

1)	One dimensional heat equation is _____ (a) $\frac{\partial u}{\partial t} = c^2 \frac{\partial^2 u}{\partial x^2}$ (b) $\frac{\partial u}{\partial t} = c^2 \frac{\partial u}{\partial x}$ (c) $\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial^2 u}{\partial x^2}$ (d) $\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial u}{\partial x}$
2)	One dimensional wave equation is _____ (a) $\frac{\partial u}{\partial t} = c^2 \frac{\partial^2 u}{\partial x^2}$ (b) $\frac{\partial u}{\partial t} = c^2 \frac{\partial u}{\partial x}$ (c) $\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial^2 u}{\partial x^2}$ (d) $\frac{\partial^2 u}{\partial t^2} = c^2 \frac{\partial u}{\partial x}$
3)	$3xy \frac{\partial z}{\partial y} + 2x^3y \frac{\partial^2 z}{\partial x^2} = 9$ is a partial differential equation of order _____. (a) 1 (b) 2 (c) 3 (d) 4
4)	$x \frac{\partial z}{\partial y} + \frac{\partial^2 z}{\partial x^2} = 5 \frac{\partial^3 z}{\partial y^3}$ is a partial differential equation of order _____. (a) 2 (b) 1 (c) 3 (d) 4
5)	$\cos(5x + 6y) \frac{\partial^3 z}{\partial y^3} + \frac{\partial^2 z}{\partial x^2} - xy = 0$ is a partial differential equation of degree _____. (a) 1 (b) 2 (c) 3 (d) 4

6)	<p>5 $\frac{\partial^2 z}{\partial y^2} = \frac{\partial^2 z}{\partial x^2}$ is a partial differential equation of order _____ .</p> <p>(a) 1 (b) 2 (c) 3 (d) 4</p>
7)	<p>The partial differential equation formed by eliminating arbitrary constants from the equation $z = ax + by$ is _____.</p> <p>(a) $z = px + qy$ (b) $z = px - qy$ (c) $2z = px + qy$ (d) $2z = px - qy$</p>
8)	<p>The partial differential equation formed by eliminating arbitrary constants from the equation $z = ax^3 - by$ is _____.</p> <p>(a) $3z = px + 3qy$ (b) $z = 3px - qy$ (c) $2z = px + 3qy$ (d) $z = px - 2qy$</p>
9)	<p>The partial differential equation formed by eliminating arbitrary constants from the equation $z = 3ax^2 + 2by^2$ is _____.</p> <p>(a) $2z = px + qy$ (b) $z = 2px - 2qy$ (c) $2z = px - qy$ (d) $z = px - 2qy$</p>
10)	<p>The partial differential equation $3xy \frac{\partial^3 z}{\partial y^3} + x^3 y \frac{\partial^2 z}{\partial x^2} = 2$ is _____</p> <p>(a) linear (b) non linear (c) of order 1 (d) of order 2</p>

11)	<p>The partial differential equation $z \left(\frac{\partial z}{\partial y} \right) + \frac{\partial^2 z}{\partial x^2} = 2$ is _____</p> <p>(a) linear (b) non linear (c) of order 1 (d) of order 3</p>
12)	<p>The partial differential equation $z^2 \frac{\partial z}{\partial y} + x^3 y \frac{\partial^3 z}{\partial x^2 \partial y} = 0$ is _____</p> <p>(a) linear (b) non linear (c) of order 1 (d) of order 2</p>
13)	<p>The partial differential equation $\frac{\partial z}{\partial y} + x^3 y \frac{\partial^3 z}{\partial x^2 \partial y} = 25$ is _____</p> <p>(a) linear (b) non linear (c) of order 1 (d) of order 2</p>
14)	<p>The partial differential equation $z + \frac{\partial^3 z}{\partial x^2 \partial y} + 7y = 0$ is _____</p> <p>(a) linear (b) non linear (c) of order 1 (d) of order 2</p>
15)	<p>The partial differential equation $\frac{\partial^3 z}{\partial y^3} + 4z^3 \frac{\partial z}{\partial y} = 25$ is _____</p> <p>(a) of order 1 (b) non linear (c) of order 2 (d) of order 3</p>
16)	<p>Solution of the partial differential equation $\frac{\partial z}{\partial x} + \cos(3x - 2y) = 0$ by direct integration is _____</p> <p>(a) $z + \frac{\sin(3x - 2y)}{3} = x f_1(y)$.</p>

$$(b) \ z - \frac{\sin(3x - 2y)}{3} = f_1(y)$$

$$(c) \ z + \frac{\sin(3x - 2y)}{3} = f_1(y)$$

$$(d) \ z - \frac{\sin(3x - 2y)}{3} = f_1(x) .$$

17)

Solution of the partial differential equation $\frac{\partial^2 z}{\partial y^2} + 7x^2 y^3 = 5$ by direct integration is

$$(a) \ z + \frac{7x^2 y^5}{20} = (2.5)y^2 + y f_1(x) + f_2(x) .$$

$$(b) \ z + \frac{7x^2 y^5}{20} = (3.5)y^2 + y f_1(x) + f_2(x)$$

$$(c) \ z + \frac{7x^2 y^5}{20} = (2.5)y^2 + y f_1(y) + f_2(y)$$

$$(d) \ z + \frac{7x^2 y^5}{20} = (2.5)y^2 + y f_1(x) + f_2(y)$$

18)

Solution of the partial differential equation $8 \frac{\partial z}{\partial y} + 3x^2 y^3 = 9xy$ by direct integration is

$$(a) \ 8z + \frac{x^2 y^4}{4} = x \frac{y^2}{2} + f_1(x) .$$

$$(b) \ 8z + \frac{3x^2 y^4}{4} = 9x \frac{y^2}{2} + f_1(y)$$

$$(c) \ 8z + \frac{3x^2 y^4}{4} = 9x \frac{y^2}{2} + f_1(x)$$

$$(d) \ 8z + \frac{3x^2 y^3}{4} = 9x \frac{y^2}{2} + f_1(y)$$

19)	<p>Solution of the partial differential equation $\frac{\partial u}{\partial x} + 8xy^5 = y$ by direct integration is _____</p> <p>(a) $u + 4x^2y^5 = xy + f_1(y)$.</p> <p>(b) $u + 4x^2y^5 = xy + f_1(x)$</p> <p>(c) $u + 2x^2y^5 = xy + f_1(y)$</p> <p>(d) $u + 2x^2y^5 = xy + f_1(x)$</p>
20)	<p>Solution of the partial differential equation $e^x \frac{\partial u}{\partial y} + y^3 + x^2y = 10$ by direct integration is _____</p> <p>(a) $e^x u + \frac{y^4}{4} + \frac{y^2 x^2}{2} + f(x) = 10y$.</p> <p>(b) $e^x u + \frac{y^4}{4} + \frac{y^2 x^2}{2} + f(x) = 10x$</p> <p>(c) $e^x u + \frac{y^4}{4} + \frac{y^2 x^2}{2} + f(y) = 10y$</p> <p>(d) $e^x u + \frac{y^4}{4} + \frac{y^2 x^2}{2} + f(y) = 10x$</p>
21)	<p>The order of the partial differential equation obtained by eliminating f from $z = f(x^2 + y^2)$ is _____</p> <p>(a) 4</p> <p>(b) 2</p> <p>(c) 3</p> <p>(d) 1</p>
22)	<p>The degree of the partial differential equation obtained by eliminating f from $z = f(x^3 - y^3)$ is _____</p> <p>(a) 1</p> <p>(b) 2</p> <p>(c) 3</p> <p>(d) 4</p>
23)	<p>The order of the partial differential equation obtained by eliminating f from</p>

	$f(x^2 + y^2, z - xy) = 0$ is _____ (a) 1 (b) 2 (c) 3 (d) 4
24)	Solution of the partial differential equation $\frac{\partial^2 z}{\partial x \partial y} = 2y^5$ by direct integration is _____ (a) $z = \left(\frac{1}{3}\right)xy^6 + f_1(y) + f_2(x)$. (b) $z = \left(\frac{1}{3}\right)xy^6 + f_1(y)$ (c) $z = \left(\frac{1}{3}\right)xy^6 + f_2(x)$ (d) $z = \left(\frac{1}{3}\right)xy^5 + f_1(y) + f_2(x)$
25)	A non linear partial differential equation of form two is _____ (a) $f(z, x, q) = 0$ (b) $f(x, p, q) = 0$ (c) $f(z, p, q) = 0$ (d) $z = f(x, y, q)$
26)	A non linear partial differential equation of form three is _____ (a) $g(y, q) = f(p)$ (b) $g(y, q) = f(x)$ (c) $g(y, q) = f(x, p)$ (d) $z = f(x, y, q)$
27)	The partial differential equation $5pqz = 2p + 2q$ is _____ (a) <i>nonlinear of form 3</i> (b) <i>linear</i> (c) <i>of order 2</i> (d) <i>nonlinear of form 2</i>

28)	<p>The partial differential equation $p^2 z^2 + q^2 = p^2 q$ is _____</p> <p>(a) <i>nonlinear of form 2</i></p> <p>(b) <i>linear</i></p> <p>(c) <i>of order 2</i></p> <p>(d) <i>nonlinear of form 3</i></p>
29)	<p>On solving the non-linear partial differential equation $p^3 + q^3 = 27z$ of form second taking $q = ap$, we obtain $p =$ _____</p> <p>(a) $p = \frac{z(-a \pm \sqrt{a^2 + 4})}{2}$</p> <p>(b) $p = \frac{z(-a \pm \sqrt{a^2 + 3})}{2}$</p> <p>(c) $p = \frac{z(-a \pm \sqrt{a^2 + 2})}{2}$</p> <p>(d) $p = \frac{z(-a \pm \sqrt{a^2 + 1})}{2}$</p>
30)	<p>On solving the non-linear partial differential equation $p^2 z^2 + q^2 = p^2 q$ of form second taking $q = ap$, we obtain $p =$ _____</p> <p>(a) $p = \frac{z^2 + a^2}{a}$</p> <p>(b) $p = \frac{z(a^2 + 2)}{2}$</p> <p>(c) $p = \frac{z^2(a^2 + 2)}{2}$</p> <p>(d) $p = \frac{(a^2 + 2)}{2}$</p>
31)	<p>The partial differential equation $yp + xq + p^2 q = 0$ is _____</p> <p>(a) <i>nonlinear of form 2</i></p> <p>(b) <i>linear</i></p>

	<p>(c) of order 2</p> <p>(d) nonlinear of form 3</p>
32)	<p>On solving the non-linear partial differential equation $yp + xq + pq = 0$</p> <p>taking $f(x, p) = g(y, q) = a$, we obtain $p = \underline{\hspace{2cm}}$ and $q = \underline{\hspace{2cm}}$</p> <p>(a) $p = \frac{x}{a-1}$, $q = \frac{-y}{a}$</p> <p>(b) $p = \frac{x}{a-1}$, $q = \frac{y}{a}$</p> <p>(c) $p = \frac{x^2}{a-1}$, $q = \frac{-y}{a}$</p> <p>(d) $p = \frac{x}{a-1}$, $q = \frac{-y^2}{a}$</p>
33)	<p>On solving the non-linear partial differential equation $p^2 + q^2 = x + y$</p> <p>taking $f(x, p) = g(y, q) = a$, we obtain $p = \underline{\hspace{2cm}}$ and $q = \underline{\hspace{2cm}}$</p> <p>(a) $p = \sqrt{x+a}$, $q = \sqrt{y-a}$</p> <p>(b) $p = \sqrt{x-a}$, $q = \sqrt{3y-a}$</p> <p>(c) $p = \sqrt{x-a}$, $q = \sqrt{y+a}$</p> <p>(d) $p = \sqrt{x-a}$, $q = \sqrt{3y-a}$</p>
34)	<p>Solution of the partial differential equation $\frac{\partial^3 z}{\partial x^3} = 0$ by direct integration is</p> <p>$\underline{\hspace{4cm}}$</p> <p>(a) $z = f_1(y) + xf_2(y) + x^2 f_3(y)$.</p> <p>(b) $z = f_1(y) + xf_2(y)$</p> <p>(c) $z = xf_2(y) + x^2 f_3(y)$</p> <p>(d) $z = f_1(y) + f_2(x)$</p>
35)	<p>The partial differential equation formed by eliminating arbitrary constant from the equation</p> <p>$z = (a+x)^2 + y$ is $\underline{\hspace{2cm}}$.</p> <p>(a) $4z = p^2 + 4y$</p> <p>(b) $z = px - 4y$</p>

	<p>(c) $2z = p + 4y^2$</p> <p>(d) $2z = p - y$</p>
36)	<p>On solving $u_x - u_y = 0$ by method of separation of variables by substituting $u = XY$, we obtain</p> <p>(a) $u = e^{a(x+y)} C_1 C_2$</p> <p>(b) $u = e^{a(x-y)} C_1 C_2$</p> <p>(c) $u = ye^{a(x)} C_1 C_2$</p> <p>(d) $u = xe^{a(y)} C_1 C_2$</p>
37)	<p>On solving $u_x - 2u_t = u$ by method of separation of variables by substituting $u = XY$, we obtain</p> <p>(a) $u = e^{-ax} e^{\left(\frac{a-1}{2}\right)t} C_1 C_2$</p> <p>(b) $u = e^{ax} e^{\left(\frac{a-1}{2}\right)t} C_1 C_2$</p> <p>(c) $u = e^{\frac{ax}{3}} e^{\left(\frac{a-1}{2}\right)t} C_1 C_2$</p> <p>(d) $u = e^a e^{\left(\frac{a-1}{2}\right)t} C_1 C_2$</p>
38)	<p>On solving $2z_x = 3z_y$ by method of separation of variables by substituting $z = XY$, we obtain</p> <p>(a) $z = e^{a(2x+y)} C_1 C_2$</p> <p>(b) $z = e^{a(2x-3y)} C_1 C_2$</p> <p>(c) $z = 2xye^{a(x+3)} C_1 C_2$</p> <p>(d) $z = e^{a\left(\frac{3x+2y}{6}\right)} C_1 C_2$</p>
39)	<p>On solving $u_x - u_y = 0$ by method of separation of variables by substituting $u = XY$, we obtain</p> <p>(a) $u = e^{a(x+y)} C_1 C_2$</p> <p>(b) $u = e^{a(x-y)} C_1 C_2$</p> <p>(c) $u = ye^{a(x)} C_1 C_2$</p> <p>(d) $u = xe^{a(y)} C_1 C_2$</p>
40)	<p>On solving $3u_x - 2u_t = 5u$ by method of separation of variables by substituting $u = XY$, we obtain</p> <p>(a) $u = e^{-ax} e^{\left(\frac{a-1}{2}\right)t} C_1 C_2$</p> <p>(b) $u = e^{ax} e^{\left(\frac{a-1}{2}\right)t} C_1 C_2$</p>

	<p>(c) $u = e^{\frac{ax}{3}} e^{(\frac{a-5}{2})t} C_1 C_2$</p> <p>(d) $u = e^a e^{(\frac{a-1}{2})t} C_1 C_2$</p>
41)	<p>The solution of $\frac{\partial^3 z}{\partial x^2 \partial y} + \cos(x+y) = 0$ is _____</p> <p>(a) $z - \sin(x+y) = [f_3(y)]x + g(y) + h(x)$</p> <p>(b) $z + \sin(x+y) = [f_3(y)]x + g(y)x + h(x)$</p> <p>(c) $z + \sin(x+y) = [f_3(y)]x + g(y) + h(x)$</p> <p>(d) $z - \sin(x+y) = [f_3(y)]x + g(y) + yh(x)$</p>
42)	<p>The solution of $\frac{\partial^2 u}{\partial x \partial y} - y^2 = 0$ is _____</p> <p>(a) $u = [f_3(y)]x + g(y) + h(x)$</p> <p>(b) $z - \frac{xy^3}{3} + g(y) + h(x) = 0$</p> <p>(c) $z - \frac{xy^3}{3} + g(y) + yh(x) = 0$</p> <p>(d) $z = x + g(y) + yh(x)$</p>
43)	<p>The solution of $\frac{\partial^2 z}{\partial x^2} + 3x^5 + 9xy = 0$ is _____</p> <p>(a) $z + \frac{x^7}{14} + \frac{3}{2}yx^3 = xg(y) + h(y)$</p> <p>(b) $z - \frac{xy^7}{14} + g(y) + h(x) = 0$</p> <p>(c) $z - \frac{x^7}{14} + g(y) + h(x) = 0$</p> <p>(d) $z - \frac{xy^7}{14} + g(y) + yh(x) = 0$</p>
44)	

	<p>The solution of $\frac{\partial^3 z}{\partial x^3} + \sin(2x + y) = 0$ is _____</p> <p>(a) $z + \frac{\sin(x + 3y)}{27} + \frac{y^2 f_1(x)}{2} + \frac{xy^3}{6} = yf_2(x) + f_3(x)$</p> <p>(b) $z + \frac{\sin(x + 3y)}{27} + \frac{y^2 f_1(x)}{2} - \frac{xy^3}{6} = yf_2(x) + f_3(y)$</p> <p>(c) $z - \frac{\sin(x + 3y)}{27} + \frac{y^2 f_1(x)}{2} - \frac{xy^3}{6} = yf_2(x) + f_3(x)$</p> <p>(d) $z + \frac{\sin(x + 3y)}{27} + \frac{y^2 f_1(x)}{2} - \frac{xy^3}{6} = yf_2(x) + f_3(x)$</p>
45)	<p>The solution of $\frac{\partial^3 z}{\partial y^3} = \cos(x + 3y)$ is _____</p> <p>(a) $z - \frac{\cos(2x + y)}{8} + \frac{x^2 f_1(y)}{2} = xg(y) + h(y)$</p> <p>(b) $z + \frac{\cos(2x + y)}{8} + \frac{x^3 f_1(y)}{2} = xg(y) + h(y)$</p> <p>(c) $z + \frac{\cos(2x + y)}{8} + \frac{x^2 f_1(y)}{2} = xg(y) + h(y)$</p> <p>(d) $z + \frac{\cos(2x + 2y)}{8} + \frac{x^2 f_1(y)}{2} = xg(y) + h(y)$</p>
46)	<p>The partial differential equation obtained by eliminating arbitrary constants from the equation $z = (x - a)^2 + (y - b)^2 + 5$ is _____.</p> <p>(a) $2z = p^2 x + qy$</p> <p>(b) $2z = p^2 - q^2$</p> <p>(c) $4z = p^2 + q^2$</p> <p>(d) $z = px - 2qy$</p>
47)	<p>The partial differential equation obtained by eliminating arbitrary constants from the equation</p>

	$2z = \frac{x^2}{a^2} + \frac{y^2}{b^2} \text{ is } \underline{\hspace{2cm}}.$ <p>(a) $2z = px + qy$ (b) $z = 2px - 2qy$ (c) $2z = px - qy$ (d) $z = px - 2qy$</p>
48)	<p>The partial differential equation obtained by eliminating arbitrary constants from the equation</p> $z = a \log \left[\frac{b(y-1)}{(1-x)} \right] \text{ is } \underline{\hspace{2cm}}.$ <p>(a) $2z = px + qy$ (b) $z = 2px - 2qy$ (c) $p = px - qy$ (d) $p + q = qy + px$</p>
49)	<p>The partial differential equation obtained by eliminating arbitrary function from the equation</p> $z + x + y = f(x^2 + y^2 + z^2) \text{ is } \underline{\hspace{2cm}}.$ <p>(a) $(1+p)(y + zq) = (1+q)(x + zp)$ (b) $z = 2px - 2qy$ (c) $p = px - 2qy$ (d) $(1 + 2xp)(3y + zq) = (1 + 5q)(x + zp)$</p>
50)	<p>The partial differential equation obtained by eliminating arbitrary functions from the equation</p> $z = f(x) + e^y g(x) \text{ is } \underline{\hspace{2cm}}.$ <p>(a) $z_x = z_y$ (b) $z_x = 2z_y$ (c) $z_{yy} = z_y$ (d) $z_{xx} = z_y$</p>
	<p>ANSWERS</p> <p>1.a 2.c 3.b 4.c 5.a 6.b</p>

7.a
8.a
9.a
10.a
11.b
12.b
13.a
14.a
15.d
16.c
17.a
18.c
19.a
20.a
21.d
22.a
23.a
24.a
25.c
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36.a
37.b
38.d
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40.c
41.a
42.b
43.a
44.c
45.d
46.c
47.a
48.d
49.a
50.c