

Question 1

- 1) Candidate keys: $K1 = \{E, J\}$, $K2 = \{I, J\}$
 prime attributes: E, I, J
 non-prime attributes: A, B, C, D, G, H
- 2) total number of super keys: $2^6 \times 3 = 192$
 e.g. ① HIJ ② GIJ ③ AIJ ④ BIJ ⑤ CIJ
- 3) highest normal form: 1NF
 Obviously, R satisfies with 1NF
 for $K1 = \{E, J\}$, $E \rightarrow GH$ (partial function dependency)
 \Rightarrow R does not satisfy with 2NF
 \Rightarrow highest normal form: 1NF
- 4) $F_m = \{G \rightarrow B, H \rightarrow A, H \rightarrow C, H \rightarrow D, IJ \rightarrow E\}$
- 5) $R1 = \{ABE\}$ $R2 = \{CDH\}$ $R3 = \{EGHIJ\}$
 $\pi_{R1} = \emptyset$ $\pi_{R2} = \{H \rightarrow CD, C \rightarrow D\}$ $\pi_{R3} = \{IJ \rightarrow EG, E \rightarrow GH, G \rightarrow H\}$
 $F' = \pi_{R1} \cup \pi_{R2} \cup \pi_{R3} \Rightarrow F' = \{CDEGHIJ\}$
 due to $F = \{ABCEGHIJ\}$ $F' \neq F$
 so the decomposition is not dependency preserving

	A	B	C	D	E	G	H	I	J
R1	a	a	a	a	a	a	a	a	b
R2	a	b	a	a	b	b	a	b	b
R3	a	a	a	a	a	a	a	a	a

- ① $H \rightarrow CD$
 - ② $E \rightarrow GHI$
 - ③ $G \rightarrow BH$
 - ④ $H \rightarrow ACD$
- After that, R3 is entirely a's
 so the decomposition is lossless join

- 7) $D = \{R\}$ $F = \{EC \rightarrow B, C \rightarrow D, G \rightarrow BH, H \rightarrow ACD, E \rightarrow GHI, IJ \rightarrow EG\}$
 - ① $D = \{R1, R2\}$ $EC \rightarrow B \Rightarrow R1 = \{BCE\}$ $R2 = \{ACDEGHIJ\}$
 - ② $D = \{R1, R21, R22\}$ $C \rightarrow D \Rightarrow R1 = \{BCE\}$ $R21 = \{CD\}$ $R22 = \{ACEGHIJ\}$
 - ③ $D = \{R1, R21, R31, R32\}$ $H \rightarrow A \Rightarrow \dots R31 = \{AH\}$ $R32 = \{CEGHIJ\}$
 - ④ $D = \{R1, R21, R31, R41, R42\}$ $H \rightarrow C \Rightarrow \dots R41 = \{CH\}$ $R42 = \{EGHIJ\}$
 - ⑤ $D = \{R1, R21, R31, R41, R51, R52\}$ $G \rightarrow H \Rightarrow \dots R51 = \{GH\}$ $R52 = \{EGIJ\}$
 - ⑥ $D = \{R1, R21, R31, R41, R51, R61, R62\}$ $E \rightarrow G \Rightarrow \dots R61 = \{EG\}$ $R62 = \{EIJ\}$
- so the result of decomposition is
- $$R = \{\{BCE\}, \{CD\}, \{AH\}, \{CH\}, \{GH\}, \{EG\}, \{EIJ\}\}$$

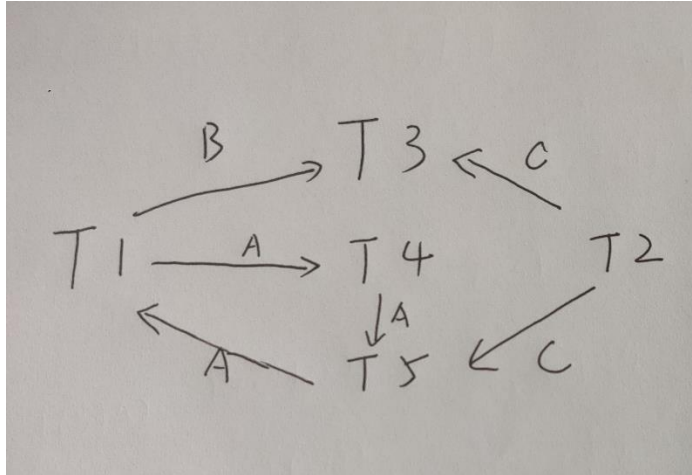
Question 2

1)

redo: T1, T5

undo: T3, T4

2)



3)

	t1	t2	t3	t4	t5	t6	t7	t8	t9	t10	t11	t12	t13	t14	t15	t16	t17	t18
T1			R(A)				R(B)		W(A)						W(B)			
T2	R(C)				W(C)													
T3		R(B)								R(C)						W(B)	W(C)	
T4				R(D)								W(D)	R(A)					W(A)
T5						R(C)		R(A)			W(C)			W(A)				

Lock in red and unlock in blue

Compared with the given schedule, only the order of t10 and T11 operations has been switched

4)

	t1	t2	t3	t4	t5	t6	t7	t8	t9	t10	t11	t12	t13	t14	t15	t16	t17	t18
T1			R(A)				R(B)	W(A)							W(B)			
T2	R(C)				W(C)													
T3		R(B)									R(C)					W(B)	W(C)	
T4				R(D)								W(D)	R(A)					W(A)
T5						R(C)		R(A)	W(C)					W(A)				

Lock in red and unlock in blue

Compared with the given schedule, only the order of t8 and t9 operations has been switched