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Client Segmentation in Wholesale Markets using Multivariable Data Analysis Methods

Final Project

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1. Introduction

1.1. The aim of the project

In today's competitive world, an organization's success largely depends on how much it understands customer behavior. Understanding each customer to better tailor the organization's efforts to their individual needs is a very costly task (1). The main aim of this project is to find if we can meaningfully segment the clients of a business based exclusively on the annual spending habits.

1.2. About the data set

The data set refers to clients of a wholesale distributor. It includes the annual spending habits of 440 clients in monetary units (m.u.) on diverse product categories. This data set has been sourced from the Machine Learning Repository of University of California, Irvine Wholesale Customers Data Set (UC Irvine). The UCI page mentions the original source of the data set is found in: "Abreu, N. (2011). Analise do perfil do cliente Recheio e desenvolvimento de um sistema promocional. Mestrado em Marketing, ISCTE-IUL, Lisbon".

Here are more details on this data set:

- CHANNEL customers' Channel: 1 Horeca (Hotel/Restaurant/Caffe) or 2 Retail channel (Nominal);
- REGION customers' Region: 1 Lisnon, 2 Oporto or 3 Other (Nominal);
- FRESH annual spending (m.u.) on fresh products (Continuous);
- MILK annual spending (m.u.) on milk products (Continuous);
- GROCERY annual spending (m.u.) on grocery products (Continuous);
- FROZEN annual spending (m.u.) on frozen products (Continuous);
- DET-PAP annual spending (m.u.) on detergents and paper products (Continuous);
- DELICATESSEN annual spending (m.u.) on and delicatessen products (Continuous).

2. Data exploration

2.1. The visual Data Analysis

Before delving into the projects, we will begin exploring the data through visualization and how each feature is related to others to get a better understanding of the data. We construct a summary for data (given by figure 1) and scatter matrix (given by figure 2).

```
> wholesale <- read.table("data.txt", header=TRUE)
> head(wholesale)
 Channel Region Fresh Milk Grocery Frozen Det_Pap Delicatessen
              3 12669 9656
                              7561
                                      214
                                             2674
                 7057 9810
                                                          1776
                              95.68
                                     1762
                                             3293
                 6353 8808
                                                          7844
                              7684
                                     2405
                                             3516
                                                          1788
              3 13265 1196
                              4221
                                     6404
                                              507
              3 22615 5410
                              7198
                                             1777
                                     3915
                                                          5185
                 9413 8259
                              5126
                                      666
> attach(wholesale)
> wholesale$Channel = as.factor(wholesale$Channel)
> wholesale$Region = as.factor(wholesale$Region)
> summary(wholesale)
                                                    Grocery
Channel Region
                    Fresh
                                                                     Frozen
                                                                                      Det_Pap
                                                                                                     Delicatessen
       1: 77
2: 47
 1:298
                Min.
                             3
                                Min.
                                           55
                                                 Min.
                                                            3
                                                                 Min.
                                                                       :
                                                                           25.0
                                                                                   Min.
                                                                                              3.0
                                                                                                     Min.
                                                 1st Qu.: 2153
Median : 4756
2:142
                1st Qu.: 3128
                                 1st Qu.: 1533
                                                                 1st Qu.: 742.2
                                                                                   1st Qu.: 256.8
                                                                                                    1st Qu.: 408.2
                                                                                                              965.5
        3:316
                Median: 8504
                                 Median: 3627
                                                                 Median: 1526.0
                                                                                   Median: 816.5
                                                                                                     Median :
                Mean : 12000
                                 Mean : 5796
                                                 Mean
                                                       : 7951
                                                                 Mean
                                                                       : 3071.9
                                                                                   Mean
                                                                                         : 2881.5
                                                                                                    Mean
                                                                                                          : 1524.9
                 3rd Qu.: 16934
                                 3rd Qu.: 7190
                                                 3rd Qu.:10656
                                                                 3rd Qu.: 3554.2
                                                                                   3rd Qu.: 3922.0
                                                                                                     3rd Qu.: 1820.2
                       :112151
                                 Max.
                                       :73498
                                                 Max.
                                                       :92780
                                                                 Max.
                                                                       :60869.0
                                                                                   Max.
                                                                                         :40827.0
                                                                                                    Max.
>
```

Figure 1: A summary about wholesale data

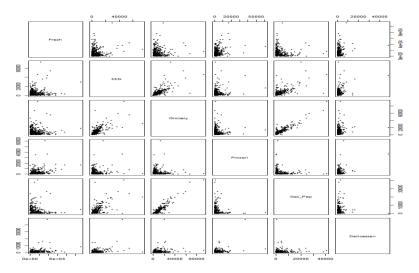


Figure 2: Scatter matrix

Some preliminary assessments of the data:

1. The dataset has 440 observations and there are 8 columns, 6 continuous variables (the last six variables) and two descrete variables (Channel and Region). While 6 continuous record goods that were brought by distributions from the wholesaler, the two descrete variables are factors representing the location and channel of purchase.

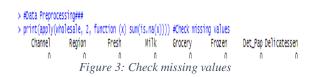
For the purpose of this project, the features "Channel" and "Region" will be excluded in the analysis – with a focus instead of on the six product categories recorded for customers.

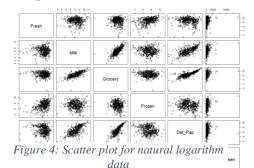
- 2. There is a very strong linear correlation between the 'Grocery' & 'Det_Pap' features; and a correlation between 'Milk' & 'Grocery', 'Milk' & 'Det_Pap' as well. We wish our data are independent to implement clustering model.
- 3. We can also see that the data is not normally distributed due to: There are many outliers, and most of the data points lie on the left, the features for this data are heavily skewed. We need the data features to be normally distributed as clustering algorithms required.
- 4. To get a deeper understanding of how much normalized of our data, we quickly use some simple tests for normality such as: Kolmogorov-Smirnov test, Shapiro, and Q-Q plot. Tests reinforce the conclusion that our data is not normality.

2.2. Data Preprocessing

We will preprocess the data to ensure that our obtained results are significant and meaningful.

- 1. We will check the missing value of observations in our dataset. If there are missing values, then we should be removed from those instances. From the result (see figure 3), we see that our data does not have any missing values.
- 2. Remove two features Channel and Region.
- 3. We need our data is normality, so the simplest way which can work in most cases would be applying the natural logarithm. After using the natural logarithm scale to the data, the distribution of each function should appear much more normality (see figure 4).
- 4. Standardize the variables by using the function scale().





3. Dimensionality reduction using PCA

To understand the data more deeply, I employed the PAC analysis. Principal component analysis (PCA) is one of the simplest multivariable data analysis methods. The main goal of PCA is to reduce the dimensionality of the data - in effect, reducing the computational cost on the original data set. By using PCA, we can create a new space with less dimension but can represent data as well as the old space. Although some theoretical results about principal components assume normality, it is routinely applied also to non-normal data (2).

After applying PCA for the preprocessed model (good_data), we obtained some results shown as the following figures.

```
Scree plot
> PCA <- prcomp(good_data, scale = TRUE)
                                                                              9
> print(PCA)
Standard deviations (1, .., p=6):
[1] 1.6246398 1.2757977 0.8033712 0.7801817 0.5425900 0.4294099
                                                                              8
Rotation (n \times k) = (6 \times 6):
                          PC2
               PC1
                                    PC3
                                               PC4
                                                         PC5
                                                                    PC 6
Fresh
         -0.1046266 0.590473852 -0.63189359 0.48852525 -0.04115995 -0.027446847
                                                                              8
Milk
          Grocery
          0.5716940 -0.006282363 -0.13344981 -0.09567158 -0.09810121 -0.797835027
         0.5513378 -0.068624237 -0.19725842 -0.07734734 -0.61832599 0.513903505
                                                                              49
Det Pap
Delicassen 0.2122351 0.530389241 0.73285210 0.34028597 -0.14412416 0.002237943
> summary(PCA)
Importance of components:
                      PC1
                           PC2
                                PC3
                                       PC4
                                               PC5
                                                     PC6
Standard deviation
                   1.6246 1.2758 0.8034 0.7802 0.54259 0.42941
Proportion of Variance 0.4399 0.2713 0.1076 0.1014 0.04907 0.03073
Cumulative Proportion 0.4399 0.7112 0.8187 0.9202 0.96927 1.00000
                                                                                               Dimensions
```

Figure 6: A summary for PCA

Figure 5: Scree plot

Scree plot (figure 5) used to determine principal components to keep in a principal component analysis (PCA). The components need to describe at least 80% of the cumulative percentage of variance (2). In this case, the three components 1, 2, and 3 account up to 81,87% of the cumulative variance, and 92,02%, is explained by the first four principal components.

From the results obtained on figure 6, three components PC1, PC2, and PC3 are built based on interaction with six goods and shown in equations 1, 2, and 3

```
PC1 = -0.1 \, Fresh + 0.54 Milk + 0.57 Grocery - 0.14 Frozen + 0.55 Det\_Pap + \\ 0.21 Delicassen \, (equation 1) PC2 = 0.59 \, Fresh + 0.13 Milk - 0.06 Grocery + 0.58 Frozen - 0.07 Det\_Pap + \\ 0.53 Delicassen \, (equation 2)
```

$$PC3 = -0.63 Fresh - 0.07 Milk - 0.13 Grocery - 0.03 Frozen - 0.2 Det_Pap + 0.73 Delicassen (equation 3)$$

We can see that Milk, Grocery, Dete_Pap have similar coefficients; also, Fresh and Frozen have similar coefficients. This table below discussed what kind of establishment could each of the first four principal components represent and which features primarily effect to each component

	Primarily	Establishment
PC1	(+) Det_Pap, Milk, Grocery	Retailers
PC2	(+) Fresh, Frozen, Delicatessen	Restaurant or Cafee
PC3	(+) Delicassen	US convenience store
	(-) Fresh	
PC4	(+) Fresh, Delicassen	Gas station shop
	(-) Frozen	

The 2D-plot and 3D-plot are shown in figure 7, show the projection of the original features along with the components with the axes are the principal components.

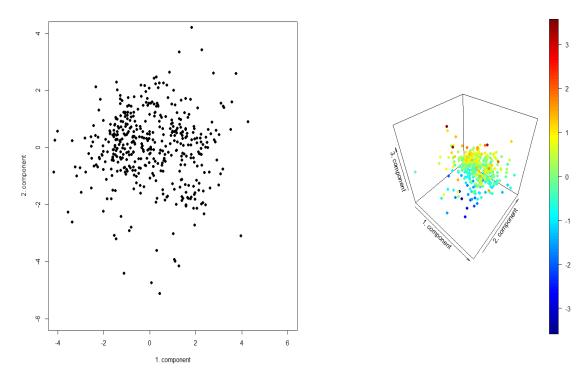


Figure 7: 2D- and 3D- plot

4. Clustering

4.1. K-means clustering algorithm

The k-means algorithm is probably the most popular and commonly used method of the partitioning methods of cluster analysis. In this project, I will choose to use the k-means clustering algorithm because it works well in practice and easy to understand and implement (3).

We do not know ahead of time how many clusters to be made with our data. To answer the value of k-clusters, sometimes, we can go to a business and ask them how many clusters they would expect in the data (1). In addition, there are several methods available to decide on this k-value. In R, the Nbclust function, found in the Nbclust package, is powerful to determine the optimal clusters. After implementing Nbclust, we come up with the best number of clusters is $\mathbf{k} = 2$. Figure 8 shows the plot of the D index. The D index is a graphical method of determining the number of clusters. In the plot of D index, we seek a significant knee (the significant peak in D-index second differences plot) that corresponds to a significant increase in the value of the measure (4).

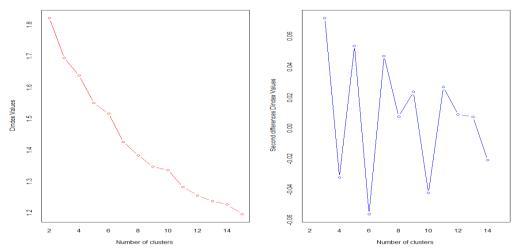


Figure 8: Total within-cluster sum of squares with euclidean distance

```
data.frame(good_data, wholesale.kmeans$cluster)
s_plot, wholesale.kmeans$cluster, color=TRUE, shade
   wholesale.kmeans
neans clustering with 2 clusters of sizes 252, 188
Cluster means:
                                                         _Pap Delicatessen
                                                                     17
2
78
2
                                      10 11 12
2 2 1
71 72 73
1 2 1
132 133 134
                                                                         18 19
1 2
79 80
1 2
140 141
                     6
2
67
2
128
                         7 8 9
2 2 2
68 69 70
2 2 1
129 130 131
                                                    13
2
74
1
                                                        14
2
75
2
                                                             15
2
76
1
                                                                 16
1
77
1
                                                                                 20
81
1
                 5
2
66
2
    2 3 4 5
2 2 1 2
63 64 65 66
2 2 1 2
124 125 126 127
                                                                                          1
83
2
                                                                                       82
                                                        136 137 138
                                                   135
                                                                     139
                                                                                      143
208
2 2 1 1 1 1 1 2 1 2 2 1 1 1 1 1 1 1 2 2 2 2 1 1 1 1 1 1 1 1 1 1 2 2 2 2 1 2 1 306 307 308 309 310 311 312 313 314 315 316 317 318 319 320 321 322 323 324 325 326 327 328 329 330 331 33
429 430 431 432 433 434 435 436 437 438 439 440
Within cluster sum of squares by cluster:

[1] 826.1059 1012.4726

(between_SS / total_SS = 30.2 %)
```

Figure 9: k-means clusstering with 2 clusters of sizes



Figure 10: Feature Channel (1 ~ Horeca; 2 ~ Retail)

To have a better view of the clustering results, we can base on the first two principal components visualize observations (see figure 11).

<u>Interpretation</u>: The analysis explains 71.84% of the multivariate data.

<u>Comment 1:</u> From Cluster means table, we can see

1. Cluster spends at an above-average rate on items like Milk, Grocery, and Det_Pap, indicating that it might represent grocery stores. When compared with feature Channel, 1. cluster has similar observations as Retail (with the value indicated by 1)

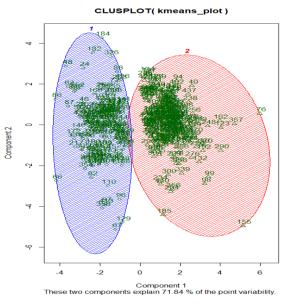


Figure 11: 2D representation of the Cluster Solution

• 2. Cluster spends majority in the Fresh and Frozen category, very lowly spends at Grocery, Det_Pap, and Milk, indicating that it might represent restaurants or seafood or meat market. When compared with feature Channel, 2. cluster has similar observations as Horeca (Hotel/Restaurant/Café/ with the value indicated by 2).

The purpose of this project was to find if we could meaningfully segment the clients of a business based exclusively on the annual spending habits. The 'Channel' and 'Region' features did not have any related to the spending habits, so we excluded from the dataset. Our project discovers that base on the spending habits; clients could be divided into meaningful groups (customer segments). Those groups would be purely classified as "Retailers" or "Hotels, Restaurants, Cafes". The resulting clusters can be believable and have practical significance. Based on these results, businesses can devise business strategies that target specific customer segments.

<u>Comment 2</u>: If the data had not been preprocessed, by a brief analysis, the result would have 3 clusters: the first cluster has 330 observations in it, and the second and third clusters are small with just 50 and 60 observations. The results are more meaningful with the data preprocessed.

4.2. Hierarchical clustering algorithms – Divisive clustering

Divisive hierarchical clustering, also known as Divisive ANAlysis (DIANA) clustering algorithm that follows a top-down approach to identify clusters in a given dataset (1). After applying the function diana(), we have a visualization of results as shown in figure 13. In the dendrogram output, the higher level of the fusion indicates the similarity between the two observations are. When compared to k-means, we want to cut the dendrogram at 2. level, which means the number of clusters obtained is 2. The result after cutting can visualize as figure 13. We can see the result received is similar to the k-means algorithm (figure 11).

CLUSPLOT(diana_plot) Dendrogram of diana Dendro

Figure 13: 2D Cluster plot

Figure 12: Cluster Dendrogram

5. Classification trees

Classification trees are non-parametric methods to recursively partition the data into more "pure" nodes, based on splitting rules. The purpose of this dataset is to predict which customers are Horeca or Retails.

```
Channel ~ Fresh + Milk + Grocery + Frozen + Det_Pap + Delicassen
```

The dataset is ordered by the variable Channel. Before training the model, we have to split the dataset into the training (wholesale.train) and testing (wholesale.test) dataset; each dataset has 220 rows. To create our classification tree, we'll be using the rpart() function. We get the following tree:

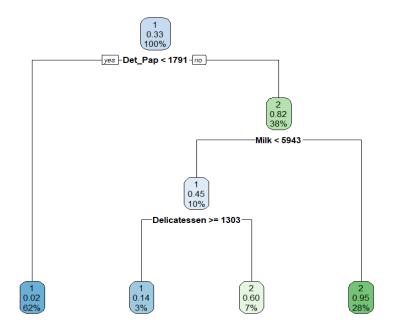


Figure 14: Classification trees.

The prediction and accuracy of the model is then estimated. The accuracy of the model is now 86.81%.

6. Conclusion

In this project, we used a wholesale dataset available from the UCI repository and implemented clustering using the Divisive ANAlysis (DIANA) and k-means method. During this project, we also studied various aspects related to clustering, such as Principal Component Analysis (PCA) and methods for identifying the correct number of clusters. We also explored the use of classification trees to predict customer's channels. The aim of the project was to examine whether the clients of a business could be divided into meaningful groups based exclusively on spending habits. It has been discovered that clients' spending habits can indeed be used to make such discoveries and that it does so quite well.

Bibliography

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