

# Assignment

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## Task 1

Part a)

	KB	$S_1$	
①	T	T	✓
②	F	T	
③	T	T	✓
④	F	T	
⑤	F	F	
⑥	F	F	
⑦	T	T	✓
⑧	F	F	

$KB \models S_1$  ; KB entails  $S_1$  , when ever KB is true &  $S_1$  is also true.

In the above ~~diag~~ Table , for ① , ③ , ⑦ ,  $S_1$  is true when KB is True.

Thus we can say that KB entails  $S_1$

Part b) Not (KB) will entail Not ( $S_1$ ) if & only if Not( $S_1$ ) is true, <sup>when</sup> for Not (KB) is true.

Not (KB)

Not (S<sub>1</sub>)

1)	F	F	
2)	T	F	X
3)	F	F	
4)	T	F	X
5)	T	T	
6)	T	T	
7)	F	F	
8)	T	T	

From the above table, we see that there are 5 places where Not(KB) is true, But Not(S<sub>1</sub>) is not true in all those 5 places.

This means that Not(KB) does not entail Not(S<sub>1</sub>)

Summary,

KB entails S<sub>1</sub>

Not(KB) does not entail S<sub>1</sub>

②

### Task 2

There are 2 cases where KB is false

Case 1) =  $A = \text{true}, B = \text{false}, C = \text{false}, D = \text{true}$

Case 2) =  $A = \text{false}, B = \text{false}, C = \text{true}, D = \text{false}$

In all other cases KB is true.

For the given KB, Let X be the CNF

$$X = ((A \wedge \neg B \wedge \neg C \wedge D) \vee (\neg A \wedge \neg B \wedge C \wedge \neg D))'$$

$$X = ((A \wedge \neg B \wedge \neg C \wedge D)' \vee (\neg A \wedge \neg B \wedge C \wedge \neg D)')$$

$$X = ((\neg A \vee B \vee C \vee \neg D) \wedge (A \vee B \vee \neg C \vee D))$$

③

### Task 3

$$A \Leftrightarrow B$$

$$B \Rightarrow C$$

$$D \Rightarrow A$$

$$C \text{ And } E \Rightarrow F$$

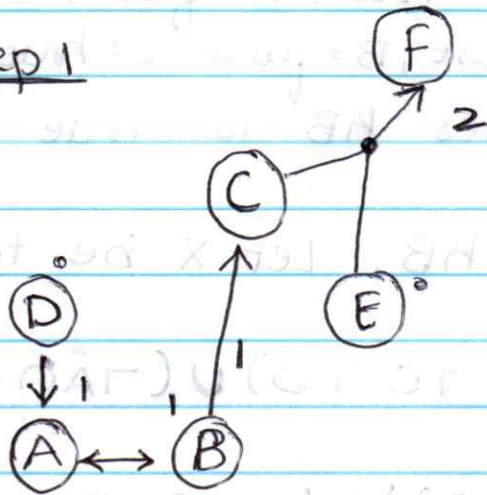
E

D



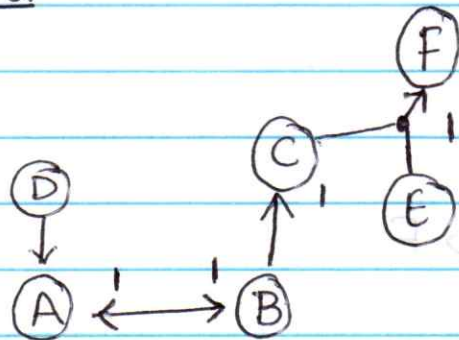
## i) Forward chaining

Step 1



Initially Arc D & E have Value zero. Then in next Step Reduce the Arc value which has E as a starting point.

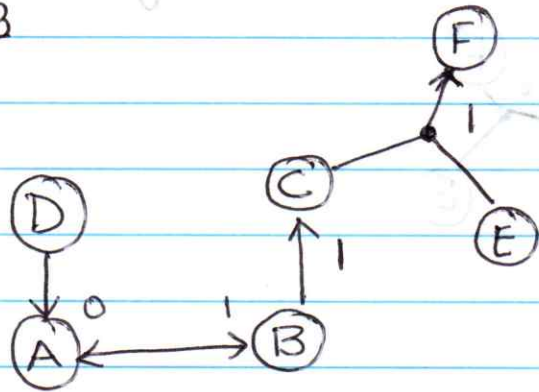
Step 2



Now here we see D has Value zero. So Reduce the Value of Arch which

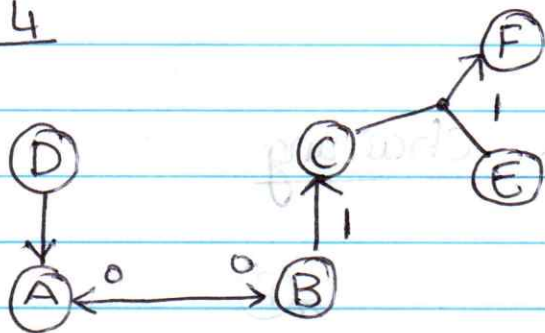
has D as starting point.

Step 3



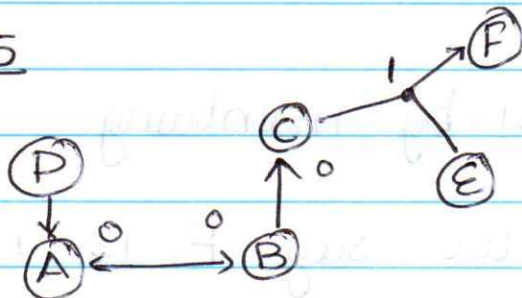
here A has Value zero, reduce the Value of Arc which has A as Starting point.

Step 4

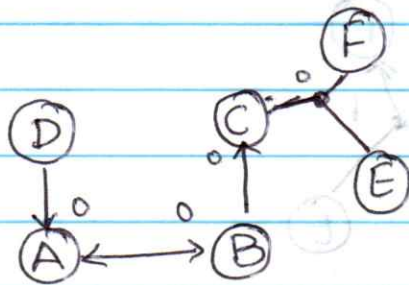


here B has Value zero, reduce the Value of Arc with B as starting point

Step 5



here C has Value zero, now reduce the Arc, with C as a starting point

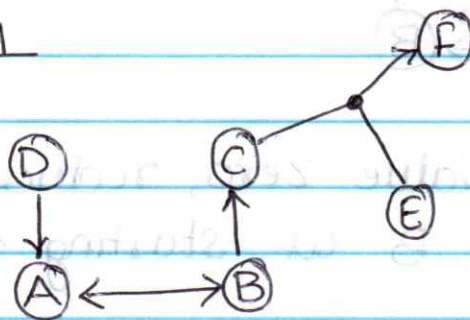


Finally F becomes zero,

Thus we can say that KB entails F

## ii) Backward Chaining

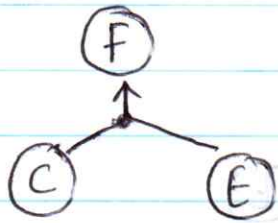
Step 1



we start by maintaining goal stack.

Initially we say F is true

So next we will see for the Rule that result in F being True

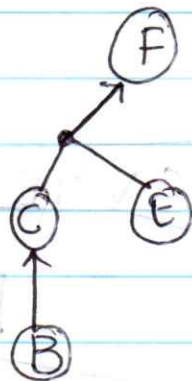


Now we add C & E to the stack

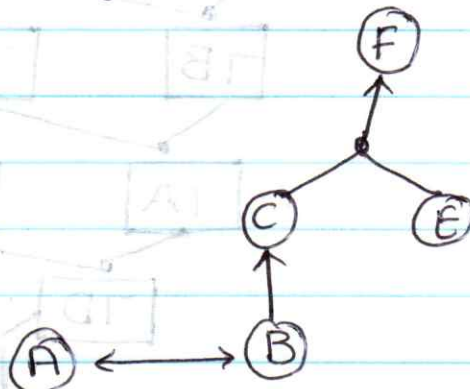
E is already True

We will Look for result that make C true

So now we add B to stack

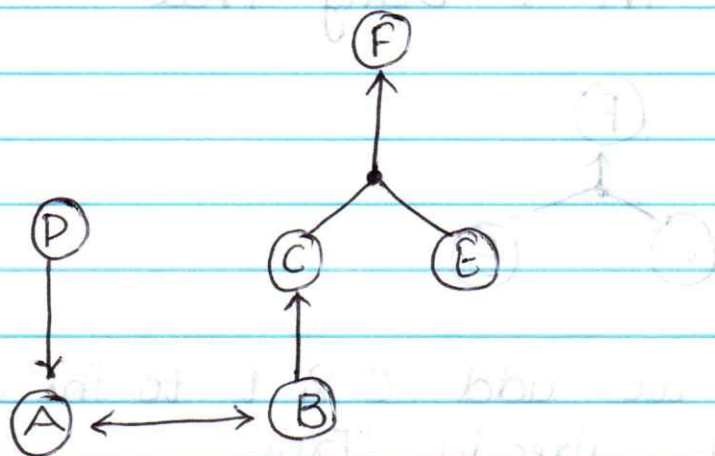


Similarly A is added to stack





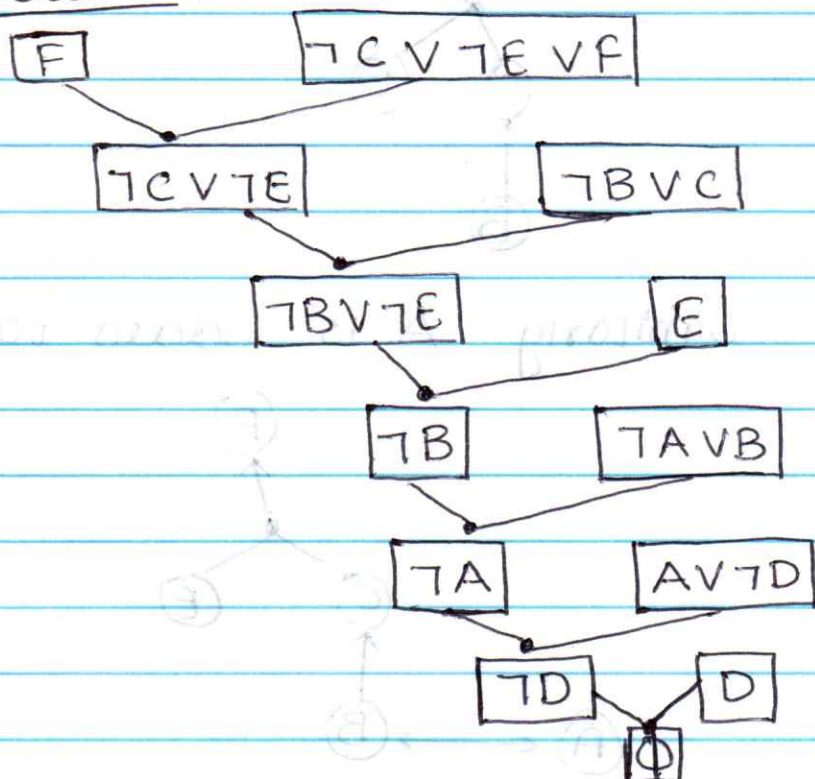
Now we add D to the stack.



Thus we can say "KB entails F"

iii)

Resolution





#### ④ Task 4

① Constants: John, Mary, May 1 2017, May 2 2017  
\$10000, May 3 2017

Predicates :-  $\text{rain}(x)$  - rains on  $x$   
 $\text{give}(w, x, y, z)$  -  $w$  give  $y$  to  $x$  on  $z$   
 $\text{mow}(x, y)$  -  $x$  mow lawn on  $y$

Contract

$\text{rain}(\text{May 1 2017}) \Rightarrow \text{give}(\text{John, Mary, Check of \$10000, May 2 2017})$

$\text{give}(\text{John, Mary, Check of \$10000, May 2 2017})$   
 $\Rightarrow \text{Mow}(\text{Mary, May 3 2017})$

② What truly happend :

$\neg \text{rain}(\text{May 1, 2017})$

$\text{give}(\text{John, Mary, Check of \$10000, May 2 2017})$   
 $\text{mow}(\text{Mary, May 3 2017})$

c) No, the Contract was not violated as per FOL because first Event is always true & Event give & mow took place.

(d) Taking Constant & predicate from part a)

Contract

$\text{rain}(\text{may } 1 \text{ } 2017) = A$

$\text{give}(\text{John, Mary, \$10000, May } 2 \text{ } 2017) = B$

$\text{mow}(\text{Marry, May } 3 \text{ } 2017) = C$

Conversion

$A \Rightarrow B$

$B \Rightarrow C$

Conversion for what actually happend

$\neg A$

B

C

## Task 5

⑤

### Predicates

Adult(x) : x is adult

Child(x) : x is child

Boat(x) : x is boat

Onleft(x) : x is on left side.

Onright(x) : x is on right side.

### Initial state

$\text{Boat}(b) \wedge \text{Onleft}(b) \wedge \text{Child}(c_1) \wedge \text{Onleft}(c_1) \wedge \text{Child}(c_2) \wedge \text{Onleft}(c_2) \wedge \text{Child}(c_3) \wedge \text{Onleft}(c_3) \wedge \text{Adult}(a_1) \wedge \text{Onleft}(a_2) \wedge \text{Adult}(a_2) \wedge \text{Onleft}(a_2) \wedge \text{Adult}(a_3) \wedge \text{Onleft}(a_3)$

### Goal state

$\text{Onright}(b) \wedge \text{Child}(c_1) \wedge \text{Onright}(c_1) \wedge \text{Child}(c_2) \wedge \text{Onright}(c_2) \wedge \text{Child}(c_3) \wedge \text{Onright}(c_3) \wedge \text{Adult}(a_1) \wedge \text{Onright}(a_2) \wedge \text{Adult}(a_2) \wedge \text{Onright}(a_2) \wedge \text{Adult}(a_3) \wedge \text{Onright}(a_3)$



## Operation

Action: move right two (x, y, b)  
precondition:  $\text{Child}(x) \wedge \text{Child}(y) \wedge \text{onlyt}(x) \wedge \text{onlyt}(y) \wedge \text{onlyt}(b) \wedge \text{boat}(b)$   
Effects:  $\text{Onright}(x) \wedge \text{Onright}(y) \wedge \text{Onright}(b) \wedge \text{not}(\text{onlyt}(x)) \wedge \text{not}(\text{onlyt}(y)) \wedge \text{not}(\text{onlyt}(b))$

Action: move right (x, b)  
precondition:  $\text{onlyt}(x) \wedge \text{onlyt}(b) \wedge \text{boat}(b)$   
Effects:  $\text{Onright}(x) \wedge \text{Onright}(b) \wedge \text{not}(\text{onlyt}(x)) \wedge \text{not}(\text{onlyt}(b))$

Action: move right two (x, y, b)  
precondition:  $\text{Child}(x) \wedge \text{Adult}(y) \wedge \text{onlyt}(x) \wedge \text{onlyt}(y) \wedge \text{onlyt}(b) \wedge \text{Boat}(b)$   
Effects:  $\text{Onright}(x) \wedge \text{Onright}(y) \wedge \text{Onright}(b) \wedge \text{not}(\text{onlyt}(x)) \wedge \text{not}(\text{onlyt}(y)) \wedge \text{not}(\text{onlyt}(b))$

Action: move left two (x, y, b)  
precondition:  $\text{Child}(x) \wedge \text{Child}(y) \wedge \text{onright}(x) \wedge \text{onright}(y) \wedge \text{onright}(b) \wedge \text{Boat}(b)$   
Effects:  $\text{onlyt}(x) \wedge \text{onlyt}(y) \wedge \text{onlyt}(b) \wedge \text{not}(\text{onright}(x)) \wedge \text{not}(\text{onright}(y)) \wedge \text{not}(\text{onright}(b))$



Action: move left (x b)

precondition:  $\text{Onright}(x) \wedge \text{Onright}(b) \wedge \text{Boat}(b)$

Effect:  $\text{Onlyt}(x) \wedge \text{Onlyt}(b) \wedge \text{not}(\text{Onright}(x)) \wedge \text{not}(\text{Onright}(b))$

Action: move left two (x y b)

precondition:  $\text{Child}(x) \wedge \text{adult}(y) \wedge \text{Onright}(x) \wedge \text{Onright}(y) \wedge \text{Onright}(b) \wedge \text{boat}(b)$

Effect:  $\text{Onlyt}(x) \wedge \text{Onlyt}(y) \wedge \text{Onlyt}(b) \wedge \text{not}(\text{Onright}(x)) \wedge \text{not}(\text{Onright}(y)) \wedge \text{not}(\text{Onright}(b))$

## Complete Plan

move left two (c<sub>1</sub>, c<sub>2</sub>, b)

move right (c<sub>1</sub>, b)

move left (c<sub>1</sub>, b)

move right two (c<sub>1</sub>, a<sub>1</sub>, b)

move left (c<sub>1</sub>, b)

move right two (c<sub>1</sub>, a<sub>2</sub>, b)

move left (c<sub>1</sub>, b)

move right two (c<sub>1</sub>, a<sub>3</sub>, b)

move left (c<sub>1</sub>, b)

move right (c<sub>1</sub>, c<sub>3</sub>, b)

## ⑥ Task 6

In JUNGLE World there are

4 predicates

4 arguments

5 constants.

4 predicates take [1 4] arguments.

Number of ways to assign 5 constant  
=  $\begin{bmatrix} 4 \times 5^1 & 4 \times 5^4 \\ 20 & 2500 \end{bmatrix}$

The PDDL state is defined by listing all the predicates that are true

For  $n$  predicates, the possible states are

$$n c_0 + n c_1 + n c_2 + \dots + n c_n = \sum_{i=0}^n n c_i = 2^n$$

$\therefore$  tight bound on the number of State in JUNGLE World is

$$\begin{bmatrix} \sum_{i=0}^{20} 20 c_i & \sum_{i=0}^{2500} 2500 c_i \end{bmatrix} \\ = \begin{bmatrix} 2^{20} & 2^{2500} \end{bmatrix}$$



## 7) Task 7

- Execution Monitoring / Online Replanning :-

For this there is no need to make any modification as it would replan the entire Scenario.

If the goal of an action is not satisfied then the system replans the flow again from the current state

- Conditional planning :-

For this we need to modify

Action: move right (x, b)

Pre Condition:  $\text{Onlyt}(x) \wedge \text{Onlyt}(b) \wedge \text{Boat}(b)$

Effect :  $(\text{Onright}(x) \wedge \text{Onright}(b) \wedge \text{not}(\text{Onlyt}(x) \wedge \text{not}(\text{Onlyt}(b)))) \vee (\text{Onlyt}(x) \wedge \text{Onlyt}(b))$

Action: move left (x, b)

pre condition:  $\text{Onright}(x) \wedge \text{Onright}(b) \wedge \text{boat}(b)$

Effect:  $(\text{Onlyt}(x) \wedge \text{Onlyt}(b) \wedge \text{not}(\text{Onright}(x) \wedge \text{not}(\text{Onright}(b)))) \vee (\text{Onright}(x) \wedge \text{Onright}(b))$