# Readme

This project is the code for the T4 of the following question.

## Question

Consider the following grammar:

$$exp 
ightarrow exp + factor \mid factor \ factor 
ightarrow (exp) \mid \mathbf{number}$$

- 1. Eliminate the left recursion using BNF;
- 2. Design an L-SDD to compute the value of the expression generated by the grammar of (1);
- 3. Convert the SDD of (2) to SDT;
- 4. Implement the SDT of (3) as a recursive-descent parser.

### **T1**

$$egin{aligned} exp 
ightarrow factor\ exp' 
ightarrow +factor\ exp'\ |\ \epsilon \ factor 
ightarrow (exp)\ |\ \mathbf{number} \end{aligned}$$

#### **T2**

PRODUCTION	SEMANTIC RULES
$exp  o factor \ exp'$	$exp'.inh = factor. syn \ exp. syn = exp'. syn$
$exp_1'  o + factor\ exp_2'$	$exp_2'.inh = exp_1'.inh + factor.syn \ exp_1'.syn = exp_2'.syn$
$exp'  o \epsilon$	exp'. syn = exp'. inh
factor  o (exp)	factor. syn = exp. syn
$factor  o \mathbf{number}$	$factor. syn = \mathbf{number}. lexval$

### **T3**

PRODUCTION	SEMANTIC RULES	ACTIONS
$exp  o factor \ exp'$	$exp'.inh = factor.syn \ exp.syn = exp'.syn$	$exp  ightarrow factor\{exp'.inh = factor.syn\} \ exp'\{exp.syn = exp'.syn\}$
$exp_1'  o + factor\ exp_2'$	$exp_2'. inh = exp_1'. inh + factor. syn \ exp_1'. syn = exp_2'. syn$	$exp_1'  ightarrow + factor\{exp_2'.inh = exp_1'.inh + factor.syn\} \ exp_2'\{exp_1'.syn = exp_2'.syn\}$
$exp'  ightarrow \epsilon$	$exp^{\prime}. syn = exp^{\prime}. inh$	$exp'  ightarrow \epsilon \{exp'. syn = exp'. inh\}$
factor  o (exp)	factor. syn = exp. syn	$factor  o (exp) \{factor. syn = exp. syn \}$
$factor  o \mathbf{number}$	$factor. syn = \mathbf{number}. lexval$	$factor  o \mathbf{number} \{factor. syn = \mathbf{number}. lexval \}$

• Code: Please refer to the source code.