

→ Ex: $[1, 4, 8, 10]$, $[2, 3, 6, 7, 9]$, $k = 6$

we have to choose 6th element from sorted array

$[1, 2, 3, 4, 6, 7, 8, 9, 10]$

So, we divide the array such that we have 6 element on left side

	6	4
arr1	0	
arr2	5	

need 1 more

Now if we decide to pick 0 element from arr1, then we will have to pick all element from arr2, but we notice that arr2 have only 5 element. → so no matter what left side array count cannot be 6.

In that case, we cannot be picking 0 element from arr1, there has to be at least $6 - 5 = 1$ pick from arr1, $\therefore \text{Low} = \max(k - n, 0)$

Now Similarly, if we decide to pick 0 element from arr2, our arr1 doesnot have 6, element, it only

has 4

	6	4
arr1	4	
arr2	0	

need 2 more

So to prevent that, we cannot have 0 pick from arr2,
we need to have $6 - 4 = 2$, pick from arr2

$$\text{high} = \min(k, m)$$

↳ this will make sure that
we don't pick all elements from arr1 & pick 0 elements
from arr2

Eg: $m = 4$ $n = 5$

	b	z
1	4	
5	2	

$$\text{low} = \max(0, k - n)$$

$$= \max(0, 6 - 5) = 1$$

$$\text{high} = \min(k, m)$$

$$= \min(6, 4) = 4$$

So based on this, arr1 → will have at least 1 element
& max of 4, element

* So in that case

when arr1 = 1, arr2 = $6 - 1 = 5$, we can pick 5
element from arr2 (# all element from arr2)

* When we pick 4 element from arr1 (# all element from arr1)
then we will pick at least 2 element from arr2

$$6 - 4 = 2$$