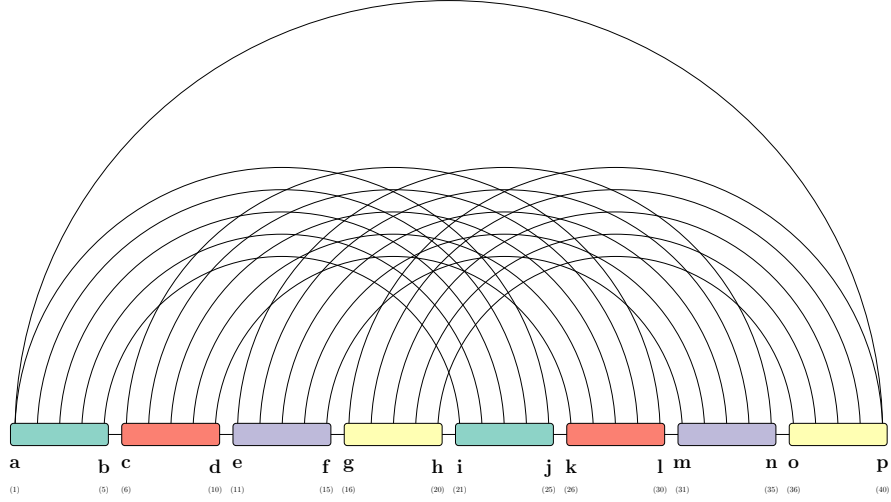


fatgraph name: K4



first and last anchors, already given:  $a, p$

$$A' [p, g \mid a, f] = \min \begin{cases} A' [p, g-1 \mid a, f], & \text{if } g-1, \notin \{p, a, f\} \\ A [p+1, g-1 \mid a, f] + \Delta G(p, g) & \text{if } \{p+1, g-1\} \cap \{a, f\} = \emptyset \end{cases}$$

$$A [p, g \mid a, f] = \min \begin{cases} A [p+1, g \mid a, f], & \text{if } p+1 \notin \{g, a, f\} \\ A' [p, g-1 \mid a, f], & \text{if } g-1, \notin \{p, a, f\} \\ A [p+1, g-1 \mid a, f] + \Delta G(p, g) & \text{if } \{p+1, g-1\} \cap \{a, f\} = \emptyset, \\ B[f, g, a, p] \end{cases}$$

$$B[a, f, h, o] = \min_n (C[f, h, a, n])$$

$$C[a, f, h, n] = \min_{e, m} \left( D[m, h, a, e] + C_{\boxtimes}[e, f, m, n] \right)$$

$$D[a, e, h, m] = \min_{c, j} (E[c, m, j, e] + H[c, j, h, a])$$

$$E[c, e, j, m] = \min_l (F[c, j, l, e])$$

$$F[c, e, j, l] = \min_d (G[c, j, l, d])$$

$$G[c, d, j, l] = \min_k \left( C_{\boxtimes}[c, d, k, l] \right)$$

$$H[a, c, h, j] = \min_i (I[c, j, i, a])$$

$$I[a, c, i, j] = \min_b \left( C_{\boxtimes}[a, b, i, j] \right)$$