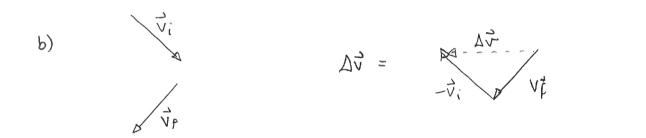
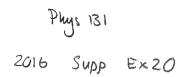
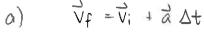
a) before
$$\vec{V}_{i}$$
 after \vec{V}_{i}

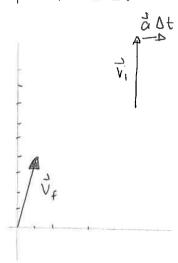
à is in same direction as DV so à is



Again à is 👉





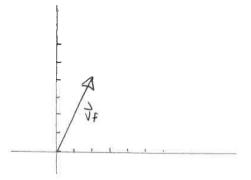


$$\vec{a} = 2\hat{c}$$



$$\vec{V}_i = 4j \qquad \vec{a} = 2\hat{c}$$

$$\vec{V}_F = \vec{V}_i + \vec{a} \Delta t = 4\hat{j} + 2\hat{c}$$



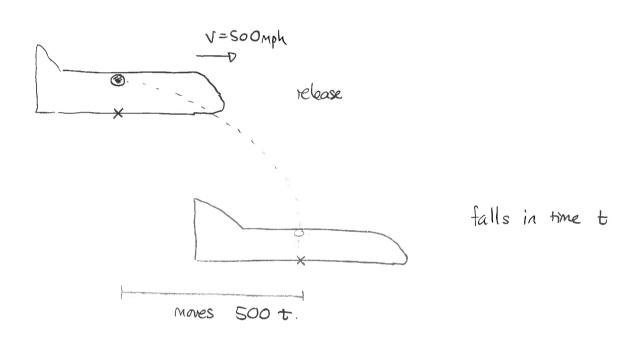
c) we see that the horizontal component of \vec{v}_f constantly increases. The vertical component stays constant

VF A

Neither of these represent case i) or ii). Case iii has $\frac{\sqrt{}}{}$ at end but it must have a vertical companent.

So iv) is the only possibility

The ball will follow a curved trajectory but the horizontal component of its velocity will remain constant. This mill be the same as the velocity of the plane



So the ball will hit x

Knight Ch 4 Conc Ge 13

a) The angle covered in 1s by any partial of the wheel is the same as that covered in 1s by any other partial.

So the orgular velocities are all the same. Thus $\omega_1 = \omega_2 = \omega_3$

b) 3 covers a larger distance than 1,2 every second. So $V_3 > V_1 = V_2$

Also V=WT =D Vi=Wir:

P R larger for 3

Knight Cha

3ed Pot 14

4ed Prob 13

 $Cly = -9.8 \text{ m/s}^2 \qquad ti = Cs$ xi = Cm

t f =

yi = 100m

yf=om

Vix= 150M/S.

Viy = OMB

We need to know how for ahead of the drop point it will land. The initial velocity is horizontal

= Vix = 100m/s Viy = OMIS

 $xf = x/t + v_{ix}\Delta t + \frac{1}{2}g_{x}\Delta t^{2} = 0$ $xf = 150m/s \Delta t$

get Dt from vertical Now yf= yi + Viy At+ 1/2 ay At2

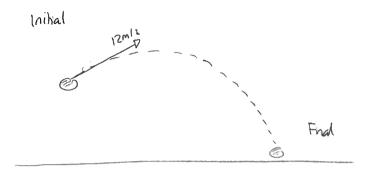
Om = 100M + Conts Dt + 1/2 (-9.8 M/s2) Dt2

 $-\frac{200m}{-9.6m/s^2} = (\Delta t)^2 = 0 \quad \Delta t^2 = 20.4s^2 = 0 \quad \Delta t = \sqrt{20.4s^2}$ =0

So Xf= 150m/s x4.5s = 680m

It must be dropped 680m short

Knight Ch4 4ed Prob 15



$$x_i = ?$$

$$a_{y} = -9.8 m/s^{2}$$

Get components of initial velocity

Vo= 12.0mls 50

Vox

$$V_{cx} = V_o \cos 40^\circ$$

Voy = Vo sin 400

Now we need x, and

$$X_1 = X_0 + V_{0x} \Delta t + \frac{1}{2} ax(\Delta t)^2$$

= 0 X1=cm + 9.19mls A++1/20(At)2

$$=D\left(X_{l}=9.19\,\text{m/s}\,\Delta\,t\right)$$

Then
$$y_1 = y_0 + v_{oy} \Delta t + \frac{1}{2} a_y (\Delta t)^2$$
 could give Δt .

$$a(\Delta t)^2 + b\Delta t + c = 0$$
 = 0 $\Delta t = -b = \sqrt{b^2 - 4ac}$

$$\Delta t = \frac{-7.7 (m/s \pm \sqrt{(7.71 \, m/s)^2 - 4(-4.9 \, m/s^2)} \, 1.80 \, m}{2 \times (-4.9 \, m/s^2)}$$

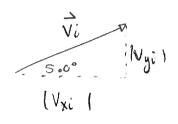
$$= \frac{-7.7 (m/s \pm \sqrt{94.7 m^2/s^2})}{-9.8 m/s^2} = \frac{-7.7 (m/s \pm 9.73 m/s)}{-9.8 m/s^2} = \begin{cases} -0.206s \\ 0R \end{cases}$$

Only the positive could work =
$$1/4 = 1.785$$

Then

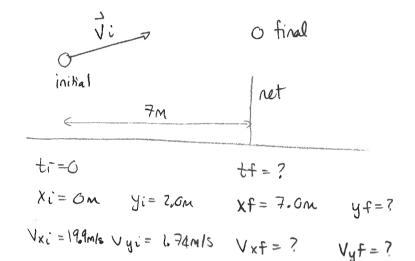
Kright Ch 4
Prob 51

Find final height.
Need to resolve vi



$$|V_{xi}| = |Vi| \cos 5^{\circ}$$

= 20.0 m/s cos 5°
= 19.9 m/s



$$\alpha_{x}=om/s^{2}$$

$$\alpha_{y}=-9.8m/s^{2}$$

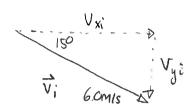
Use vertical distance info:

 $yf = yi + Vyi \Delta t + 1/2 ay \Delta t^2 = 0$ $yf = 2.0m + 1.7mls \Delta t - 9.8mls^2 \Delta t^2$ We need Δt . Use hariz position info:

$$Xf = Xi + V_{xi} \Delta t + \frac{1}{2} Q_{x} (\Delta t)^{2} = 0$$
 7.0 $M = 0.0 M + 19.9 M/S \Delta t$
= $0 \Delta t = \frac{7.0 M}{19.9 M/S} = 0.352 S$

Clears net!

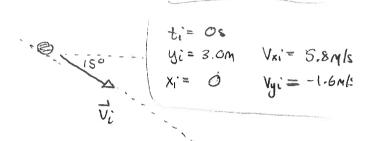
We can determine initial velocity comparents via



$$\frac{|V_{xi}|}{|V_i|} = \cos |S^o|$$

=0 |Vxi = Vi COS156

Rought Ch 4
Pob 56



$$tf = ?$$

$$Xf = d \quad yf = 0$$

$$V_{x}f = ? \quad V_{y}f = ?$$

$$Q_{y} = -9.8 \text{m/s}$$

Then $Xf = Xi + Vxi \Delta t + \frac{1}{2} \alpha_x \Delta t^2$

=0 d = 5.8 m/s At

We just read At. To get this:

$$yf = yi + Vyi \Delta t + \frac{1}{2} Qy \Delta t^{2} = D \qquad O = 3.6mls + 1.6mls \Delta t - 4.9 \Delta t^{2}$$

$$= 0 \qquad \Delta t = \frac{1.6 \pm \sqrt{1.6^{2} + 4 \times 4.9 \times 3}}{-2 \times 4.9} = \frac{1.6 \pm 7.8}{-9.8} = D \qquad \Delta t = 0.63$$

=0 d= 3.7m