Advanced Psychological Statistics

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abline (displaying a line on a pre-existing plot) abline()
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This is used to place straight lines on a plot and where "b' represents the slope and "a" represents the intercept

Example. abline(intercept, slope)

abline(5,0) would display a horizontal line at $\bf 5$ on the y-axis and $\bf 0$ slope

Best fit line (the linear model)

 $lm(y\sim x)$ - Note – this is the reverse of the usual plot(x,y). In this case y is being computed from the linear fit and the x values

Displaying the best fit line –

abline is used here (and it is assumed that a scatterplot has already been created) Example

Step 1 – create a container holding the output of lm()
fit = lm(y~x)
Step 2 – display line with abline
abline(fit)

You can view the slope and intercepts by simply displaying the container ("fit" – in this case) > fit

Scatterplot

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Plot(x,y)
creates a scatterplot of x against y values
Example
plot(x,y)
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The "plot()" command takes additional arguments for symbols – use "pch= number", so plot(x,y, pch = 5) colors – use "col = 'color', so plot(x,y, pch = 5, col = 'blue') line width – use "lwd = number", so plot(x,y, col='blue, lwd = 3) type – use "type = "letter", so plot(x,y, col='green', pch=4, type = 'b')
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Standard deviation

Note - it defaults to sample standard deviation sd(data set)

Population standard deviation is simply the sample standard deviation (sd(<container>) times the square root of ((n-1) divided by n)

Variance

The command for variance (assume a set of values is stored as "set1") – > var(set1)

This will be the sample variance. You can check by squaring the output of var(set1) with Step 1 – set1_var = var(set1) - get variance of "set1" and store output in container "set1_var" Step 2 - set1_sd = sd(set1) - get standard deviation of "set1" and store output in container "set1_sd"

Step 3 - set1_sd - display standard deviation, the information stored in "set1_sd"

Step 4 - set1_var - display variance, the information stored in "set1_var"

Step $5 - \text{set1_sd}^2$ - square and display the standard deviation (the information stored in

"set1_sd") to see that it is the same (assuming rounding) as the variance