



PROBLEM SET-06

- Q.1** Find the number of permutations of the word "AUROBIND" in which vowels appear in an alphabetical order.

Q.2 There are 10 different books in a shelf. If m denotes the number of ways of selecting 3 books when no two of them are consecutive and n denotes the corresponding figure when exactly two are consecutive then

(A) $8m = 7n$ (B) $6m = 5n$
(C) $7m = 5n$ (D) $m = n$

Q.3 If as many more words as possible be formed out of the letters of the word "DOGMATIC" then compute the number of words in which the relative order of vowels and consonants remain unchanged.

Q.4 Number of ways in which 9 different toys be distributed among 4 children belonging to different age groups in such a way that distribution among the 3 elder children is even and the youngest one is to receive one toy more, is :

(A) $\frac{(5!)^2}{8}$ (B) $\frac{9!}{2}$ (C) $\frac{9!}{3!(2!)^3}$ (D) none

Q.5 There are five different peaches and three different apples. Number of ways they can be divided into two packs of four fruits if each pack must contain atleast one apple, is

(A) 35 (B) 65 (C) 60 (D) 30

Q.6 Let P_n denotes the number of ways in which three people can be selected out of ' n ' people sitting in a row, if no two of them are consecutive. If, $P_{n+1} - P_n = 15$ then the value of ' n ' is:

(A) 7 (B) 8 (C) 9 (D) 10

Q.7 Number of ways in which 7 green bottles and 8 blue bottles can be arranged in a row if exactly 1 pair of green bottles is side by side, is (Assume all bottles to be alike except for the colour).

(A) 84 (B) 360 (C) 504 (D) none

Q.8 A has 3 maps and B has 9 maps. All the 12 maps being distinct. Determine the number of ways in which they can exchange their maps if each keeps his initial number of maps.

Q.9 Number of three digit number with atleast one 3 and at least one 2 is

(A) 58 (B) 56 (C) 54 (D) 52

Q.10 Number of ways in which 3 mangoes, 3 apples and 2 oranges can be distributed in 8 children so that every child gets exactly one fruit, is (Assume fruits of the same species to be alike.)

(A) $\frac{8!3!}{3!3!2!2!}$ (B*) $\frac{8!2!}{3!3!2!2!}$ (C) $\frac{3\cdot8!}{3!3!2!2!}$ (D) $\frac{8!}{3!3!2!2!}$



Paragraph for question nos. 13 to 15

Consider the word $W = \text{MISSISSIPPI}$

- Q.14** Number of ways in which the letters of the word W can be arranged if atleast one vowel is separated from rest of the vowels

(A) $\frac{8 \cdot 161}{4! \cdot 4! \cdot 2!}$ (B) $\frac{8 \cdot 161}{4 \cdot 4! \cdot 2!}$ (C) $\frac{8! \cdot 161}{4! \cdot 2!}$ (D) $\frac{8!}{4! \cdot 2!} \cdot \frac{165}{4!}$

- Q.15** If the number of arrangements of the letters of the word W if all the S's and P's are separated is $(K) \left(\frac{10!}{4! \cdot 4!}\right)$ then K equals

(A) $\frac{6}{5}$ (B) 1 (C) $\frac{4}{3}$ (D) $\frac{3}{2}$

- Q.16** There are nine different books on a shelf, four red and five are green. Number of ways in which it is possible to arrange these books if

Column-I

- (A) the red books must be together and green books together
 - (B) the red books must be together whereas the green books may or may not be together
 - (C) no two books of the same colour are adjacent
 - (D) if the books are arranged on a round table and no two of the three specified books are together

Column-II

- Q.17** Find the number of five digit numbers that can be formed by using two 2's, three 3's, one zero and one 5 .



ANSWER KEY

1. ${}^8C_4 \cdot 4!$ 2. (D) 3. 719 4. (C)
5. (D) 6. (B) 7. (C) 8. 219
9. (D) 10. (B) 11. (C) 12. (D)
13. (C) 14. (B) 15. (B)
16. (A) Q, (B) S; (C) P; (D) R 17. 212