Problems

$$\hat{\beta} = 0.10T$$
 $d = 3.0 \times 10^{3} \text{ M}$
I?

$$\frac{2 \text{ if Br}}{\text{Mo}} = \text{I}$$

I=750A

I=760 A

ail (ocm, ocm)

C.) (2cm, Ocm)

$$\beta_{\text{wire}} = \frac{MoI}{2\pi d}$$

a=C due to symmetry

R= 0.01m

Z= \(\bar{2}\x\overline{10}^2\mathread{m}

A OI=I

MOI (COSO +SIND +COSO -SIND)

moI (coso)

 $\frac{(40 \times 10^{-7})}{11 (\sqrt{2} \times 10^{2})} \cos 45 = 2.0 \times 10^{-4} \text{T}$

b.) β= 2.83 ×10⁻⁴ Τ 3 c.) β= 2.0 ×10⁻⁴ Τ 3

b.)
$$\beta_{\text{wire}} = \frac{\mu_0 \tau}{a \pi d}$$

I = 10A 9= 12 x10,5W

$$B_T + B_B = 2.83 \times 10^{-4} T$$

a= C due to symmetry

$$B_{a} = B_{A} + B_{B} \qquad : \quad \frac{\mu_{o} \Gamma}{a \pi_{d_{1}}} - \frac{\mu_{o} \Gamma}{a \pi_{d_{2}}} = \frac{\mu_{o} \Gamma}{a \pi} \left(\frac{1}{d_{1}} - \frac{1}{d_{2}} \right)$$

$$B_B = B_b + B_c$$
 : $\frac{MoI}{andc} - \frac{MoI}{andb}$

$$AOI = I$$

Ba= 6.67×10⁻⁵ T
$$\hat{k}$$

Bb= -4.0×10⁻⁵ T \hat{k}
Bc= 6.67×10⁻⁵ T \hat{k}

$$T = 10A$$
 $d_b = 0.02m$
 $-\frac{MOT}{17} \left(\frac{1}{dc} + \frac{1}{db} \right) = -4.0 \times 10^{-4} \text{ f} T$
 $B_b = 4.0 \times 10^{-4} \text{ f} T$