

Law of Motion

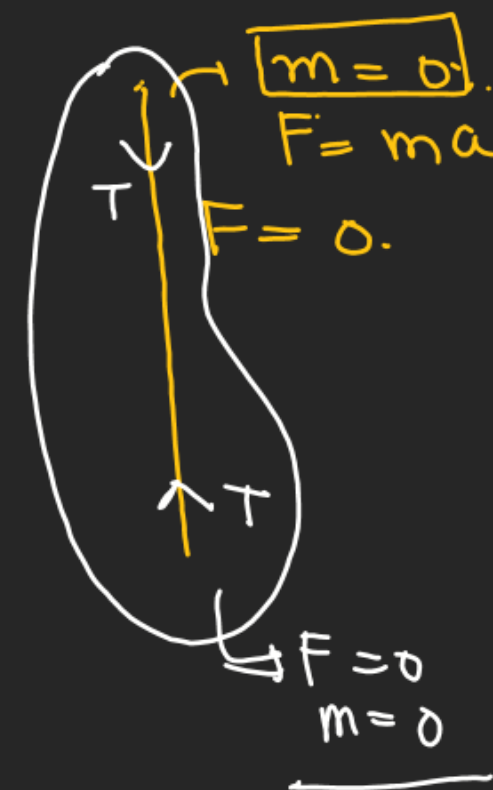
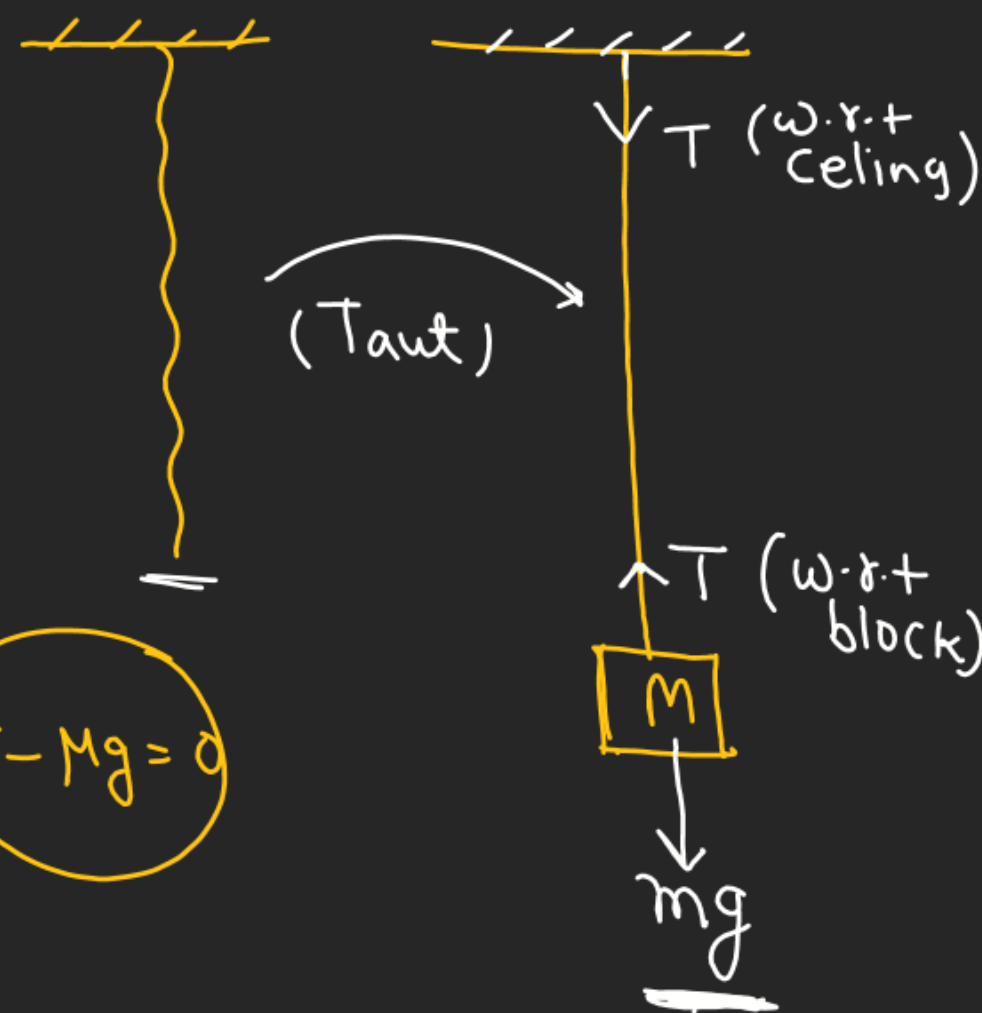
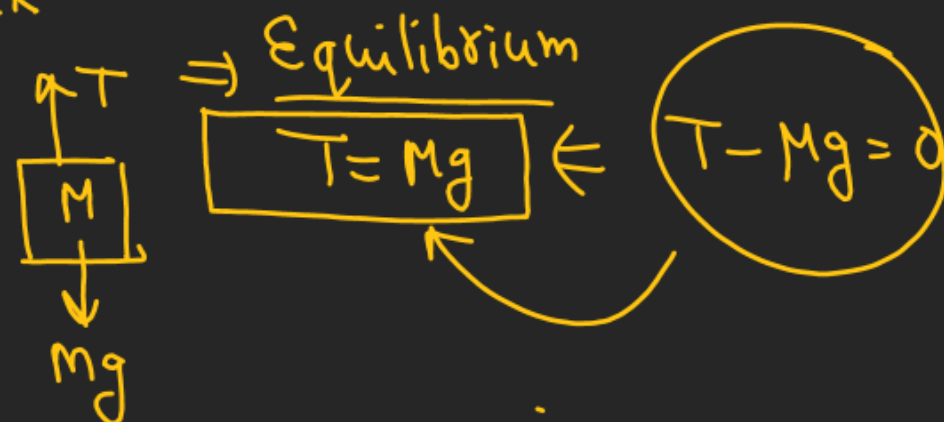
Tension →

↳ It is a restoring force produce within the body when an external force applied on the body in order to restore the initial State

Tension in a string

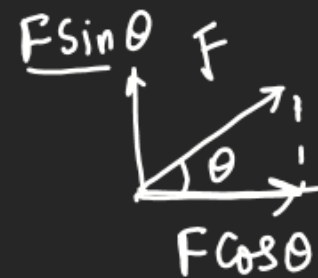
String → [whose mass is negligible]

F.B.D of block [नॉ के बराबर]

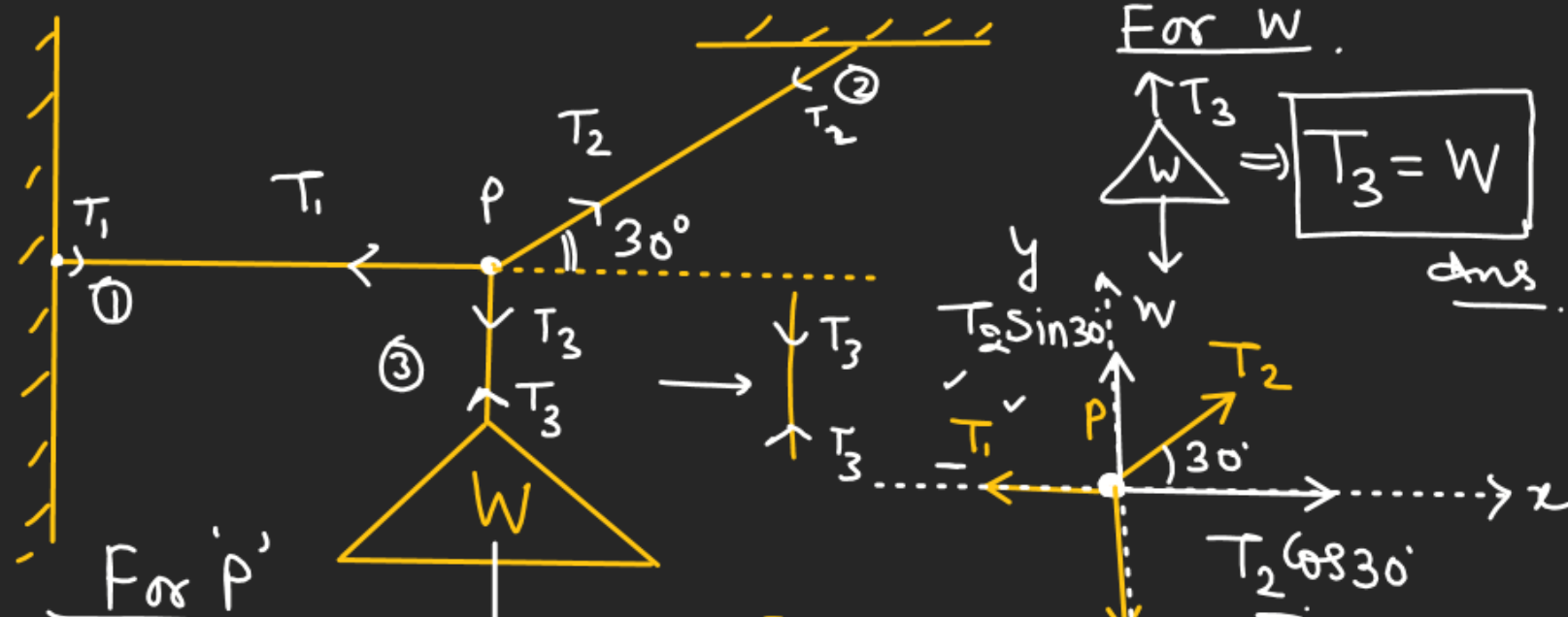


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Note
(*) For string, tension in the string always same
untill & unless string not going to change.



$W = \text{Weight}$



For W.
 $\begin{matrix} \uparrow T_3 \\ \triangle W \\ \downarrow W \end{matrix} \Rightarrow \boxed{T_3 = W} \text{ Ans}$

Note:- How to Choose reference axis:-

⇒ If body is in equilibrium then Choose any reference axis but prefer to choose reference axis along which we have to minimum no of component.

⇒ If body is in accelerated motion then take x-axis along accelerated direction & perpendicular to x-axis is our y-axis.

$$T_1 = T_2 \cos 30^\circ \checkmark$$

$$T_1 = \frac{\sqrt{3} T_2}{2} \checkmark$$

$$W = mg$$

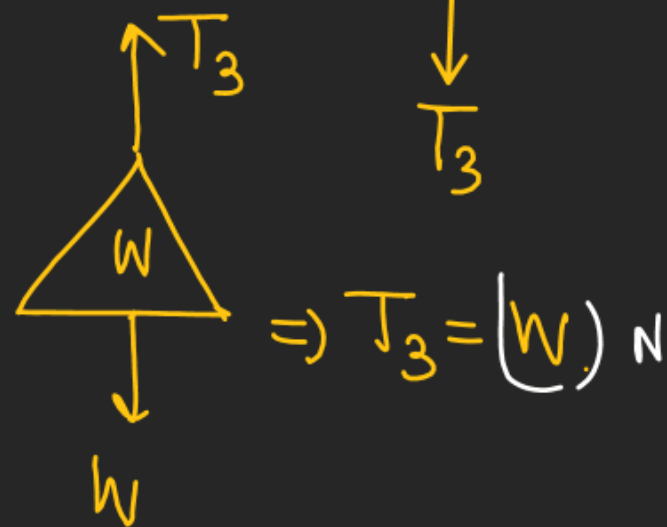
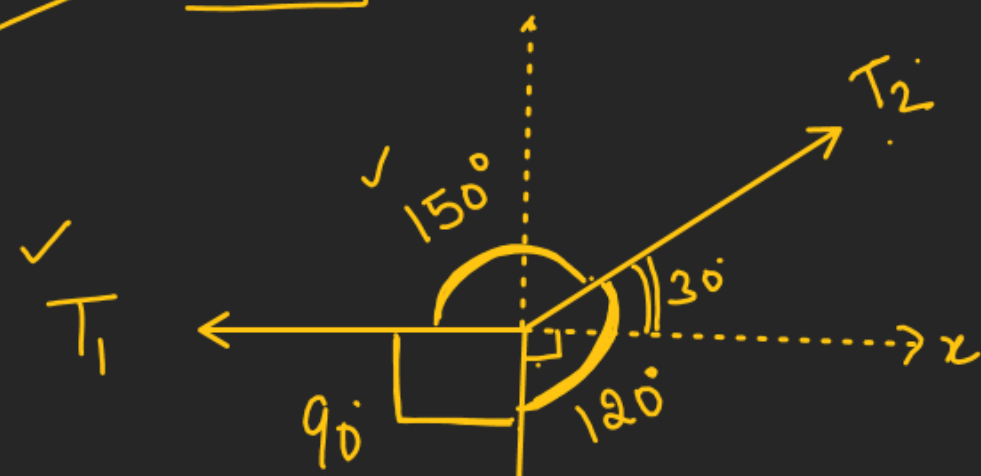
$m_P = 0$
Net force at P = 0

$$T_3 = T_2 \sin 30^\circ \Rightarrow T_3 = \frac{T_2}{2} \Rightarrow T_2 = 2T_3 = 2W \text{ Ans}$$

$$T_1 = \frac{\sqrt{3}}{2} \times 2W \Rightarrow T_1 = \sqrt{3}W \text{ Ans}$$

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(*) M-2 :-



Sine Rule.

$$\frac{T_1}{\sin 120^\circ} = \frac{T_2}{\sin 90^\circ} = \frac{T_3}{\sin 150^\circ}$$

$$\frac{T_1}{\sin(180-60)} = \frac{T_2}{\sin 90} = \frac{T_3}{\sin(180-30)}$$

$$\frac{T_1}{\sin 60} = \frac{T_2}{\sin 90} = \frac{T_3}{\sin 30}$$

$$\frac{T_1}{\sin 60} = 2W$$

$$T_1 = \cancel{2W} \times \frac{\sqrt{3}}{\cancel{2}} = (\sqrt{3}W) \checkmark$$

Force \rightarrow Unit
Newton

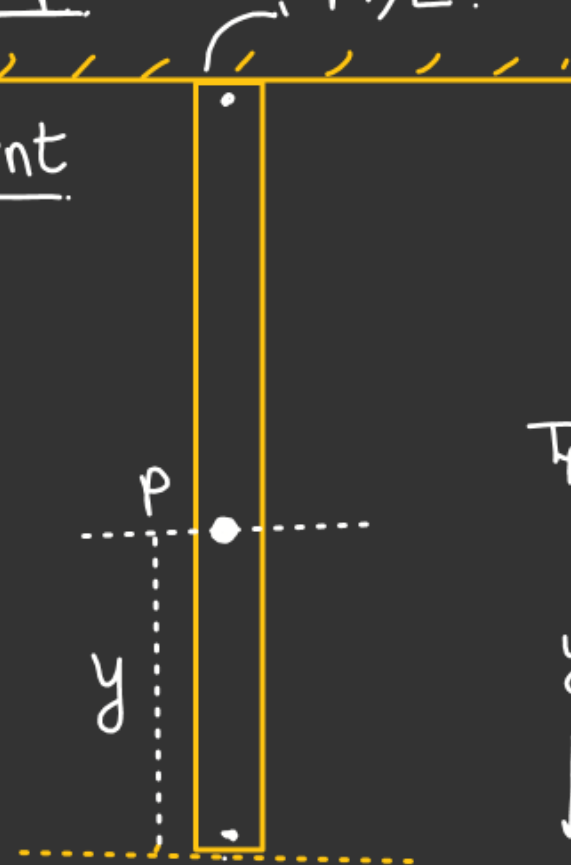
$$T_2 = \frac{T_3}{\sin 30} \times \sin 90$$

$$T_2 = \frac{W}{\frac{1}{2}} \times 1 = \underline{(2W) N}$$

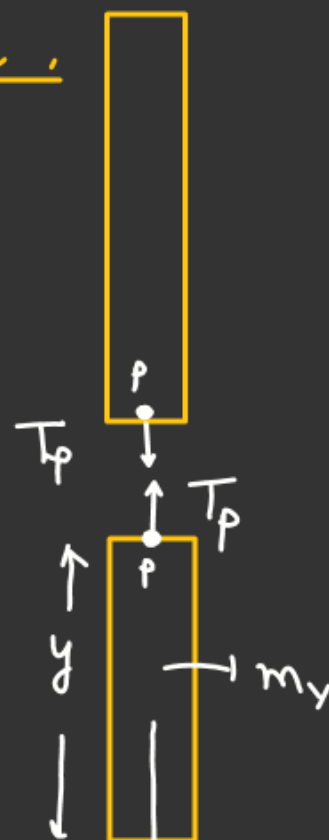
Tension in a Rope/Rod

① Uniform Rope

$$\frac{M}{L} = \text{Constant}$$



$$m_y = \left(\frac{M}{L}\right)y$$



$$m_y g = w_y$$

✓ Uniform Rope/Rod

⇒ If rope or rod is uniform then mass per unit length is constant.

$$\frac{M}{L} = \lambda = (\text{Constant})$$

$\lambda = (\text{Linear mass density})$

✓ Non-uniform Rod/Rope

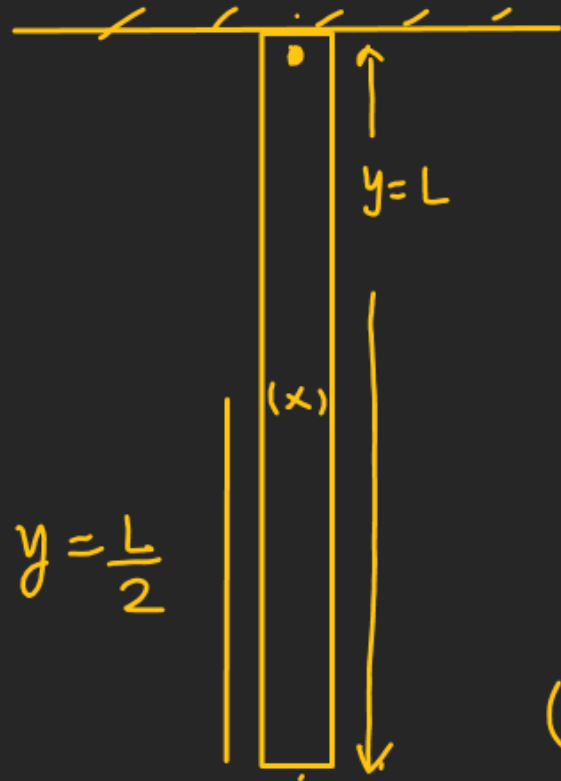
$$\frac{M}{L} = \lambda \text{ is not Constant.}$$

$T_p = (\text{Weight of } y\text{-length of the rope})$

$$T_p = \underbrace{\left(\frac{M}{L} \times y\right)}_{m_y} g \Rightarrow \boxed{T_p = \frac{Mg}{L} y} \quad \checkmark$$

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$$T_p = \left(\frac{Mg}{L} \cdot y \right) \Rightarrow$$



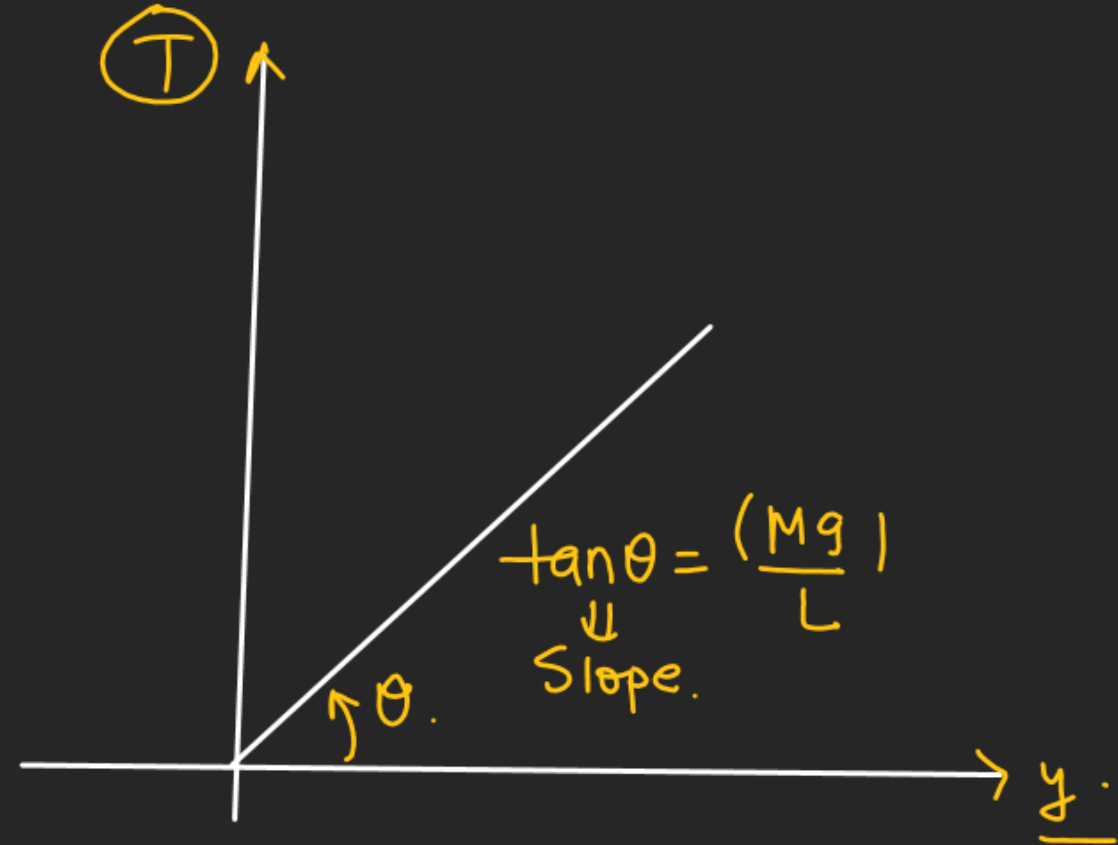
For $y = \frac{L}{2}$ (Mid-point of Rod)

$$T_p = \frac{Mg}{L} \times \frac{L}{2}$$

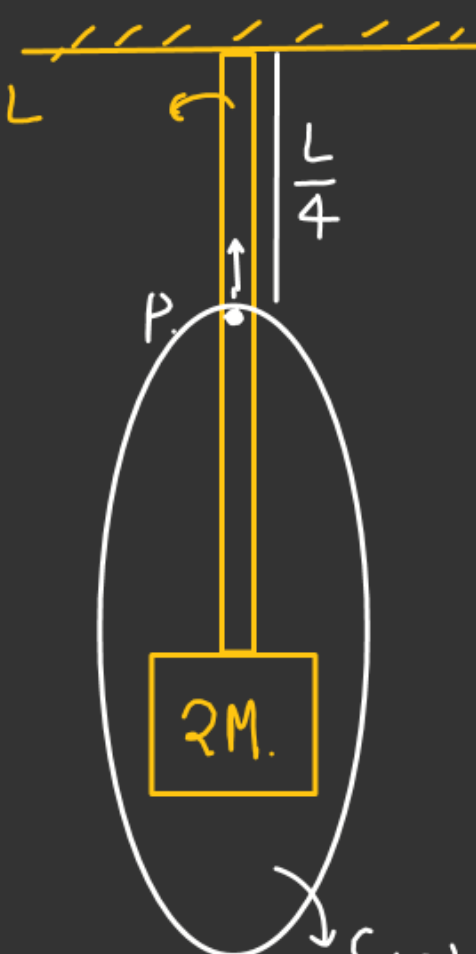
$$\left[T_p = \frac{Mg}{2} \right]$$

$$(T_p)_{\text{maximum}} = Mg.$$

at $y = L$

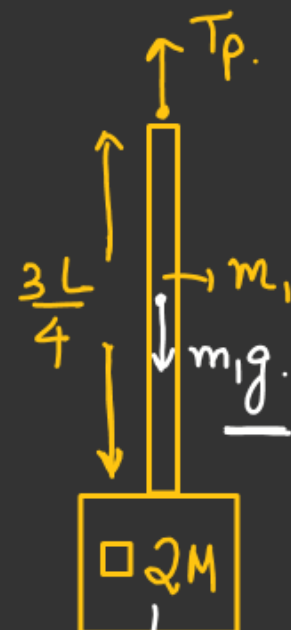


Q8.
(Uniform rope)



System boundary.

$$T_P = ??$$



$m_1 = \text{mass of } \frac{3L}{4} \text{ Length of rope.}$

$$m_1 = \left(\frac{M}{L}\right) \times \left(\frac{3L}{4}\right) = \left(\frac{3M}{4}\right)$$

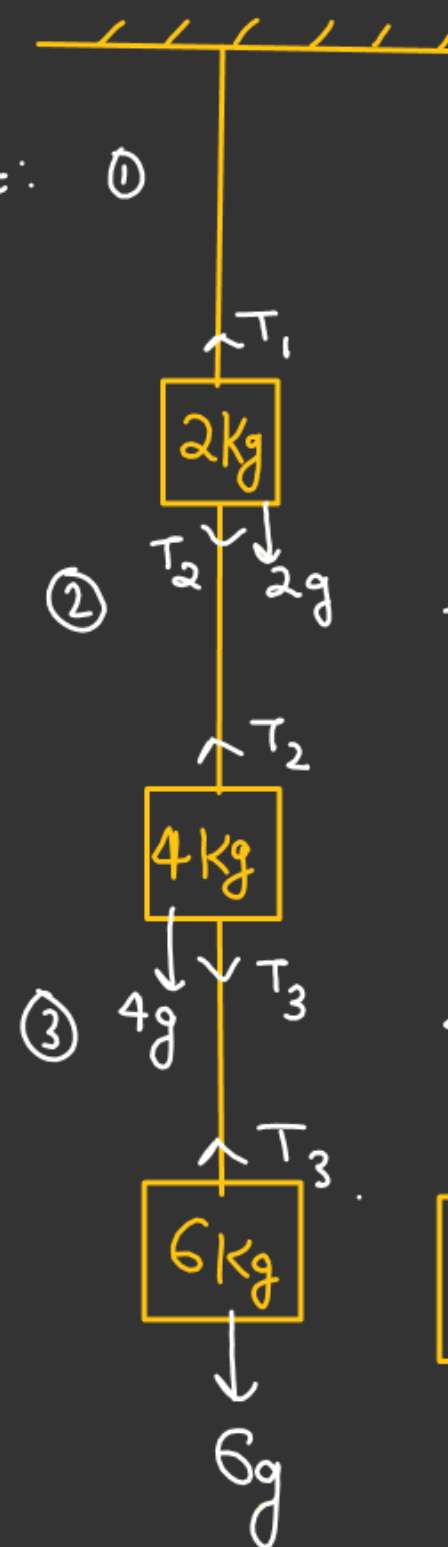
$$m_1 g = \left(\frac{3Mg}{4}\right)$$

$$T_P = m_1 g + 2mg$$

$$T_P = \frac{3Mg}{4} + 2mg$$

$$T_P = \left(\frac{11Mg}{4}\right) \text{ Ans.}$$

M1: ①



All the strings are massless.
Find tension in all the string.

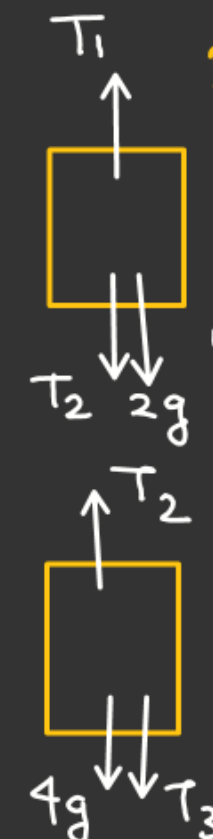
$$[g = 10 \text{ m/s}^2]$$

$$\Rightarrow T_1 = T_2 + 2g$$

$$T_1 = 10g + 2g$$

$$T_1 = 12g$$

$$T_2 = 4g + T_3 = 10g$$



$$\Rightarrow T_3 = 6g$$

M-2

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