# Package 'RLumCarlo'

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```
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Title Monte-Carlo Methods for Simulating Luminescence Phenomena
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Description A collection of functions to simulate luminescence production in minerals using
       Monte-
       Carlo methods. Implemented are models for delocalised, localised and tunnelling transition.
       Supported stimulation methods are TL, CW-OSL, LM-OSL and ITL.
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License GPL-3
BugReports https://github.com/R-Lum/RLumCarlo/issues
Depends R (>= 3.3.0),
      utils,
      magrittr
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Imports abind (>= 1.4-5),
       doParallel (>= 1.0.15),
       foreach (>= 1.4.7),
      khroma (>= 1.2.0),
      parallel,
      methods,
      Rcpp (>= 1.0.2)
Suggests R.rsp (>= 0.43.1),
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Encoding UTF-8
```

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# VignetteBuilder R.rsp

RoxygenNote 6.1.1

# **R** topics documented:

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RLumCarlo-package

Monte-Carlo Methods for Simulating Luminescence Phenomena

# Description

A collection of functions to simulate luminescence production in minerals using Monte-Carlo methods. Implemented are models for delocalised, localised and tunnelling transition. Supported stimulation methods are TL, CW-OSL, LM-OSL and ITL.

# Details

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- The work of Sebastian Kreutzer as maintainer of the package was supported by LabEx LaS-cArBx (ANR n. ANR-10-LABX-52).

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### Author(s)

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Christian Laag, University of Bayreuth (Germany)

### References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R., Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects\_A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

plot\_RLumCarlo

Plot RLumCarlo Monte-Carlo Simulations Results

# **Description**

The function allows to visualise 'RLumCarlo' modelling results without extracting the values manually. Typically visualised values are the signal or the number of remaining electrons as averaged values with a polygon indicating modelling uncertainties.

# Usage

```
plot_RLumCarlo(object, plot_uncertainty = "range", norm = FALSE,
   add = FALSE, ...)
```

# **Arguments**

object

list of class RLumCarlo\_Model\_Output (**required**): input object to be plotted, usually the required input object is generated by one for the functions preceeding with run. Alternatively a list of such chiests can be required.

with run. Alternatively a list of such objects can be provided.

plot\_uncertainty

logical (with default): sets the nature of the show uncertainty, allowed values are range, sd (standard deviation), var (variance) and NULL disables the uncertain-

tiy visualisation

norm logical (with default): normalise curve to the highest intensity

add logical (with default): allows overplotting of results by adding curve to an exist-

ing plot

. . .

further arguments that can be passed to control the plot output. Currently supported are: xlab, xlim, ylim, main, lwd, type, pch, lty,col, grid, legend. The arguments lwd, type, pch, lty, col can be provided as vector if object is ...

a list

## **Details**

The colour curves, the package khroma::khroma-package is used to provide colours that can be best distinguished, in particular by colour-blind users.

## Value

This function returns a graphical output

# **Function version**

0.1.0

## How to cite

Friedrich, J., Kreutzer, S., 2019. plot\_RLumCarlo(): Plot RLumCarlo Monte-Carlo Simulations Results. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

## Author(s)

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, IRAMAT-CRP2A, Université Bordeaux Montaigne (France)

run\_MC\_CW\_IRSL\_LOC

Run Monte-Carlo simulation for CW-IRSL for localized transition

# **Description**

Runs a Monte-Carlo (MC) simulation of constant wave infrared stimulated luminesence (CW-IRSL) using the generalized one trap (GOT) model. Localized refers to excitation of an electron before it recombines, but without the involvement of the conduction band.

# Usage

```
run_MC_CW_IRSL_LOC(A, times, clusters = 10, n_filled = 100, r,
 method = "par", output = "signal", ...)
```

## **Arguments**

A	numeric ( <b>required</b> ): The optical excitation rate from trap to conduction band $(s^{-1})$ .
times	numeric (with default): The sequence of temperature steps within the simulation (s).
clusters	numeric (with default): The number of MC runs (unitless).
n_filled	integer (with default): The number of filled electron traps at the beginning of the simulation (unitless).
r	numeric (with default): The localized retrapping ratio (unitless).
method	<pre>character (with default): sequential 'seq' or parallel processing 'par'</pre>
output	<pre>character (with default): output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)</pre>
	further arguments

#### **Details**

$$I_{LOC}(t) = -dn/dt = A * (n^2/(r+n))$$

```
Where in the function:
t := Time
n := 'n_filled"
```

## Value

This function returns an array with dimension length(times) x length(r) x clusters

# **Function version**

0.1.0

### How to cite

Kreutzer, S., 2019. run\_MC\_CW\_IRSL\_LOC(): Run Monte-Carlo simulation for CW-IRSL for localized transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

## Author(s)

Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

# References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Reuven, C. and S. Mckeever, 1997. Theory of thermoluminescence and related phenomena.

# Examples

run\_MC\_CW\_IRSL\_TUN

Run Monte-Carlo simulation for CW-IRSL

# **Description**

Runs a Monte-Carlo (MC) simulation of constant wave infrared stimulated luminesence (CW-IRSL) using the model. Tunneling refers to the direct movement of electrons from a trap directly to the recombination center.

# Usage

```
run_MC_CW_IRSL_TUN(A, rho, times, clusters = 10, r_c = 0,
  delta.r = 0.1, N_e = 200, method = "seq", output = "signal", ...)
```

# **Arguments**

A	numeric ( <b>required</b> ): The optical excitation rate from ground state of trap to excited state of trap ( $s^{-1}$ ).
rho	numeric ( <b>required</b> ): The density of recombination centers (defined as rho' in Huntley 2006) (unitless).
times	numeric (with default): The sequence of temperature steps within the simulation (s).
clusters	numeric (with default): The number of MC runs (unitless).
r_c	numeric (with default): The retrapping ratio.
delta.r	numeric (with default):
N_e	numeric (width default): The total number of electron traps available (unitless).
method	character (with default): sequential 'seq' or parallel processing 'par'
output	<pre>character (with default): output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)</pre>
	further arguments
r	numeric (with default): The radius of tunneling (unitless).

# **Details**

$$p(t) = A * e^{(-r'/\rho^{(-1/3)})}$$

$$I_{TUN}(t) = 3 * n * p(t) * (r')^2 * e^{(-r'^3)}$$

Where in the function:

p(t) := The experimental stimulation mode

e:= Exponentional function

r' := r  $\rho' := rho$  t := Time

n :=The Instantaneous number of electrons

#### Value

This function returns a list.

## **Function version**

0.2.0

### How to cite

Friedrich, J., Kreutzer, S., 2019. run\_MC\_CW\_IRSL\_TUN(): Run Monte-Carlo simulation for CW-IRSL. Function version 0.2.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

## Author(s)

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, Université Bordeaux Montaigne (France)

### References

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. Journal of Physics: Condensed Matter, 18(4), 1359.doi: 10.1088/09538984/18/4/020

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Reuven, C. and S. Mckeever, 1997. Theory of thermoluminescence and related phenomena.

## **Examples**

run\_MC\_CW\_OSL\_DELOC

Run Monte-Carlo simulation for CW-OSL for delocalized transition

# **Description**

Runs a Monte-Carlo (MC) simulation of constant wave optically stimulated luminesence (CW-OSL) using the one trap one recombination center (OTOR) model. Delocalized refers to involvement of the conduction band.

# Usage

```
run_MC_CW_OSL_DELOC(A, times, clusters = 10, N_e = 200,
    n_filled = N_e, R, method = "par", output = "signal", ...)
```

# **Arguments**

Α numeric (required): The optical excitation rate from trap to conduction band times numeric (with default): The sequence of temperature steps within the simulation (s) numeric (with default): The number of MC runs (unitless). clusters integer (with default): The total number of electron traps available (unitless).  $N_e$ integer (with default): The number of filled electron traps at the beginning of the n\_filled simulation (unitless). R numeric (with default): The delocalized retrapping ratio (unitless). method character (with default): sequential 'seq' or parallel processing 'par' output character (with default): output is either the 'signal' (the default) or 'remaining\_e' (the remaining charges, electrons, in the trap)

### **Details**

$$I_{DELOC}(t) = -dn/dt = p(t) * (n^2/(N * R + n(1 - R)))$$

Where in the function:

t := Time  $p(t) := The experimental stimulation mode <math>n := The Instantaneous number of electrons <math>N = N_e$ 

further arguments

# Value

This function returns an array with dimension length(times) x length(r) x clusters

# **Function version**

0.1.0

## How to cite

Kreutzer, S., 2019. run\_MC\_CW\_OSL\_DELOC(): Run Monte-Carlo simulation for CW-OSL for delocalized transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

# Author(s)

Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

#### References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Reuven, C. and S. Mckeever, 1997. Theory of thermoluminescence and related phenomena.

## **Examples**

## End(Not run)

```
## Example 1: Simulate CW-OSL
## Not run:
run_MC_CW_OSL_DELOC(
A = 0.12,
R = 1,
times = 0:100) %>%
  plot_RLumCarlo(legend = T)
## End(Not run)
#'@examples
## Example 2: Simulate CW-OSL DELOC with several parameter changes
##===========================##
## Not run:
# define your parameters
A=c(0.1,0.3,0.5,1)
times=seq(0,60,1)
s=1e12
R<-c(1e-7,1e-6,0.01,0.1) # sequence of different R values
clusters=1000 # number of Monte Carlo simulations
N_e = c(200, 500, 700, 400) # number of free electrons
n_filled = c(200, 500, 100, 70) # number of filled traps
method="par"
output ="signal"
col=c(1,2,3,4) # ifferent colours for the individual curves
add_TF \leftarrow c(F,rep(T, (length(R)-1)))
for (u in 1:length(R)){
results <-run_MC_CW_OSL_DELOC(A=A[u], times, clusters =clusters, N_e = N_e[u],
                     n_filled = n_filled[u], R=R[u], method = method, output = output)
plot_RLumCarlo(results,add=add_TF[u],legend = F, col=col[u], main=" your plot")
legend("topright",ncol=4,cex=0.55,title = "parameters",legend=c(paste0("A = ", A), title = "parameters",legend=c(paste0("A = ", A), title = "parameters")
                                                paste0("n_filled = ", n_filled),
                                                       paste0("N_e = ", N_e),
                                               paste0("R = ", R)), text.col=col)
```

run\_MC\_ISO\_DELOC

Run Monte-Carlo simulation for ISO-TL for delocalized transition

# Description

Runs a Monte-Carlo (MC) simulation of isothermally stimulated luminesence (ISO-TL or ITL) using the one trap one recombination center (OTOR) model. Delocalized refers to involvement of the conduction band.

# Usage

```
run_MC_ISO_DELOC(s, E, T = 20, times, clusters = 10, N_e = 200,
    n_filled = N_e, R, method = "par", output = "signal", ...)
```

# **Arguments**

_	
S	numeric ( <b>required</b> ): The frequency factor of the trap (s^-1).
Е	numeric (required): Thermal activation energy of the trap (eV).
T	numeric (with default): Constant stimulation temperature (degrees C).
times	numeric (with default): the sequence of temperature steps within the simulation (s).
clusters	numeric (with default): The number of MC runs (unitless).
N_e	integer (with default): The total number of electron traps available (unitless).
n_filled	integer (with default): The number of filled electron traps at the beginning of the simulation (unitless).
R	numeric (with default): The delocalized retrapping ratio (unitless).
method	character (with default): sequential 'seq' or parallel processing 'par'
output	<pre>character (with default): output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)</pre>
	further arguments

# **Details**

$$I_{DELOC}(t) = -dn/dt = (s * e^{-}E/k_b * T_{ISO}) * (n^2/(NR + n(1-R)))$$

```
Where in the function:  \begin{aligned} \mathbf{t} &:= \mathsf{Time} \\ \mathbf{e} &:= \mathsf{Exponentional} \text{ function} \\ k_B &:= \mathsf{Boltzmann} \text{ constant} \\ T_{ISO} &= \mathsf{T} \end{aligned}
```

 $n := n_filled$  $N := N_e$ 

# Value

This function returns an array with dimension length(times) x length(r) x clusters

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### **Function version**

0.0.1

### How to cite

Kreutzer, S., 2019. run\_MC\_ISO\_DELOC(): Run Monte-Carlo simulation for ISO-TL for delocalized transition. Function version 0.0.1. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

## Author(s)

Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Reuven, C. and S. Mckeever, 1997. Theory of thermoluminescence and related phenomena.

# **Examples**

run\_MC\_ISO\_LOC

Run Monte-Carlo simulation for ISO-TL for localized transition

# Description

Runs a Monte-Carlo (MC) simulation of isothermally stimulated luminesence (ISO-TL or ITL) using the genralized one trap (GOT) model. Localized refers to excitation of an electron before it recombines, but without the involvement of the conduction band.

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## Usage

```
run_MC_ISO_LOC(s, E, T = 20, times, clusters = 10, n_filled = 100, r,
  method = "par", output = "signal", ...)
```

# **Arguments**

s numeric (**required**): The frequency factor of the trap (s^-1). Ε numeric (required): Thermal activation energy of the trap (eV). Τ numeric (with default): Constant stimulation temperature (degrees C). numeric (with default): The sequence of temperature steps within the simulation times clusters numeric (with default): The number of MC runs (unitless). n\_filled integer (with default): The number of filled electron traps at the beginning of the simulation (unitless). numeric (with default): the localized retrapping ratio (unitless). r character (with default): sequential 'seq' or parallel processing 'par' method character (with default): output is either the 'signal' (the default) or 'remaining\_e' output (the remaining charges, electrons, in the trap) further arguments . . .

### **Details**

$$I_{LOC}(t) = -dn/dt = (s * e^{-}E/k_b * T_ISO) * (n^2/(r+n)))$$

Where in the function:

$$\label{eq:total_total} \begin{split} \mathbf{t} := & \operatorname{Time} \\ \mathbf{e} := & \operatorname{Exponentional function} \\ k_B := & \operatorname{Boltzmann constant} \\ T_{ISO} = & \mathbf{T} \\ \mathbf{n} := & \mathbf{n_filled} \\ \mathbf{N} := & \mathbf{N_e} \end{split}$$

# Value

This function returns an array with dimension length(times) x length(r) x clusters

# **Function version**

0.0.1

## How to cite

Kreutzer, S., 2019. run\_MC\_ISO\_LOC(): Run Monte-Carlo simulation for ISO-TL for localized transition. Function version 0.0.1. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

# Author(s)

Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

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### References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

# **Examples**

run\_MC\_ISO\_TUN

Run Monte-Carlo Simulation for ISO-TL for tunneling transition

## **Description**

Runs a Monte-Carlo (MC) simulation of isothermally stimulated luminesence (ISO-TL or ITL) using the tunneling (TUN) model. Tunneling refers to the direct movement of electrons from a trap directly to the recombination center.

## Usage

```
run_MC_ISO_TUN(E, s, T = 200, rho, times, clusters = 10, r_c = 0,
  delta.r = 0.1, N_e = 200L, method = "par", output = "signal",
    ...)
```

## **Arguments**

```
E numeric (required): Thermal activation energy of the trap (eV).

s numeric (required): Frequency factor of the trap (s^-1).

T numeric (required): Constant stimulation temperature (degrees C).

rho numeric (required): The density of recombination centers (defined as rho' in Huntley 2006) (unitless).
```

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numeric (with default): The sequence of temperature steps within the simulation times (s). clusters numeric (with default): The number of MC runs (unitless). numeric (with default): The radius of tunneling (dimensionless) r\_c numeric (with default): delta.r numeric (width default): The total number of electron traps available (unitless). N\_e character (with default): sequential 'seq' or parallel processing 'par' method character (with default): output is either the 'signal' (the default) or 'remaining\_e' output (the remaining charges, electrons, in the trap) further arguments numeric (with default): The radius of tunneling (unitless).

## **Details**

$$p(t) = s * e^{(-r'/\rho'^{1/3})}$$

$$I_{TUN}(t) = 3 * n * p(t) * (r')^{2*e^{(-r'^3)}}$$

Where in the function:

p(t) := The experimental stimulation mode

e:= Exponentional function

 $k_B := Boltzmann constant$ 

r := r

 $\rho \coloneqq \mathsf{rho}$ 

t := Time

n :=The Instantaneous number of electrons

 $n := n_filled$ 

t := times

# Value

This function returns a list.

# **Function version**

0.1.0

## How to cite

Friedrich, J., Kreutzer, S., 2019. run\_MC\_ISO\_TUN(): Run Monte-Carlo Simulation for ISO-TL for tunneling transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

# Author(s)

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Univerité Bordeaux Montaigne (France)

#### References

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. Journal of Physics: Condensed Matter, 18(4), 1359.doi: 10.1088/09538984/18/4/020

Pagonis, V. and Kulp, C., 2017. Monte Carlo simulations of tunneling phenomena and nearest neighbor hopping mechanism in feldspars. Journal of Luminescence 181, 114–120. doi: 10.1016/j.jlumin.2016.09.014

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Further reading Aitken, M.J., 1985. Thermoluminescence dating. 276-280. doi: 10.1002/gea.3340020110

# **Examples**

run\_MC\_LM\_OSL\_DELOC

Run Monte-Carlo simulation for LM-OSL for delocalized transition

# **Description**

Runs a Monte-Carlo (MC) simulation of linearly modulated optically stimulated luminesence (LM-OSL) using the one trap one recombination center (OTOR) model. Delocalized refers to involvement of the conduction band.

# Usage

```
run_MC_LM_OSL_DELOC(A, times, clusters = 10, N_e = 200,
    n_filled = N_e, R, method = "par", output = "signal", ...)
```

# **Arguments**

A numeric (required): The optical excitation rate from trap to conduction band (s^-1).

times numeric (with default): The sequence of temperature steps within the simulation (s).

clusters numeric (with default): The number of MC runs (unitless).

N\_e integer (with default): The total number of electron traps available (unitless).

n\_filled integer (with default): The number of filled electron traps at the beginning of the

simulation (unitless).

R numeric (with default): The delocalized retrapping ratio (unitless).

method character (with default): sequential 'seq' or parallel processing 'par'

output character (with default): output is either the 'signal' (the default) or 'remaining\_e'

(the remaining charges, electrons, in the trap)

... further arguments

## **Details**

$$I_{DELOC}(t) = -dn/dt = p(t) * (n^2/(N * R + n(1 - R)))$$

Where in the function:

t := Time

p(t) := The experimental stimulation mode n := The Instantaneous number of electrons

 $N = N_e$ 

### Value

This function returns an array with dimension length(times) x length(r) x clusters

### **Function version**

0.1.0

## How to cite

Kreutzer, S., 2019. run\_MC\_LM\_OSL\_DELOC(): Run Monte-Carlo simulation for LM-OSL for delocalized transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

# Author(s)

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## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Reuven, C. and S. Mckeever, 1997. Theory of thermoluminescence and related phenomena.

## **Examples**

```
##===========##
## Example 1: Simulate LM-OSL
##=============##
## Not run:
run_MC_LM_OSL_DELOC(
```

```
A = 0.12,
R = 1,
times = 0:100) %>%
   plot_RLumCarlo(legend = T)
## End(Not run)
```

run\_MC\_LM\_OSL\_LOC

Run Monte-Carlo simulation for LM-OSL for localized transition

## **Description**

Runs a Monte-Carlo (MC) simulation of linearly modulated optically stimulated luminesence (LM-OSL) using the generalized one trap (GOT) model. Localized refers to excitation of an electron before it recombines, but without the involvement of the conduction band.

# Usage

```
run_MC_LM_OSL_LOC(A, times, clusters = 10, n_filled = 100, r,
  method = "par", output = "signal", ...)
```

# **Arguments**

Α	numeric ( <b>required</b> ): The optical excitation rate from trap to conduction band (s^-1).
times	numeric (with default): The sequence of temperature steps within the simulation (s).
clusters	numeric (with default): The number of MC runs (unitless).
n_filled	integer (with default): The number of filled electron traps at the beginning of the simulation (unitless).
r	numeric (with default): The localized retrapping ratio (unitless)
method	character (with default): sequential 'seq' or parallel processing 'par'
output	<pre>character (with default): output is either the 'signal' (the default) or 'remaining_e'   (the remaining charges, electrons, in the trap)</pre>
	further arguments

# Details

$$I_{LOC}(t) = -dn/dt = p(t) * (n^2/(r+n))$$

Where in the function:

 $t := \mathsf{Time}$ 

p(t) := The experimental stimulation moden := The Instantaneous number of electrons

# Value

This function returns an array with dimension length(times) x length(r) x clusters

### **Function version**

0.1.0

### How to cite

Kreutzer, S., 2019. run\_MC\_LM\_OSL\_LOC(): Run Monte-Carlo simulation for LM-OSL for localized transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

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Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

### References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

## **Examples**

run\_MC\_LM\_OSL\_TUN

Run Monte-Carlo simulation for LM-OSL for tunneling transition

## **Description**

Runs a Monte-Carlo (MC) simulation of linearly modulated optically stimulated luminesence (LM-OSL) using the tunneling (TUN) model. Tunneling refers to the direct movement of electrons from a trap directly to the recombination center

# Usage

```
run_MC_LM_OSL_TUN(A, rho, times, clusters = 10, r_c = 0,
  delta.r = 0.1, N_e = 200, method = "par", output = "signal", ...)
```

# **Arguments**

A	numeric ( <b>required</b> ): The optical excitation rate from ground state of trap to excited state of trap ( $s^{-1}$ ).
rho	numeric ( <b>required</b> ): The density of recombination centers (defined as rho' in Huntley 2006) (unitless).
times	vector (with default): The sequence of temperature steps within the simulation (s).
clusters	numeric (with default): The number of clusters.
r_c	numeric (with default): The retrapping ratio.
delta.r	numeric (with default): Increments of r_c (unitless).
N_e	numeric (width default): The total number of electron traps available (unitless).
method	character (with default): sequential 'seq' or parallel processing 'par'
output	<pre>character (with default): output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)</pre>
	further arguments
r	numeric (with default): The radius of tunneling (unitless).

# **Details**

$$p(t) = A * (t/P) * e^{(-r'/\rho'^{(-1/3)})}$$

$$I_{TUN}(t) = 3 * n * p(t) * (r')^2 * e^{(-r'^3)}$$

Where in the function:

p(t) := The experimental stimulation mode

t := Time

P := Maximum stimulation time

e := Exponential function

r' := r

 $\rho := \operatorname{rnc}$ 

n :=The instantaneous number of electrons

# Value

This function returns a list.

# **Function version**

0.1.0

## How to cite

Friedrich, J., 2019. run\_MC\_LM\_OSL\_TUN(): Run Monte-Carlo simulation for LM-OSL for tunneling transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

run\_MC\_TL\_DELOC

### Author(s)

Johannes Friedrich, University of Bayreuth (Germany)

#### References

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. Journal of Physics: Condensed Matter, 18(4), 1359.doi: 10.1088/09538984/18/4/020

Pagonis, V. and Kulp, C., 2017. Monte Carlo simulations of tunneling phenomena and nearest neighbor hopping mechanism in feldspars. Journal of Luminescence 181, 114–120. doi: 10.1016/j.jlumin.2016.09.014

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Further reading Aitken, M.J., 1985. Thermoluminescence dating. 276-280. doi: 10.1002/gea.3340020110

## **Examples**

```
## Not run:
##TODO: Primary example, should be verified
run_MC_LM_OSL_TUN(A = 10000, rho = 0.0001, times = 1:100, clusters = 10, r = NULL,
delta.r = 0.1,
N_e = 200, method = "par", output = "signal") %>%
plot_RLumCarlo(norm = T)
## End(Not run)
```

run\_MC\_TL\_DELOC

Run Monte-Carlo simulation for TL for delocalized transition

# Description

Runs a Monte-Carlo (MC) simulation of thermo-luminesence (TL) using the one trap one recombination center (OTOR) model. Delocalized refers to involvement of the conduction band.

# Usage

```
run_MC_TL_DELOC(s, E, times, clusters = 10, N_e = 200,
   n_filled = N_e, R, method = "par", output = "signal", ...)
```

# Arguments

```
s numeric (required): The frequency factor of the trap (s^-1).

E numeric (required): Thermal activation energy of the trap (eV).

times numeric (with default): The sequence of temperature steps within the simulation (s).
```

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clusters

numeric (with default): The number of MC runs (unitless).

N\_e integer (with default): The total number of electron traps available (unitless).

n\_filled integer (with default): The number of filled electron traps at the beginning of the simulation (unitless).

R numeric (with default): The delocalized retrapping ratio (unitless).

method character (with default): sequential 'seq' or parallel processing 'par'

output character (with default): output is either the 'signal' (the default) or 'remaining\_e' (the remaining charges, electrons, in the trap)

... further arguments

### **Details**

$$I_{DELOC}(t) = -dn/dt = (s * e^{-}E/k_b * T) * (n^2/(N * R + n(1 - R))))$$

Where in the function:

t := Time

e:= Exponentional function

 $k_B := Boltzmann constant$ 

T= Temperature

n := The Instantaneous number of electrons

 $N := N_e$ 

# Value

This function returns an array with dimension length(times) x length(r) x clusters

# **Function version**

0.0.1

# How to cite

Kreutzer, S., 2019. run\_MC\_TL\_DELOC(): Run Monte-Carlo simulation for TL for delocalized transition. Function version 0.0.1. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

# Author(s)

Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

# References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Reuven, C. and S. Mckeever, 1997. Theory of thermoluminescence and related phenomena.

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## **Examples**

```
## Example 1: Simulate TL
##========================##
## Not run:
run_MC_TL_DELOC(
s = 3.5e12,
E = 1.45,
R = 1,
times = 100:450) %>%
  plot_RLumCarlo(legend = T)
## End(Not run)
#' @examples
## Example 2: Plot multiple TL stimulation TL curves in R with varying params
##-----##
     ## Not run:
# define your parameters
times=seq(100,450,1)
s=rep(3.5e12,4)
E=rep(1.45,4)
R<-c(0.7e-6,1e-6,0.01,0.1)
clusters=1000
N_e = c(400, 500, 700, 400)
n_filled =c(400, 500, 300, 70)
method="par"
output ="signal"
col=c(1,2,3,4) # different colours for the individual curves
plot_uncertainty <- c(TRUE,TRUE,TRUE,TRUE) # do you want to see the uncertainty?</pre>
add_TF <- c(FALSE,rep(TRUE, (length(R)-1)))</pre>
for (u in 1:length(R)){
results <-run_MC_TL_DELOC(times=times, s=s[u],E=E[u], clusters =clusters, N_e = N_e[u],
                    n_filled = n_filled[u], R=R[u], method = method, output = output)
plot\_RLumCarlo(results, add=add\_TF[u], legend = FALSE, col=col[u], main="your plot", ylim=c(0,20))
}
legend("topright",ncol=5,cex=0.55,title = "parameters" ,legend=c(paste0("E = ", E),
                                                        paste0("s = ", s),
                                                 paste0("n_filled = ", n_filled),
                                                        paste0("N_e = ", N_e),
                                                paste0("R = ", R)), text.col=col)
## End(Not run)
```

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# **Description**

Runs a Monte-Carlo (MC) simulation of thermo-luminesence (TL) using the generalized one trap (GOT) model. Localized refers to excitation of an electron before it recombines, but without the involvement of the conduction band.

# Usage

```
run_MC_TL_LOC(s, E, times, clusters = 10, n_filled = 100, r,
  method = "par", output = "signal", ...)
```

## **Arguments**

s	numeric ( <b>required</b> ): The frequency factor of the trap (s^-1).
Е	numeric (required): Thermal activation energy of the trap (eV).
times	numeric (with default): The sequence of temperature steps within the simulation (s).
clusters	numeric (with default): The number of MC run (unitless).
n_filled	integer (with default): The number of filled electron traps at the beginning of the simulation (unitless).
r	numeric (with default): The localized retrapping ratio (unitless).
method	character (with default): sequential 'seq' or parallel processing 'par'
output	<pre>character (with default): output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)</pre>
	further arguments

## **Details**

$$I_{LOC}(t) = -dn/dt = (s * e^{-}E/k_b * T) * (n^2/(r+n))$$

Where in the function:

 $\mathsf{t} := \mathsf{Time}$ 

e:= Exponentional function  $k_B$  := Boltzmann constant

T := Temperature

n :=The Instantaneous number of electrons

# Value

This function returns an array with dimension length(times) x length(r) x clusters

## **Function version**

0.1.0

## How to cite

Kreutzer, S., 2019. run\_MC\_TL\_LOC(): Run Monte-Carlo simulation for TL for localized transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

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## Author(s)

Sebastian Kreutzer, IRAMAT-CRP2A, UMR 5060, CNRS - Université Bordeaux Montaigne (France)

## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

## **Examples**

run\_MC\_TL\_TUN

Run Monte-Carlo Simulation for TL for tunnelling transition

# **Description**

Runs a Monte-Carlo (MC) simulation of thermo-luminesence (TL) using the tunneling (TUN) model. Tunneling refers to the direct movement of electrons from a trap directly to the recombination center

# Usage

```
run_MC_TL_TUN(s, E, rho, r_c = 0, times, clusters = 10, N_e = 200, delta.r = 0.1, method = "par", output = "signal", ...)
```

## **Arguments**

```
s list (required): The frequency factor of the trap (s^-1).

E numeric (required): Thermal activation energy of the trap (eV).

rho numeric (required): The density of recombination centers (defined as rho' in Huntley 2006) (unitless).

r_c numeric (with default): Distance parameter (radius of tunneling) (unitless).
```

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times vector (with default): The sequence of temperature steps within the simulation (s). numeric (with default): The number of MC runs (unitless). clusters N\_e numeric (with default): The total number of electron traps available (unitless). numeric (with default): The increments of r\_c (unitless). delta.r method character (with default): sequential 'seq' or parallel processing 'par' character (with default): output is either the 'signal' (the default) or 'remaining\_e' output (the remaining charges, electrons, in the trap) further arguments r numeric (with default): The radius of tunneling (unitless).

### **Details**

$$p(t) = s * e^{(-r'/\rho'^{1/3})}$$

$$I_{TUN}(t) = 3 * n * p(t) * (r')^2 * e^{(-(r')^3)}$$

Where in the function:

p(t) := The experimental stimulation mode

e:= Exponentional function

 $k_B := Boltzmann constant$ 

T := Temperature

r' := r

 $\rho := \mathsf{rho}$ 

t := Time

n := The Instantaneous number of electrons

# Value

This function returns an array with dimension length(times) x length(r) x clusters

# **Function version**

0.1.0

# How to cite

Friedrich, J., Kreutzer, S., 2019. run\_MC\_TL\_TUN(): Run Monte-Carlo Simulation for TL for tunnelling transition. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2019. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence PhenomenaR package version 0.1.0.9000-98.

# Author(s)

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Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. Journal of Physics: Condensed Matter, 18(4), 1359.doi: 10.1088/09538984/18/4/020

Pagonis, V. and Kulp, C., 2017. Monte Carlo simulations of tunneling phenomena and nearest neighbor hopping mechanism in feldspars. Journal of Luminescence 181, 114–120. doi: 10.1016/j.jlumin.2016.09.014

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: 10.1016/j.jlumin.2018.11.024

Further reading Aitken, M.J., 1985. Thermoluminescence dating. 276-280. doi: 10.1002/gea.3340020110

# **Examples**

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