

Tomtit: Hierarchical Federated Fine-Tuning of Giant Models based on Autonomous Synchronization

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1. Introduction

2. Background and Motivation

3. Design of Tomtit

4. Evaluation

5. Conclusion

Introduction



Development of large models:



ChatGPT



Midjourney

Llama 3



DALL-E 2



Gemini



HaVA-1.5

Figure: Large models are popular now

- Large models in various fields start to evolve into giant ones to pursue emergent abilities.
- Fine-tuning the pre-trained models using data of specific tasks is a typical usage pattern now.
- Due to the privacy security, fine-tuning for specific tasks is usually short of data.

Introduction



FL disadvantages:

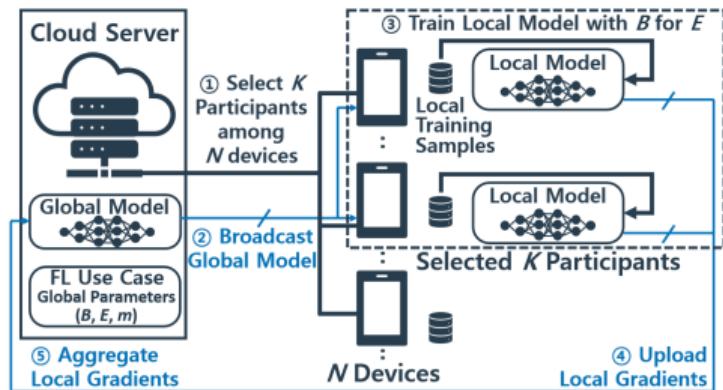


Figure: Overview of FL

- Communication difficulty
- Not conducive to large-scale deployment

HFL advantages:

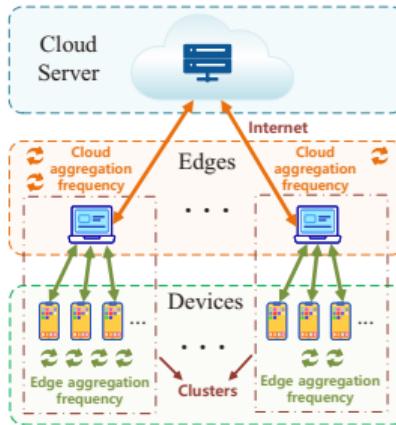


Figure: Overview of HFL

- Optimized communication
- Improve scalability

Introduction



Hierarchical federated learning (HFL):

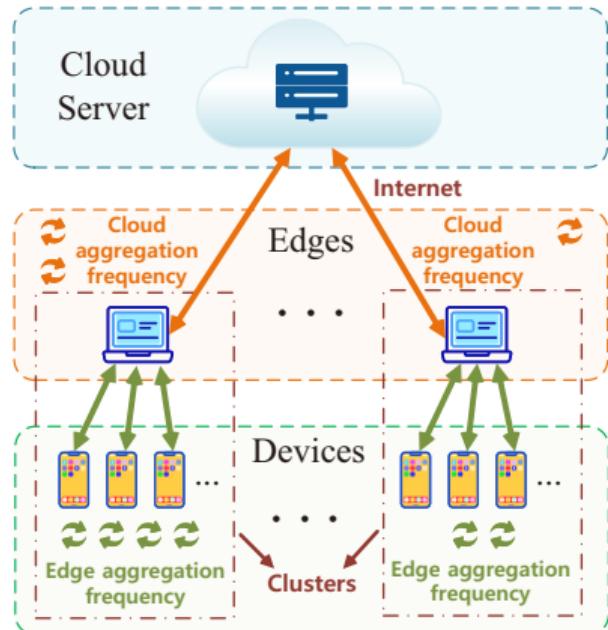


Figure: Overview of HFL

Training of HFL:

- Local training: Models deployed on devices
- Edge aggregation: Devices upload models to edges
- Cloud aggregation: Edges upload models to cloud

Challenge:

- Device heterogeneity
- Edge environment is dynamic
- Distribution of data changes

Our Work

How to design a fine-tuning system that can accelerate federated fine-tuning and improve energy efficiency?



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Background and Motivation



Hierarchical federated learning:

- Local SGD(Device j):

$$f_j(w_j) = \frac{1}{|\mathcal{D}_j|} \sum_{(x,y) \in \mathcal{D}_j} f_j(w_j, x, y)$$

- Edge aggregation(Edge i):

$$w_i^e = \sum_{j=1}^{N_i} \frac{|\mathcal{D}_j| w_j}{\sum_{j=1}^{N_i} |\mathcal{D}_j|}$$

- Cloud aggregation:

$$w = \sum_{i=1}^M \frac{|\mathcal{D}_i| w_i^e}{\sum_{i=1}^M |\mathcal{D}_i|}$$

Hierarchical federated fine-tuning:

- Freeze backbone network parameters, **fine-tune the adapter** locally.
- During aggregation, only **adapter parameters** are **uploaded** for aggregation.

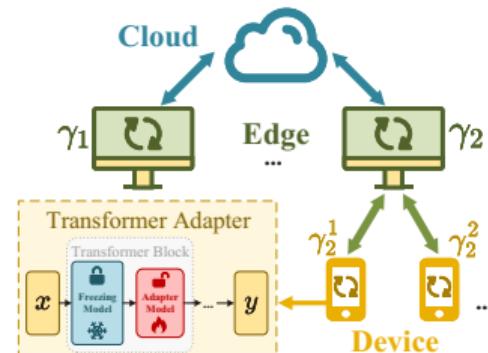


Figure: Framework of hierarchical federated fine-tuning

Background and Motivation



Influence of adapters:

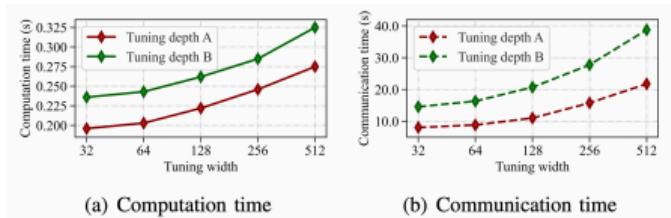


Figure: Overhead of adapter-based fine-tuning

- Adapters can be customized by adjusting **depth** and **width**.
- Different adapter configurations, leading to varying local **training time**, **communication time**.
- Test on a transformer-based Bert model trained with the T-Rex dataset.

Influence of device heterogeneity:

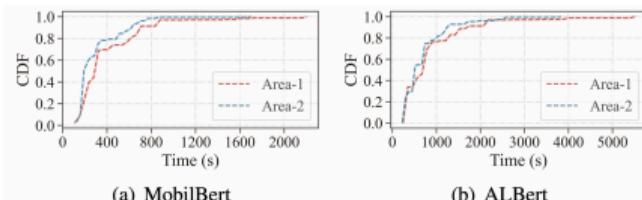


Figure: Computing capability statistics under different edges

- Measure the **computing capability** by Measuring Broadband America (MBA) and AI Benchmark.
- The distribution indicate **heterogeneity among devices** at network and computation capability.
- The distribution between areas suggests **heterogeneity between edges**.

Observation 1

Hierarchical federated fine-tuning systems have strong heterogeneity.

Background and Motivation



Influence of model synchronization frequency:

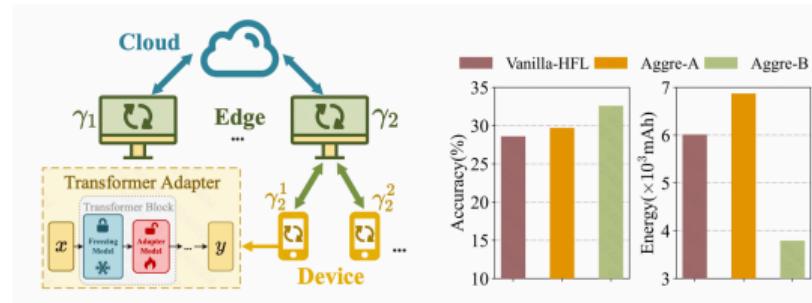


Figure: Accuracy and efficiency of different schemes

- System setting: A **testbed** consisting of 50 Raspberry Pis as devices and 5 laptops as edges.
- Aggre-A: Synchronization frequencies of devices whose CPU utilization is less than 30% are set to 5, and others are 1.
- Aggre-B: Conduct a **fine-grained control** by setting synchronization frequencies proportional to device CPU utilization.

Observation 2

Applying HFL federated fine-tuning by a sophisticated synchronization scheme exists a large optimization space.

Background and Motivation



Centralized control challenges:

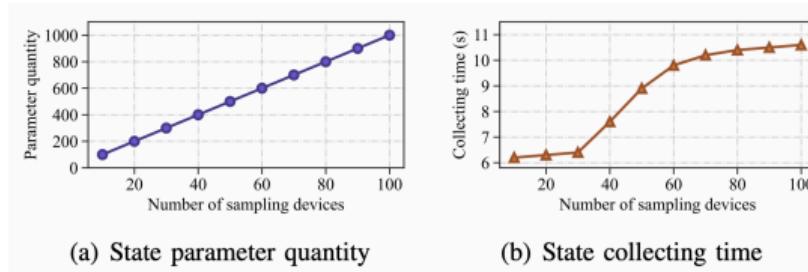


Figure: Overhead of centralized control in large-scale systems

- Almost all works are based on centralized control, which needs to collect global system states and run complex algorithms.
- The number of **system parameters** collected for centralized control linearly increases as the growth of devices.
- The time needed for **decision making** also increases to an unaffordable level.

Observation 3

We need to design a distributed solution to address the bottleneck incurred by centralized control.



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Design of Tomtit



Overview of Tomtit:

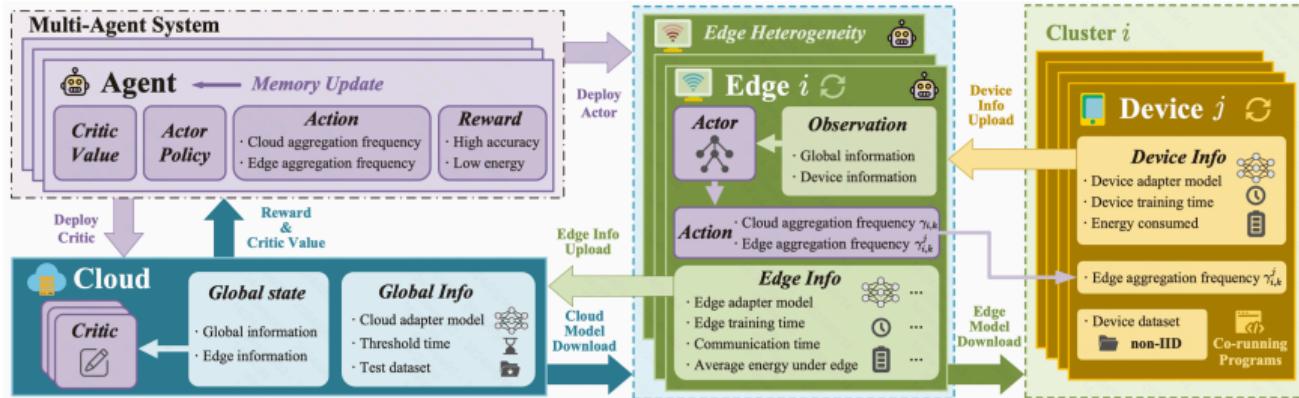


Figure: Tomtit design

Framework:

- Tomtit use a distributed synchronization control based on **Multi-Agent Reinforcement Learning**.
- Deploy a **control module** called an agent in each edge server, collecting information from server and devices.
- Each agent determines a **synchronization frequency** as the action for each associated device.

Design of Tomtit



Overview of Tomtit:

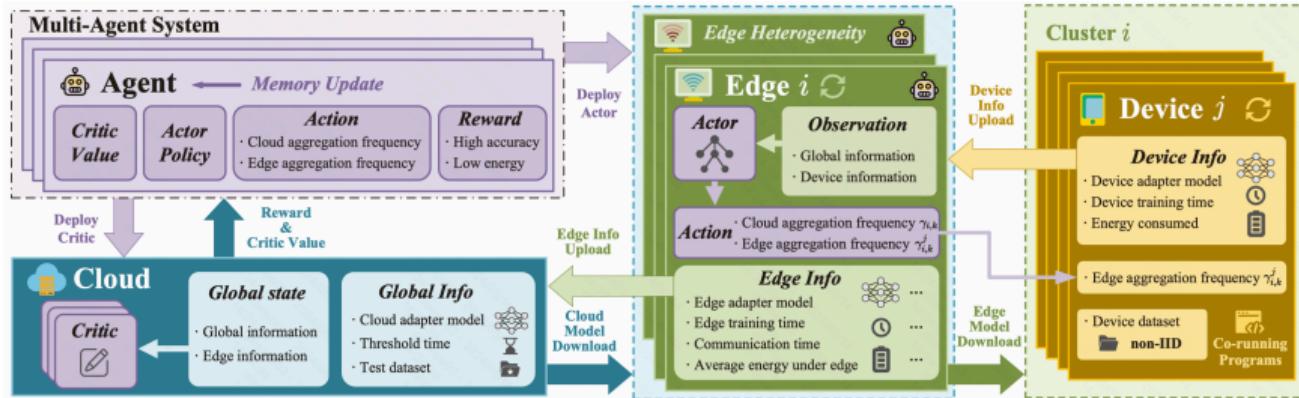


Figure: Tomtit design

Advantages:

- **High accuracy:** Aim to train adapters within a limited time to enhance model accuracy.
- **Low energy consumption:** Minimize the average energy consumption of devices as much as possible.
- **Autonomy:** Enable each agent to make independent and efficient decisions.

Design of Tomtit

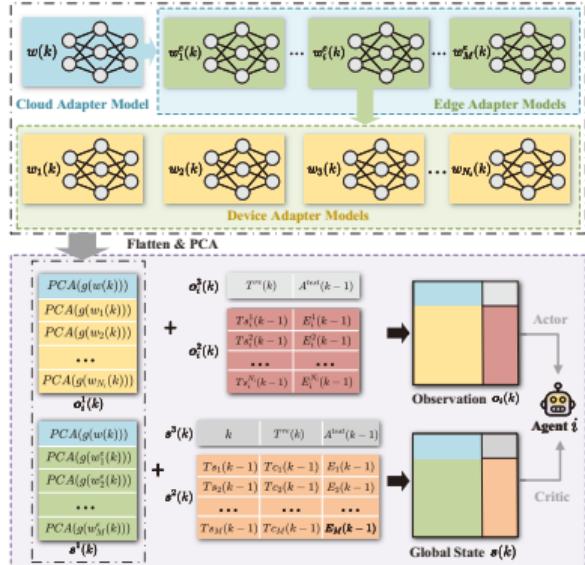


Figure: Composition of the observation and global state

The observation:

- Collect the observation for **actor networks** in the edges.
- Model parameters:
$$\mathbf{o}_i^1(k) = \text{PCA}\{[g(w(k))^T \ g(w_1(k))^T \ \dots \ g(w_{N_i}(k))^T]^T\}$$
- Time and energy consumption:

$$\mathbf{o}_i^j(k) = [Ts_i^j(k-1) \ E_i^j(k-1)]$$

$$\mathbf{o}_i^2(k) = [\mathbf{o}_i^1(k) \ \mathbf{o}_i^2(k) \ \dots \ \mathbf{o}_i^{N_i}(k)]^T$$

- Global information:

$$\mathbf{o}_i^3(k) = [T^{re}(k) \ A^{test}(k-1)]$$

- Splice:

$$\mathbf{o}_i(k) = \text{cat}\{(\mathbf{o}_i^1(k), \text{cat}\{(\mathbf{o}_i^3(k), \mathbf{o}_i^2(k)), \text{dim} = 0\}), \text{dim} = 1\}$$

Design of Tomtit



The global state:

Enhancement

- Separate the actor and critic network of the agent
- Collect the global state for **critic networks** in the cloud.

- Model parameters:

$$\mathbf{s}^1(k) = \text{PCA}\{[g(w(k))^T \ g(w_1^e(k))^T \dots \ g(w_M^e(k))^T]^T\}$$

- Time and energy consumption:

$$\boldsymbol{\varrho}_i(k) = [Ts_i(k-1) \ Tc_i(k-1) \ E_i(k-1)]$$

$$\mathbf{s}^2(k) = [\boldsymbol{\varrho}_1(k) \ \boldsymbol{\varrho}_2(k) \dots \ \boldsymbol{\varrho}_M(k)]^T$$

- Global information:

$$\mathbf{s}^3(k) = [k \ T^{re}(k) \ A^{test}(k-1)]$$

- Splice:

$$\mathbf{s}(k) = \text{cat}\{(\mathbf{s}^1(k), \text{cat}\{(\mathbf{s}^3(k), \mathbf{s}^2(k)), \text{dim} = 0\}), \text{dim} = 1\}$$

Design of Tomtit



Action:

- In each round of cloud communication, agent i determines its action $\mathbf{a}_i(k) = \{\gamma_{i,k}, \gamma_{i,k}^1, \gamma_{i,k}^2, \dots, \gamma_{i,k}^{N_i}\}$.

Reward:

- Denote the reward given to agent i , where $Q(u) = \Upsilon^u$:

$$r_i(k) = Q(A^{test}(k)) - Q(A^{test}(k-1)) - \epsilon E_i(k)$$

Workflows:

- Initialize the parameters;
- Train HFL for several rounds and train PCA modules;
- Agents make decision and choose action, push $(\mathbf{s}(k), \mathbf{o}_i(k), \mathbf{a}_i(k), r_i(k), \mathbf{s}(k+1), \mathbf{o}_i(k+1))$ to the memory;
- Repeat step 3 until $T^{re}(k) < 0$;
- Update each $Agent_i$ by state-action-reward in the agent's memory pool.

Algorithm 1 Tomtit's Training Process

```
1: Initialize round of cloud aggregations  $k = 0$ , threshold time  $T$ , remaining time  $T^{re}(0) = T$ , global model  $w(0)$ ,  $Agent_i$  for edge  $i$ ,  $i \in \mathbb{M}$ ;  
2: Train several cloud aggregation by given aggregation frequencies, get  $w(1)$ ,  $w_i^e(1)$ ,  $w_j(1)$ , and record  $T^{use}(1)$ ;  
3: Train PCA module by  $w(1)$ ,  $w_i^e(1)$ , and  $w_j(1)$ ;  
4: Update  $T_{init}^{re} = T^{re}(1) - T^{use}(1)$ ;  $k++$ ;  
5: for 1 to  $\Omega$  do  
6:   Get  $\mathbf{s}(k)$  and  $\mathbf{o}_i(k)$  for  $Agent_i$ ,  $i \in \mathbb{M}$ ;  
7:   while true do  
8:      $\mathbf{a}_i(k) = Agent_i.choose\_action(\mathbf{o}_i(k))$ ,  $i \in \mathbb{M}$ ;  
9:     Train HFL by  $\{\mathbf{a}_i(k)\}_{i \in \mathbb{M}}$ , record  $T^{use}(k)$  and update  $T^{re}(k) = T^{re}(k-1) - T^{use}(k)$ ;  
10:     $\mathbf{s}(k+1), \mathbf{o}_i(k+1), r_i(k) = Agent_i.step()$ ,  $i \in \mathbb{M}$ ;  
11:     $\tau_i^k = (\mathbf{s}(k), \mathbf{o}_i(k), \mathbf{a}_i(k), r_i(k), \mathbf{s}(k+1), \mathbf{o}_i(k+1))$ ;  
12:     $Agent_i.push(\tau_i^k)$ ,  $i \in \mathbb{M}$ ;  $k++$ ;  
13:    if  $T^{re}(k) < 0$  then  
14:      Set  $k = 1$ ,  $T^{re}(k) = T_{init}^{re}$ ;  
15:      break  
16:    end if  
17:  end while  
18:   $Agent_i.PPO\_update\_&\_clear()$ ,  $i \in \mathbb{M}$ ;  
19: end for
```

Convergence:

Assumption

- The loss function is L -smooth and the Lipschitz constant $L > 0$, i.e., $\|\nabla f(x) - \nabla f(y)\| \leq L\|x - y\|$.
- The estimated stochastic gradient is unbiased for devices, i.e., $\mathbb{E} \left[\left\| \tilde{\nabla} f_j(w_j) - \nabla f(w) \right\|^2 | w \right] \leq \sigma^2$.

Convergence

- We can get the model updates formula as

$$w(k+1) = w(k) - \eta \sum_{i \in \mathbb{M}} \frac{N_i}{N} \frac{1}{N_i} \sum_{\alpha=0}^{\gamma_{i,k}-1} \sum_{j \in \mathbb{N}_i} \sum_{\beta=0}^{\gamma_{i,k}^j-1} \tilde{\nabla} f_j(w_j(k, \alpha, \beta))$$

- The relationship between the models $w(k)$ and $w(k+1)$ is

$$\mathbb{E}[f(w(k+1))] - \mathbb{E}[f(w(k))] \leq \frac{L}{2} \mathbb{E} \|w(k+1) - w(k)\|^2 + \mathbb{E} \langle \nabla f(w(k)), w(k+1) - w(k) \rangle$$

Theorem

- After subjecting our refined frequency variation method to a round of cloud communication, the convergence bound is

$$\begin{aligned}\mathbb{E}[f(w(k+1))] - \mathbb{E}[f(w(k))] &\leq \frac{L^2\eta^3}{4} \tilde{\gamma}_1 \tilde{\gamma}_2 \left((\tilde{\gamma}_1 - 1) + \frac{M}{N} \tilde{\gamma}_1 (\tilde{\gamma}_2 - 1) \right) \sigma^2 \\ &\quad + \frac{L\eta^2}{2} \frac{1}{N} \tilde{\gamma}_1 \tilde{\gamma}_2 \sigma^2 - \frac{\eta}{2} \tilde{\gamma}_1 \tilde{\gamma}_2 \mathbb{E} \|\nabla f(w(k))\|^2,\end{aligned}$$

- where

$$P = 1 - \frac{L^2\eta^2\gamma_{i,k}^j(\gamma_{i,k}^j - 1)}{2} - \frac{L^2\eta^2\tilde{\gamma}_2^2\gamma_{i,k}^j(\gamma_{i,k}^j - 1)}{2} - L\eta\gamma_{i,k}\gamma_{i,k}^j.$$



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Settings:

- Testbed: Edges are 5 (default) or 10, and devices are 20, 50 (default) and 100.
- Datasets: MNIST, Cifar-10, and Cifar-100.
- Baselines: Vanilla-FL, Vanilla-HFL, FedProx, FedNova, Share, Moon
- Heterogeneity:
 1. Different adapter settings for each device.
 2. Sample bandwidth from MobiPerf and apply to the edge.
 3. The data set is segmented in label non-IID and Dirichlet non-IID.

The performance of DRL training:

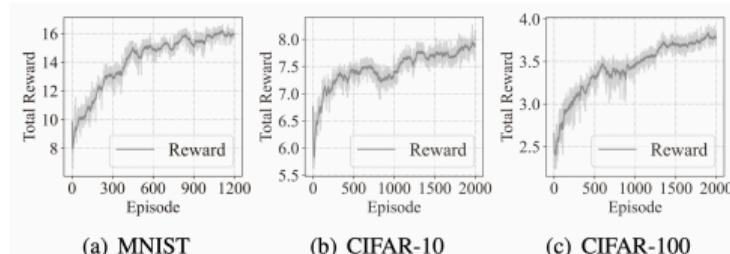


Figure: The reward of training the MARL agent

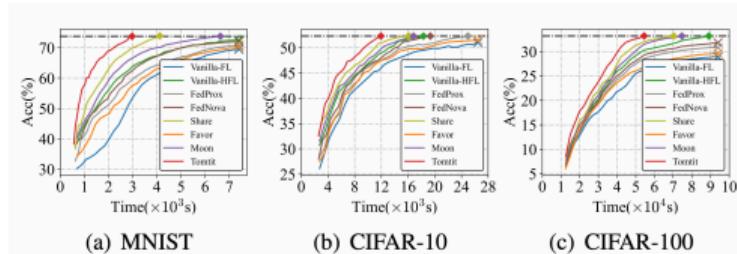


Figure: Accuracy v.s. time of different FL methods

Evaluation



The performance with different threshold time:

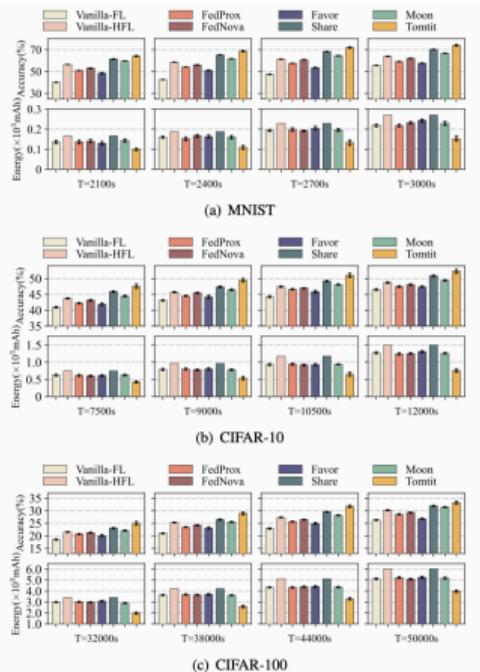


Figure: Performance under different training time

The performance with different non-IID levels:

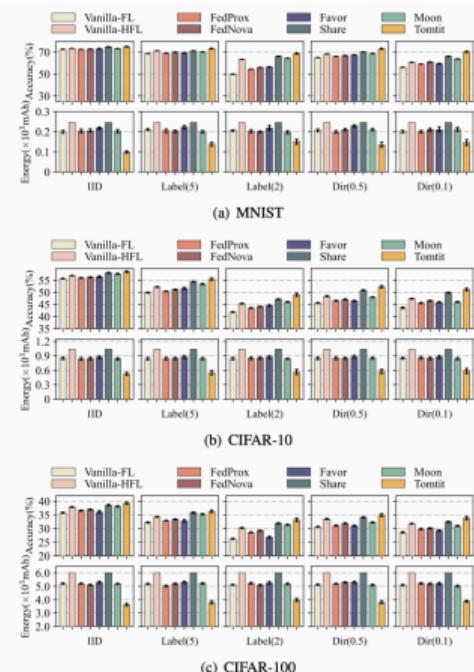


Figure: Performance sumption under different non-IID levels

Scalability:

- Change various scale configurations about the number of edges and devices.

TABLE I
PERFORMANCE AT DIFFERENT SCALES

Scale [Edges, Devices]	Data	Vanilla-FL Acc (%)	Vanilla-HFL Acc (%)	FedProx Acc (%)	FedNova Energy (mAh)	Favor Acc (%)	Share Energy (mAh)	Moon Acc (%)	Tomtit Energy (mAh)
[5, 20]	MNIST	51.8	218.3	58.9	268.7	55.3	225.3	57.4	226.8
	CIFAR-10	43.3	1258.8	46.0	1453.2	45.7	1240.3	45.8	1251.6
	CIFAR-100	24.5	5008.3	28.4	6093.6	27.5	5109.7	27.9	5153.6
[5, 50]	MNIST	55.7	220.3	63.8	271.0	59.6	217.5	62.1	232.1
	CIFAR-10	46.5	1270.4	48.8	1494.8	47.5	1240.0	48.1	1249.3
	CIFAR-100	26.3	5112.6	30.3	6014.8	28.6	5217.5	29.3	5087.4
[5, 100]	MNIST	48.1	231.8	54.2	270.8	52.1	218.9	52.9	206.9
	CIFAR-10	40.2	1249.2	44.1	1437.6	42.5	1286.3	43.4	1256.7
	CIFAR-100	22.1	5023.1	27.0	5983.7	25.2	5154.2	26.1	5169.3
[10, 100]	MNIST	48.1	231.8	54.9	270.8	52.1	218.9	52.9	206.9
	CIFAR-10	40.2	1249.2	44.3	1437.6	42.5	1286.3	43.4	1256.7
	CIFAR-100	22.1	5023.1	27.6	5983.7	25.2	5154.2	26.1	5169.3

Dynamic system environment:

- change data distribution and CPU utilization of devices.

TABLE II
ROBUSTNESS IN DYNAMIC ENVIRONMENTS

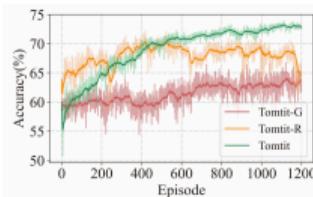
		10%	30%	50%
CPU	MNIST	73.71%(-0.21%)	73.45%(-0.37%)	73.12%(-0.60%)
	CIFAR-10	52.64%(-0.29%)	52.35%(-0.58%)	52.11%(-0.82%)
	CIFAR-100	32.92%(-0.31%)	32.76%(-0.47%)	32.44%(-0.79%)
Data	MNIST	73.15%(-0.67%)	72.91%(-0.91%)	72.50%(-1.21%)
	CIFAR-10	52.27%(-0.66%)	51.68%(-1.25%)	51.49%(-1.44%)
	CIFAR-100	32.85%(-0.38%)	32.11%(-1.12%)	31.70%(-1.53%)
CPU+Data	MNIST	72.54%(-1.28%)	72.05%(-1.77%)	71.86%(-1.94%)
	CIFAR-10	52.03%(-0.90%)	51.30%(-1.63%)	50.96%(-1.97%)
	CIFAR-100	32.49%(-0.74%)	31.88%(-1.35%)	31.24%(-1.99%)

The impact of agent design:

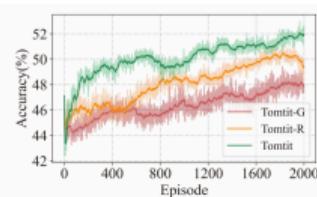
- 1.Tomtit-G: Concatenating observations as the global state;
- 2.Tomtit-R: replace $Q(u) = \Upsilon^u$ with $Q(u) = u$ in the reward.

State dimension:

- Change the dimensionality of PCA of the state.



(a) Accuracy of training MNIST



(b) Accuracy of training CIFAR-10

Figure: Training the DRL agent

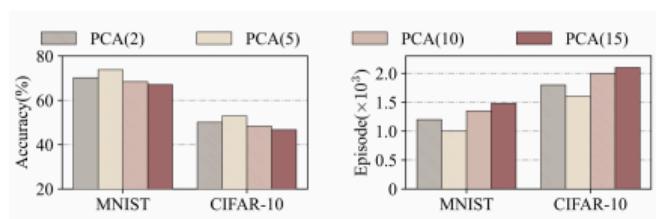


Figure: Impact of different principal component



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Conclusion

- We propose a **hierarchical federated fine-tuning** system, which can achieve higher model accuracy and lower energy consumption when fine-tuning models.
- We design a **distributed algorithm** based on MARL to determine the aggregation frequency of edges and devices, and prove convergence.
- We conduct **extensive experiments** comparing with the state-of-the-arts in a real system.

Thank you for your attention!
Questions?