

1. A Queue is a FIFO data structure which does not provide direct access to its data members.
- Moreover, to pass through a queue, we would require another data structure to store the popped out {key, value} pairs, thereby greatly increasing the accestime and also the Space Complexity.
- Thus, we CANNOT use a queue for symbol table.

2.

C code:-

```
printf("The sum of %d numbers is %d", n, sum);
```

So, the tokens would be:-

1. printf
2. (
3. "The sum of %d number is %d" → String literal
4. ,
5. n
6. ,
7. sum
8.)
9. ;



3)

a) Single line comment:

$d_1 \rightarrow // . ^*$

Example: `// This code prints sum.`

b) Multi/line comment:

→ Here we need to take care of line breaks too.

Step 1: Consider the end-pairs `/* */`

$A \Rightarrow / \backslash ^* . ^* \backslash ^* /$

Now, we need to understand the middle part.

Step 2: Completing the internal part:-

$B \Rightarrow ([^*] | [\backslash n \backslash n] (\backslash ^* + ([^*] | [\backslash n \backslash n])))$

This part becomes regex for internal part. So, we call it d_2 .

Step 3: Final Regex:-

$d_3 \Rightarrow / \backslash ^* . d_2 . ^* \backslash ^* + /$

→ Combining both, we get:-

→ $d_4 \rightarrow d_3 | d_1 \Rightarrow \underline{\underline{Ans}}$

4)

Grammar:-

$$S \rightarrow Tc | Sc | c$$

$$T \rightarrow Ta | Sa | d$$

$$C \rightarrow St | Td$$

A-

$$\text{LEADING}(A) = \{a \mid A \Rightarrow ya\delta\} \rightarrow \text{First terminal in string}$$

$$\text{TRAILING}(A) = \{a \mid A \Rightarrow ya\delta\} \rightarrow \text{Last terminal in string}$$

$$\text{Terminals} \Rightarrow \{a, c, d, t\}$$

$$\text{Non-terminals} = \{S, T, C\}$$

$$\text{So, } \begin{aligned} \text{Leading}(S) &= \{c, t, d, a\} \\ \text{Leading}(T) &= \{a, d, t, c\} \\ \text{Leading}(C) &= \{t, d, c, a\} \end{aligned}$$

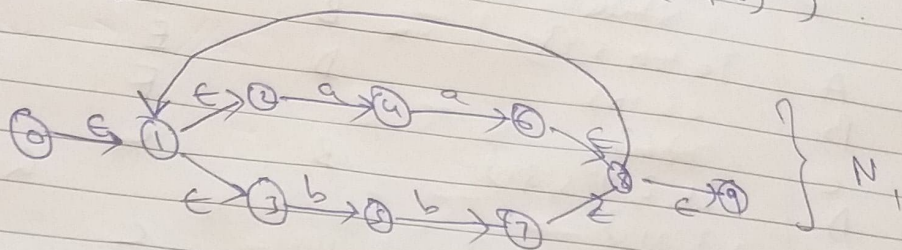
Now, for trailing,

$$\text{Trailing}(S) = \{c, t, d\}$$

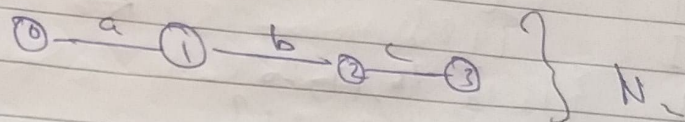
$$\text{Trailing}(T) = \{a, d\}$$

$$\text{Trailing}(C) = \{t, d\}$$

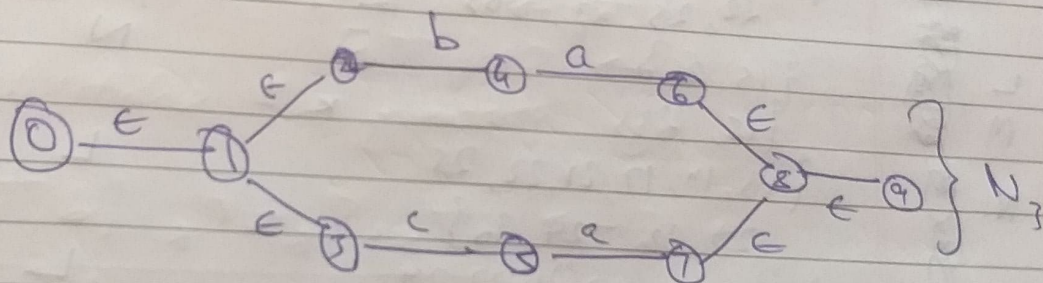
5) NFA for $(aa/bb)^* abc ((ba/ca)(cc/bb)^*)^*$



abc



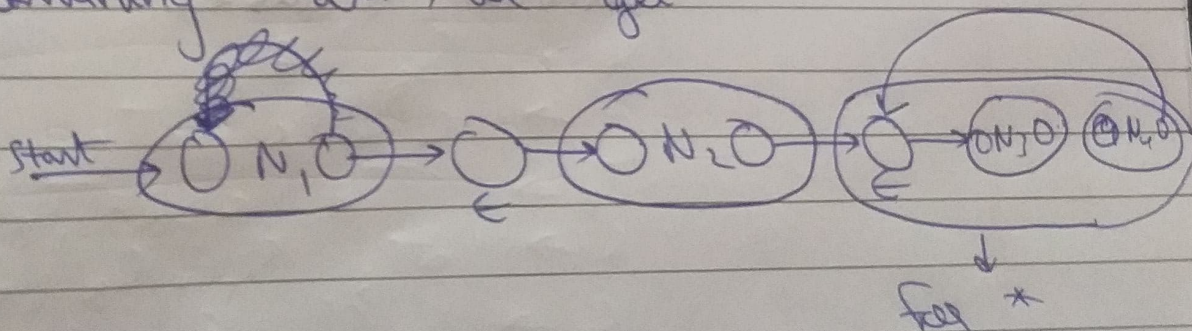
(ba/ca)



$(cc/bb)^*$

Same as $(aa/bb)^*$ with $c \rightarrow a$
 $b \rightarrow b$ } N_4

Combining all, we get.



Now, for conversion, we make state table.

	State	a	b	c
A	{0, 1, 2, 5, 8}	B	C	
B	{3, 10}	D	E	
C	{6}		F	
D	{1, 2, 4, 5, 8, 9}	B	C	G
E	{11}			
F	{1, 2, 5, 7, 8, 9}	B	C	H I
G	{12, 13, 14, 17, 30}			
H	{15}	I		
I	{18}	K		L M
J	{13, 14, 16, 17, 20, 21, 22, 25, 29, 30}			L M
K	{13, 14, 17, 19, 20, 21, 22, 25, 29, 30}	J	N	
L	{15, 26}	J	N	O
M	{18, 23}	K		L M
N	{13, 14, 17, 21, 22, 25, 27, 28, 29, 30}			L M
O	{13, 14, 17, 21, 22, 24, 25, 28, 29, 30}			

The DFA can be constructed by simply following the above transition table.

6.)
 $R \rightarrow (R) \mid CT$
 $T \rightarrow +R \mid *R \mid \epsilon$

First Follow
 $R \{ (, c \}$ $\{), \$ \}$
 $T \{ +, *, \epsilon \}$ $\{), \$ \}$

Passing Table

	()	C	+	*	\$
R	$R \rightarrow (R)$		$R \rightarrow CT$			
T				$T \rightarrow +R$	$T \rightarrow *R$	$T \rightarrow \epsilon$

let string :-
 Stack

Input

Action

\$R	$C + (C * C) \$$	$R \rightarrow CT$
\$Tc	$C * (C * C) \$$	matching pop
\$T	$* + (C * C) \$$	$T \rightarrow *R$
\$R+	$+ (C * C) \$$	matching pop
\$R	$(C * C) \$$	$R \rightarrow CR$
\$)R($(C * C) \$$	matching pop

Similarly, we can match the internal $C * C$
also Accepted

$$\begin{aligned}
 7. & \quad S \rightarrow T_c | S_c | C \rightarrow LR \\
 & \quad T \rightarrow T_a | S_a | d \rightarrow LR \\
 & \quad C \rightarrow st | T_d
 \end{aligned}$$

Ordering S, T, C

$$\begin{aligned}
 i) \quad S & \rightarrow T_c S_p | C S_p \\
 S_p & \rightarrow c S_p | \epsilon
 \end{aligned}$$

$$\begin{aligned}
 ii) \quad T & \rightarrow T_a | S_a | d \\
 \text{Substituting } S & \rightarrow T_c S_p | C S_p \\
 T & \rightarrow T_a | T_c S_p a | C S_p d
 \end{aligned}$$

$$\begin{aligned}
 T & \rightarrow C S_p T_r | d T_r \\
 T_r & \rightarrow a T_r | c S_p a T_r | \epsilon
 \end{aligned}$$

$$iii) \quad C \rightarrow st | T_d$$

by processing & substituting,

$$C \rightarrow d T_r c S_p t C_r | d T_r d C_r$$

$$\begin{aligned}
 C' & \rightarrow T_r C'' | t C_r \\
 C'' & \rightarrow c S_p t C_r | d C_r
 \end{aligned}$$

So, Final Productions:-

$$S \rightarrow T_c S_p | C S_p$$

$$S_p \rightarrow S_p | \epsilon$$

$$T \rightarrow C S_p T_r | d T_r$$

$$T_r \rightarrow a T_r | c S_p a T_r | \epsilon$$

$$C \rightarrow d T_r c S_p t C_r | d T_r d C_r$$

$$C_r \rightarrow S_r C' | \epsilon$$

$$C' \rightarrow T_r C'' | t C_r$$

$$C'' \rightarrow c S_p t C_r | d C_r$$