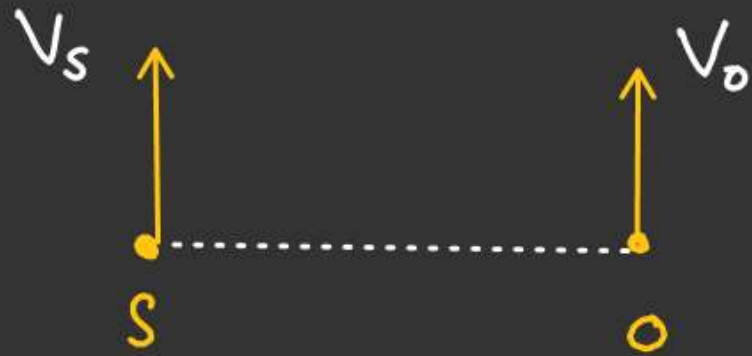


Doppler Effect

⇒ When Source and Observer moving parallel to each other

$$\underline{f_{app} = f_{real}} \quad \checkmark$$

Along the line joining V_s & V_o is zero.



Doppler Effect

(★)

When Source moving in a CircleCase-1

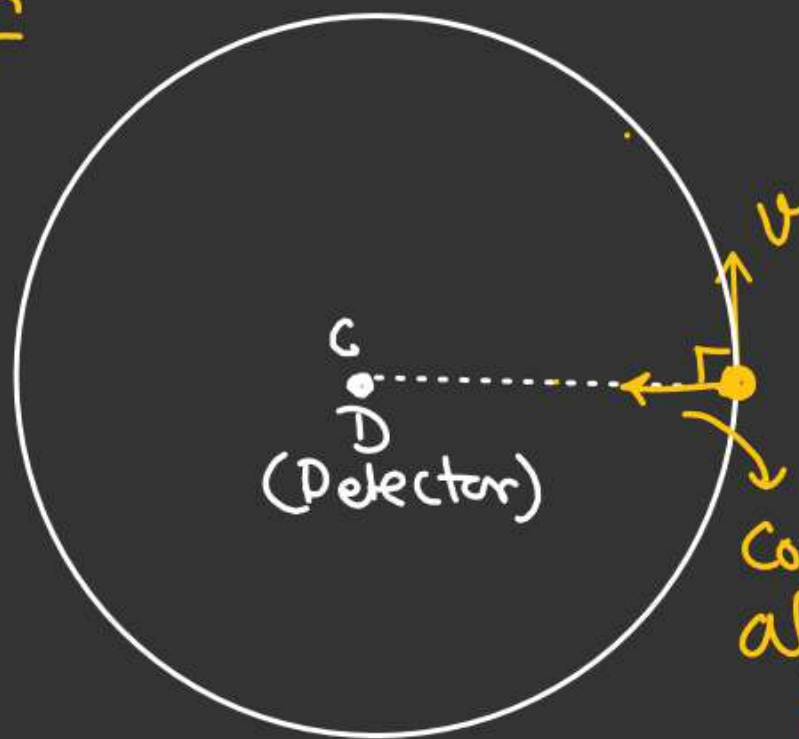
Detector at the Center of the Circle on which Source is moving

$$f_{app} = \left(\frac{V \pm \overset{\vee}{V_o}}{V \pm V_s} \right) f$$

$$V_o = 0$$

$$(V_s) = 0$$

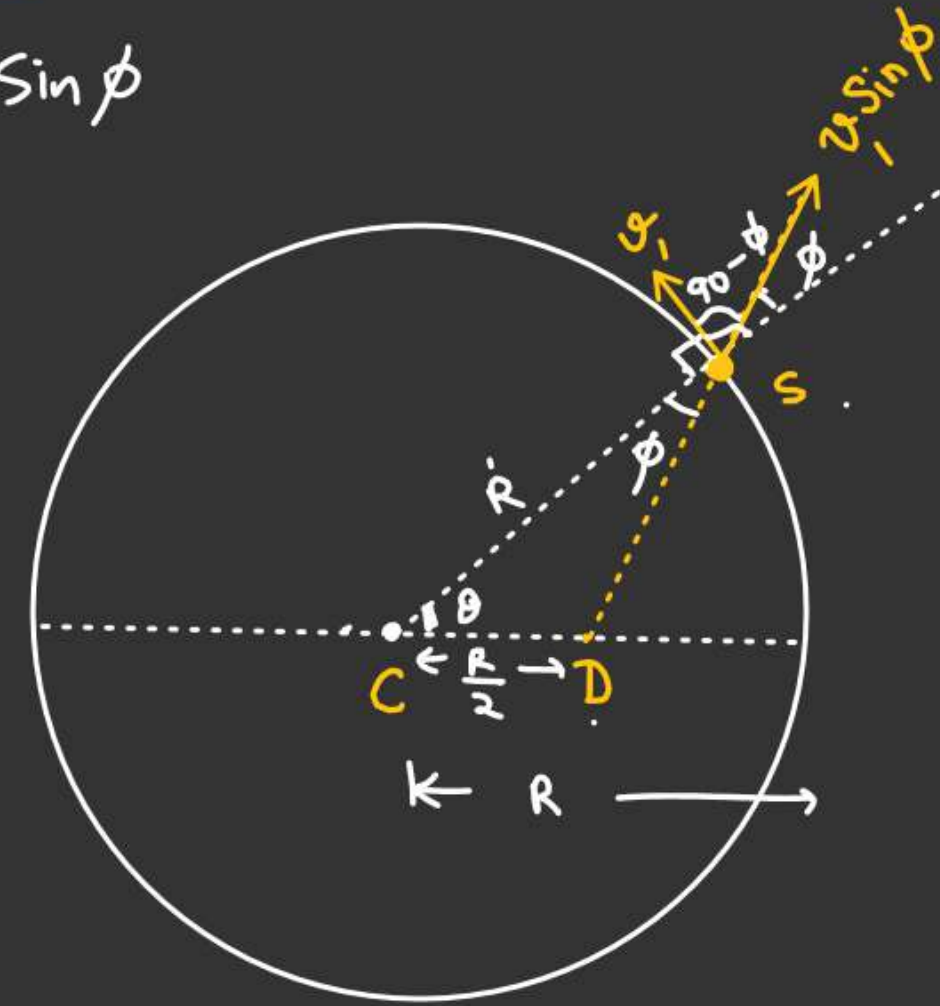
$$\underline{f_{app} = f}$$



Component of V_s along the line joining is zero.

$$V_0 = 0, \quad V_S = V_1 \sin \phi$$

$$f_{app} = \left[\frac{v}{v + v_1 \sin \phi} \right] f.$$



Doppler Effect

$$(f_{app})_{max} = ??$$

$$(f_{app})_{min} = ??$$

$$f_{app} = \left(\frac{V \pm V_o}{V \mp V_s} \right) f$$

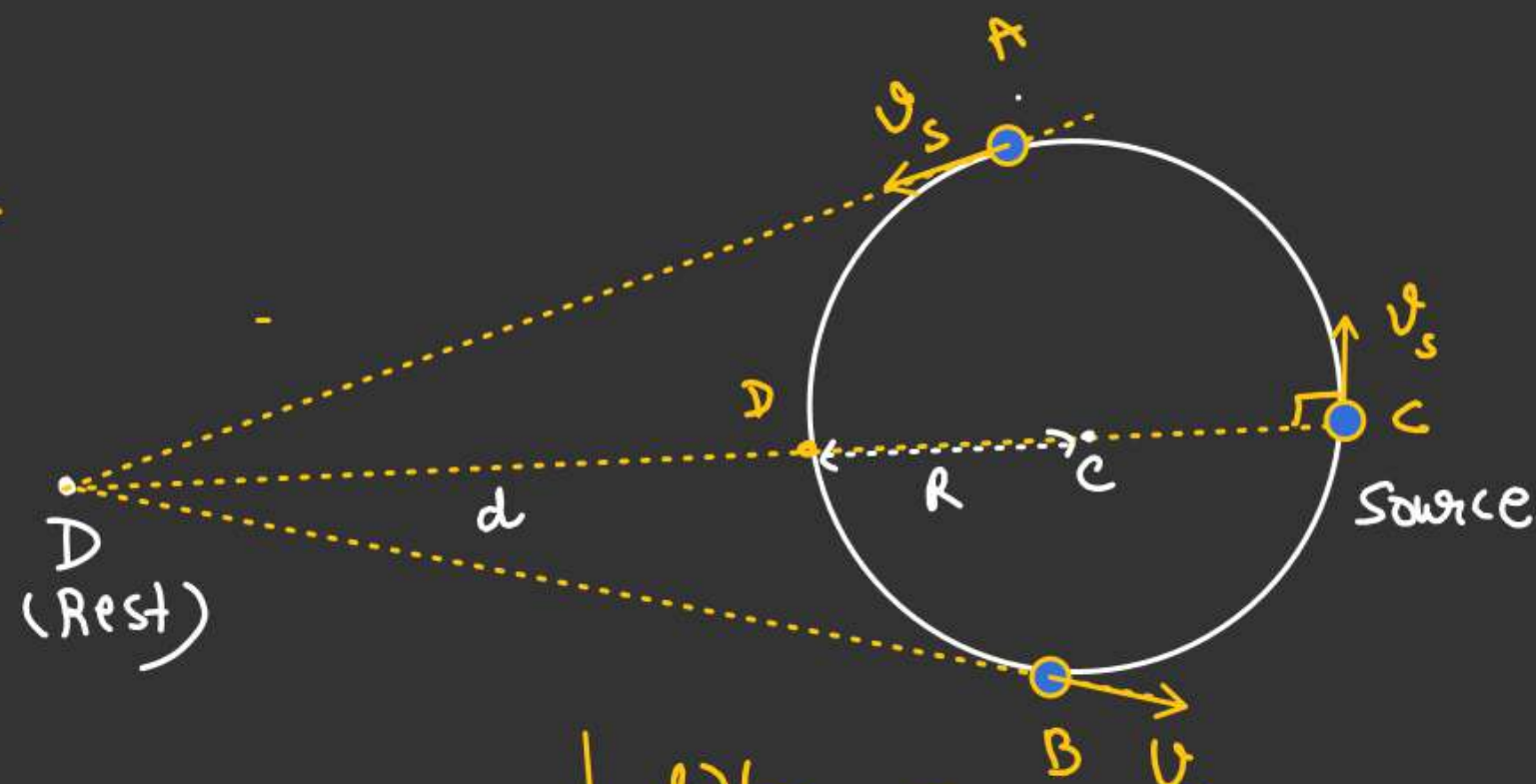
$$V_o = 0$$

$$\underline{f_{app}} = \left(\frac{V}{V \mp V_s} \right) f$$

for $(f_{app})_{max}$ denominator
Should be min i.e. $(V - V_s)$

So, At point A $(f_{app})_{max}$

For $(f_{app})_{min}$, denominator should be maximum
i.e. $(V + V_s)$. So, at point B $(f_{app})_{min}$.

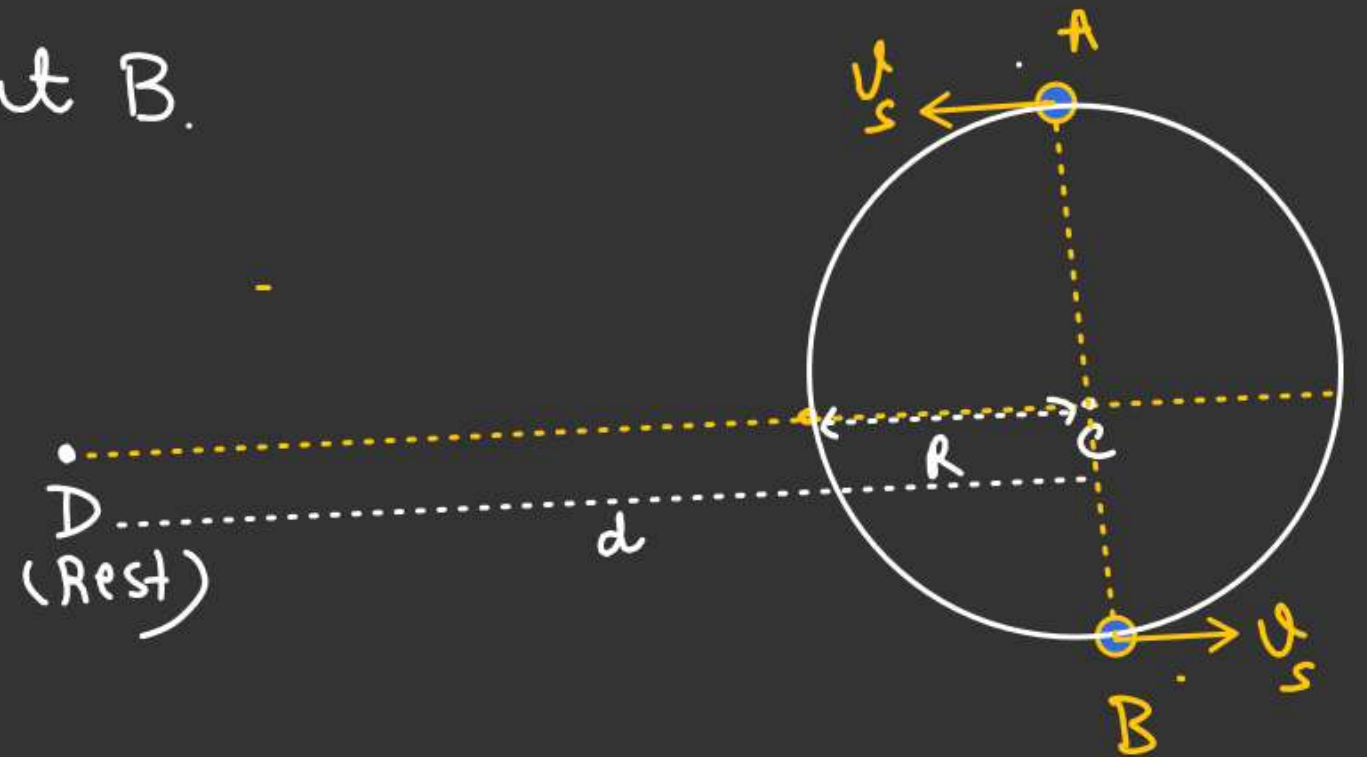


When source at C & D

$$f_{app} = (f_{real})$$

Doppler Effect

$$\left(\frac{R \ll d}{\cdot} \right),$$

 $(f_{app})_{\max}$ at A $(f_{app})_{\min}$ at B.

Doppler Effect

No of beats heard by
Observer. ??

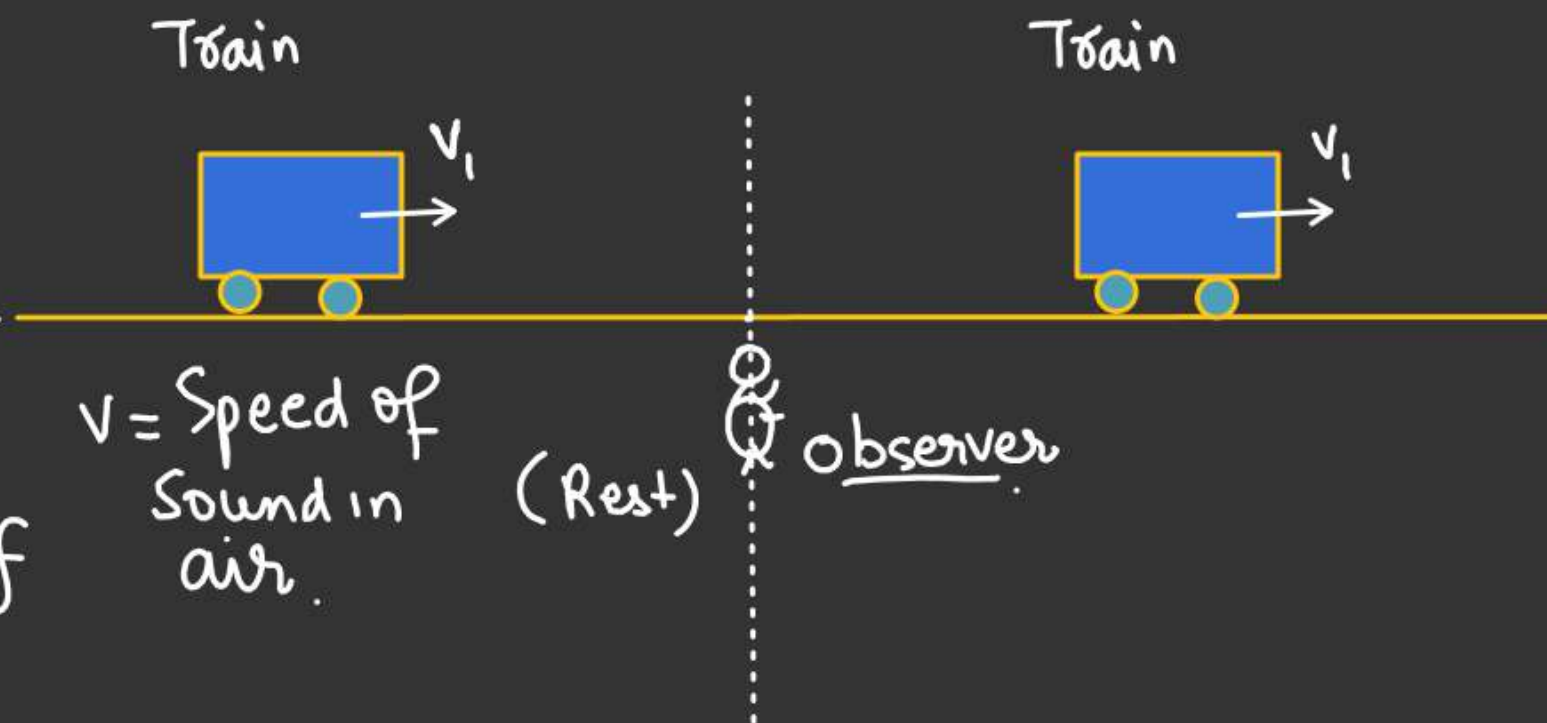
When train approaching
the observer.

$$(f_{app})_1 = \left(\frac{V}{V - v_1} \right) f$$

v = Speed of
Sound in
air.

(Rest)

Observer



When train moving away from observer

$$(f_{app})_2 = \left(\frac{V}{V + v_1} \right) f$$

$$\text{Beats} = |(f_{app})_1 - (f_{app})_2|$$

$$= v f \left[\frac{1}{V - v_1} - \frac{1}{V + v_1} \right]$$

$$= v f \left[\frac{2v_1}{V^2 - v_1^2} \right] = \left(\frac{2v v_1}{V^2 - v_1^2} \right) f$$

Doppler EffectCase of perfect reflector

App frequency detect by detector.

Wall as a observer ($v_o = 0$)

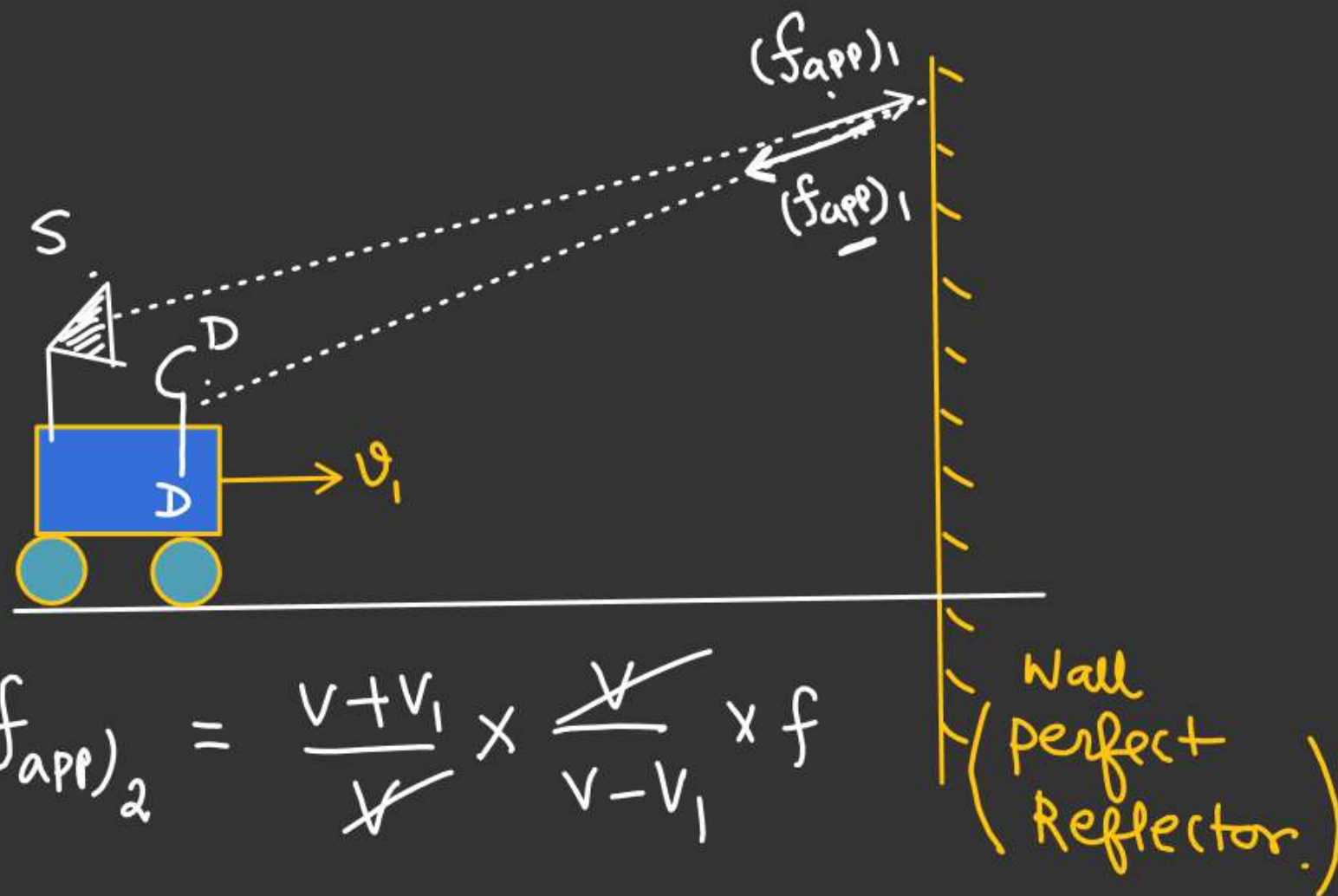
Let, $(f_{app})_1$ be the frequency received by wall.

$$(f_{app})_1 = \left(\frac{v}{v - v_1} \right) f \quad \text{--- (1)}$$

Wall as a source ($v_s = 0$)

Let, detector detects $(f_{app})_2$

$$(f_{app})_2 = \left(\frac{v + v_1}{v} \right) \times (f_{app})_1 \quad \text{--- (2)}$$



$$(f_{app})_2 = \frac{v + v_1}{v} \times \frac{v}{v - v_1} \times f$$

$$(f_{app})_2 = \left(\frac{v + v_1}{v - v_1} \right) f$$

Doppler Effect

$$(f_{app})_2 = \left(\frac{v + v_1}{v - v_1} \right) f$$

No of beats as detect by detector

$$= | (f_{app})_2 - f |$$

$$= \left| \frac{v + v_1}{v - v_1} - 1 \right| f$$

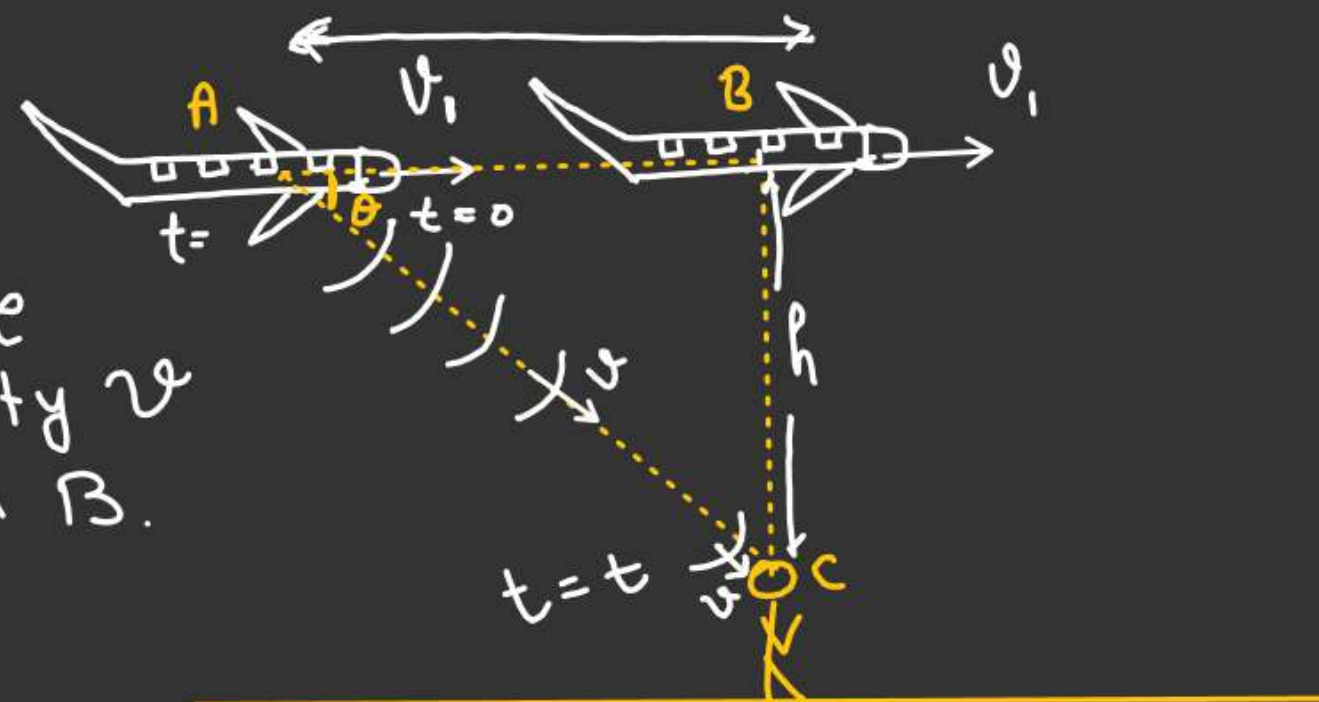
$$= \left(\frac{2v_1}{v - v_1} \right) f$$

Doppler Effect

When plane just above the observer

$$(f_{app}) = ??$$

When sound emitted by aeroplane at A reaches to C with velocity v then aeroplane is at position B.



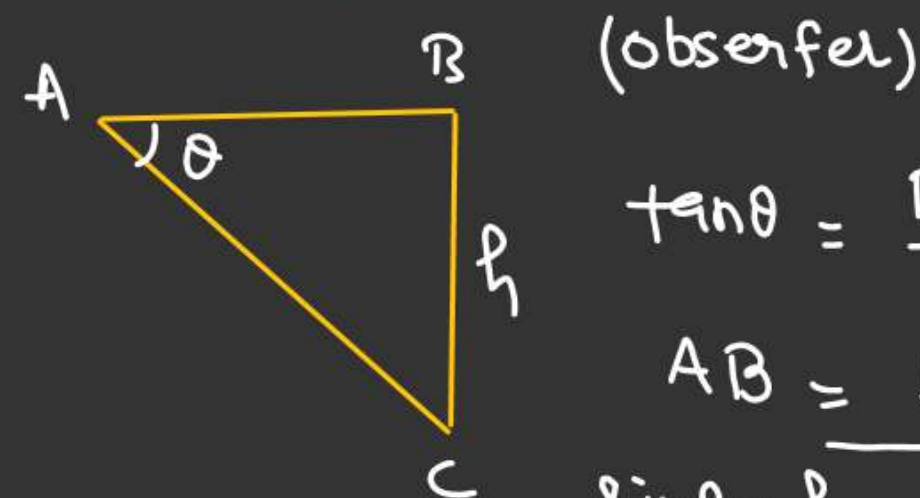
$$\frac{AB}{v_1} = \frac{AC}{v}$$

time taken by aeroplane to reach from A to B

time taken by sound wave to reach from A to C.

$$\frac{h \cot \theta}{v_1} = \frac{h \operatorname{cosec} \theta}{v}$$

$$\cos \theta = \left(\frac{v_1}{v} \right)$$



$$\tan \theta = \frac{BC}{AB}$$

$$AB = h \cot \theta$$

$$\sin \theta = \frac{h}{AC}$$

$$AC = h \operatorname{cosec} \theta$$

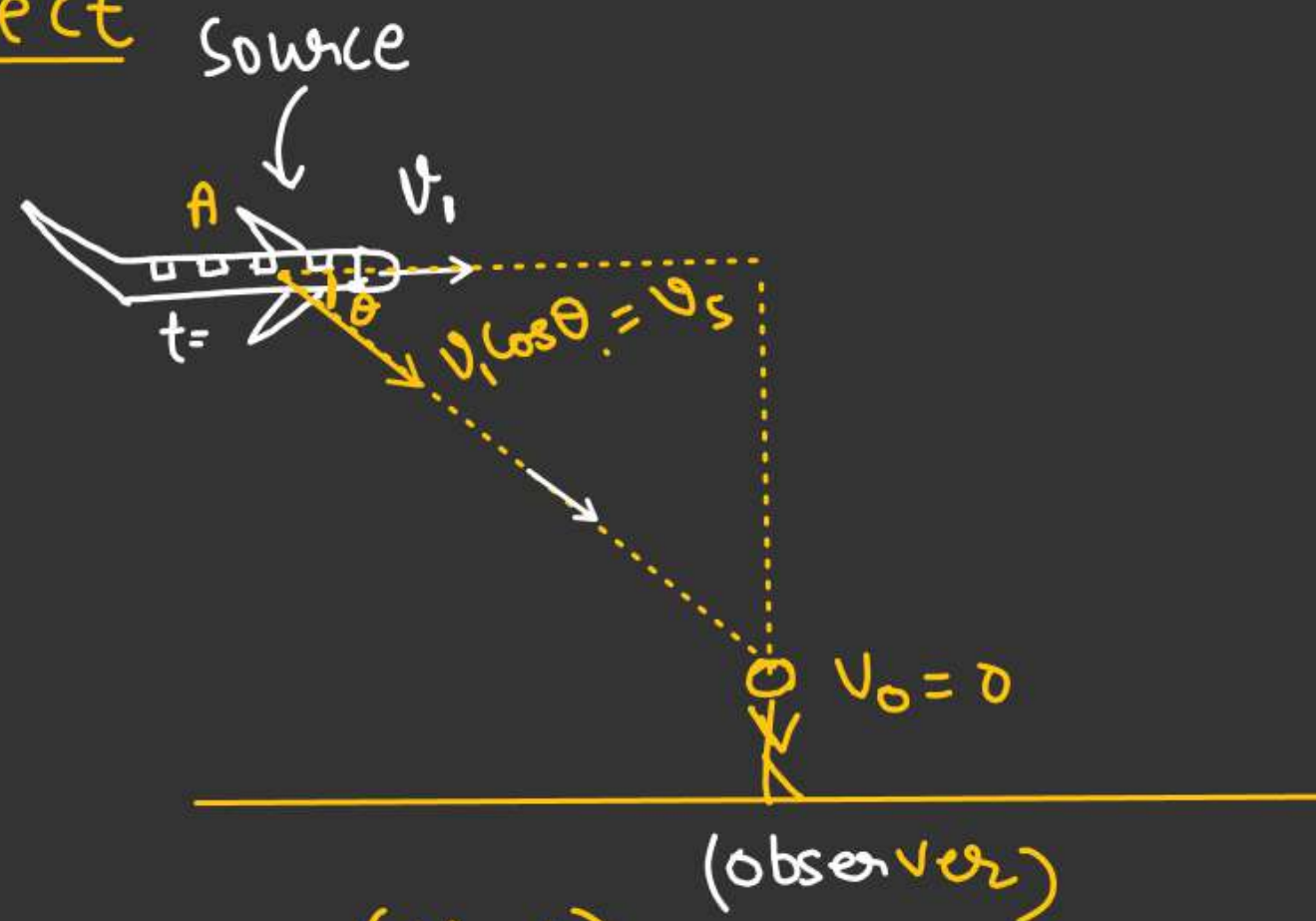
Doppler Effect

$$\cos \theta = \left(\frac{v_1}{v} \right)$$

$$f_{app} = \left(\frac{v}{v - v_1 \cos \theta} \right) \times f$$

$$f_{app} = \left(\frac{v}{v - v_1 \times \frac{v_1}{v}} \right) \times f$$

$$f_{app} = \left(\frac{v^2}{v^2 - v_1^2} \right) \times f$$



Doppler (H.W)
 → H.C. Verma
Sound wave