Natural Language Processing 1

Lecture 6: Generalisation and word embeddings

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Outline.

Distributional word clustering

Semantics with dense vectors

Clustering

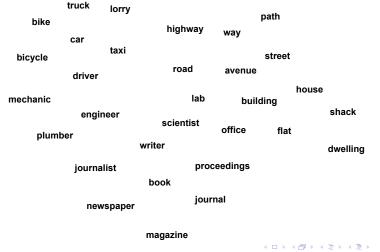
- clustering techniques group objects into clusters
- similar objects in the same cluster, dissimilar objects in different clusters
- allows us to obtain generalisations over the data
- widely used in various NLP tasks:
 - semantics (e.g. word clustering);
 - summarization (e.g. sentence clustering);
 - text mining (e.g. document clustering).

Distributional word clustering

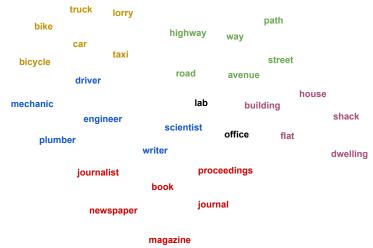
We will:

- cluster words based on the contexts in which they occur
- assumption: words with similar meanings occur in similar contexts, i.e. are distributionally similar
- we will consider noun clustering as an example
- cluster 2000 nouns most frequent in the British National Corpus
- into 200 clusters

Clustering nouns



Clustering nouns



Feature vectors

there are different ways to define context, in order to build up vectors. this makes the clusters to capture different semantic properties.

- can use different kinds of context as features for clustering
 - window based context
 - parsed or unparsed
 - syntactic dependencies
- different types of context yield different results
- Example experiment: use verbs that take the noun as a direct object or a subject as features for clustering
- Feature vectors: verb lemmas, indexed by dependency type, e.g. subject or direct object
- Feature values: corpus frequencies

Extracting the service that take : Examples				
	tree as objection tree climb tree	tı	nese are the verbs that take ree as subject 主语 ree grow	
	tree (Dobj)	crop (Dobj)	tree (Subj)	crop (Subj)
	85 plant_v	76 grow_v	131 grow_v	78 grow_v
	82 climb_v	44 produce_v	49 plant_v	23 yield_v
	48 see_v	16 harvest_v	40 stand_v	10 sow_v
	46 cut_v	12 plant_v	26 fell_v	9 fail_v
	27 fall_v	10 ensure_v	25 look_v	8 plant_v
	26 like_v	10 cut_v	23 make_v	7 spray_v
	23 make_v	9 yield_v	22 surround_v	7 come_v
	23 grow_v	9 protect_v	21 show_v	6 produce_v
	22 use_v	9 destroy_v	20 seem_v	6 feed_v
	22 round_v	7 spray_v	20 overhang_v	6 cut_v
	20 get_v	7 lose_v	20 fall_v	5 sell_v
	18 hit_v	6 sell_v	19 cut_v	5 make_v
	18 fell_v	6 get_v	18 take_v	5 include_v
	18 bark_v	5 support_v	18 go_v	5 harvest_v
	17 want_v	5 see_v	18 become_v	4 follow_v
	16 leave_v	5 raise_v	17 line_v	3 ripen_v

Feature vectors: Examples

we merge the list in the previous slide. 131 tree grow: 满足dependency tree (subjective主语) grow(verb)

131 grow_v_Subj

tree

tree 作宾语 85 plant v Dobi<

82 climb v Dobj

49 plant_v_Subj

48 see v Dobj 46 cut v Dobi

40 stand v Subi

27 fall v Dobj

26 like v Dobi

26 fell v Subj

25 look v Subj 23 make v Subi

23 make v Dobj

23 grow v Dobi

22 use v Dobi

22 surround v Subj

22 round v Dobi

20 overhang v Subj

after merging, we found similarity between tree and crop, eq. both of them can be grow, be planted

crop

78 grow v Subi

76 grow v Dobj 44 produce v Dobj

23 yield_v_Subj

16 harvest v Dobj

12 plant_v_Dobj

10 sow v Subi 10 ensure v Dobj

10 cut v Dobi

9 yield v Dobj

9 protect v Dobj

9 fail_v_Subj 9 destroy v Dobj

8 plant_v_Subj

7 spray_v_Subj

7 spray v Dobj 7 lose v Dobi

6 feed v Subj

イロン イ御り イヨン イヨン

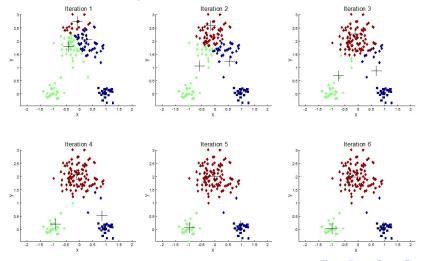
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Clustering algorithms, K-means

- many clustering algorithms are available
- example algorithm: K-means clustering
 - given a set of *N* data points $\{x_1, x_2, ..., x_N\}$
 - partition the data points into K clusters $C = \{C_1, C_2, ..., C_K\}$
 - minimize the sum of the squares of the distances of each data point to the cluster mean vector μ_i :

$$\arg\min_{C} \sum_{i=1}^{K} \sum_{\mathbf{x} \in C_{i}} \|\mathbf{x} - \boldsymbol{\mu}_{i}\|^{2}$$
 (1)

K-means clustering



Noun clusters <

one row in one cluster

clustering is unsupervised
learning. because it does not
take target as training data.

tree crop flower plant root leaf seed rose wood grain stem forest garden consent permission concession injunction licence approval

lifetime quarter period century succession stage generation decade phase interval future

subsidy compensation damages allowance payment pension grant carriage bike vehicle train truck lorry coach taxi

official officer inspector journalist detective constable police policeman reporter

girl other woman child person people

length past mile metre distance inch yard

tide breeze flood wind rain storm weather wave current heat

sister daughter parent relative lover cousin friend wife mother husband brother father

Different senses of run

同一个单词在不同的语境中有不同的 意思. we call it word sense induction

The children ran to the store
If you see this man, run!
Service runs all the way to Cranbury
She is running a relief operation in Sudan
the story or argument runs as follows
Does this old car still run well?
Interest rates run from 5 to 10 percent
Who's running for treasurer this year?
They ran the tapes over and over again
These dresses run small

Subject arguments of *run*We create the distribution of run

- 0.2125 drop tear sweat paint blood water juice
- 0.1665 technology architecture program system product version interface software tool computer network processor chip package
- 0.1657 tunnel road path trail lane route track street bridge
- 0.1166 carriage bike vehicle train truck lorry coach taxi
- 0.0919 tide breeze flood wind rain storm weather wave current heat
- 0.0865 tube lock tank circuit joint filter battery engine device disk furniture machine mine seal equipment machinery wheel motor slide disc instrument
- 0.0792 ocean canal stream bath river waters pond pool lake
- 0.0497 rope hook cable wire thread ring knot belt chain string
- 0.0469 arrangement policy measure reform proposal project programme scheme plan course
- 0.0352 week month year
- 0.0351 couple minute night morning hour time evening afternoon

Subject arguments of *run* (continued)

- 0.0341 criticism appeal charge application allegation claim objection suggestion case complaint
- 0.0253 championship open tournament league final round race match competition game contest
- 0.0218 desire hostility anxiety passion doubt fear curiosity enthusiasm impulse instinct emotion feeling suspicion
- 0.0183 expenditure cost risk expense emission budget spending
- 0.0136 competitor rival team club champion star winner squad county player liverpool partner leeds
- 0.0102 being species sheep animal creature horse baby human fish male lamb bird rabbit female insect cattle mouse monster

...

We can also cluster verbs...

sparkle glow widen flash flare gleam darken narrow flicker shine blaze bulge

gulp drain stir empty pour sip spill swallow drink pollute seep flow drip purify ooze pump bubble splash ripple simmer boil tread

polish clean scrape scrub soak

kick hurl push fling throw pull drag haul

rise fall shrink drop double fluctuate dwindle decline plunge decrease soar tumble surge spiral boom

initiate inhibit aid halt trace track speed obstruct impede accelerate slow stimulate hinder block

work escape fight head ride fly arrive travel come run go slip move

Uses of word clustering in NLP

Widely used in NLP as a source of lexical information:

- Word sense induction and disambiguation
- Modelling predicate-argument structure (e.g. semantic roles)
- Identifying figurative language and idioms
- Paraphrasing and paraphrase detection
- Used in applications directly, e.g. machine translation, information retrieval etc.

Semantics with dense vectors

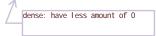
Outline.

Distributional word clustering

Semantics with dense vectors

Distributional semantic models

- 1. Count-based models:
 - Explicit vectors: dimensions are elements in the context
 - long sparse vectors with interpretable dimensions
- Prediction-based models:
 - Train a model to predict plausible contexts for a word
 - learn word representations in the process
 - short dense vectors with latent dimensions



Sparse vs. Cdense vec have less dim than sparse vec. It is easy to learn fewer weights with the same amount of data eg if a vector has 50,000 features. then weight matrix must have dim 50,000, if a vector has 50 features, then weight matrix only needs to have dim

Why dense vector gives better generalization.

good generalization: avoid overfitting to the

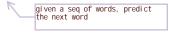
easier t unseen data.

(less we bad generation: easy to overfit the trainset

ning

- may generalize better than storing explicit counts
- may do better at capturing synonymy
 - e.g. car and automobile are distinct dimensions in count-based models
 - will not capture similarity between a word with car as a neighbour and a word with automobile as a neighbour

Prediction-based distributional models



Mikolov et. al. 2013. Efficient Estimation of Word Representations in Vector Space.

word2vec: Skip-gram model

- inspired by work on neural language models
- train a neural network to predict neighboring words
- learn dense embeddings for the words in the training corpus in the process



INPUT PROJECTION OUTPUT w(t-2) w(t-1) w(t) w(t+1) w(t+2)

Skip-gram

Intuition: words with similar meanings often occur near each other in texts

Given a word w_t :

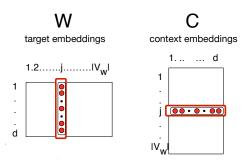
- Predict each neighbouring word
 - in a context window of 2L words
 - from the current word.
- For L = 2, we predict its 4 neighbouring words:

$$[w_{t-2}, w_{t-1}, w_{t+1}, w_{t+2}]$$

Skip-gram: Parameter matrices

Learn 2 embeddings for each word $w_i \in V_w$:

- word embedding v, in word matrix W
- context embedding c, in context matrix C



Skip-gram: Setup

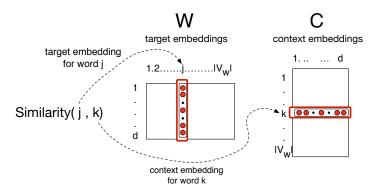
- ▶ Walk through the corpus pointing at word w(t), whose index in the vocabulary is j we will call it w_i
- our goal is to predict w(t+1), whose index in the vocabulary is k we will call it $\frac{w_k}{w_k}$
- to do this, we need to compute

$$p(w_k|w_j)$$

▶ Intuition behind skip-gram: to compute this probability we need to compute similarity between w_i and w_k

Skip-gram: Computing similarity

Similarity as dot-product between the target vector and context vector



Slide credit: Dan Jurafsky

Skip-gram: Similarity as dot product

Remember cosine similarity?

$$cos(v1, v2) = \frac{\sum v1_k * v2_k}{\sqrt{\sum v1_k^2} * \sqrt{\sum v2_k^2}} = \frac{v1 \cdot v2}{||v1||||v2||}$$

It's just a normalised dot product.

Skip-gram: Similar vectors have a high dot product

$$Similarity(c_k, v_j) \propto c_k \cdot v_j$$

Skip-gram: Compute probabilities

Compute similarity as a dot product

$$Similarity(c_k, v_j) \propto c_k \cdot v_j$$

- Normalise to turn this into a probability
- by passing through a softmax function:

$$p(w_k|w_j) = \frac{e^{c_k \cdot v_j}}{\sum_{i \in V} e^{c_i \cdot v_j}}$$
 use softmax to convert similarity (\mathbb{H} dot product between 2 words) into probability. What is the probability that context is word wk. with qiven word wi?

Skip-gram: Learning

- Start with some initial embeddings (usually random)
- At training time, walk through the corpus
- iteratively make the embeddings for each word
 - more like the embeddings of its neighbors
 - less like the embeddings of other words.

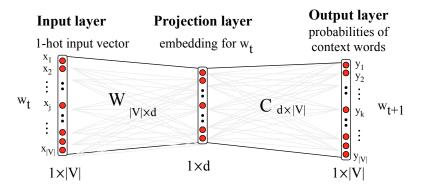
Skip-gram: Objective

Learn parameters *C* and *W* that maximize the overall corpus probability:

$$p(w_k|w_j) = \frac{e^{c_k \cdot v_j}}{\sum_{i \in V} e^{c_i \cdot v_j}}$$

$$\text{arg max} \prod_{(w_i, w_k) \in D} p(w_k|w_j) = \prod_{(w_i, w_k) \in D} \frac{e^{c_k \cdot v_j}}{\sum_{i \in V} e^{c_i \cdot v_j}}$$

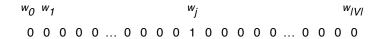
Visualising skip-gram as a network



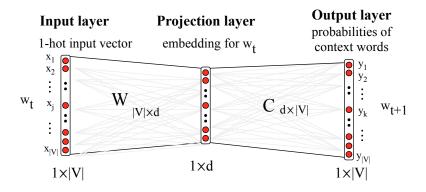
Slide credit: Dan Jurafsky

One hot vectors

- A vector of length |V|
- 1 for the target word and 0 for other words
- So if "bear" is vocabulary word 5
- ► The one-hot vector is [0,0,0,0,1,0,0,0,0,.......0]



Visualising skip-gram as a network



Slide credit: Dan Jurafsky

Skip-gram with negative sampling

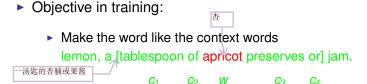
Problem with softmax: expensive to compute the denominator for the whole vocabulary

$$p(w_k|w_j) = \frac{e^{c_k \cdot v_j}}{\sum_{i \in V} e^{c_i \cdot v_j}}$$

Approximate the denominator: negative sampling

- At training time, walk through the corpus
- for each target word and positive context
- ▶ sample *k* noise samples or negative samples, i.e. other words

Skip-gram with negative sampling



And not like the k negative examples



Skip-gram with negative sampling: Training examples

Convert the dataset into word pairs:

Positive (+)

```
(apricot, tablespoon)
(apricot, of)
(apricot, jam)
(apricot, or)
```

Negative (-)

```
(apricot, cement)
(apricot, idle)
(apricot, attendant)
(apricot, dear)
```

Skip-gram with negative sampling

- instead of treating it as a multi-class problem (and returning a probability distribution over the whole vocabulary)
- return a probability that word w_k is a valid context for word w_i

$$P(+|w_j, w_k)$$

 $P(-|w_j, w_k) = 1 - P(+|w_j, w_k)$

Skip-gram with negative sampling

model similarity as dot product

$$Similarity(c_k, v_j) \propto c_k \cdot v_j$$

turn this into a probability using the sigmoid function:

$$\sigma(x) = \frac{1}{1 + e^{-x}}$$

$$P(+|w_j, w_k) = \frac{1}{1 + e^{-c_k \cdot v_j}}$$

$$P(-|w_j, w_k) = 1 - P(+|w_j, w_k) = 1 - \frac{1}{1 + e^{-c_k \cdot v_j}} = \frac{1}{1 + e^{c_k \cdot v_j}}$$

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Skip-gram with negative sampling: Objective

- make the word like the context words
- and not like the negative examples

$$\arg\max\prod_{(w_j,w_k)\in D_+} p(+|w_k,w_j) \prod_{(w_j,w_k)\in D_-} p(-|w_k,w_j)$$

$$\arg\max \sum_{(w_j, w_k) \in D_+} \log p(+|w_k, w_j) + \sum_{(w_j, w_k) \in D_-} \log p(-|w_k, w_j) =$$

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Properties of embeddings Finegrained which word provides highest they are all color, similar cosine dot product value as reddish with France? they are all past tense. They capture similarity similar as scratched FRANCE SCRATCHED **JESUS** XBOX REDDISH MEGABITS 454 1973 6909 11724 29869 87025 AUSTRIA GOD AMIGA GREENISH NAILED OCTETS BELGIUM SATI PLAYSTATION BLUISH SMASHED MB/S GERMANY CHRIST MSX PINKISH PUNCHED BIT/S ITALY SATAN IPOD PURPLISH POPPED BAUD GREECE KALI SEGA BROWNISH CRIMPED CARATS SWEDEN INDRA PSNUMBER GREYISH SCRAPED KRIT/S NORWAY VISHNU HDGRAYISH SCREWED MEGAHERTZ. EUROPE ANANDA DREAMCAST WHITISH SECTIONED MEGAPIXELS GBIT/S HUNGARY PARVATI GEFORCE SILVERY SLASHED

YELLOWISH

CAPCOM

Slide credit: Ronan Collobert

GRACE

SWITZERLAND

AMPERES

RIPPED

They capture analogy

Analogy task: a is to b as c is to d

The system is given words a, b, c, and it needs to find d.

"apple" is to "apples" as "car" is to ? "man" is to "woman" as "king" is to ?

Solution: capture analogy via vector offsets

$$a-b \approx c-d$$
 $man-woman \approx king-queer$
 $d_w = rgmax cos(a-b,c-d')$

They capture analogy

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The system is given words a, b, c, and it needs to find d.

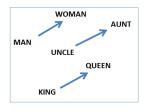
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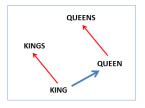
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$$a-b pprox c-d$$
 $man-woman pprox king-queen$
 $d_w = rgmax cos(a-b,c-d')$

Capture analogy via vector offsets

$$man - woman \approx king - queen$$





Mikolov et al. 2013. Linguistic Regularities in Continuous Space Word Representations

They capture a range of semantic relations

Relationship	Example 1	Example 2	Example 3
France - Paris	Italy: Rome	Japan: Tokyo	Florida: Tallahassee
big - bigger	small: larger	cold: colder	quick: quicker
Miami - Florida	Baltimore: Maryland	Dallas: Texas	Kona: Hawaii
Einstein - scientist	Messi: midfielder	Mozart: violinist	Picasso: painter
Sarkozy - France	Berlusconi: Italy	Merkel: Germany	Koizumi: Japan
copper - Cu	zinc: Zn	gold: Au	uranium: plutonium
Berlusconi - Silvio	Sarkozy: Nicolas	Putin: Medvedev	Obama: Barack
Microsoft - Windows	Google: Android	IBM: Linux	Apple: iPhone
Microsoft - Ballmer	Google: Yahoo	IBM: McNealy	Apple: Jobs
Japan - sushi	Germany: bratwurst	France: tapas	USA: pizza

Mikolov et al. 2013. Efficient Estimation of Word Representations in Vector Space

Word embeddings in practice

Word2vec is often used for pretraining in other tasks.

- It will help your models start from an informed position
- Requires only plain text which we have a lot of
- Is very fast and easy to use
- Already pretrained vectors also available (trained on 100B words)

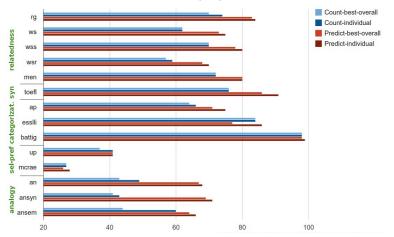
However, for best performance it is important to continue training, fine-tuning the embeddings for a specific task.

Count-based models vs. skip-gram word embeddings

Baroni et. al. 2014. Don't count, predict! A systematic comparison of context-counting vs. context-predicting semantic vectors.

- Comparison of count-based and neural word vectors on 5 types of tasks and 14 different datasets:
 - Semantic relatedness
 - Synonym detection
 - 3. Concept categorization
 - 4. Selectional preferences
 - Analogy recovery

Count-based models vs. skip-gram word embeddings



Some of these findings were later disputed by Levy et. al. 2015. *Improving Distributional Similarity with Lessons Learned from Word Embeddings*

Semantics with dense vectors

Acknowledgement

Some slides were adapted from Dan Jurafsky and Marek Rei