ARIS

50.0mL of 2.00M HC(ag) is added to 100.0mL of 1.00M Sr(OH)z(ag) in a constant pressure calorimeter. Given:

H+(0g) + OH (0g) -> H2O(1) ; AH°=-56.257, and assuming dsol==1.0009/mL, Sol==4.184 \$.8 What will the change in temp be?

2HC/agy + Sr(OH)2 (ag) -> SrC/2(agy + 2H2O(R))

2 Htay + 2 a Tay + Sr Tay + 20 H Tog 1 -> Sr Tay + 20 Tog 1 + 24000

NET-IONIC

2H+(ag) + 20H-(ag) -> 2H20(e)

LIMITING REAGENT!

#mol H2O is made ...

Hale 50-0 ml 11 2-00 mol Ha 2 mol Ha 0.100 mol Ha 0

Sr (OH) 2 100.0 mc | 1 c | 1.00 ms | Sr (OM) 2 mo | HeO = 0.200

H+(ag) + OH(ag) - H20(R) ; DH=-56.2 17

$$\frac{|so|^{\frac{1}{2}}}{|m|} = 0$$

$$\frac{|so|^{\frac{1}{2}}}{|so|^{\frac{1}{2}}} = -\frac{1}{2}$$

$$= +5.62 \text{ kJ}$$

$$9 = M \cdot S \cdot \Delta t$$

$$\Rightarrow \Delta t = 9 = \frac{56208}{150.08 \times 4.1842}$$
8.8

= 8.95 °C

△Hf° = △Hmn where I make of
the substance is formed from
its elements in their most
stable form!

 $ex: \Delta H_o^*(co_2 e_1)$

C(s,graphie) + O29) > CO29) 50Hg

on: OH, ((0(9))

C(s,graphit)+2029 > CO(g) i DH+

Indirect method

Hess's Law

$$A \rightarrow B$$
 $\Delta H = x$
 $A \rightarrow B \rightarrow C$ $\Delta H = y$
 $A + B \rightarrow B + C \Rightarrow \Delta H = x + y$

(2) COg) + 2O2g) → CO2g) i AH2-283.0 €7

from these 2 ea's, we can find $\Delta H_{\epsilon}^{o}(corg_{1})$ which corresponds to ren:

(1)
$$C + O_2 \rightarrow CO_2$$
 $\frac{1}{2} \Delta H = -393.5$

HERR(2) $CO_2 \rightarrow CO_2 \frac{1}{2}O_2 \frac{1}{2} \Delta H = +283.0$

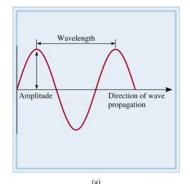
C + 102 + 502 -> 502 + 00 + 302 ; AH = - 110-5 101

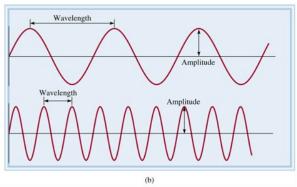
Cis, graphit) + = 02191 -> CO191 3 AH =-110.5 167

Calculate AHF (C2H2G)) given... Cos, graphia + Ozg1 -> COzg1 3 AH=-393.5 17 (2) H291 + 20291 - H20(A) 3 DH= -285.8 KZ (3) 2 C2H291 + 5029 -> 4(0291+ 24,011) 3 AH2-25988 Need: 2(15,graphits) + H291 -> C2H291 3 AH4 reverse + ± ea(3) 200297 + H2061 - C2H291 + 202913 AH (2) H2(9) + 202(9) - H2(12) ; AH = -285.8 E3 double (1) 2 (r.graphit) + 20291 → 2(0291 j △H°=-787.000) 2002 + 1/20 + H2 + 1/02 - (2H2 + 500 + 2C + 2002 + 40 + 2002 2(15, graphit) + Hz(g) - 6(2Hz(g) j AH" = +221-6(5)

Chapter 7 Electrons + Atoms electrons in atoms behave like WAVES. Waves? neight/density/electric field Amplitude, A waveleigh D distance one cycle If you count the # of waves that pass through a point in I second = frequency of D (nu) Hertz UNIB: Except 5 or Hz

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or: 220 Hz (middle-c)

220 cycles/serond
ev: Radio: 101.5 MHz (FM)

101.5 × 106 Hz

(AM) 670 KH2

670,000 Hz