

# Family Background, Academic Ability, and College Decisions in the 20th Century U.S.

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July 14, 2015

# Motivation

## Big picture goal:

Understand changes in U.S. college enrollment over time.

## Focus of this paper:

Changes in the **composition** of college students since 1920s.

- ▶ **rich** versus **poor** students
- ▶ high versus low **ability** students

The role of **financial** conditions

- ▶ student loans
- ▶ college costs
- ▶ college wage premium

# Empirical Contribution

Compile 40+ historical data sources on college enrollment  
1919 - 1980

Main finding:

- ▶ The role of student **ability** has **increased**.
- ▶ The role of family **background** has **decreased**.

# Quantitative Modeling Contribution

Model college decisions of heterogeneous students.

Identify changes in financial conditions that drive changes in enrollment patterns.

Main finding:

- ▶ Unimportant: college costs and borrowing limits.
- ▶ Important: college wage premium.

Evidence

# Objective

The goal: Characterize how college entry varies with

- ▶ student ability
- ▶ family background

over the period 1919-1980.

# Data Sources

## Post 1960 data

- ▶ access to micro data
- ▶ Project Talent, NLSY
- ▶ ability measured by standardized test scores
- ▶ family background measured by income

## Pre 1960 data

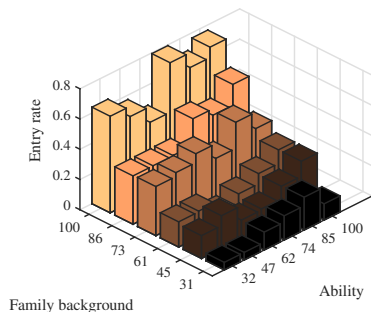
- ▶ no micro data
- ▶ published cross-tabulations of college entry rates
- ▶ ability: test scores or class rank
- ▶ family background: income or socioeconomic status

## Example: Updegraff (1936)

Sample: 15% of Pennsylvania's 1933 graduating class.

Family background: socioeconomic status (6 bins)

Ability: test scores (6 bins)





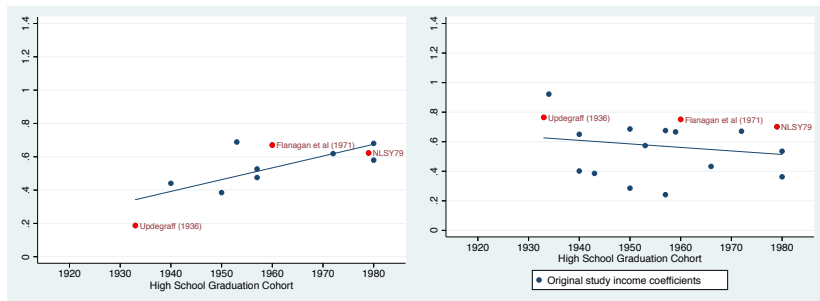
# Summarizing Historical Studies

Regress college entry rates on

- ▶ ability percentile  $\rightarrow \beta_{IQ}$
- ▶ family background percentile  $\rightarrow \beta_F$

Percentiles are bin midpoints.

# Importance of Background vs. Ability

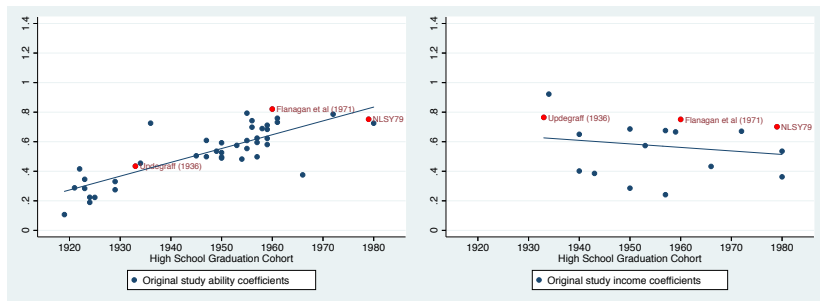


Ability

Family background

Coefficients from **bivariate** regressions (entry rates on ability and family background)

# Importance of Background vs. Ability



Ability

Family background

Coefficients from **univariate** regressions (entry rates on ability or family background)

# Comparability

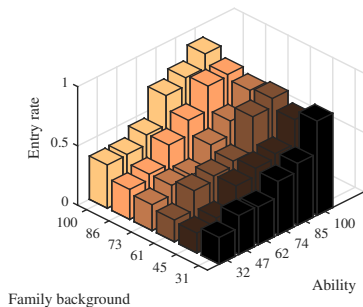
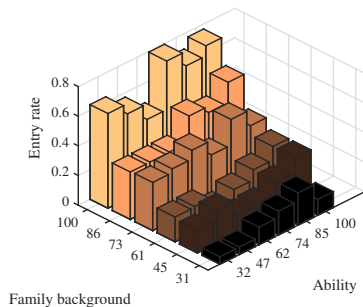
Histories studies differ in

- ▶ sizes of percentile bins
- ▶ measures of ability and family background

Does lack of comparability affect the results?

To address this question, we replicate each study in NLSY79 data.

## Example: Updegraff (1936)



Entry rates: Updegraff (1936) and NLSY replication.

Across studies: no evidence that changes in study design affect time trends in  $\beta_{IQ}$  or  $\beta_F$ . [► Details](#)

# Key Empirical Finding

Large change in who attends college

- ▶ Academic **ability** has become **more** important
- ▶ Family **background** has become **less** important

Next step:

Develop a **model** to uncover why these changes occurred.

Model

# Model Overview

We follow one cohort from high school graduation to retirement.

Timing:

1. Choose between **college** entry or **work** as high school graduate.  
family income is used for parental consumption or transfer to child
2. Years 1-2 in college:  
choose consumption, saving, leisure, work hours  
subject to a borrowing constraint
3. At the end of year 2:  
a subset of students **drops out**
4. Years 3-4 in college:  
similar to years 1-2
5. Work as college **graduate** starting in year 5



# Endowments

Each family is endowed with a type  $j \in \{1, \dots, J\}$

All agents of type  $j$  share the same values for

- ▶ parental income  $y_p$
- ▶ college cost  $\tau$
- ▶ ability signal  $m$
- ▶ preference for college (details below)

Ability  $x$  is not observed until the start of work.

## College Entry Decision

$$\max \left\{ \underbrace{V_{HS}(j) - \gamma \eta_w}_{\text{work as HSG}}, \underbrace{V_{entry}(j) - \gamma \eta_c}_{\text{enter college}} \right\} \quad (1)$$

$\eta_c, \eta_w$ : type I extreme value shocks (for computational reasons)

# Working as HSG

Value of working as HSG:

$$V_{HS}(j) = \max_{z_w \geq 0} u_p(y_p - z_w) + \mathbb{E}_a \{ V_w(z_w, HS, x) | j \} + \bar{\eta} \quad (2)$$

$y_p$ : parental income

$z$ : transfer to the child

$\bar{\eta}$ : common preference for working as HSG

- ▶ permits the model to match overall college entry rate for each cohort

## Work Phase

$$V_w(k, x, s) = \max_{c_a} \sum_{a=1}^{A-A_s} \beta^{t-1} u_w(c_a) \quad (3)$$

subject to a lifetime budget constraint

$$\sum_{a=1}^{A-A_s} R^{1-a} c_a = Y(s, x) + Rk \quad (4)$$

## Value of College Entry

$$V_{entry}(j) = \max_{z_c \geq 0} u_p(y_p - z_c) + V_1(z_c, j) \quad (5)$$

## Years 1-2 In College

$$V_1(k, j) = \max_{k', c, l} (1 + \beta) u(c + \bar{c}_j, 1 + \bar{l}_j - l) + \beta^2 V_m(k', j) \quad (6)$$

subject to

- ▶ budget constraint:  $k' = Rk + 2(w_{coll}l - \tau_j - c)$
- ▶ borrowing constraint:  $k' \geq k_{min,3}$

$\bar{c}_j, \bar{l}_j$ : increasing in  $m$

- ▶ prevents high ability students from consuming too much in college

## End of Year 2 in College

With probability  $1 - \pi(x)$ : drop out and start working.

Otherwise: remain in college for 2 more years.

Continuation value:

$$V_m(k, j) = \mathbb{E}_x [(1 - \pi[x]) V_w(k, x, CD) + \pi[x] V_3(k, j)] \quad (7)$$

## Years 3-4 In College

$$V_3(k, j) = \max_{k', c, l} (1 + \beta) u(c + \bar{c}_j, 1 + \bar{l}_j - l) + \beta^2 \mathbb{E}_x V_w(k', x, CG)$$

subject to

- ▶ budget constraint
- ▶ borrowing constraint



# Calibration

Step 1:

- ▶ Calibrate all parameters to **NLSY79** data
- ▶ High school graduates around 1979

Step 2:

Calibrate a subset of **time-varying** parameters for high school graduates around

- ▶ **1960**: Project Talent data
- ▶ **1933**: Updegraff (1936) data

# Calibration Targets (NLSY79)

Median lifetime **earnings** by schooling (CPS)

College **entry** and graduation rates, by  $[y_p, IQ]$  quartile

College **financing** (by  $y_p$  and  $IQ$  quartile):

1. College costs
2. Parental transfers (High School & Beyond)
3. Parental income
4. Hours worked and earnings in college
5. Student loans

$$IQ = x + \text{noise}$$

# Calibrated Parameters

- ▶ Endowment distributions (college costs, parental income, abilities and signals)
- ▶ Preferences (consumption, leisure, parental altruism)
- ▶ Lifetime earnings
- ▶ Graduation rates:  $\pi(x)$

▶ Details

Fit:

▶ College entry

▶ College graduation

▶ Earnings

▶ Debt and transfers

# Time Series Calibration

We compare 3 cohorts:

Cohort	Updegraff (1936) 1933	Project Talent 1960	NLSY79 1979
College entry rate	0.39	0.53	0.58
College premium	0.36	0.35	0.56
Borrowing limit	0	0	22,596
College cost	2,154	2,038	2,731
$\beta_{IQ}$	0.22	0.70	0.58
$\beta_F$	0.68	0.48	0.42

► Details

► Details

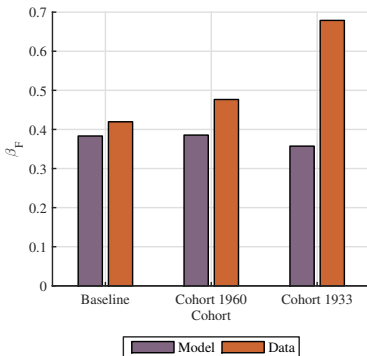
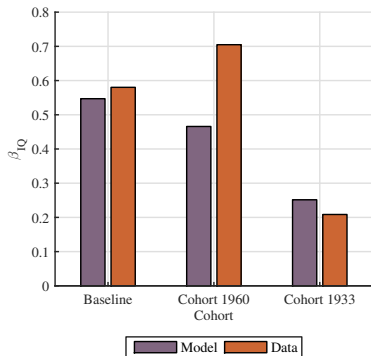
# Time-Series Calibration

Time-varying parameters:

- ▶ borrowing limit:  $k_{min}$
- ▶ mean college cost:  $\mu_\tau$
- ▶ lifetime earnings gap by schooling:  $\bar{Y}(s)$
- ▶ taste for college:  $\bar{\eta}$
- ▶ parental altruism (to match share of college costs paid by “family contributions”)

# Results

# College Entry Over Time



Financial conditions account for

- ▶ 3/4 of the change in  $\beta_{IQ}$
- ▶ 1/6 of the change in  $\beta_F$

# Accounting for Changing College Entry

Which exogenous driving forces account for the changes in college entry patterns?

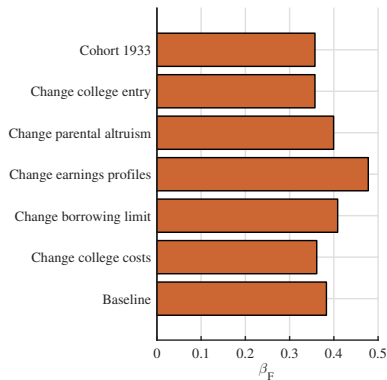
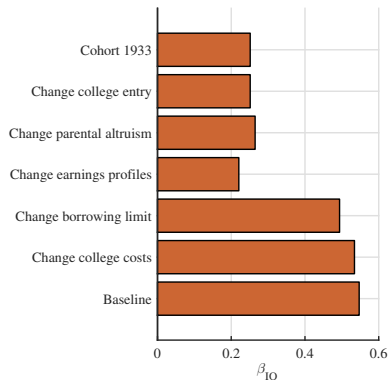
One answer:

1. Start with the baseline (NLSY79) model.
2. One-by-one, change a forcing variable to match the value for an earlier cohort.

For ease of interpretation: The overall college entry rate is held fixed by adjusting the preference parameter  $\bar{\eta}$ .



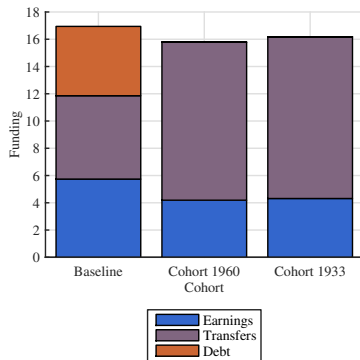
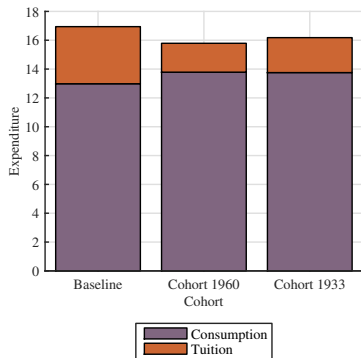
# Accounting for Changing College Entry



Most of the changes in college entry patterns are due to the rising college premium.

► 1960 cohort

# College Financing Over Time



How do students pay for college without loans?

They get larger transfers.

# Conclusion

x

Detail Slides

# NLSY Replication Results

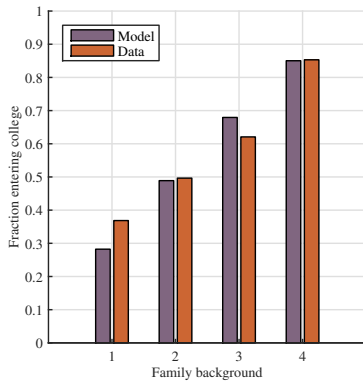
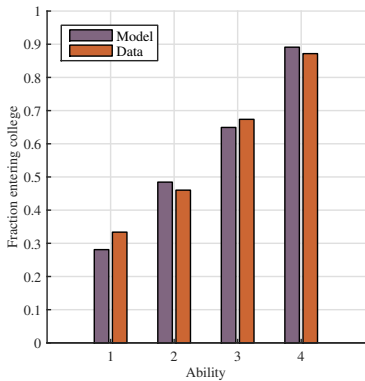


Variation in study design does not systematically affect  $\beta_{IQ}$  or  $\beta_F$ .

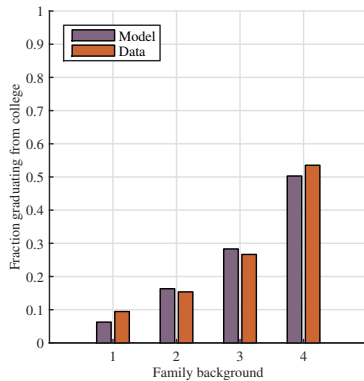
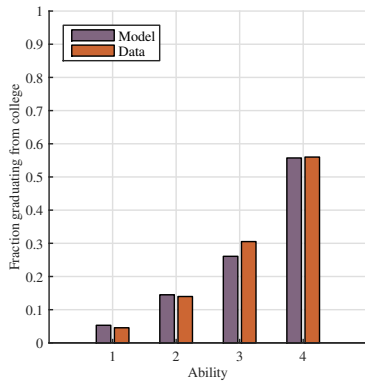
# Calibrated Parameters

Parameter	Description	Value
Endowments		
$\mu_\tau, \sigma_\tau$	Marginal distribution of $\tau$	3.9, 3.0
$\sigma_{IQ}$	IQ noise	0.32
Preferences		
$\omega_l$	Weight on leisure	0.23
$\omega_w$	Weight on $u(c)$ at work	8.60
$\phi_p$	Curvature of parental utility	0.54
$\mu_p$	Weight on parental utility	0.44
$\sigma_p$	Std of weight on parental utility	0.14
$\bar{\eta}$	Preference for HS	-0.10
$\bar{c}_{max}$	Max free consumption	0.9
$\bar{l}_{max}$	Max free leisure	0.10
Other		
$\bar{Y}_s$	Log skill prices	6.48, 6.52, 6.72
$w_c$	College wage	24.4

# College Entry Rates

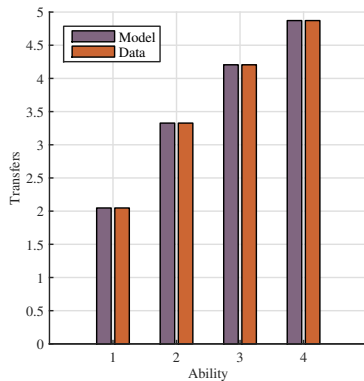
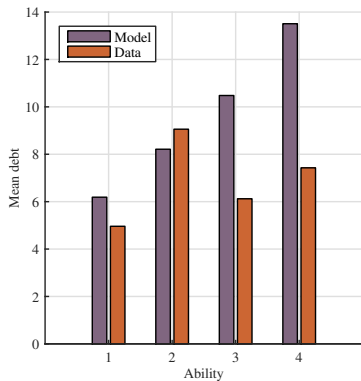


# College Graduation Rates

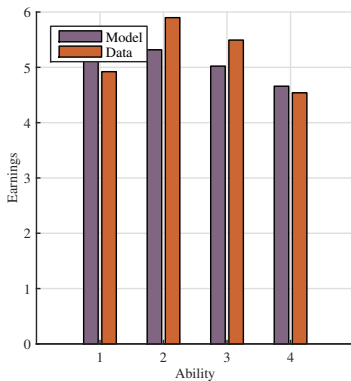
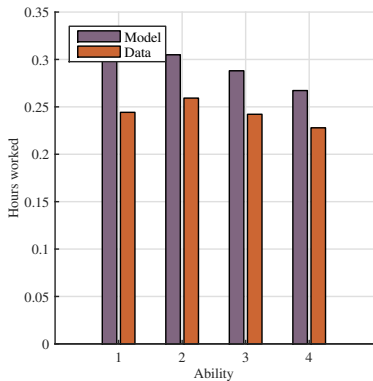




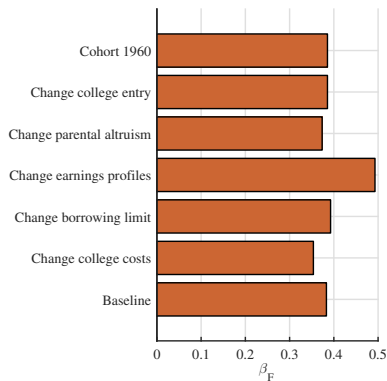
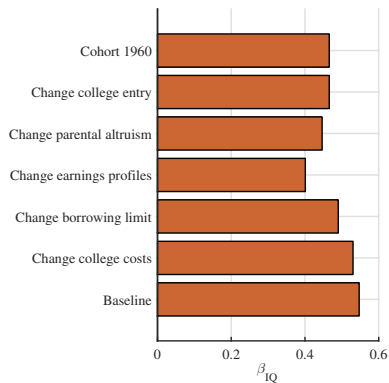
# Debt and Transfers



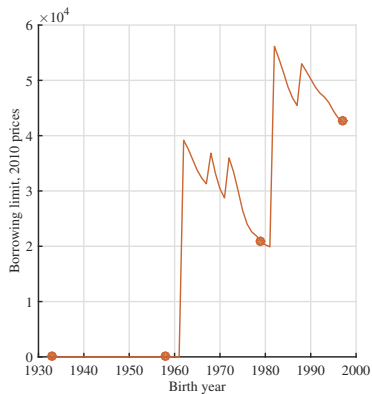
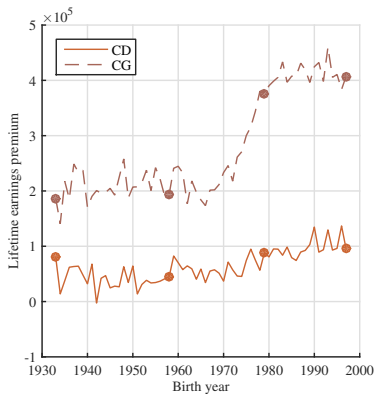
# Hours and Earnings in College



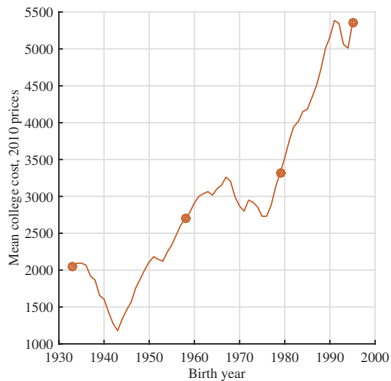
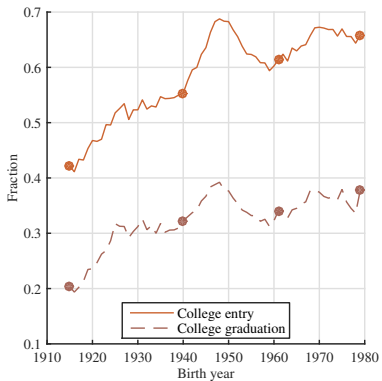
# Accounting for Changing College Entry



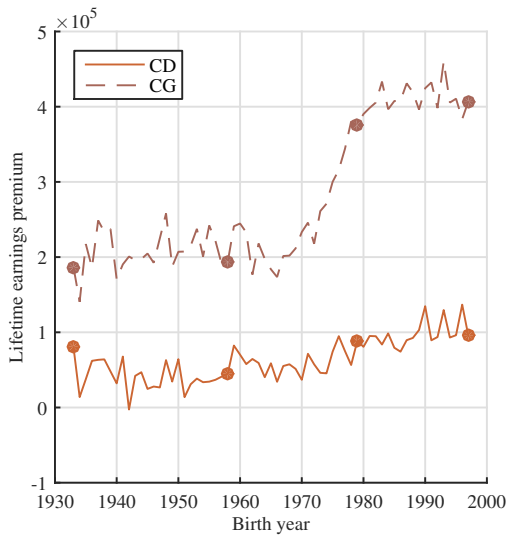
# Time Series Data



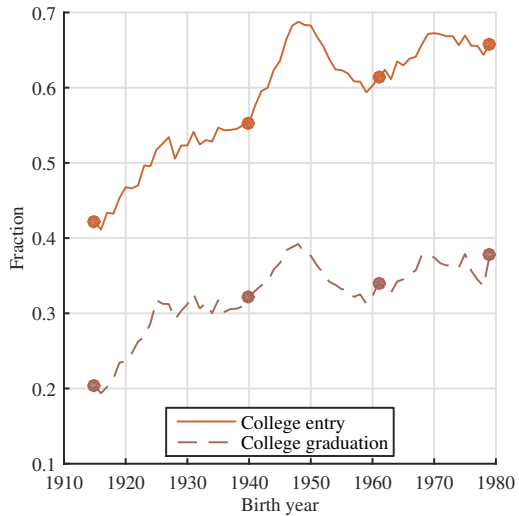
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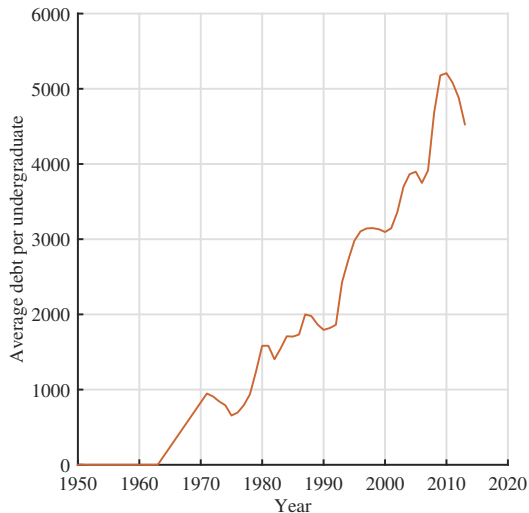
# College Premium



# Cohort Schooling



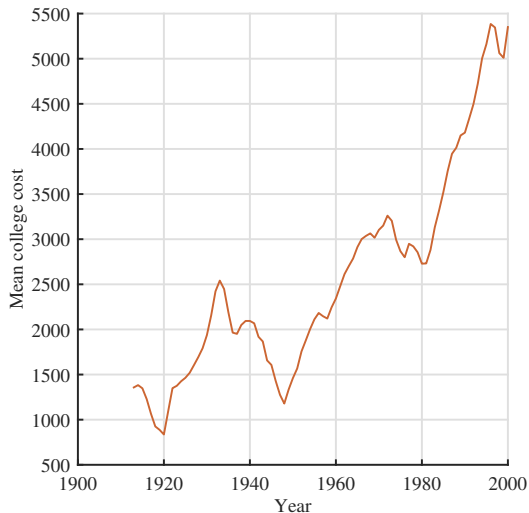
# Mean Student Debt



Mean debt per undergraduate, 2010 prices.

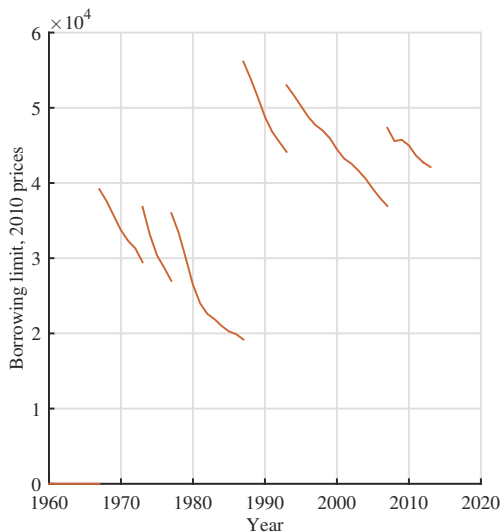


# College Costs



Mean out of pocket college cost, 2010 prices.

# Borrowing Limits



Lifetime maximum undergraduate federal loan limits.

# References I