

Loops in Flow graphs

Peephole Optimization

- Examines a short sequence of target instructions in a window (peephole) and replaces the instructions by a faster and/or shorter sequence when possible
- Applied to intermediate code or target code

Typical Optimization

- Redundant instruction elimination
- Flow-of-control optimizations
- Algebraic simplifications
- Use of machine idioms

Eliminating Redundant Loads and Stores

- Consider

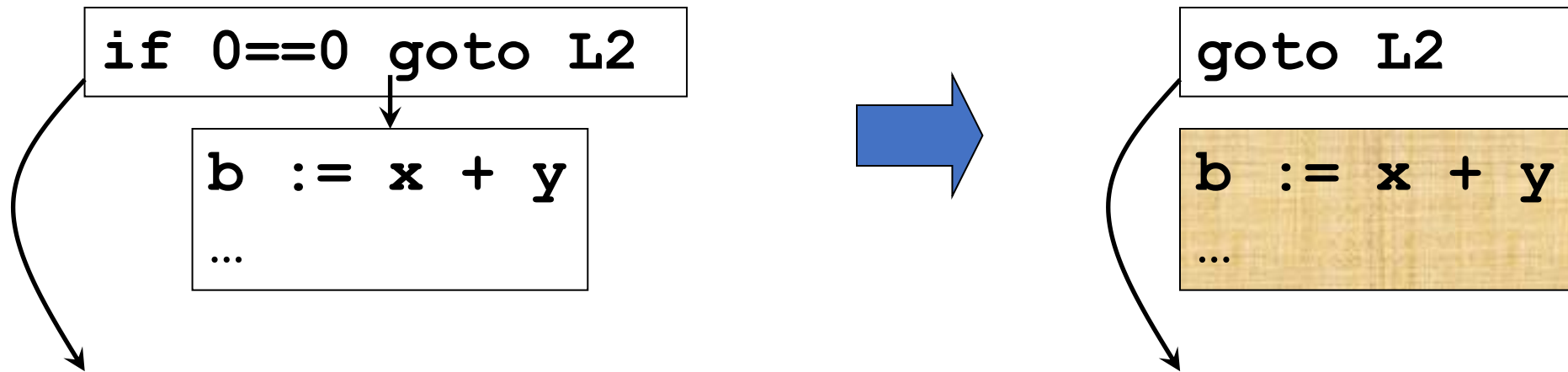
MOV R0 , a

MOV a , R0

- The second instruction can be deleted, but only if it is not labeled with a target label
 - Peephole represents sequence of instructions with at most one entry point
- The first instruction can also be deleted if *live(a)*=false

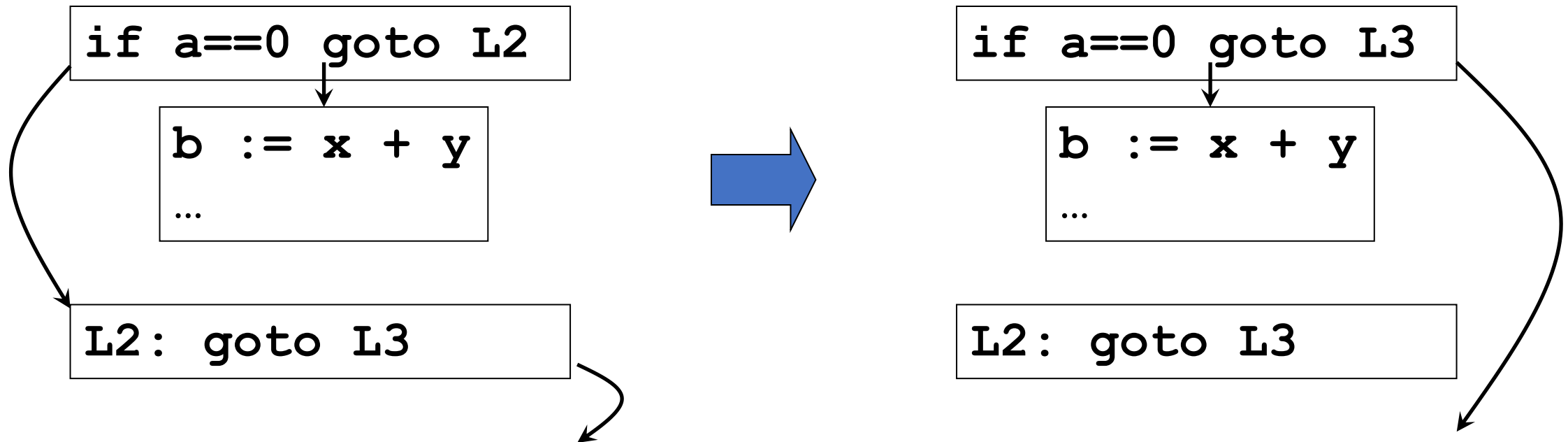
Deleting Unreachable Code

- Unlabeled blocks can be removed



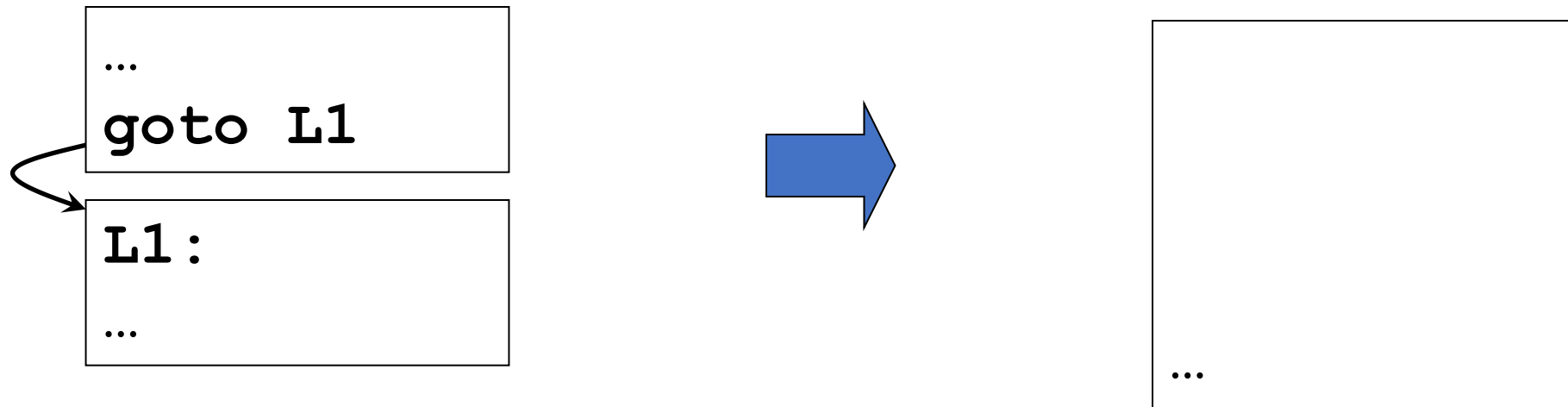
Branch Chaining

- Shorten the length of branches by modifying target labels



Flow-of-Control Optimizations

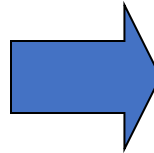
- Remove redundant jumps



Peephole Optimizations

- *Reduction in strength*: replace expensive arithmetic operations with cheaper ones

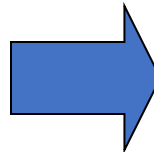
```
...  
a := x ^ 2  
b := y / 8
```



```
...  
a := x * x  
b := y >> 3
```

- Use of machine idioms

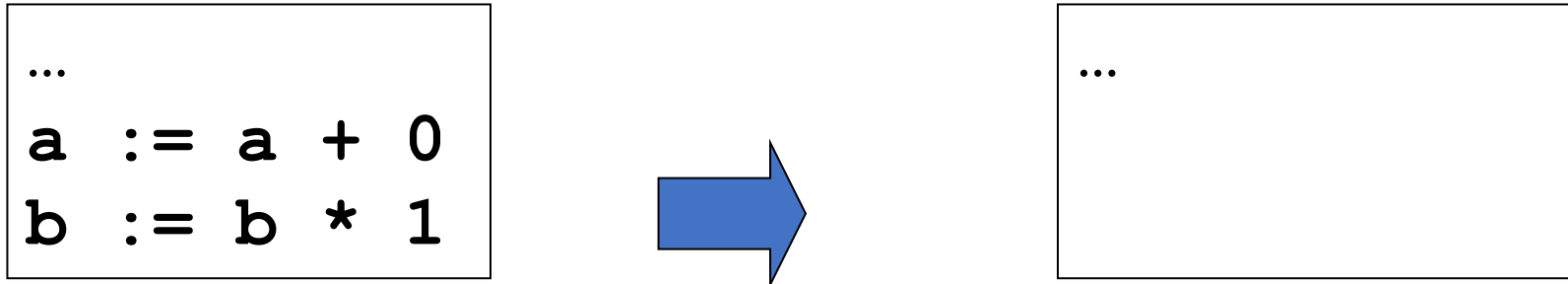
```
...  
a := a + 1
```



```
...  
inc a
```


Other Peephole Optimizations

- Algebraic simplifications



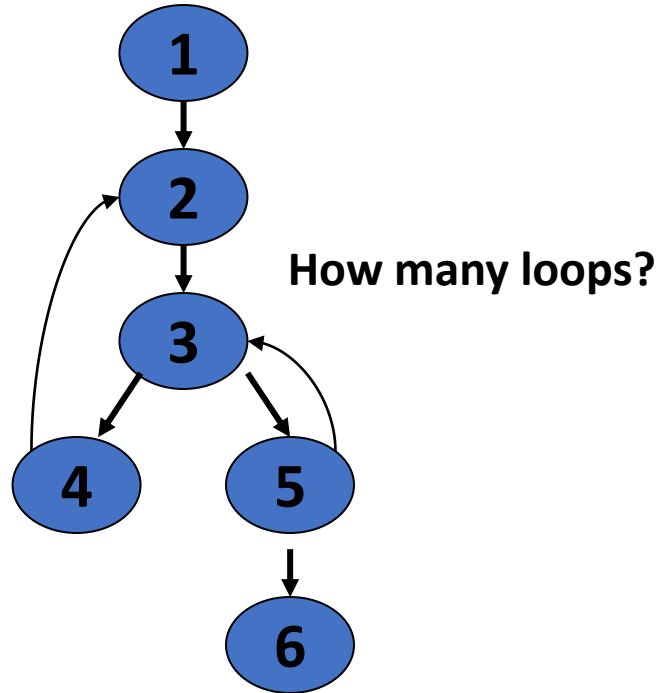
Loops

- Control Flow Graph (CFG) is a graph, which may contain loops, known as strongly-connected-components (SCC)
- Generally, a loop is a directed graph, whose nodes can reach all other nodes along some path
- This includes “unstructured” loops, with multiple entry and multiple exit points

Loops

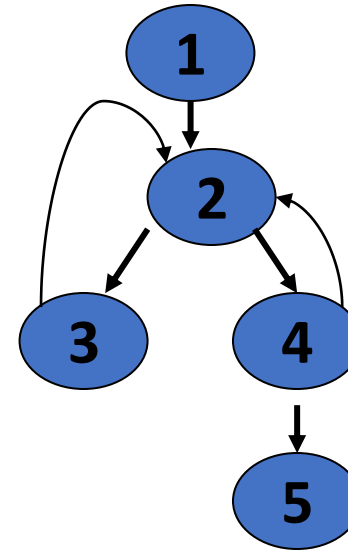
- A structured loop which is called as a normal loop has one entry point, and (generally) a single point of exit
- Loops created by mapping high-level source programs to IR or assembly code are normal
- Goto can create any loop; break creates additional exits

Loops



Unstructured

Loop: 2, 3, 4, 5



2 proper loops, one unstructured loop

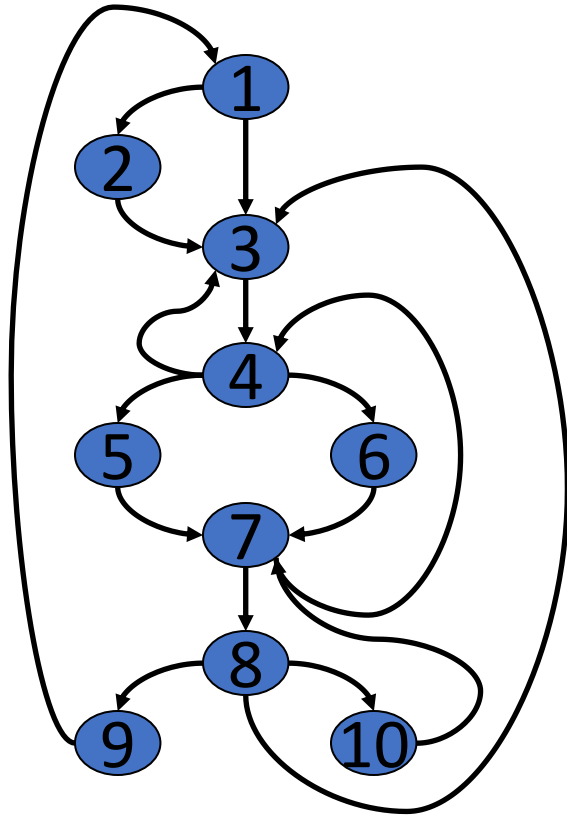
Loop1: 2, 3; Loop2: 2, 4; Loop3: 2, 3, 4

Determining Loops in Flow Graphs: Dominators

- Dominators: $d \text{ dom } n$
 - Node d of a CFG *dominates* node n if *every* path from the initial node of the CFG to n goes through d
 - The loop entry dominates all nodes in the loop
- The *immediate dominator* m of a node n is the last dominator on the path from the initial node to n
 - If $d \neq n$ and $d \text{ dom } n$ then $d \text{ dom } m$

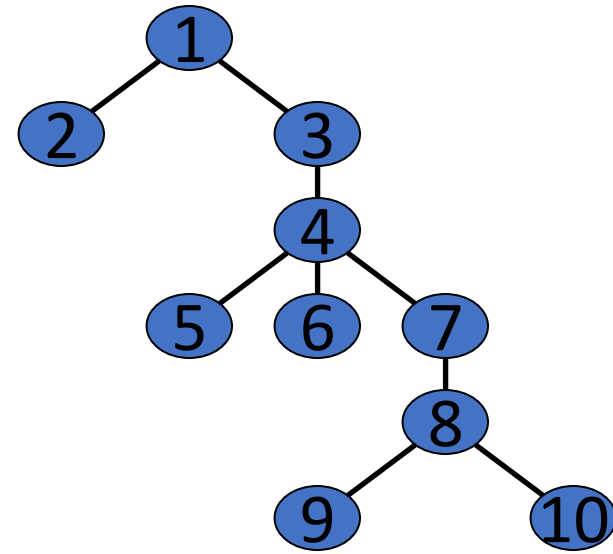
Dominator Trees

$$Loop = \{d, 7\}$$



CFG

$$\begin{aligned} n &\rightarrow d \\ 10 &\rightarrow 7 \end{aligned}$$



Dominator tree

Natural Loops

- A *back edge* is an edge $a \rightarrow b$ whose head b dominates its tail a
- Given a back edge $n \rightarrow d$
 - The *natural loop* consists of d plus the nodes that can reach n without going through d
 - The *loop header* is node d
- Unless two loops have the same header, they are disjoint or one is nested within the other
 - A nested loop is an *inner loop* if it contains no other loops

Algorithm for natural loop

- Each node in loop except for d is placed on stack and its predecessors are examined
- Input: A flow graph G and a back edge $n \rightarrow d$
- Output: The set *loop* consisting of all nodes in the natural loop of $n \rightarrow d$

Procedure (insert m)

```
{  
    if  $m$  is not in loop then  
        loop := loop  $\cup$   $\{m\}$ ;  
    push  $m$  onto stack;  
}
```


Algorithm for natural loop

stack := empty

loop := {d};

insert(n);

while stack not empty

{

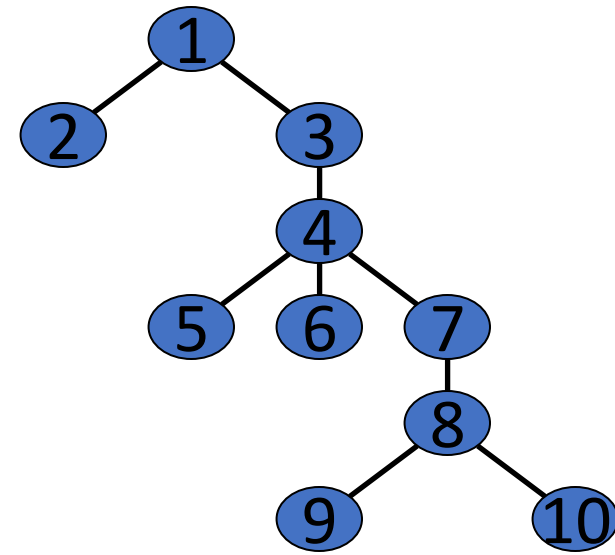
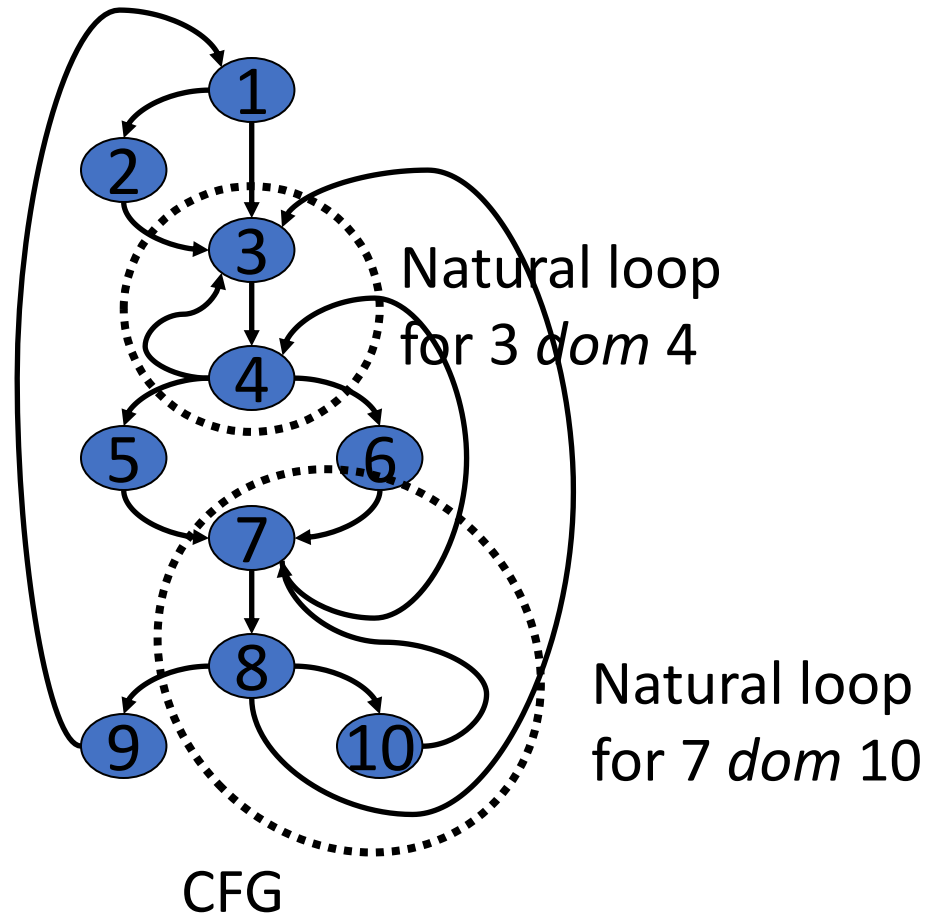
 pop m;

 for each predecessor p of m do

 insert(p);

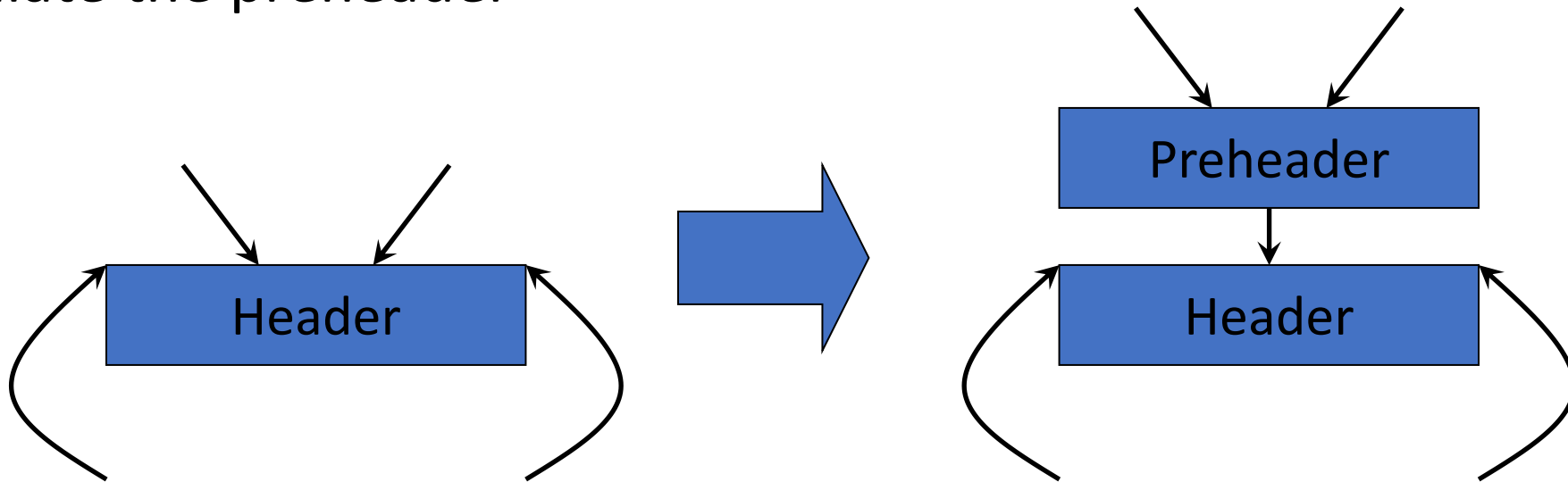
}

Natural (Inner) Loops Example



Pre-Headers

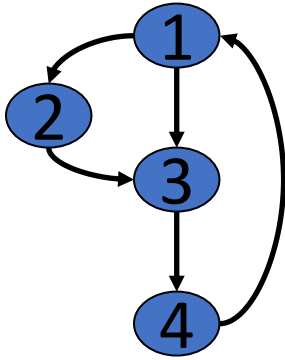
- To facilitate loop transformations, a compiler often adds a *preheader* to a loop
- Code motion, strength reduction, and other loop transformations populate the preheader



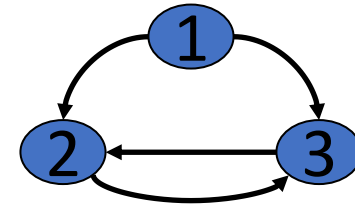
Reducible flow graphs

- Forward edges form an acyclic graph where every node can be reached from the initial node G
- Back edges consists of edges whose heads dominate their tails

Reducible flow graphs



Example of a
reducible CFG



Example of a
irreducible CFG

Structured Control flow graph

- CFG is well-structured and reducible iff all its loops are natural loops characterized by their back edges.
- In a well-structured control-flow graph there are no jumps into the middles of loops. Each loop is entered only through its header
- CFG derived from programs using structured flow-of-control statements such as if-then-else, while-do, continue, and break statements are always well-structured
- Many dataflow analysis algorithms work only on well-structured CFGs.

CFG Synthesis

- A Control Flow Graph (CFG) of some program p , named $CFG(p)$, is a static abstraction of p , in which each node represents a Basic Block (B).
- Edges connecting the nodes in CFG represent the control flow from any one basic block to its successors
- A *CFG* only represents the static control flow
- Not mandatory to store, which of 2 successors in an *If Expression* is connected by the true condition.
- Just have to show 2 successors

The CFG Algorithm `cfg_build(pc)`

- Aside from its parameter `pc`, input to the CFG Algorithm `cfg_build()` is a list of instructions `I` broken into Basic Blocks. One of these blocks holds the select entry instruction at address: `pc`
- The CFG Algorithm creates a new `cfg` node for each basic block

CFG algorithm

- For each successor s of a Basic Block(n) `cfg_build()` installs a directed edge from Basic Block(n) to s .
- During this process each BB is labeled as *reached*. At completion, all BBs are inspected; those not *reached* are filtered out as *unreachable blocks*, hence each of its instructions is *unreachable code*.
- Output of `cfg_build()` is a pointer to the *cfg* node associated with address `pc`