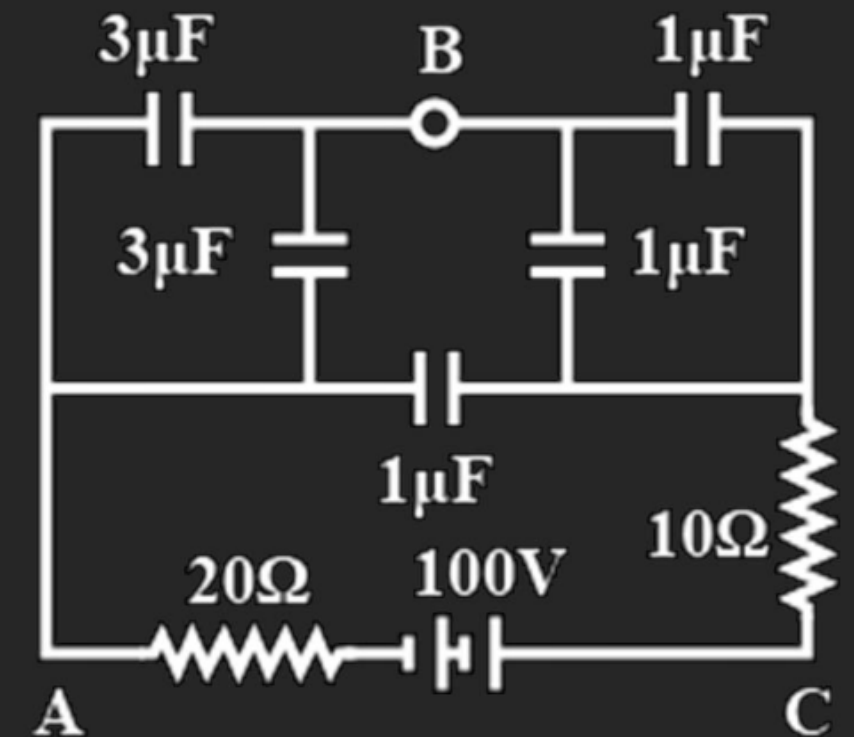




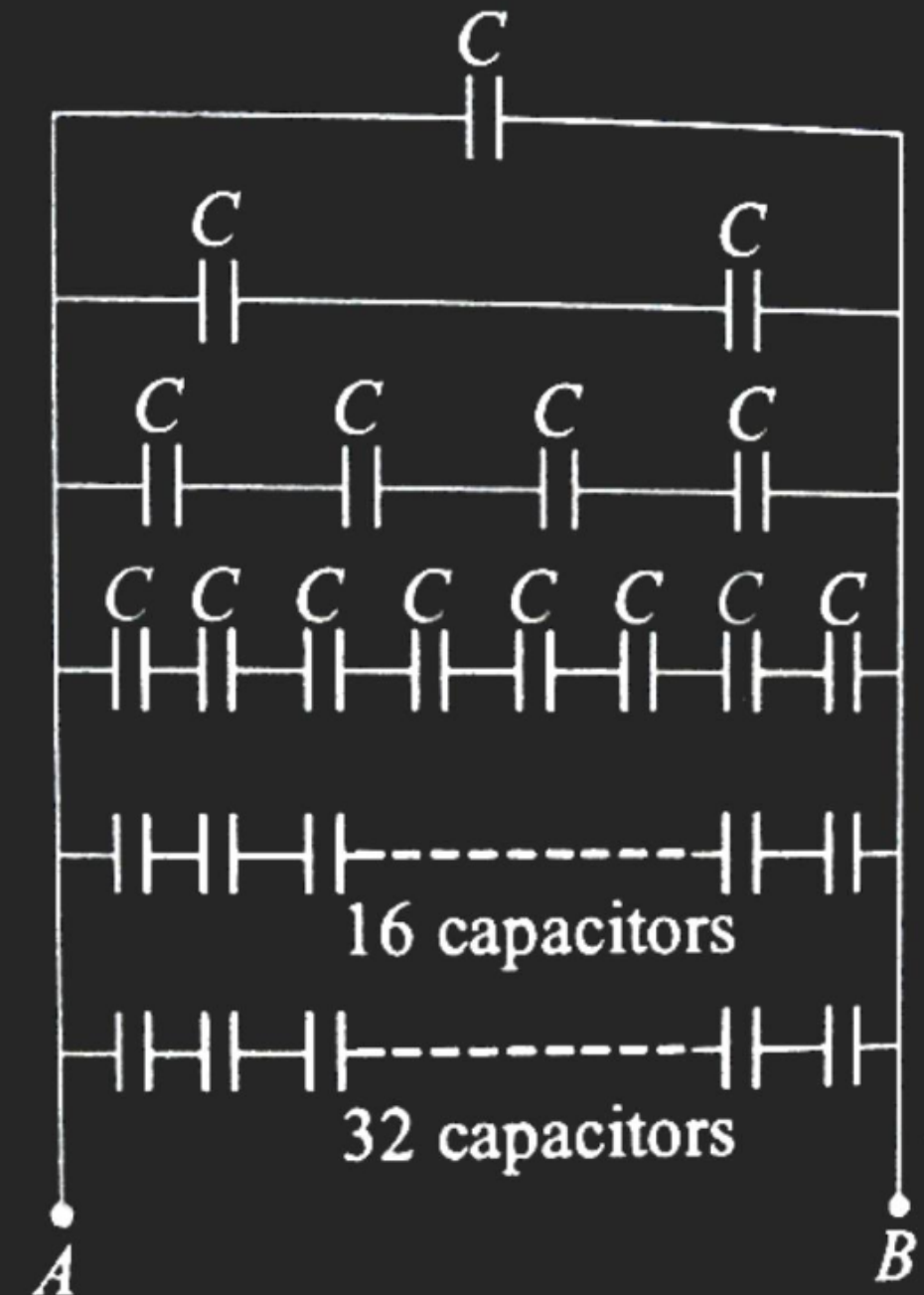
# Equivalent capacitance (Symmetry) CAPACITOR

Q.1 *H.W.* In circuit shown in figure calculate the potential difference between the points A and B and between the points B and C in the steady state.



# Equivalent capacitance (Symmetry) CAPACITOR

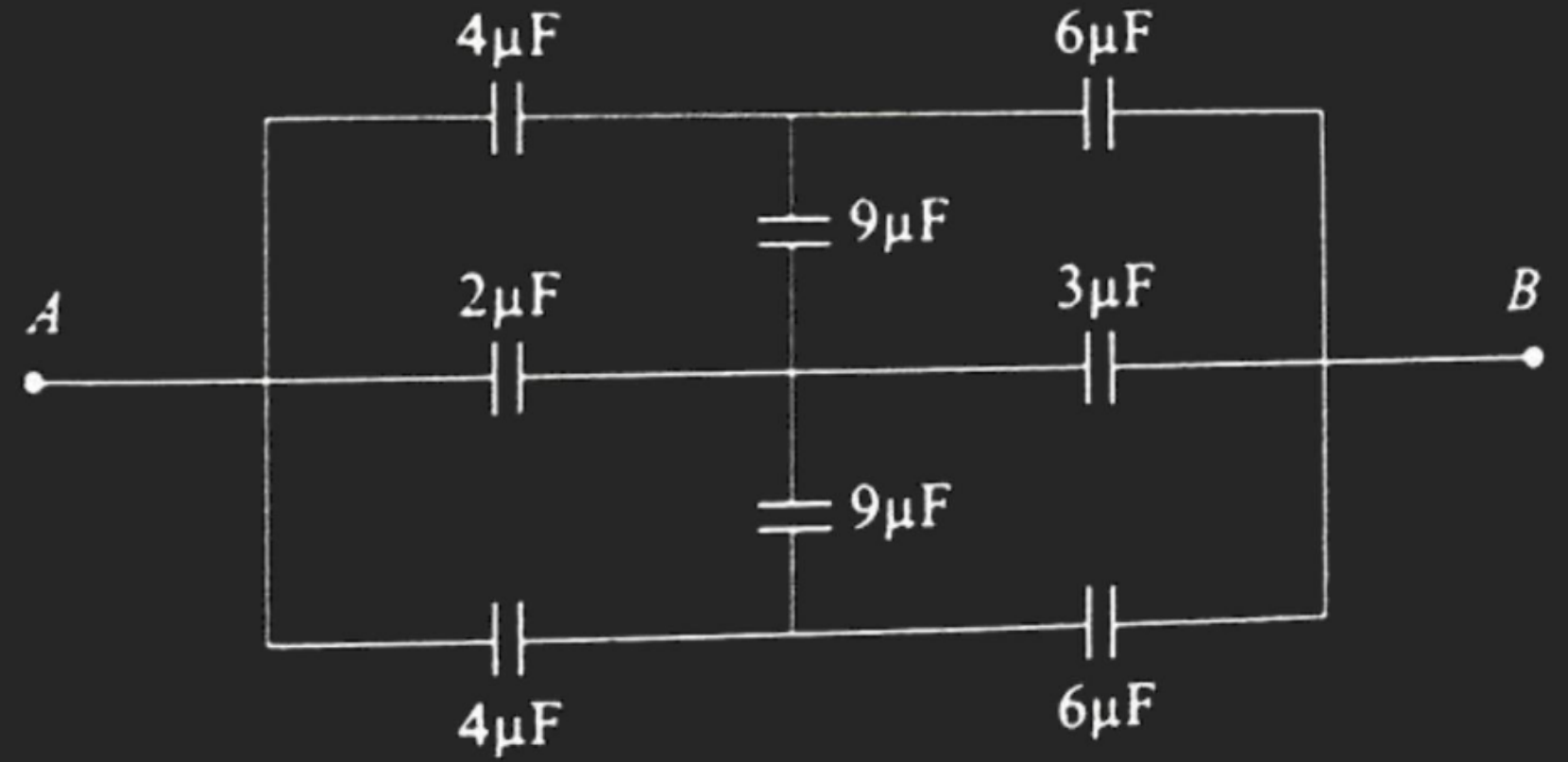
- (iii) *H.W.* Infinite number of identical capacitors each of capacitance  $1\mu\text{F}$  are connected as shown in figure. Find the equivalent capacitance of system between the terminals A and B shown in figure.



**Equivalent capacitance (Symmetry) CAPACITOR**

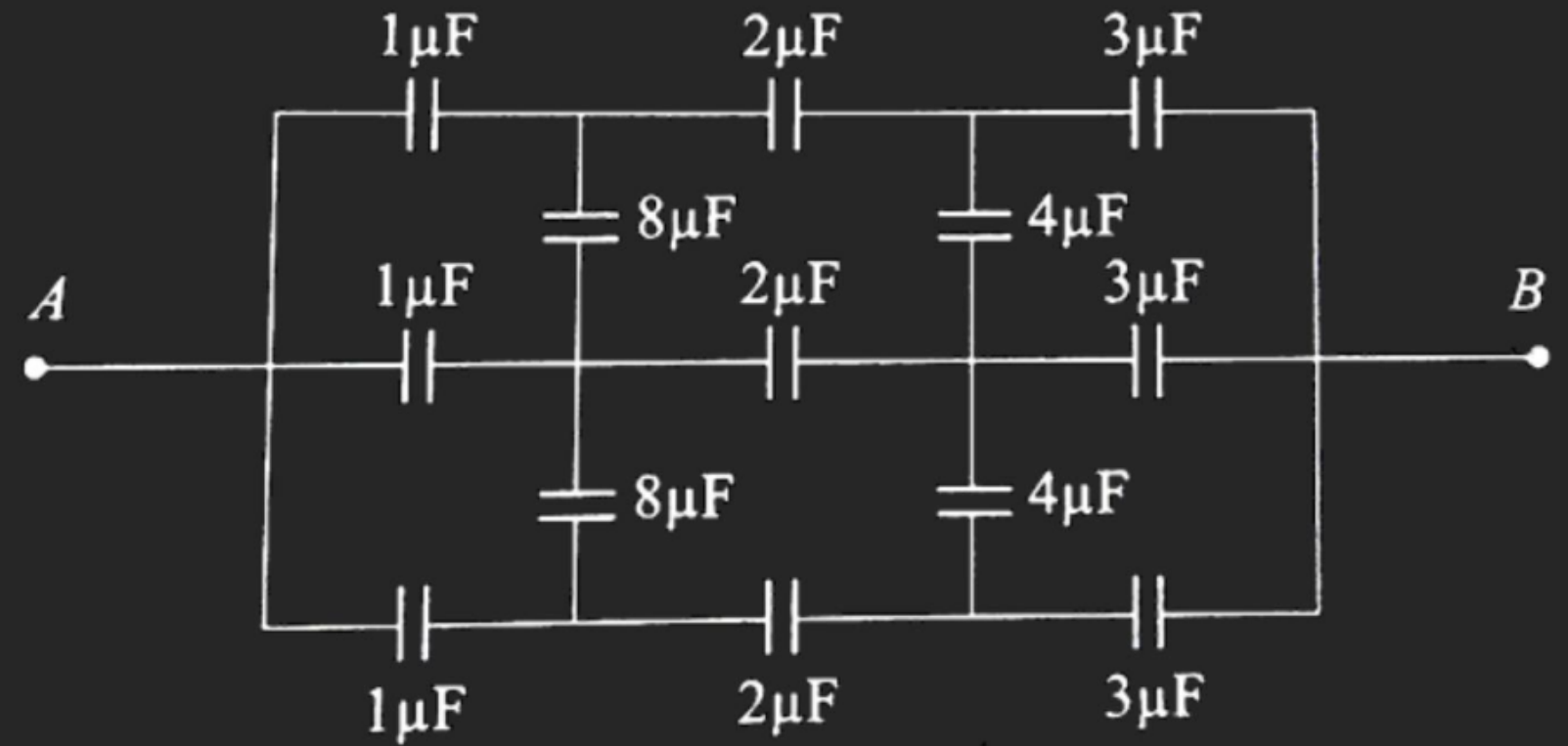
$$(C_{eq})_{A-B} = ??$$

H.W.



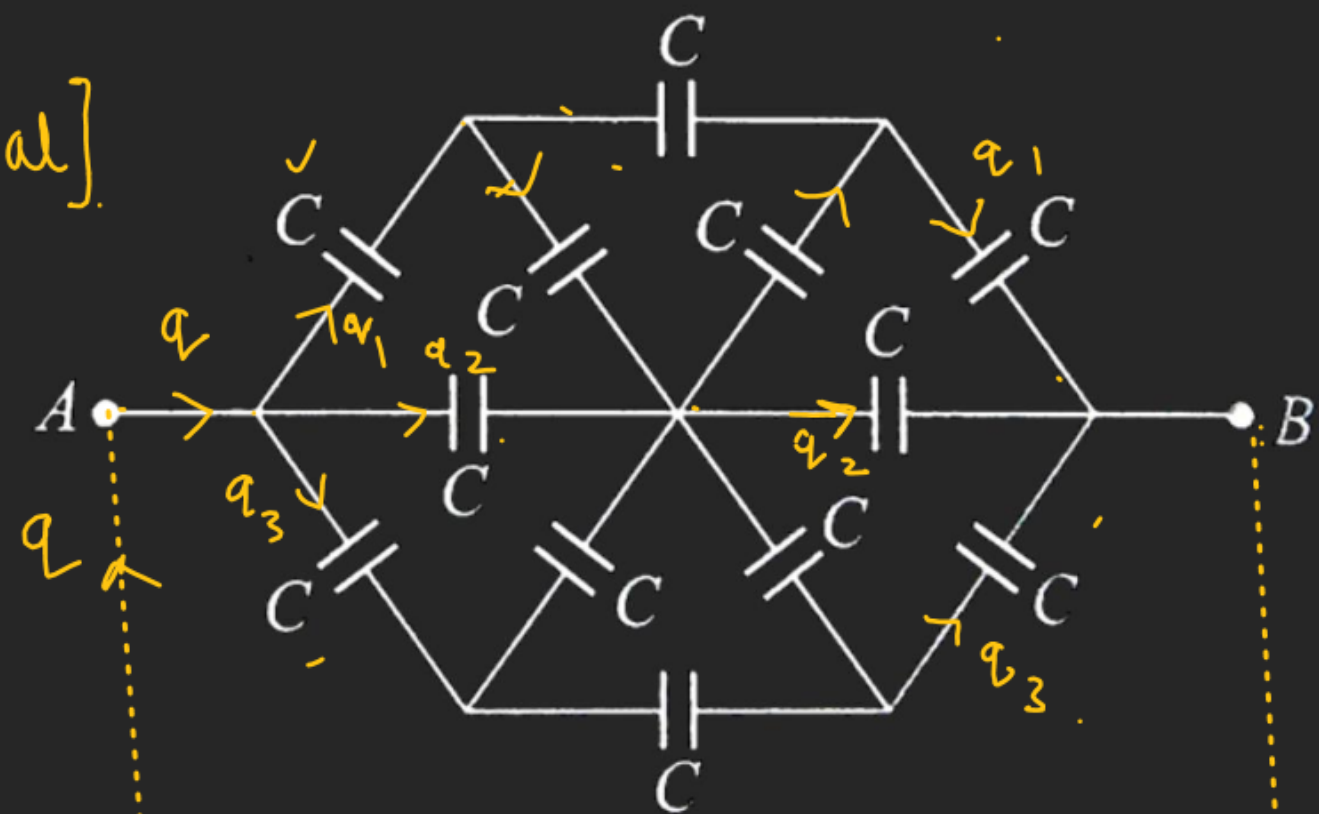
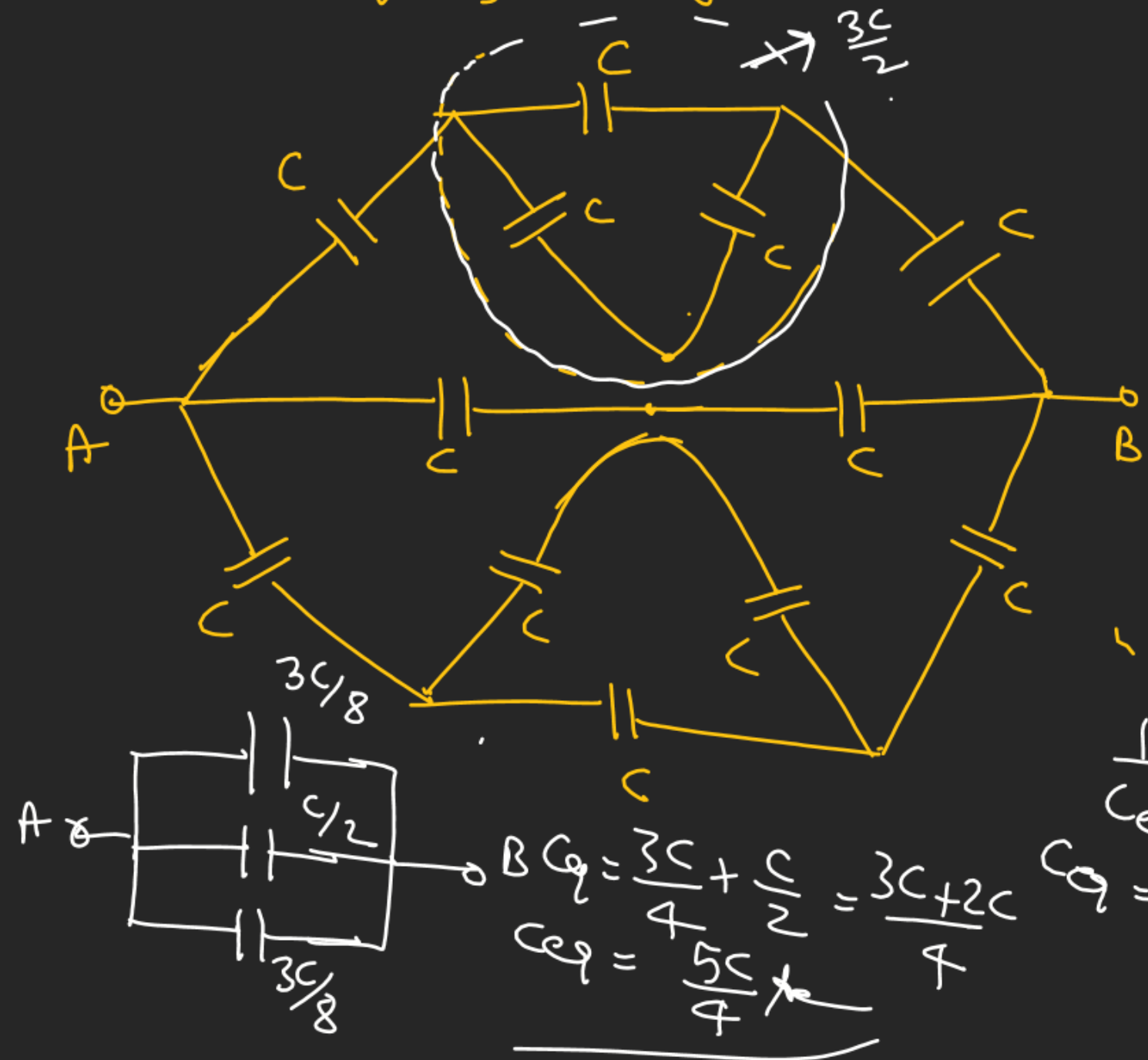
$$(C_{eq})_{A-B} = ??$$

H.W



# Equivalent capacitance (Symmetry) CAPACITOR

Note: 1. [Nodes Symmetrical about axis of Symmetry have same potential]



$$\frac{1}{C_{eq}} = \frac{2}{3C} + \frac{1}{C} + \frac{1}{C}$$

$$C_{eq} = \frac{2+3+3}{3C} = \left(\frac{8}{3C}\right)$$



$$\cancel{100 - y} = \cancel{y - 0}$$

$$100 = 2y$$

$$y = \underline{50 \text{ V}}$$

$$2x - 100 + 2x - 50 = 0$$

$$4x - 150 = 0$$

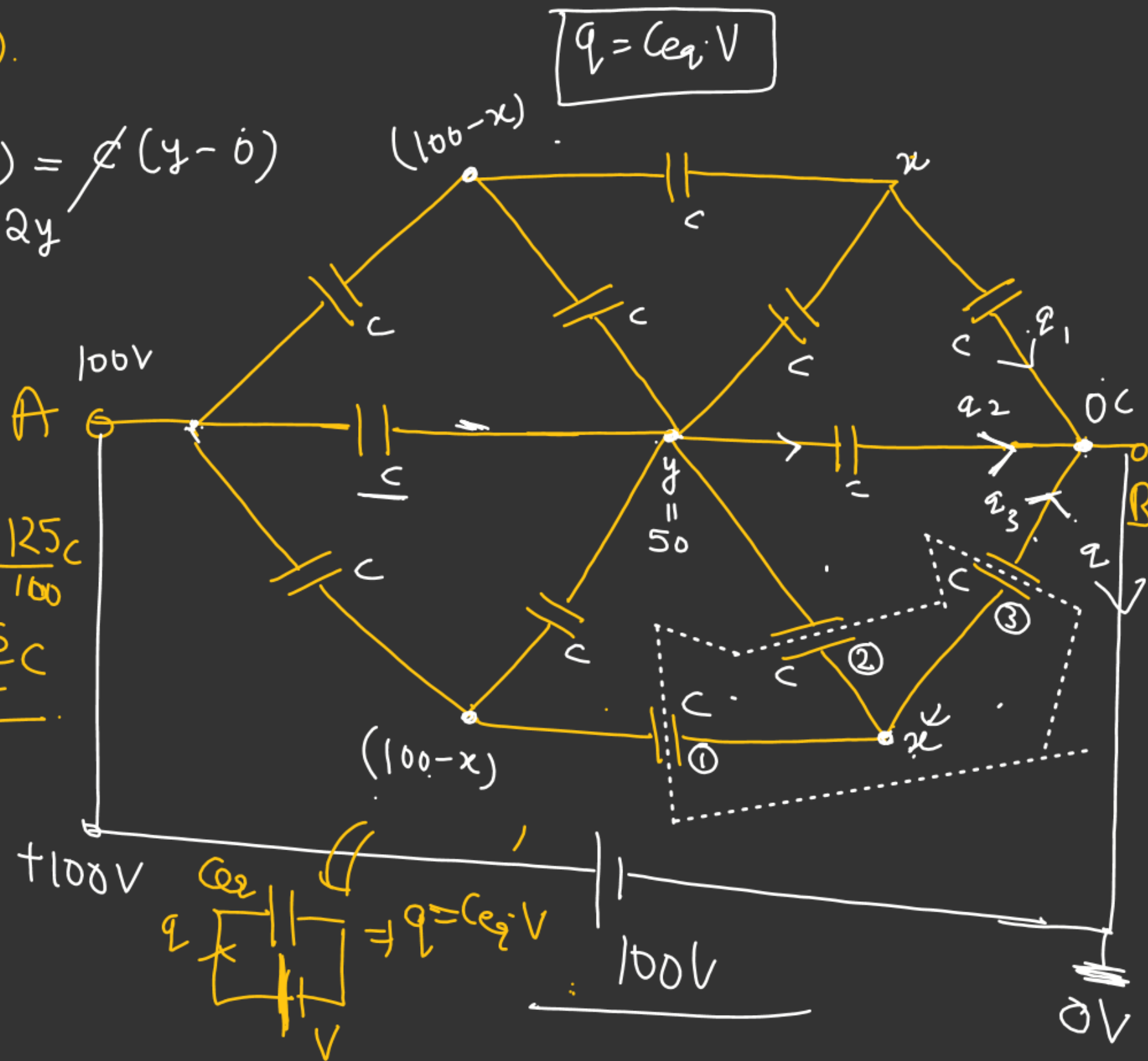
$$x = \frac{150}{4} = \left(\frac{75}{2}\right) \text{ Volt}$$

$$q = q_1 + q_2 + q_3$$

$$100C_q = \downarrow \underline{x_C} + (50-0)C + (x-0)C$$

$$100C_2 = 20C + 50C$$

$$100C_{eq} = 2C \times \frac{75}{2} + 50C = 125C$$



# Equivalent capacitance (Symmetry) CAPACITOR

$(C_{eq})_{AB} \rightarrow$  [Body diagonal]

[Cube Symmetry]

$$xC + (x - (100 - x))C \times 2 = 0$$

$$x + [(2x) - 100]2 = 0$$

$$5x - 200 = 0$$

$$x = \frac{200}{5} = 40 \text{ volt}$$

$$q_1 + q_2 + q_3 = q$$

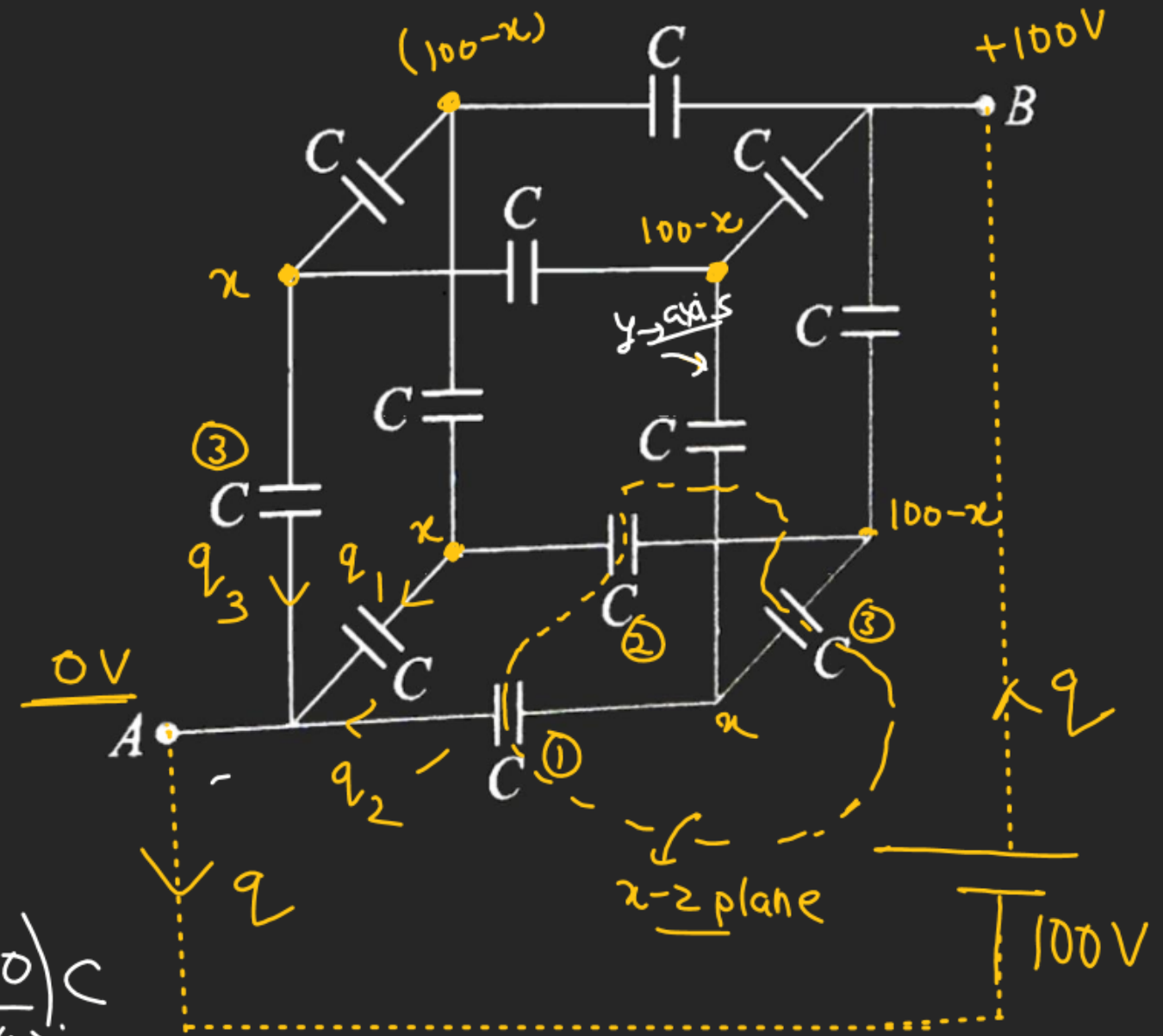
$$xC + xC + xC = C_{eq}(100)$$

$$3xC = 100C_{eq}$$

$$3C \times 40 = 100C_{eq}$$

$$C_{eq} = \left(\frac{120}{100}\right)C$$

$$C_{eq} = \frac{12}{10}C = \frac{6C}{5} \text{ Ans}$$

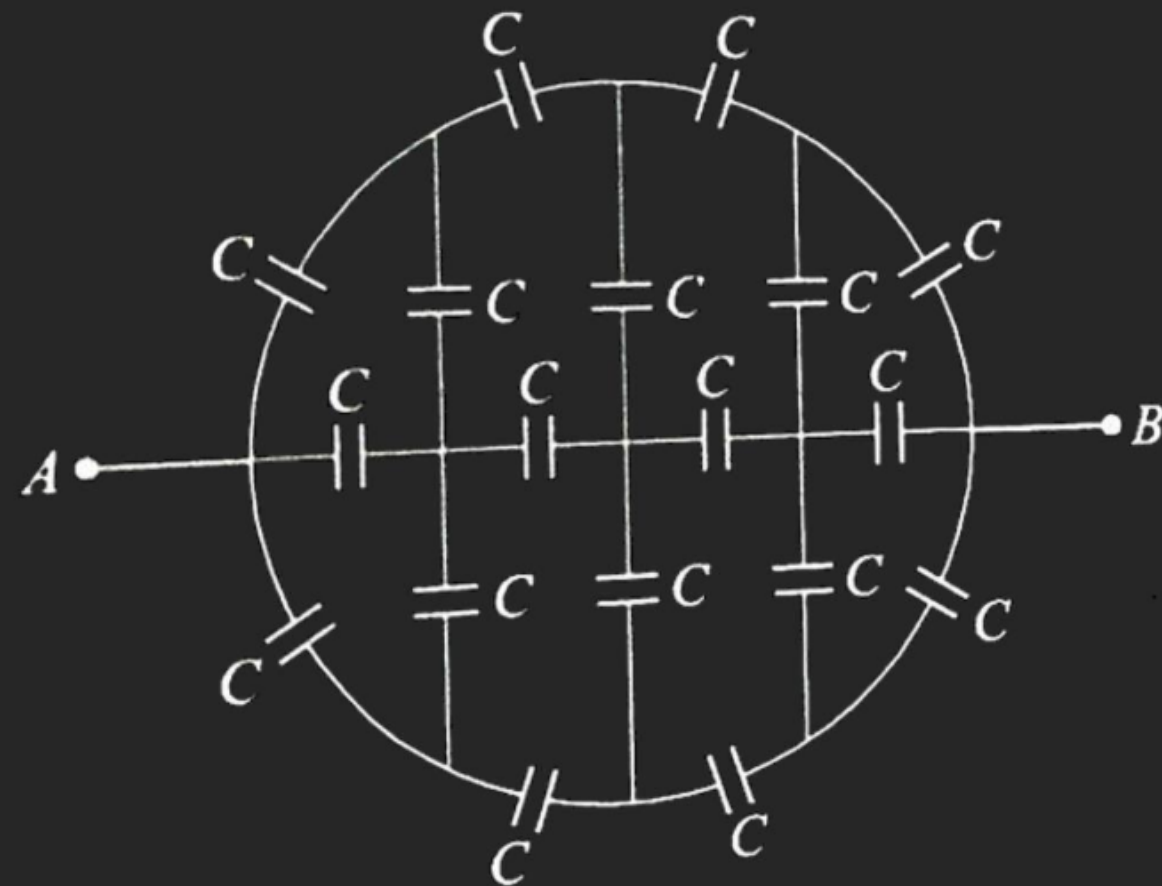




# Equivalent capacitance (Symmetry) CAPACITOR

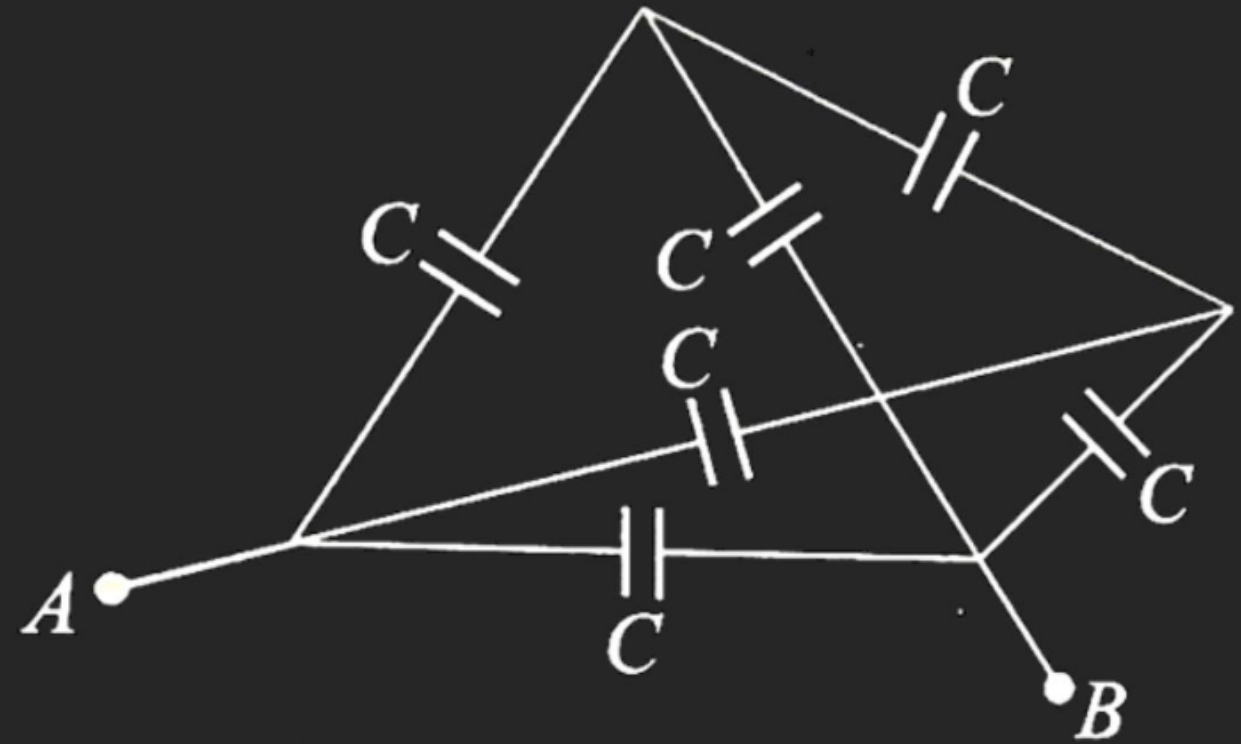
$$(C_{eq})_{A-B} = ??$$

H.W.



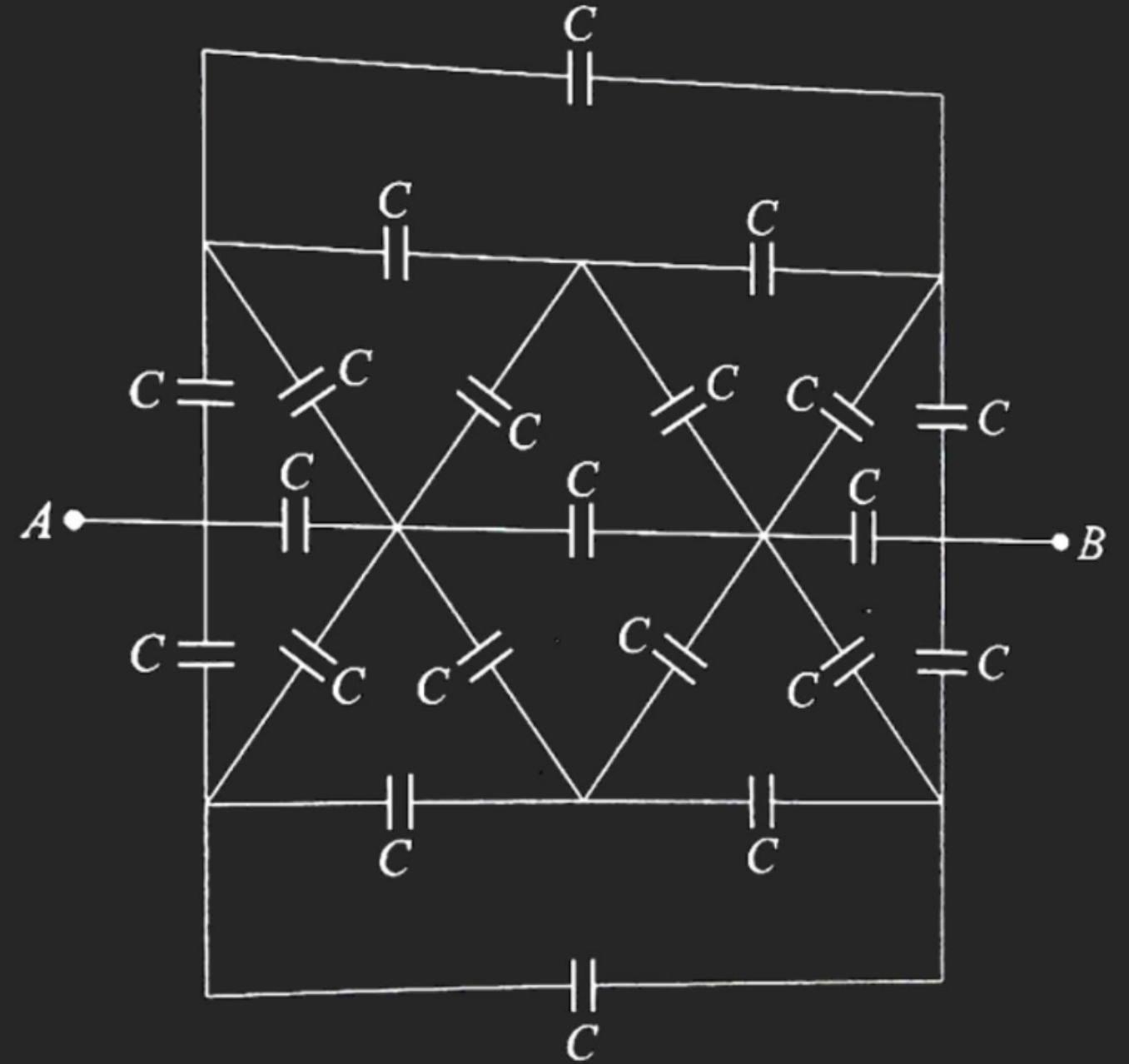
# Equivalent capacitance (Symmetry) CAPACITOR

$$(C_{eq})_{A-B} = ??$$



# Equivalent capacitance (Symmetry) CAPACITOR

$$(C_{eq})_{A-B} = ??$$



# Equivalent capacitance (Symmetry) CAPACITOR

**Q.2** Figure shows a circuit of 12 capacitors each of capacitance  $C$  connected along the edges of a cubical wireframe as shown. Find the equivalent capacitance between terminals A & B. *(eq. About Edge)*

for Node  $y$

$$C[y - (100 - y)] + (y - x)C + (y - x)C = 0$$

$$y = \frac{4 \times 250 - 100}{7}$$

$$4y - 2x = 100$$

$$2y - x = 50 \quad \text{--- (1) } \checkmark$$

Nodal analysis for node  $x$ .

$$(x - y)C + [x - (100 - x)]C + (x - 0)C = 0$$

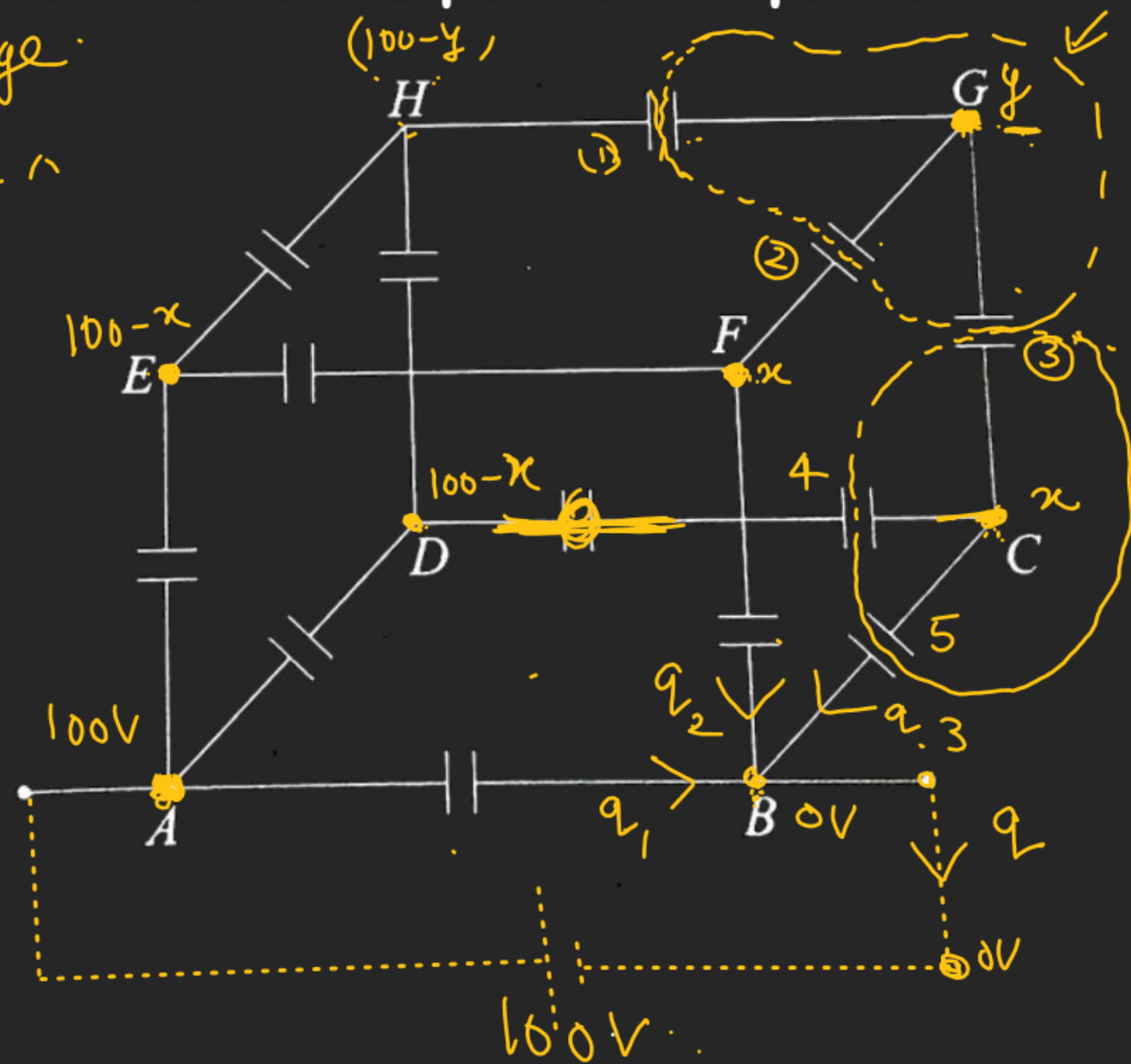
$$(x + x + x) - y = 100$$

$$4x - y = 100 \quad \text{--- (2) } \checkmark$$

$$8x - 2y = 200 \quad \leftarrow \times 2$$

$$7x = 250$$

$$x = \frac{250}{7} \text{ Volt}$$



junction law at point B.

$$q_1 + q_2 + q_3 = q$$

$$(2\pi)C + (100)C = C_{eq}(100)$$

$$\left[ 2 \times \frac{250}{7} + 100 \right] C = C_{eq} \cdot 100.$$

$$\left( \frac{500 + 700}{7} \right) C = C_{eq} \times 100.$$

$$\left( \frac{1200}{7 \times 100} \right) C = C_{eq} \Rightarrow \left\{ C_{eq} = \frac{12C}{7} \right\}$$

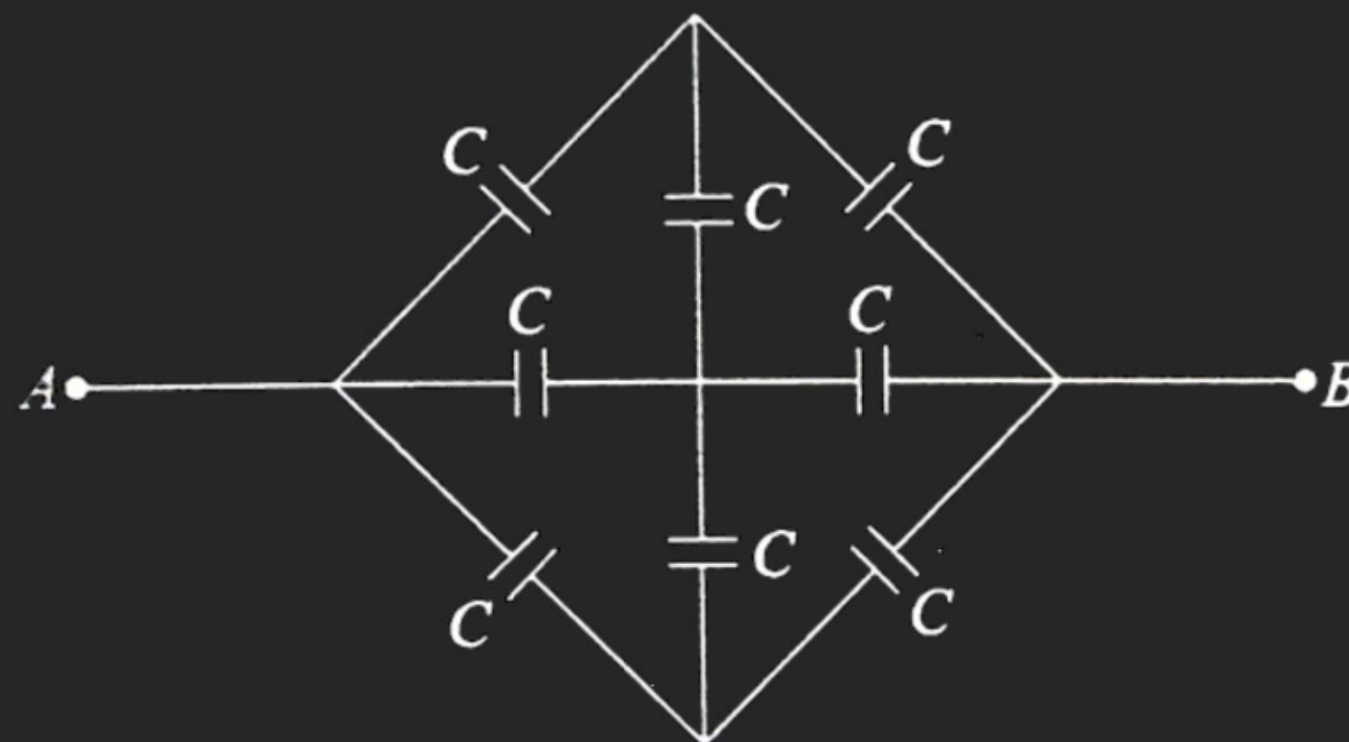
H.W  
Find  $C_{eq}$  about  
face diagonal  
of the cube. ??



# Equivalent capacitance (Symmetry) CAPACITOR

$$(C_{eq})_{A-B} = ??$$

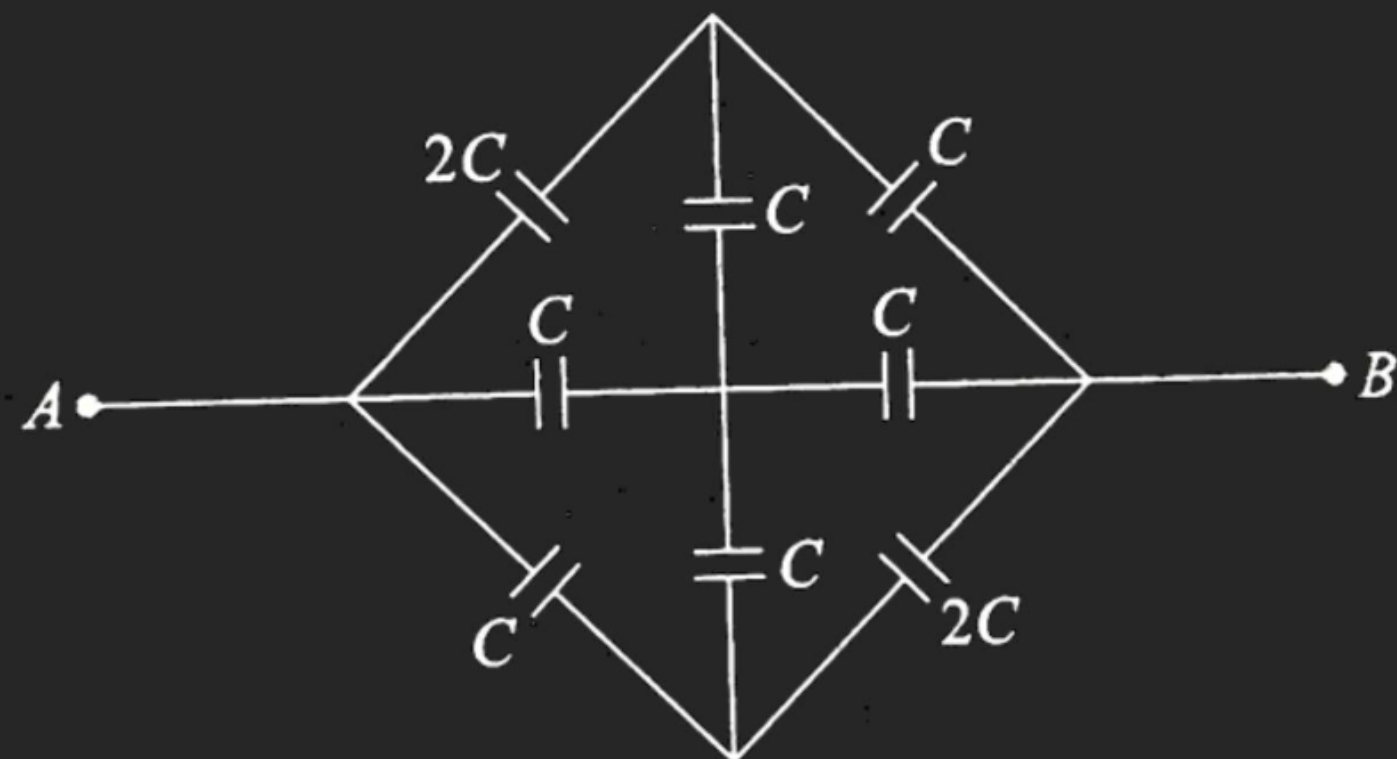
H.W



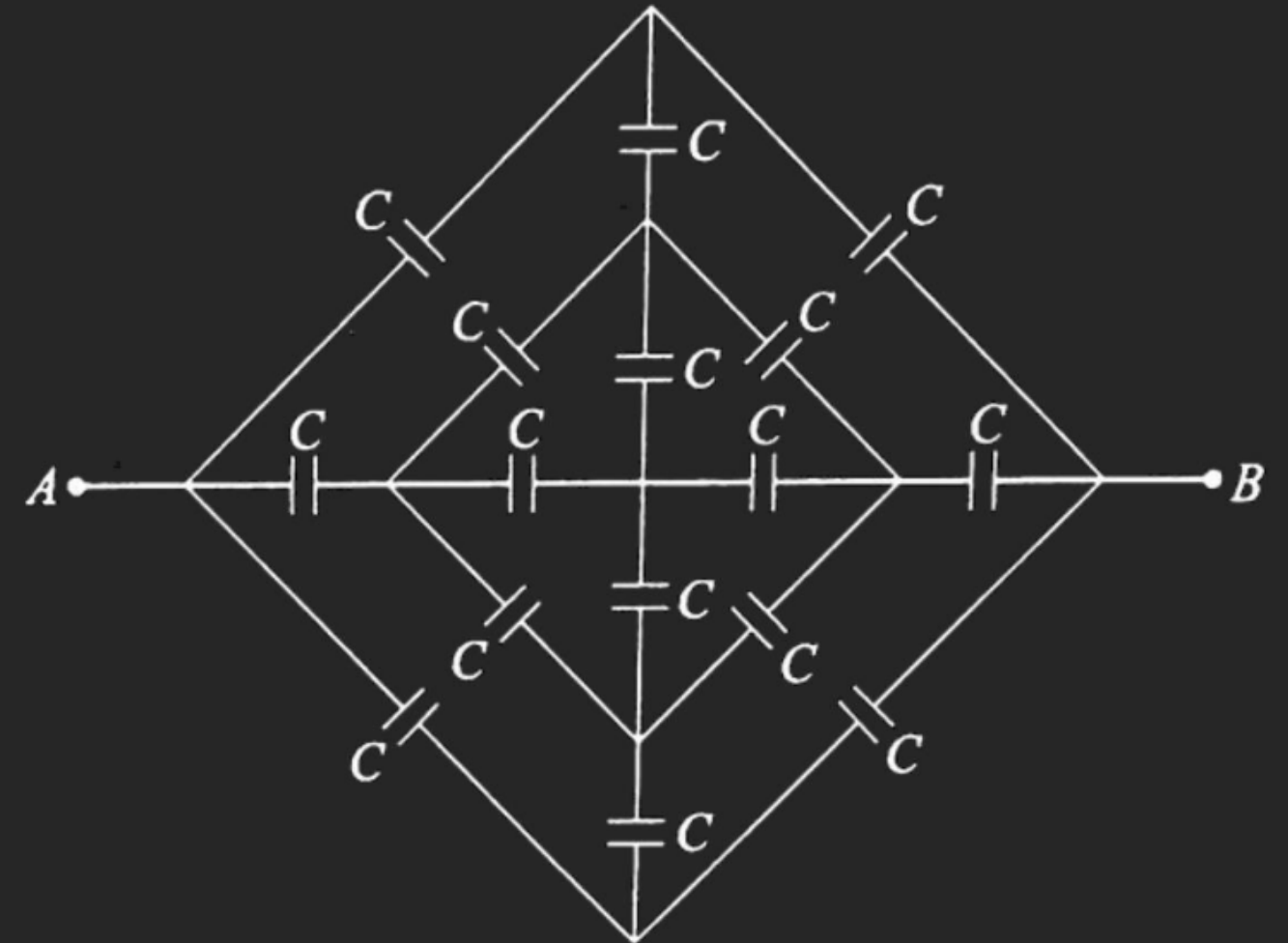
# Equivalent capacitance (Symmetry) CAPACITOR

$$(C_{eq})_{A-B} = ??$$

H.W



H.W



**Equivalent capacitance (Symmetry) CAPACITOR** $(C_{eq})_{A-B}$ H.W