

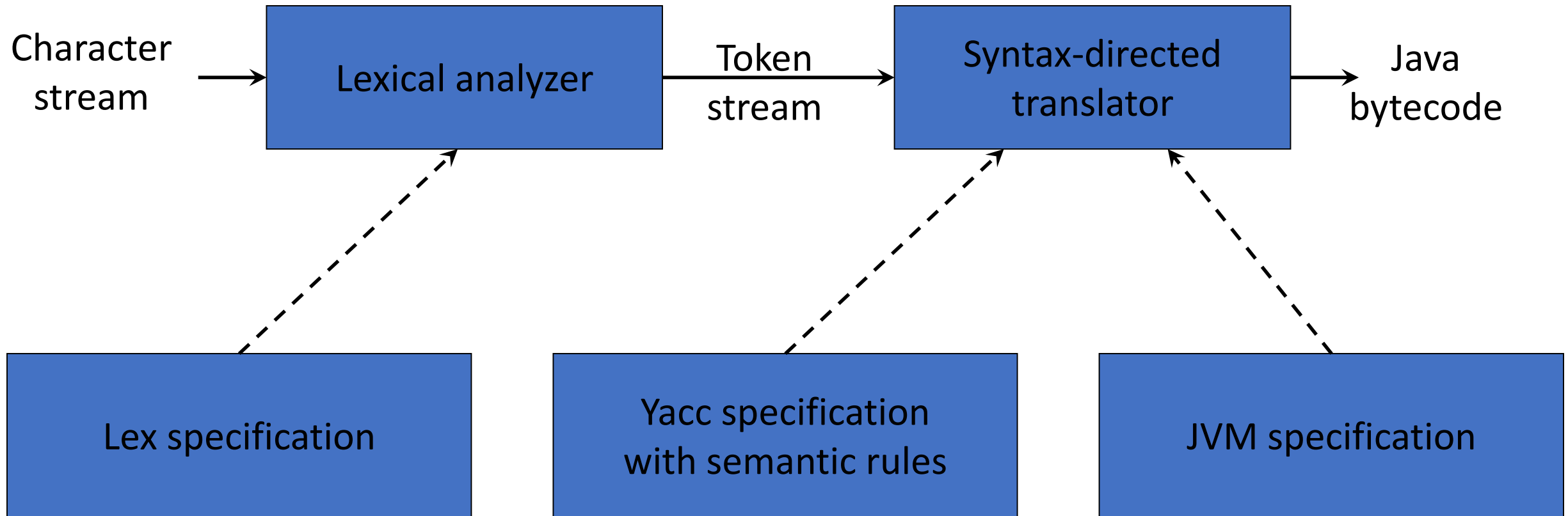
# Semantic Phase of the Compiler

# Functions of the semantic phase

$$\underline{E} \xrightarrow{\text{val}} \underline{E} + \underline{T}^{\text{val}}$$

- Converting the parse tree to an annotated parse tree
  - Syntax directed Definition (SDD)
    - Sequence of semantic rules
  - Syntax directed Translation (SDT)
    - Uses SDD to convert one representation to another
- Writing semantic rules to check for semantic correctness
- Establishing evaluation order

# The Structure of our Compiler



# Syntax-Directed Definitions

- SDD uses a CFG to specify the syntactic structure of the input
- SDD connects a set of semantic rules to productions
- Terminals and non-terminals have attributes
- A depth-first traversal algorithm is used to compute the values of the attributes in the parse tree using the semantic rules
- After the traversal is completed, the attributes contain the translated form of the input

# Example Attribute Grammar

Production

$L \rightarrow E \mathbf{n}$

$E \rightarrow E_1 + T$

$E \rightarrow T$

$T \rightarrow T_1 * F$

$T \rightarrow F$

$F \rightarrow ( E )$

$F \rightarrow \mathbf{digit}$

Semantic Rule

*print*( $E.val$ )

$E.val := E_1.val + T.val$

$E.val := T.val$

$T.val := T_1.val * F.val$

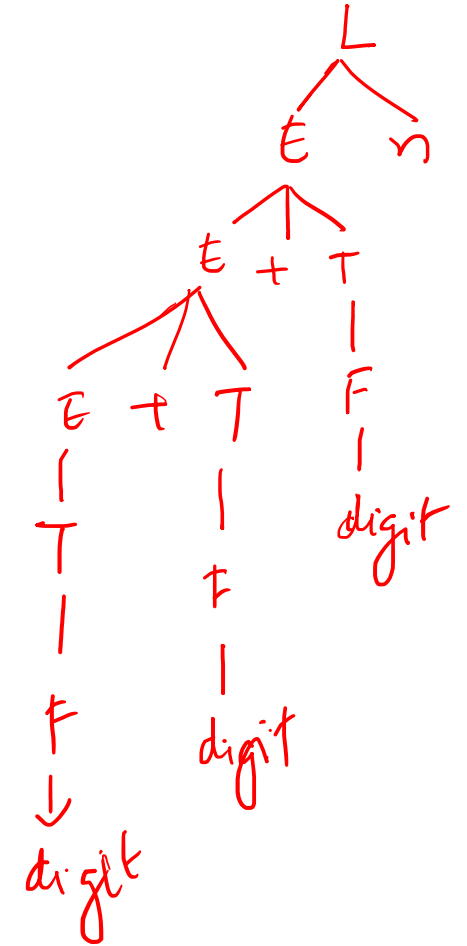
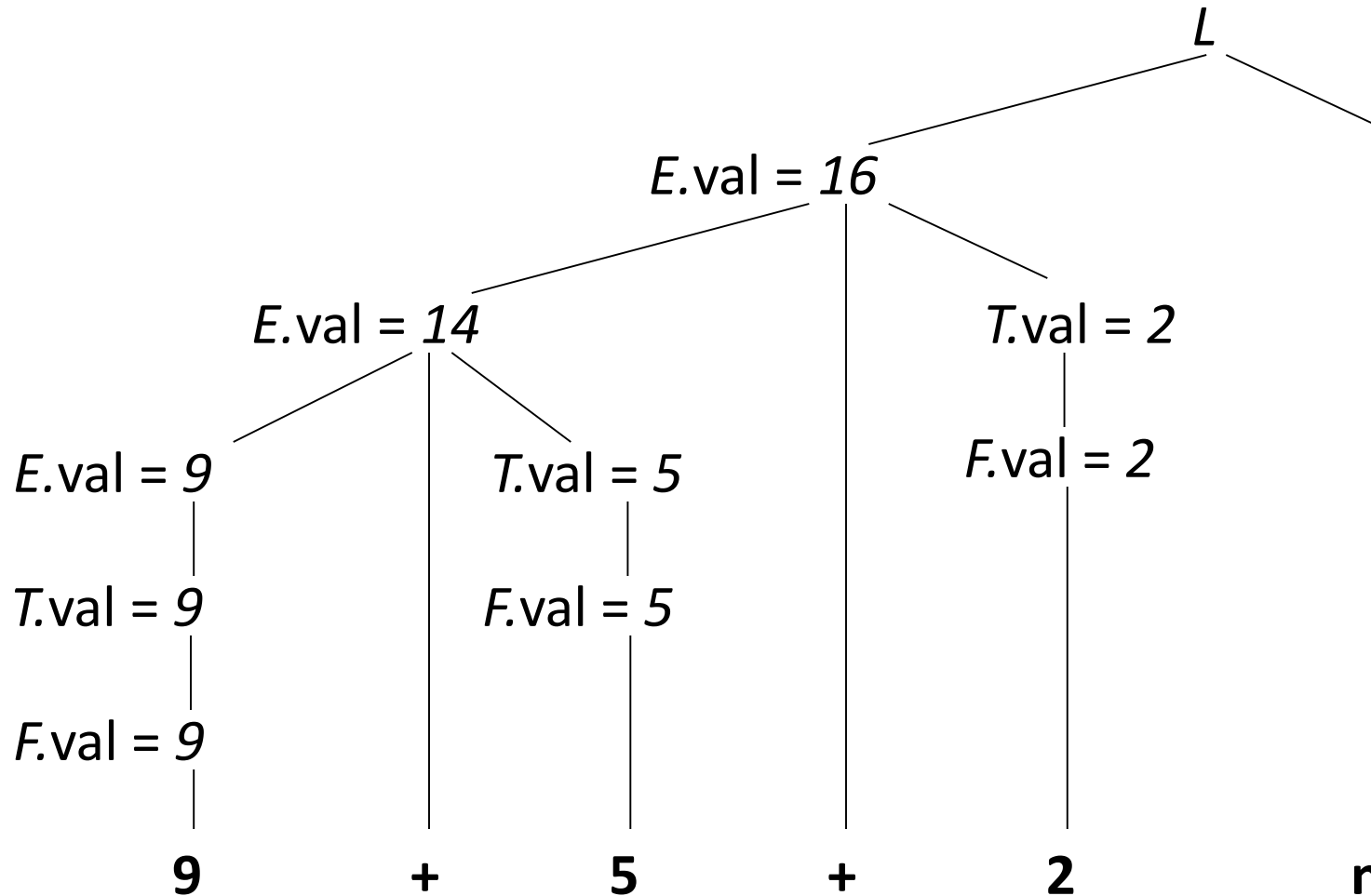
$T.val := F.val$

$F.val := E.val$

$F.val := \mathbf{digit.lexval}$

# Annotated Parse Tree

- Parse tree showing the attribute values at each node



# Annotating a Parse Tree

```
procedure visit(n : node);  
begin  
    for each child m of n, from left to right do  
        visit(m);  
    evaluate semantic rules at node n  
end
```

# Attributes

- Attribute values can represent
  - Numbers (literal constants)
  - Strings (literal constants)
  - Memory locations, such as a frame index of a local variable or function argument
  - A data type for type checking of expressions
  - Scoping information for local declarations
  - Intermediate program representations



# Synthesized Vs Inherited Attributes

- Given a production

$$A \rightarrow \alpha$$

then each semantic rule is of the form

$$b := f(c_1, c_2, \dots, c_k)$$

where  $f$  is a function and  $c_i$  are attributes of  $A$  and  $\alpha$ , and either

- $b$  is a *synthesized* attribute of  $A$
- $b$  is an *inherited* attribute of one of the grammar symbols in  $\alpha$

# Synthesized vs Inherited Attribute

- Synthesized
  - For a node N, for a non-terminal A, attributes are defined by value of the children and the node itself – terminals have only synthesized attributes
- Inherited
  - For a node N, defined by the parent, itself and siblings

# Synthesized Vs Inherited Attributes

Production

$D \rightarrow T L$

$T \rightarrow \mathbf{int}$

...

$L \rightarrow \mathbf{id}$

Semantic Rule

$L.in := T.type$

$T.type := \text{'integer'}$

...

$\dots := L.in$

inherited

synthesized

# Synthesized+Inherited Attributes

Production

$D \rightarrow T L$

$T \rightarrow \text{int}$

$T \rightarrow \text{real}$

$L \rightarrow L_1, \text{id}$

$L \rightarrow \text{id}$



Semantic Rule

$L.in := T.type$

$T.type := \text{'integer'}$

$T.type := \text{'real'}$

$L_1.in := L.in; \text{addtype}(\text{id.entry}, L.in)$

$\text{addtype}(\text{id.entry}, L.in)$



# S-Attributed Definitions

- A syntax-directed definition that uses synthesized attributes exclusively is called an *S-attributed definition* (or *S-attributed grammar*)
- A parse tree of an S-attributed definition can be annotated with a simple bottom-up traversal
- Yacc only supports S-attributed definitions

# L-Attributed Definitions

- A syntax-directed definition is *L-attributed* if each inherited attribute of  $X_j$  on the right side of  $A \rightarrow X_1 X_2 \dots X_n$  depends only on
  1. the attributes of the symbols  $X_1, X_2, \dots, X_{j-1}$
  2. the inherited attributes of  $A$

# Annotated Parse Tree

*real a, b, c*

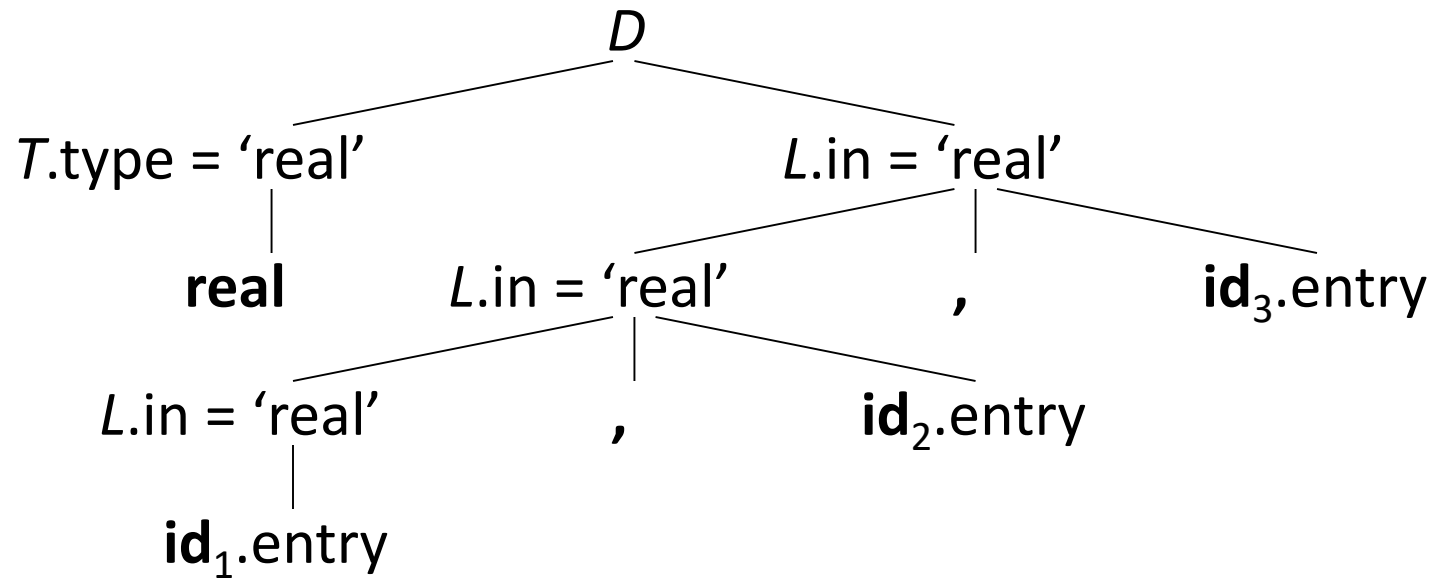
$D \rightarrow T L$

$T \rightarrow \text{int}$

$T \rightarrow \text{real}$

$L \rightarrow L_1, \text{id}$      $T.\text{type} = \text{'real'}$

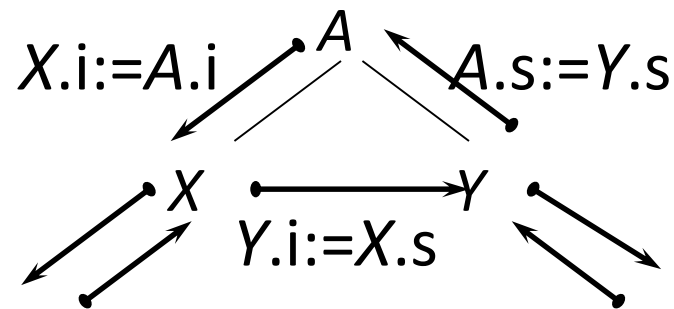
$L \rightarrow \text{id}$



# L-Attributed Definitions

- L-attributed definitions does a normal order of evaluating attributes which is depth-first and left to right

$A \rightarrow X Y$



$X.i := A.i$   
 $Y.i := X.s$   
 $A.s := Y.s$

- Every S-attributed syntax-directed definition is also L-attributed



# Annotated Parse Tree

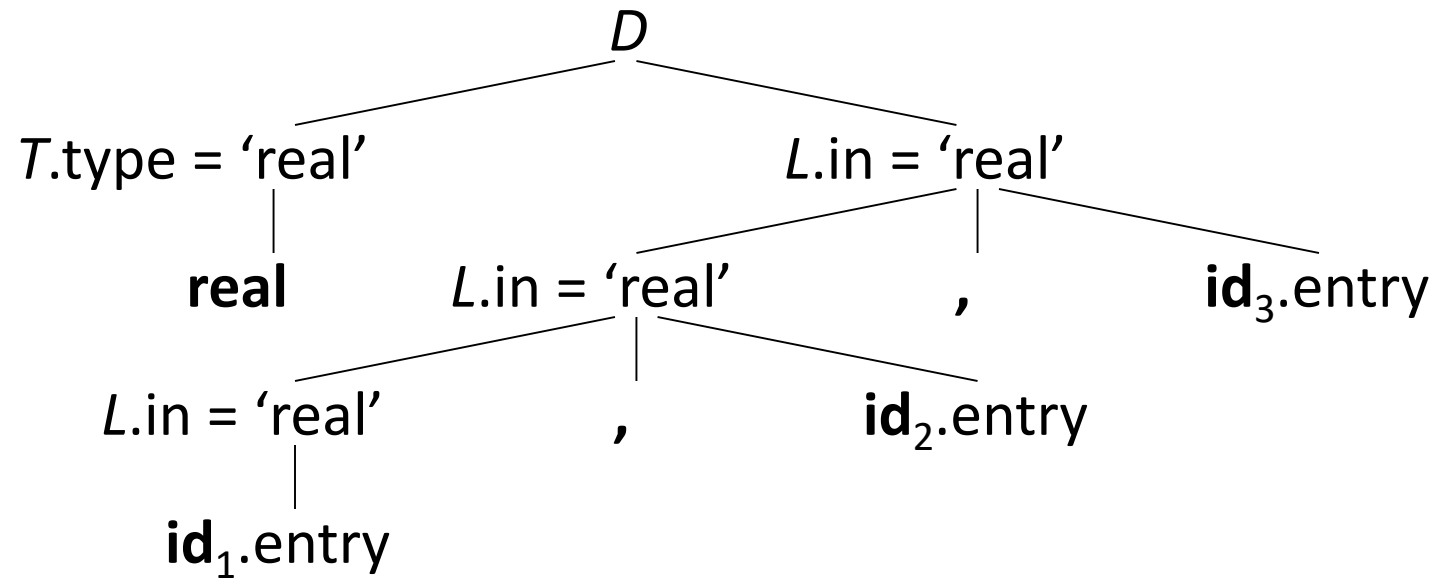
$D \rightarrow T L$

$T \rightarrow \text{int}$

$T \rightarrow \text{real}$

$L \rightarrow L_1, \text{id}$

$L \rightarrow \text{id}$

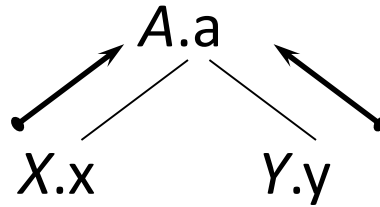


# Grammar with Synthesized + Inherited Attributes

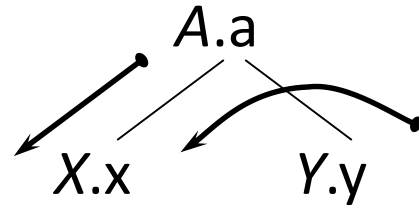
Production	Semantic Rule
$D \rightarrow T L$	$L.in := T.type$
$T \rightarrow \mathbf{int}$	$T.type := \text{'integer'}$
$T \rightarrow \mathbf{real}$	$T.type := \text{'real'}$
$L \rightarrow L_1, \mathbf{id}$	$L_1.in := L.in; addtype(\mathbf{id}.entry, L.in)$
$L \rightarrow \mathbf{id}$	$addtype(\mathbf{id}.entry, L.in)$
Synthesized:	$T.type, \mathbf{id}.entry$
Inherited:	$L.in$

# Acyclic dependence Graph

$A \rightarrow X Y$



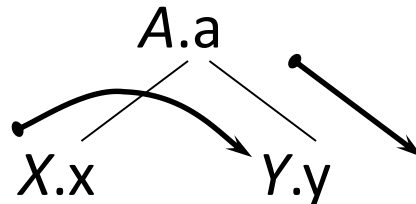
$A.a := f(X.x, Y.y)$



$X.x := f(A.a, Y.y)$

Direction of  

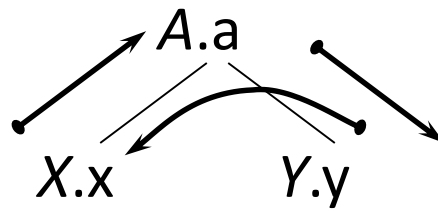

value dependence



$Y.y := f(A.a, X.x)$

# Dependency Graphs with Cycles?

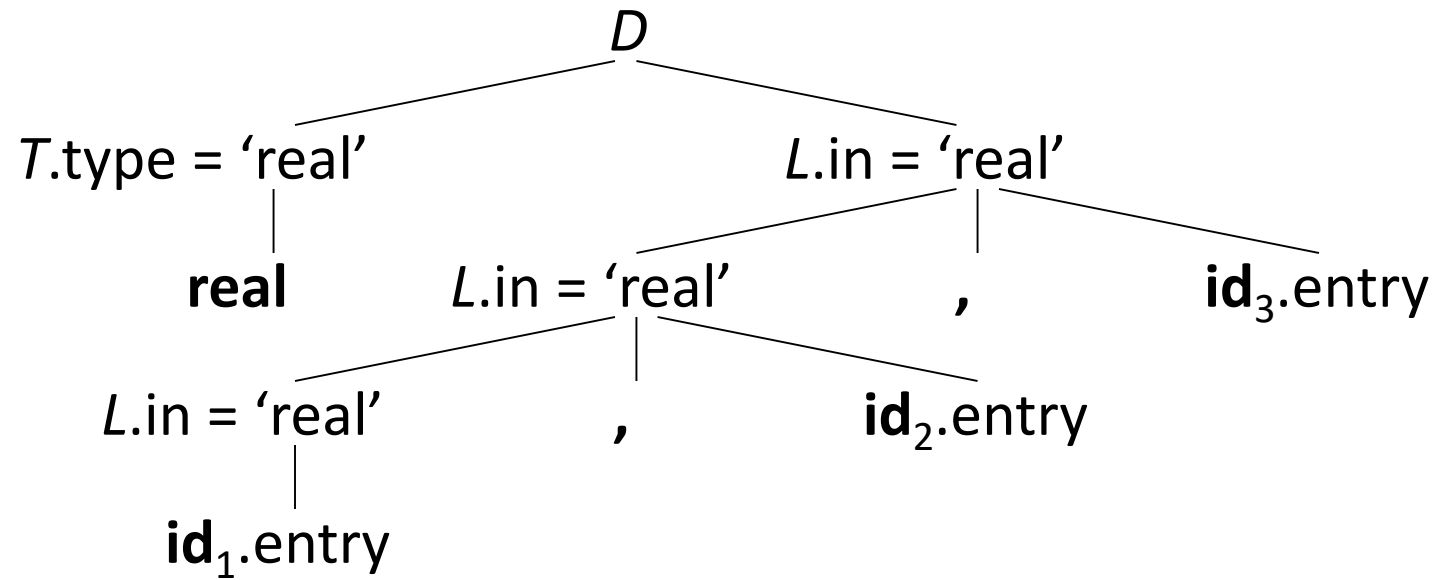
- Edges in the dependence graph show the evaluation order for attribute values
- Dependency graphs cannot be cyclic



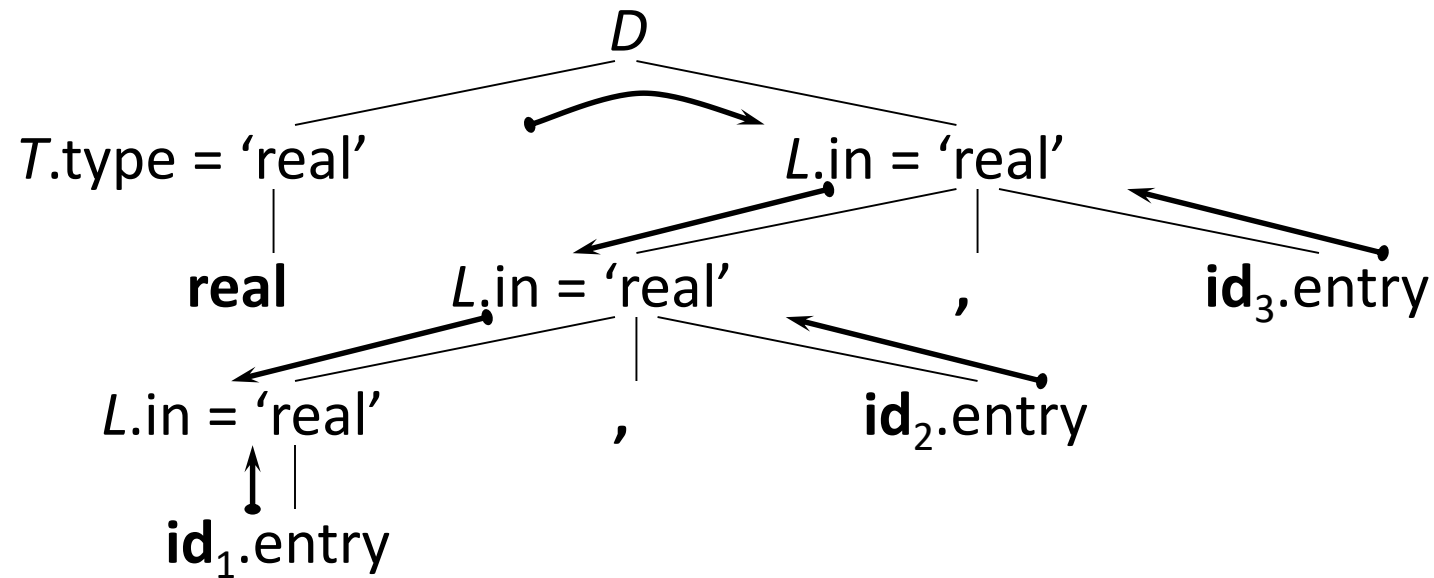
$A.a := f(X.x)$   
 $X.x := f(Y.y)$   
 $Y.y := f(A.a)$

Error: cyclic dependence

# Parse tree



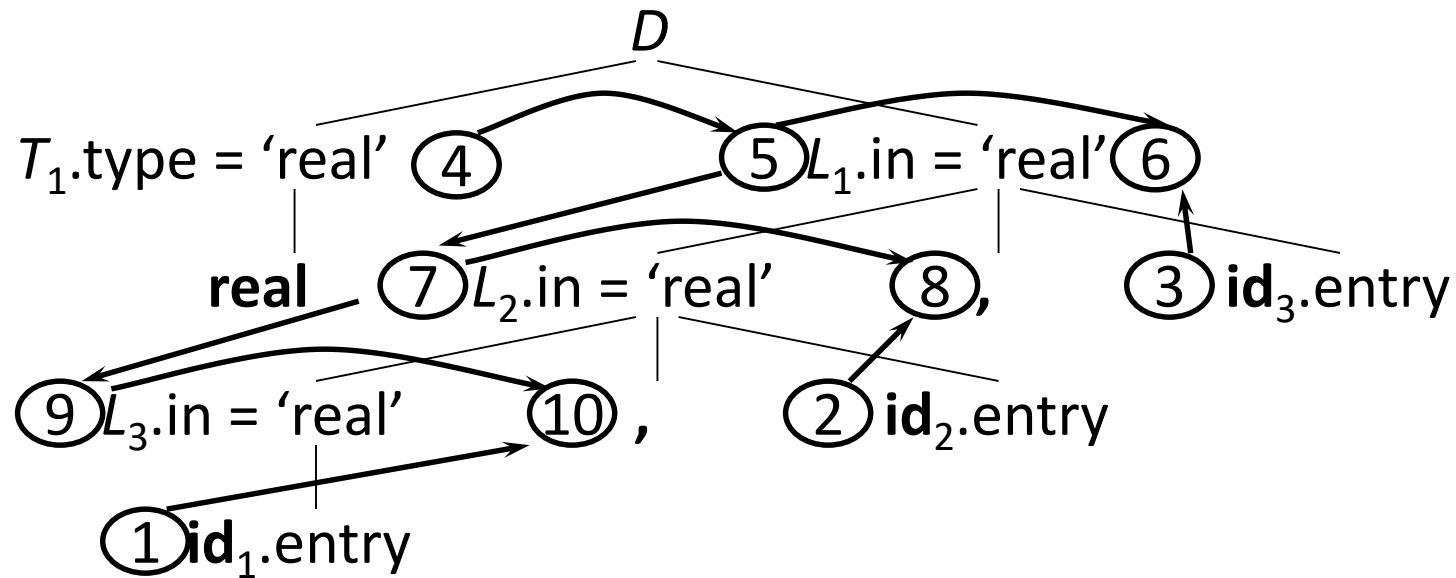
# Parse tree and dependency graph



# Evaluation Order

- A *topological sort* of a directed acyclic graph (DAG) is any ordering  $m_1, m_2, \dots, m_n$  of the nodes of the graph, such that if  $m_i \rightarrow m_j$  is an edge then  $m_i$  appears before  $m_j$
- Any topological sort of a dependency graph gives a valid evaluation order for the semantic rules

# Example Topological sorting



1. Get **id<sub>1</sub>.entry**
2. Get **id<sub>2</sub>.entry**
3. Get **id<sub>3</sub>.entry**
4. `T1.type='real'`
5. `L1.in=T1.type`
6. `addtype(id3.entry, L1.in)`
7. `L2.in=L1.in`
8. `addtype(id2.entry, L2.in)`
9. `L3.in=L2.in`
10. `addtype(id1.entry, L3.in)`



# Semantic Rules

Production

Semantic Rule

$D \rightarrow T L$

$L.in := T.type$

$T \rightarrow \mathbf{int}$

$T.type := \text{'integer'}$

$T \rightarrow \mathbf{real}$

$T.type := \text{'real'}$

$L \rightarrow L_1, \mathbf{id}$

$L_1.in := L.in; addtype(\mathbf{id}.entry, L.in)$

$L \rightarrow \mathbf{id}$

$addtype(\mathbf{id}.entry, L.in)$

# Translation Scheme

$D \rightarrow T \{ L.in := T.type \} L$

$T \rightarrow \mathbf{int} \{ T.type := \text{'integer'} \}$

$T \rightarrow \mathbf{real} \{ T.type := \text{'real'} \}$

$L \rightarrow \{ L_1.in := L.in \} L_1, \mathbf{id} \{ addtype(\mathbf{id}.entry, L.in) \}$

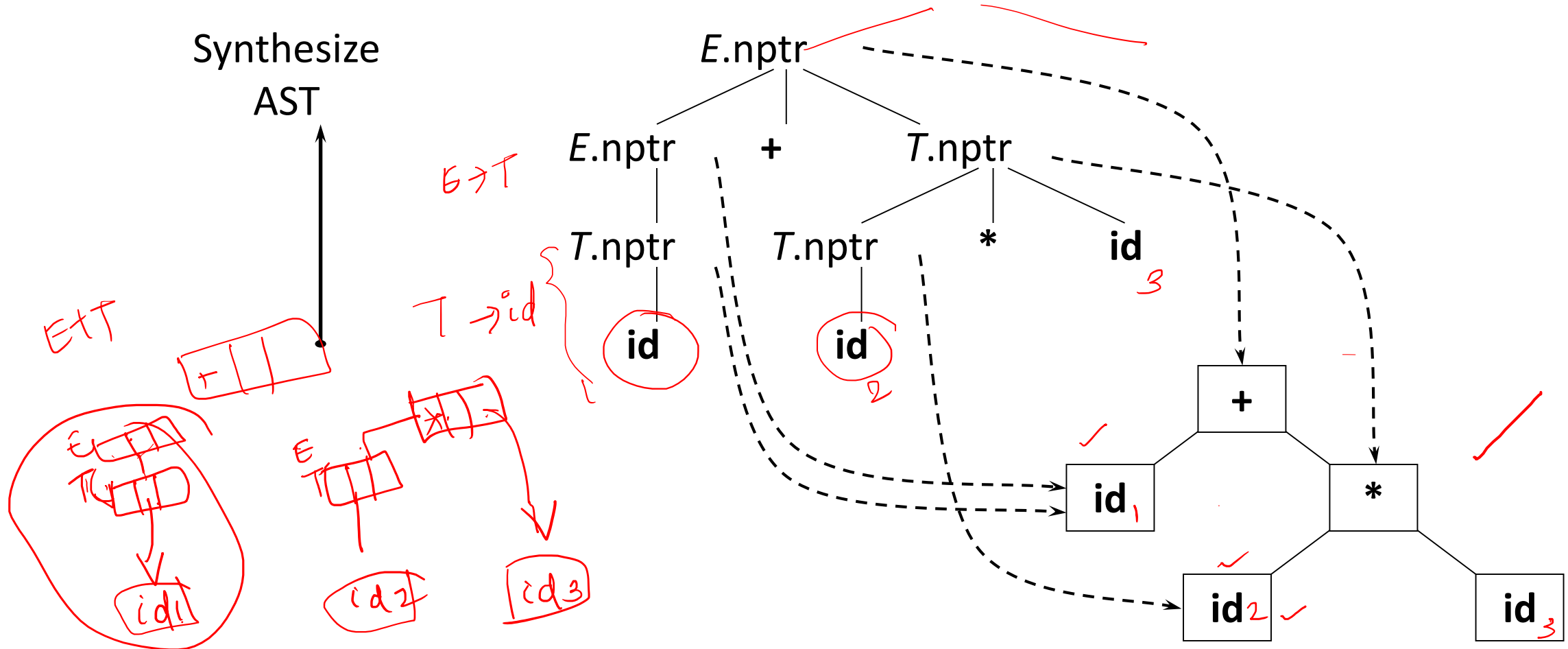
$L \rightarrow \mathbf{id} \{ addtype(\mathbf{id}.entry, L.in) \}$

# Syntax Directed Translation

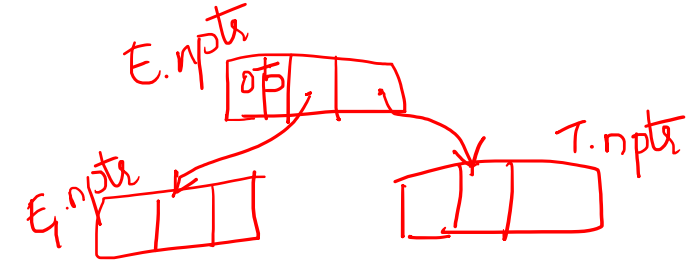
- A parse tree is called a *concrete syntax tree*
- An *abstract syntax tree* (AST) is defined by the compiler writer as a more convenient intermediate representation

# Generating Abstract Syntax Trees

$id + id * id$  ✓



# Generating syntax tree



Production

Semantic Rule

$E \rightarrow E_1 + T$

$E.nptr := \text{mknode}('+', E_1.nptr, T.nptr)$

$E \rightarrow E_1 - T$

$E.nptr := \text{mknode}('-', E_1.nptr, T.nptr)$

$E \rightarrow T$

$E.nptr := T.nptr$

$T \rightarrow T_1 * \text{id}$

$T.nptr := \text{mknode}('*', T_1.nptr, \text{mkleaf}(\text{id}, \text{id.entry}))$

$T \rightarrow T_1 / \text{id}$

$T.nptr := \text{mknode}('/', T_1.nptr, \text{mkleaf}(\text{id}, \text{id.entry}))$

$T \rightarrow \text{id}$

$T.nptr := \text{mkleaf}(\text{id}, \text{id.entry})$

$T \rightarrow T_1 * F$

$T.nptr := \text{mknode}('*', T_1.nptr, F.nptr)$

$F \rightarrow \text{id}$

$F.nptr := \text{mkleaf}(\text{id}, \text{id.entry})$

$F \rightarrow (E)$

$F.nptr = E.nptr$

# Type Checking

- Need to verify that the source program follows the syntactic and semantic conventions – Static checking
- Helps in reporting programming errors

# Static Checking

- Type Checking – operator applied to an incompatible operand
  - Example: error if array variable is added with function variable
- Flow of control check – statements that results in a branch need to be terminated correctly
  - Example: Break statements

# Static Checking

- Uniqueness check – object must be defined exactly once for some scenarios
  - Example: labels in case statements need to be unique in pascal, identifiers need to be unique
- Name-related checks – Same name appears more than once
  - Example: Ada where a name appears more than once and compiler to verify this



# Type Checking

- `int op(int) , op(float) ;`
- `int f(float) ;`
- `int a, c[10], d;`
- `d = c+d; // FAIL`
- `*d = a; // FAIL`
- `a = op(d) ; // OK: overloading (C++)`
- `a = f(d) ; // OK: coercion`
- `vector<int> v; //OK: template instantiation`

# Flow of control check

```
myfunc()  
{ ...  
  while (n)  
  { ...  
    if (i>10)  
      break; // OK  
  }  
}
```

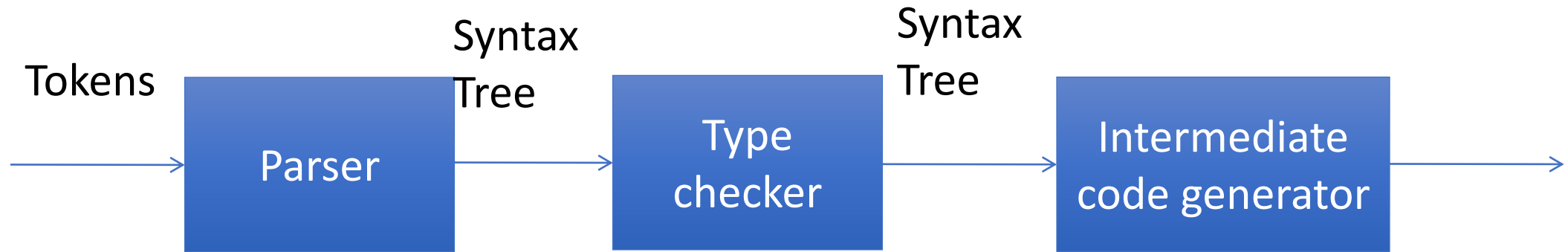
```
myfunc()  
{ ...  
  break; // ERROR  
}
```

# Uniqueness check

```
myfunc()  
{ int i, j, i; // ERROR  
  ...  
}
```

```
cnufym(int a, int a) // ERROR  
{  
  ...  
}
```

# Position of Type checker



# Type Checking

- This is carried out in semantic phase
- Type checking information added with the semantic rules
- Basic type checking is performed
- This is extended to type checking of complex attributes

# Type Checking of Expressions

- $E \rightarrow \text{literal}$       {E.type = char}
- $E \rightarrow \text{num}$       {E.type = integer}
- $E \rightarrow \text{id}$       {E.type = lookup(id.entry)}
- $E \rightarrow E_1 \text{ mod } E_2$       {E.type =  
                                {if E1.type == integer and E2.type == integer then  
                                    integer  
                                else  
                                    type\_error}}

# Type Checking of Expressions

- $E \rightarrow E1[E2]$  {E.type =  
if E2.type == integer and E1.type = array(s,t) then t  
else type\_error}

- $E \rightarrow E1 \uparrow$  {E.type =  
if E1.type = ptr(t) then t  
else type\_error}

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# Type Checking of statements

- $P \rightarrow D; S$
- $S \rightarrow \underline{id} := \overset{\sim}{E} \quad \{S.type =$ 
  - if  $id.type = E.type$  then void
  - else type\_error
- $\swarrow S \rightarrow \text{if } \nwarrow E \text{ then } \underline{S1} \quad \{S.type =$ 
  - if  $E.type = \text{boolean}$  then  $S1.type$
  - else type\_error



# Type Checking of statements

- $S \rightarrow \text{while } \underline{E} \text{ do } S1 \{ S.type =$   
if  $E.type = \text{boolean}$  then  $S1.type$   
else  $\text{type\_error}$
- $\underline{S} \rightarrow \underline{S1} ; \underline{S2} \{ S.type =$   
if  $S1.type = \text{void}$  and  $S2.type = \text{void}$ , then  $\text{void}$   
else  $\text{type\_error} \}$

   ;  
   S ;  
   ;  
/

# Type checking of functions

- $E \rightarrow \underline{E1} (\underline{E2})$   $\{E.type =$   
if  $E2.type = s$  and  $E1.type = s \rightarrow t$  then  $t$   
else  $type\_error\}$
- $T \rightarrow T1 \rightarrow T2$   $\{ T.type = T1.type \rightarrow T2.type \}$

# Type checking rules for coercions

- Coercion – Implicit type conversions done by the compiler
- Explicit type conversion – done by the programmer

`int c;`

`(float)c` ✓



# Summary

- Attributes type has been discussed
- Construction of Dependency graph
- Topological sorting for evaluation order
- Type checking