#### Deadlock



# Recap: Synchronization

- Race condition
  - A situation when two or more threads read and write shared data at the same time
- Critical section
  - Code sections of potential race conditions
- Mutual exclusion
  - If a thread executes its critical section, no other threads can enter their critical sections
- Peterson's solution
  - Software only solution providing mutual exclusion,



# Recap: Synchronization

- Spinlock
  - Spin on waiting
  - Use synchronization instructions (test&set)
- Mutex
  - Sleep on waiting
- Semaphore
  - Powerful tool, but often difficult to use
- Monitor
  - Powerful and (relatively) easy to use



```
Mutex lock;
Condition full, empty;
produce (item)
  while (queue.isFull())
     empty.wait(&lock);
  queue.enqueue(item);
  full.signal();
consume()
  while (queue.isEmpty())
  item = queue.dequeue(item);
  return item;
```

```
Semaphore mutex = 1, full = 0,
empty = N;
produce (item)
 P (&empty)
  P(&mutex);
  queue.enqueue(item);
  V(&mutex);
     V (&full)
consume()
{
    P (&full)
  P(&mutex);
  item = queue.dequeue();
  V(&mutex);
    V (&empty)
  return item;
```



```
Mutex lock;
Condition full, empty;
produce (item)
  lock.acquire();
  while (queue.isFull())
     empty.wait(&lock);
  queue.enqueue(item);
  full.signal();
  lock.release();
consume()
   lock.acquire();
  while (queue.isEmpty())
     full.wait(&lock);
   item = queue.dequeue(item);
  empty.signal();
   lock.release();
   return item;
```

```
Semaphore mutex = 1, full = 0,
empty = N;
produce (item)
{
  P(&empty);
  P(&mutex);
  queue.enqueue(item);
  V(&mutex);
  V(&full);
consume()
{
  P(&full);
  P(&mutex);
  item = queue.dequeue();
  V(&mutex);
  V(&empty);
  return item;
}
```

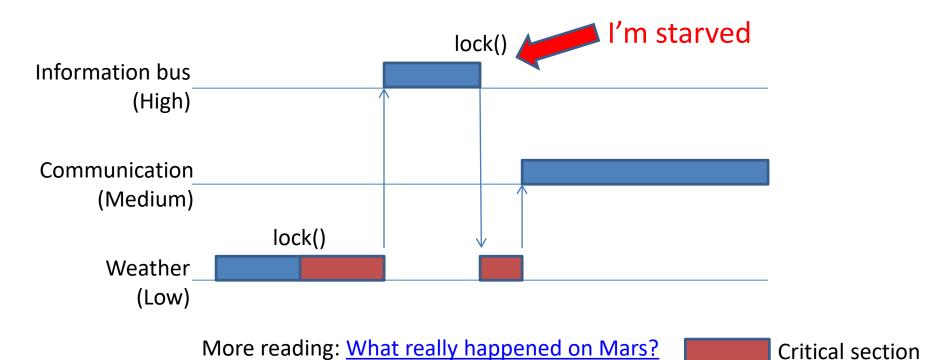


#### Agenda

- Deadlock
  - Starvation vs. deadlock
  - Deadlock conditions
  - General solutions: detection and prevention
  - Detection algorithm
  - Banker's algorithm



#### Starvation



- Starvation
  - Wait potentially indefinitely, but it can end



#### Starvation vs. Deadlock

- Deadlock: circular waiting for resources
  - Example: semaphore A = B = 1

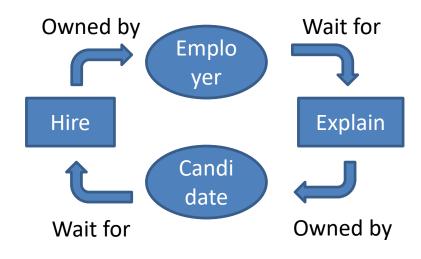
P0	P1	Owned by P0	Wait for
P(A)	P(B)	A	В
P(A) P(B)	P(A)	P1	
		Wait for	Owned by

- Deadlock → Starvation
  - But reverse is not true
- Deadlock can't end but starvation can



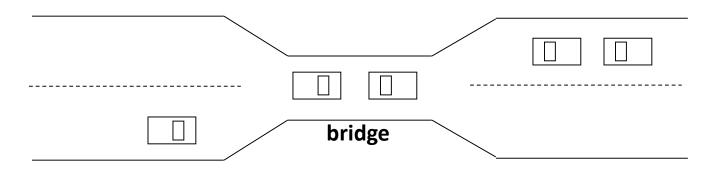
#### Deadlock







## **Bridge Crossing**



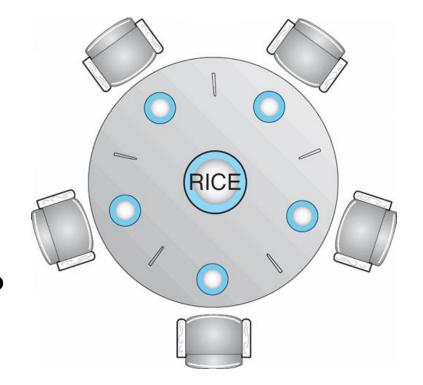
- Traffic only in one direction
- Each section of a bridge can be viewed as a resource
- If a deadlock occurs, how to fix it?
  - Make one car backs up
  - Several cars may have to be backed up if a deadlock occurs



## **Dining Philosophers**

- Problem synopsis
  - Need two chopsticks to eat
  - Grab one chopsticks at a time

- What happens if all grab left chopstick at the same time??
  - Deadlock!!!



- How to fix it?
- How to avoid it?



#### **Conditions for Deadlocks**

- Mutual exclusion
  - only one process at a time can use a resource
- No preemption
  - resources cannot be preempted, release must be voluntary
- Hold and wait
  - a process must be holding at least one resource, and waiting to acquire additional resources held by other processes
- Circular wait
  - There must be a circular dependency. For example, A waits B, B waits C, and C waits A.
- All four conditions must simultaneously hold



#### Resource-Allocation Graph

- To illustrate deadlock conditions.
- Graph consists of a set of vertices V and a set of edges E
- V is partitioned into two types:
  - $P = \{P_1, P_2, ..., P_n\}$ , the set consisting of all the processes in the system
  - $R = \{R_1, R_2, ..., R_m\}$ , the set consisting of all resource types in the system
- request edge directed edge  $P_i \rightarrow R_i$
- assignment edge directed edge  $R_i \rightarrow P_i$



## Resource-Allocation Graph

Process



Resource Type with 4 instances



 $\blacksquare$   $P_i$  requests instance of  $R_i$ 

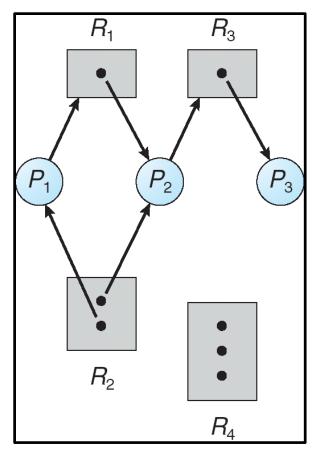


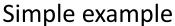
 $\blacksquare$   $P_i$  is holding an instance of  $R_i$ 

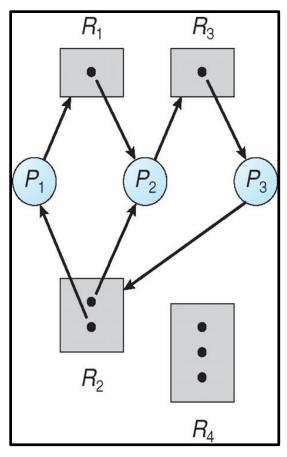




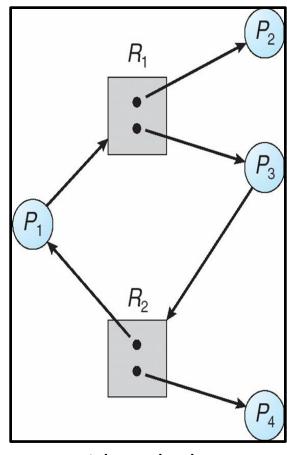
#### Resource Allocation Graph







Deadlock example



With cycle, but no deadlock



- request edge directed edge  $P_i \rightarrow R_i$
- **assignment edge** directed edge  $R_i \rightarrow P_i$

## Methods for Handling Deadlocks

- Detection and recovery
  - Allow a system to enter a deadlock and then recover
    - Need a detection algorithm
    - Somehow "preempt" resources
- Prevention and avoidance
  - Ensure a system never enter a deadlock
  - Possible solutions
    - have "Infinite resources"
    - prevent "hold and wait"
    - prevent "circular wait"

Recall four deadlock conditions:

(1) Mutual exclusion, (2) no preemption, (3) hold and wait, (4) circular wait



#### Deadlock Detection

- Deadlock detection algorithms
  - Single instance for each resource type
  - Multiple instances for each resource type



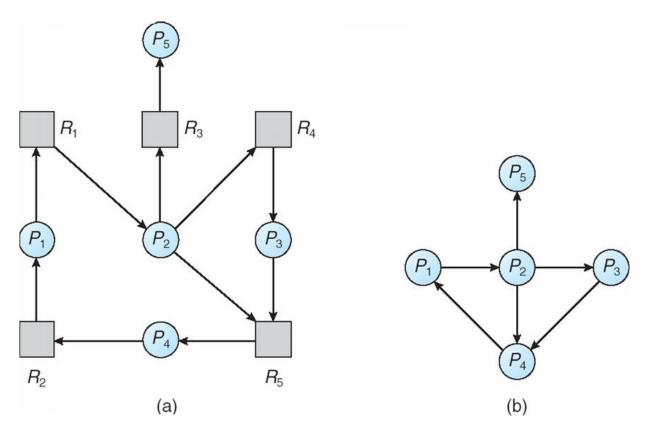
#### Single Instance Per Resource

- Each resource is unique
  - E.g., one printer, one audio card, ...
- Wait-for-graph
  - Variant of the simplified resource allocation graph
  - Remove resource nodes, collapse corresponding edges

- Detection algorithm
  - Searches for a cycle in the wait-for graph
  - Presence of a cycle points to the existence of a deadlock



# Wait-for Graph



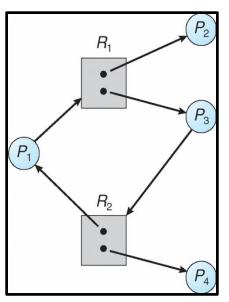
Resource-Allocation Graph

Corresponding wait-for graph



## Multiple Instances Per Resource

- **n** processes, **m** resources
- FreeResources: resource vector (of size m)
  - indicates the number of available resources of each type
  - [R1, R2] = [0,0]
- Alloc[i]: process i's allocated resource vector
  - defines the number of resources of each type currently allocated to each process
  - Alloc[1] = [0,1],
  - Alloc[2] = [1, 0], ...
- Request[i]: process i's requesting resource vector
  - indicates the resources each process requests
  - Request[1] = [1,0],
  - Request[2] = [0,0], ...



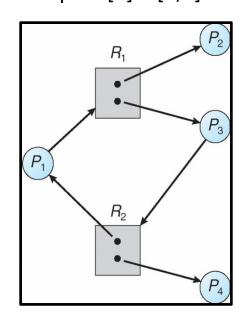


## **Detection Algorithm**

1. Initialize Avail and Finish vectors

- 2. Find an index i such that
   Finish[i] == false AND Request[i] ≤ Avail
   If no such i exists, go to step 4
- 3. Avail = Avail + Alloc[i], Finish[i] = true
  Go to step 2
- 4. If Finish[i] == false, for some i, 1 ≤ i ≤ n,(a) then the system is in deadlock state

- FreeResources: resource vector [R1, R2] = [0,0]
- Alloc[i]: process i's allocated resource vector: Alloc[1] = [0,1], Alloc[2] = [1, 0]
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## Recovery from Deadlock

#### Terminate

- Preempt the resources
- Bridge example: throw the car to the river
- Kill the deadlocked threads and return the resources

#### Rollback

- Return to a known safe state
- Bridge example: move one car backward
- Dining philosopher: make one philosopher give up a chopstick

#### Not always possible!



### Recap: Starvation vs. Deadlock

- Deadlock: circular waiting for resources
  - Example: semaphore A = B = 1

P0	P1	Owned by P0	Wait for
P(A)	P(B)	A	В
P(A) P(B)	P(A)	P1	
		Wait for	Owned by

- Deadlock → Starvation
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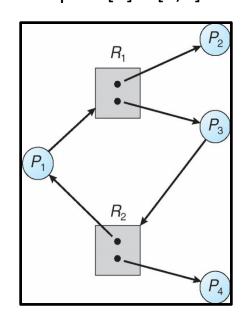


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## Recap: Recovery from Deadlock

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#### Not always possible!



- Break any of the four deadlock conditions
  - Mutual exclusion
  - No preemption
  - Hold and wait
  - Circular wait



- Break any of the four deadlock conditions
  - Mutual exclusion → allow sharing
    - Well, not all resources are sharable
  - No preemption
  - Hold and wait
  - Circular wait



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  - Mutual exclusion → allow sharing
    - Well, not all resources are sharable
  - - This is also quite hard (kill the threads)
  - Hold and wait
  - Circular wait



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    - Dining philosopher: get both chopsticks or none
  - Circular wait



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  - Mutual exclusion → allow sharing
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  - No preemption → allow preemption
    - This is also quite hard (kill the threads)
  - Hold and wait → get all resources at once
    - Dining philosopher: get both chopsticks or none
  - Circular wait → prevent cycle
    - Dining philosopher: change the chopstick picking order;
       if grabbing a chopstick will form a cycle, prevent it.



### Banker's Algorithm

#### General idea

- Assume that each process's maximum resource demand is known in advance
  - Max[i]: process i's maximum resource demand vector
- Pretend each request is granted, then run the deadlock detection algorithm
- If a deadlock is detected, the do not grant the request to keep the system in a safe state



# Banker's Algorithm

1. Initialize **Avail** and **Finish** vectors

2. Find an index i such that

$$Max[i] - Alloc[i] \le Avail$$

If no such i exists, go to step 4

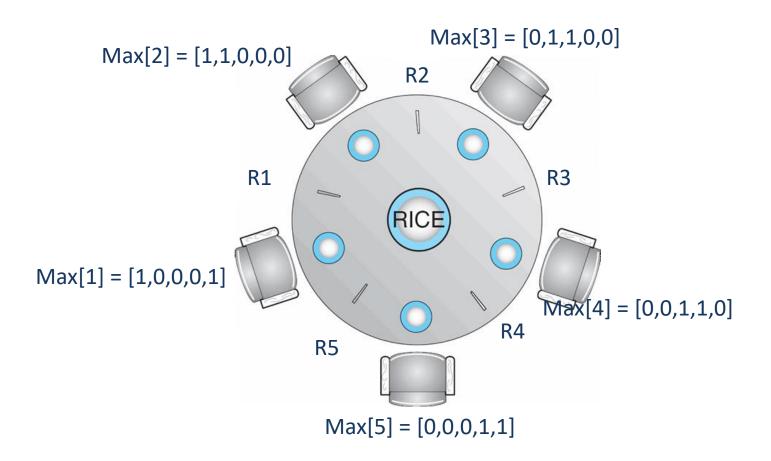
- 3. Avail = Avail + Alloc[i], Finish[i] = true
  Go to step 2
- 4. If Finish[i] == false, for some i,  $1 \le i \le n$ ,
  - (a) then the system is in deadlock state
  - (b) if Finish[i] == false, then P<sub>i</sub> is deadlocked

- FreeResources: resource vector [R1, R2] = [0,0]
- Alloc[i]: process i's allocated resource vector: Alloc[1] = [0,1], Alloc[2] = [1, 0]
- Request[i]: process i's requesting vector: Request[1] = [1,0] Request[2] = [0,0]
- Max[i]: process i's maximum resource demand vector



# Example

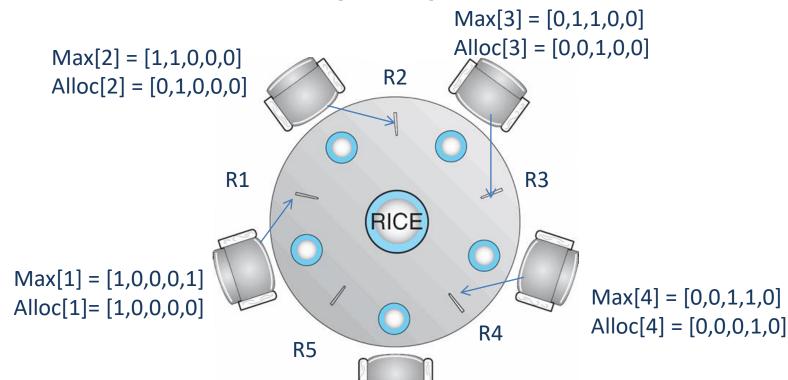
Free = [1,1,1,1,1]





## Example

Free = [0,0,0,0,1]Avail = [0,0,0,0,1]



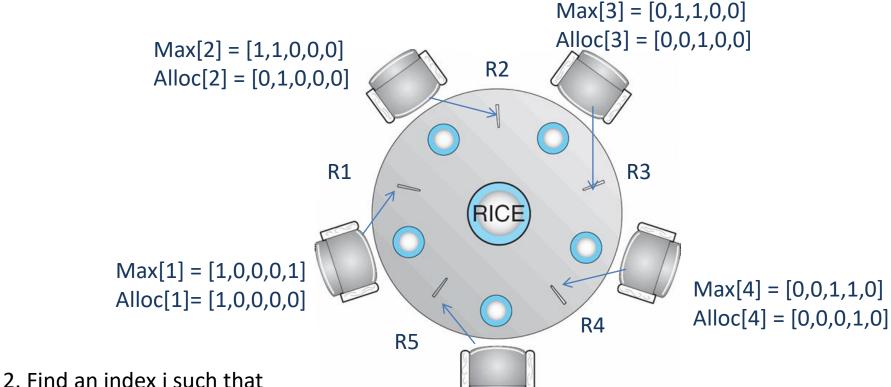
- Philosopher 5 requested R5.
- Safe or Unsafe?

Max[5] = [0,0,0,1,1]Alloc[5] = [0,0,0,0,0]



## Example

Free = [0,0,0,0,0]Avail = [0,0,0,0,0]



Finish[i] == false AND

Max[i] - Alloc[i] ≤ Avail

If no such i exists, go to step 4

Max[5] = [0,0,0,1,1]Alloc[5] = [0,0,0,0,1]



• Determine whether this state is safe or unsafe.

Total resources: 12

**Avail** resources: 3

		Alloc	Max	Process	
	10 – 4 <= 8	4	10	$P_0$	
Safe	3 – 1 <= 7	1	3	$P_1$	
	$6 - 4 \le 3$	4	6	$P_{2}$	



Suppose P0 requested 3 additional resources.
 Should this request be granted?

Total resources: 12

Avail resources: 0

Process	Max	Alloc		
$P_0$	10	7	10 − 7 <= 0	
$P_{1}$	3	1	3 − 1 <= 0	Unsafe
$P_2$	6	4	6 − 4 < ≠ 0	



 Suppose there are three resource types, which are needed by four processes. Is it safe now?

R1	R2	R3
2	1	2

← Free Resources

	Current Allocation			Max		
Process	R1	R2	R3	R1	R2	R3
P1	0	0	1	0	0	3
P2	2	0	0	2	4	5
Р3	0	0	3	6	3	5
P4	2	3	5	4	3	5

← Current and Maximum Allocations



• If P2 requests (1, 1, 2), should it be granted?

R1	R2	R3
2	1	2

← Free Resources

	Current Allocation			Max		
Process	R1	R2	R3	R1	R2	R3
P1	0	0	1	0	0	3
P2	2	0	0	3	4	5
Р3	0	0	3	6	3	5
P4	2	3	5	4	3	5

← Current and Maximum Allocations



• If P2 requests (1, 1, 2), should it be granted?

R1	R2	R3
1	0	0

← Free Resources

No

	Current Allocation			Max		
Process	R1	R2	R3	R1	R2	R3
P1	0	0	1	0	0	3
P2	3	1	2	3	4	5
P3	0	0	3	6	3	5
P4	2	3	5	4	3	5

← Current and Maximum Allocations



## Summary

- Four deadlock conditions:
  - Mutual exclusion
  - No preemption
  - Hold and wait
  - Circular wait
- Detection
- Avoidance
  - Banker's algorithm

