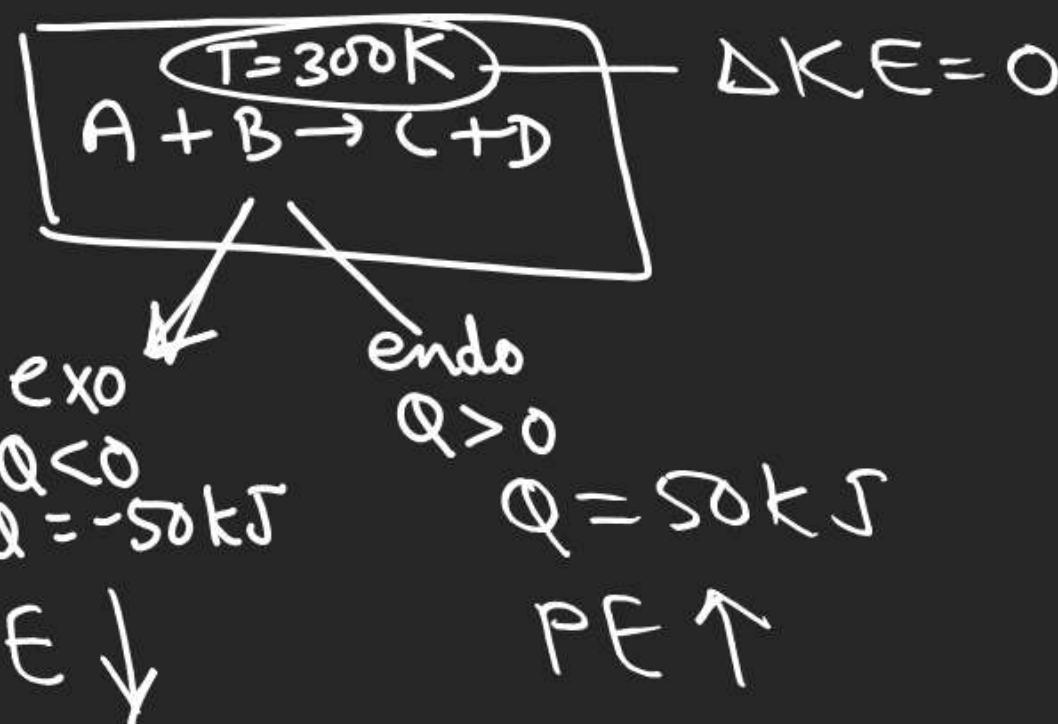


Note:-  
Kinetic energy of a substance or system depends only on temperature



# Internal Energy

$$\Delta U = \int n C_V dT$$

$\Delta U = n C_V \Delta T$

for ideal gas  
not undergoing  
any chemical &  
phase change

1st Law q T.D       $\Delta U = q + w$

$$w = - \int p_{ext} dV$$

$$q = n C dT$$

Q. find heat transfer for 1 mol monoatomic ideal gas undergoing a change from (2 lit, 300 K) to (4 lit, 500 K) against a constant external pressure 10 bar.

$$\cancel{P} \frac{V_2}{V_1} = \cancel{\frac{nT_2}{nT_1}} \frac{R}{R}$$

$$\frac{P_2}{P_1} = \frac{T_2}{T_1} \times \frac{V_1}{V_2} =$$

$$\begin{aligned} Q &= n C_V \Delta T \\ Q &= n C_P \Delta T \end{aligned}$$

$$\begin{aligned} \Delta U &= n C_V \Delta T \\ &= 1 \times \frac{3}{2} \times R \times 200 \\ &= \frac{3}{2} \times \frac{25}{3} \times 200 = 2500 \end{aligned}$$

from 1st law of T.D

$$\begin{aligned} Q &= \Delta U - W = 2500 + 2000 \\ &= 4500 \end{aligned}$$

$$\text{against a}$$

$$R = 8.314 \text{ J/K/mol}$$

$$= \frac{25}{3} \text{ J/K/mol}$$

$$R \approx 2 \text{ cal/mol/K}$$

$$\begin{aligned} W &= -P_{\text{ext}} (V_2 - V_1) \\ &= -10 \text{ bar} (4 - 2) \text{ lit} \\ &= -2000 \text{ J} \end{aligned}$$

$\Delta U = n C_V \Delta T$  for ideal gas undergoing any change except chemical & phase change

$Q = n C_V \Delta T$  for a substance undergoing a change at const volume (but change should not be chemical or phase change)

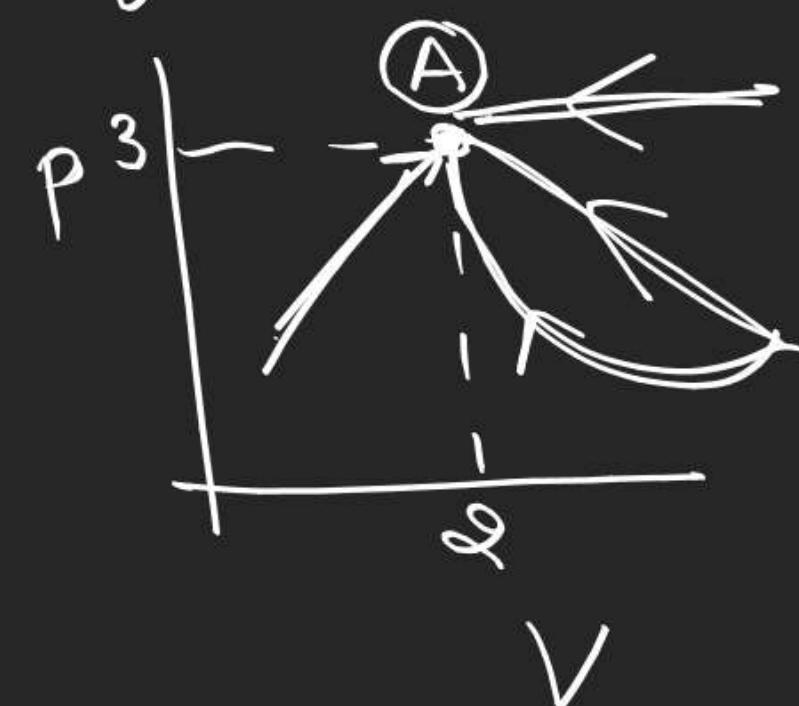
$Q = n C_p \Delta T$  for a substance undergoing a change at const 'P'

$W = - \int P_{\text{ext}} dV$  is always applicable

State variable :  $\rightarrow$  or  
state function

(Latitude and Longitude)

which depends only on present state of system and is independent of process/path used to achieve the present state of the system.



$P, V, T$  etc are state variable  
 $'U'$  is also a state function.  
↑ internal Energy.

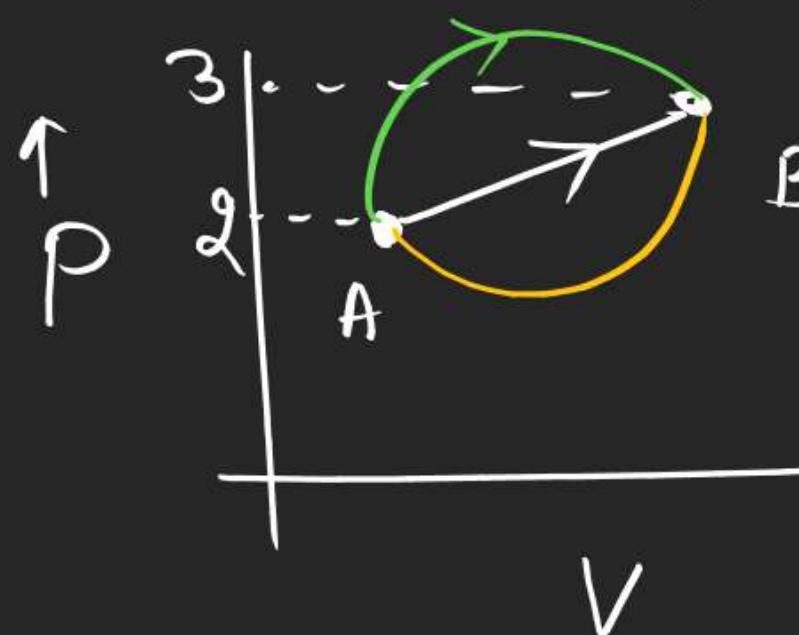
Change in state function

distance travelled ← path dependent

displacement ← path independent

$T \leftarrow$  Temperature - state function → final or present state — path independent

$\Delta T \leftarrow$  change in temperature → change in state function → initial & final — path independent



$\Delta P$   
 $\Delta T$   
 $\Delta V$   
 $\Delta U$

path independent

heat &  
work  
are path  
dependent

Enthalpy (H):  $\rightarrow$

$$H = U + PV$$

for a change

$$dH = dU + PdV + Vdp$$

$$dH = q + w + PdV + Vdp$$

at const Pressure

$P_{ext} = P = \text{const}$

$w = -P_{ext} dV$   
 $= -P dV$



$$dU = q + w$$

at const 'v'  $w = 0$

$$dU = q_v$$

$$dH = q - PdV + PdV + Vdp$$

$$dH = q_p$$

$$\Delta H = -50 \text{ kJ}$$

=

heat transfer at constant volume ( $q_v$ ) =  $\Delta U$

, , , , , pressure ( $q_p$ ) =  $\Delta H$

$$\Rightarrow H = U + PV$$

$$\int dH = \int dU + \int d(PV)$$

$$\Delta H = \Delta U + \Delta(PV)$$

$$\boxed{\Delta H = \Delta U + (P_2V_2 - P_1V_1)}$$

$$\Delta H = \Delta U + \Delta(PV)$$

for an ideal gas

$$\Delta H = \Delta U + \Delta(nRT)$$

$\Rightarrow$  for a substance not undergoing any chemical & phase change

$$\Delta H = \Delta U + nR\Delta T$$

$$= nC_V\Delta T + nR\Delta T$$

$$= n(C_V + R)\Delta T$$

$$\boxed{\Delta H = nC_P\Delta T}$$

$$\Delta H = \Delta U + \Delta(nRT)$$

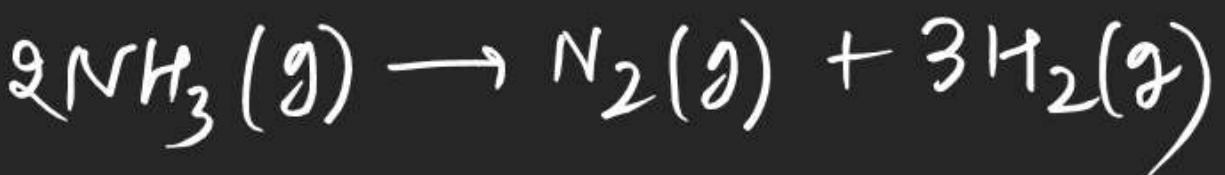
for chemical & phase change

$$\boxed{\Delta H = \Delta U + \Delta n_g RT}$$

↑  
change in  
no. of moles of  
gases



$$\Delta n_g = 1$$



$$\begin{aligned}\Delta n_g &= 1 + 3 - 2 \\ &= 2\end{aligned}$$

find  $\Delta U$  for the given rxn at 300 K



$$\Delta n_g = 1 \quad \text{at } 300 \text{ K}$$

$$R = \frac{25}{3} \text{ J/K/mol}$$

$$\Delta H = \Delta U + (P_2 V_2 - P_1 V_1)$$

or

$$\Delta H = \Delta U + \Delta n_g RT$$

$$40 \text{ kJ} = \Delta U + 1 \times \frac{25}{3} \times \frac{300}{1000}$$

$$40 = \Delta U + 2.5$$

$$37.5 = \Delta U$$

$$\Delta U = 37.5 \text{ kJ} \\ = 37500 \text{ J}$$