

Title

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Abstract: Operations with tensors, or multiway arrays, have become increasingly prevalent in recent years. Traditionally, tensors are represented or decomposed as a sum of rank-1 outer products, but in this paper we explore an alternate representation of tensors which shows promise with respect to the tensor approximation problem. We also discuss implications for extending basic algorithms such as the power method, QR iteration, and Krylov subspace methods. To conclude, we present two applications of this theoretical framework; image deblurring and face recognition.

Keywords: tensor, deblurring, face recognition.

I. INTRODUCTION

A tensor is a multi-dimensional array of numbers. For example, we could say that vector $v \in \mathbb{R}^{n_1}$ is a first-order tensor and similarly, matrix $M \in \mathbb{R}^{n_1 \times n_2}$ is a second-order tensor. Therefore, a third-order tensor is $\mathcal{A} \in \mathbb{R}^{n_1 \times n_2 \times n_3}$.

In this paper, we provide a setting in which the familiar tools of linear algebra can be extended to better understand third-order tensors. Significant contributions to extending matrix analysis has been made in the works of Misha E. Kilmer and others in [1] and [2].

In sections that follow, we first introduce the basic notions and definitions of this new framework. We present methods which will be used in applications and continue with two examples (image deblurring and face recognition), showing our implementation in Octave and human-readable results.

II. THEORETICAL FRAMEWORK

There are...

III. IMAGE DEBLURRING

In this section...

i. Subsection

Based on...

IV. FACE RECOGNITION

As we could have seen in...

REFERENCES

- [1] Misha E. Kilmer, Karen Braman, Ning Hao. Third Order Tensors as Operators on Matrices: A Theoretical and Computational Framework with Applications in Imaging
- [2] Misha E. Kilmer, Carls D. Martin Factorization Strategies for Third-order Tensors