## **Univariate Series fitting of HMM**

- > hmmData<-read.table("C:/Users/bill/Desktop/HMMdata.txt",header=TRUE)
- > y<-hmmData[2]
- > library(depmixS4)

Loading required package: nnet Loading required package: MASS Loading required package: Rsolnp

- > set.seed(1)
- > ModelData<-data.frame(y)
- > colnames(ModelData)<-"y"
- > HMM<-depmix(y~1,data=ModelData,nstates=2,family=gaussian())
- > HMMfit<-fit(HMM,verbose = FALSE)

converged at iteration 40 with logLik: -487.9615

> print(HMMfit)

Convergence info: Log likelihood converged to within tol. (relative change)

'log Lik.' -487.9615 (df=7)

AIC: 989.9229
BIC: 1013.011
> summary(HMMfit)
Initial state probabilities

Initial state probabilties model

pr1 pr2 0 1

Transition matrix toS1 toS2 fromS1 0.994 0.006 fromS2 0.074 0.926

Response parameters

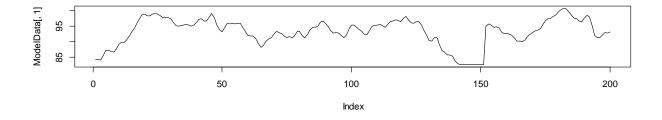
Resp 1: gaussian

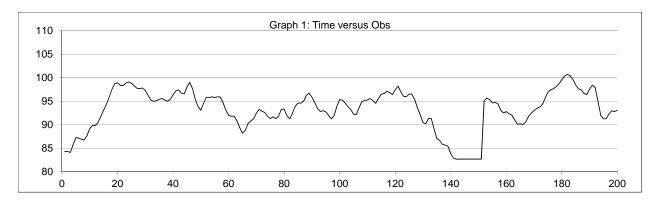
Re1.(Intercept) Re1.sd St1 94.548 2.730 St2 84.705 2.033

- > HMMpost<-posterior(HMMfit)
- > head(HMMpost)

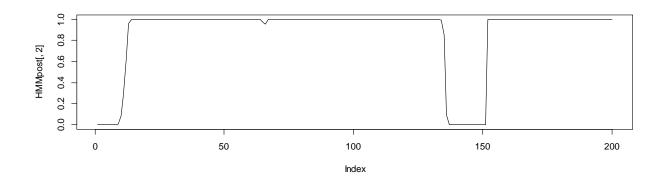
state S1 S2

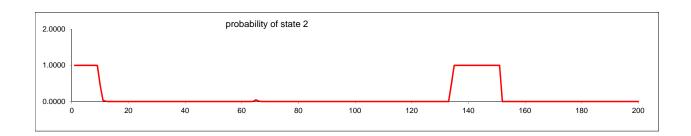
- 1 2 0.000000e+00 1.0000000
- 2 25.104915e-05 0.9999490
- 3 2 3.926793e-05 0.9999607
- 4 2 3.301796e-04 0.9996698
- 5 2 3.429852e-03 0.9965701
- 6 2 2.999896e-03 0.9970001
- > plot(ModelData[,1],type="l")





# > plot(HMMpost[,2],type="l")





## **Fitting a Multivariate Normal HMM**

iteration 5 logLik: -814.8728

converged at iteration 9 with logLik: -814.8716

```
> hmmData<-read.table("C:/Users/bill/Desktop/MHMM.txt",header=TRUE)
> x<-hmmData[2]
> y<-hmmData[3]
> library(depmixS4)
Loading required package: nnet
Loading required package: MASS
Loading required package: RsoInp
> ModelData<-data.frame(x,y)
> z<-data.matrix(ModelData)
> rModels<-list()
> rModels[[1]]<-list(MVNresponse(z~1))
> rModels[[2]]<-list(MVNresponse(z~1))
> trstart=c(0.9,0.1,0.1,0.9)
> transition<-list()
> transition[[1]]<-translnit(~1,nstates=2,data=data.frame(1),pstart=c(trstart[1:2]))
> transition[[2]]<-translnit(~1,nstates=2,data=data.frame(1),pstart=c(trstart[3:4]))
> instart=runif(2)
> inMod<-translnit(~1,ns=2,ps=instart,data=data.frame(1))
> mod<- makeDepmix(response=rModels,transition=transition,prior=inMod)
> fm<-fit(mod,emc=em.control(random=FALSE))
iteration 0 logLik: -1033.003
```

## > summary(fm)

Initial state probabilties model

St1 St2

(Intercept) 0 10.165

Transition matrix toS1 toS2 fromS1 0.981 0.019 fromS2 0.037 0.963

Transition probabilities						
1		2				
1	0.96	0.04				
2	0.03	0.97				

## Response parameters

Re1.coefficients1 Re1.coefficients2 Re1.Sigma1 Re1.Sigma2 Re1.Sigma3

St1 8.082 10.070 3.715 -2.944 4.512 St2 9.982 4.664 15.147 6.805 3.854

## Estimated mean vector, Covariance, Correlation matrix

#### State 1

$$\mu_{1} = \begin{bmatrix} 8.082 \\ 10.070 \end{bmatrix}, \Sigma_{1} = \begin{bmatrix} 3.715 & -2.944 \\ -2.944 & 4.512 \end{bmatrix}, P_{1} = \begin{bmatrix} 1 & -0.71892 \\ -0.71892 & 1 \end{bmatrix}$$

 $\sigma_1 = 1.927434$   $\rho = -0.71892$   $\sigma_2 = 2.124618$ 

$$\sigma_2$$
 = 2.124618

#### State 2

$$\mu_2 = \begin{bmatrix} 9.982 \\ 4.664 \end{bmatrix}, \Sigma_2 = \begin{bmatrix} 15.147 & 6.805 \\ 6.805 & 3.854 \end{bmatrix}, P_2 = \begin{bmatrix} 1 & 0.890423 \\ 0.890423 & 1 \end{bmatrix}$$

 $\sigma_1 = 3.891915$   $\rho = 0.890423$   $\sigma_2 = 1.96367$ 

$$\sigma_2$$
 =1.96367

#### **Parameters**

State	μι	σι	μ2	<b>G</b> 2	ρ
1	10	4	5	2	0.9
2	8	2	10	2	-0.7

#### > fmpost<-posterior(fm)

## > plot(fmpost[,2],type="I")

