

Formula.c takes in a user nonnegative integer input (up to 13) and prints out the “long” form of $(1+x)^n$ where n is the user input. There are three parts to formula.c, factorial(n) which uses tail recursion to solve for $n!$, $nCr(n,r)$ solves for nCr by calling factorial(n), factorial(r) and factorial($n-r$). My main calls nCr from $r = 1$ till $r = n$. Tail recursion cut down my run time from 50-40 microseconds down to 30-20 microseconds. In terms of space analysis, my program is small, main calls nCr which in turns calls factorial. Factorial would take up a lot of space if tail recursion had not been used. BigO is n^2 since the call is recursive.