

1 MPMICE: A hybrid MPM-CFD model for simulating
2 coupled problems in porous media. Application to
3 earthquake-induced submarine landslides

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5 **Abstract**

6 In this paper, we describe a soil-fluid-structure interaction model that com-
7 bines soil mechanics (saturated sediments), fluid mechanics (seawater or air),
8 and solid mechanics (structures). The formulation combines the Material
9 Point Method, which models large deformation of the porous media and the
10 structure, with the Implicit Continuous-fluid Eulerian, which models com-
11 plex fluid flows. We validate the model and simulate the whole process of
12 earthquake-induced submarine landslides. We show that this model captures
13 complex interactions between saturated sediment, seawater, and structure,
14 so we can use the model to estimate the impact of potential submarine land-
15 slides on offshore structures.

16 *Keywords:*

17 Material Point Method, MPMICE, submarine landslide.

18 Nomenclature

General variables

<u>Variable</u>	<u>Dimensions</u>	<u>Description</u>
V	$[L^3]$	Representative volume
n		Porosity
σ	$[ML^{-1}t^{-2}]$	Total stress tensor
Δt	$[t]$	Time increment
\mathbf{b}	$[ML^1t^{-2}]$	Body force
c_v	$[L^2t^{-2}T^{-1}]$	Constant volume specific heat
f_d	$[MLt^{-2}]$	Drag forces in momentum exchange term
f^{int}	$[MLt^{-2}]$	Internal forces
f^{ext}	$[MLt^{-2}]$	External forces
q_{fs}	$[MLt^{-2}]$	Heat exchange term
S		Weighting function
∇S		Gradient of weighting function

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Solid phase

<u>Variable</u>	<u>Dimensions</u>	<u>Description</u>
m_s	$[M]$	Solid mass
ρ_s	$[ML^{-3}]$	Solid density
ϕ_s		Solid volume fraction
$\bar{\rho}_s$	$[ML^{-3}]$	Bulk Solid density
\mathbf{x}_s	$[L]$	Solid Position vector
\mathbf{U}_s	$[Lt^{-1}]$	Solid Velocity vector
\mathbf{a}_s	$[Lt^{-2}]$	Solid Acceleration vector
σ'	$[ML^{-1}t^{-2}]$	Effective Stress tensor
ϵ		Strain tensor
e_s	$[L^2t^{-2}]$	Solid Internal energy per unit mass
T_s	$[T]$	Solid Temperature
\mathbf{F}_s		Solid Deformation gradient
V_s	$[L^3]$	Solid Volume

Fluid phase

<u>Variable</u>	<u>Dimensions</u>	<u>Description</u>
m_f	$[M]$	Fluid mass
ρ_f	$[ML^{-3}]$	Fluid density
ϕ_f		Fluid volume fraction
$\bar{\rho}_f$	$[ML^{-3}]$	Bulk Fluid density
\mathbf{U}_f	$[Lt^{-1}]$	Fluid Velocity vector
$\boldsymbol{\sigma}_f$	$[ML^{-1}t^{-2}]$	Fluid stress tensor
p_f	$[ML^{-1}t^{-2}]$	Fluid isotropic pressure
$\boldsymbol{\tau}_f$	$[ML^{-1}t^{-2}]$	Fluid shear stress tensor
e_f	$[L^2t^{-2}]$	Fluid Internal energy per unit mass
T_f	$[T]$	Fluid Temperature
v_f	$[L^3/M]$	Fluid Specific volume $\frac{1}{\rho_f}$
α_f	$[1/T]$	Thermal expansion
μ	$[ML^{-1}t^{-1}]$	Fluid viscosity
V_f	$[L^3]$	Fluid Volume

Superscript

<u>Variable</u>	<u>Dimensions</u>	<u>Description</u>
n		Current time step
L		Lagrangian values
$n + 1$		Next time step

Subscript

c	Cell-centered quantity
p	Particle quantity
i	Node quantity
FC	Cell face quantity
L, R	Left and Right cell faces