

# Package ‘RLumCarlo’

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**Type** Package

**Title** Monte-Carlo Methods for Simulating Luminescence Phenomena

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**Description** A collection of functions to simulate luminescence production in dosimetric materials using Monte Carlo methods.  
Implemented are models for delocalised, localised and tunnelling transitions.  
Supported stimulation methods are TL, CW-OSL, LM-OSL, LM-IRSL, and ITL (ISO-TL).

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**License** GPL-3

**BugReports** <https://github.com/R-Lum/RLumCarlo/issues>

**Depends** R (>= 3.4.0),  
utils,  
magrittr

**URL** <https://CRAN.R-project.org/package=RLumCarlo>

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RcppArmadillo (>= 0.9.850.1.0)

**Imports** abind (>= 1.4-5),  
doParallel (>= 1.0.15),  
foreach (>= 1.5.0),  
khroma (>= 1.3.0),  
parallel,  
methods,  
Rcpp (>= 1.0.4)

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testthat (>= 2.3.2)

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## R topics documented:

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## Description

A collection of functions to simulate luminescence production in dosimetric materials using Monte-Carlo methods. Implemented are models for delocalised, localised and tunnelling transitions. Supported stimulation modes are TL, CW-OSL, LM-OSL, LM-IRSL, and ITL (ISO-TL).

## Details

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- The initial work by Johannes Friedrich, Sebastian Kreutzer and Christoph Schmidt was supported by the Deutsche Forschungsgemeinschaft (DFG, 2015–2018, SCHM 3051/4-1, "Modelling quartz luminescence signal dynamics relevant for dating and dosimetry", SCHM 3051/4-1).
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**References**

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R., Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects - A new Monte Carlo simulation approach for feldspar. Journal of Luminescence 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

plot\_RLumCarlo

*Plot RLumCarlo Monte-Carlo Simulation Results***Description**

Visualise 'RLumCarlo' modelling results without extracting the values manually. Typically visualised are the averaged signal or the number of remaining electrons, with a polygon indicating modelling uncertainties.

**Usage**

```
plot_RLumCarlo(
  object,
  plot_uncertainty = "range",
  norm = FALSE,
  add = FALSE,
  ...
)
```

**Arguments**

object	<a href="#">list</a> of class RLumCarlo_Model_Output ( <b>required</b> ): input object to be plotted, usually the required input object is generated by one of the functions starting with run_. Alternatively a list of such objects can be provided.
plot_uncertainty	<a href="#">logical</a> ( <i>with default</i> ): type of the displayed uncertainty. Allowed values are range, sd (standard deviation) and var (variance). NULL disables the uncertainty visualisation.
norm	<a href="#">logical</a> ( <i>with default</i> ): normalise curve to the highest intensity value
add	<a href="#">logical</a> ( <i>with default</i> ): allows overplotting of results by adding curves to an existing plot. This argument is handled automatically if object is of type <a href="#">list</a>
...	further argument, that can be passed to control the plot output largely following the argument names in <a href="#">graphics::plot.default</a> . Currently supported are: xlab, ylab, xlim, ylim, main, lwd, type, pch, lty, col, grid, legend. The arguments lwd, type, pch, lty, col can be provided as a vector if object is a <a href="#">list</a>

**Details**

For colouring the curves, the package [khroma::khroma-package](#) is used to provide colours that can be best distinguished, in particular by colour-blind users.

**Value**

This function returns a graphical output which is the visualisation of the modelling output.

**Function version**

0.1.0

**How to cite**

Friedrich, J., Kreutzer, S., 2020. plot\_RLumCarlo(): Plot RLumCarlo Monte-Carlo Simulation Results. Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

**Author(s)**

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

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run_MC_CW_IRSL_LOC	<i>Monte-Carlo Simulation for CW-IRSL (localized transitions)</i>
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**Description**

Runs a Monte-Carlo (MC) simulation of continuous wave infrared stimulated luminescence (CW-IRSL) using the generalized one trap (GOT) model. Localized transitions refer to transitions which do not involve the conduction or valence band. These transitions take place between the ground state and an excited state of the trapped charge, and also involve an energy state of the recombination centre.

**Usage**

```
run_MC_CW_IRSL_LOC(
  A,
  times,
  clusters = 10,
  n_filled = 100,
  r,
  method = "par",
  output = "signal",
  ...
)
```

**Arguments**

A	<b>numeric (required)</b> : The optical excitation rate from the ground state of the trap to the excited state ( $s^{-1}$ )
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
r	<b>numeric (with default)</b> : The retrapping ratio for localized transitions
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

**Details****The model**

$$I_{LOC}(t) = -dn/dt = A * (n^2 / (r + n))$$

where in the function:

A := optical excitation rate from the ground state into the excited state of the trap ( $s^{-1}$ )

r := retrapping ratio for localized transitions

t := time (s)

n := number of filled electron traps

**Value**

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x clusters` and a **numeric** time vector.

**Function version**

0.1.0

**How to cite**

Kreutzer, S., 2020. `run_MC_CW_IRSL_LOC()`: Monte-Carlo Simulation for CW-IRSL (localized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. `RLumCarlo`: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

**Author(s)**

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

## Further reading

Chen, R., McKeever, S.W.S., 1997. *Theory of Thermoluminescence and Related Phenomena*. WORLD SCIENTIFIC. doi: [10.1142/2781](https://doi.org/10.1142/2781)

## Examples

```
run_MC_CW_IRSL_LOC(
  A = 0.12,
  times = 0:100,
  clusters = 50,
  n_filled = 100,
  r = 1e-7,
  method = "seq",
  output = "signal"
) %>%
plot_RLumCarlo(legend = TRUE)
```

---

run_MC_CW_IRSL_TUN	<i>Run Monte-Carlo Simulation for CW-IRSL (tunnelling transitions)</i>
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## Description

Runs a Monte-Carlo (MC) simulation of continuous wave infrared stimulated luminescence (CW-IRSL) using the model for tunnelling transitions. Tunnelling refers to quantum mechanical tunnelling processes from the excited state of the trap, into a recombination centre.

## Usage

```
run_MC_CW_IRSL_TUN(
  A,
  rho,
  times,
  clusters = 10,
  r_c = 0,
  delta.r = 0.1,
  N_e = 200,
  method = "seq",
  output = "signal",
  ...
)
```

## Arguments

A	<b>numeric (required)</b> : The effective optical excitation rate for the tunnelling process ( $s^{-1}$ ).
rho	<b>numeric (required)</b> : The density of recombination centres (defined as $\rho'$ in Huntley 2006) (dimensionless).
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s).
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
r_c	<b>numeric (with default)</b> : Critical distance ( $>0$ ) that must be provided if the sample has been thermally and/or optically pretreated. This parameter expresses the fact that electron-hole pairs within a critical radius $r_c$ have already recombined.
delta.r	<b>numeric (with default)</b> : Increments of the dimensionless distance parameter $r'$
N_e	<b>numeric (with default)</b> : The total number of electron traps available (dimensionless).
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{TUN}(r', t) = -dn/dt = A * \exp(-(\rho')^{-1/3} * r') * n(r', t)$$

Where in the function:

A := effective optical excitation rate for the tunnelling process ( $s^{-1}$ )

$r'$  := the dimensionless tunnelling radius

$\rho'$  := rho the dimensionless density of recombination centres (see Huntley (2006))

t := time (s)

n := the instantaneous number of electrons corresponding to the radius  $r'$  at time t

## Value

This function returns an object of class `RLumCarlo_Model_Output` which is a [list](#) consisting of an [array](#) with dimension `length(times) x length(r) x clusters` and a **numeric** time vector.

## Function version

0.2.0

## How to cite

Friedrich, J., Kreutzer, S., 2020. `run_MC_CW_IRSL_TUN()`: Run Monte-Carlo Simulation for CW-IRSL (tunnelling transitions). Function version 0.2.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. `RLumCarlo`: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

**Author(s)**

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

**References**

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. *Journal of Physics: Condensed Matter*, 18(4), 1359. doi: [10.1088/09538984/18/4/020](https://doi.org/10.1088/09538984/18/4/020)

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

**Further reading**

Aitken, M.J., 1985. Thermoluminescence dating. Academic Press.

Jain, M., Guralnik, B., Andersen, M.T., 2012. Stimulated luminescence emission from localized recombination in randomly distributed defects. *J. Phys.: Condens. Matter* 24, 385402. doi: [10.1088/09538984/24/38/385402](https://doi.org/10.1088/09538984/24/38/385402)

Chen, R., McKeever, S.W.S., 1997. Theory of Thermoluminescence and Related Phenomena. WORLD SCIENTIFIC. doi: [10.1142/2781](https://doi.org/10.1142/2781)

**Examples**

```
run_MC_CW_IRSL_TUN(
  A = 0.8,
  rho = 1e-4,
  times = 0:50,
  r_c = 0.05,
  delta.r = 0.1,
  method = "seq",
  clusters = 10,
  output = "signal") %>%
plot_RLumCarlo(norm = TRUE, legend = TRUE)
```

---

run_MC_CW_OSL_DELOC	<i>Run Monte-Carlo Simulation for CW-OSL (delocalized transitions)</i>
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---

**Description**

Runs a Monte-Carlo (MC) simulation of continuous wave optically stimulated luminescence (CW-OSL) using the one trap one recombination centre (OTOR) model. The term delocalized here refers to the involvement of the conduction band.

**Usage**

```
run_MC_CW_OSL_DELOC(
  A,
  times,
  clusters = 10,
  N_e = 200,
```



```

    n_filled = N_e,
    R,
    method = "par",
    output = "signal",
    ...
)

```

## Arguments

A	<b>numeric (required)</b> : The optical excitation rate from trap to conduction band ( $s^{-1}$ )
times	<b>numeric (with default)</b> : The sequence of temperature steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
N_e	<b>integer (with default)</b> : The total number of electron traps available (dimensionless)
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
R	<b>numeric (with default)</b> : The retrapping ratio for delocalized transitions (dimensionless)
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : Output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{DELOC}(t) = -dn/dt = A * (n^2 / (N * R + n(1 - R)))$$

Where in the function:

t := time (s)

A := the optical excitation rate from trap to conduction band (1/s)

n := n\_filled, the instantaneous number of electrons

N := N\_e the available number of electron traps available

R := retrapping ratio for delocalized transitions

## Value

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x clusters` and a **numeric** time vector.

## Function version

0.1.0

## How to cite

Kreutzer, S., 2020. run\_MC\_CW\_OSL\_DELOC(): Run Monte-Carlo Simulation for CW-OSL (de-localized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

## Author(s)

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

## Further reading

Chen, R., McKeever, S.W.S., 1997. *Theory of Thermoluminescence and Related Phenomena*. WORLD SCIENTIFIC. doi: [10.1142/2781](https://doi.org/10.1142/2781)

## Examples

```
## brief example
run_MC_CW_OSL_DELOC(
  A = 0.12,
  R = 0.1,
  times = 0:10,
  clusters = 10,
  method = "seq") %>%
plot_RLumCarlo(legend = TRUE)

## A long example
## Not run:
A <- c(0.1, 0.3, 0.5, 1)
times <- seq(0, 60, 1)
s <- 1e12
E <- 1
R <- c(1e-7, 1e-6, 0.01, 0.1) # sequence of different R values
clusters <- 1000 # number of Monte Carlo simulations
N_e <- c(200, 500, 700, 400) # number of free electrons
n_filled <- c(200, 500, 100, 70) # number of filled traps
method <- "par"
output <- "signal"
col <- c(1, 2, 3, 4) # different colours for the individual curves
plot_uncertainty <- c(TRUE, FALSE, TRUE, FALSE) # do you want to see the uncertainty?
add_TF <- c(FALSE, rep(TRUE, (length(R)-1)))

## loop to plot different curves into one plot
for (u in 1:length(R)){
  results <- run_MC_CW_OSL_DELOC(
    A = A[u],
    times,
    clusters = clusters,
    N_e = N_e[u],
    n_filled = n_filled[u],
```

```

    R = R[u],
    method = method,
    output = output)

plot_RLumCarlo(
  results,
  add = add_TF[u],
  legend = FALSE,
  col = col[u],
  main = "Delocalised Transition")
}
# add your legend with your parameters
legend("topright",
  ncol = 4,
  cex = 0.55,
  title = "parameters",
  legend=c(
    paste0("A = ", A),
    paste0("n_filled = ", n_filled),
    paste0("N_e = ", N_e),
    paste0("R = ", R)),
  bty = "n",
  text.col = col)

## End(Not run)

```

---

run\_MC\_ISO\_DELOC

---

*Run Monte-Carlo Simulation for ISO-TL (delocalized transitions)*


---

## Description

Runs a Monte-Carlo (MC) simulation of isothermally stimulated luminescence (ISO-TL or ITL) using the one trap one recombination centre (OTOR) model. Delocalised refers to involvement of the conduction band.

## Usage

```

run_MC_ISO_DELOC(
  S,
  E,
  T = 20,
  times,
  clusters = 10,
  N_e = 200,
  n_filled = N_e,
  R,
  method = "par",
  output = "signal",
  ...
)

```

## Arguments

s	<b>numeric (required)</b> : The frequency factor of the trap ( $s^{-1}$ )
E	<b>numeric (required)</b> : Thermal activation energy of the trap (eV)
T	<b>numeric (with default)</b> : Constant stimulation temperature ( $^{\circ}C$ )
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
N_e	<b>integer (with default)</b> : The total number of electron traps available (dimensionless)
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
R	<b>numeric (with default)</b> : The delocalized retrapping ratio (dimensionless)
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : Output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{DELOC}(t) = -dn/dt = (s * \exp(-E/(k_B * T_{ISO}))) * (n^2/(N * R + n(1 - R)))$$

Where in the function:

t := time

$k_B$  := Boltzmann constant ( $8.617 \times 10^{-5} \text{ eV K}^{-1}$ )

$T_{ISO}$  = temperature of the isothermal experiment ( $^{\circ}C$ )

n := n\_filled, the number of filled electron traps at the beginning of the simulation

E := the trap depth (eV)

s := the frequency factor in ( $s^{-1}$ )

N := N\_e, the total number of electron traps available (dimensionless)

R := the retrapping ratio for delocalized transitions

## Value

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x clusters` and a **numeric** time vector.

## Function version

0.1.0

## How to cite

Kreutzer, S., 2020. `run_MC_ISO_DELOC()`: Run Monte-Carlo Simulation for ISO-TL (delocalized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. `RLumCarlo`: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

**Author(s)**

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

**References**

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

**Further reading**

Chen, R., McKeever, S.W.S., 1997. *Theory of Thermoluminescence and Related Phenomena*. WORLD SCIENTIFIC. doi: [10.1142/2781](https://doi.org/10.1142/2781)

**Examples**

```
run_MC_ISO_DELOC(
  s = 3.5e12,
  E = 1.45,
  T = 200,
  R = 1,
  method = 'seq',
  times = 0:100) %>%
plot_RLumCarlo(legend = TRUE)
```

---

run\_MC\_ISO\_LOC

---

*Run Monte-Carlo simulation for ISO-TL (localized transitions)*


---

**Description**

Runs a Monte-Carlo (MC) simulation of isothermally stimulated luminescence (ISO-TL or ITL) using the generalized one trap (GOT) model. Localized transitions refer to transitions which do not involve the conduction or valence band. These transitions take place between the ground state and an excited state of the trapped charge, and also involve an energy state of the recombination centre.

**Usage**

```
run_MC_ISO_LOC(
  s,
  E,
  T = 20,
  times,
  clusters = 10,
  n_filled = 100,
  r,
  method = "par",
  output = "signal",
  ...
)
```

## Arguments

s	<b>numeric (required)</b> : The frequency factor of the trap ( $s^{-1}$ )
E	<b>numeric (required)</b> : Thermal activation energy of the trap (eV)
T	<b>numeric (with default)</b> : Constant stimulation temperature ( $^{\circ}\text{C}$ )
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
r	<b>numeric (with default)</b> : The retrapping ratio for localized transitions.
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{LOC}(t) = -dn/dt = (s * \exp(-E/(k_B * T_{ISO}))) * (n^2/(r + n))$$

Where in the function:

t := time (s)  
 $k_B$  := Boltzmann constant ( $8.617 \times 10^{-5} \text{ eV K}^{-1}$ )  
 $T_{ISO}$  := isothermal temperature ( $^{\circ}\text{C}$ )  
n := n\_filled  
s := frequency factor of the trap ( $1/s$ )  
E := activation energy of the trap (eV)  
r := retrapping ratio for localized transitions

## Value

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x clusters` and a **numeric** time vector.

## Function version

0.1.0

## How to cite

Kreutzer, S., 2020. `run_MC_ISO_LOC()`: Run Monte-Carlo simulation for ISO-TL (localized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. `RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena`. R package version 0.1.0.

**Author(s)**

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

**References**

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

**Examples**

```
run_MC_ISO_LOC(
  E = 1.45,
  s = 3.5e12,
  T = 200,
  times = 0:100,
  method = 'seq',
  r = 1) %>%
plot_RLumCarlo(legend = TRUE)
```

---

run\_MC\_ISO\_TUN

---

*Monte-Carlo Simulation for ISO-TL (tunnelling transitions)*


---

**Description**

Runs a Monte-Carlo (MC) simulation of isothermally stimulated luminescence (ISO-TL or ITL) using the tunnelling (TUN) model. Tunnelling refers to quantum mechanical tunnelling processes from the excited state of the trapped charge, into the recombination centre.

**Usage**

```
run_MC_ISO_TUN(
  E,
  s,
  T = 200,
  rho,
  times,
  clusters = 10,
  r_c = 0,
  delta.r = 0.1,
  N_e = 200,
  method = "par",
  output = "signal",
  ...
)
```

## Arguments

E	<b>numeric (required)</b> : Thermal activation energy of the trap (eV).
s	<b>numeric (required)</b> : The effective frequency factor for the tunnelling process ( $s^{-1}$ ).
T	<b>numeric (with default)</b> : Constant stimulation temperature ( $^{\circ}\text{C}$ ).
rho	<b>numeric (required)</b> : The dimensionless density of recombination centres (defined as $\rho'$ in Huntley 2006) (dimensionless).
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s).
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
r_c	<b>numeric (with default)</b> : Critical distance ( $>0$ ) that must be provided if the sample has been thermally and/or optically pretreated. This parameter expresses the fact that electron-hole pairs within a critical radius $r_c$ have already recombined.
delta.r	<b>numeric (with default)</b> : Fractional change of the dimensionless distance of nearest recombination centres ( $r'$ )
N_e	<b>numeric (with default)</b> : The total number of electron traps available (dimensionless).
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{TUN}(r', t) = -dn/dt = (s * \exp(-E/(k_B * T_{ISO}))) * \exp(-(\rho')^{-1/3} * r') * n(r', t)$$

Where in the function:

E := thermal activation energy (eV)

s := the effective frequency factor for the tunnelling process ( $s^{-1}$ )

$T_{ISO}$  := the temperature of the isothermal experiment ( $^{\circ}\text{C}$ )

$k_B$  := Boltzmann constant ( $8.617 \times 10^{-5} \text{ eV K}^{-1}$ )

$r'$  := the dimensionless tunnelling radius

$\rho$  := rho the dimensionless density of recombination centres see Huntley (2006)

t := time (s)

n := the instantaneous number of electrons corresponding to the radius  $r'$

## Value

This function returns an object of class `RLumCarlo_Model_Output` which is a [list](#) consisting of an [array](#) with dimension `length(times) x length(r) x clusters` and a [numeric](#) time vector.

## Function version

0.1.0



## How to cite

Friedrich, J., Kreutzer, S., 2020. run\_MC\_ISO\_TUN(): Monte-Carlo Simulation for ISO-TL (tunnelling transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

## Author(s)

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

## References

Pagonis, V. and Kulp, C., 2017. Monte Carlo simulations of tunneling phenomena and nearest neighbor hopping mechanism in feldspars. *Journal of Luminescence* 181, 114–120. doi: [10.1016/j.jlumin.2016.09.014](https://doi.org/10.1016/j.jlumin.2016.09.014)

**Further reading** Aitken, M.J., 1985. Thermoluminescence dating. Academic Press.

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. *Journal of Physics: Condensed Matter*, 18(4), 1359. doi: [10.1088/09538984/18/4/020](https://doi.org/10.1088/09538984/18/4/020)

Jain, M., Guralnik, B., Andersen, M.T., 2012. Stimulated luminescence emission from localized recombination in randomly distributed defects. *J. Phys.: Condens. Matter* 24, 385402. doi: [10.1088/09538984/24/38/385402](https://doi.org/10.1088/09538984/24/38/385402)

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

## Examples

```
## short example
run_MC_ISO_TUN(
  E = .8,
  s = 1e16,
  T = 50,
  rho = 1e-4,
  times = 0:100,
  clusters = 10,
  N_e = 100,
  r_c = 0.2,
  delta.r = 0.5,
  method = "seq") %>%
plot_RLumCarlo(legend = TRUE)
```

```
## Not run:
## long (meaningful) example
results <- run_MC_ISO_TUN(
  E = .8,
  s = 1e16,
  T = 50,
  rho = 1e-4,
  times = 0:100,
  clusters = 1000,
  N_e = 200,
```

```

r_c = 0.1,
delta.r = 0.05,
method = "par")

plot_RLumCarlo(results, legend = TRUE)

## End(Not run)

```

---

run\_MC\_LM\_OSL\_DELOC      *Run Monte-Carlo Simulation for LM-OSL (delocalized transitions)*

---

## Description

Runs a Monte-Carlo (MC) simulation of linearly modulated optically stimulated luminescence (LM-OSL) using the one trap one recombination centre (OTOR) model. Delocalised refers to involvement of the conduction band.

## Usage

```

run_MC_LM_OSL_DELOC(
  A,
  times,
  clusters = 10,
  N_e = 200,
  n_filled = N_e,
  R,
  method = "par",
  output = "signal",
  ...
)

```

## Arguments

A	<b>numeric (required)</b> : The optical excitation rate from trap to conduction band ( $s^{-1}$ )
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
N_e	<b>integer (with default)</b> : The total number of electron traps available (dimensionless)
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
R	<b>numeric (with default)</b> : The retrapping ratio for delocalized transitions
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{DELOC}(t) = -dn/dt = A * t / P * (n^2 / (N * R + n(1 - R)))$$

Where in the function:

t := time (s)

A := the optical excitation rate from trap to conduction band (1/s)

n := n\_filled, the instantaneous number of electrons

R := the retrapping ratio for delocalized transitions

N := N\_e, the total number of electron traps available (dimensionless)

P := total stimulation time (s)

### Value

This function returns an object of class `RLumCarlo_Model_Output` which is a [list](#) consisting of an [array](#) with dimension `length(times) x clusters` and a [numeric](#) time vector.

### Function version

0.1.0

### How to cite

Kreutzer, S., 2020. `run_MC_LM_OSL_DELOC()`: Run Monte-Carlo Simulation for LM-OSL (de-localized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. *RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena*. R package version 0.1.0.

### Author(s)

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

### References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

### Further reading

Chen, R., McKeever, S.W.S., 1997. *Theory of Thermoluminescence and Related Phenomena*. WORLD SCIENTIFIC. doi: [10.1142/2781](https://doi.org/10.1142/2781)

### Examples

```
run_MC_LM_OSL_DELOC(
  A = 0.12,
  R = 0.1,
  times = 0:50,
  method = "seq",
  clusters = 10) %>%
plot_RLumCarlo(legend = TRUE)
```

---

run_MC_LM_OSL_LOC	<i>Run Monte-Carlo Simulation for LM-OSL (localized transitions)</i>
-------------------	--

---

## Description

Runs a Monte-Carlo (MC) simulation of linearly modulated optically stimulated luminescence (LM-OSL) using the generalized one trap (GOT) model. Localized transitions refer to transitions which do not involve the conduction or valence band. These transitions take place between the ground state and an excited state of the trap, and also involve a an energy state of the recombination centre.

## Usage

```
run_MC_LM_OSL_LOC(
    A,
    times,
    clusters = 10,
    n_filled = 100,
    r,
    method = "par",
    output = "signal",
    ...
)
```

## Arguments

A	<b>numeric (required)</b> : The optical excitation rate from the ground state into the excited state of the trap ( $s^{-1}$ )
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
r	<b>numeric (with default)</b> : The retrapping ratio for localized transitions
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges, electrons, in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{LOC}(t) = -dn/dt = (A * t/P) * (n^2/(r + n))$$

Where in the function:

A := optical excitation rate from the ground state into the excited state of the trap (1/s)

**P** := total excitation time (s)  
**t** := time (s)  
**n** := n\_filled, the instantaneous number of electrons  
**r** := the retrapping ratio for localized transitions

### Value

This function returns an object of class `RLumCarlo_Model_Output` which is a [list](#) consisting of an [array](#) with dimension `length(times) x clusters` and a [numeric](#) time vector.

### Function version

0.1.0

### How to cite

Kreutzer, S., 2020. `run_MC_LM_OSL_LOC()`: Run Monte-Carlo Simulation for LM-OSL (localized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. *RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena*. R package version 0.1.0.

### Author(s)

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

### References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

### Examples

```
## short example
run_MC_LM_OSL_LOC(
  A = 1,
  times = 0:40,
  clusters = 10,
  n_filled = 100,
  r = 1e-7,
  method = "seq",
  output = "signal") %>%
plot_RLumCarlo(legend = TRUE)

## Not run:
## the long (meaningful) example
results <- run_MC_LM_OSL_LOC(
  A = 1,
  times = 0:100,
  clusters = 100,
  n_filled = 100,
  r = 1e-7,
  method = "par",
  output = "signal")
```

```
## plot
plot_RLumCarlo(results, legend = TRUE)

## End(Not run)
```

---

run_MC_LM_OSL_TUN	<i>Run Monte-Carlo Simulation for LM-OSL (tunnelling transitions)</i>
-------------------	---

---

## Description

Runs a Monte-Carlo (MC) simulation of linearly modulated optically stimulated luminescence (LM-OSL) using the tunnelling (TUN) model. Tunnelling refers to quantum mechanical tunnelling processes from the excited state of the trapped charge, into a recombination centre.

## Usage

```
run_MC_LM_OSL_TUN(
  A,
  rho,
  times,
  clusters = 10,
  r_c = 0,
  delta.r = 0.1,
  N_e = 200,
  method = "par",
  output = "signal",
  ...
)
```

## Arguments

A	<b>numeric (required)</b> : The effective optical excitation rate for the tunnelling process
rho	<b>numeric (required)</b> : The dimensionless density of recombination centres (defined as $\rho$ in Huntley 2006) (dimensionless)
times	<b>numeric (with default)</b> : The sequence of time steps within the simulation (s)
clusters	<b>numeric (with default)</b> : The number of MC runs
r_c	<b>numeric (with default)</b> : Critical distance (>0) that is to be used if the sample has 1 been thermally and/or optically pretreated. This parameter expresses the fact that electron-hole pairs within a critical radius r_c have already been recombined.
delta.r	<b>numeric (with default)</b> : Increments of dimensionless distance r'
N_e	<b>numeric (width default)</b> : The total number of electron traps available (dimensionless)
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.

output      **character** (*with default*): output is either the 'signal' (the default) or 'remaining\_e' (the remaining charges, electrons, in the trap)

...          further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

## Details

### The model

$$I_{TUN}(r', t) = -dn/dt = (A * t/P) * \exp(-(\rho')^{-1/3} * r') * n(r', t)$$

Where in the function:

A := the optical excitation rate for the tunnelling process (s<sup>-1</sup>)

t := time (s)

P := maximum stimulation time (s)

r' := the dimensionless tunnelling radius

ρ := rho the dimensionless density of recombination centres see Huntley (2006)

n := the instantaneous number of electrons corresponding to the radius r'

### Value

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x length(r) x clusters` and a **numeric** time vector.

### Function version

0.1.0

### How to cite

Friedrich, J., Kreutzer, S., 2020. `run_MC_LM_OSL_TUN()`: Run Monte-Carlo Simulation for LM-OSL (tunnelling transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. *RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena*. R package version 0.1.0.

### Author(s)

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

### References

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. *Journal of Physics: Condensed Matter*, 18(4), 1359. doi: [10.1088/09538984/18/4/020](https://doi.org/10.1088/09538984/18/4/020)

Pagonis, V. and Kulp, C., 2017. Monte Carlo simulations of tunneling phenomena and nearest neighbor hopping mechanism in feldspars. *Journal of Luminescence* 181, 114–120. doi: [10.1016/j.jlumin.2016.09.014](https://doi.org/10.1016/j.jlumin.2016.09.014)

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

**Further reading** Aitken, M.J., 1985. *Thermoluminescence dating*. Academic Press.

Jain, M., Guralnik, B., Andersen, M.T., 2012. Stimulated luminescence emission from localized recombination in randomly distributed defects. J. Phys.: Condens. Matter 24, 385402. doi: [10.1088/09538984/24/38/385402](https://doi.org/10.1088/09538984/24/38/385402)

## Examples

```
##the short example
run_MC_LM_OSL_TUN(
  A = 1,
  rho = 1e-3,
  times = 0:100,
  clusters = 10,
  N_e = 100,
  r_c = 0.1,
  delta.r = 1e-1,
  method = "seq",
  output = "signal") %>%
plot_RLumCarlo(norm = TRUE)

## Not run:
## the long (meaningful) example
results <- run_MC_LM_OSL_TUN(
  A = 1,
  rho = 1e-3,
  times = 0:1000,
  clusters = 30,
  N_e = 100,
  r_c = 0.1,
  delta.r = 1e-1,
  method = "par",
  output = "signal")

plot_RLumCarlo(results, norm = TRUE)

## End(Not run)
```

---

run\_MC\_TL\_DELOC

---

Run Monte-Carlo Simulation for TL (delocalized transitions)

---

## Description

Runs a Monte-Carlo (MC) simulation of thermoluminescence (TL) using the one trap one recombination centre (OTOR) model. Delocalised refers to involvement of the conduction band. The heating rate in this function is assumed to be 1 K/s.

## Usage

```
run_MC_TL_DELOC(
  s,
  E,
  times,
  clusters = 10,
  N_e = 200,
```



```

    n_filled = N_e,
    R,
    method = "par",
    output = "signal",
    ...
)

```

### Arguments

s	<b>numeric (required)</b> : The frequency factor of the trap (s <sup>-1</sup> )
E	<b>numeric (required)</b> : Thermal activation energy of the trap (eV)
times	<b>numeric (with default)</b> : The sequence of temperature steps within the simulation (s). The heating rate in this function is assumed to be 1 K/s.
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
N_e	<b>integer (with default)</b> : The total number of electron traps available (dimensionless)
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
R	<b>numeric (with default)</b> : Retrapping ratio for delocalized transitions
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

### Details

#### The model

$$I_{DELOC}(t) = -dn/dt = (s * \exp(-E/(k_B * T))) * (n^2/(N * R + n(1 - R)))$$

Where in the function:

E := the thermal activation energy (eV)

s := the frequency factor in (s<sup>-1</sup>)

t := time (s)

$k_B$  := Boltzmann constant (8.617 x 10<sup>-5</sup> eV K<sup>-1</sup>)

T := temperature (°C)

R := Delocalised retrapping ratio n := n\_filled, the instantaneous number of electrons

N := N\_e, the total number of electron traps available (dimensionless)

### Value

This function returns an object of class `RLumCarlo_Model_Output` which is a [list](#) consisting of an [array](#) with dimension `length(times) x clusters` and a [numeric](#) time vector.

### Function version

0.1.0

## How to cite

Kreutzer, S., 2020. run\_MC\_TL\_DELOC(): Run Monte-Carlo Simulation for TL (delocalized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

## Author(s)

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., Kreutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

## Further reading

Chen, R., McKeever, S.W.S., 1997. *Theory of Thermoluminescence and Related Phenomena*. WORLD SCIENTIFIC. doi: [10.1142/2781](https://doi.org/10.1142/2781)

## Examples

```
## the short example
run_MC_TL_DELOC(
  s = 3.5e12,
  E = 1.45,
  R = 0.1,
  method = 'seq',
  clusters = 100,
  times = 150:350) %>%
plot_RLumCarlo(legend = TRUE)

## Not run:
## the long (meaningful) example
# define your parameters
times <- seq(100, 450, 1)
s <- rep(3.5e12, 4)
E <- rep(1.45, 4)
R <- c(0.7e-6, 1e-6, 0.01, 0.1)
clusters <- 300
N_e <- c(400, 500, 700, 400)
n_filled <- c(400, 500, 300, 70)
method <- "par"
output <- "signal"
col <- c(1, 2, 3, 4) # different colours for the individual curves
plot_uncertainty <- c(TRUE, TRUE, TRUE, TRUE) # do you want to see the uncertainty?
add_TF <- c(FALSE, rep(TRUE, (length(R) - 1)))

# loop to plot different curves into one plot
for (u in 1:length(R)){
  results <- run_MC_TL_DELOC(
    times=times,
    s = s[u],
    E = E[u],
    clusters = clusters,
```

```

    N_e = N_e[u],
    n_filled = n_filled[u],
    R = R[u],
    method = method,
    output = output)

plot_RLumCarlo(
  results,
  add = add_TF[u],
  legend = FALSE,
  col=col[u],
  main = " your plot",
  ylim=c(0,20))
}
#add your legend with your parameters
legend("topright",
  ncol = 5,
  cex = 0.55,
  bty = "n",
  title = "parameters",
  legend = c(
    paste0("E = ", E),
    paste0("s = ", s),
    paste0("n_filled = ", n_filled),
    paste0("N_e = ", N_e), paste0("R = ", R)),
  text.col = col)

## End(Not run)

```

---

run\_MC\_TL\_LOC

---

*Run Monte-Carlo Simulation for TL (localized transitions)*


---

## Description

Runs a Monte-Carlo (MC) simulation of thermoluminescence (TL) using the generalized one trap (GOT) model. Localized transitions refer to transitions which do not involve the conduction or valence band. These transitions take place between the ground state and an excited state of the trapped charge, and also involve an energy state of the recombination centre. The heating rate in this function is assumed to be 1 K/s.

## Usage

```

run_MC_TL_LOC(
  s,
  E,
  times,
  clusters = 10,
  n_filled = 100,
  r,
  method = "par",
  output = "signal",
  ...
)

```

**Arguments**

s	<b>numeric (required)</b> : The frequency factor of the trap ( $s^{-1}$ )
E	<b>numeric (required)</b> : Thermal activation energy of the trap (eV)
times	<b>numeric (with default)</b> : The sequence of temperature steps within the simulation (s). The heating is assumed to be 1 K/s.
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
n_filled	<b>integer (with default)</b> : The number of filled electron traps at the beginning of the simulation (dimensionless)
r	<b>numeric (with default)</b> : The localized retrapping ratio (dimensionless)
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

**Details****The model**

$$I_{LOC}(t) = -dn/dt = (s * \exp(-E/(k_B * T))) * (n^2/(r + n))$$

Where in the function:

E := the thermal activation energy (eV)

s := the frequency factor for the trap ( $s^{-1}$ )

t := time (s)

$k_B$  := Boltzmann constant ( $8.617 \times 10^{-5}$  eV K $^{-1}$ )

T := temperature (°C)

n := the instantaneous number of electrons

r := the retrapping ratio for localized transitions

**Value**

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x clusters` and a **numeric** time vector.

**Function version**

0.1.0

**How to cite**

Kreutzer, S., 2020. `run_MC_TL_LOC()`: Run Monte-Carlo Simulation for TL (localized transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. *RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena*. R package version 0.1.0.

**Author(s)**

Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

## References

Pagonis, V., Friedrich, J., Discher, M., Müller-Kirschbaum, A., Schlosser, V., reutzer, S., Chen, R. and Schmidt, C., 2019. Excited state luminescence signals from a random distribution of defects: A new Monte Carlo simulation approach for feldspar. *Journal of Luminescence* 207, 266–272. doi: [10.1016/j.jlumin.2018.11.024](https://doi.org/10.1016/j.jlumin.2018.11.024)

## Examples

```
## the short example
run_MC_TL_LOC(
  s = 1e14,
  E = 0.9,
  times = 50:100,
  method = "seq",
  clusters = 30,
  r = 1) %>%
plot_RLumCarlo()

## Not run:
## the long (meaningful) example
results <- run_MC_TL_LOC(
  s = 1e14,
  E = 0.9,
  times = 50:100,
  method = "par",
  clusters = 100,
  r = 1)

## plot
plot_RLumCarlo(results)

## End(Not run)
```

---

run\_MC\_TL\_TUN

---

*Run Monte-Carlo Simulation for TL (tunnelling transitions)*


---

## Description

Runs a Monte-Carlo (MC) simulation of thermoluminescence (TL) caused by tunnelling (TUN) transitions. Tunnelling refers to quantum mechanical tunnelling processes from the excited state of the trap into a recombination centre. The heating rate in this function is assumed to be 1 K/s.

## Usage

```
run_MC_TL_TUN(
  s,
  E,
  rho,
  r_c = 0,
  times,
  clusters = 10,
```

```

N_e = 200,
delta.r = 0.1,
method = "par",
output = "signal",
...
)

```

### Arguments

s	<b>list (required)</b> : The effective frequency factor for the tunneling process ( $s^{-1}$ )
E	<b>numeric (required)</b> : Thermal activation energy of the trap (eV)
rho	<b>numeric (required)</b> : The dimensionless density of recombination centers (defined as $\rho'$ in Huntley 2006)
r_c	<b>numeric (with default)</b> : Critical distance ( $>0$ ) that is to be used if the sample has been thermally and/or optically pretreated. This parameter expresses the fact that electron-hole pairs within a critical radius $r_c$ have already recombined.
times	<b>vector (with default)</b> : The sequence of time steps within the simulation (s). The heating rate is assumed to be 1 K/s.
clusters	<b>numeric (with default)</b> : The number of created clusters for the MC runs
N_e	<b>numeric (with default)</b> : The total number of electron traps available (dimensionless)
delta.r	<b>numeric (with default)</b> : The increments of the dimensionless distance $r'$
method	<b>character (with default)</b> : Sequential 'seq' or parallel 'par' processing. In the parallel mode the function tries to run the simulation on multiple CPU cores (if available) with a positive effect on the computation time.
output	<b>character (with default)</b> : output is either the 'signal' (the default) or 'remaining_e' (the remaining charges/electrons in the trap)
...	further arguments, such as cores to control the number of used CPU cores or verbose to silence the terminal

### Details

#### The model

$$I_{TUN}(r', t) = -dn/dt = (s * \exp(-E/(k_B * T))) * \exp(-(\rho')^{-1/3} * r') * n(r', t)$$

Where in the function:

s := frequency for the tunneling process ( $s^{-1}$ )

E := thermal activation energy (eV)

$k_B$  := Boltzmann constant ( $8.617 \times 10^{-5}$  eV K $^{-1}$ )

T := temperature (°C)

$r'$  := the dimensionless tunneling radius

$\rho'$  := rho', the dimensionless density of recombination centres (see Huntley (2006))

t := time (s)

n := the instantaneous number of electrons at distance  $r'$

### Value

This function returns an object of class `RLumCarlo_Model_Output` which is a **list** consisting of an **array** with dimension `length(times) x length(r) x clusters` and a **numeric** time vector.

**Function version**

0.1.0

**How to cite**

Friedrich, J., Kreutzer, S., 2020. run\_MC\_TL\_TUN(): Run Monte-Carlo Simulation for TL (tunnelling transitions). Function version 0.1.0. In: Friedrich, J., Kreutzer, S., Pagonis, V., Schmidt, C., 2020. RLumCarlo: Monte-Carlo Methods for Simulating Luminescence Phenomena. R package version 0.1.0.

**Author(s)**

Johannes Friedrich, University of Bayreuth (Germany), Sebastian Kreutzer, Geography & Earth Sciences, Aberystwyth University (United Kingdom)

**References**

Huntley, D.J., 2006. An explanation of the power-law decay of luminescence. *Journal of Physics: Condensed Matter*, 18(4), 1359. doi: [10.1088/09538984/18/4/020](https://doi.org/10.1088/09538984/18/4/020)

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**Further reading**

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Jain, M., Guralnik, B., Andersen, M.T., 2012. Stimulated luminescence emission from localized recombination in randomly distributed defects. *J. Phys.: Condens. Matter* 24, 385402. doi: [10.1088/09538984/24/38/385402](https://doi.org/10.1088/09538984/24/38/385402)

**Examples**

```
## the short example
run_MC_TL_TUN(
  s = 1e12,
  E = 0.9,
  rho = 1,
  r_c = 0.1,
  times = 80:120,
  clusters = 50,
  method = 'seq',
  delta.r = 1e-1) %>%
plot_RLumCarlo()

## Not run:
## the long (meaningful example)
results <- run_MC_TL_TUN(
  s = 1e12,
  E = 0.9,
  rho = 0.01,
  r_c = 0.1,
```

```
times = 80:220,  
clusters = 100,  
method = 'par',  
delta.r = 1e-1)  
  
## plot  
plot_RLumCarlo(results)  
  
## End(Not run)
```



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