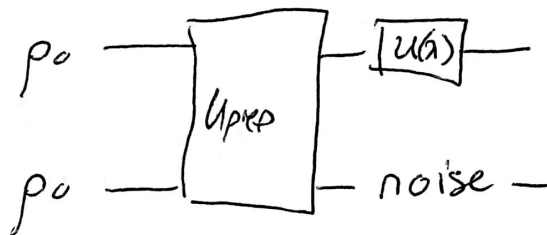


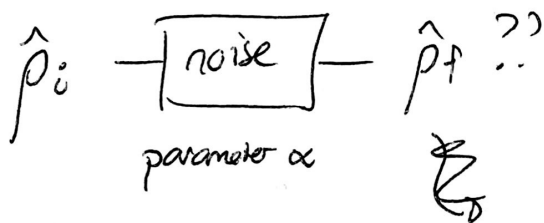
noise in spectator



what type of noise? Many possibilities

- depolarizing
- amplitude damping
- dephasing (phase flip)

How to model noise? What does it do to state of system



Phase flip - keeps state as it was with prob $(1-\alpha)$
 - does (rotation about z) with α

$$|0\rangle + |1\rangle \rightarrow -\alpha(|0\rangle - |1\rangle)$$

$$\hat{\rho}_f = (1-\alpha)\hat{\rho}_i + \alpha \hat{\sigma}_z \hat{\rho}_i \hat{\sigma}_z$$

Exercise: Get final density op if

a) Initial state is $|0\rangle$
 " " " $|1\rangle$

b) " " " $\frac{|0\rangle + |1\rangle}{\sqrt{2}}$

c) " " " $\frac{1}{\sqrt{2}}(|0\rangle - i|1\rangle)$

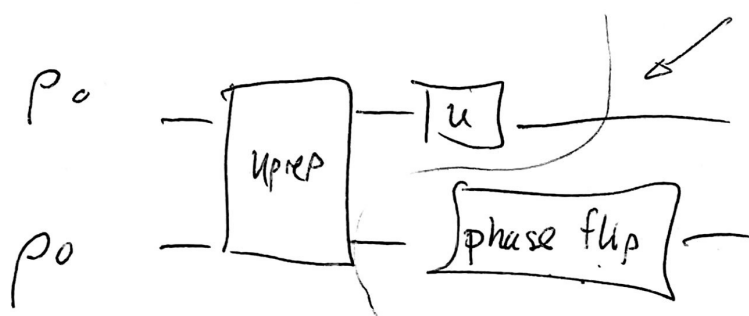
In each case express final density op in form

$$\frac{1}{2}(\mathbb{I} + r_x \hat{\sigma}_x + r_y \hat{\sigma}_y + r_z \hat{\sigma}_z)$$

Is state pure or not?

Then need noise maps?

One qubit
 $|0\rangle\langle 0| \rightarrow$ state?
 $|0\rangle\langle 1| \rightarrow \dots |2X\rangle\langle 1| + \dots |2X\rangle\langle 1|$
 $|1\rangle\langle 0| \rightarrow$
 $|1\rangle\langle 1| \rightarrow$



density op as $\dots |0\rangle\langle 0| + |0\rangle\langle 0|$
 $\dots |0\rangle\langle 0| (|1\rangle\langle 1|)$
 $\dots |0\rangle\langle 1| (|0\rangle\langle 1|)$
 \dots

~~to to to to~~

$|0\rangle\langle 1|$