

說明：請各位使用此 template 進行 Report 撰寫，如果想要用其他排版模式也請註明題號以及題目內容（請勿擅自更改題號），最後上傳至 github 前，請務必轉成 PDF 檔，並且命名為 report.pdf，否則將不予計分。

PS.這次作業的所有題目都需附上說明或觀察到的現象。

-----閱讀完以上文字請刪除-----

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1. (1%) 請說明這次使用的 model 架構，包含各層維度及連接方式。

Sol:

要用當然用我查到最屌的-model:densenet201-改

(這裡 in/out 是指 function 吃進去的維度, 不代表 feature 總數量)

Image size = (3, 48, 48)

Initialization:

1. Convolution (out=(64, 24, 24), n=64, kernel=(7, 7), stride=(2, 2), padding=(3, 3))
2. BatchNorm (out=(64, 24, 24),)
3. ReLU (out=(64, 24, 24),)
4. Pooling(out=(64, 12, 12),, kernel =3, stride=2, padding=1)

Layer: (維度為其第一層的範例)

- 1.BatchNorm (out=(64, 12, 12))
- 2.ReLU (out=(64, 12, 12))
- 3.Convolution (out=(128, 12, 12), n=128, kernel =(1, 1), stride=(1, 1))
- 4.BatchNorm (out=(128, 12, 12))
- 5.ReLU (out=(128, 12, 12))
- 6.Convolution (out=(32, 12, 12), kernel =(3, 3), stride=(1, 1), padding=(1, 1))

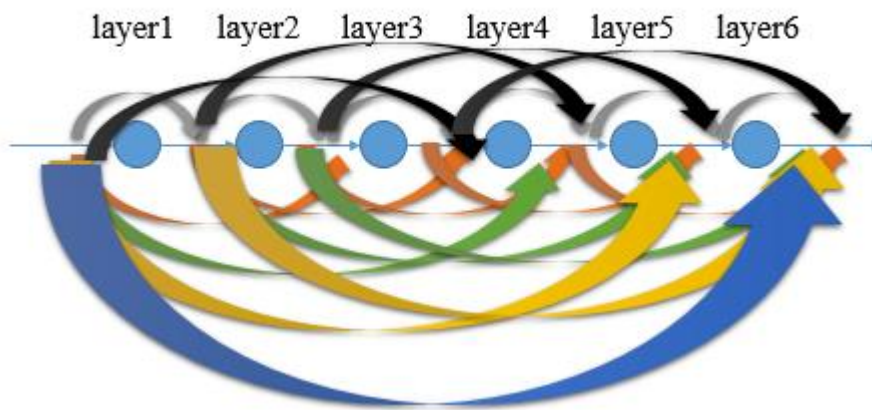
Transition: (維度為其第一次的範例)

- 1.BatchNorm (out=(256, 12, 12))
- 2.ReLU (out=(256, 12, 12))
- 3.Convolution(out=(128, 12, 12), n=128)
4. Pooling(out=(128, 12, 12))

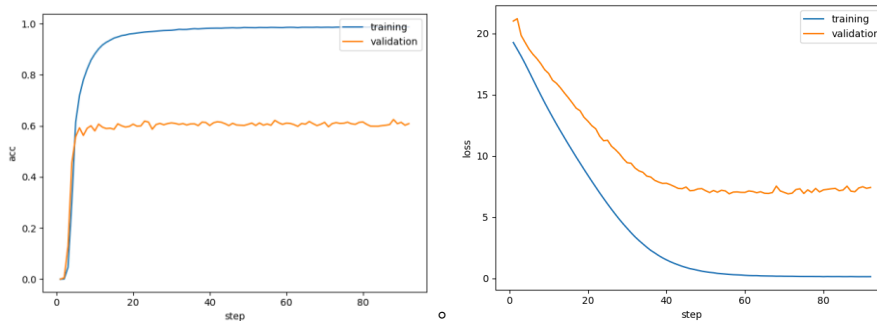
Initialization > block[6* Layer[> Transition > block[12* Layer] > Transition > block[48* Layer] > Transition > block[32* Layer] > BatchNorm (out=(1920, 1)) > linear (out=(1024, 1)) > ReLU > Dropout > linear (out=(512, 1)) > ReLU > Dropout > linear (out=(256, 1)) > ReLU > Dropout > linear (out=(7, 1))

其中每一個 block 內的連接方式除了前後連接還增加了 dense connection.(除了第 1 層, 每層 layer 的 input 皆會受到前面多個層的 output 值)

以第一個 block 為例:



2. (1%) 請附上 model 的 training/validation history (loss and accuracy)



3. (1%) 畫出 confusion matrix 分析哪些類別的圖片容易使 model 搞混，並簡單說明。

(ref: https://en.wikipedia.org/wiki/Confusion_matrix)

[3783	4	69	43	81	11	50]
[8	421	7	3	6	1	1]
[63	2	3849	37	84	39	71]
[13	1	20	7169	24	22	35]
[68	4	63	40	4522	8	109]
[17	0	40	15	9	3070	21]
[40	0	37	63	101	9	4735]

從 training+validation 整體的機率來看：

Class0 = 93.6%

Class1 = 94.1%

Class2 = 92.8%

Class3 = 98.4%

Class4 = 93.9%

Class5 = 96.7%

Class6 = 94.9%

以結果來看 Class0/ Class1/ Class2/ Class4/ Class6 均低於 95%，容易出錯。

[關於第四及第五題]

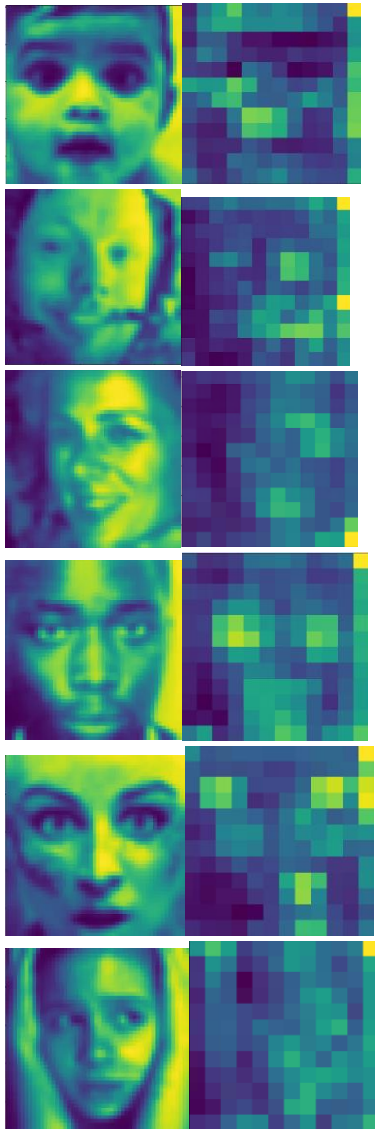
可以使用簡單的 3-layer CNN model [64, 128, 512] 進行實作。

4. (1%) 畫出 CNN model 的 saliency map，並簡單討論其現象。

(ref: <https://reurl.cc/Qpig8b>)

5. (1%) 畫出最後一層的 filters 最容易被哪些 feature activate。

(ref: <https://reurl.cc/ZnrgYg>)



6. (3%) Refer to math problem

https://hackmd.io/JIZ_0Q3dStSw0t0O0w6Ndw

Q: (B, W, H, input channels) \rightarrow conv2D (input channels, out. channels: k_1, k_2, s_1, s_2, p, f)

A: out (B, out. channels, $\frac{W+2p_1-(k_1-1)}{s_1}, \frac{H+2p_2-(k_2-1)}{s_2}$)
 无特殊处理

P:

$$\begin{cases} \mu_0 = \frac{1}{m} \sum_{i=1}^m x_i = 0 \\ \sigma_0^2 = \frac{1}{m} \sum_{i=1}^m (x_i - \mu_0)^2 = 0 \\ \hat{x}_i = \frac{x_i - \mu_0}{\sqrt{\sigma_0^2 + \epsilon}} = 0 \\ \hat{y}_i = \gamma \cdot \hat{x}_i + \beta = 0 \end{cases}$$

$$\frac{\partial l}{\partial \gamma} = \sum_{i=1}^m \frac{\partial l}{\partial \hat{y}_i} \frac{\partial \hat{y}_i}{\partial \gamma} = \sum_{i=1}^m \frac{\partial l}{\partial \hat{y}_i} \hat{x}_i$$

$$\frac{\partial l}{\partial \beta} = \sum_{i=1}^m \frac{\partial l}{\partial \hat{y}_i} \frac{\partial \hat{y}_i}{\partial \beta} = \sum_{i=1}^m \frac{\partial l}{\partial \hat{y}_i}$$

$$\frac{\partial l}{\partial x_i} = \frac{\partial l}{\partial \hat{y}_i} \frac{\partial \hat{y}_i}{\partial x_i} = \frac{\partial l}{\partial \hat{y}_i} \gamma$$

$$\frac{\partial l}{\partial x_i} = \frac{\partial l}{\partial \hat{y}_i} \frac{\partial \hat{y}_i}{\partial x_i} + \frac{\partial l}{\partial \mu_0} \frac{\partial \mu_0}{\partial x_i} + \frac{\partial l}{\partial \sigma_0^2} \frac{\partial \sigma_0^2}{\partial x_i} = \frac{\partial l}{\partial \hat{y}_i} \frac{1}{\sqrt{\sigma_0^2 + \epsilon}} + \frac{\partial l}{\partial \mu_0} \frac{1}{m} + \frac{\partial l}{\partial \sigma_0^2} \frac{2}{m} (x_i - \mu_0)$$

$$\frac{\partial l}{\partial \sigma_0^2} = \frac{\partial l}{\partial \hat{y}_i} \frac{\partial \hat{y}_i}{\partial \sigma_0^2} = \frac{\partial l}{\partial \hat{y}_i} \frac{1}{2} \frac{\partial}{\partial \sigma_0^2} \frac{1}{\sqrt{\sigma_0^2 + \epsilon}} = \frac{\partial l}{\partial \hat{y}_i} \frac{1}{2} \frac{-1}{(\sigma_0^2 + \epsilon)^{3/2}}$$

$$\frac{\partial l}{\partial \mu_0} = \frac{\partial l}{\partial \hat{y}_i} \frac{\partial \hat{y}_i}{\partial \mu_0} + \frac{\partial l}{\partial \sigma_0^2} \frac{\partial \sigma_0^2}{\partial \mu_0} = \frac{\partial l}{\partial \hat{y}_i} \frac{1}{m} \frac{\partial}{\partial \mu_0} \frac{1}{\sqrt{\sigma_0^2 + \epsilon}} + \frac{\partial l}{\partial \sigma_0^2} \frac{2}{m} \frac{\partial}{\partial \mu_0} (x_i - \mu_0)$$

(P3) $\hat{y}_t = \frac{e^{z_t}}{\sum e^{z_i}}$ $L(y_t, \hat{y}_t) = -y_t \log \hat{y}_t$ $L(y, \hat{y}) = -\sum y_i \log \hat{y}_i$

$$\frac{\partial L_t}{\partial z_t} = \left\{ \begin{array}{l} \frac{\partial L_t}{\partial y_t} \frac{\partial y_t}{\partial z_t} \\ + \frac{\partial L_t}{\partial \hat{y}_t} \frac{\partial \hat{y}_t}{\partial z_t} \end{array} \right. \quad \frac{\partial y_t}{\partial z_t} = \frac{\partial}{\partial z_t} \left(\frac{e^{z_t}}{e^{z_t} c} \right) = e^{z_t} (e^{z_t} c)^{-1} - (e^{z_t} c)^{-2} e^{z_t} e^{z_t}$$

$$= \frac{\partial L_t}{\partial y_t} (y_t - \hat{y}_t) \quad , \quad \frac{\partial L_t}{\partial \hat{y}_t} = \frac{\partial}{\partial \hat{y}_t} (-y_t \log \hat{y}_t) =$$

$$\left\{ \begin{array}{l} \frac{\partial L_t}{\partial y_t} \frac{\partial y_t}{\partial \hat{y}_t} \\ + \frac{\partial L_t}{\partial \hat{y}_t} \frac{\partial \hat{y}_t}{\partial \hat{y}_t} \end{array} \right. = \left[y_t - y_t \hat{y}_t - \sum_i y_i \hat{y}_i \right]$$

$$= - \left[y_t (1 - \hat{y}_t) - \sum_i y_i \hat{y}_i \right]$$

$$= - \left[y_t - y_t \hat{y}_t - y_t \sum_k \hat{y}_k \right]$$

$$= - \left[y_t - y_t \left(\sum_i \hat{y}_i \right) \right]$$

$$= \hat{y}_t - y_t$$

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