

Real gases ... have volume + attraction!

van der Waals eq: $\left(p + \frac{an^2}{V^2}\right)(V - nb) = nRT$

a, b - different for each gas!
- look up in text!

$H_2O(g)$ $a = 5.46 \frac{L^2 \cdot atm}{mol^2}$, $b = 0.0305 L/mol$

Q: What's p (ideal) for 14.0g $H_2O(g)$ @ 130.°C and 0.500L ?

Q: What's p (vdw) ...

ideal: $pV = nRT$, $R = 0.08206 \frac{atm \cdot L}{mol \cdot K}$

$$p = \frac{nRT}{V} = \frac{0.777 mol \times 0.08206 \frac{atm \cdot L}{mol \cdot K} \times 403 K}{0.500 L} = 51.4 atm$$

$$n = \#mol = 14.0g H_2O \times \frac{1 mol H_2O}{18.02g H_2O} = 0.777 mol H_2O$$

$$T = t/^{\circ}C + 273.15 = 130. + 273.15 = 403 K$$

(0dp) (2dp.) (0d.p.)

vdw: $\left(p + \frac{an^2}{V^2}\right)(V - nb) = nRT \rightarrow p + \frac{an^2}{V^2} = \frac{nRT}{V - nb}$

$$\rightarrow p = \frac{nRT}{V - nb} - \frac{an^2}{V^2}$$

$$p = \frac{nRT}{V-nb} - \frac{an^2}{V^2}$$

$$n = 0.777 \text{ mol}$$

$$T = 403 \text{ K}$$

$$V = 0.500 \text{ L}$$

$$R = 0.08206 \frac{\text{atm} \cdot \text{L}}{\text{mol} \cdot \text{K}}$$

$$a = 5.46 \frac{\text{L}^2 \cdot \text{atm}}{\text{mol}^2}$$

$$b = 0.0305 \text{ L/mol}$$

$$p = \frac{0.777 \text{ mol} \times 0.08206 \frac{\text{atm} \cdot \text{L}}{\text{mol} \cdot \text{K}} \times 403 \text{ K}}{0.500 \text{ L} - 0.777 \text{ mol} \times 0.0305 \text{ L/mol}} - \frac{5.46 \frac{\text{L}^2 \cdot \text{atm}}{\text{mol}^2} \times (0.777 \text{ mol})^2}{(0.500 \text{ L})^2}$$

$$= \underline{53.95 \text{ atm}} - \underline{13.19 \text{ atm}} = 40.8 \text{ atm} \quad (\text{vdw})$$

$$\text{XPT: } 41.5 \text{ atm}$$

$$\text{compare: } 51.4 \text{ atm} \quad (\text{ideal})$$

Ch 7 - Thermochemistry

Kinetic E

2 kinds of E \rightarrow KE (movement), $\frac{1}{2}mv^2$
 \hookrightarrow PE (position)
potential E

PE: chemical energy (one form)

- position of atoms.

SI unit of energy: Joule (J)

1 calorie = 4.184 J

1st law of thermodynamics: total E of universe = constant
(energy cannot be created nor destroyed)

E: state function

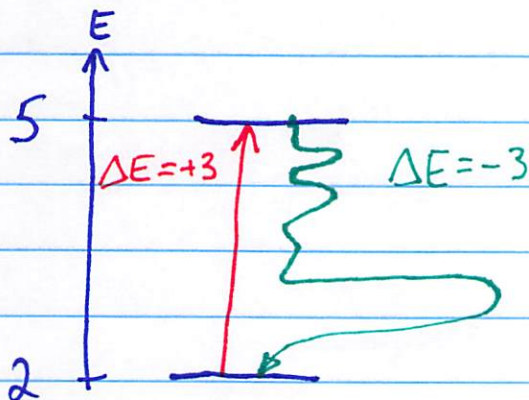
- only depends on current state, not history.

ΔE = change in energy

- only depends on init + final states, not path!

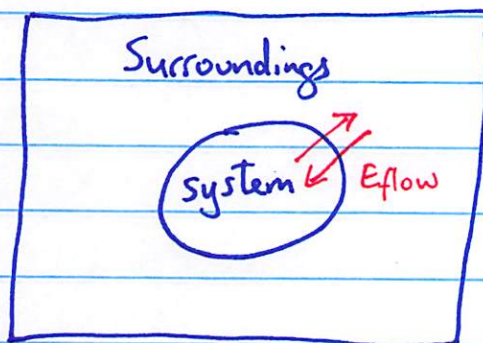
Δ = Difference
Changes

$E_{\text{final}} - E_{\text{initial}}$



UNIV:

$$UNIV = SYS + SURR$$



$$\Delta E_{sys} = -\Delta E_{surr} \quad (1^{st} \text{ law})$$

$$\begin{array}{l} \text{ex: } \Delta E_{sys} = +5J \quad (\text{gains } 5J) \\ \Delta E_{surr} = -5J \quad (\text{loses } 5J) \end{array} \left. \vphantom{\begin{array}{l} \Delta E_{sys} = +5J \\ \Delta E_{surr} = -5J \end{array}} \right\} \Delta E_{UNIV} = 0$$

2 ways of Energy flow:

- (1) HEAT (temp difference).
- (2) WORK (force difference)

Measuring heat

$$\text{heat} \propto \Delta T$$

$$q \propto \Delta T$$

(if +ve, energy enters/gained
if -ve, energy leaves/lost)

$$q = C \cdot \Delta T$$

heat

change in temp: $\Delta T = T_f - T_i$

heat capacity (extensive)

... heat required to raise temp
by 1°C or 1K .

Specific heat capacity, C_s (intensive)

- heat required to raise 1g of a substance
by 1°C or 1K .

$$q = m \cdot C_s \cdot \Delta t$$

$\underbrace{\hspace{1.5cm}}_C$

$$\text{Ag: } C_s = 0.235 \frac{\text{J}}{\text{g}\cdot^\circ\text{C}}$$

Calculate q_{Ag} if a 17.3g sample changes
temp from 25.1°C to 137.8°C .

$$q = m \cdot C_s \cdot \Delta t = 17.3\text{g} \times 0.235 \frac{\text{J}}{\text{g}\cdot^\circ\text{C}} \times 112.7^\circ\text{C}$$

$$\begin{aligned} \Delta t &= t_f - t_i = 137.8^\circ\text{C} - 25.1^\circ\text{C} &= +458\text{J} \\ &= +112.7^\circ\text{C} &= \end{aligned}$$