Query Optimization – Physical Query Plans

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Query Optimization

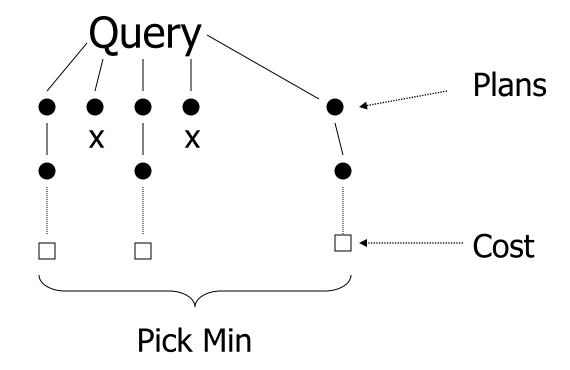
--> Generating and comparing plans

Generate

Pruning

Estimate Cost

Select



To generate plans consider:

- Transforming relational algebra expression
 (e.g. order of joins)
- Use of existing indexes
- Building indexes or sorting on the fly

- Implementation details:
 - e.g. Join algorithm
 - Memory management
 - Parallel processing

Estimating IOs:

 Count # of disk blocks that must be read (or written) to execute query plan

To estimate costs, we may have additional parameters:

```
B(R) = # of blocks containing R tuples
f(R) = max # of tuples of R per block
M = # memory blocks available
```

T(R) = # of tuples in a relation T(R) > B(R)

To estimate costs, we may have additional parameters:

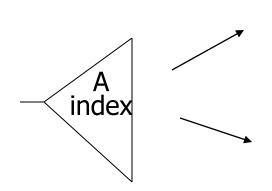
```
B(R) = \# of blocks containing R tuples f(R) = \max \# of tuples of R per block M = \# memory blocks available
```

```
HT(i) = # levels in index i
LB(i) = # of leaf blocks in index i
```

Clustering index

index that follows the same ordering as the physical storing of the data

Index that allows tuples to be read in an order that corresponds to physical order



19	
35	
37	

Notions of clustering

Clustered file organization

R1 R2 S1 S2

R3 R4 S3 S4

Clustered relation

R1 R2 R3 R4

R5 R5 R7 R8

Clustering index


```
T(R1) = 10,000

T(R2) = 5,000

S(R1) = S(R2) = 1/10 block

Memory available = 101 blocks
```

Size of the tuple


```
T(R1) = 10,000

T(R2) = 5,000

S(R1) = S(R2) = 1/10 block

Memory available = 101 blocks
```

→ Metric: # of IOs (ignoring writing of result)

Options

- Transformations: R1 ⋈ R2, R2 ⋈ R1
- Joint algorithms:
 - Iteration (nested loops)

Different algorithms that we can use

- Merge join
- Join with index
- Hash join

Iteration join (conceptually)
 for each r ∈ R1 do
 for each s ∈ R2 do
 if r.C = s.C then output r,s pair

Each block is read, not each tuple!

 Merge join (conceptually) SORT the relations! (1) if R1 and R2 not sorted, sort them (2) $i \leftarrow 1; j \leftarrow 1;$ While $(i \le T(R1)) \land (j \le T(R2))$ do if R1{ i }.C = R2{ j }.C then outputTuples else if R1 $\{i\}$.C > R2 $\{j\}$.C then $j \leftarrow j+1$ else if R1 $\{i\}$.C < R2 $\{j\}$.C then $i \leftarrow i+1$

C = 2 in 4 tuples of R1 and C = 2 in 5 tuples of R2 --> 20 tuples to output

Procedure Output-Tuples

```
While (R1{ i }.C = R2{ j }.C) \land (i \le T(R1)) do [jj \leftarrow j; while (R1{ i }.C = R2{ jj }.C) \land (jj \le T(R2)) do [output pair R1{ i }, R2{ jj }; jj \leftarrow jj+1 ] i \leftarrow i+1 ]
```

Example

i	R1{i}.C	R2{j}.C	j
1	10	5	1
2	20	20	2
3	20	20	3
4	30	30	4
5	40	30	5
		50	6
		52	7

Join with index (Conceptually)

For each $r \in R1$ do

Assume R2.C index

```
[ X \leftarrow \text{index (R2, C, r.C)}
for each s \in X do
output r,s pair]
```

Note: $X \leftarrow \text{index(rel, attr, value)}$ then X = set of rel tuples with attr = value

- Hash join (conceptual)
 - Hash function h, range $0 \rightarrow k$
 - Buckets for R1: G0, G1, ... Gk
 - Buckets for R2: H0, H1, ... Hk

Hash function is a function that encrypts (with the same key) a value (give a number, receive a value).

```
    Hash join (conceptual)
```

```
- Hash function h, range 0 \rightarrow k
```

- Buckets for R1: G0, G1, ... Gk
- Buckets for R2: H0, H1, ... Hk

```
R<sub>2</sub>.C
    R<sub>1.C</sub>
                 100
    100
                 10
    1200
                 50
                 1300
T4 1300
                 4000
T5 5000
                 4000
    5000
                 4000
T7 4000
```

Buckets for R1 Bucket for R2 0 [T4 T5 T6] 0 [T3 T4] 1 [T1 T2 T3 T7]

1 [T1 T2 T5 T6 T7]

Faster because here we will only compare bucket by bucket. Because comparing bucket 0 of R1 with bucket 1 of R2 will never give a match!

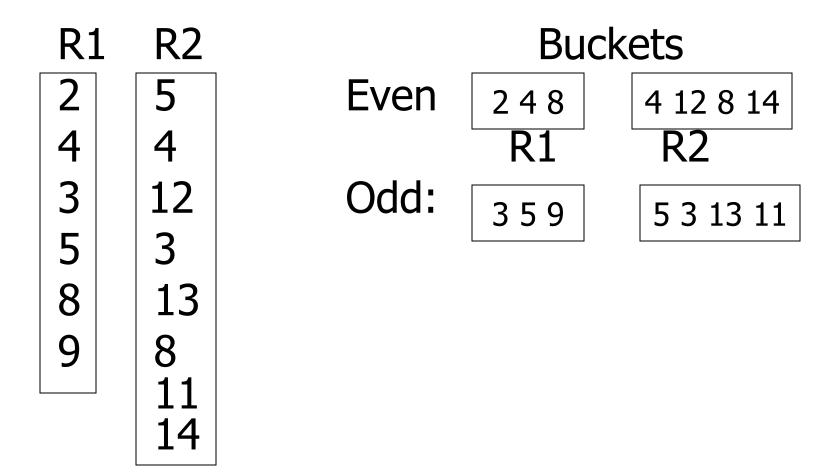
Algorithm

Here 6 computations for bucket 0 and 20 for bucket 1 --> 26 operations in total

49 otherwise (7x7)

- (1) Hash R1 tuples into G buckets
- (2) Hash R2 tuples into H buckets
- (3) For i = 0 to k do match tuples in Gi, Hi buckets

Simple example hash: even/odd



Factors that affect performance

(1) Tuples of relation stored physically together?

(2) Relations sorted by join attribute?

(3) Indexes exist?

Example 1(a) Iteration Join R1 > R2

Relations <u>not</u> contiguous

• Recall
$$\begin{cases} T(R1) = 10,000 & T(R2) = 5,000 \\ S(R1) = S(R2) = 1/10 & block \\ MEM=101 & blocks \end{cases}$$

Example 1(a) Iteration Join R1 R2

Relations <u>not</u> contiguous

• Recall
$$\begin{cases} T(R1) = 10,000 & T(R2) = 5,000 \\ S(R1) = S(R2) = 1/10 & block \\ MEM=101 & blocks \end{cases}$$

Cost: for each R1 tuple: [Read tuple + Read R2] Total = 10,000 [1+5000]=50,010,000 IOs Can we do better?

Can we do better?

Use our memory

- (1) Read 100 blocks of R1
- (2) Read all of R2 (using 1 block) + join
- (3) Repeat until done

Cost: for each R1 chunk:

Read chunk: 1000 IOs

Read R2: 5000 IOs

Cost: for each R1 chunk:

Read chunk: 1000 IOs

Read R2: 5000 IOs

Total =
$$\frac{10,000}{1,000}$$
 x 6000 = 60,000 IOs

Can we do better?

Can we do better?

◆ Reverse join order: R2 ⋈ R1

Total =
$$5000 \times (1000 + 10,000) = 1000$$

$$5 \times 11,000 = 55,000 IOs$$

Example 1(b) Iteration Join R2 | R1

Relations contiguous

Example 1(b) Iteration Join R2 | R1

Relations contiguous

```
Cost
```

For each R2 chunk:

Read chunk: 100 IOs

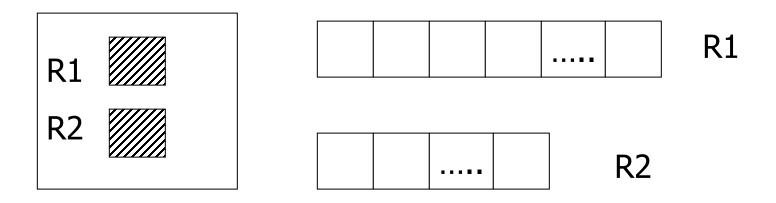
Read R1: <u>1000</u> IOs

1,100

Total = 5 chunks x 1,100 = 5,500 IOs

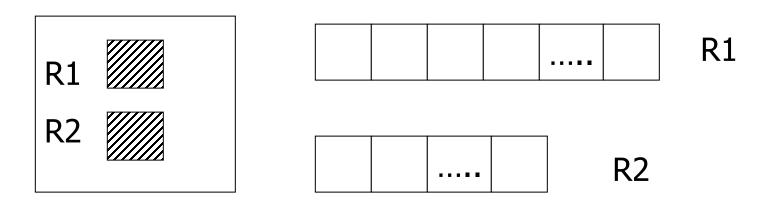
Example 1(c) Merge Join

Both R1, R2 ordered by C; relations contiguous
 Memory



Example 1(c) Merge Join

Both R1, R2 ordered by C; relations contiguous
 Memory



Total cost: Read R1 cost + read R2 cost =
$$1000 + 500 = 1,500 IOs$$

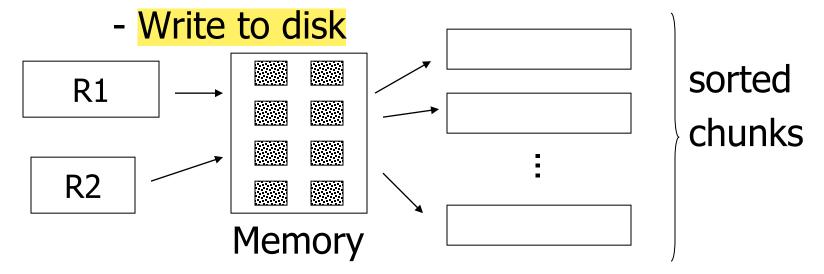
Example 1(d) Merge Join

• R1, R2 <u>not</u> ordered, but contiguous

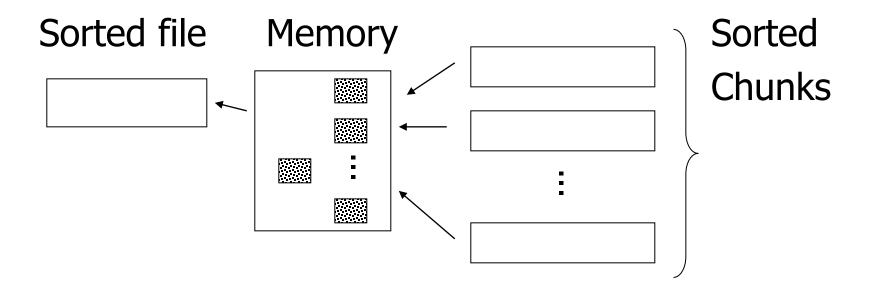
--> Need to sort R1, R2 first.... HOW?

One way to sort: Merge Sort

- (i) For each 100 blk chunk of R:
 - Read chunk
 - Sort in memory



(ii) Read all chunks + merge + write out



Cost: Sort

Each tuple is read, written,

read, written

SO...

Sort cost R1: $4 \times 1,000 = 4,000$

Sort cost R2: $4 \times 500 = 2,000$

Example 1(d) Merge Join (continued)

R1,R2 contiguous, but unordered

Total cost = sort cost + join cost
=
$$6,000 + 1,500 = 7,500$$
 IOs

Example 1(d) Merge Join (continued)

R1,R2 contiguous, but unordered

Total cost = sort cost + join cost
=
$$6,000 + 1,500 = 7,500$$
 IOs

But: Iteration cost = 5,500 so merge joint does not pay off!

But say
$$R1 = 10,000$$
 blocks contiguous $R2 = 5,000$ blocks not ordered

Iterate:
$$5000 \times (100+10,000) = 50 \times 10,100$$

 $100 = 505,000 \text{ IOs}$

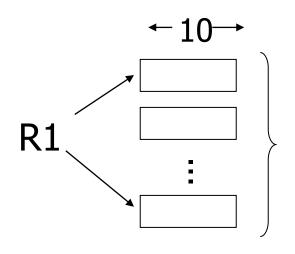
Merge join: 5(10,000+5,000) = 75,000 IOs

Merge Join (with sort) WINS!

Merge Join better for BIG difference of size in the register.

How much memory do we need for merge sort?

E.g: Say I have 10 memory blocks



100 chunks \Rightarrow to merge, need 100 blocks!

In general:

```
Say k blocks in memory
x blocks for relation sort
# chunks = (x/k) size of chunk = k
```

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In general:

Say k blocks in memory x blocks for relation sort

chunks = (x/k) size of chunk = k

chunks < buffers available for merge

so...
$$(x/k) \le k$$

or $k^2 \ge x$ or $k \ge \sqrt{x}$

If not --> merge sort not interessant

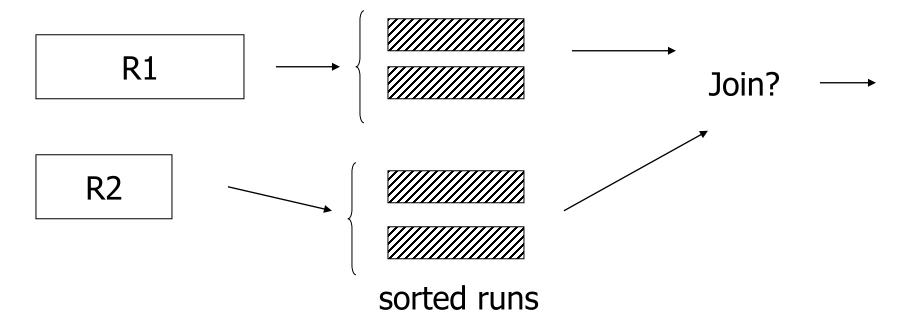
In our example

R1 is 1000 blocks, $k \ge 31.62$ R2 is 500 blocks, $k \ge 22.36$

Need at least 32 buffers

Can we improve on merge join?

Hint: do we really need the fully sorted files?



We can compare the heads, if one is lower than the other -> no join and pass to next block

Cost of improved merge join:

- C = Read R1 + write R1 into runs
 - + read R2 + write R2 into runs
 - + join
 - = 2000 + 1000 + 1500 = 4500

--> Memory requirement?

Example 1(e) Index Join

- Assume R1.C index exists;
 2 levels
- Assume R2 contiguous, unordered

Assume R1.C index fits in memory

Cost: Reads: 500 IOs

for each R2 tuple:

- probe index free
- if match, read R1 tuple: 1 IO

What is expected # of matching tuples?

- (a) say R1.C is key, R2.C is foreign key then expect = 1
- (b) say V(R1,C) = 5000, T(R1) = 10,000with uniform assumption expect = 10,000/5,000 = 2

What is expected # of matching tuples?

(c) Say DOM(R1, C)=1,000,000

$$T(R1) = 10,000$$

with alternate assumption
 $Expect = 10,000 = 1$
 $1,000,000 = 100$

Total cost with index join

(a) Total cost = 500+5000(1)1 = 5,500

(b) Total cost = 500+5000(2)1 = 10,500

(c) Total cost = 500+5000(1/100)1=550

What if index does not fit in memory?

Example: say R1.C index is 201 blocks

- Keep root + 99 leaf nodes in memory
- Expected cost of each probe is

$$E = (0)\underline{99} + (1)\underline{101} \approx 0.5$$

$$200 \quad 200$$

Total cost (including probes)

```
= 500+5000 [Probe + get records]
```

$$= 500+5000 [0.5+2]$$
 uniform assumption

$$= 500+12,500 = 13,000$$
 (case b)

Total cost (including probes)

- = 500+5000 [Probe + get records]
- = 500+5000 [0.5+2] uniform assumption
- = 500+12,500 = 13,000 (case b)

For case (c):

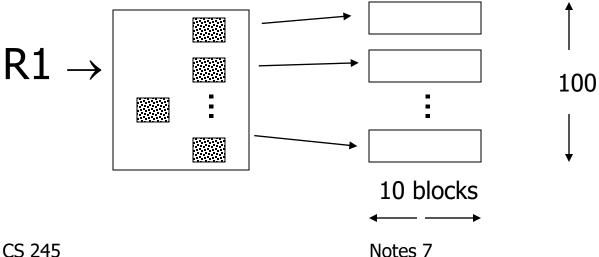
- $= 500+5000[0.5 \times 1 + (1/100) \times 1]$
- = 500+2500+50 = 3050 IOs

So far

Iterate R2 R1 55,000 (best) not contiguous Merge Join Sort+ Merge Join R1.C Index R2.C Index Iterate R2 | R1 5500 contiguous Merge join 1500 Sort+Merge Join $7500 \to 4500$ R1.C Index $5500 \rightarrow 3050 \rightarrow 550$ R2.C Index

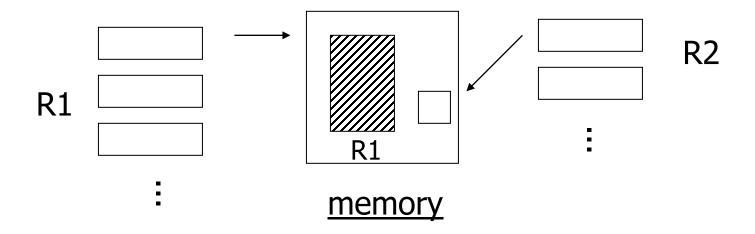
Example 1(f) Hash Join

- R1, R2 contiguous (un-ordered)
- → Use 100 buckets
- → Read R1, hash, + write buckets



CS 245

- -> Same for R2
- -> Read one R1 bucket; build memory hash table
- -> Read corresponding R2 bucket + hash probe



Then repeat for all buckets

Cost:

"Bucketize:" Read R1 + write

Read R2 + write

Join: Read R1, R2

Total cost = $3 \times [1000+500] = 4500$

Cost:

"Bucketize:" Read R1 + write

Read R2 + write

Join: Read R1, R2

Total cost = $3 \times [1000+500] = 4500$

Note: this is an approximation since buckets will vary in size and we have to round up to blocks

Minimum memory requirements:

Size of R1 bucket =
$$(x/k)$$

k = number of memory buffers

x = number of R1 blocks

So...
$$(x/k) < k$$

$$k > \sqrt{x}$$

need: k+1 total memory buffers

<u>Readings</u>

- DATABASE SYSTEMS The Complete Book, Hector Garcia-Molina, Jeffrey D. Ullman, Jennifer Widom, Second Edition.
- Chapter 16.7.1, 16.7.2, and relevant sections in Chapter 15.