

Spiking Neural P system without delay simulator implementation using GPGPU

University of the Philippines Diliman:

Francis Cabarle

Henry Adorna

University of Seville:

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Outline

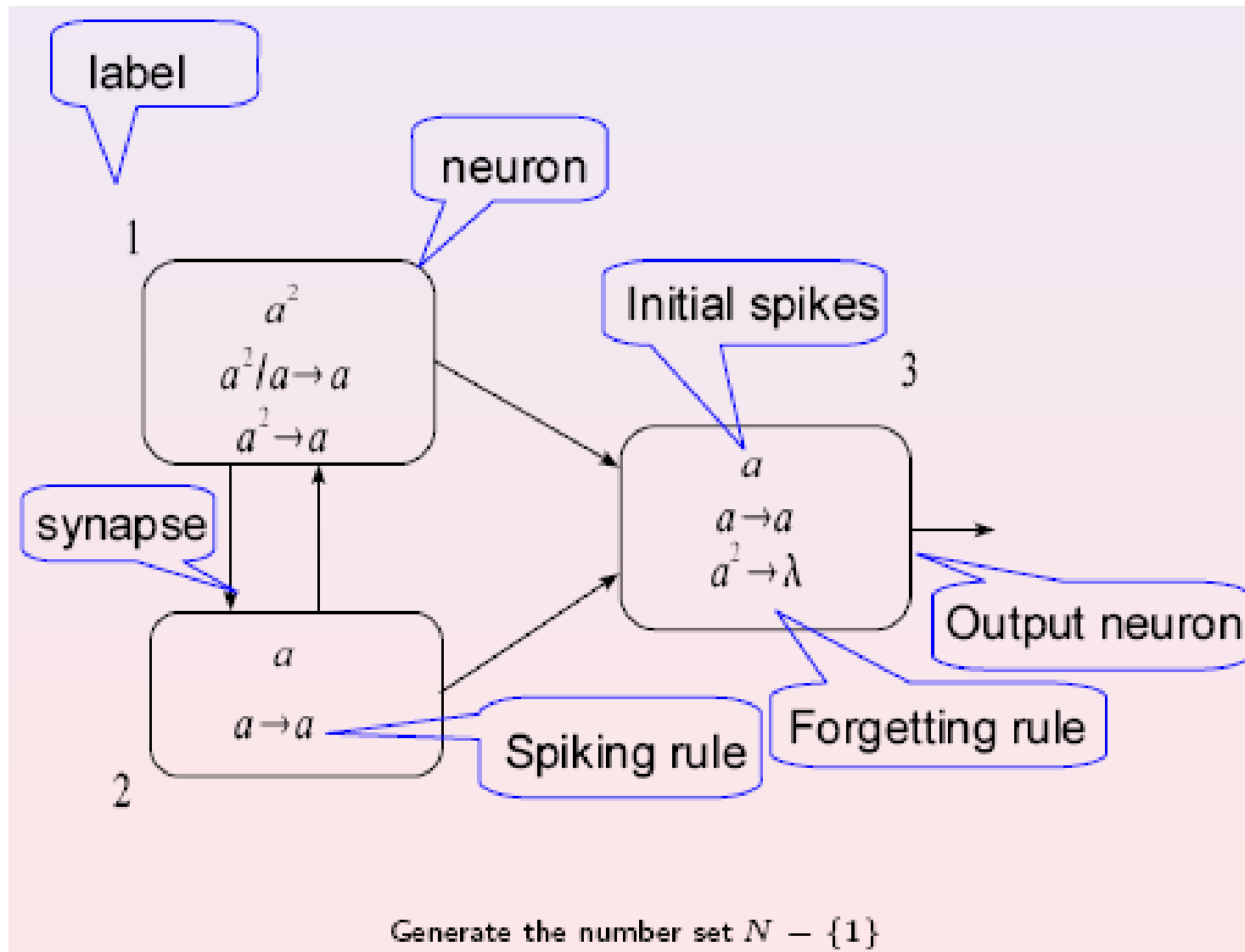
- Spiking Neural P systems (SNP)
- Matrix representation
- GPU computing
- Simulation algorithm
- Future work

SNP system definition

$$\Pi = (O, \sigma_1, \dots, \sigma_m, \text{syn}, \text{in}, \text{out}),$$

- 1) $O = \{a\}$, the singleton alphabet of spike a ;
 - 2) $\sigma_i = (n_i, R_i)$, $1 \leq i \leq m$, neurons, where:
 - 1) n_i : initial number of spikes
 - 2) R_i : a finite set of rules
 - 1) spiking rule: $E/a^c \rightarrow a^p$, E is a regular expression over a ;
 - 2) forgetting rule: $a^s \rightarrow \lambda$, for $s \geq 1$;
 - 3) syn , synapses between neurons;
 - 4) $\text{in}, \text{out} \in \{1, 2, \dots, m\}$, the input and the output neurons.
- A global clock is used in the synchronous systems.

Simple example of SNP



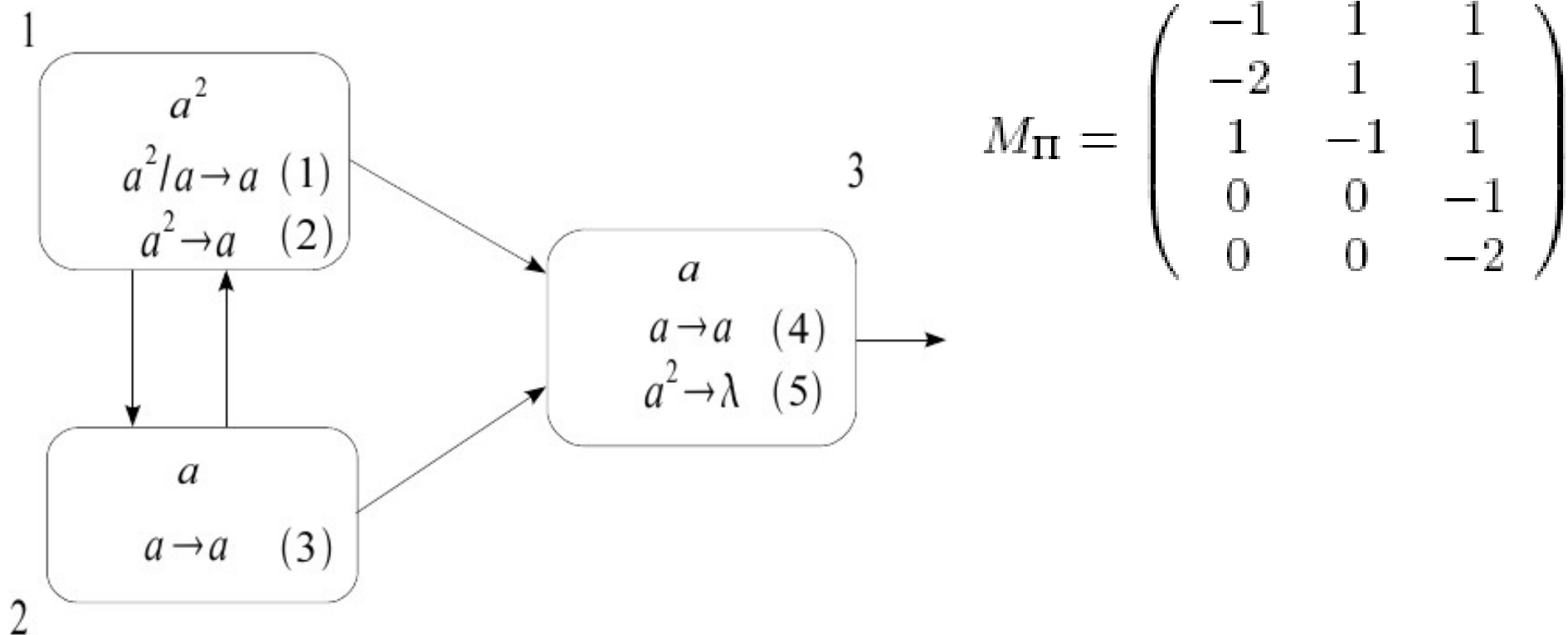
*Xiangxiang
Zeng*

Matrix representation

- Previous work by Xiangxiang Zeng et al. presented in:
 - *X. Zeng, H. Adorna, M.A. Martínez-del-Amor, L. Pan. “When Matrices Meet Brains”, 8th BWMC.*
 - *X. Zeng, H. Adorna, M.A. Martínez-del-Amor, L. Pan, M.J. Pérez-Jiménez. “Matrix Representation of Spiking Neural P Systems”, CMC11.*

Matrix representation

- Configuration vector (C_k): $C_0 = (2,1,1)$
- Spiking vectors (S_k): $(1,0,1,1,0), (0,1,1,1,0)$
- Spiking transition matrix (M_Π):



Matrix representation

- Next configuration is calculated by:

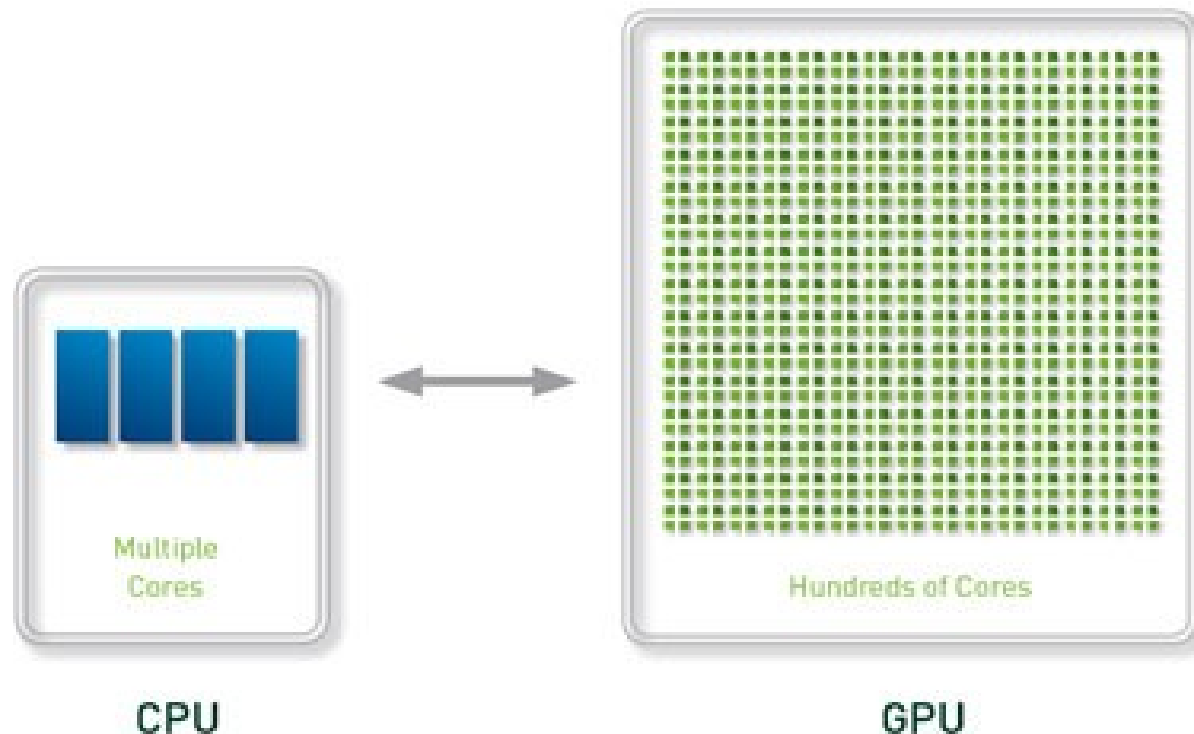
$$C_{k+1} = C_k + S_k * M_{\pi}$$

- Matrix operations are very optimized on the GPU.
- A GPU based simulator for SNP system.

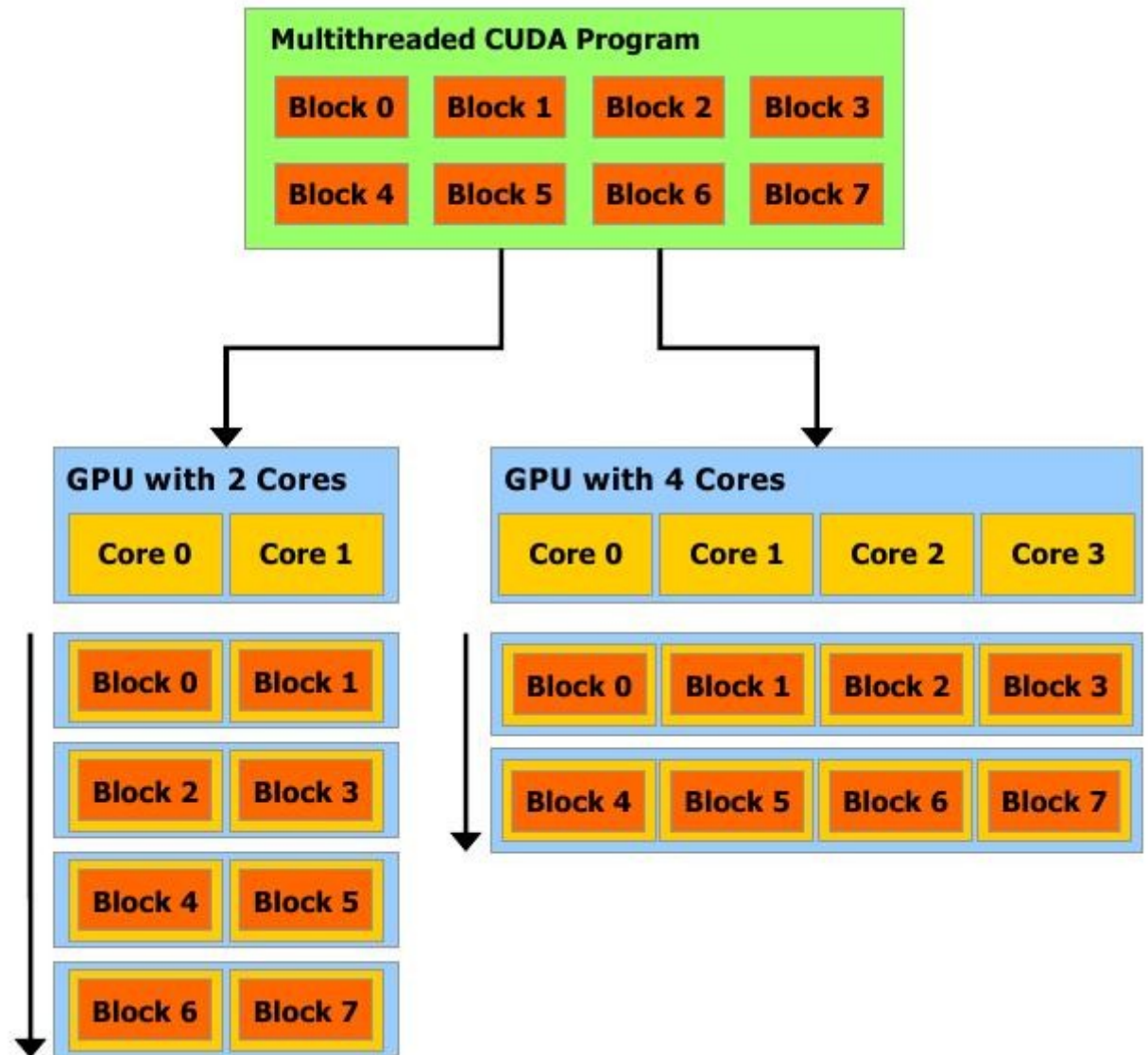


GPU computing

- GPGPU: techniques for using the GPU as a massively parallel co-processor.
- *Host*: the CPU vs *Device*: the GPU



GPU computing: CUDA



Simulation algorithm

- First version:
 - Rules of type $E/a^c \rightarrow a^p$ where $E=a^c$
 - Simulation of non-determinism
- Two stopping criteria:
 - Zero configuration vector
 - Repetition of configuration vectors
- Host side (python/C):
 - Read/write matrices and calculate spiking vectors
- Device side (CUDA):
 - Matrix addition and multiplication

Simulation algorithm

- Overview:
 - I. Load inputs (Host):
 - ♦ Configuration vector: *confVec*
 - ♦ Transition matrix: *M*
 - ♦ Rule criteria: *r*
 - II. Calculate all spiking vectors (Host):
 - ♦ All possible *spikVec* from all configurations *confVec*
 - III. Calculate next configurations (Device):
 - ♦ For each spiking vector, calculate the next configurations.
 - IV. Repeat I, II and III until stopping criteria satisfies.

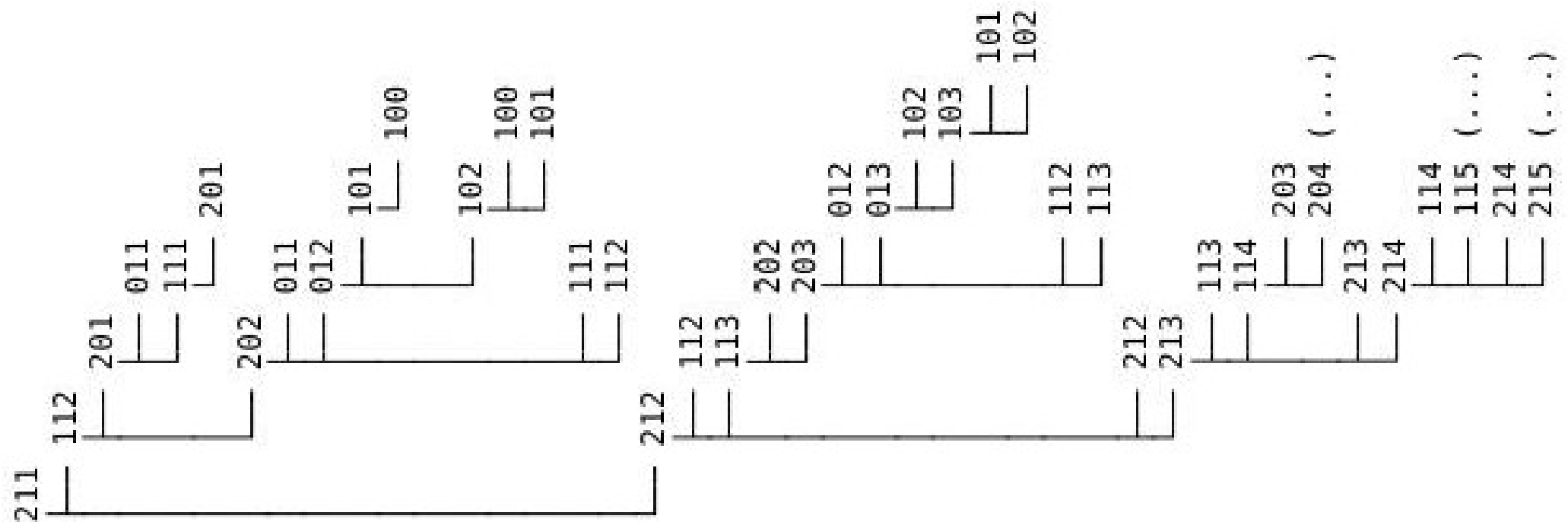
Output of the simulator

- The list of all possible configurations C_k

$allGenCk = ['2-1-1', '2-1-2', '1-1-2', '2-1-3', '1-1-3', '2-0-2', '2-0-1', '2-1-4', '1-1-4', '2-0-3', '1-1-1', '0-1-2', '0-1-1', '2-1-5', '1-1-5', '2-0-4', '0-1-3', '1-0-2', '1-0-1', '2-1-6', '1-1-6', '2-0-5', '0-1-4', '1-0-3', '1-0-0', '2-1-7', '1-1-7', '2-0-6', '0-1-5', '1-0-4', '2-1-8', '1-1-8', '2-0-7', '0-1-6', '1-0-5', '2-1-9', '1-1-9', '2-0-8', '0-1-7', '1-0-6', '2-1-10', '1-1-10', '2-0-9', '0-1-8', '1-0-7', '0-1-9', '1-0-8', '1-0-9']$

Output of the simulator

- Tree of configurations:



Future work

- To automatically generate the graphical tree of configurations.
- More general regular expressions.
- Simulate SNP system with delay.
- Backwards computation.
- Improve the CUDA code performance:
 - Byte-compiling the python code.
 - Use optimized algorithms for matrix multiplication.

THANKS FOR YOUR ATTENTION

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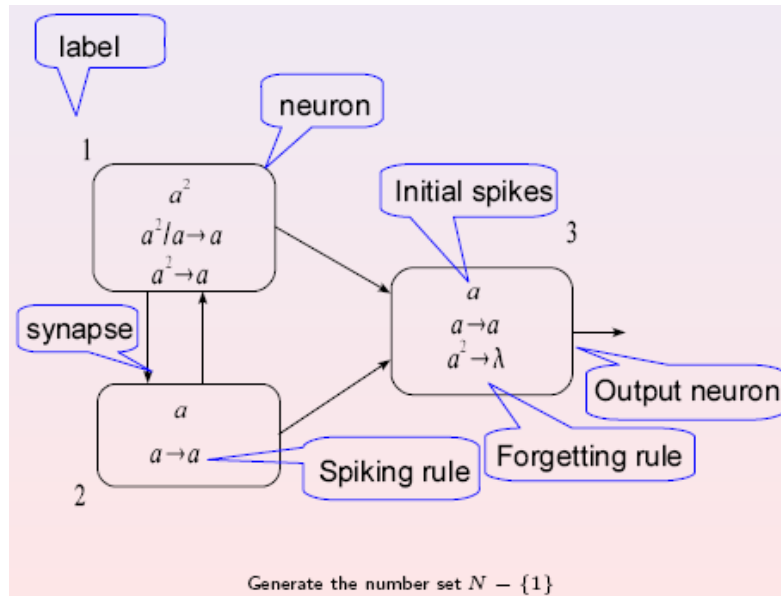
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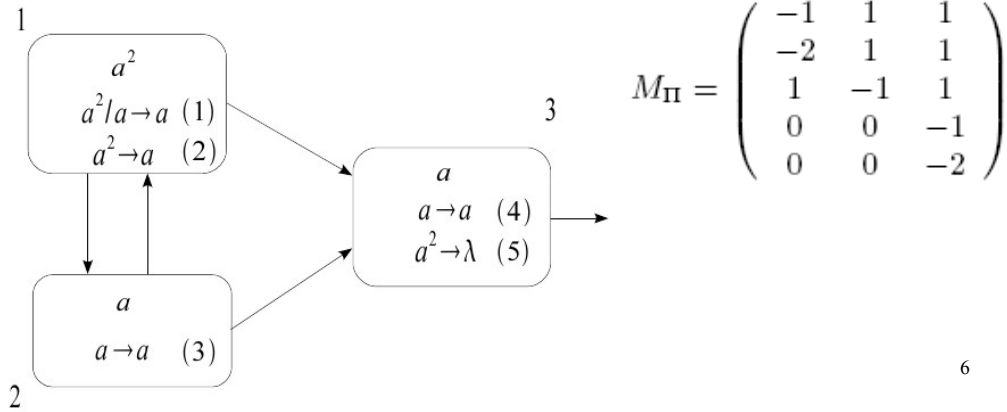
Xiangxiang Zeng ⁴

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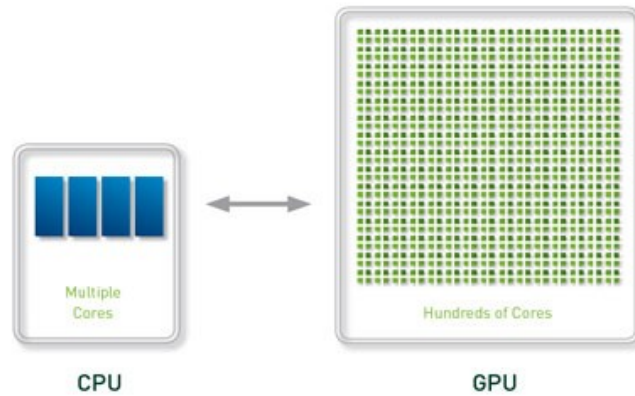
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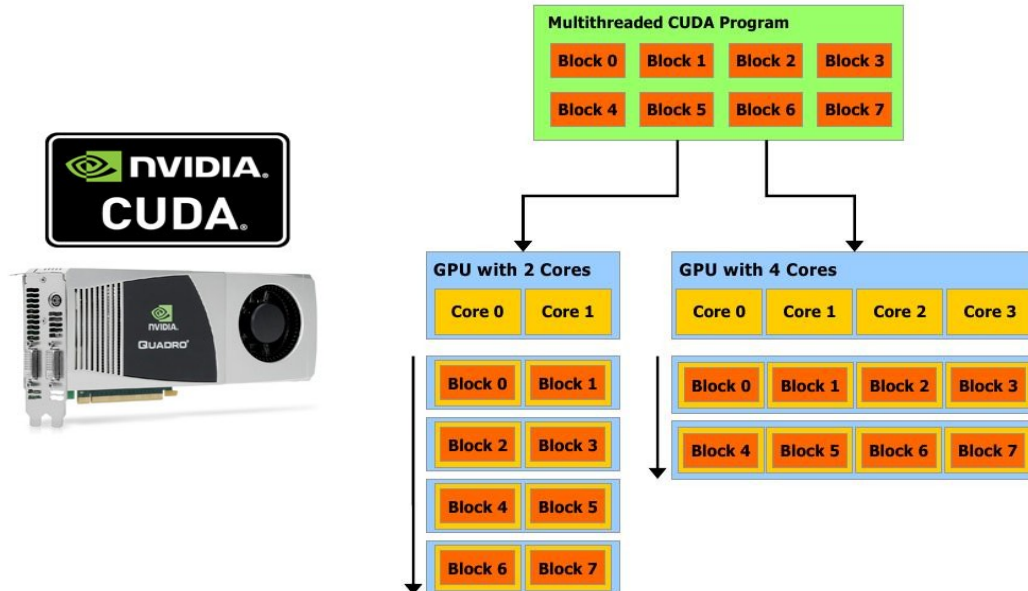


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* Repetition of configuration vectors
=> to prevent infinite loops.

* Host side (python/C):
=> Python (OOP language) for string manipulations.
=> produce All possible *and* valid spiking vectors

* Device side (CUDA):
=> outsourcing of highly repetitive work

Simulation algorithm

- Overview:

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II. => produce All possible *and* valid spiking vectors.

$\Sigma = |r|$, total number of neurons

$\Psi = |\sigma V 1| |\sigma V 2| \dots |\sigma V n|$, $n \in \mathbb{N}$, $n \leq \infty$

Where $|\sigma V n|$ means the total count of the number of rules in the n th neuron which satisfy the regular expresion E . Ψ gives the expected number of valid and possible Sks which should be produced in a given configuration.

Output of the simulator

- The list of all possible configurations C_k

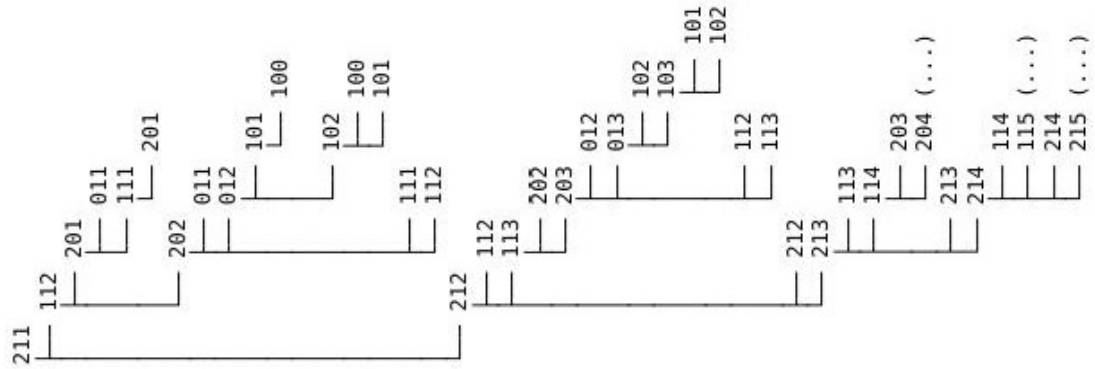
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All possible C_k , else, infinite loops (as seen in the configuration tree next)

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* Use optimized algorithms for matrix multiplication => work on optimized algorithms for sparse matrix operations applied to GPGPUs

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