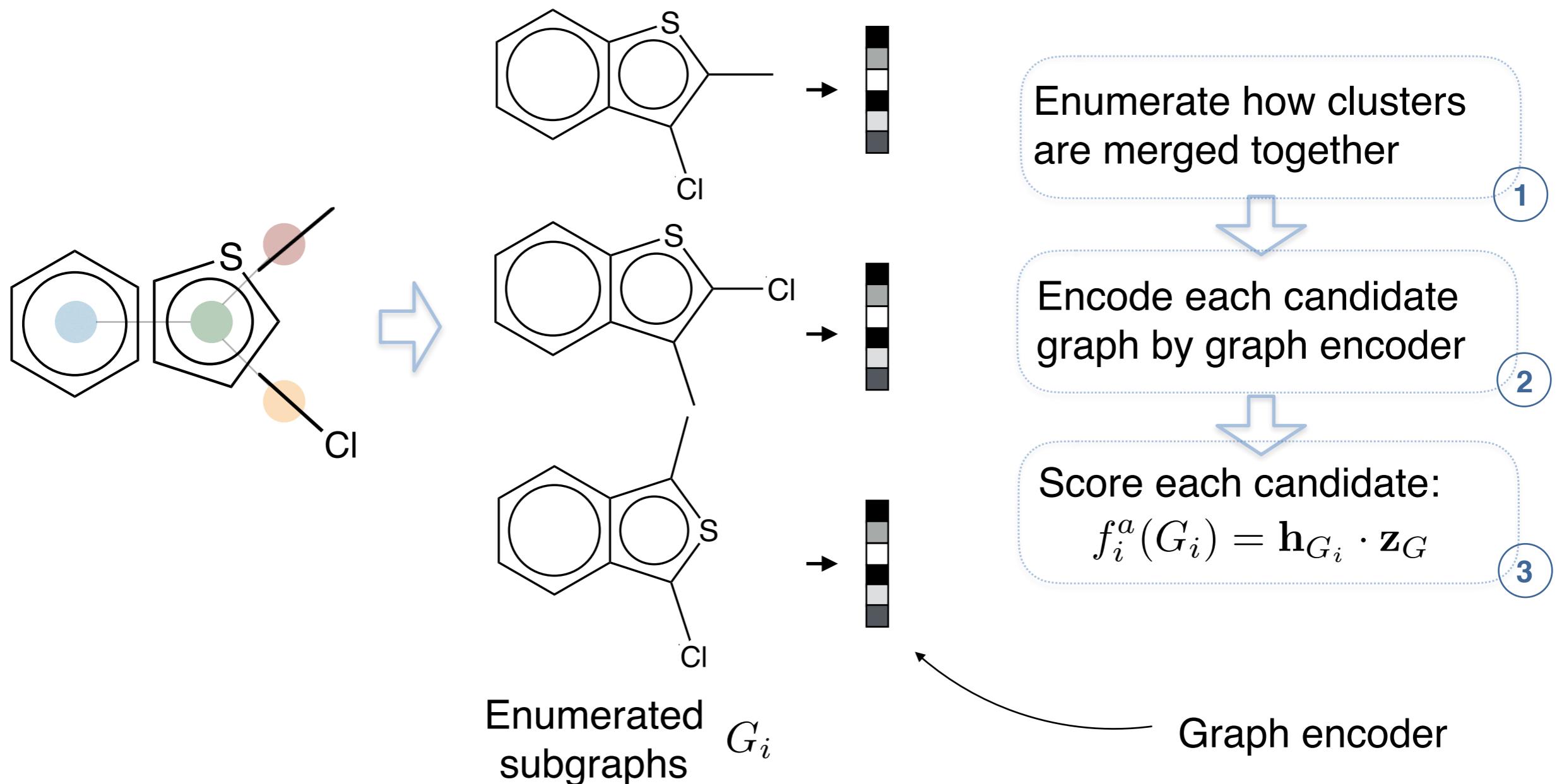
$$\mathbf{q}_j = \text{softmax}(\mathbf{U}^l \tau(\mathbf{W}_1^l \mathbf{z}_{\mathcal{T}} + \mathbf{W}_2^l \mathbf{h}_{i_j})) \quad (12)$$

$$\mathcal{L}_c(\mathcal{T}) = \sum_t \mathcal{L}^d(p_t, \hat{p}_t) + \sum_j \mathcal{L}^l(\mathbf{q}_j, \hat{\mathbf{q}}_j) \quad (13)$$

Graph Decoder

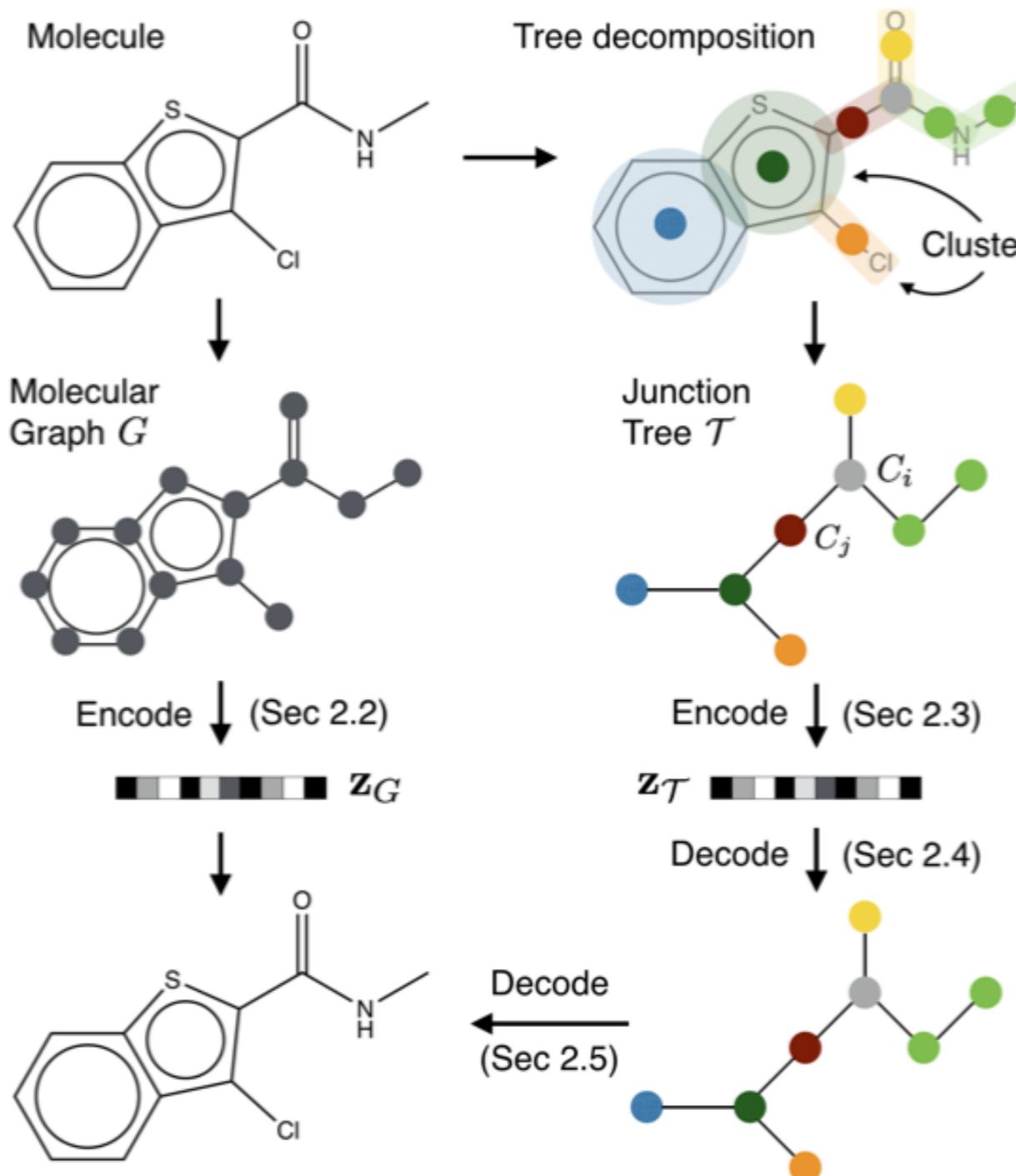


Graph Decoder



$$\mathcal{L}_g(G) = \sum_i \left[f^a(G_i) - \log \sum_{G'_i \in \mathcal{G}_i} \exp(f^a(G'_i)) \right] \quad (16)$$

Training? VAE?



- The KL divergence part on the latent space is not discussed in the paper.
- \mathbf{z}_G is only used for generated subgraphs ranking so not clear how it falls in the VAE paradigm.
- From the code, training is with KL annealing following “Generating Sentences from a continuous space” paper by Bowman et al.

Experiments

- **Data:** 250K compounds from ZINC dataset
- **Molecule Generation:** How many molecules are valid when sampled from Gaussian prior?
- **Molecule Optimization**
 - **Global:** Find the best molecule in the entire latent space.
 - **Local:** Modify a molecule to increase its potency

Baselines

SMILES string based:

1. Grammar VAE (GVAE) (Kusner et al., 2017);
2. Syntax-directed VAE (SD-VAE) (Dai et al., 2018)

Graph based:

1. Graph VAE (Simonovsky & Komodakis, 2018)
2. DeepGMG (Li et al., 2018)

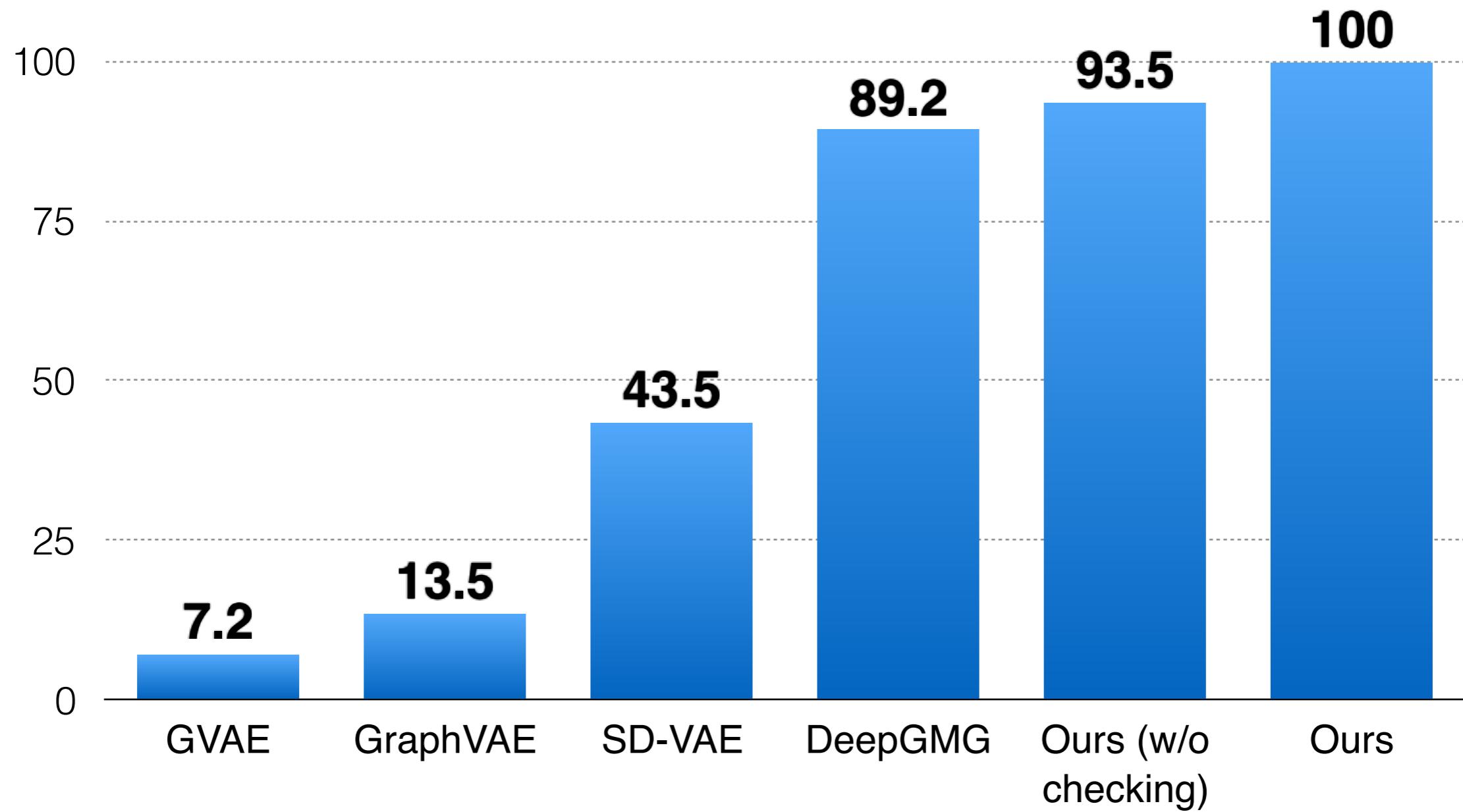
[2] Li et al., Learning Deep Generative Models of Graphs, 2018

[5] Kusner et al., Grammar Variational Autoencoder, 2017

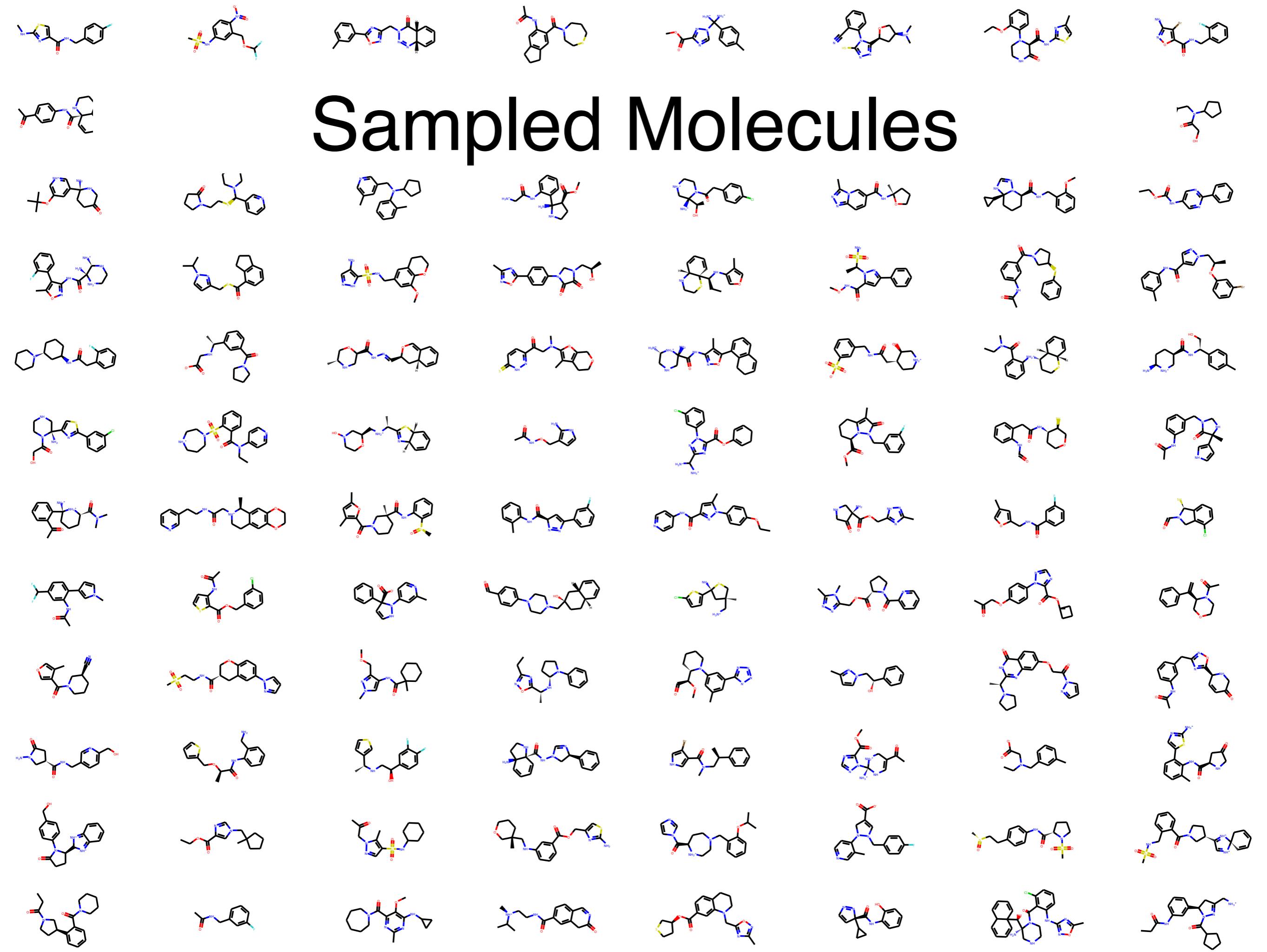
[6] Dai et al., Syntax-directed Variational Autoencoder for structured data, 2018

[7] Simonovsky & Komodakis, GraphVAE: Towards generation of small graphs using variational autoencoders

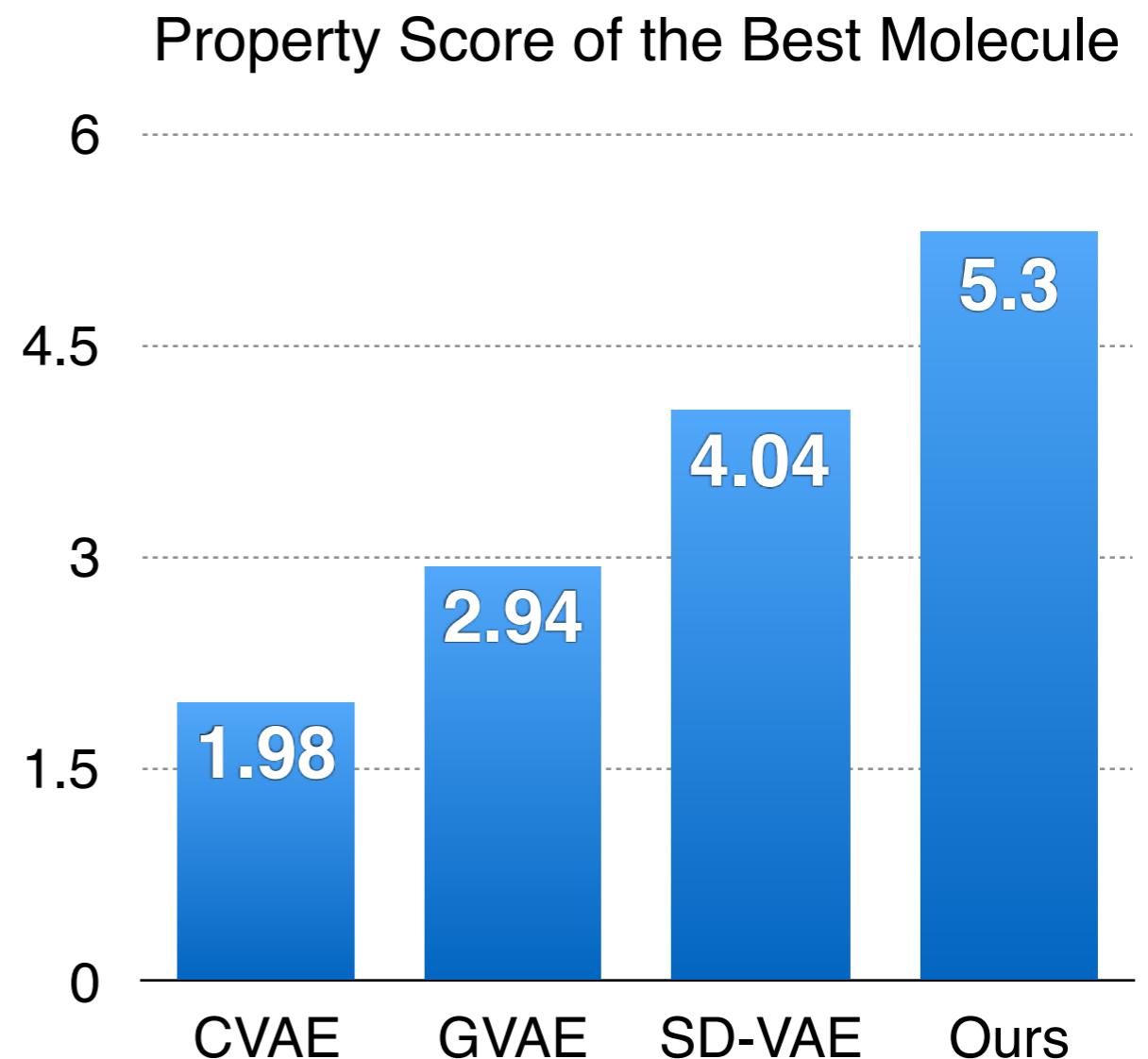
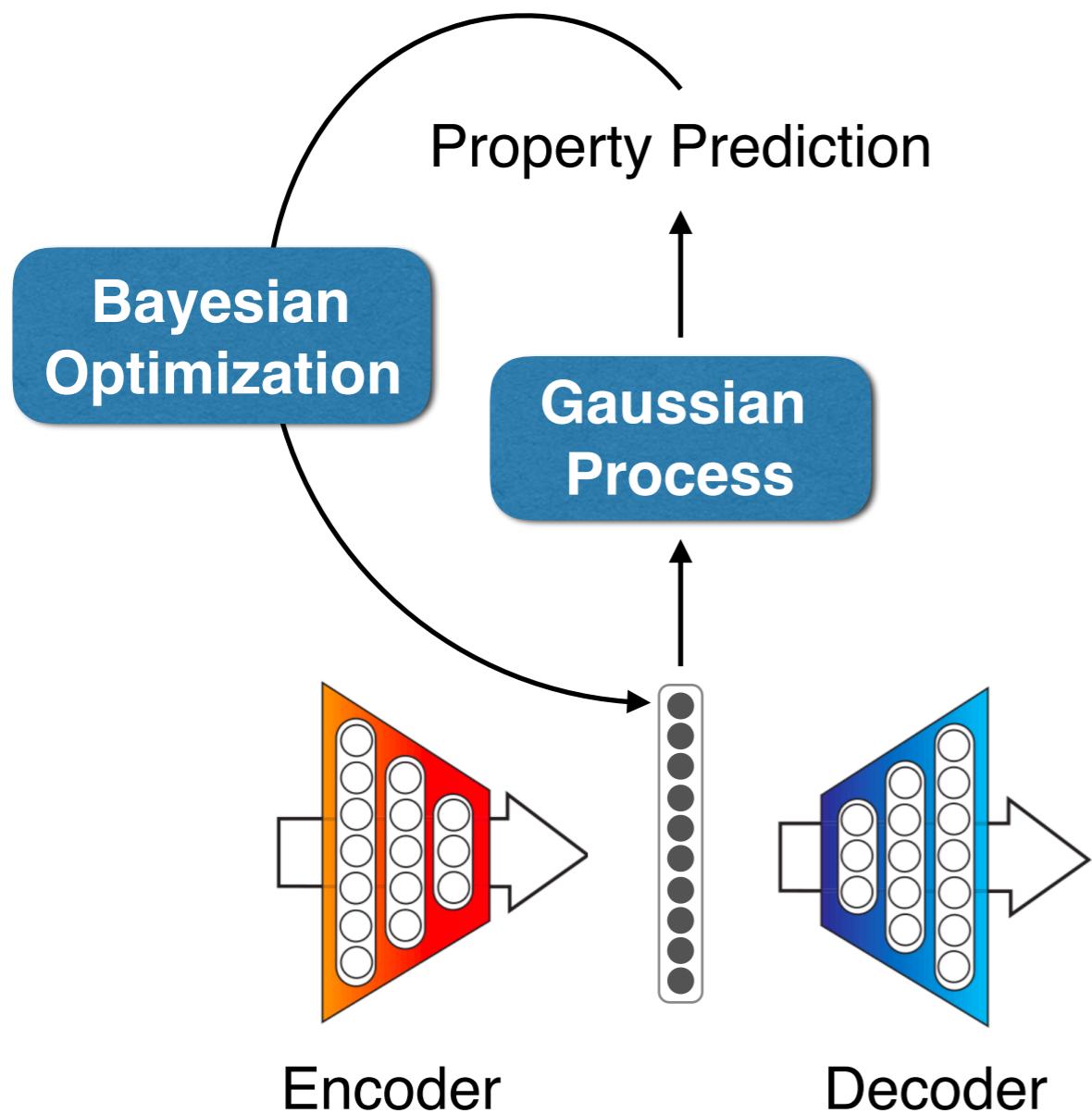
Molecule Generation (Validity)



Sampled Molecules

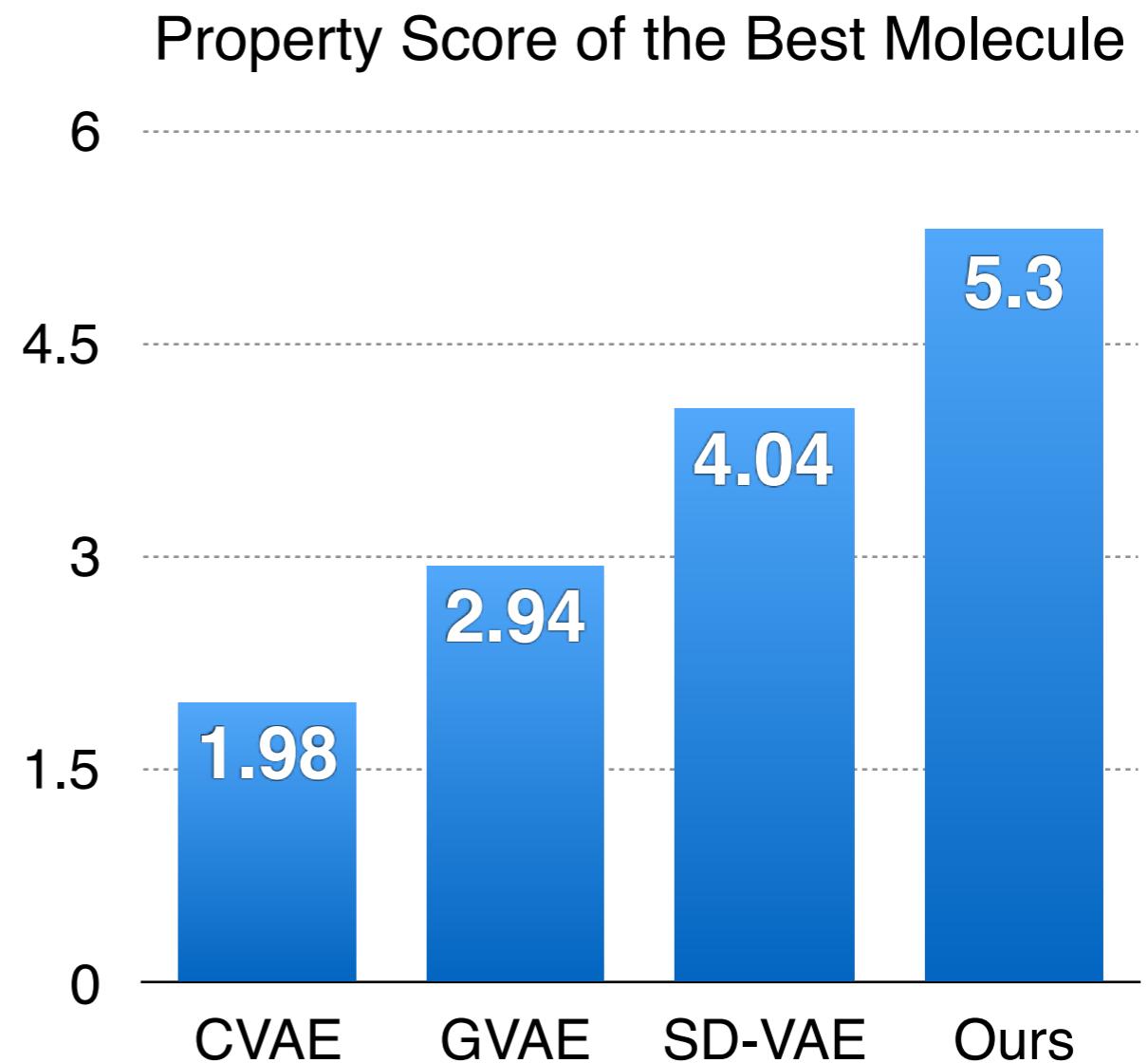
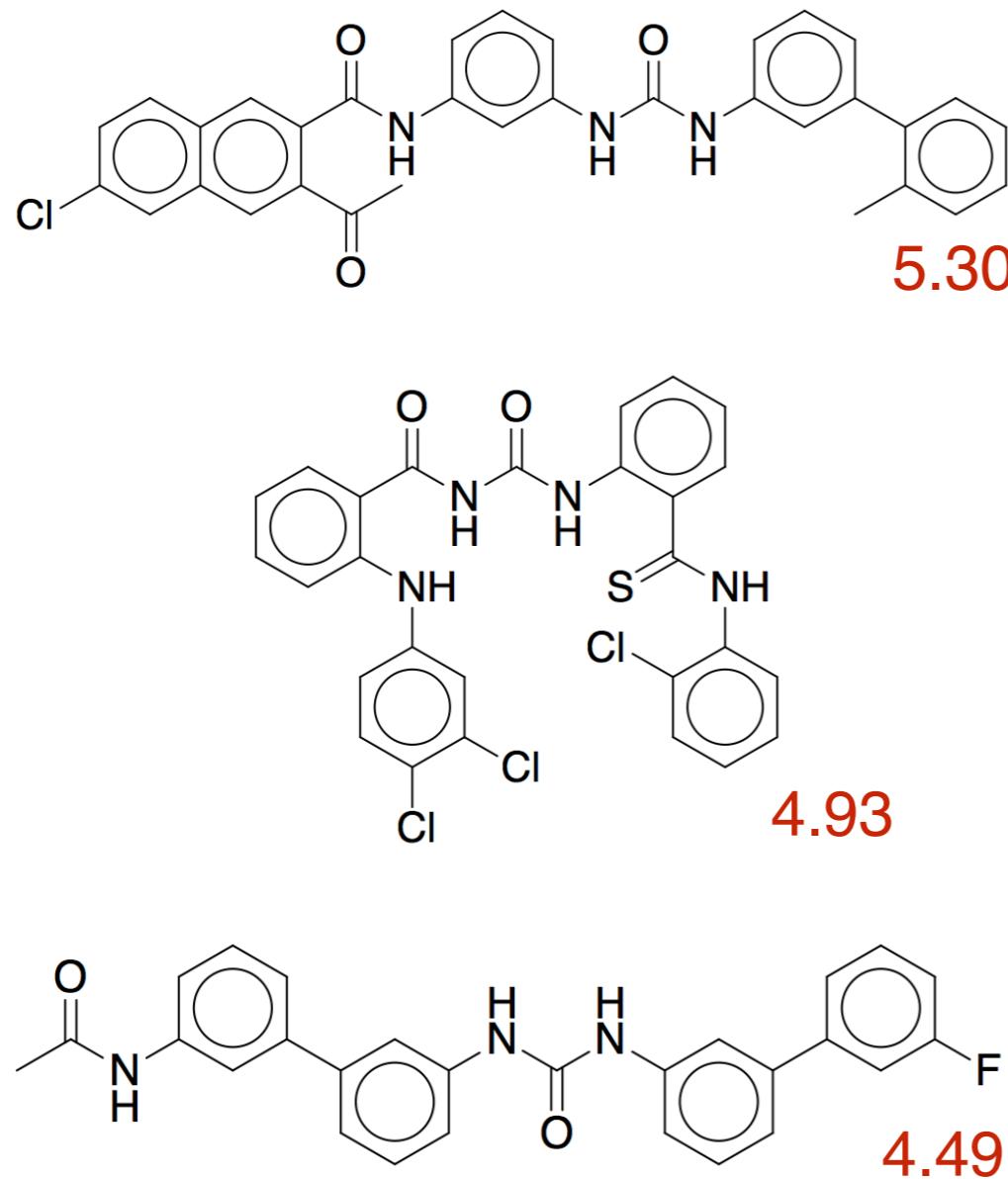


Molecule Optimization (Global)



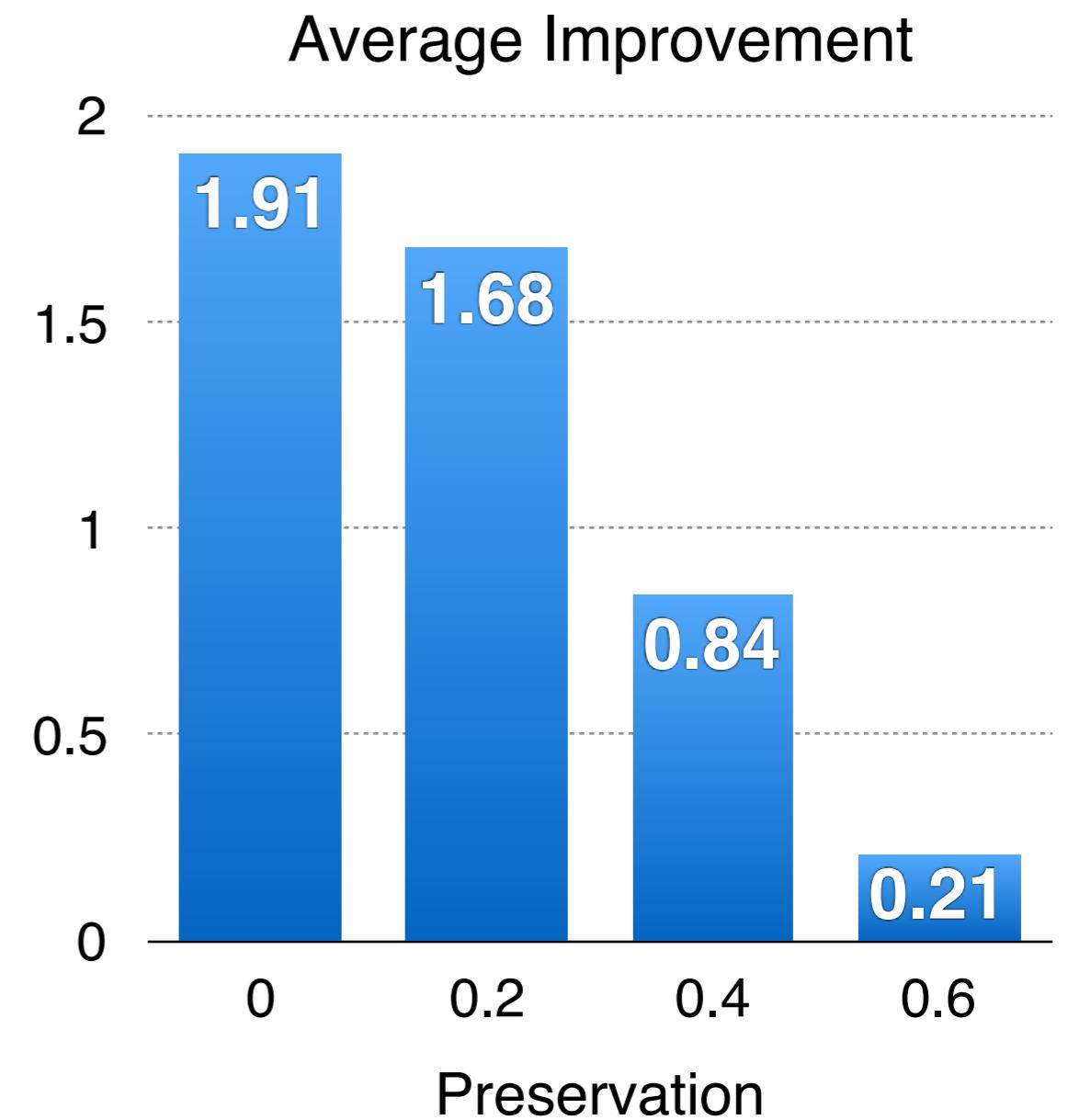
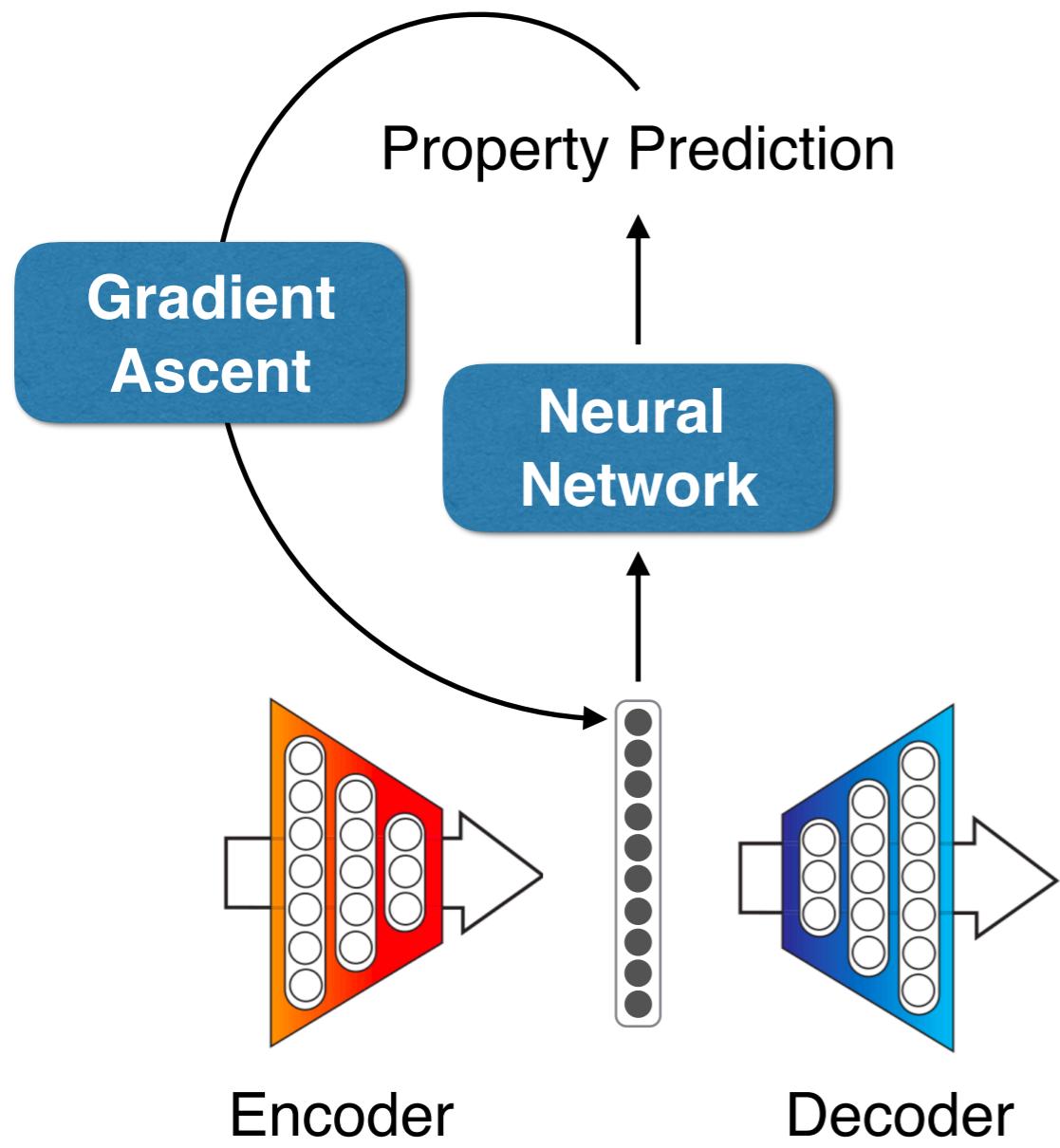
Property: Solubility + Ease of Synthesis

Molecule Optimization (Global)

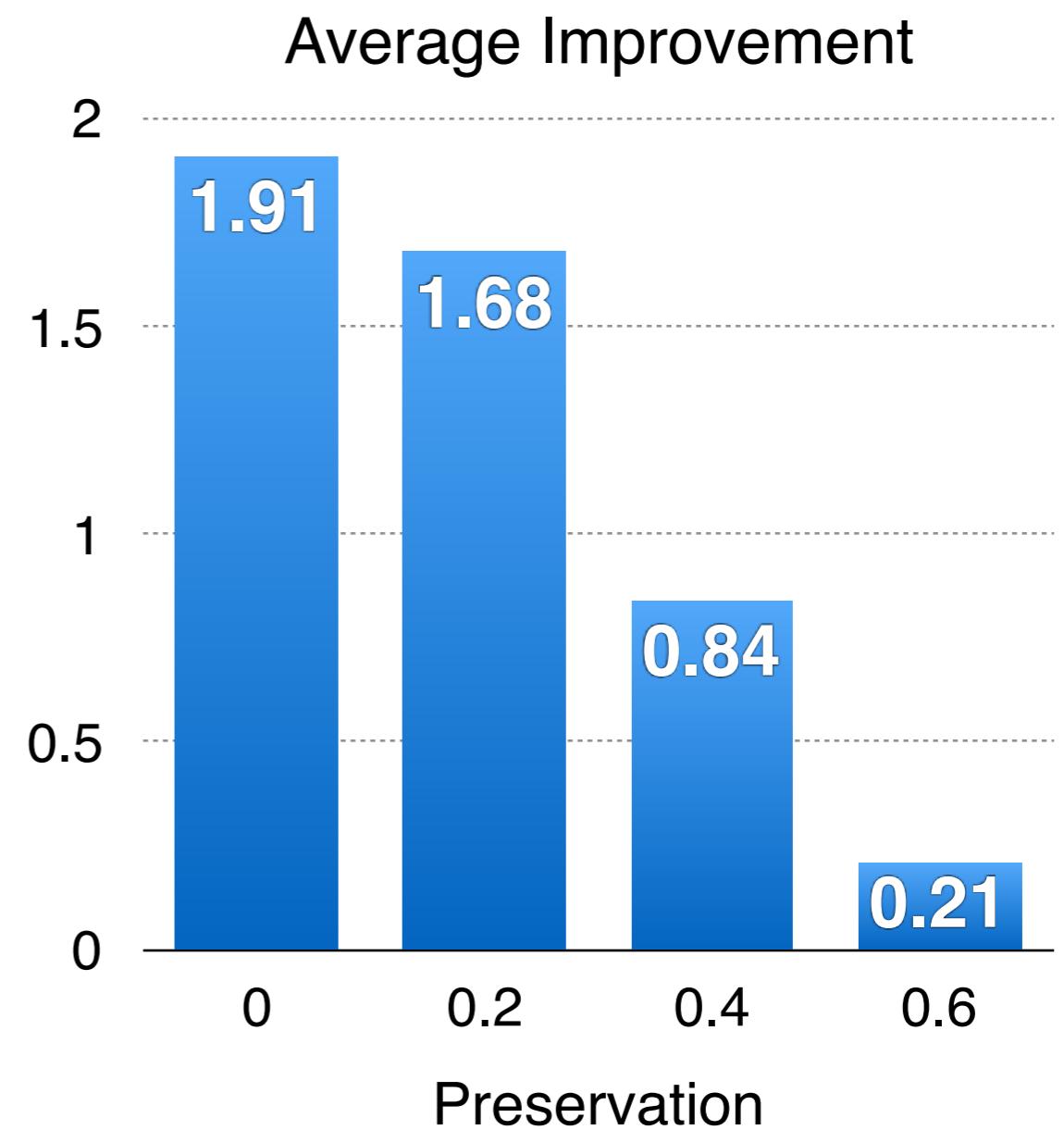
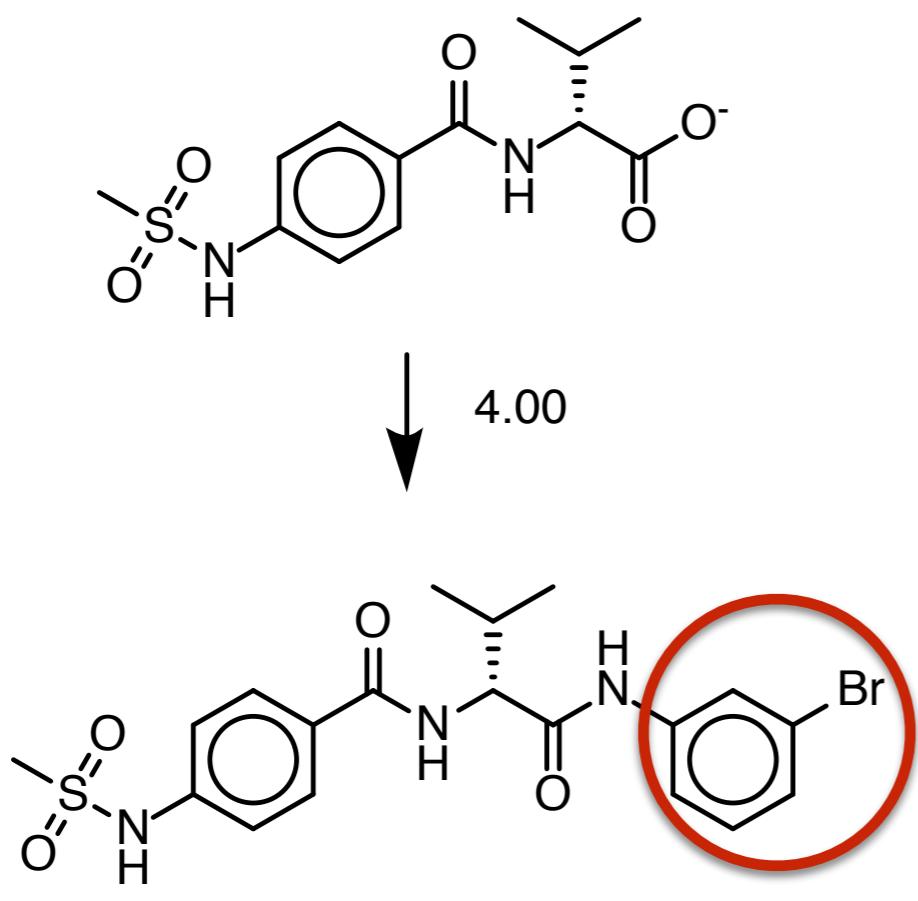


Property: Solubility + Ease of Synthesis

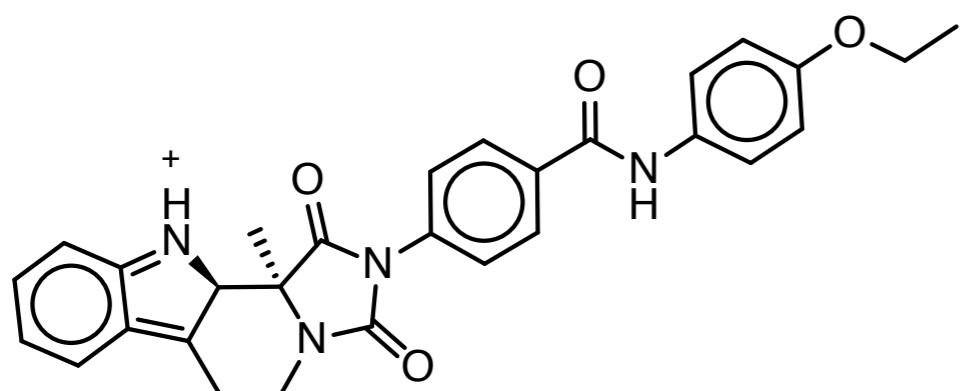
Molecule Optimization (Local)



Molecule Optimization (Local)

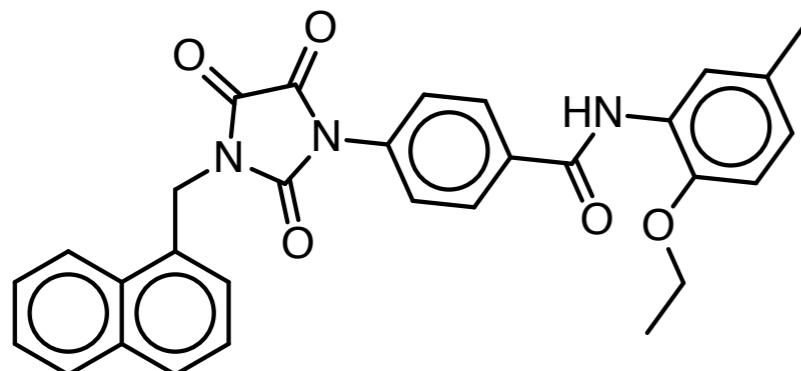


Molecule Optimization (Local)

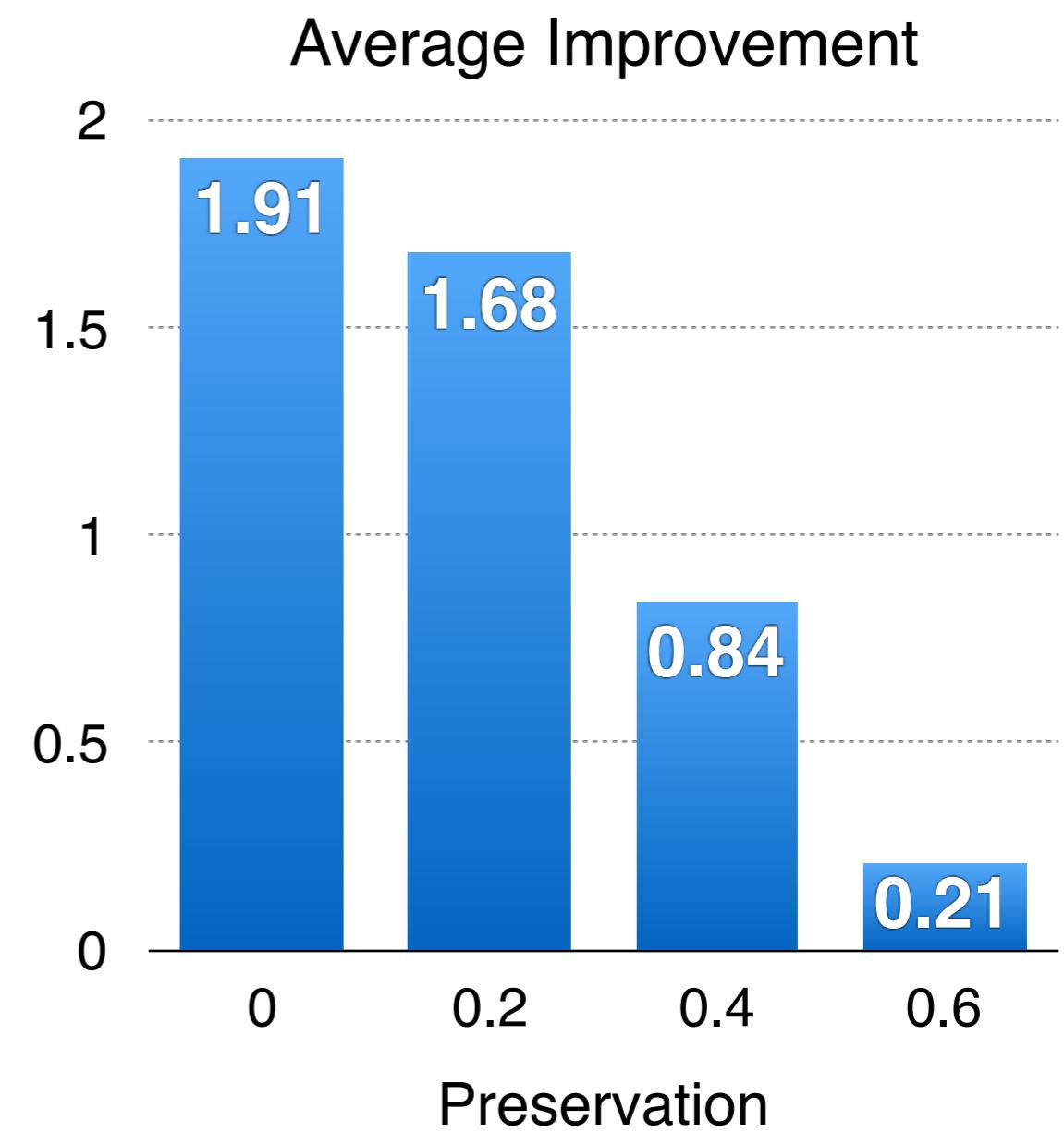


↓

5.69



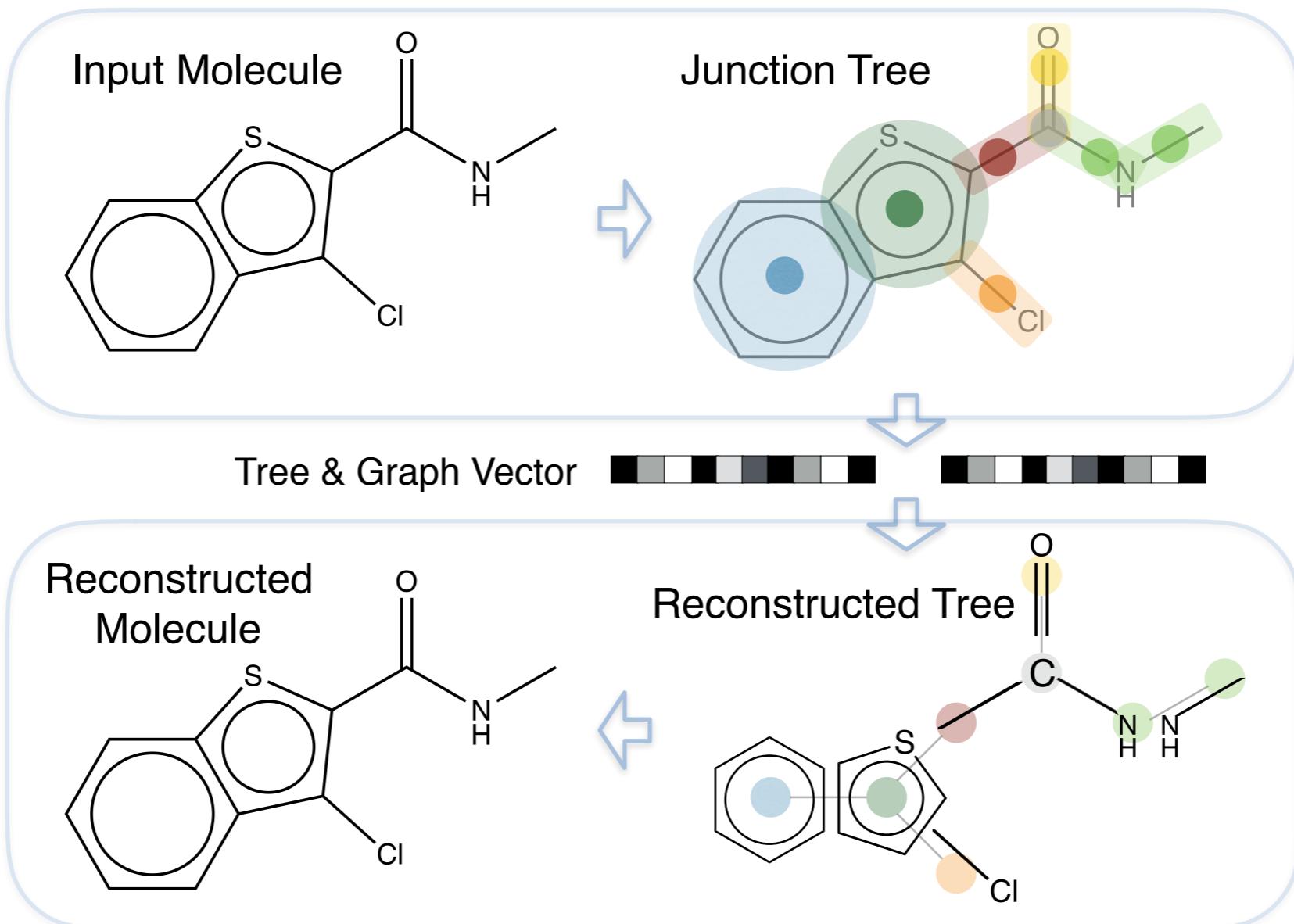
Preservation ≈ 0.4



Discussion

- “word level” prediction can offer significant improvement by shortening the decision process.
- Latent space optimization is an interesting and powerful technique.
- “Teacher forcing” introduces data bias which can be reduced via RL techniques and the GAN complete graph valuation approach.
- Similar to SMILES this paper samples a random order in the graph tree structure when: using an arbitrary minimal spanning tree, choosing an arbitrary node to be the root of the tree, choosing a random ordering of the children of each tree node.

Thanks



Original code is available at: <https://github.com/wengong-jin/icml18-jtnn>