Train and Evaluate Regression Models using Tidymodels

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Regression Challenge

Predicting the selling price of a residential property depends on a number of factors, including the property age, availability of local amenities, and location.

In this challenge, you will use a dataset of real estate sales transactions to predict the price-per-unit of a property based on its features. The price-per-unit in this data is based on a unit measurement of 3.3 square meters.

Citation: The data used in this exercise originates from the following study:

Yeh, I. C., & Hsu, T. K. (2018). Building real estate valuation models with comparative approach through case-based reasoning. Applied Soft Computing, 65, 260-271.

It was obtained from the UCI dataset repository (Dua, D. and Graff, C. (2019). UCI Machine Learning Repository. Irvine, CA: University of California, School of Information and Computer Science).

Review the data

Let's hit the ground running by importing the data and viewing the first few rows.

```
# Load the core tidyverse and tidymodels in your current R session
suppressPackageStartupMessages({
    library(tidyverse)
    library(tidymodels)
})

# Read the csv file into a tibble
estate_data <- read_csv(file = "https://raw.githubusercontent.com/MicrosoftDocs/ml-basics/master/challed
# Print the first 10 rows of the data
estate_data %>%
    slice_head(n = 10)
```

```
## # A tibble: 10 x 7
##
      transaction_date house_age transit_distance local_convenience_stores latitude
##
                 <dbl>
                            <dbl>
                                              <dbl>
                                                                        <dbl>
                                                                                  <dbl>
## 1
                 2013.
                             32
                                               84.9
                                                                           10
                                                                                  25.0
## 2
                 2013.
                             19.5
                                              307.
                                                                            9
                                                                                  25.0
## 3
                 2014.
                             13.3
                                              562.
                                                                            5
                                                                                  25.0
## 4
                 2014.
                             13.3
                                              562.
                                                                            5
                                                                                  25.0
## 5
                 2013.
                              5
                                              391.
                                                                            5
                                                                                  25.0
                                                                            3
                                                                                  25.0
## 6
                 2013.
                              7.1
                                             2175.
```

```
7
##
                  2013.
                              34.5
                                               623.
                                                                                     25.0
##
   8
                  2013.
                              20.3
                                               288.
                                                                               6
                                                                                     25.0
                                              5512.
##
   9
                  2014.
                              31.7
                                                                               1
                                                                                     25.0
                                                                                     25.0
## 10
                  2013.
                              17.9
                                              1783.
                                                                               3
## # ... with 2 more variables: longitude <dbl>, price_per_unit <dbl>
```

The data consists of the following variables:

- transaction_date the transaction date (for example, 2013.250=2013 March, 2013.500=2013 June, etc.)
- house_age the house age (in years)
- transit_distance the distance to the nearest light rail station (in meters)
- local_convenience_stores the number of convenience stores within walking distance
- latitude the geographic coordinate, latitude
- longitude the geographic coordinate, longitude
- **price_per_unit** house price of unit area (3.3 square meters)

Train a Regression Model

Your challenge is to explore and prepare the data, identify predictive features that will help predict the **price_per_unit** label, and train a regression model that achieves the lowest **Root Mean Square Error** (RMSE) you can achieve (which must be less than **7**) when evaluated against a test subset of data.

View the label distribution

Let's start our analysis of the data by examining a few key descriptive statistics. We can use the summarytools::descr() function to neatly and quickly summarize the numeric features as well as the rentals label column.

```
## Descriptive Statistics
## estate_data
## N: 414
##
##
                transaction_date house_age transit_distance
                                                            local_convenience_stores
##
  ##
                     2013.148971 17.712560
                                                1083.885689
                                                                          4.094203
          Mean
                               11.392485
##
       Std.Dev
                       0.281967
                                                1262.109595
                                                                          2.945562
##
           Min
                     2012.667000
                                 0.000000
                                                 23.382840
                                                                          0.000000
##
            Q1
                     2012.917000
                                 9.000000
                                                 289.324800
                                                                          1.000000
##
        Median
                     2013.167000
                               16.100000
                                                492.231300
                                                                          4.000000
##
            QЗ
                     2013.417000
                                 28.200000
                                                1455.798000
                                                                          6.000000
##
           Max
                     2013.583000
                                 43.800000
                                                6488.021000
                                                                         10.000000
##
## Table: Table continues below
##
##
##
##
                 latitude
                           longitude
                                     price_per_unit
##
      _____ ___
##
                24.969030
                         121.533361
                                          37.980193
          Mean
               0.012410
                          0.015347
                                          13.606488
##
       Std.Dev
                24.932070
##
           Min
                          121.473530
                                           7.600000
                24.962990
##
            01
                          121.527600
                                          27.700000
##
        Median
               24.971100
                          121.538630
                                          38.450000
##
            QЗ
                24.977460
                          121.543310
                                          46.600000
##
                25.014590
                           121.566270
                                          117.500000
           Max
```

The statistics reveal some information about the distribution of the data in each of the numeric fields, including the number of observations (there are 414 records), the mean, standard deviation, minimum and maximum values, and the quantile values (the threshold values for 25%, 50% - which is also the median, and 75% of the data).

From this, we can see that the mean number of price per unit is around 38. There's a comparatively small standard deviation, indicating not much variance in the prices per unit.

We might get a clearer idea of the distribution of price values by visualizing the data.

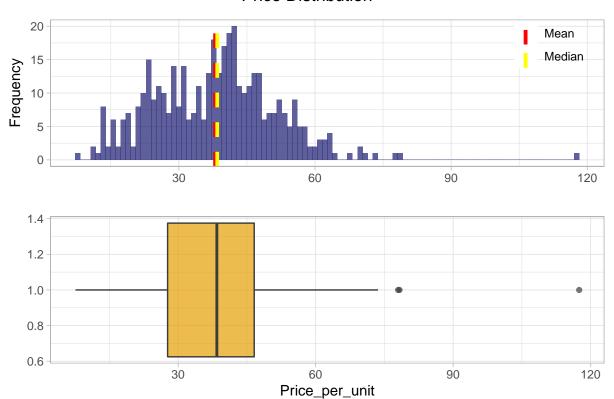
```
library(patchwork)

# Plot a histogram
theme_set(theme_light())

hist_plt <- estate_data %>%
    ggplot(mapping = aes(x = price_per_unit)) +
    geom_histogram(bins = 100, fill = "midnightblue", alpha = 0.7) +

# Add lines for mean and median
    geom_vline(aes(xintercept = mean(price_per_unit), color = 'Mean'), linetype = "dashed", size = 1.3) +
    geom_vline(aes(xintercept = median(price_per_unit), color = 'Median'), linetype = "dashed", size = 1.
    xlab("") +
    ylab("Frequency") +
    scale_color_manual(name = "", values = c(Mean = "red", Median = "yellow")) +
    theme(legend.position = c(0.9, 0.9), legend.background = element_blank())
```

Price Distribution



What can you observe from the boxplot? Yes, outliers.

Remove outliers

We are now set to begin writing some code ourselves. Let's begin by dealing with ouliers. An outlier is a data point that differs significantly from other observations.

Question 1.

Starting with the estate_data dataset, filter to create a subset that contains observations where price_per_unit is less than 70.

```
BEGIN QUESTION
    name: Question 1
    manual: false
# Narrow down to observations whose price_per_unit is less than 70
estate_data <- estate_data %>%
  filter(price_per_unit < 70)</pre>
. = " # BEGIN TEST CONFIG
success_message: Great start! Your tibble dimensions are correct.
failure message: Almost there! Ensure you have filtered correctly to obtain a subset whose observations
" # END TEST CONFIG
suppressPackageStartupMessages({
  library(testthat)
  library(ottr)
})
## Test ##
test_that('data dimensions correct', {
  expect_equal(dim(estate_data), c(408, 7))
})
## Test passed
. = " # BEGIN TEST CONFIG
success_message: Excellent. You have successfully created a subset whose observations of price_per_unit
failure message: Let's give this another try. Ensure your subset contains observations where **price pe
" # END TEST CONFIG
test_that('the range of values for price per unit is within 7.6 and 69.7', {
    expect_equal(range(estate_data$price_per_unit), c(7.6, 69.7))
})
## Test passed
Now let's take a look at the distribution without the outliers.
# Plot a histogram
theme_set(theme_light())
```

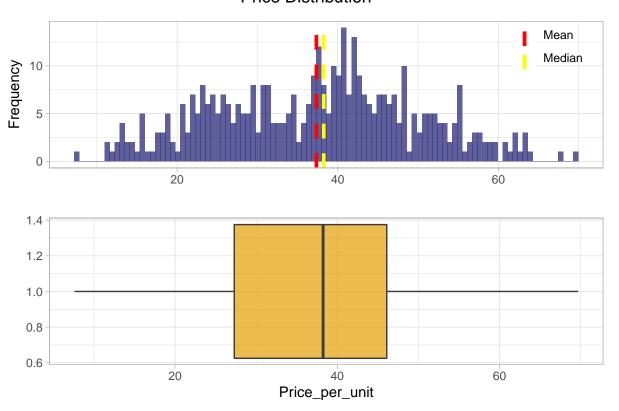
hist_plt <- estate_data %>%

ggplot(mapping = aes(x = price_per_unit)) +

geom_histogram(bins = 100, fill = "midnightblue", alpha = 0.7) +

```
# Add lines for mean and median
  geom_vline(aes(xintercept = mean(price_per_unit), color = 'Mean'), linetype = "dashed", size = 1.3) +
  geom_vline(aes(xintercept = median(price_per_unit), color = 'Median'), linetype = "dashed", size = 1.
  xlab("") +
 ylab("Frequency") +
  scale_color_manual(name = "", values = c(Mean = "red", Median = "yellow")) +
  theme(legend.position = c(0.9, 0.9), legend.background = element_blank())
# Plot a box plot
box_plt <- estate_data %>%
  ggplot(aes(x = price_per_unit, y = 1)) +
  geom_boxplot(fill = "#E69F00", color = "gray23", alpha = 0.7) +
    # Add titles and labels
  xlab("Price_per_unit")+
 ylab("")
# Combine plots using patchwork syntax
(hist_plt / box_plt) +
  plot_annotation(title = 'Price Distribution',
                  theme = theme(
                    plot.title = element_text(hjust = 0.5)))
```

Price Distribution



Much better! What can you say about the distribution of the price?

View numeric correlations

We can now start to look for relationships between the *features* and the *label* we want to be able to predict.

The correlation statistic, r, is a value between -1 and 1 that indicates the strength of a linear relationship.

For the numeric features, we can create scatter plots that show the intersection of feature and label values.

Question 2.

Starting with the estate_data dataset, in a piped sequence: - pivot_longer the data (increase the number of rows and decrease the number of columns) such that all the existing column names except price_per_unit now fall under a new column name called features and their corresponding values under a new column name values

- group the data by features
- add a new column corr_coef which calculates the correlation between values and price_per_unit (hint: the function used for calculating correlation in R is cor())

BEGIN QUESTION name: Question 2 manual: false

```
## # A tibble: 10 x 4
      price_per_unit features
##
                                                                        values corr_coef
##
                <dbl> <chr>
                                                                         <dbl>
                                                                                    <dbl>
## 1
                 37.9 transaction_date vs price, r = 0.07
                                                                        2013.
                                                                                   0.0672
                 37.9 \text{ house\_age vs price, } r = -0.22
##
    2
                                                                          32
                                                                                  -0.220
##
  3
                 37.9 \text{ transit\_distance vs price, } r = -0.71
                                                                                 -0.709
                                                                          84.9
                 37.9 local convenience stores vs price, r = 0.61
##
   4
                                                                          10
                                                                                   0.610
                 37.9 latitude vs price, r = 0.57
## 5
                                                                          25.0
                                                                                   0.575
##
    6
                 37.9 longitude vs price, r = 0.56
                                                                         122.
                                                                                   0.556
   7
                 42.2 \text{ transaction\_date vs price, } r = 0.07
                                                                                   0.0672
##
                                                                        2013.
##
   8
                 42.2 \text{ house\_age vs price, } r = -0.22
                                                                          19.5
                                                                                  -0.220
##
    9
                 42.2 \text{ transit\_distance vs price, } r = -0.71
                                                                         307.
                                                                                  -0.709
## 10
                 42.2 local_convenience_stores vs price, r = 0.61
                                                                                   0.610
```

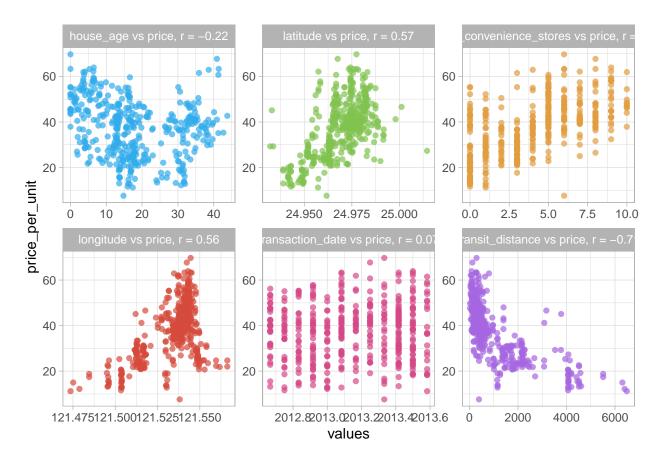
```
. = " # BEGIN TEST CONFIG
success_message: Great start! Your tibble dimensions and corresponding columns are correct.
failure_message: Almost there! Let's give this another shot.
```

```
## Test ##
test_that('data dimensions correct', {
  expect_equal(dim(numeric_features_long), c(2448, 4))
  expect_equal(sort(colnames(numeric_features_long)), c("corr_coef", "features", "price_per_unit", "val"
})
```

Test passed

Fantastic! Now let's use a scatter plot to investigate whether there is any linear relationship between our predictors and outcome variables.

```
# Plot a scatter plot for each feature
numeric_features_long %>%
   ggplot(aes(x = values, y = price_per_unit, color = features)) +
   geom_point(alpha = 0.7, show.legend = F) +
   facet_wrap(~ features, scales = 'free') +
   paletteer::scale_color_paletteer_d("ggthemes::excel_Parallax")
```



Take a moment and go through the scatter plot. How does the correlation between these features and the price vary?

View categorical features

Now let's compare the categorical features to the label. We'll do this by creating box plots that show the distribution of rental counts for each category.

transaction_date and **local_convenience_stores** seem to be discrete values - so might work better if treated as categorical features. Let' get right into it.

Question 3.

Starting with the estate_data dataset, in a piped sequence:

- only keep columns transaction_date, local_convenience_stores and price_per_unit
- encode columns transaction_date and local_convenience_stores as categorical (factor)
- pivot_longer the data (increase the number of rows and decrease the number of columns) such that all the existing column names except price_per_unit now fall under a new column name called features and their corresponding values under a new column name values

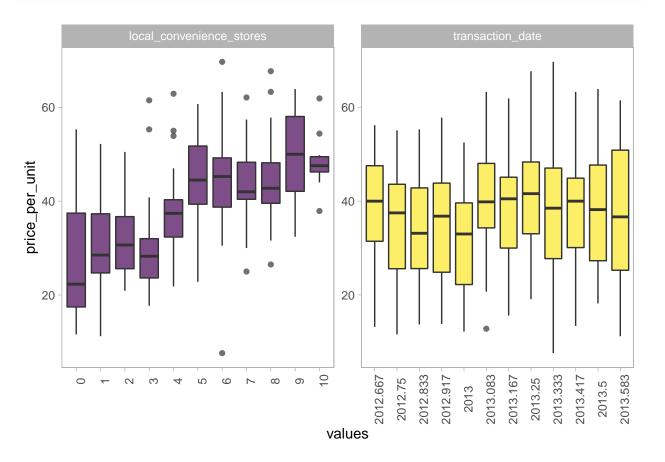
BEGIN QUESTION name: Question 3 manual: false

```
# Pivot categorical features to a long format
cat_features_long <- estate_data %>%
  select(transaction_date, local_convenience_stores, price_per_unit) %>%
  # Encode features from numeric to categorical
  mutate(across(c(transaction_date, local_convenience_stores), factor)) %%
  pivot_longer(!price_per_unit, names_to = "features", values_to = "values")
# Print some observations
cat_features_long %>%
  slice_head(n = 10)
## # A tibble: 10 x 3
##
     price_per_unit features
                                              values
##
              <dbl> <chr>
                                              <fct>
## 1
               37.9 transaction_date
                                              2012.917
## 2
               37.9 local_convenience_stores 10
## 3
               42.2 transaction date
                                              2012.917
               42.2 local_convenience_stores 9
## 4
## 5
               47.3 transaction_date
                                              2013.583
## 6
               47.3 local_convenience_stores 5
## 7
               54.8 transaction_date
                                              2013.5
## 8
               54.8 local_convenience_stores 5
## 9
               43.1 transaction_date
                                              2012.833
## 10
                43.1 local_convenience_stores 5
. = " # BEGIN TEST CONFIG
success_message: Fantastic! Your tibble dimensions and corresponding columns are correct.
failure_message: Almost there! Ensure you have selected columns transaction_date, local_convenience_sto
" # END TEST CONFIG
## Test ##
test_that('data dimensions correct', {
  expect_equal(dim(cat_features_long), c(816, 3))
  expect_equal(sort(colnames(cat_features_long)), c("features", "price_per_unit", "values"))
})
## Test passed
. = " # BEGIN TEST CONFIG
success_message: Congratulations! You have successfully selected the desired columns, encoded some of t
failure_message: Almost there! Ensure you have selected columns transaction_date, local_convenience_sto
" # END TEST CONFIG
## Test ##
test_that('data contains the correct observations', {
```

```
expect_equal(sort(unique(cat_features_long$features)), c("local_convenience_stores", "transaction_dat
expect_equal(class(cat_features_long$values), "factor")
})
```

Perfect! Now, for our categorical features, boxplots can be a great way of visualising how the price per unit varies within the levels of the categorical feature.

```
# Plot a box plot for each feature
cat_features_long %>%
    ggplot() +
    geom_boxplot(aes(x = values, y = price_per_unit, fill = features), alpha = 0.7, show.legend = F) +
    facet_wrap(~ features, scales = 'free') +
    scale_fill_viridis_d() +
    theme(panel.grid = element_blank(),
        axis.text.x = element_text(angle = 90))
```



Take a moment and interpret the graphics. How does the price vary with these features?

Split the data into training and test sets.

Now that we've explored the data, it's time to use it to train a regression model that uses the features we've identified as potentially predictive to predict the **price_per_unit** label.

transaction_date doesn't seem to be very predictive, so we'll omit it.

Let's begin by splitting the data set such that some goes to training and some goes for validation. This enables us to evaluate how well the model performs in order to get a better estimate of how your models will perform on new data.

Question 4.

In this section:

- Make a split specification of estate_data such that 70% goes to training and the rest goes to testing. Save this to a variable name estate_split
- Extract the training and testing sets from estate_split and save them in estate_train and estate_test variable names respectively.

BEGIN QUESTION name: Question 4 manual: false

```
# Set seed to ensure reproducibility and consitency of outputs
set.seed(2056)

# Load the tidymodels package
library(tidymodels)

# Split 70% of the data for training and the rest for tesing
estate_split <- estate_data %>%
    initial_split(prop = 0.7)

# Extract the data in each split
estate_train <- training(estate_split)
estate_test <- testing(estate_split)

# Print the number of observations in each split
cat("Training Set", nrow(estate_train), "rows",
    "\nTest Set", nrow(estate_test), "rows")</pre>
```

```
## Training Set 285 rows
## Test Set 123 rows
```

```
. = " # BEGIN TEST CONFIG
success_message: Fantastic! You have successfully split the data and extracted the training (70%) and t
failure_message: Almost there. Let's have a look at this again. Ensure that the splitting specification
" # END TEST CONFIG

## Test ##
test_that('data dimensions correct', {
  expect_equal(dim(estate_train), c(285, 7))
  expect_equal(dim(estate_test), c(123, 7))
}
```

Great progress!

Train a regression model

Preprocess data using recipes

Often before fitting a model, we may want to reformat the predictor values to make them easier for a model to use effectively. This includes transformations and encodings of the data to best represent their important characteristics. In R,this is done using a recipe.

A recipe is an object that defines a series of steps for data processing.

Question 5.

In this section, specify a recipe, estate_recipe, that will:

- Remove the transaction_date feature
- Transform local_convenience_stores feature into categorical (factor)
- Center and scale all numeric predictors

```
BEGIN QUESTION name: Question 5 manual: false
```

```
# Create a preprocessing recipe
estate_recipe <- recipe(price_per_unit ~ ., data = estate_train) %>%
    # Specify the removal of a variable
    step_rm(transaction_date) %>%
    # Specify the encoding of local_convenience_stores as categorical
    step_mutate(
        local_convenience_stores = factor(local_convenience_stores)) %>%
    # Specify the normalization of numeric features
    step_normalize(all_numeric_predictors())

# Print recipe
estate_recipe
```

```
## Recipe
##
## Inputs:
##
## role #variables
## outcome 1
## predictor 6
##
## Operations:
##
## Delete terms transaction_date
## Variable mutation
## Centering and scaling for all_numeric_predictors()
```

```
. = " # BEGIN TEST CONFIG
success message: Good job. You have correctly specified a recipe that will Remove the `transaction date
failure message: Almost there. Ensure your recipe specification will Remove the `transaction date` feat
" # END TEST CONFIG
## Test ##
test_that('recipe specification is correct', {
  # Test for step_rm
  expect_equal(attr(estate_recipe[["steps"]][[1]], "class"), c("step_rm", "step"))
  expect_equal(as_label(estate_recipe[["steps"]][[1]][["terms"]][[1]]), "transaction_date")
  # Test for step_mutate
  expect_equal(attr(estate_recipe[["steps"]][[2]], "class"), c("step_mutate", "step"))
  expect_equal(as_label(estate_recipe[["steps"]][[2]][["inputs"]][["local_convenience_stores"]]), "fact
  # Test for step_normalize
  expect_equal(attr(estate_recipe[["steps"]][[3]], "class"), c("step_normalize", "step"))
  expect_equal(as_label(estate_recipe[["steps"]][[3]][["terms"]][[1]]), "all_numeric_predictors()")
})
```

Fantastic! We have the data processing in order. Now, let's make a model specification. In this solution, we'll try out a random forest model which applies an averaging function to multiple decision tree models for a better overall model.

Question 6.

Test

Create a random forest model specification, rf_spec, which uses the randomForest package as its engine and then set the mode to regression.

```
BEGIN QUESTION
name: Question 6
manual: false

# Build a random forest model specification

rf_spec <- rand_forest() %>%
    set_engine('randomForest') %>%
    set_mode('regression')

. = " # BEGIN TEST CONFIG

success_message: Excellent! Your model specification is looking great!

failure_message: Let's have a look at this again. Ensure you have set your engine to **randomForest** at " # END TEST CONFIG
```

```
test_that('the model specification is correct', {
  expect_equal(rf_spec$mode, "regression")
  expect_equal(rf_spec$engine, "randomForest")
})
```

Create a modeling workflow

The workflows package allows the user to bind modeling and preprocessing objects together. You can then fit the entire workflow to the data, so that the model encapsulates all of the preprocessing steps as well as the algorithm.

Question 7.

Components of a workflow() go together like LEGO blocks. In this section, create a workflow container and then add the preprocessing information from our recipe and then add the model specification to be trained.

```
BEGIN QUESTION name: Question 7 manual: false
```

```
# Create a workflow that bundles a recipe and model specification
rf_workflow <- workflow() %>%
  add_recipe(estate_recipe) %>%
  add_model(rf_spec)

# Print workflow
rf_workflow
```

```
" # BEGIN TEST CONFIG"
" # END TEST CONFIG"
```

```
## Test ##
test_that('workflow specification is correct', {

# Test for step_rm
expect_equal(attr(rf_workflow[["pre"]][["actions"]][["recipe"]][["recipe"]][["steps"]][[1]], "class")
expect_equal(as_label(rf_workflow[["pre"]][["actions"]][["recipe"]][["recipe"]][["steps"]][[1]][["terefie"]]
# Test for step_mutate
expect_equal(attr(rf_workflow[["pre"]][["actions"]][["recipe"]][["recipe"]][["steps"]][[2]], "class")
expect_equal(as_label(rf_workflow[["pre"]][["actions"]][["recipe"]][["recipe"]][["steps"]][[2]][["inp
# Test for step_normalize
expect_equal(attr(rf_workflow[["pre"]][["actions"]][["recipe"]][["recipe"]][["steps"]][[3]], "class")
expect_equal(as_label(rf_workflow[["pre"]][["actions"]][["recipe"]][["recipe"]][["steps"]][[3]][["terefield["]]]["recipe"]][["steps"]][[3]][["terefield["]]["recipe"]][["recipe"]][["steps"]][[3]][["terefield["]]["recipe"]][["recipe"]][["steps"]][[3]][["terefield["]]["recipe"]][["recipe"]][["recipe"]][["steps"]][[3]][["terefield["]]["recipe"]][["recipe"]][["recipe"]][["recipe"]][["steps"]][[3]][["terefield["]]["recipe"]][["recipe"]][["recipe"]][["steps"]][[3]][["terefield["]]["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["recipe"]][["rec
```

Now that we have everything (recipe + model specification) wrapped together nicely in a workflow, we are ready to train a model. Workflows have a fit() method that can be used to train a model.

```
# For reproducibility
set.seed(2056)
# Train a random forest model
rf_workflow_fit <- rf_workflow %>%
 fit(data = estate_train)
# Print out the fitted workflow
rf_workflow_fit
## Preprocessor: Recipe
## Model: rand_forest()
## 3 Recipe Steps
##
## * step_rm()
## * step_mutate()
## * step_normalize()
## -- Model ------
##
## Call:
## randomForest(x = maybe_data_frame(x), y = y)
##
            Type of random forest: regression
##
                Number of trees: 500
## No. of variables tried at each split: 1
```

```
##
## Mean of squared residuals: 39.46666
## % Var explained: 73.58
```

Excellent! So we now have a trained random forest model; but is it any good? Let's evaluate its performance! We'll do this by making predictions on the **test data** and then evaluate some performance metrics based on the actual outcomes.

Question 8.

- We'll evaluate the model performance based on the rmse and rsq metrics. Use the metric_set() function to combine these metric functions together into a new function, eval_metrics, that calculates all of them at once.
- Generate predictions for the test data and then bind them to the test set. Rename the column containing predictions from .pred to predictions.

```
BEGIN QUESTION
name: Question 8
manual: false
```

```
# Create a metric set
eval_metrics <- metric_set(rmse, rsq)

# Make and bind predictions to test data
results <- rf_workflow_fit %>%
   augment(new_data = estate_test) %>%
   rename(predictions = .pred)
```

```
. = " # BEGIN TEST CONFIG
success_message: Fantastic! You have successfully made predictions and binded them to the test set.
failure_message: Almost there! Generate predictions for the test data and then bind them to the test se
" # END TEST CONFIG

## Test ##
test_that('the model specification is correct', {
   expect_equal(dim(results), c(123, 8))
   expect_equal(sort(colnames(results)), c("house_age", "latitude", "local_convenience_stores", "longitude")
```

Test passed

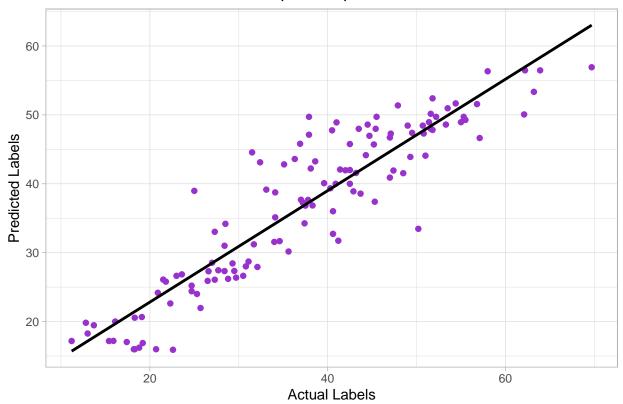
})

Awesome work! You have just used your trained model to make predictions on the test set.

How well did the model predict the prices per unit? Let's find out by looking at the metrics.

```
# Evaluate the model
rf_metrics <- eval_metrics(data = results,</pre>
                          truth = price_per_unit,
                          estimate = predictions)
# Plot predicted vs actual
rf_plt <- results %>%
 ggplot(mapping = aes(x = price_per_unit, y = predictions)) +
  geom_point(color = 'darkorchid', size = 1.6) +
  # overlay regression line
  geom_smooth(method = 'lm', color = 'black', se = F) +
 ggtitle("Price per unit predictions") +
 xlab("Actual Labels") +
 ylab("Predicted Labels") +
 theme(plot.title = element_text(hjust = 0.5))
# Return evaluations
list(metrics = rf_metrics, evaluation_plot = rf_plt)
## $metrics
## # A tibble: 2 x 3
    .metric .estimator .estimate
## <chr> <chr> <dbl>
## 1 rmse standard
                         5.23
## 2 rsq
           standard
                         0.841
## $evaluation_plot
## 'geom_smooth()' using formula 'y ~ x'
```

Price per unit predictions



How do you think the model performed. What do the values for rsq and rmse tell you? You can refer to the corresponding module for this notebook to help answer these questions in case you are stuck.

Use the Trained Model

Save your trained model, and then use it to predict the price-per-unit for the following real estate transactions:

transaction_date	house_age	${ m transit_distance}$	local	_conve ntetned e	st long itude
2013.167	16.2	289.3248	5	24.98203	121.54348
2013.000	13.6	4082.015	0	24.94155	121.50381

library(here)

here() starts at C:/Users/medewan/Documents/GitHub/ml-basics-R

```
# Save trained workflow
saveRDS(rf_workflow_fit, "rf_price_model.rds")
```

Now, we can load it whenever we need it, and use it to predict labels for new data. This is often called *scoring* or *inferencing*.

```
# Create a tibble for the new real estate samples
new_data <- tibble(
   transaction_date = c(2013.167, 2013.000),
   house_age = c(16.2, 13.6),
   transit_distance = c(289.3248, 4082.015),
   local_convenience_stores = c(5, 0),
   latitude = c(24.98203, 24.94155),
   longitude = c(121.54348, 121.50381))

# Print out new data
new_data</pre>
```

```
## # A tibble: 2 x 6
##
     transaction_date house_age transit_distance local_convenience_stores latitude
##
                 <dbl>
                           <dbl>
                                             <dbl>
                                                                        <dbl>
                                                                                 <dbl>
## 1
                 2013.
                            16.2
                                              289.
                                                                            5
                                                                                  25.0
## 2
                 2013
                            13.6
                                             4082.
                                                                            0
                                                                                  24.9
## # ... with 1 more variable: longitude <dbl>
```

Now that we have our data, let's load the saved model and make predictions.

```
# Load the model into the current R session
loaded_model <- readRDS("rf_price_model.rds")

# Make predictions
predictions <- loaded_model %>%
    augment(new_data = new_data)
predictions
```

```
## # A tibble: 2 x 7
##
     transaction date house age transit distance local convenience stores latitude
##
                <dbl>
                           <dbl>
                                            <dbl>
                                                                       <dbl>
                                                                                <dbl>
## 1
                2013.
                            16.2
                                             289.
                                                                          5
                                                                                 25.0
                            13.6
                                                                           0
## 2
                2013
                                            4082
                                                                                 24.9
## # ... with 2 more variables: longitude <dbl>, .pred <dbl>
```

That's it for now. In this notebook, you:

- Explored the data set to understand the relationships between the predictors and outcomes
- Preprocessed the data using recipes to make them easier for a model to use effectively.
- Made a random forest model specification.
- Bundles a recipe and model specification into a workflow.
- Trained a model.
- Made predictions on test set and evaluated the model performance.
- Saved the model, loaded it and then used it to predict labels for new data.

Fantastic job for coming this far! Feeling adventurous? Then, be sure to try out other regression models and tune some hyperparameters while at it.

Happy Learning,

Eric, Gold Microsoft Learn Student Ambassador.