

180.101 Elements of Macro - TA Section - Week 6

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Slides on https://github.com/QingyuanFang/TA_ElementsOfMacro

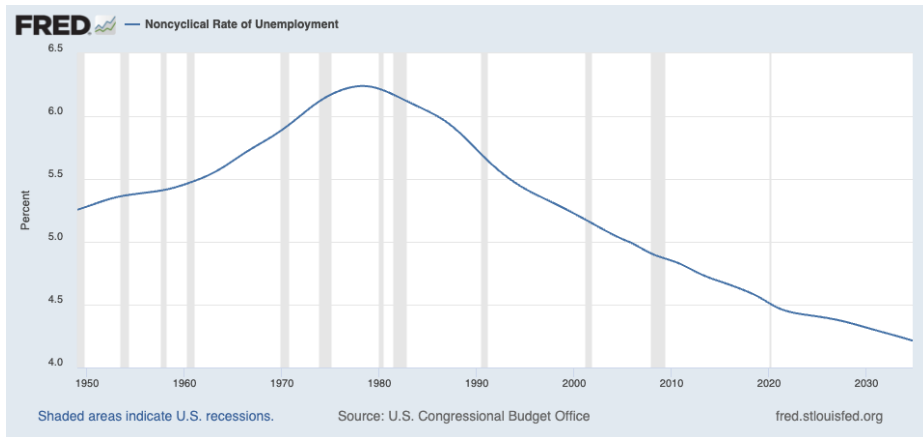
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Types of Unemployment

- ① **Frictional UE:** Short-term, from the process of matching workers with jobs
- ② **Structural UE:** Persistent mismatch between workers' skills and job requirements.
- ③ **Cyclical UE:** Business cycle recession

Q: what does it mean for the economy to be at full employment?

Natural (Noncyclical) rate of unemployment



Source: <https://fred.stlouisfed.org/series/NROU>

Nominal vs Real

- **Q:** Why do we make the distinction?

A: Comparing the monetary value at different periods of time requires that the **units** remain the same. We cannot say \$100 in 2019 and \$100 in 1979 have the same value.

- Example: nominal/real GDP, wage, interest rate, etc.

- **Q:** How can we compare GDP of different years in a meaningful way?

A: Use the price of the **base year** to compute the GDP of different years

Nominal vs Real - Example

Use 2022 as the base year when calculating real variables

Product	CPI weight	2022		2024	
		Quantity	Price	Quantity	Price
Pizza	20	30	10	35	8
Cars	40	50	200	55	205
Bread	30	20	5	25	6
Beer (Imports)	10	10	7	50	14

- $GDP_{Nom}^{(22)} = \sum p_i^{(22)} \cdot q_i^{(22)} = \10400 , $GDP_{Nom}^{(24)} = \sum p_i^{(24)} \cdot q_i^{(24)} = \11705
- $GDP_{Real}^{(22)} = \sum p_i^{(22)} \cdot q_i^{(22)} = \10400 , $GDP_{Real}^{(24)} = \sum p_i^{(22)} \cdot q_i^{(24)} = \11475
- $GDP \text{ Deflator}^{(22)} = \frac{GDP_{Nom}^{(22)}}{GDP_{Real}^{(22)}} = 1$, $GDP \text{ Deflator}^{(24)} = \frac{GDP_{Nom}^{(24)}}{GDP_{Real}^{(24)}} \approx 1.02$

Inflation

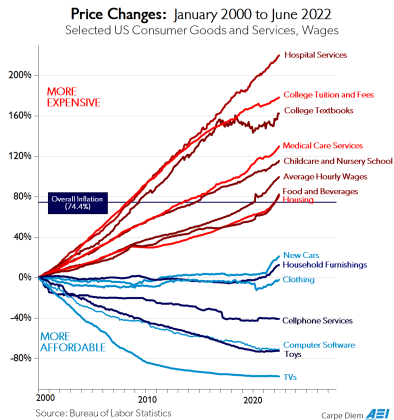
- Price index: weighted average of a basket of goods
 - Weights are fixed so that the price levels at different points of time are comparable.
 - Once for a while, weights need to be adjusted by the statistical agency to reflect the underlying change in the composition of households consumption.
 - CPI, PCE, GDP Deflator, etc.
- Inflation: percentage change in the price index

Inflation - Example

Product	CPI weight	2022		2024	
		Quantity	Price	Quantity	Price
Pizza	20	30	10	35	8
Cars	40	50	200	55	205
Bread	30	20	5	25	6
Beer (Imports)	10	10	7	50	14

- $CPI^{(22)} = \sum weight_j \cdot p_j^{(22)} = 0.2 * 10 + 0.4 * 200 + 0.3 * 5 + 0.1 * 7 = 84.2$
- $CPI^{(24)} = \sum weight_j \cdot p_j^{(24)} = 0.2 * 8 + 0.4 * 205 + 0.3 * 6 + 0.1 * 14 = 86.8$
- $CPI\ inflation_{22 \rightarrow 24} = \frac{CPI^{(24)} - CPI^{(22)}}{CPI^{(22)}} \times 100\% = 3.09\%$

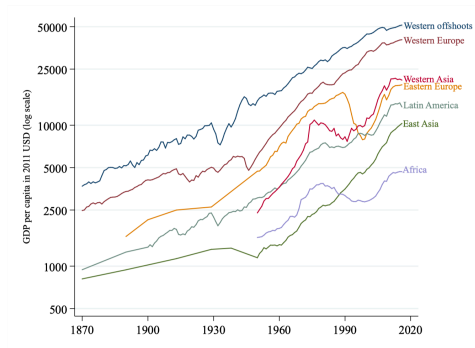
Price Changes of Sub-categories



Source: <https://www.aei.org/carpe-diem/chart-of-the-day-or-century-8/>

Long Run Economic Growth

Figure 1. Average real GDP per capita across regions, 1870–2015



Notes: Figure shows *CGDPpc* by region, using population to compute a regional GDP per capita level.

Source: <https://cepr.org/voxeu/columns/rebasing-maddison-shape-long-run-economic-development>

Some Math

If $\% \Delta X$ and $\% \Delta Y$ are very small,

$$\% \Delta (X \cdot Y) \approx \% \Delta X + \% \Delta Y \quad (1)$$

$$\% \Delta (X/Y) \approx \% \Delta X - \% \Delta Y \quad (2)$$

Proof of (1):

$$\begin{aligned} \% \Delta (X \cdot Y) - (\% \Delta X + \% \Delta Y) &= \frac{X_t \cdot Y_t - X_{t-1} \cdot Y_{t-1}}{X_{t-1} \cdot Y_{t-1}} - \left(\frac{X_t - X_{t-1}}{X_{t-1}} + \frac{Y_t - Y_{t-1}}{Y_{t-1}} \right) \\ &= \frac{(X_t - X_{t-1}) \cdot (Y_t - Y_{t-1})}{X_{t-1} \cdot Y_{t-1}} = \% \Delta X \cdot \% \Delta Y \approx 0 \end{aligned}$$

Another way to put it: if X grows by x percent and Y grows by y percent, and if x and y are both small, then $(X \cdot Y)$ grows by approximately $(x+y)$ percent.

Long Term Sustainable Growth Rate (LTSG)

- Production with labor input

$$\begin{aligned}Y_t &= E_t \cdot LP_t \\&= (1 - u_t) \cdot LF_t \cdot LP_t \\ \Rightarrow \% \Delta Y_t &= \% \Delta (1 - u_t) + \% \Delta LF_t + \% \Delta LP_t\end{aligned}$$

- When thinking about LTSG, we assume that the economy operates at full employment ($u_t = u^*$), and the natural rate of unemployment doesn't change ($\% \Delta (1 - u^*) = 0$).

$$\begin{aligned}LTSG &= \% \Delta LF + \% \Delta LP \\&= (\% \Delta LFPR + \% \Delta WAP) + \% \Delta LP\end{aligned}$$

- Note: Sometimes we measure LF by **total number of hours** worked instead of the number of workers. The key is that it measures how much labor input is used in the production.

What affects LTSG

$$LTSG = \% \Delta LF + \% \Delta L$$

- **Growth rate of labor force**, i.e. more people working brings more output
 - Population growth, especially the population growth in primeage workers (eg. baby boomers).
 - A higher labor force participation rate for a given size of working age population, i.e. womens LFPR increased over the past decades.
 - Immigrant flows.
- **Growth rate of labor productivity**, i.e. higher efficiency of using the same amount of labor input brings about higher output.
 - Technological progress/innovations.
 - Capital deepening (human capital and physical capital)
 - Better economic institutions that facilitate social cooperation.