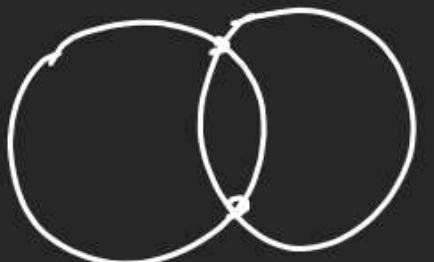


$\odot$  from 5 Circles & 4 Lines  
find max. Poi.

(circle-circle   circle-line   line-line



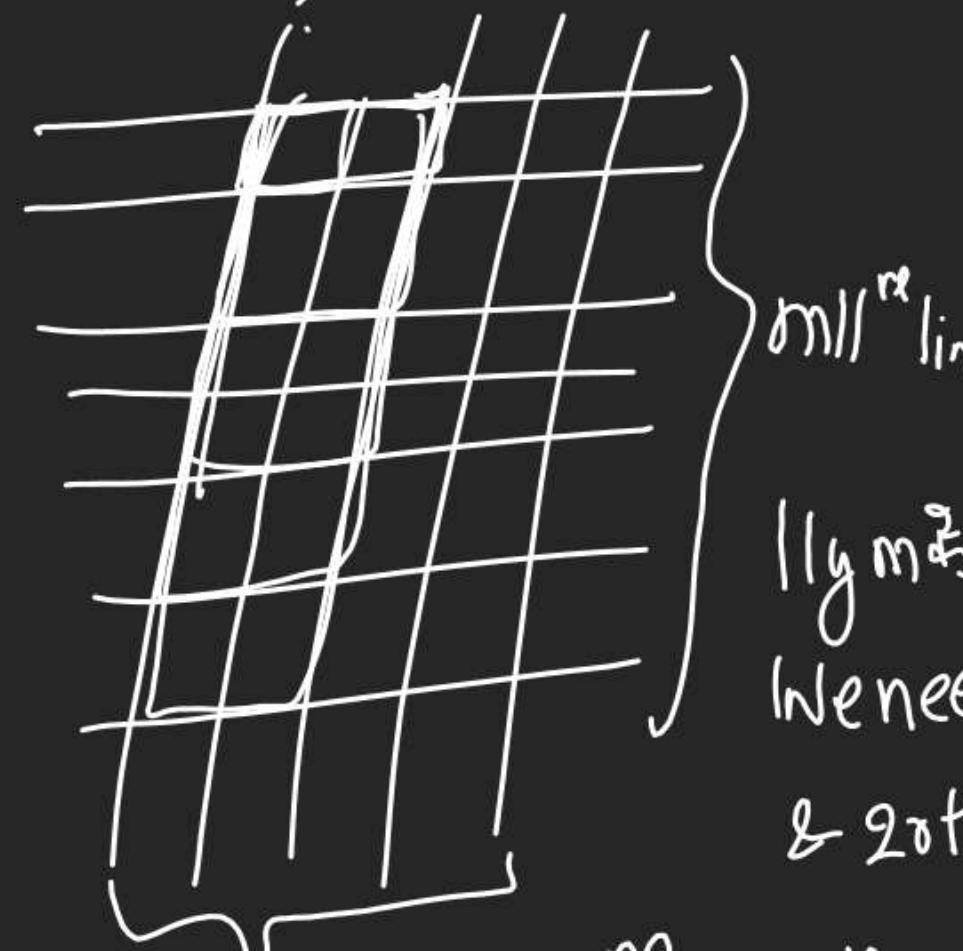
2 Pol

$$\begin{array}{c}
 5C_1 \times 2 + | 5C_1 \times 4C_1 \times 2 + 4C_2 \times 1 \\
 \uparrow \quad \uparrow \\
 5 \text{ Circle} \quad \left| \begin{array}{l} \text{Hr} \\ \text{Pair} \end{array} \right. \\
 \uparrow \quad \uparrow \\
 2 \text{ Group} \quad \left| \begin{array}{l} \text{P} \\ \text{P} \cup C \end{array} \right. \\
 \text{Select} \quad \left| \begin{array}{l} \text{do} \\ \text{Inlays} \end{array} \right. \\
 \end{array}$$

Q fromm l' Line & n anoth'r

11<sup>th</sup> Lines found No of 11gm

Psb 19



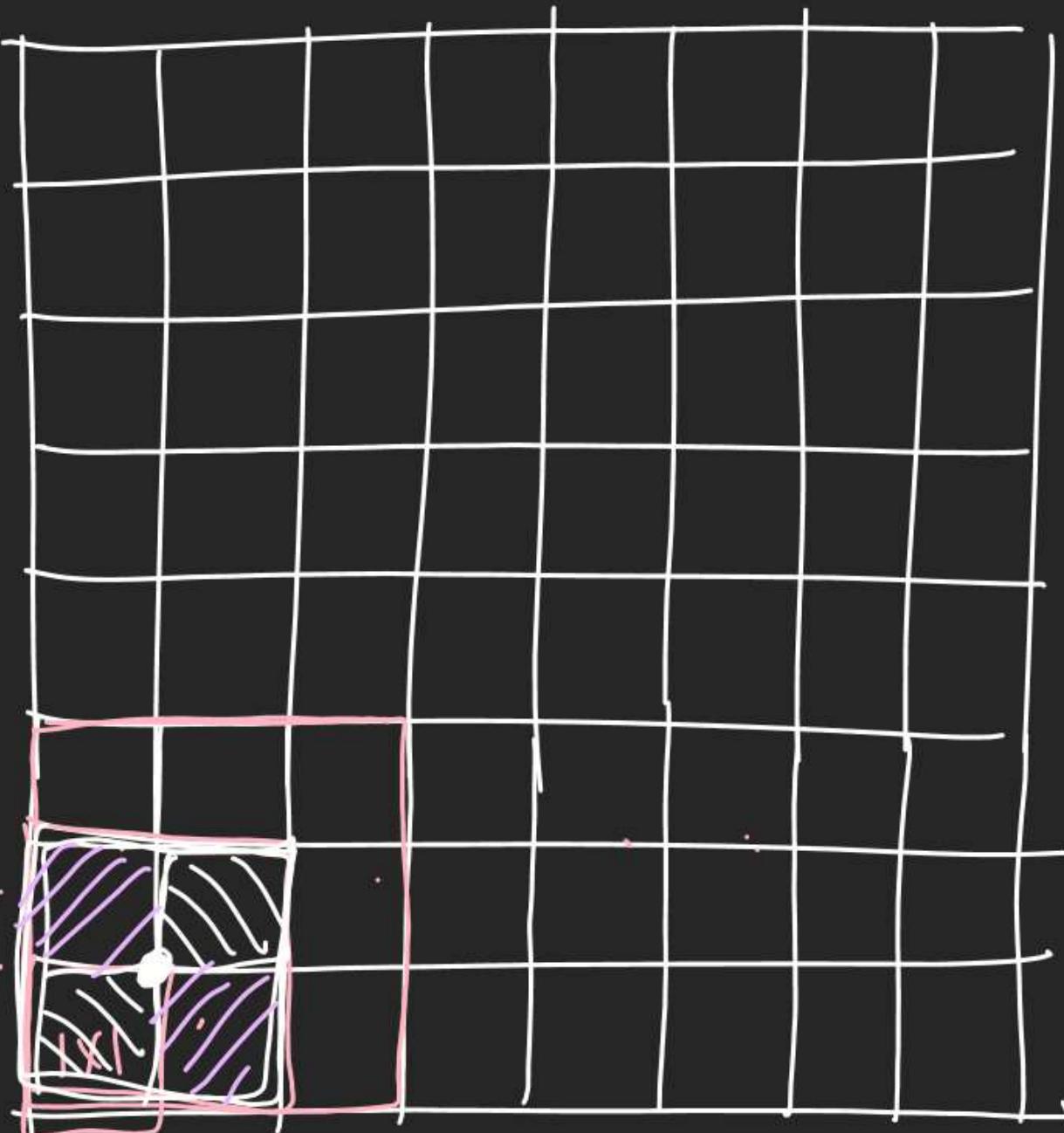
mill<sup>re</sup>lin.

HydroLine

We need 2    lines  
& 2 other // Lines

$$n_{\text{No of layers}} = m_{C_2} \times n_{C_2}$$

# Q On a chessboard



(1) No of Sq on  
chessboard

$$\begin{aligned} 1 \times 1 &\rightarrow 8 \times 8 \\ 2 \times 2 &\rightarrow 7 \times 7 \\ 3 \times 3 &\rightarrow 6 \times 6 \\ 4 \times 4 &\rightarrow 5 \times 5 \\ 5 \times 5 &\rightarrow 4 \times 4 \\ 6 \times 6 &\rightarrow 3 \times 3 \\ 7 \times 7 &\rightarrow 2 \times 2 \\ 8 \times 8 &\rightarrow 1 \times 1 \end{aligned}$$

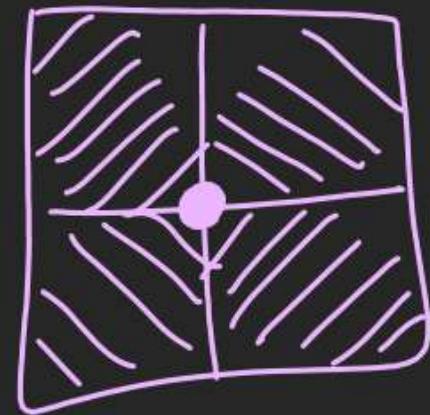
$$\text{Total Sq} = 1^2 + 2^2 + 3^2 + \dots + 8^2 = \frac{(8)(9)(17)}{6 \times 2} = 204$$

(2) Total Rectangles

$$= {}^8C_2 \times {}^8C_2 = 36 \times 36 = 1296$$

(3) No of Rectangles in no of Sq  
= 1296 - 204

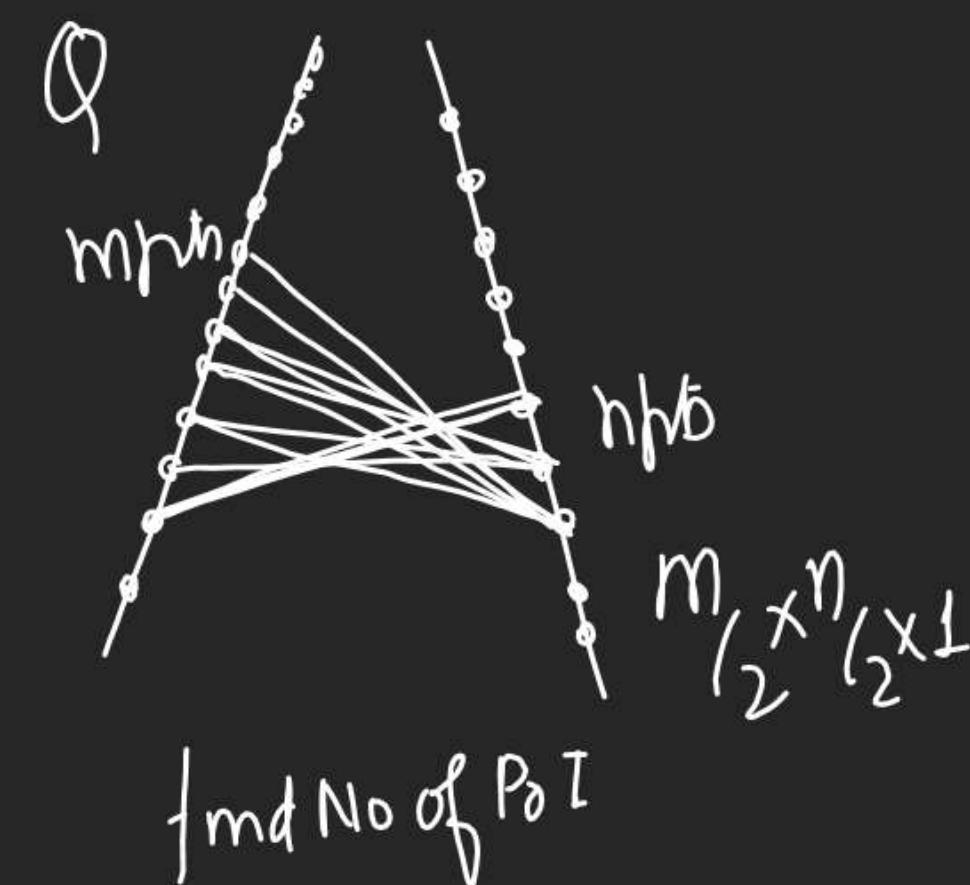
Unit  
(4) No of sq who have common  
vertex.



$$\text{No of unit sq's} = 7 \times 7 \times 2$$

having common vertex.

Jitni bar Aise  $2 \times 2$   
5 Dabbe Ayenge  
We will get  
2 units sq  
having comm. vertex.

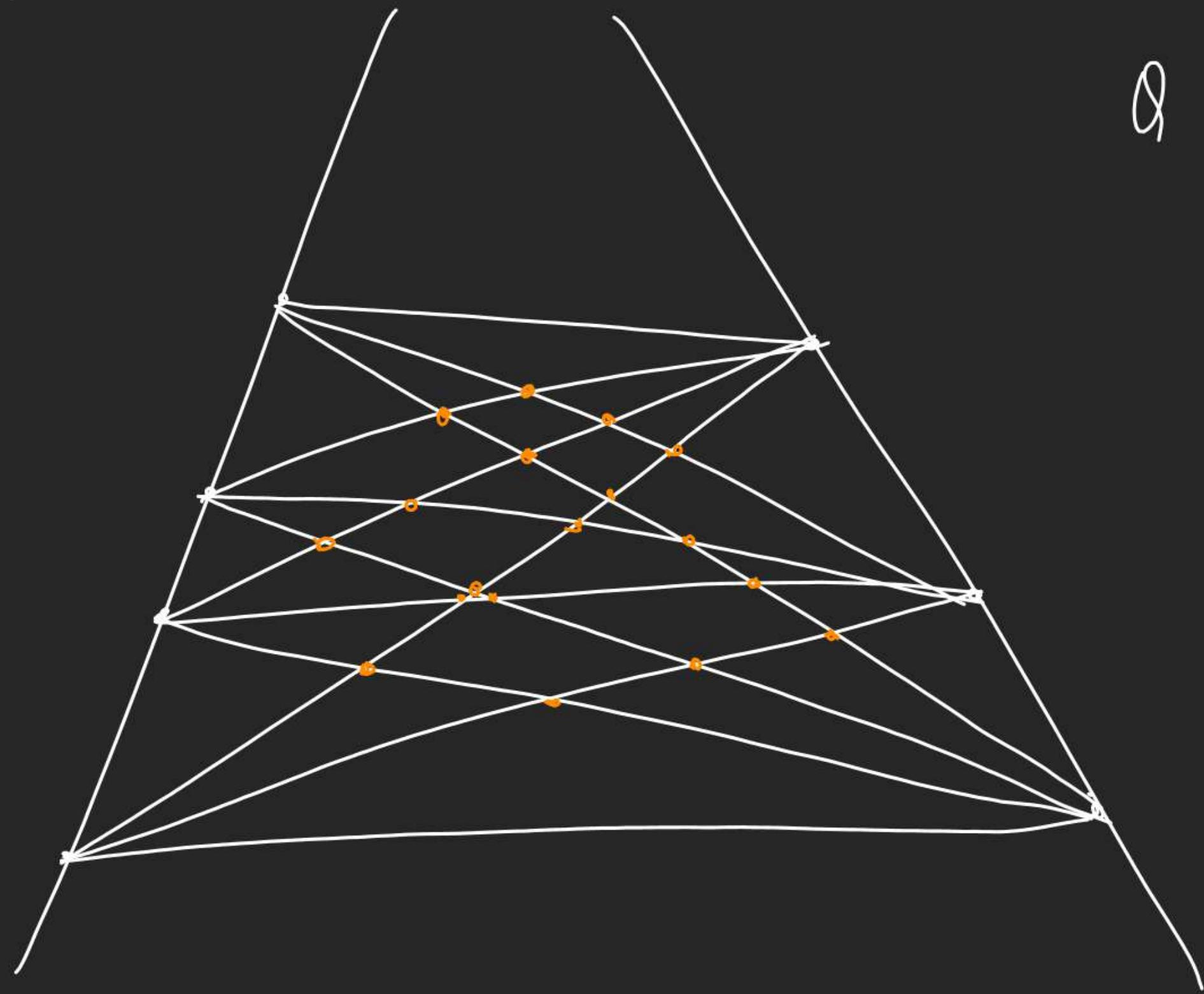


find No of Pairs  
Inherent from  
1st line & 2nd from  
graham interconnected

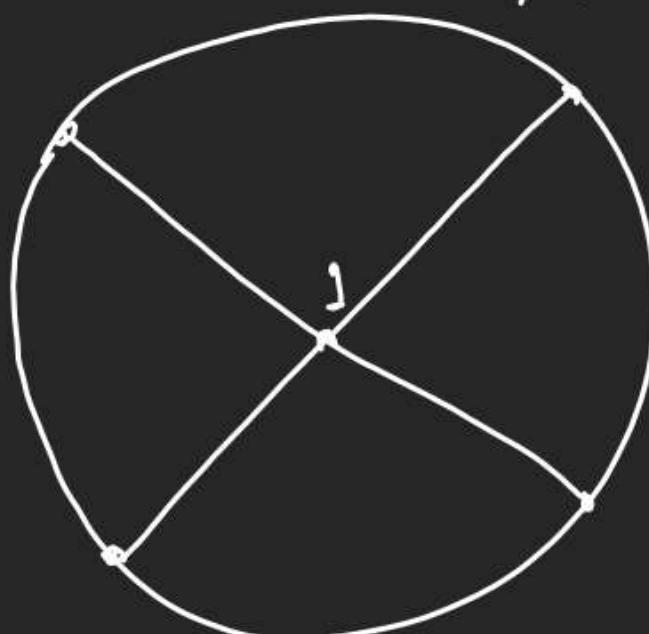
$$P_{01} = C_2^1 \times C_2^3 \times 1$$

$$= 6 \times 3 = 18$$





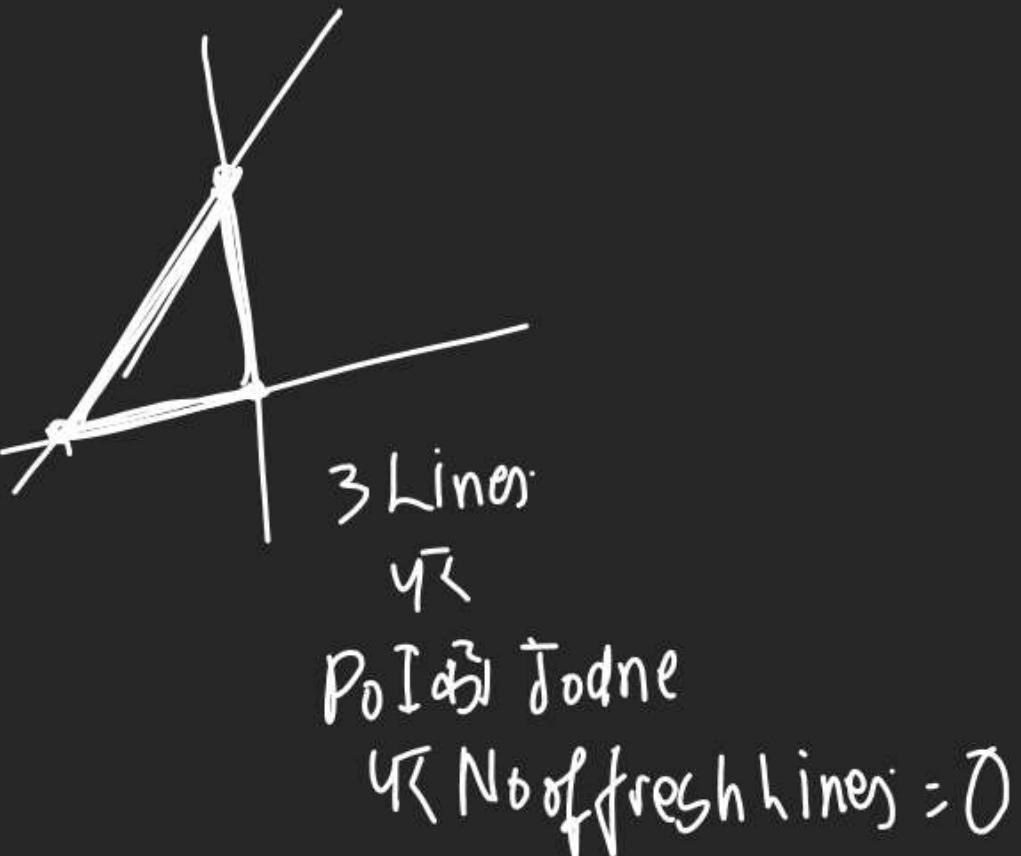
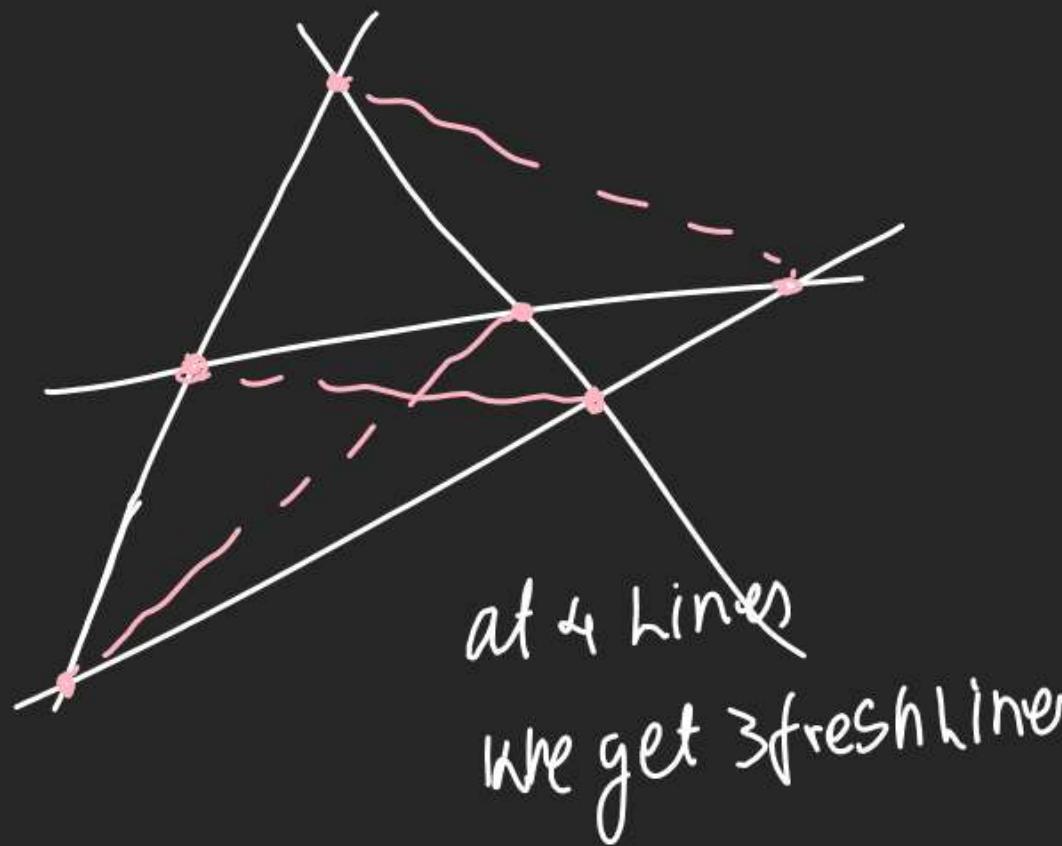
Q 9 hts are given on a Circle, each ht is joined to another, find No of POI



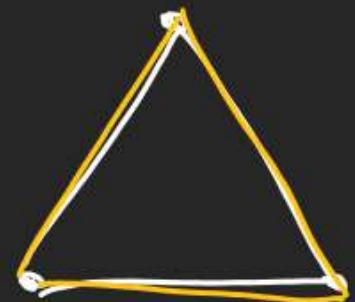
If you need  
1 ht of Int.  
on a circle  
you need 4 hts

As many times you can find  
4 hts out of 9 you will get 1 POI  
Total =  ${}^9 C_4 \times 1$  POI

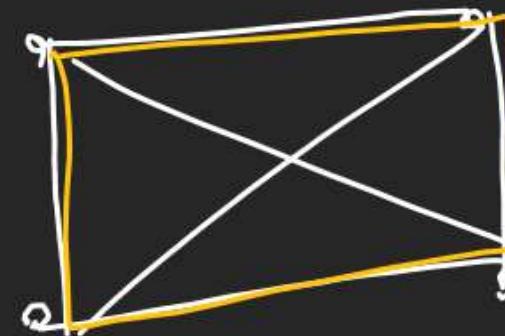
Q There are  $n$  STL in a plane {No. of lines} =  $n_{4 \times 3}$   
 no 2 of them are  $l_1$ ,  $l_2$  passes through same pt. Their Po.I are joined. Then find No of fresh Lines.



# Visualisations & Analysis



3 hubs  
No of st. lines.  
 $\frac{3}{2}C_2 = 3$   
all 3 sides

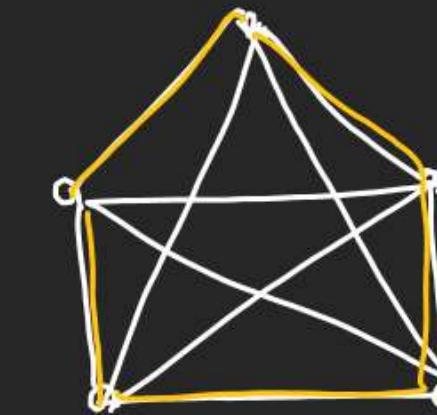


$$\begin{aligned} 4 \text{ hubs} \\ \text{No of STL} &= 4C_2 \\ &= 6 \end{aligned}$$

$$4 \text{ hubs} = 4 \text{ sides} + 2 \text{ diag.}$$

If we make st. lines joining  
n hubs then we can get n sides

$$nC_2 = n + \text{diag} \Rightarrow \boxed{\text{Diag} = nC_2 - n} = \frac{n^2 - 3n}{2}$$



$$\begin{aligned} 5 \text{ hubs} \\ \text{No of STL} \\ &= 5C_2 = 10 \end{aligned}$$

$$5 \text{ hubs} = 5 \text{ sides} + 5 \text{ diag.}$$



$$\begin{aligned} 6 \text{ hubs} \\ \text{No of STL} \\ &= 6C_2 = 15 \end{aligned}$$

$$6 \text{ hubs} = 6 \text{ sides} + 9 \text{ diag.}$$

Q If a Polygon has 44 diag.

then No of sides -?

$$\frac{n^2 - 3n}{2} = 44$$

$$n^2 - 3n - 88 = 0$$

$$(n-11)(n+8) = 0$$

$$n = 11$$

∴ polygon of 11 sides

DPP-3

Q1 VALEDICTORY

V L A E I O D C T R Y  
= [8 x 4]

Q2 RNA 2, 3, 4, 5, 6, 0

400 - 1000 3 x 5 x 4  
60

R A

3 x 6 x 6

= 108 - 1

= 107 (400)

(3) Interior Angle =  $150^\circ$

Exterior =  $30^\circ$

No of Side =  $\frac{360}{30} = 12$

No of diag =  $\frac{(12)^2 - 3 \times 12}{2}$

54 diag

Q4 10 (5 x 15)

Q5, Q6 (check Notes)

Rank

Q3

1 | 0 | 0  
→ 1

2 | 0 0  
0 | 1 | 0  
↓ | ↓ | ↓  
→ 4

3 | 0 0  
0 | 1 | 0  
2 | 0 | 0  
2 | 1 | 0  
2 | 2 | 0  
2 | 2 | 1  
↓ | ↓ | ↓  
→ 9

$1^2 + 2^2 + 3^2 - - + 9^2$

$\emptyset \stackrel{10}{=}$ 

1, 2, 3, 4, 5, 6, 7, 8, 9

1	3	5	7	9	2	6
x	x	x	x	x	x	x

3, 4 left, 1, 5 right, 6 left

1, 2 left

$g_{G_2}$  bubble  $\rightarrow$  1st treekey  
Sebhard.

$\underline{g_{G_2} \times 1 \times G_2 \times 1 \times 5 \times 2 \times 1 \times 13}$