

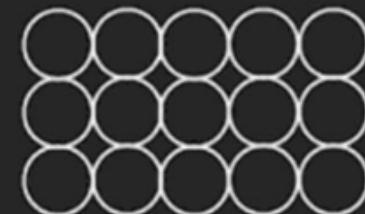
Examples of :

<u>Molecular Solid</u>	<u>Network Solid</u>	<u>Metallic</u>	<u>Ionic</u>
<u>Benzene</u>	graphite	Copper	NaCl
Urea	SiC	Iron	AgCl
<u>Ammonia</u>	Diamond	Rubidium	Na ₂ SO ₄
<u>Water</u>	AlN		CaF ₂
I ₂ (s)	SiO ₂ (Quartz)		ZnS
Ar			
fullerene	AlN		

Difference between amorphous and crystalline solid

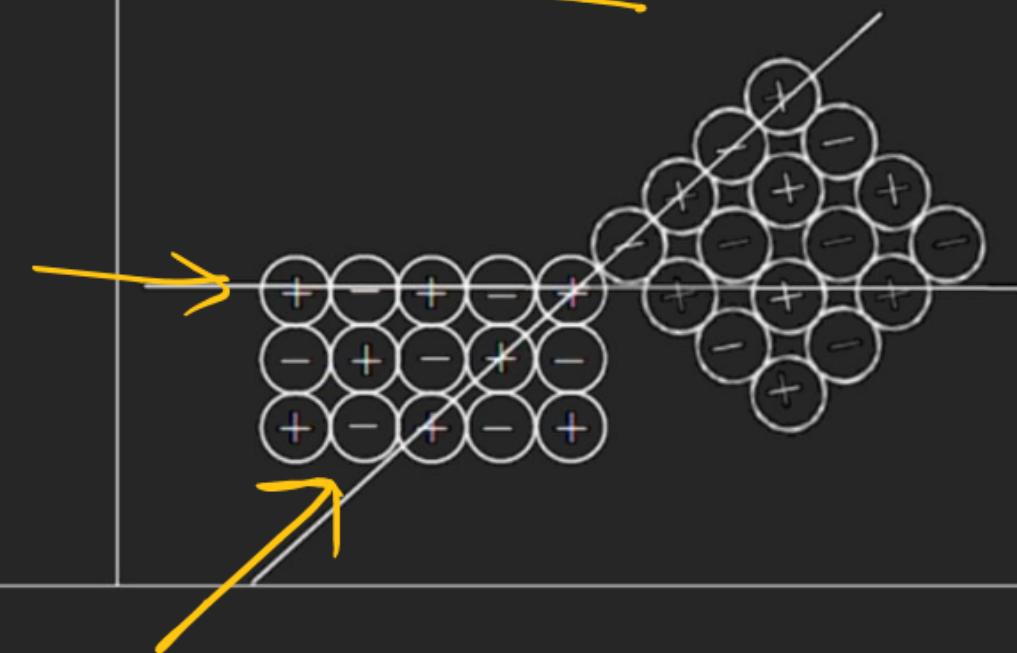
Crystalline

- (1) Arrangement of atom/ion remain same throughout the solid
- (2) ΔH_{fusion} is definite
- (3) Melt at a sharp temperature
- (4) Cleavage plane
new surfaces are plain and smooth
- (5) Anisotropic nature



Amorphous

- (1) Don't remain same throughout the solid.
- (2) ΔH_{fusion} is not definite
- (3) Melts over a range of temperature
- (4) New surfaces are irregular
- (5) Isotropic nature



Depending upon the type of bonding
crystalline solids can be categorised into

1. Ionic solid :— Ionic bonds are present

e.g. NaCl , KCl , ZnS

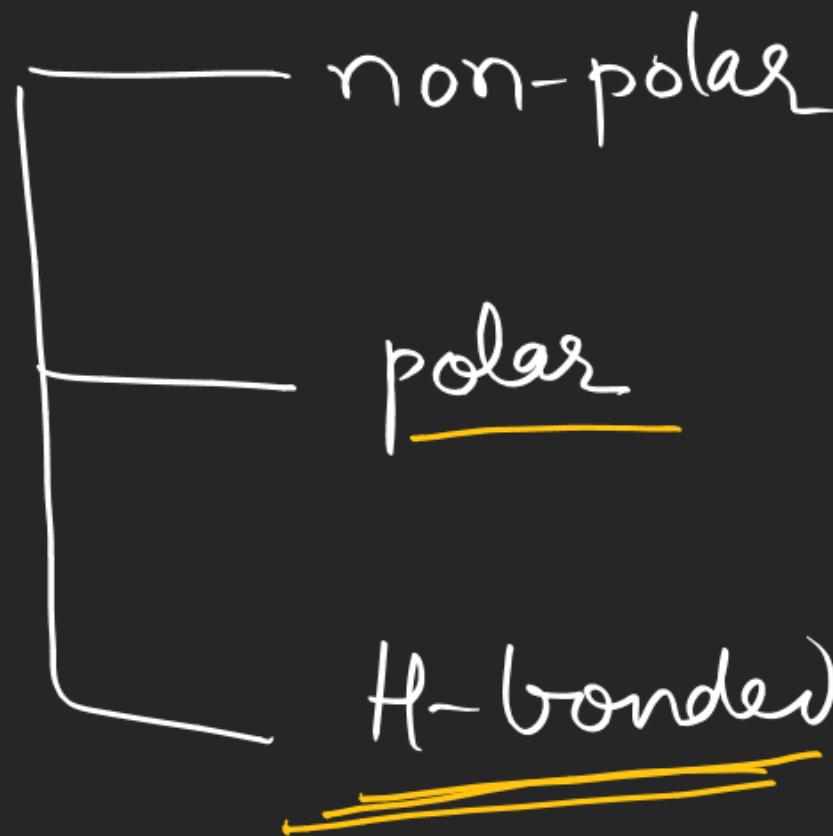
2. Metallic Solid :— Metallic bonds are present

e.g. Cu , Fe , Ag

3. Covalent or network solid :— Covalent bonds are present

e.g. Diamond, graphite, SiO_2 , (Quartz)

4.) Molecular solids :- molecules are held together by Vander Waal's forces

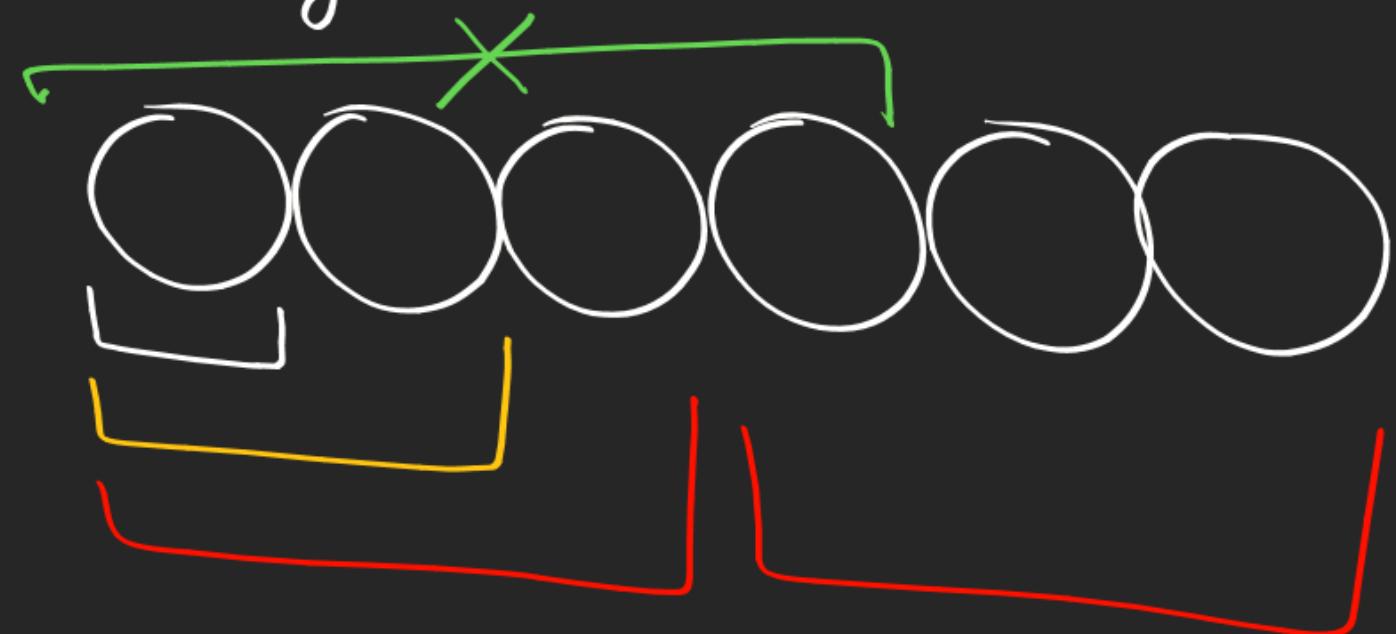


Examples



Some Basic Definitions

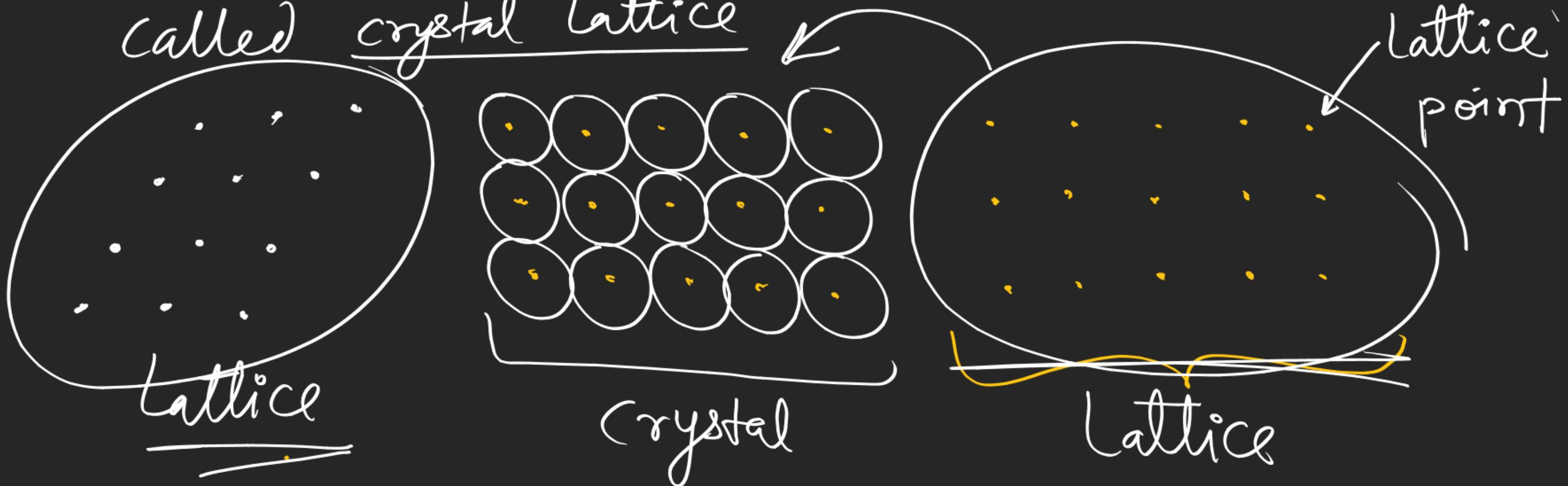
1. Basis or Motif: — A basis may be an atom, molecule or ion which is repeated in space to generate entire crystal (solid)

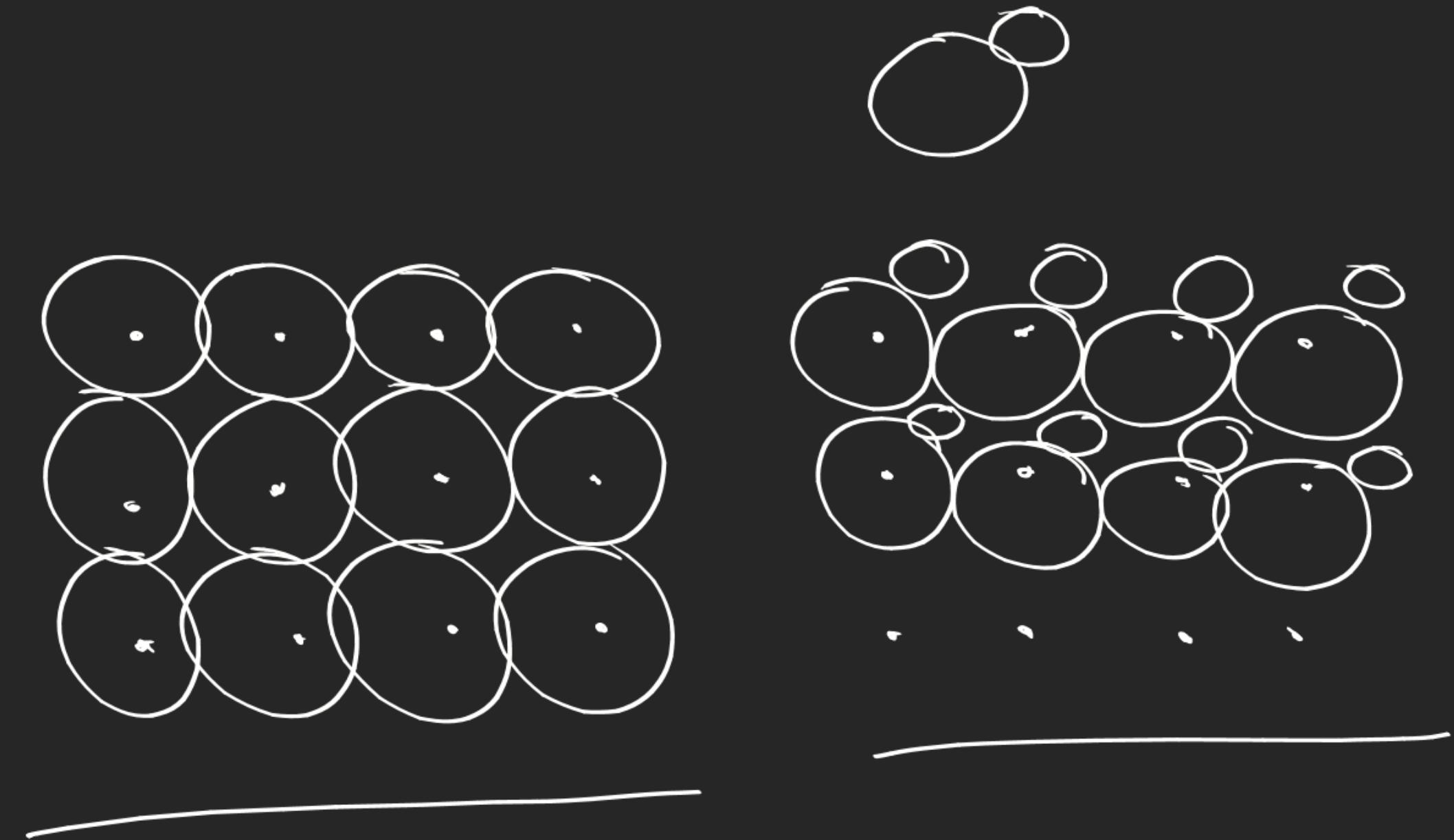


Crystal lattice, lattice or space lattice : →

If we put a point at the same location in each repeated basis, the collection of points is

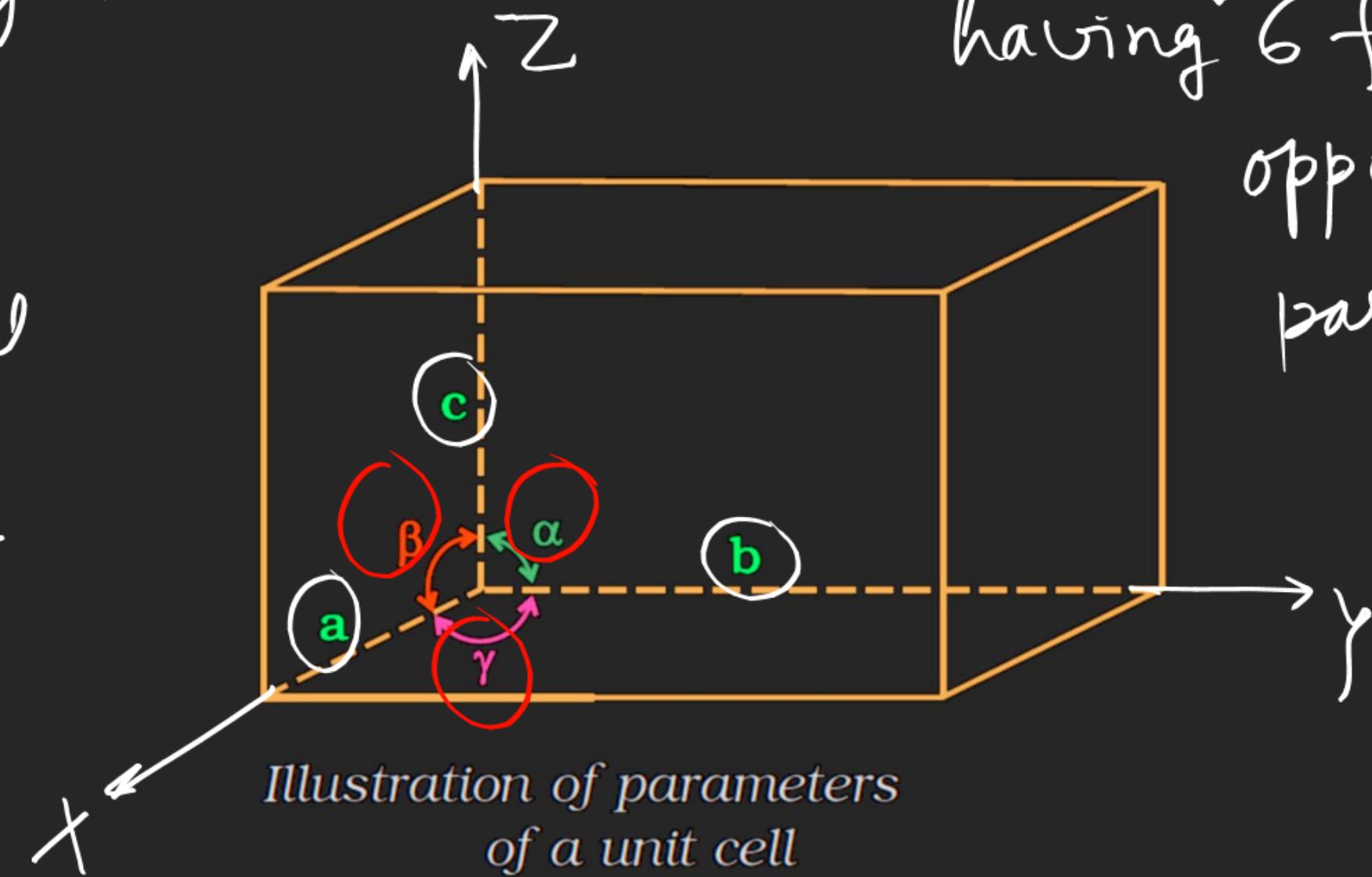
called crystal lattice



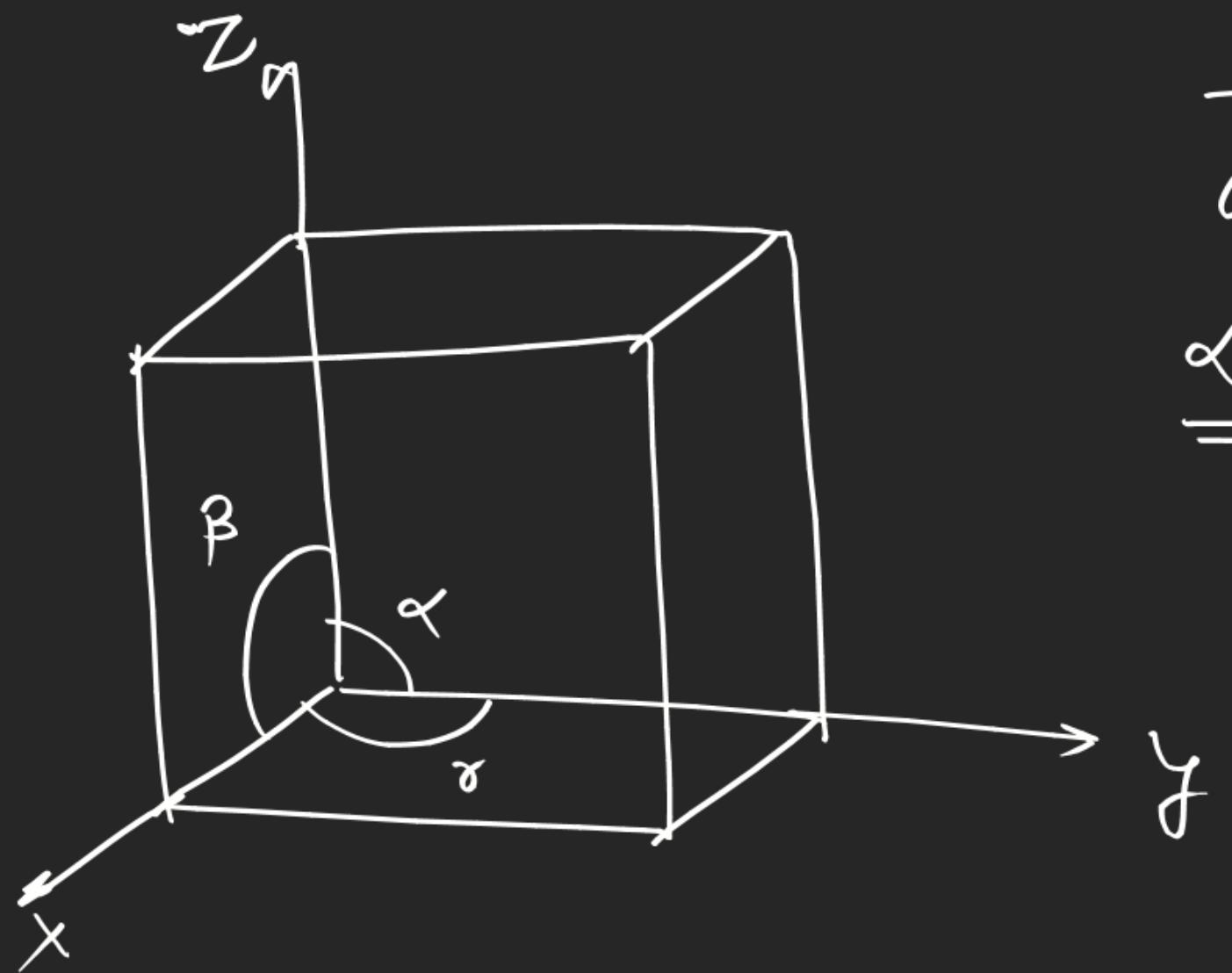


parallelogram

edge length

 a, b, c Interfacial
angles α, β, γ Illustration of parameters
of a unit cellparallelopiped

having 6 faces, in which
opposite faces are
parallel to each other

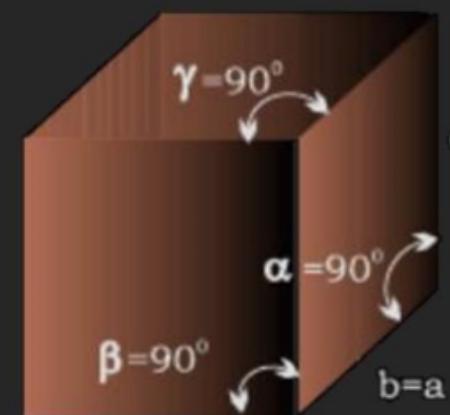


Cube

$$a = b = c$$

$$\underline{\alpha = \beta = \gamma = 90^\circ}$$

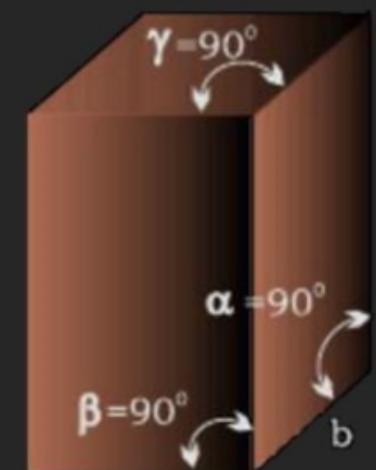
$$\begin{aligned}a &= b = c \\ \alpha &= \beta = \gamma = 90^\circ\end{aligned}$$



Cubic

Cube

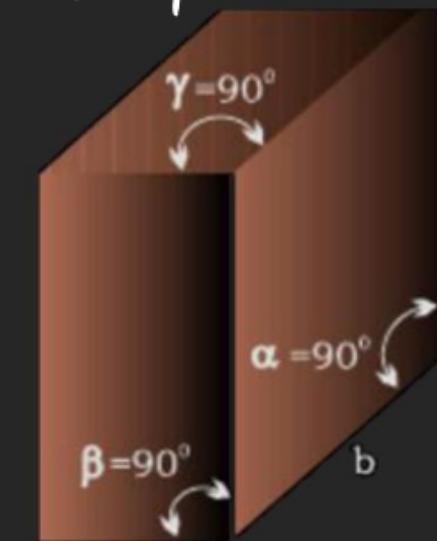
$$\begin{aligned}a &= b \neq c \\ \alpha &= \beta = \gamma = 90^\circ\end{aligned}$$



Tetragonal

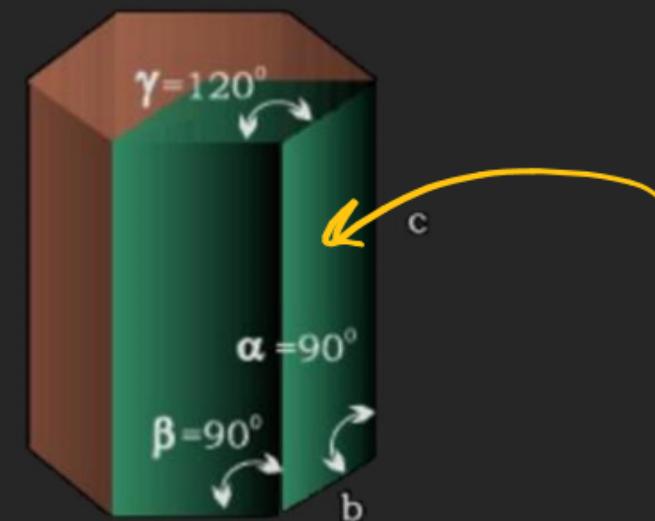
Cuboid

$$\begin{aligned}a &\neq b \neq c \\ \alpha &= \beta = \gamma = 90^\circ\end{aligned}$$



Orthorhombic

$$\begin{aligned}a &\neq b \neq c \\ \alpha &= \beta = \gamma = 90^\circ\end{aligned}$$

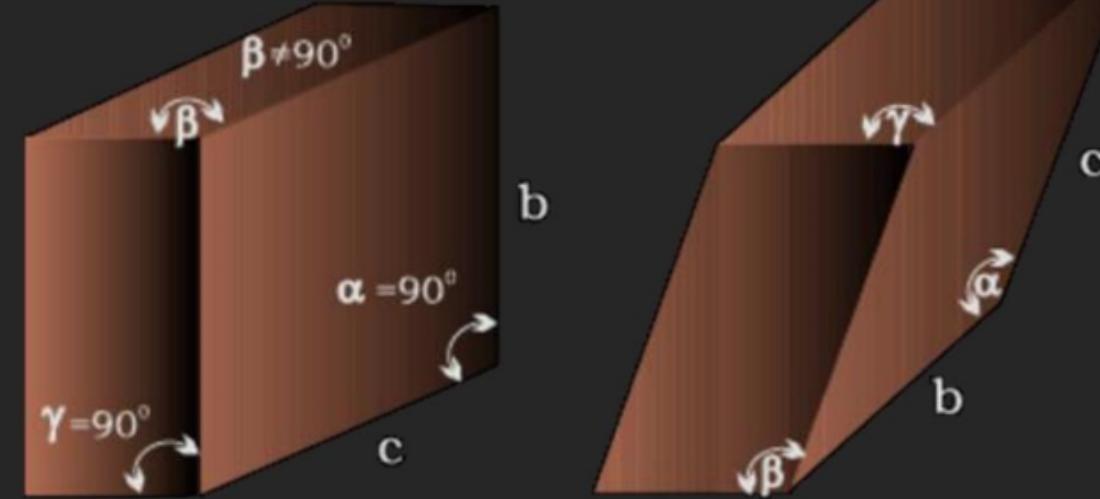


Hexagonal

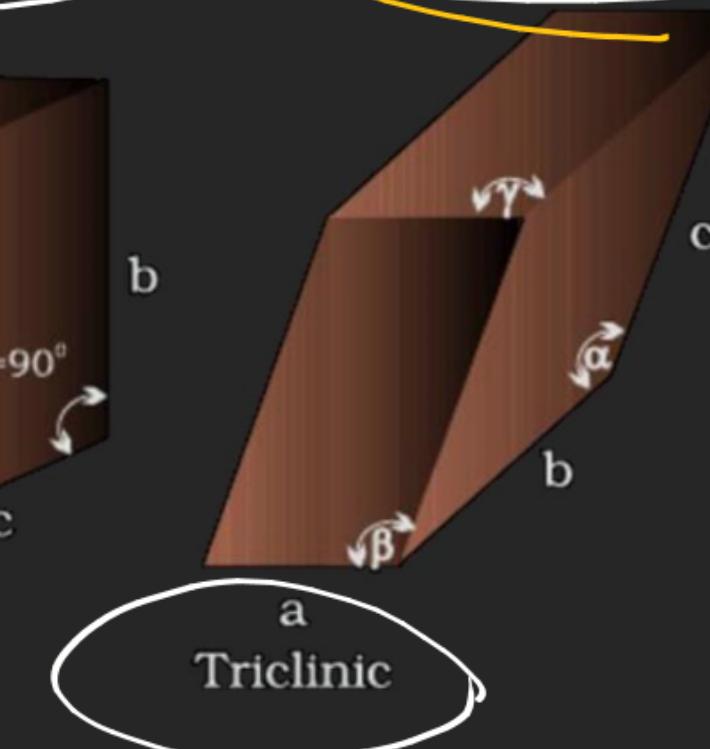


Trigonal

Rhombohedral



Monoclinic



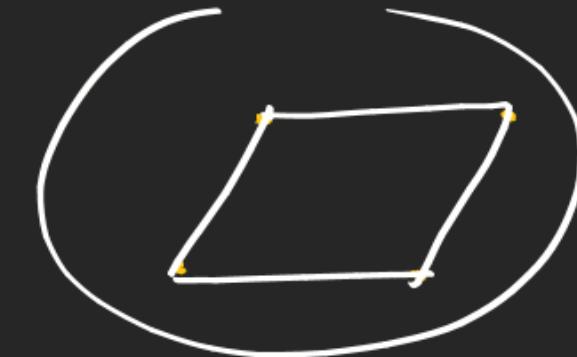
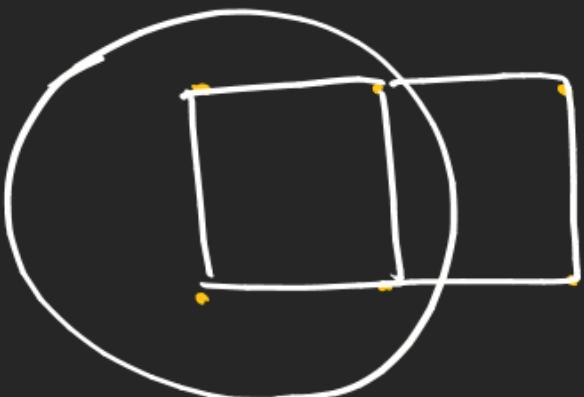
Triclinic

Seven crystal systems

$$\begin{aligned}a &\neq b \neq c \\ \alpha &= \beta = \gamma = 90^\circ\end{aligned}$$

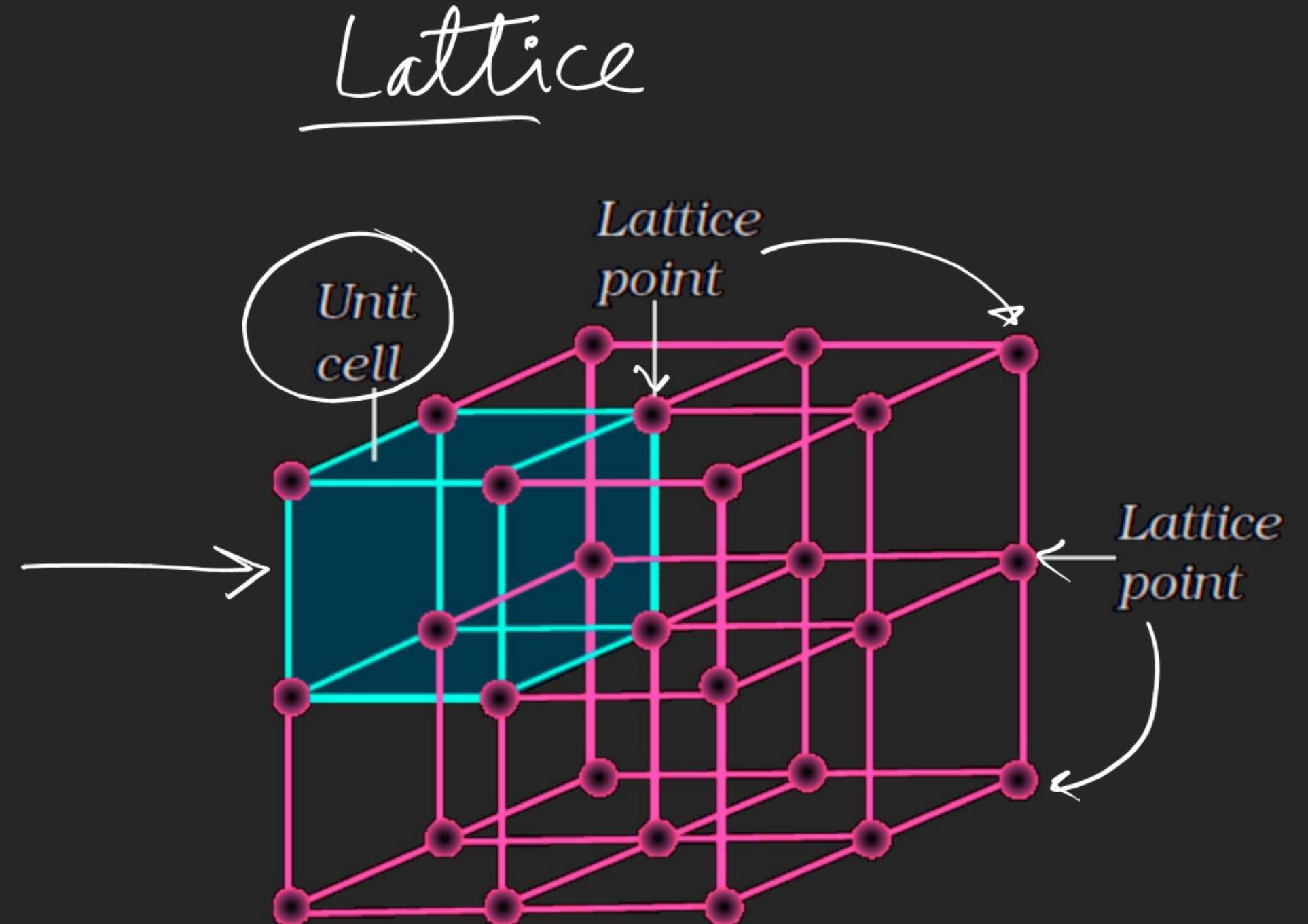
Prism

Unit cell :-



Lattice
+
Basis
= crystal

If all the lattice points are connected by lines
the smallest parallelopiped which can be repeated
to generate the entire lattice is called unit cell



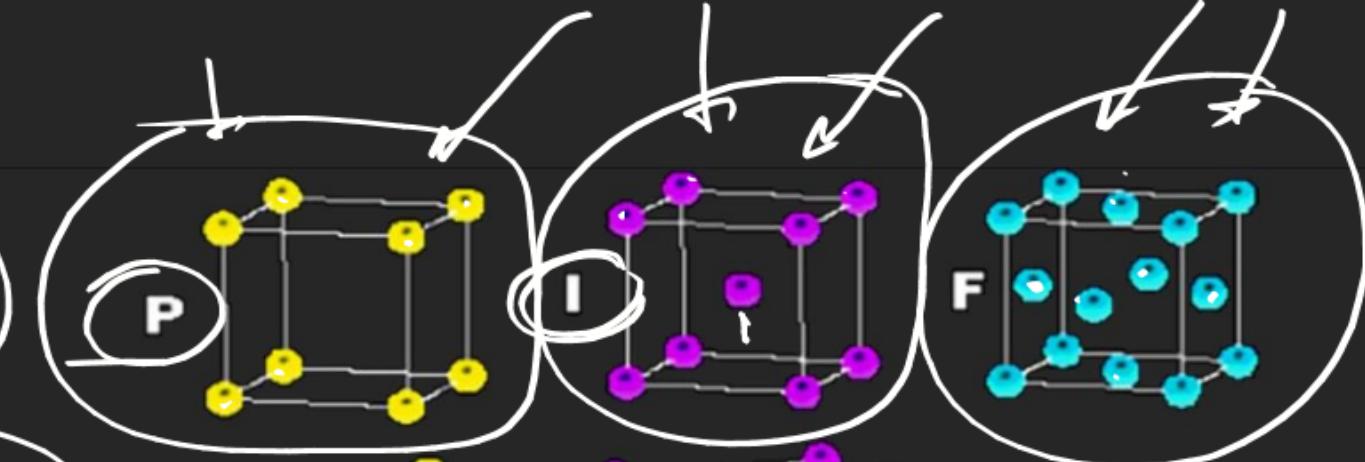
Seven Primitive Unit cells and their Possible Variations as Centered Unit Cells

Crystal system	Possible Variations	Axial distance or edge lengths	Axial angles	Examples
Cubic	Primitive Body centered Face centred	$a = b = c$	$\alpha = \beta = \gamma = 90^\circ$ $a = b = c$	NaCl, Zinc blende, Cu
Tetragonal	Primitive Body centered.	$a = b \neq c$	$\alpha = \beta = \gamma = 90^\circ$ $a \neq b \neq c$	White tin, SnO_2 , TiO_2 , CaSO_4
Orthorhombic	Primitive Body centered. Face centered, End centered	$a \neq b \neq c$	$\alpha = \beta = \gamma = 90^\circ$ $a \neq b \neq c$	Rhombic sulphur, KNO_3 , BeSO_4
Hexagonal	Primitive	$a = b \neq c$	$\alpha = \beta = 90^\circ$ $\gamma = 120^\circ$ $a = b \neq c$	Graphite, ZnO , CdS
Rhombohedral or Trigonal	Primitive	$a = b = c$	$\alpha = \beta = \gamma \neq 90^\circ$ $a = b = c$	Calcite (CaCO_3), HgS (Cinnabar)
Monoclinic	Primitive End centred	$a \neq b \neq c$	$\alpha = \gamma = 90^\circ$ $\beta \neq 90^\circ$	Monoclinic sulphur $\text{Na}_2\text{SO}_4 \cdot 10\text{H}_2\text{O}$
Triclinic	Primitive	$a \neq b \neq c$	$\alpha \neq \beta \neq \gamma \neq 90^\circ$	K_2CrO_7 , $\text{CuSO}_4 \cdot 5\text{H}_2\text{O}$, H_3O

$$\alpha = \beta = 90^\circ \quad \gamma = 120^\circ$$

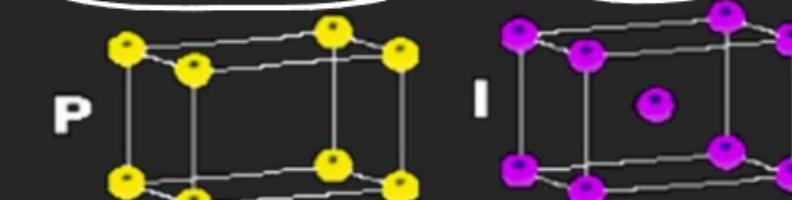
Primitive

CUBIC
 $a = b = c$
 $\alpha = \beta = \gamma = 90^\circ$



Body centred

TETRAGONAL
 $a = b \neq c$
 $\alpha = \beta = \gamma = 90^\circ$



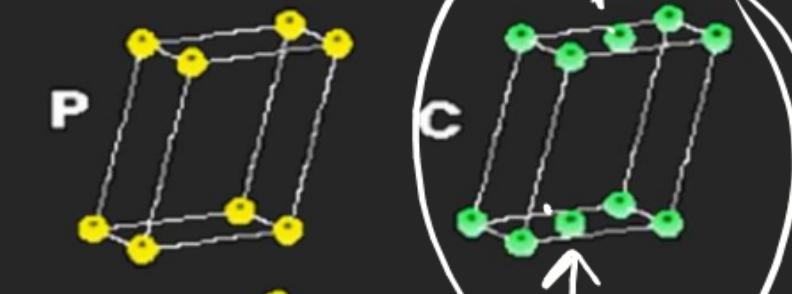
ORTHORHOMBIC
 $a \neq b \neq c$
 $\alpha = \beta = \gamma = 90^\circ$



HEXAGONAL
 $a = b \neq c$
 $\alpha = \beta = 90^\circ$
 $\gamma = 120^\circ$



MONOCLINIC
 $a \neq b \neq c$
 $\alpha = \gamma = 90^\circ$
 $\beta \neq 120^\circ$



TRICLINIC
 $a \neq b \neq c$
 $\alpha \neq \beta \neq \gamma \neq 90^\circ$



4 Types of Unit Cell
P = Primitive
I = Body-Centred
F = Face-Centred
C = Side-Centred
+
7 Crystal Classes
→ **14 Bravais Lattices**

= 3

2

4

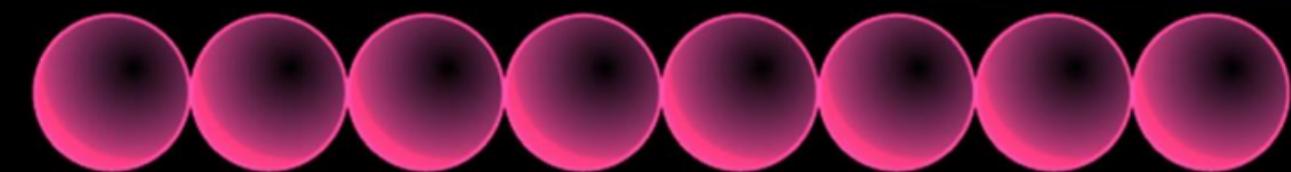
= 2

= 3

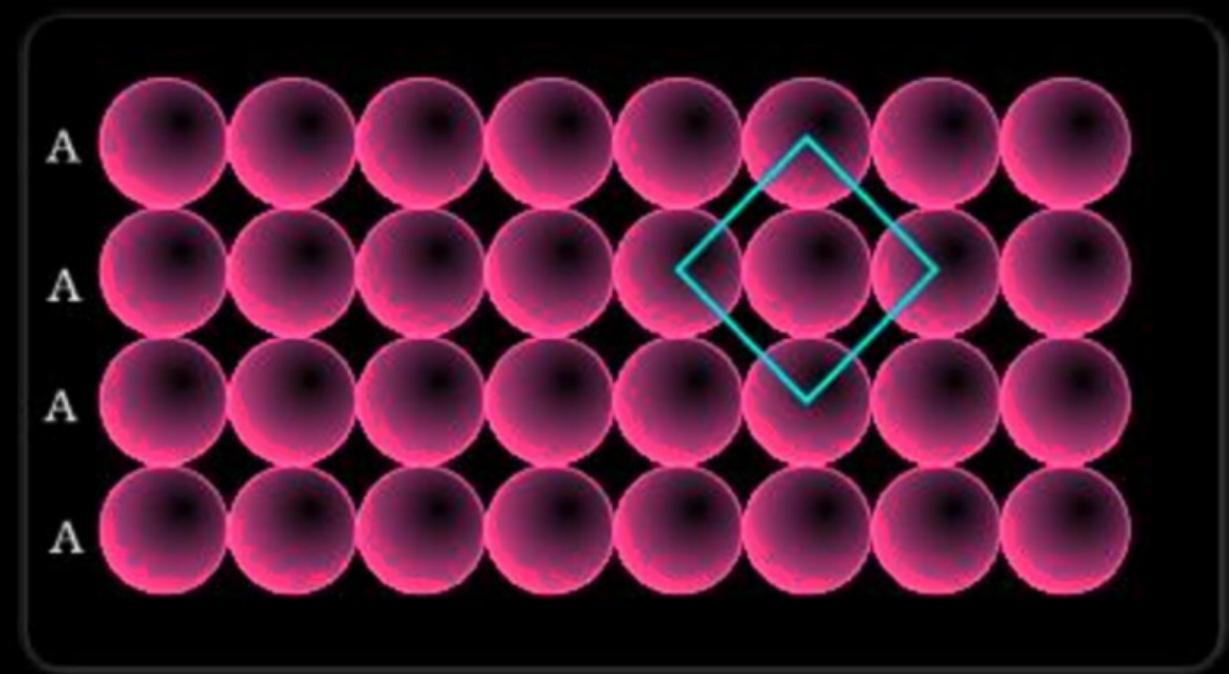
14

there are
14 types
of Unit cell

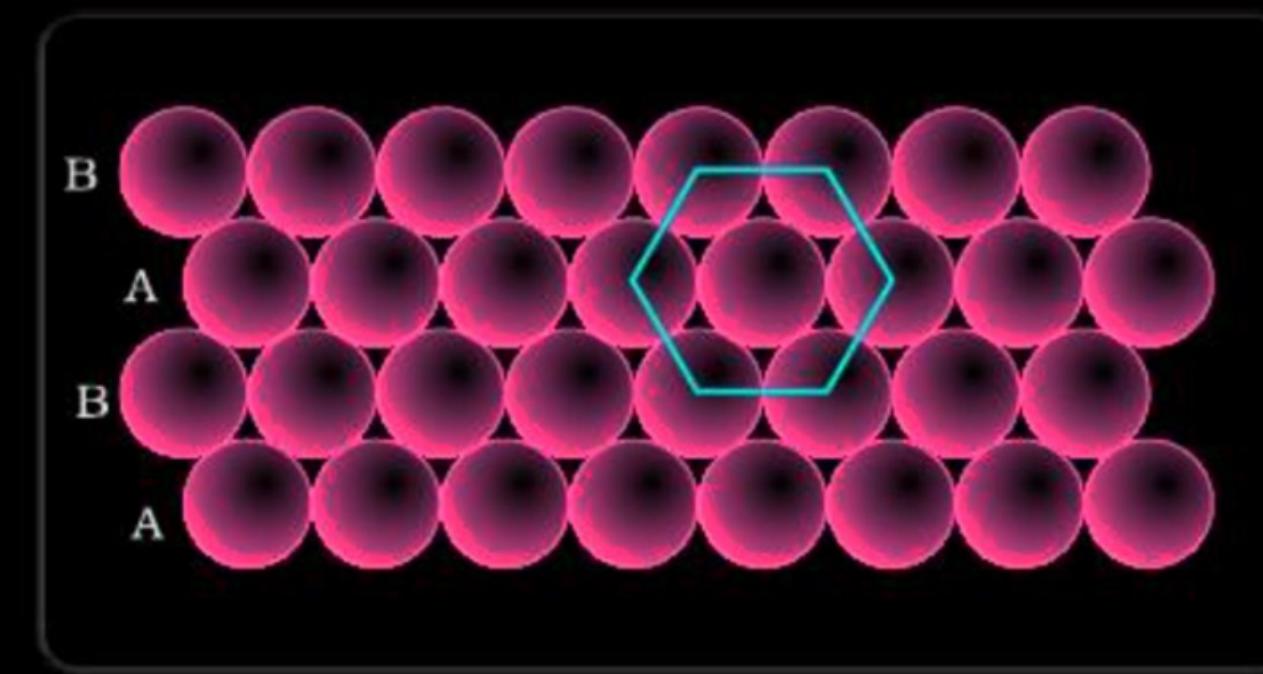
Bravais
Lattices



*Close packing of spheres in
one dimension*



(a)



(b)

*(a) Square close packing (b) hexagonal close
packing of spheres in two dimensions*

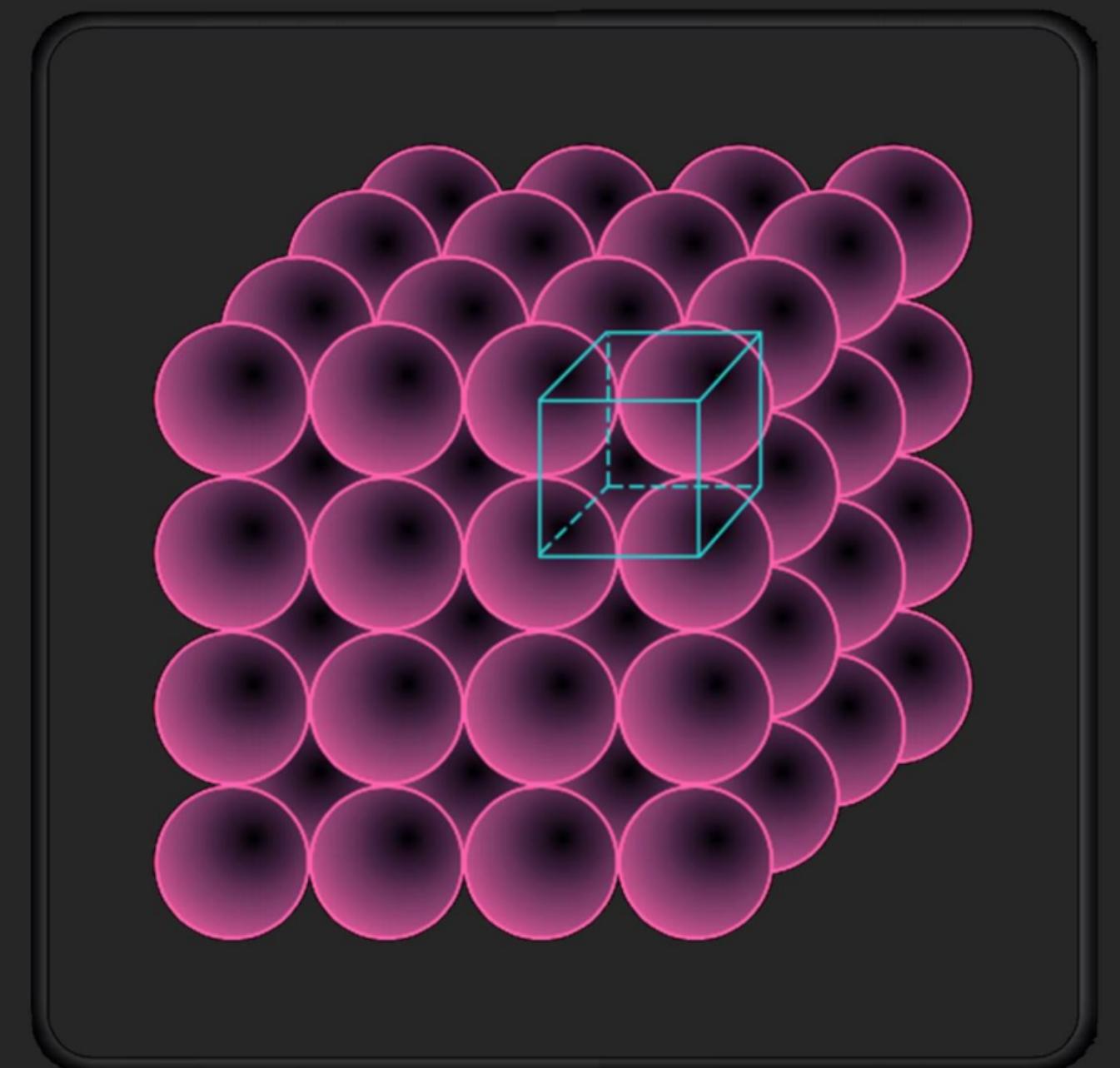
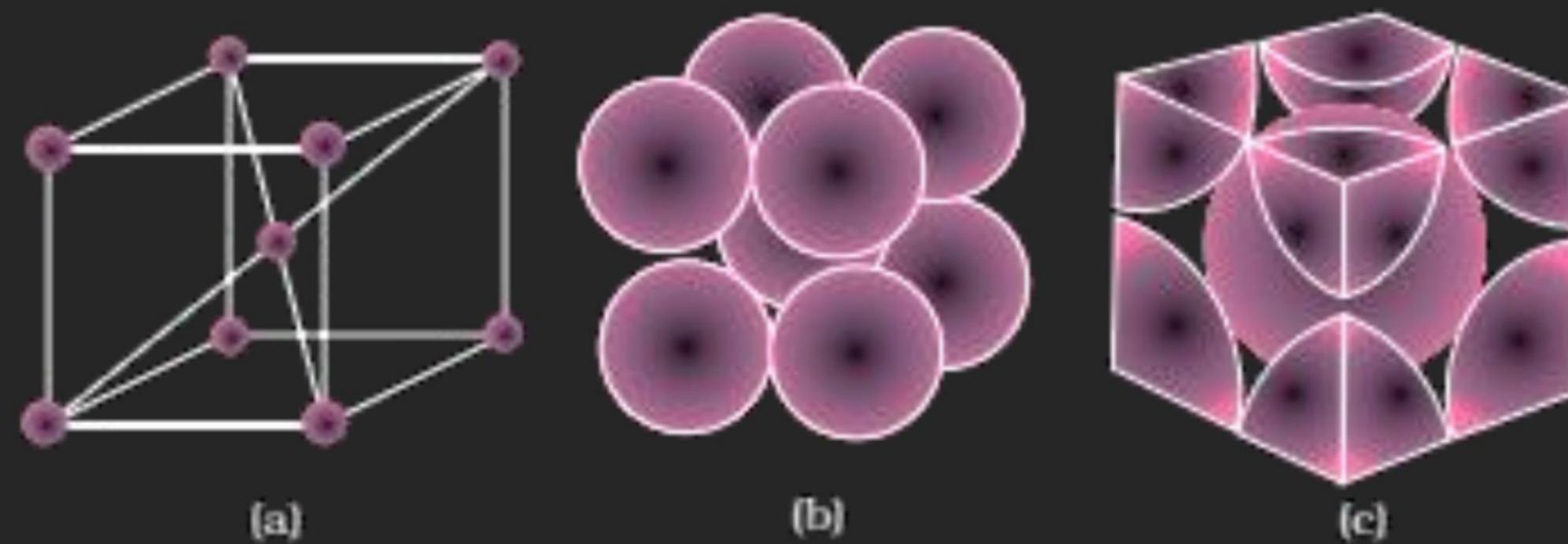


Fig. 1.19: Simple cubic lattice formed by A A A arrangement



**A primitive cubic unit cell (a) open structure (b) space-filling structure (c)
actual portions of atoms belonging to one unit cell.**

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