10_Ensemble_Learning

Bagging Algorithm

Reduce variance. Effective on non-prouning desicion tree, ANN

• inputs:

Traing dataset : $D = \{(x_1, y_1), (x_2, y_2), \dots (x_m, y_m)\}$

Use *Bootstrap Sampling to generate bootstrap replicas*: random sampling with replacement. Sampling subsets could have intersections with others.

Base Learning Algorithm: L

Training turns: T i.e. T sampling sets. Based on each sampling set, train a model(Base Learner). Then combine all the models.

• procedure:

```
for t = 1, 2, ..., T do: #iration
h_t = L(D, D_{bs})
end for
```

• outputs:

$$H(x) = argmax_y \in Y \sum_{t=1}^{T} ind(h_t(x) = y)$$

Random Forest

Two Randomness: Bootstrap sampling. Featrue selection at each node

On the basis of Bagging-Decision Tree, import random attribution selection in the process of training decision tree.

Boosting

• inputs:

```
Given dataset: D = \{(x_1, y_1), (x_2, y_2), \dots (x_m, y_m)\}, y_i \in \{-1, 1\}
```

Base Learning Algorithm: L

Training turns: T i.e. T possible weak learners.

• procedure:

```
Initialize: \omega_t = \frac{1}{m}

for t = 1, 2, ..., T do: iration
h_t = L(D, D_{bs}) \text{ train weak classifier}
\epsilon_t \text{ sum of the weights for misclassified samples}
if \epsilon_t > 0.5, then break
\alpha_t = ln(\frac{1-\epsilon_t}{\epsilon_t}) \text{ compute the reliability coefficient}
\omega_{t+1} = \omega_t e^{-\epsilon_t y_t h_t} \text{ update weight}
```