

4 steps of Decentralized Consensus:

1. Independent verification of each transaction

Summary:

Transactions creation and verification process:

1. Collecting UTXO
 - Bitcoin full nodes track all available and spendable outputs, known as unspent transaction outputs, or UTXO.
2. Providing the appropriate unlocking scripts
3. Constructing new outputs assigned to a new owner
4. Every bitcoin node that receives a transaction will verify the transaction.

2. Independent aggregation of transaction into candidate blocks

Summary:

- Maintain a local copy of the blockchain.
- Listening for
 - a. new transactions
 - b. new blocks discovered by other nodes
- Collect, validate, and relay new transactions just like any other bitcoin node.
 - a. After validating transactions, a bitcoin node will add them to the memory pool (transaction pool), where transactions await until they can be included into a candidate block.
- Trying to mine a new candidate block by finding a solution to the Proof-of-Work algorithm.
 - a. A block is called a candidate block because
 1. It does not contain a valid Proof-of-Work
 - a. and therefore, it is not yet a valid block

3. Independent verification of each block

Summary:

Process done by every node

- The node receives newly solved blocks sent from the miners.
- The node validates the newly solved blocks.
- The validated blocks are added to the blockchain.
- The node propagate the valid blocks.

4. Independent selection of blockchain

Summary:

- a. The final step in bitcoin's decentralized consensus mechanism is
 - a. the assembly of blocks into chains
 - b. the selection of the chain with the most Proof-of-Work.
- b. Only the new blocks satisfying validation criteria are maintained by every node:
 - a. Main Blockchain: Those connected to the main blockchain
 - b. Secondary Blockchain: Those that form branches off the main blockchain

- c. **Orphan Blocks:** Those that do not have a known parent in the known chains

Three Dice Decentralized Consensus Algorithm:

Three dices	Phrase + Nonce (0 ~ 19)																				
Encoding	Dice 1 + Dice 2 + Dice 3																				
Objective	Throwing three dices whose summation is less than a specified number .																				
All possibilities	3 (both dices are 1) ~ 18 (both dices are 6)																				
Related to mining	<p>One can estimate the amount of work it takes to succeed from the difficulty imposed by the target. For example,</p> <ul style="list-style-type: none"> If the target of the dice game is 3 if someone has succeeded in casting a winning throw it can be assumed that they attempted, on average, 216 throws. 																				
Total possible outcomes	<p>$216 = 6 * 6 * 6$</p> <ul style="list-style-type: none"> Each die has 6 outcomes 																				
Easy Target	<ul style="list-style-type: none"> Target is 12 <ul style="list-style-type: none"> The player must throw $11 = 12 - 1$ or less to win. <table border="1"> <thead> <tr> <th>The sum of the dice</th><th>Combination(kinds)</th></tr> </thead> <tbody> <tr><td>3</td><td>1</td></tr> <tr><td>4</td><td>3</td></tr> <tr><td>5</td><td>6</td></tr> <tr><td>6</td><td>10</td></tr> <tr><td>7</td><td>15</td></tr> <tr><td>8</td><td>21</td></tr> <tr><td>9</td><td>25</td></tr> <tr><td>10</td><td>27</td></tr> <tr><td>11</td><td>27</td></tr> </tbody> </table> Based on the table above the total combinations of sum less than or equal to 11 is $(1 + 3 + 6 + 10 + 15 + 21 + 25 + 27 + 27) = 135$ Thus, the probability of winning is $135/216 = 5/8$ 	The sum of the dice	Combination(kinds)	3	1	4	3	5	6	6	10	7	15	8	21	9	25	10	27	11	27
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Difficult Target	<ul style="list-style-type: none"> ○ Target is 5: The probability of the sum is less than 5. ○ The player must throw $4 = 5 - 1$ or less to win. <ul style="list-style-type: none"> ▪ The player will win if he gets (1, 1, 1), (1, 1, 2), (1, 2, 1), (2, 1, 1) ▪ Then the probability of win is $4/216$