# AS/AD Model

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#### **Objectives**

#### In this section you will learn

- 1. how to put IS/LM and labor market clearing together
- 2. how to derive aggregate supply and demand curves
- 3. how to analyze policies and shocks
- 4. why the economy tends towards potential output in the long run

Aggregate Supply (AS)	

## Aggregate Supply

The aggregate supply curve is simply the labor market clearing condition

Recall

$$Y^{s} = F\left(W/P^{e}, z\right) \tag{1}$$

$$=F\left(\frac{P}{P^e}\frac{1}{1+m},z\right) \tag{2}$$

F is upward sloping in  $W/P^e$ .

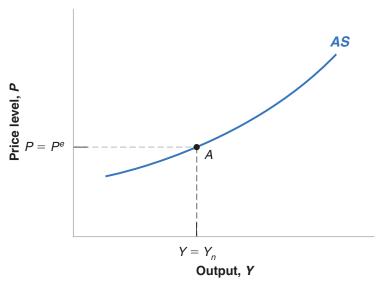
## Properties of AS

```
Holding constant P^e: Y \uparrow \Longrightarrow P \uparrow Intuition:
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Holding constant  $Y: P^e \uparrow \Longrightarrow P \uparrow$ Intuition:

When  $P = P^e$ :  $Y = Y_n$  and  $u = u_n$  these values define  $Y_n, u_n$ .

# Aggregate Supply



What shifts AS?

Aggregate	Demand	(AD)	

#### Aggregate Demand

- AD combines IS and LM
- ► Recall:
  - ► IS: Y = C(Y T) + I(Y, i) + G► LM: M/P = YL(i)
- ► Combine the two, so that *i* is eliminated

**AD**: 
$$Y = Y(M/P, G, T)$$
 (3)

- ▶ This is downward sloping:  $P \uparrow \Longrightarrow Y \downarrow$
- Intuition: ...

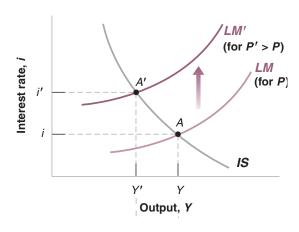
# Deriving AD

- ▶ The linear case:
  - ► IS:  $Y = Y_0 + a_1 Y a_2 i$
  - ► LM:  $M/P = L_0 \alpha i$
- ► LM:  $i = (L_0 M/P)/\alpha$
- AD

$$Y(1-a_1) = Y_0 - a_2(L_0 - M/P)/\alpha \tag{4}$$

$$Y = \frac{Y_0 + a_2(M/P - L_0)}{1 - a_1} \tag{5}$$

## Deriving AD Graphically



Trace out intersection of IS/LM as  $P \uparrow$ .

#### **AD Shifters**

- Anything that shifts IS or LM left shifts AD left (towards lower Y)
- Examples

```
    IS: G ↓, T ↑, C<sub>0</sub> ↓
    LM: M ↓
```

- ► These are exactly the shocks that reduce *Y* in the short-run model
- ▶ AD really collects all short-run equilibria, one for each *P*.

Equilibrium

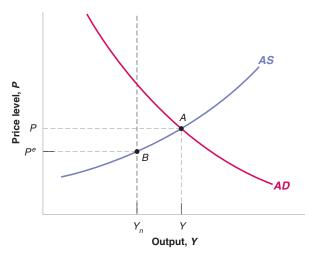
# Equilibrium summary

Curve	Equation	Shifters	
AS	$Y = F\left(\frac{P}{P^e} \frac{1}{1+m}, z\right)$	$m\uparrow,P^e\uparrow,z$	
AD	Y = C(Y - T) + G + I(Y, i) M/P = YL(i)	$M/P\uparrow,G\uparrow,T\downarrow$	

Short run:  $P^e$  given.

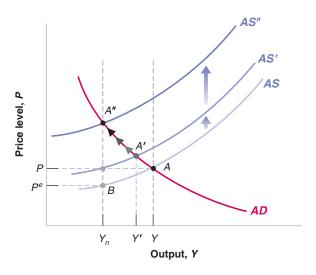
Medium run:  $P^e \rightarrow P$ .

# Short-run Equilibrium



Clear all markets for a given  $P^e$ 

#### Transition Towards Medium-run



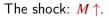
Expectations adjust towards  $P^e = P$ AS shifts up  $Y \rightarrow Y_n$ 

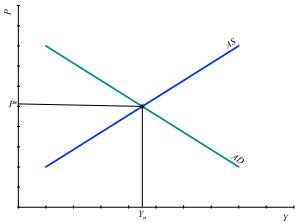
#### Analyzing the Model

- 1. Start with the medium run:
  - 1.1 vertical supply:  $Y = Y_n$
  - 1.2 on the point of the AD curve where  $P = P^e$
- 2. Apply a shock
  - 2.1 find the new medium run  $(P^e = P)$
  - 2.2  $Y_n$  only changes if m or z were shocked
  - 2.3 find the new short-run ( $P^e$  unchanged)
- 3. Transition
  - 3.1 AS curve shifts towards new medium run equilibrium

# Applications

# Monetary Expansion





# Monetary Expansion

Medium run:

Short run:

#### Transition:

▶ AS shifts toward  $Y_n$ .

## Monetary Expansion

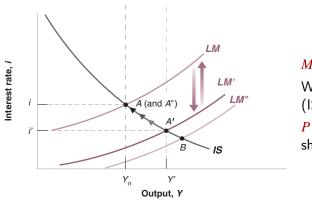
#### Result

Money is neutral in the medium run:

- ► *M* affects prices, but not any real variables
- Doubling M doubles P

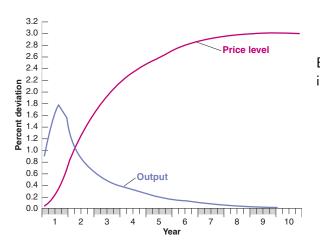
This is why we could ignore money in the long-run growth analysis.

#### Intuition



 $M \uparrow \Longrightarrow i \downarrow \Longrightarrow I \uparrow$  With fixed  $P: A \to B$  (IS/LM)  $P \uparrow$  dampens the short-run effect

## **Empirical Evidence**



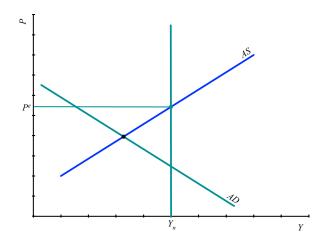
Estimated macro models imply:

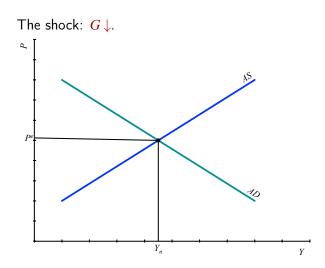
- the peak effect of monetary policy hits after nearly 1 year
- it takes several years for the real effects to wear off

# Why Monetary Policy Is Hard

Suppose the economy is hit by an adverse AD shock The Fed counters by expanding M There is a long lag between the increase in M and the shift in AD What happens?

# Why Monetary Policy Is Hard





#### Medium run:

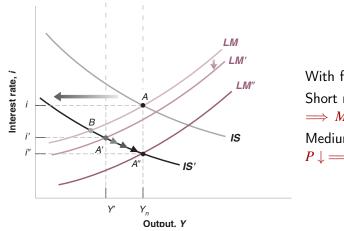
- AS:
- AD:

#### Short run:

- AS:
- AD:

#### Transition:

 $\triangleright$  AS shifts towards  $Y_n$ 



With fixed  $P: A \rightarrow B$ . Short run:  $G \downarrow \Longrightarrow P \downarrow$   $\Longrightarrow M/P \uparrow \Longrightarrow i \downarrow$ Medium run:  $P \downarrow \Longrightarrow LM \downarrow$ 

#### Short run:

- Y ↓
- ▶ I ambiguous  $(Y \downarrow \text{ but } i \downarrow)$

#### Medium run:

- Y returns to natural level
- $I \uparrow$ : crowding in

#### Long run:

$$ightharpoonup K \uparrow \Longrightarrow Y \uparrow$$

This is the source of current disagreement: how to trade off the short run pain against the long run gain.

#### Summary

	Short run		Medium run			
	Y	i	P	Y	i	P
$M \uparrow$	<b>↑</b>	<b>↓</b>	<b>↑</b>	_	_	<b>↑</b>
$G \uparrow$	<b>↑</b>	1	<b>↑</b>	_	<b>↑</b>	<b>↑</b>

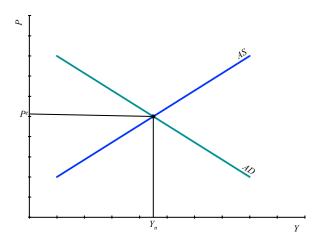
Short-run effects of shocks differ from medium-run effects.

Intuition: In the short run, wages do not fully adjust (b/c  $P^e$  is sticky).

## Adverse Supply Shock

- Example: permanent increase in the price of oil
- ▶ Main effect: given wages, prices must rise
- ▶ Model as increase in markup:  $m \uparrow$ .

# Adverse Supply Shock



# Adverse Supply Shock

Medium run:

Short run:

Transition: AS shifts towards  $Y_n$ .

## Stagflation

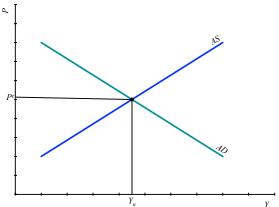
Demand shocks: output and prices move together. Supply shocks: output and prices move against each other. Stagflation:

adverse supply shock creates stagnation and inflation.

## Stabilization Policy

How should policy respond to recessions?

Case 1: Adverse demand shock

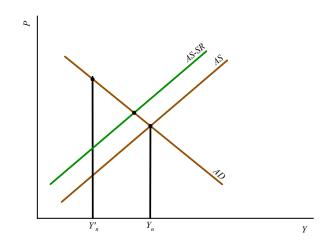


## Stabilization Policy

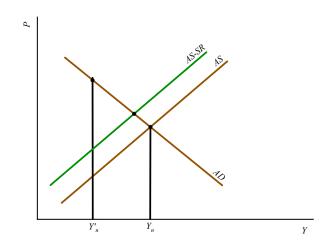
Case 2: Adverse supply shock Two policy options:

- 1. Stabilize prices
- 2. Stabilize output

# Stabilizing Prices



# Stabilizing Output



## Stabilization Policy

What happens if policy makers misdiagnose the source of the shock?

Historical examples?

# Reading

Blanchard/Johnson, Macroeconomics, 6th ed, ch. 7