
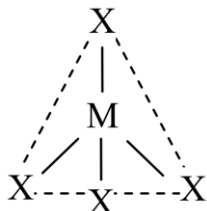


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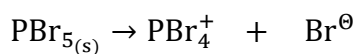
1.



Tetrahedral shape

Number of  $\angle \text{XMX}$  in the compound  $\text{MX}_4 = 6$

2.

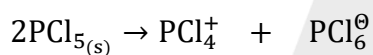


(Cationic  
part)

(anionic  
part)

So hybridization of anionic part cannot be defined.

3.



(Cationic  
part)

(anionic  
part)

$\text{PCl}_4^+$ : geometry : Tetrahedral

Bond angle :  $109.28^\circ$

$\text{PCl}_6^\ominus$ : geometry : Tetrahedral

Bond angle :  $109.28^\circ$

4.

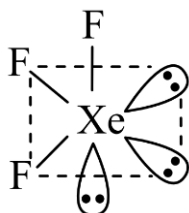
The anionic part of  $\text{PCl}_{5(s)}$  is  $\text{PCl}_6^\ominus$


$\text{PCl}_6^\ominus$ : geometry : Octahedral

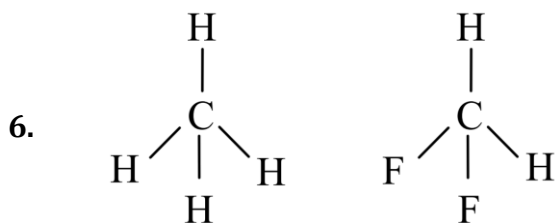
Bond angle :  $90^\circ, 180^\circ$

5.

$\text{XeF}_3^\ominus$  will not be possible, because it contains 3 lone pair - lone pair repulsion at  $90^\circ$



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⇒ Both molecules are Tetrahedral in shape and have  $sp^3$  – hybridization  
 ⇒ For regular Tetrahedral geometry. The terminal atom need to be same.

7. (a)  $BeCl_2 \rightarrow$  Linear,  $sp$

$CO_2 \rightarrow$  Linear,  $sp$

(b)  $CO_2 \rightarrow$  Linear,  $sp$

$SO_2 \rightarrow$  Bent shape,  $sp^2$

(c)  $SO_2 \rightarrow$  Bent shape,  $sp^2$

$I_3^+ \rightarrow$  Bent shape,  $sp^3$

(d)  $ICl_2^0 \rightarrow$  Linear,  $sp^3 d$ .

$BeH_2 \rightarrow$  Linear,  $sp$


8. "Except Tetrahedral all the other geometry can be formed in  $sp^3 d$  hybridization"

(A) Linear :-  $(2-B.P + 3-L.P)$

(C) T-shaped :-  $(2-L.P + 3-B.P)$

(D) See-Saw  $(4-B.P + 1-L.P)$

9. In case of  $sp^3 d^2$  hybridization, more than one type of angles are possible in octahedral geometry.  
 eg :-  $180^\circ$  and  $90^\circ$

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10. (P)  $sp^3$  (Tetrahedral) : – s - orbital

$p_y$  – orbital

(Q)  $sp^3 d^2$  (Octahedral) : – s - orbital

$p_y$  – orbital

$d_{z^2}$  - orbital

$d_{x^2-y^2}$  orbital

(R)  $sp^3 d$  (TBP) : –

s - orbital

$p_y$  - orbital

$d_{z^2}$  - orbital

(S)  $dsp^2$  (Square planar) : – s - orbital

$p_y$  - orbital

$d_{x^2-y^2}$  - orbital