

Announcements

□ EXAM 3 will be *this* Thursday!

□ Homework for tomorrow...

Ch. 34: CQ 6, Probs. 12, 18, 20, & 22

CQ4: a) CW b) no current c) CCW

33.10: a) $8.7 \times 10^{-4} \text{ Tm}^2$ b) CW

33.12: 5.0 A, CW

33.50: a) $6.3 \times 10^{-4} \text{ N}$ b) $3.1 \times 10^{-4} \text{ W}$ c) CCW, $1.3 \times 10^{-2} \text{ A}$ d) $3.1 \times 10^{-4} \text{ W}$

□ Office hours...

MW 10-11 am

TR 9-10 am

F 12-1 pm

□ Tutorial Learning Center (TLC) hours:

MTWR 8-6 pm

F 8-11 am, 2-5 pm

Su 1-5 pm

Chapter 34

Electromagnetic Fields & Waves *(EM Waves & Properties of EM Waves)*

34.5: Electromagnetic Waves

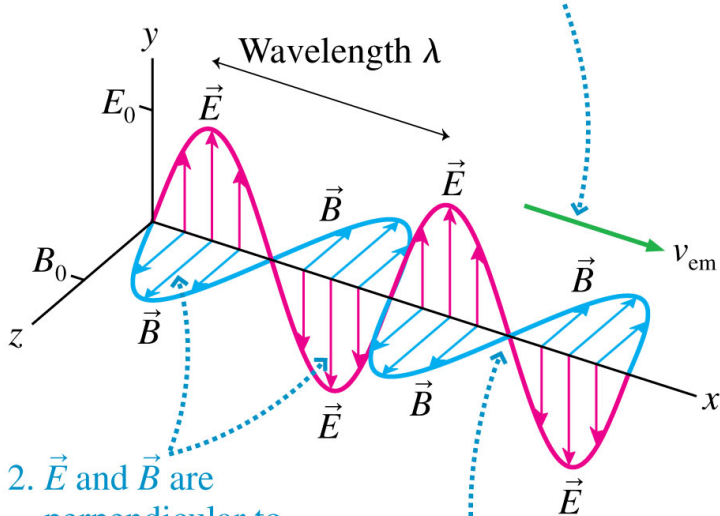
- ❑ Faraday speculated that light was connected to electricity & magnetism.
- ❑ James Clerk Maxwell, using his electromagnetic (EM) field equations, was the 1st to understand that light is *an oscillation of the EM field*.

Maxwell's equations predict that:

1. EM waves can exist at ANY wavelength, NOT just at the wavelengths of visible light.
2. All EM waves travel in a vacuum with the SAME speed, the speed of light!

34.5: Electromagnetic Waves

1. A sinusoidal wave with frequency f and wavelength λ travels with wave speed v_{em} .



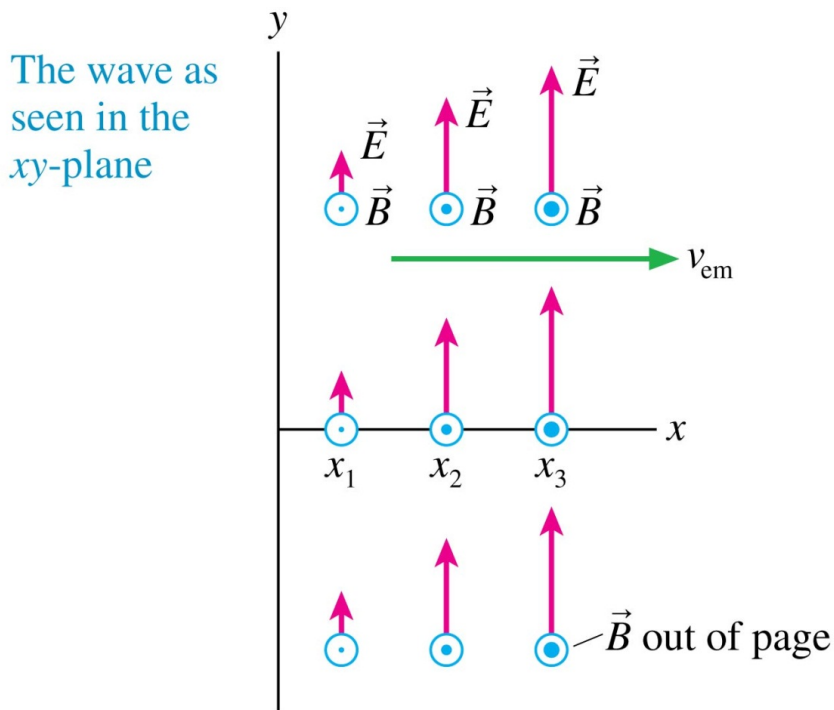
2. \vec{E} and \vec{B} are perpendicular to each other and to the direction of travel. The fields have amplitudes E_0 and B_0 .

3. \vec{E} and \vec{B} are in phase. That is, they have matching crests, troughs, and zeros.

- This figure shows the E -field & B -field at points along the x -axis, due to a passing EM wave.
- The oscillation *amplitudes* are related by:

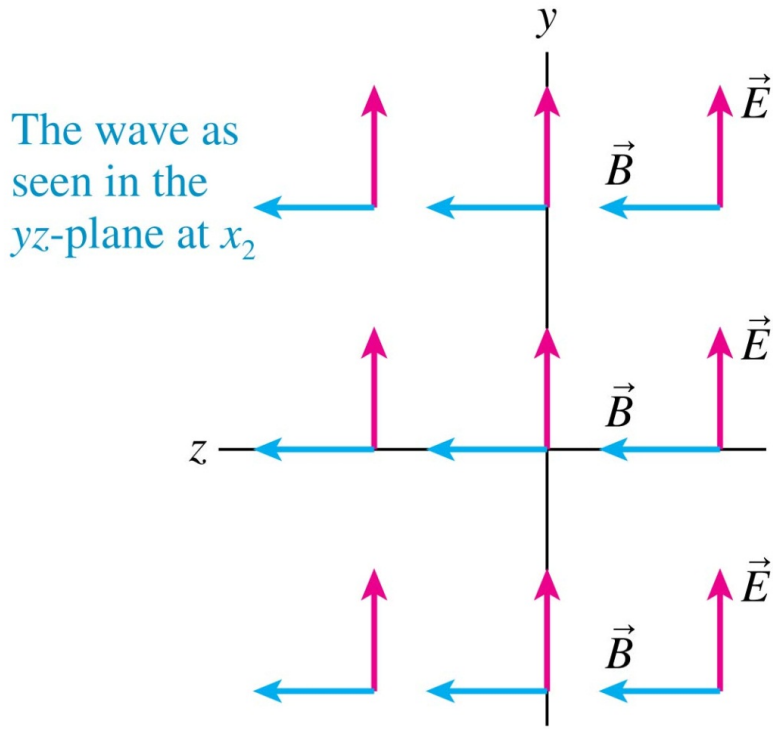
$$E_0 = v_{em} B_0$$

34.5: Electromagnetic Waves



- The figure shows the fields due to a *plane wave*, traveling to the right along the x -axis.
- The fields are the same everywhere in any yz -plane perpendicular to x .
- This is a small section of the xy -plane, at a particular instant of time.

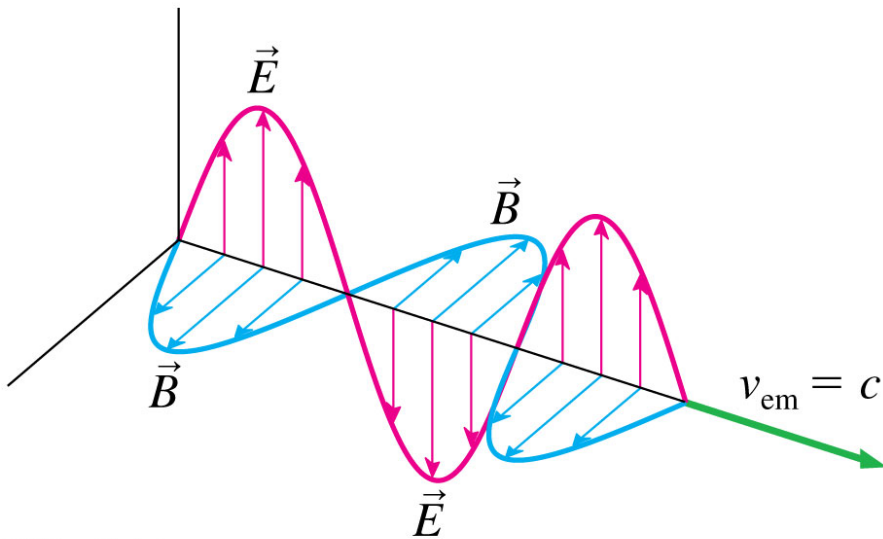
34.5: Electromagnetic Waves



- This figure shows the fields due to a *plane wave*, traveling *toward you*, along the x -axis.
- If you watched a movie of the event, you would see the E -field and B -field at each point in this plane *oscillating* in time, but always synchronized with *all* the other points in the plane.

34.5: Electromagnetic Waves

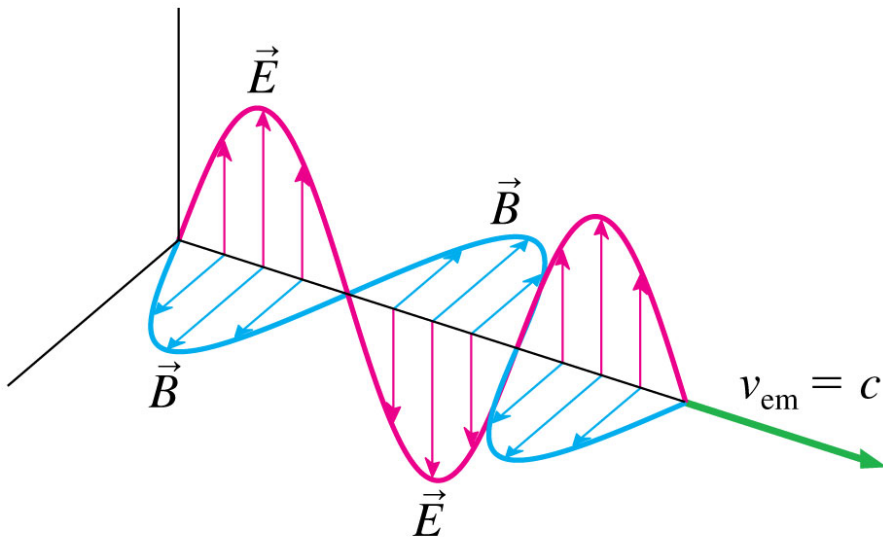
Maxwell's field equations *predict* EM waves with wave speed:



$$v_{em} = \frac{1}{\sqrt{\epsilon_0 \mu_0}}$$

34.5: Electromagnetic Waves

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$$v_{em} = \frac{1}{\sqrt{\epsilon_0 \mu_0}} \simeq 3.0 \times 10^8 \text{ m/s}$$

34.5: Electromagnetic Waves

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$$v_{em} = \frac{1}{\sqrt{\epsilon_0 \mu_0}} \simeq 3.0 \times 10^8 \text{ m/s}$$

Notice:

- ▣ ϵ_0 and μ_0 were determined by the size of E and B due to point charges and have nothing to do with waves!
- ▣ Maxwell's eqns predict that E - & B -fields can form a *self-sustaining EM wave*, if that wave travels at the above speed!

34.6:

Properties of Electromagnetic Waves

ALL *EM* waves must satisfy four basic conditions:

1. The *E*-fields and *B*-fields are *perpendicular* to the *direction of propagation*. The EM wave is a *transverse wave*.
2. The *E*- and *B*-fields are *perpendicular to each other* in a manner such that $\vec{E} \times \vec{B}$ is in the *direction of the propagation*.
3. The wave travels in vacuum at a speed of
$$v_{em} = 1/\sqrt{\epsilon_0\mu_0} = c$$
4. $E = cB$ at any point on the wave.

Quiz Question 1

An *EM* plane wave is coming toward you, out of the screen. At one instant, the *E*-field looks as shown.



Which is the wave's *B*-field at this instant?



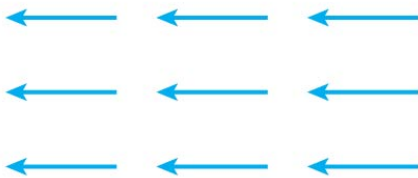
A.



B.



C.

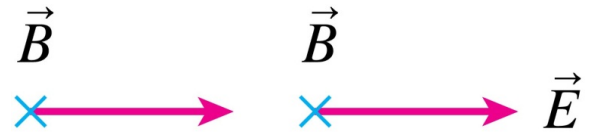


D.

E. The *B*-field is instantaneously zero.

Quiz Question 2

In which direction is this *EM* wave traveling?



- ① Up.
2. Down.
3. Into the screen.
4. Out of the screen.
5. These are not allowable fields for an EM wave.

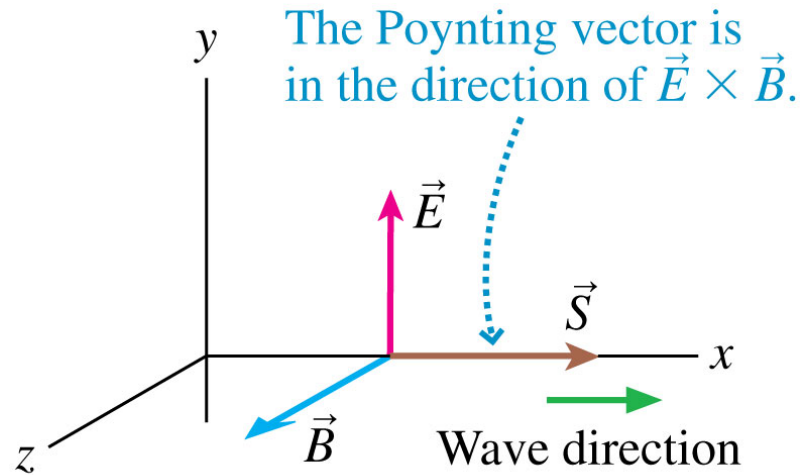
Energy & Intensity

The energy flow of an *EM* wave is described by the *Poynting vector*, defined by

$$\vec{S} \equiv \frac{1}{\mu_0} \vec{E} \times \vec{B}$$

Notice:

- ▣ The *Poynting vector* points in the direction in which the *EM* wave is traveling!
- ▣ SI units?



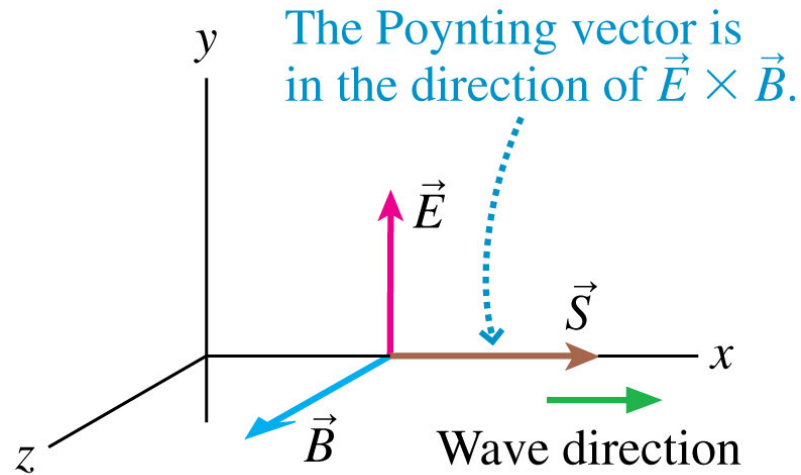
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- ▣ SI units? $[S] = W/m^2$
 - S measures the *instantaneous rate of energy transfer per unit area* of the wave.



Energy & Intensity

- The Poynting vector is a function of time, oscillating from 0 to S_{max} and back to 0 *twice* during each period of the wave's oscillation.
- Of more interest is the *average* energy transfer, averaged over one cycle of oscillation, which is the wave's *intensity*.
- The *intensity* of the *EM* wave is...

Energy & Intensity

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- The *intensity* of the *EM* wave is...

$$I = \frac{P}{A} = \frac{1}{2c\mu_0} E_0^2 = \frac{1}{2} c\epsilon_0 E_0^2$$

Energy & Intensity

- The *intensity* of a wave fall off with distance.
- If a *point source* with power P_{source} emits *EM* waves *uniformly* in all directions, the *EM* wave intensity at distance r from the source is

$$I = \frac{P_{source}}{4\pi r^2}$$