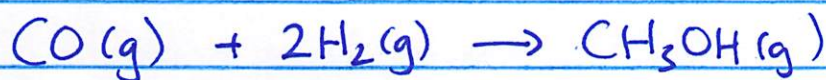


Gases in chem. rxns ~ STOICHIOMETRY revisited!

- can use ideal gas eq ($pV=nRT$) to calculate:

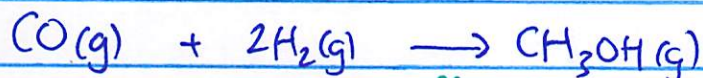
$n_{\text{gas}}, p_{\text{gas}}, V_{\text{gas}} \left\{ \begin{array}{l} \text{for gases used-up of} \\ \text{produced in a chem rxn!} \end{array} \right.$

ex: Synthesis of methanol: CH_3OH



Q: What vol. of $\text{H}_2\text{(g)}$ in liters @ 355K
and a pressure of 738 mmHg is needed
to make 35.7g CH_3OH ?

10/26/18



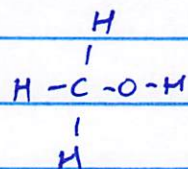
$$pV=nRT$$

$$V = \frac{nRT}{p}$$

? mol H_2 $\xleftarrow{\text{coeff.}}$? mol CH_3OH

\downarrow ideal gas eq \uparrow molar mass CH_3OH

? L $\quad\quad\quad$ 35.7g CH_3OH



CH_3OH

$$1 \times \text{C} = 12.01$$

$$4 \times \text{H} = 4 \times 1.008$$

$$1 \times \text{O} = 16.00$$

$$\underline{\underline{32.04 \text{ g/mol}}}$$

$$\frac{35.7 \text{g CH}_3\text{OH}}{32.04 \text{g CH}_3\text{OH}} \left| \frac{1 \text{mol CH}_3\text{OH}}{1 \text{mol CH}_3\text{OH}} \right| \frac{2 \text{mol H}_2}{1 \text{mol CH}_3\text{OH}} =$$

$$2.2285 \text{ mol H}_2\text{(g)}$$

$$2.228 \text{ mol H}_2(\text{g})$$

$$@ 355 \text{ K}$$

$$@ 738 \text{ mmHg} \rightarrow p = 738 \text{ mmHg} \times \frac{1 \text{ atm}}{760 \text{ mmHg}}$$

$$V ? (\text{liters})$$

$$R = 0.08206 \frac{\text{atm} \cdot \text{L}}{\text{mol} \cdot \text{K}} = 0.971 \text{ atm}$$

$$V = \frac{nRT}{P}$$

$$V = \frac{2.228 \text{ mol} \times 0.08206 \frac{\text{atm} \cdot \text{L}}{\text{mol} \cdot \text{K}} \times 355 \text{ K}}{0.971 \text{ atm}}$$

$$= 66.9 \text{ L (3 s.f.)}$$

Kinetic Molecular Theory (KMT)

model of ideal gas

- gas:
- 1) made of small particles
 - 2) in constant, chaotic motion
 - 3) with an average KE \propto Temp (K)
 - 4) collide elastically (no E loss upon collision)

- can derive $pV = nRT$ from this!
- with math + physics, can predict things like...

ex:

$$\bar{v} = \sqrt{\frac{3RT}{M}}$$

M = molar mass (Kg/mol)

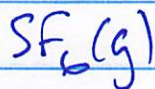
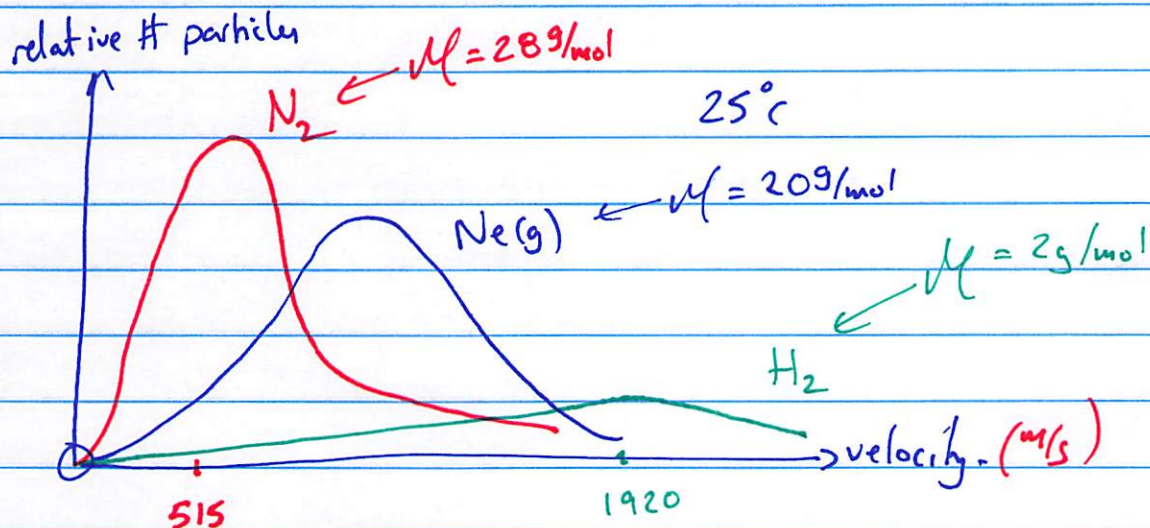
$$R = 8.3145 \text{ J/mol}\cdot\text{K}$$

(note: $1\text{J} = 1\text{kgm}^2/\text{s}^2$)

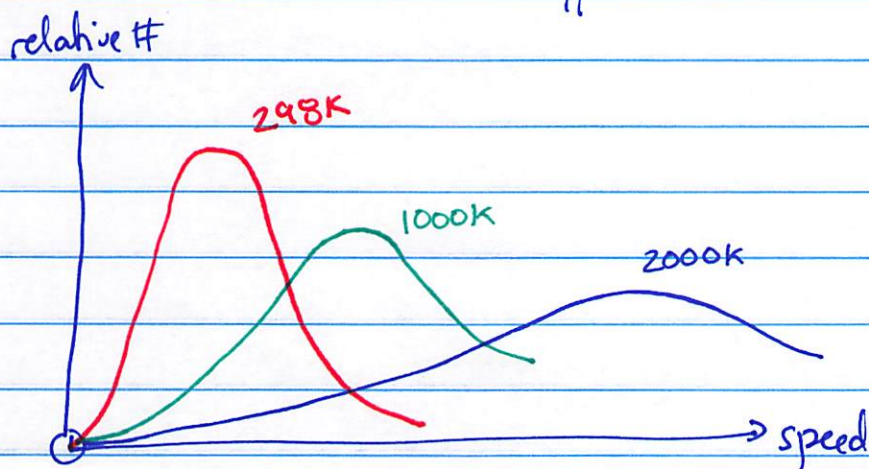
can show: N_2 @ 298K has $\bar{v} = 515\text{m/s}$ (1152mph)

H_2 @ 298K has $\bar{v} = 1920\text{m/s}$ (4295mph)

Maxwell - Boltzmann distribution

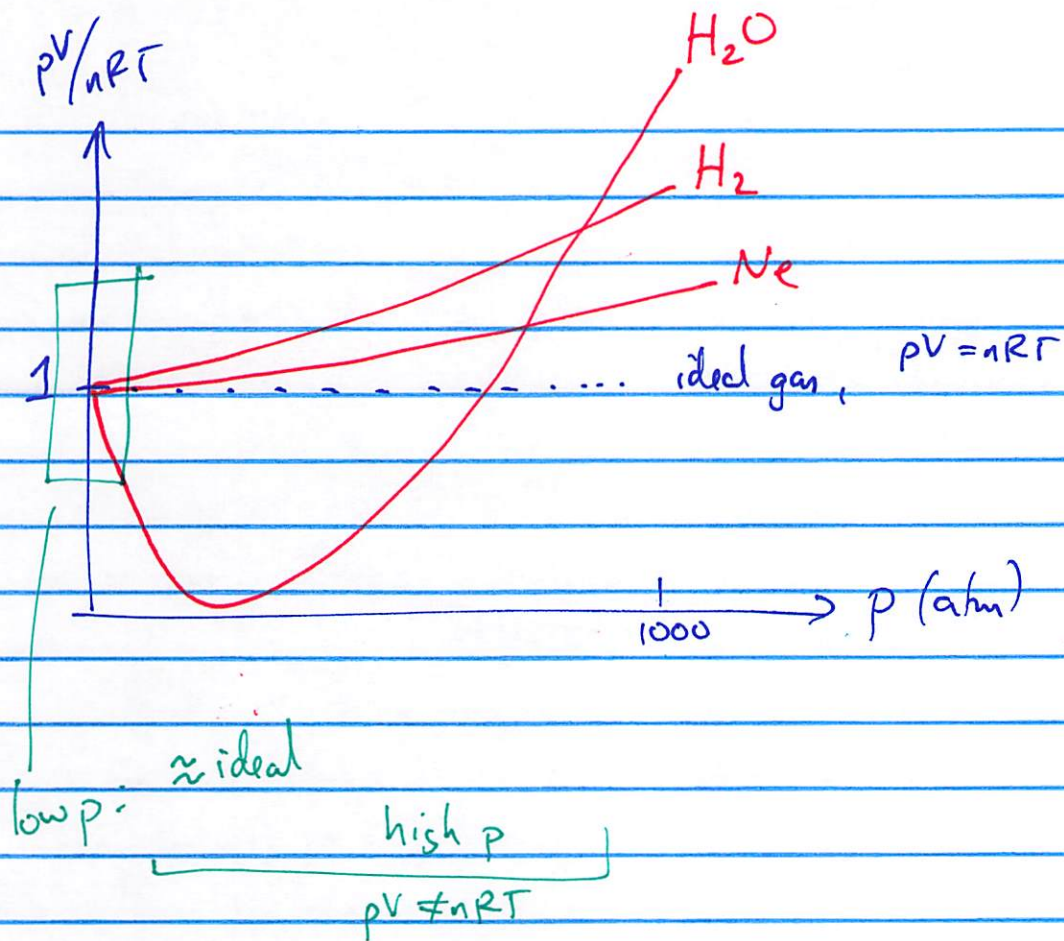


Can also see how T affects dsn :

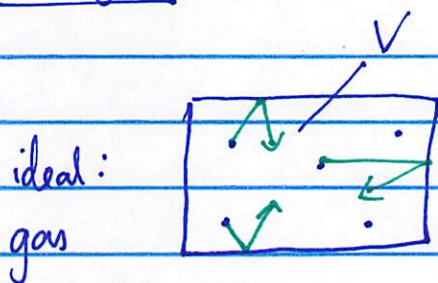


Real Gases vs ideal.

ideal gas law: $\frac{pV}{nRT} = \frac{nRT}{nRT} \Rightarrow \frac{pV}{nRT} = 1$



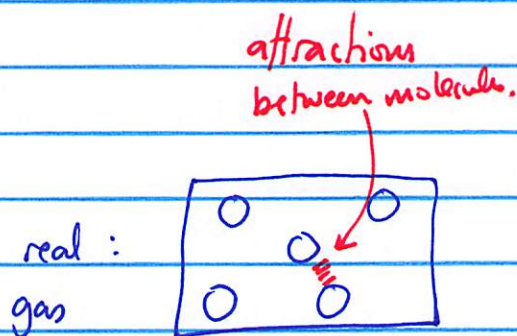
Real gases



particles have no volume themselves!

- move around in total V

- no attraction between particles: p



particles have volume!

- move around in a reduced volume:

V - vol. of gas molecules.

- lower pressure, because molecules are attracting one-another.