

LEARNING OUTCOMES 1

- Define the terms: matrix, order, square matrix, identity matrix and inverse matrix
- Perform scalar multiplication of a matrix
- Identify when two martices are equal and when two martices may be added or multiplied
- Perform addition and multiplication of compatible matrices
- Calculate the determinant and inverse of a 2X2 matrix
- Define the terms: singular matrix and non-singular matrix

Prisone adjuations for an unknown matrix using the matrix inverse

Of matrix is a rectangular array of elements arranged in nowe and columns

SCHLAR MULTIPICATION

To multiply a matrix A by a scalar (constant) k, multiply each element of Abyk

eg.

If
$$A = \begin{bmatrix} a & b \\ c & d \end{bmatrix}$$
 then: $kA = \begin{bmatrix} ka & kb \\ kc & kd \end{bmatrix}$

EXAMPLE 6:1

Given k=2 and A=
$$\begin{bmatrix} 2 & 1 \\ 3 & -1 \\ 2 & 0 \end{bmatrix}$$

$$kA = \begin{bmatrix} 4 & 2 \\ 6 & -2 \\ 4 & 0 \end{bmatrix}$$

ORDER

A matrix which has m nows and n columns is said to have order m xn

* If m=n then the matrix is a square matrix EXAMPLE 6.2

Give the orders of the following matrices

$$\begin{bmatrix} -1 & 2 \\ 0 & 1 \\ 2 & 3 \end{bmatrix} \qquad \begin{bmatrix} 1 & 1 & 0 \\ 2 & 3 & -1 \end{bmatrix} \qquad \begin{bmatrix} 1 & 6 \\ 0 & 1 \end{bmatrix}$$

GENERAL FORM OF A MATRIX

$$\label{eq:A} \lambda = \begin{bmatrix} a_{1_1} & q_{2_1} & q_{1_2} & q_{2_1} & \dots & q_{1n} \\ q_{2_1} & q_{2_2} & q_{2_2} & \dots & q_{2n} \\ \vdots & \vdots & \vdots & & \vdots \\ q_{m_1} & q_{m_2} & q_{m_3} & q_{m_4} & \dots & q_{m_1} \end{bmatrix} \qquad \begin{array}{c} \text{denoting the problems of the problems of$$

Given the matrix
$$A = \begin{bmatrix} 3 & 1 & -4 \\ 0 & 2 & 6 \end{bmatrix}$$

write down the elements q_{21} q_{12} and q_{23}

- 0 = 1
- 923-6