

```

In[189]:= B1 = {{0.0, 4.982}, {0.0, 1.426}, {1.253, 1.371}, {2.278, 4.982}};
B2 = {{2.136, 2.90047}, {2.136, 1.459}, {3.619, 1.011}, {4.002, 2.964}};
B3 = {{4.475, 0.002}, {4.475, 2.601}, {4.812, 2.601}, {4.812, 0.002}};
B4 = {{4.389, 3.891}, {6.389, 1.6}, {7.931, 2.408}, {7.931, 3.891}};

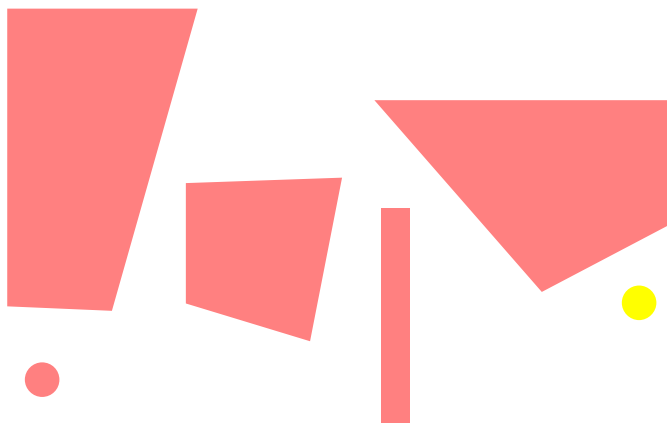
St = {0.42, 0.55};
Fin = {7.52, 1.47};
fig1 = Polygon[B1];
fig2 = Polygon[B2];
fig3 = Polygon[B3];
fig4 = Polygon[B4];

col1 = Pink;
col2 = Pink;
col3 = Pink;
col4 = Pink;

g = Graphics[{{col1, fig1}, {col2, fig2}, {col3, fig3},
  {col4, fig4}, {PointSize[0.05], Pink, Point[{0.42, 0.55}]},
  {PointSize[0.05], Yellow, Point[{7.55, 1.47}]}}]

```

Out[203]=



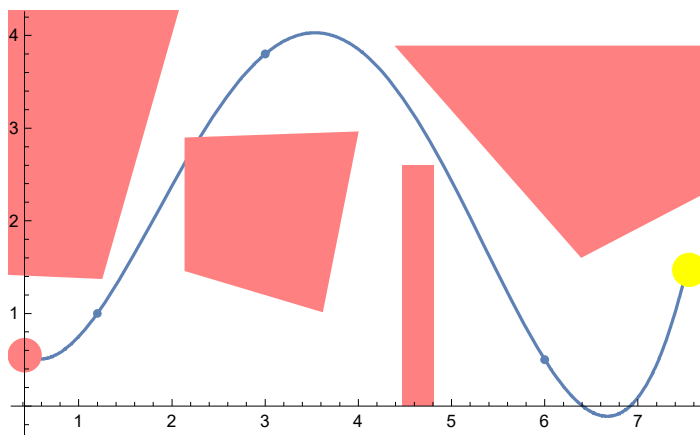
In[2955]:=

```

(*Решение задачи Ньютоном*)
(*Небольшое количество точек*)
np = 5;
XX = {{St[[1]], 1.2, 3, 6, Fin[[1]]},
      {St[[2]], 1.0, 3.8, 0.5, Fin[[2]]}}; XX = Transpose[XX] ;
RR = XX;
Do[R = Table[0, {j, np}];
  Do[
    R[[i]] = (RR[[i, k]] - RR[[i - 1, k]]) / (RR[[i, 1]] - RR[[i - k + 1, 1]]);, {i, k, np}];
  RR = Transpose[Append[Transpose[RR], R]]; {k, 2, np}
RR // N // MatrixForm;
F = RR[[1, 2]] +
  Sum[RR[[i + 1, i + 2]] × Product[x - RR[[j, 1]], {j, 1, i}], {i, 1, np - 1}] // N;
FN = Simplify[F];
ris1 = Plot[F, {x, St[[1]], Fin[[1]]}];
ris2 = ListPlot[XX];
Show[ris1, ris2, g]

```

Out[2964]=

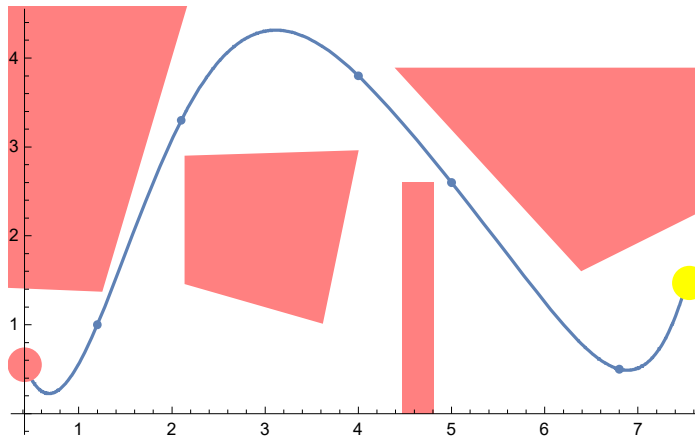


```

In[2965]:= (*7 точек*)
np = 7;
XX = {{St[[1]], 1.2, 2.1, 4, 5, 6.8, Fin[[1]]},
      {St[[2]], 1.0, 3.3, 3.8, 2.6, 0.5, Fin[[2]]}}; XX = Transpose[XX];
RR = XX;
Do[R = Table[0, {j, np}];
  Do[
    R[[i]] = (RR[[i, k]] - RR[[i - 1, k]]) / (RR[[i, 1]] - RR[[i - k + 1, 1]]);, {i, k, np}];
  RR = Transpose[Append[Transpose[RR], R]]; {k, 2, np}]
RR // N // MatrixForm;
F = RR[[1, 2]] +
  Sum[RR[[i + 1, i + 2]] × Product[x - RR[[j, 1]], {j, 1, i}], {i, 1, np - 1}] // N;
FN = Simplify[F];
ris1 = Plot[F, {x, St[[1]], Fin[[1]]}];
ris2 = ListPlot[XX];
Show[ris1, ris2, g]

```

Out[2974]=

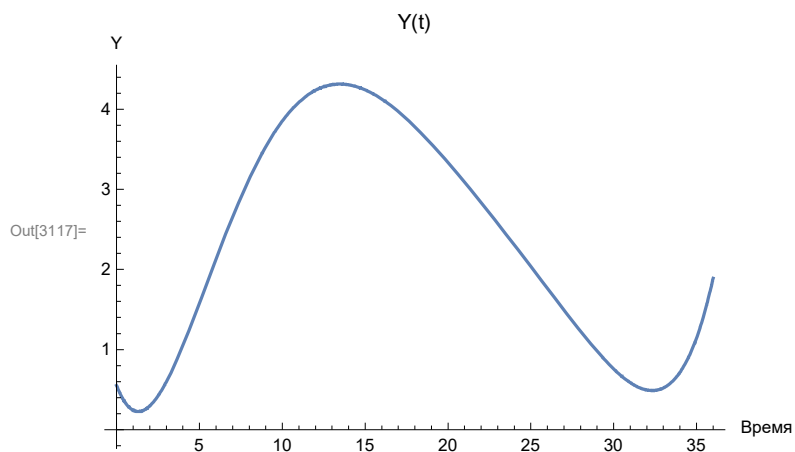
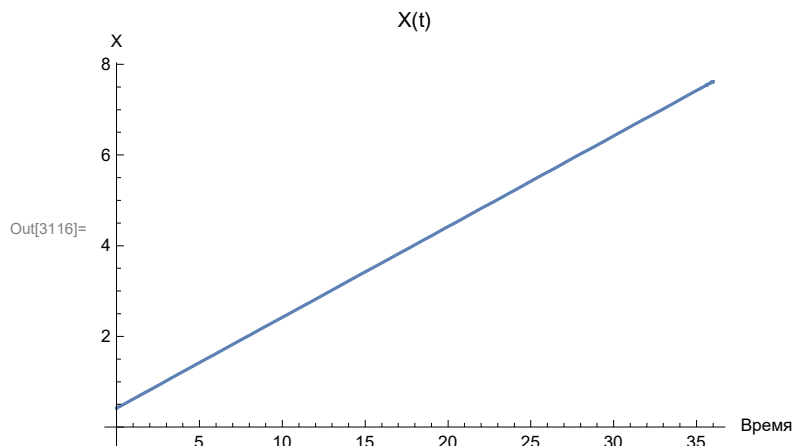


```

(*Пусть  $V_x(t) = \text{const}$ ,
тогда для метода Ньютона зависимости координат от времени будут:*)
Vx = 0.2;
Xt = St[[1]] + Vx * t;
y = F /. (x -> Xt);
time = 36
Plot[Xt, {t, 0, time}, AxesLabel -> {"Время", "X"}, PlotLabel -> "X(t)"]
Plot[y, {t, 0, time}, AxesLabel -> {"Время", "Y"}, PlotLabel -> "Y(t)"]

```

Out[3115]= 36



```

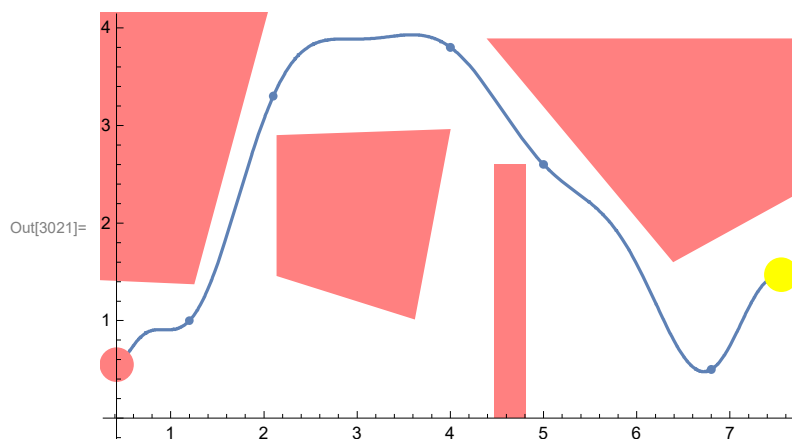
In[2998]:= (*Эрмит*)
np = 14
g1 = Tan[0 Degree];
g2 = Tan[45 Degree];
g3 = Tan[65 Degree];
g4 = Tan[-35 Degree];
g5 = Tan[-45 Degree];
g6 = Tan[30 Degree];
g7 = Tan[20 Degree];
XE = {{St[[1]], St[[1]], 1.2, 1.2, 2.1,
      2.1, 4, 4, 5, 5, 6.8, 6.8, Fin[[1]], Fin[[1]]},
      {St[[2]], g1, 1.0, g2, 3.3, g3, 3.8, g4, 2.6, g5, 0.5, g6, Fin[[2]], g7}};
XE = Transpose[XE];
RE = XE;
m1 = (XE[[3, 2]] - XE[[1, 2]]) /
      (XE[[3, 1]] - XE[[1, 1]]);
m2 = (XE[[5, 2]] - XE[[3, 2]]) /
      (XE[[5, 1]] - XE[[3, 1]]);
m3 = (XE[[7, 2]] - XE[[5, 2]]) /
      (XE[[7, 1]] - XE[[5, 1]]);
m4 = (XE[[9, 2]] - XE[[7, 2]]) /
      (XE[[9, 1]] - XE[[7, 1]]);
m5 = (XE[[11, 2]] - XE[[9, 2]]) /
      (XE[[11, 1]] - XE[[9, 1]]);
m6 = (XE[[13, 2]] - XE[[11, 2]]) /
      (XE[[13, 1]] - XE[[11, 1]]);
RE = Transpose[Append[Transpose[RE], {0, XE[[2, 2]], m1, XE[[4, 2]], m2, XE[[6, 2]],
      m3, XE[[8, 2]], m4, XE[[10, 2]], m5, XE[[12, 2]], m6, XE[[14, 2]]}]];
Do[Rs = Table[0, {j, np}];
  Do[
    Rs[[i]] = (RE[[i, k]] - RE[[i - 1, k]]) / (RE[[i, 1]] - RE[[i - k + 1, 1]]);, {i, k, np}];
  RE = Transpose[Append[Transpose[RE], Rs]]];, {k, 3, np}];
RE // N // MatrixForm;
FE = RE[[1, 2]] +
      Sum[RE[[i + 1, i + 2]] × Product[x - RE[[j, 1]], {j, 1, i}], {i, 1, np - 1}] // N;
FES = Simplify[FE]

ris1 = Plot[FE, {x, St[[1]], Fin[[1]]}];
ris2 = ListPlot[XX];
Show[ris1, ris2, g]

```

Out[2998]= 14

Out[3018]= $10.4857 - 78.7844 x + 248.519 x^2 - 411.576 x^3 + 405.055 x^4 - 253.268 x^5 + 105.078 x^6 - 29.6404 x^7 + 5.72508 x^8 - 0.748884 x^9 + 0.0640595 x^{10} - 0.00332088 x^{11} + 0.0000879744 x^{12} - 7.09217 \times 10^{-7} x^{13}$



In[3118]:= (*Эрмит, зависимости координат от времени:*)

$V_x = 0.2;$

$X_t = St[[1]] + V_x * t;$

$y = FE /. (x \rightarrow X_t);$

$time = 36$

$Plot[X_t, \{t, 0, time\}, AxesLabel \rightarrow \{"Время", "X"\}, PlotLabel \rightarrow "X(t)"]$

$Plot[y, \{t, 0, time\}, AxesLabel \rightarrow \{"Время", "Y"\}, PlotLabel \rightarrow "Y(t)"]$

Out[3121]= 36

