

INTRODUCTION TO MODELING

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AGENDA

1. Data Science Process & Modeling
2. Linear Regression

DATA SCIENCE PROCESS

1. Define problem.
2. Gather data.
3. Explore data.
4. Model with data.
5. Evaluate model.
6. Answer problem.

MODELING

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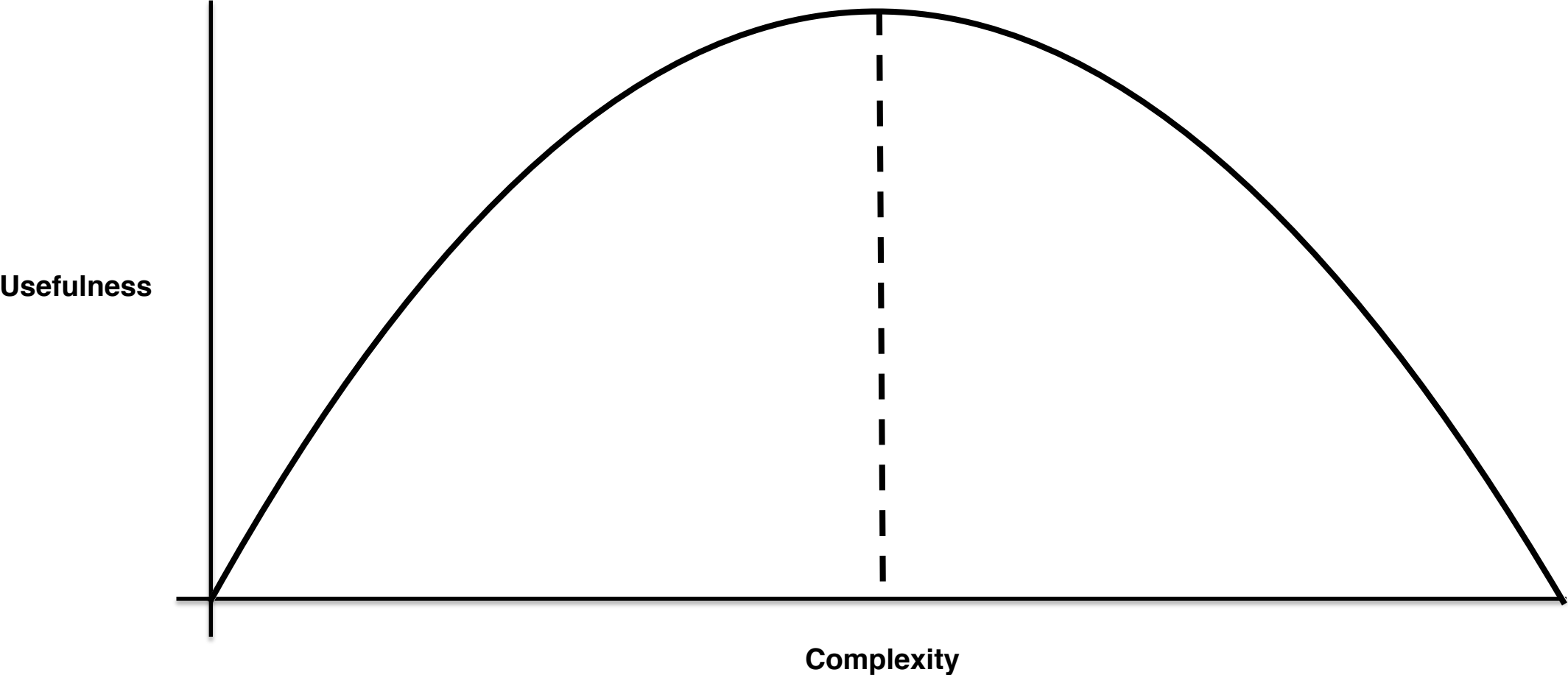
MODELING

- Modeling is something that we naturally do.
- A **model** is a simplification of reality.
 - How do we simplify?
 - Making assumptions about how things behave.
 - Taking into account only really important factors.

MODELING

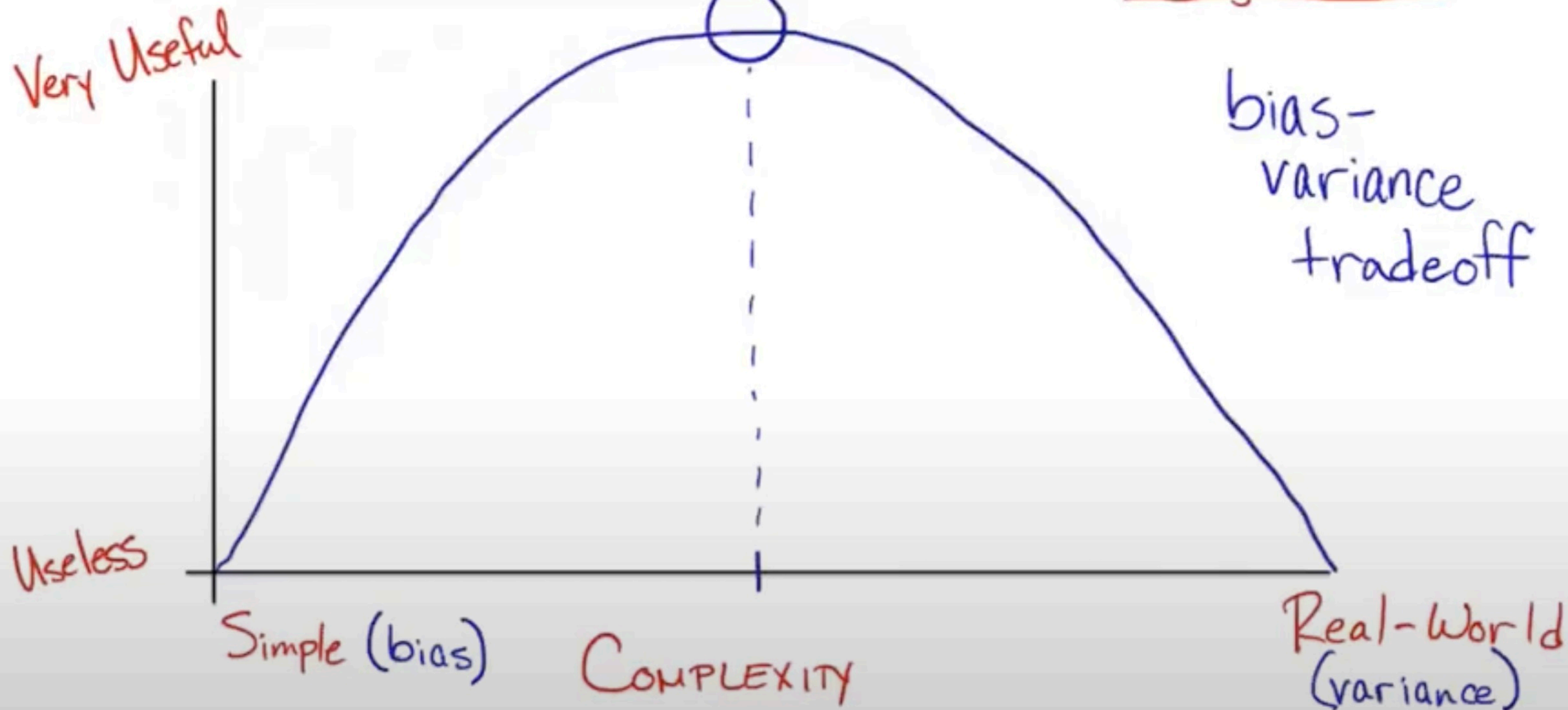
“Essentially, all models are wrong, but some are useful.”
– George Box, 1987

MODELING



MODELING

in general!



Data Dictionary

Variable	Definition	Key
survival	Survival	0 = No, 1 = Yes
pclass	Ticket class	1 = 1st, 2 = 2nd, 3 = 3rd
sex	Sex	
Age	Age in years	
sibsp	# of siblings / spouses aboard the Titanic	
parch	# of parents / children aboard the Titanic	
ticket	Ticket number	
fare	Passenger fare	
cabin	Cabin number	
embarked	Port of Embarkation	C = Cherbourg, Q = Queenstown, S = Southampton

WHY DO WE MODEL?

- Prediction
 - How long does it take me to get to work?
 - How much money is a 29-year-old DSI alum expected to make?
- Inference
 - What is the effect of sex on income?
 - How much more money can I be expected to make in a year?

MACHINE LEARNING ALGORITHMS

Data Science Problem

wks 6-8

Supervised Learning

↳ have access to y
(what I want to predict)



wk 4

Classification

↳ if y is
discrete

wk 9

Unsupervised Learning

↳ do not have access
to y

wk 3

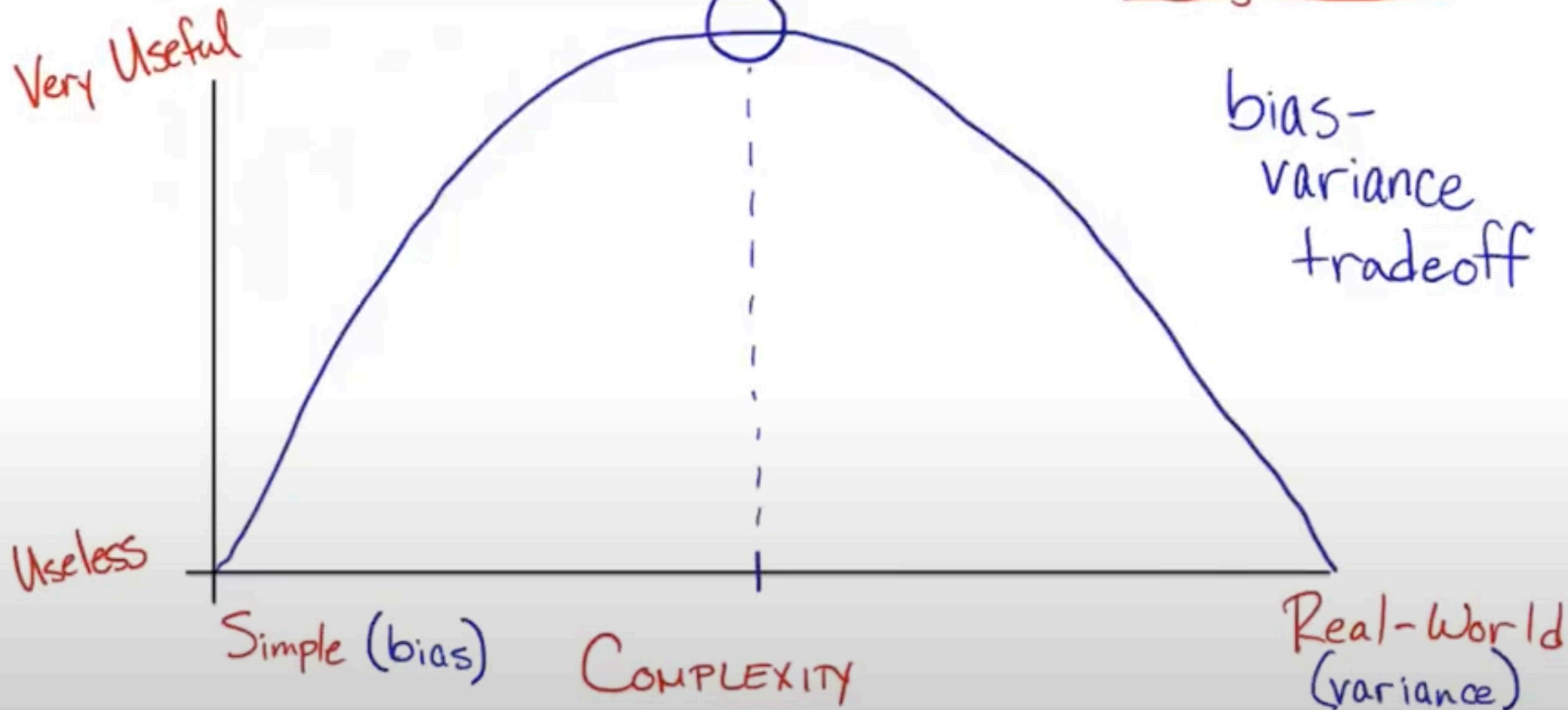


Regression

↳ if y is
continuous

MODELING

in general!



MACHINE LEARNING ALGORITHMS

TERMINOLOGY

- \mathbf{X} : our data, the independent/explanatory variables we use to predict \mathbf{Y} .
- \mathbf{Y} : our data, the dependent variable we want to predict.
- $\hat{\mathbf{Y}}$: our predicted values of \mathbf{Y} .

$$\mathbf{f} : \mathbf{X} \rightarrow \mathbf{Y}$$

Input Output

MODELING GOALS

1. Use observed values of \mathbf{X} and \mathbf{Y} to model relationship between them.
2. Build model that makes \mathbf{Y} and $\hat{\mathbf{Y}}$ as close as possible.
3. Use observed values of \mathbf{X} and existing model to make predictions $\hat{\mathbf{Y}}$.