

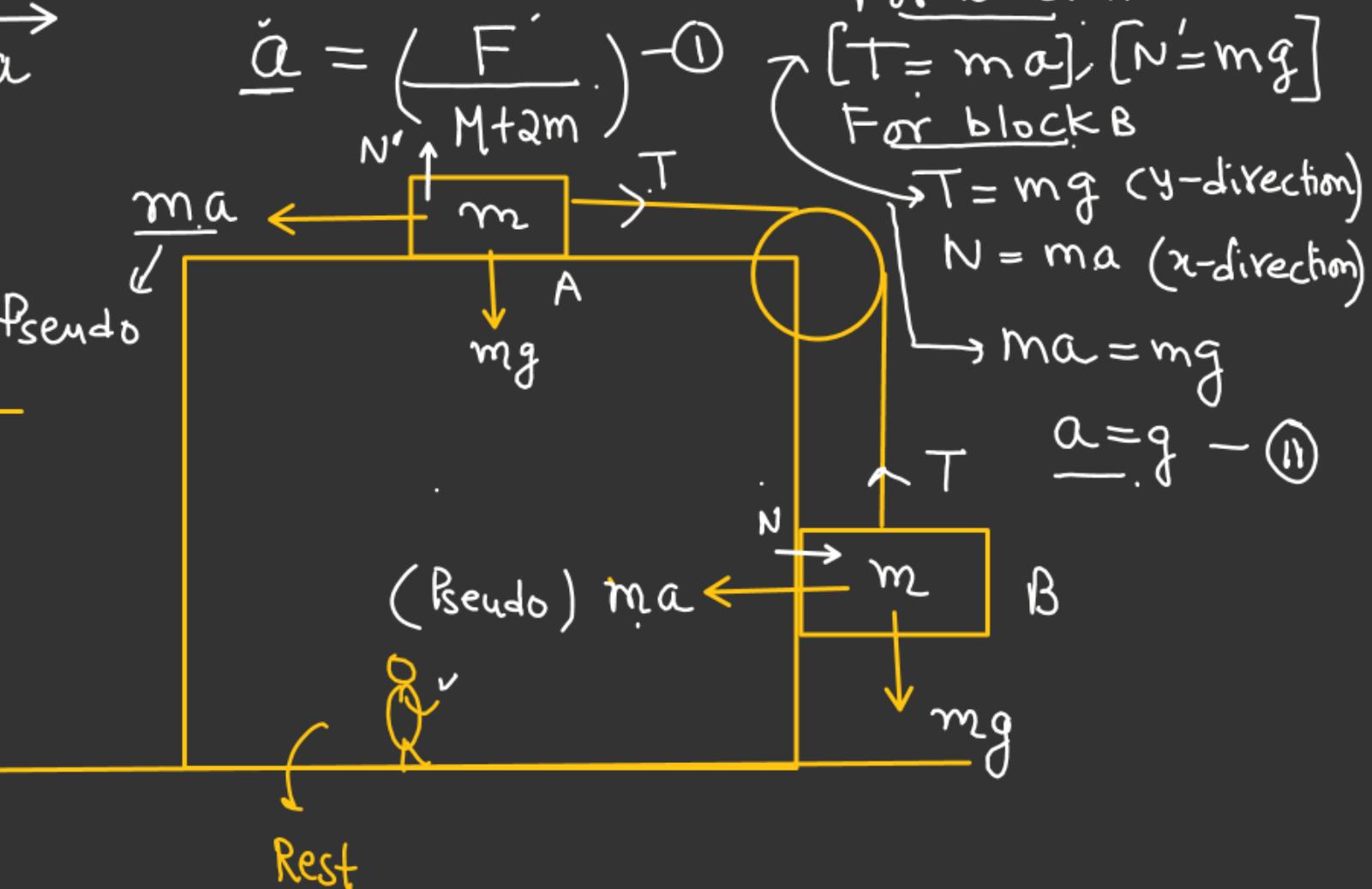
From ① & ②

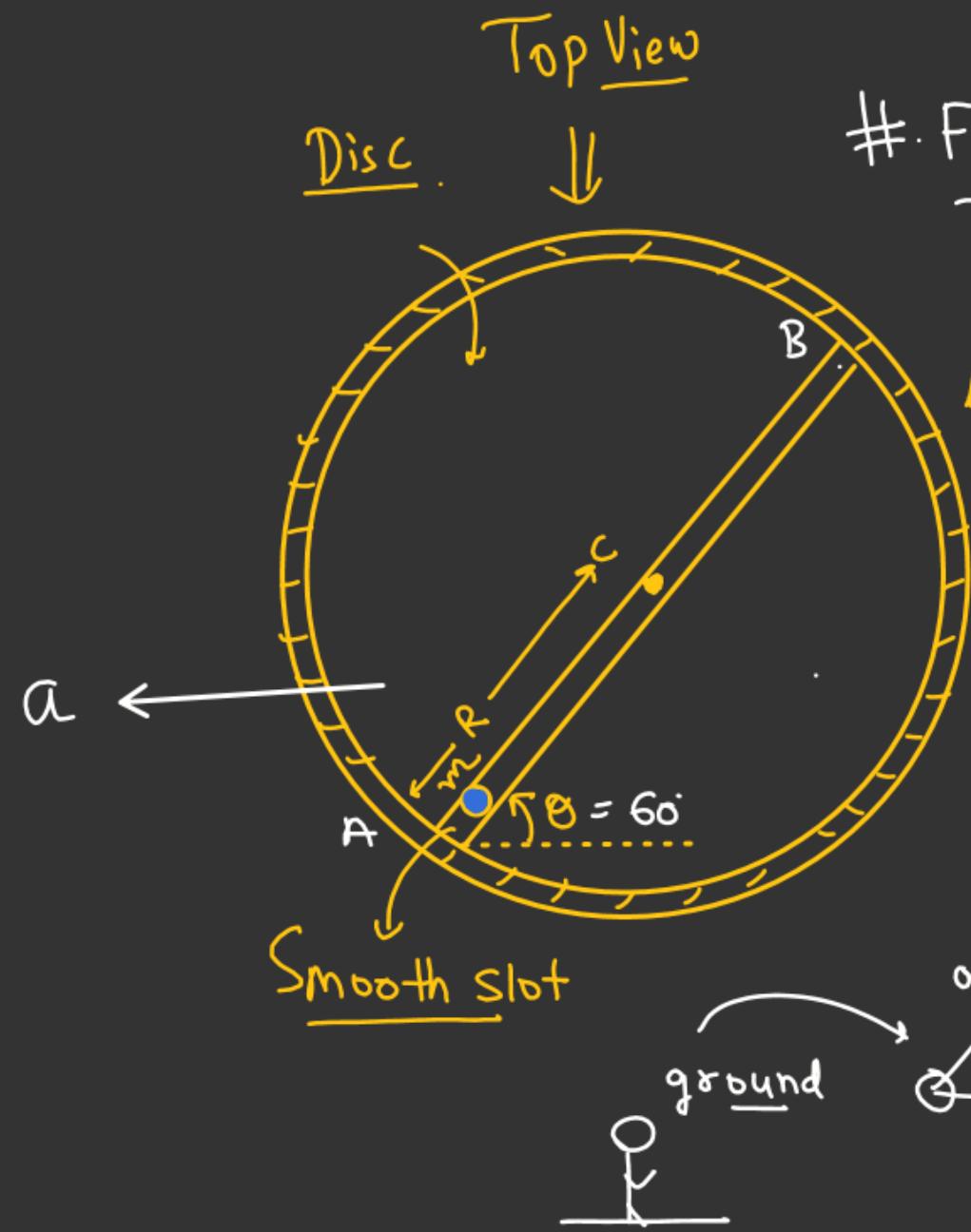
$$\frac{F}{M+2m} = g$$

$$F = g(M+2m)$$

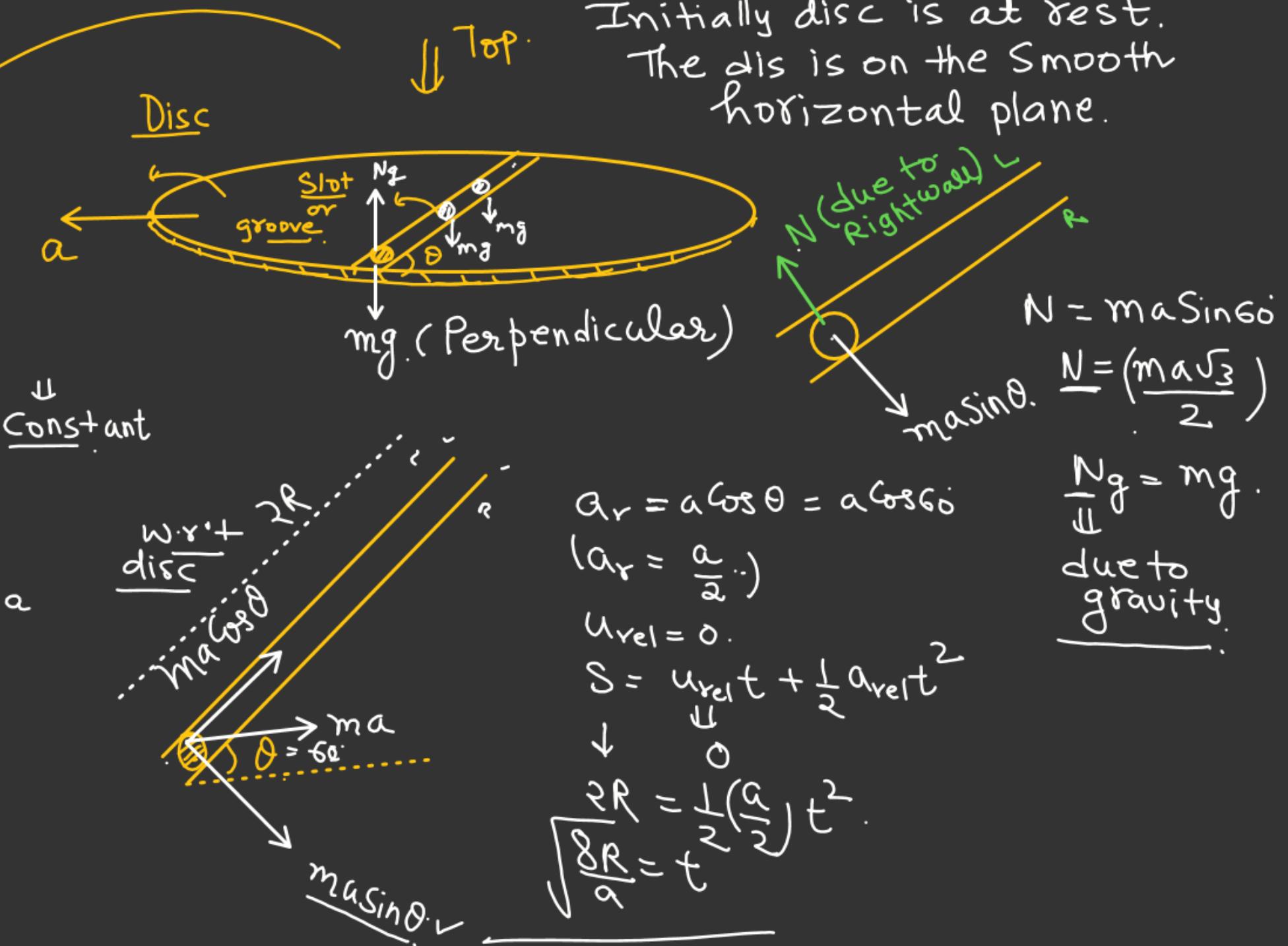
#. Find 'F' so that block A and B doesn't have any relative motion w.r.t C. All surfaces are smooth.

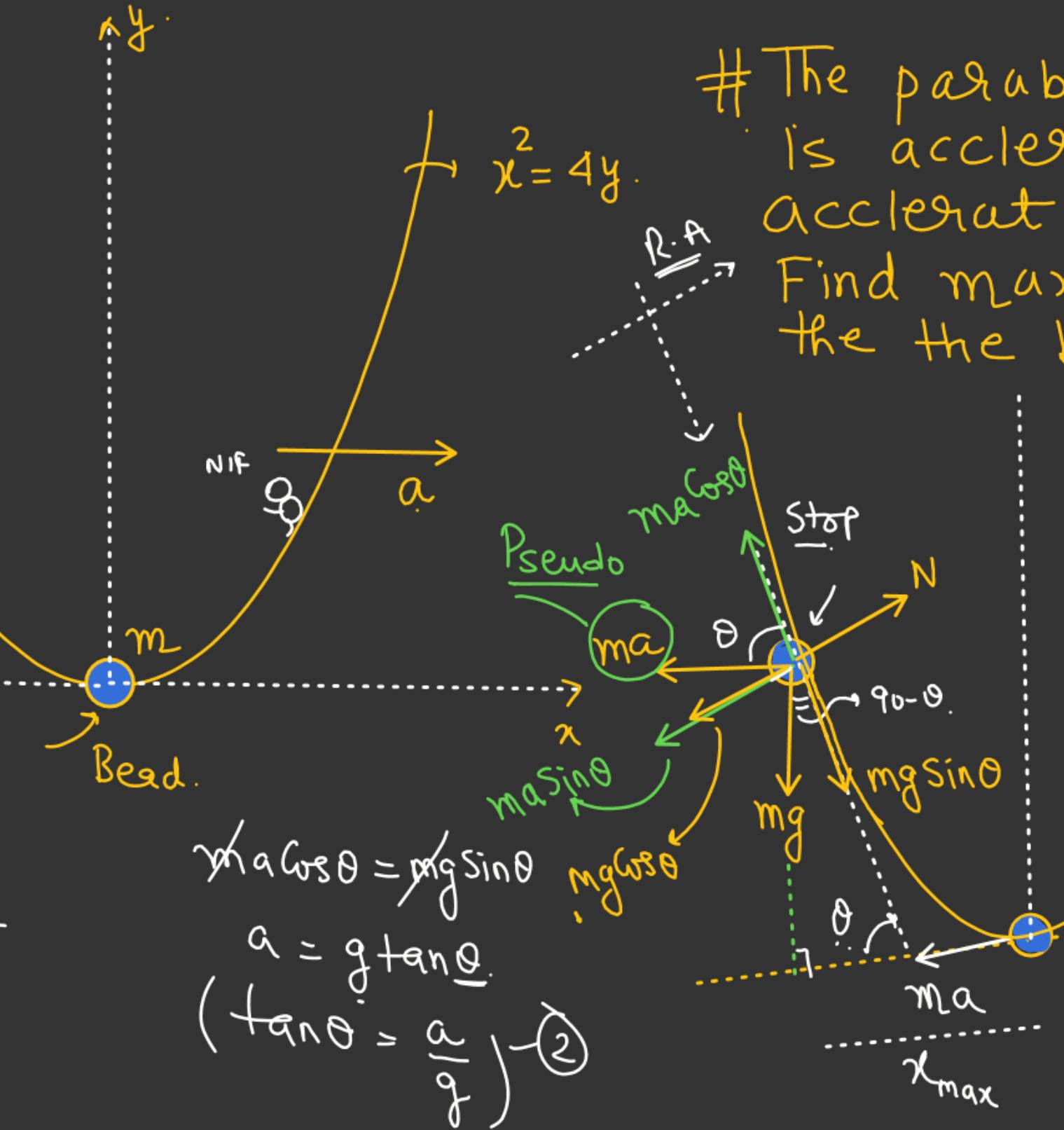
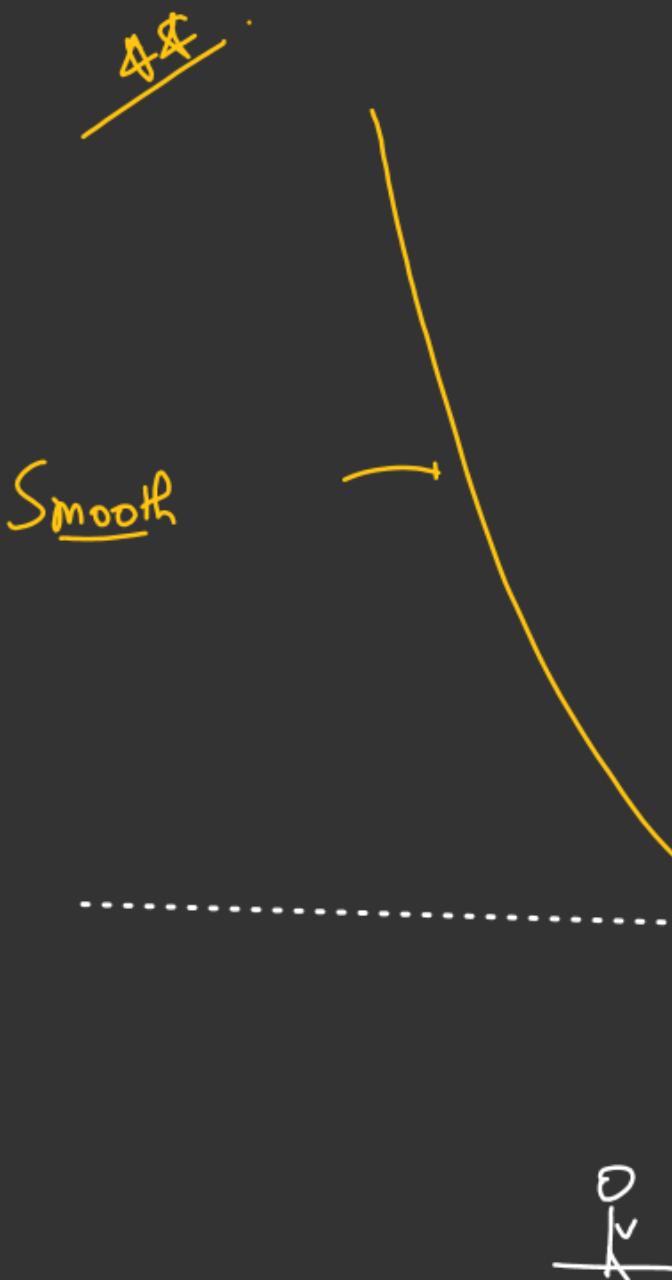
$$\underline{\text{Soln}} \doteq \underline{\frac{W.r.t C}{}}$$





Find Time taken by ball to reach the other diametrical end. disc is accelerated at $t=0$.
Initially disc is at rest.
The disc is on the smooth horizontal plane.





The parabolic Shape wire is accelerated with constant acceleration $a \text{ m/s}^2$ horizontally. Find maximum x -co-ordinate of the bead.

$$\begin{aligned} x^2 &= y \\ \frac{x^2}{4} &= y \\ y &= \frac{x^2}{4} \\ \frac{dy}{dx} &= \frac{2x}{4} = \left(\frac{x}{2}\right) \\ \tan \theta &= \left(\frac{x}{2}\right) \quad (1) \\ \text{From } (1) \text{ & } (2) \\ a &= \frac{x_{\max}}{2} \end{aligned}$$

$$\begin{aligned} x_{\max} &= \frac{2a}{g} \quad \text{Ans.} \\ x_{\max} &= \frac{a}{5 \text{ m/s}^2} \end{aligned}$$

~~☆☆~~

String-pulley

String :- "Massless."

↳ Tension in a string.

remain same until & unless
string is not changing.

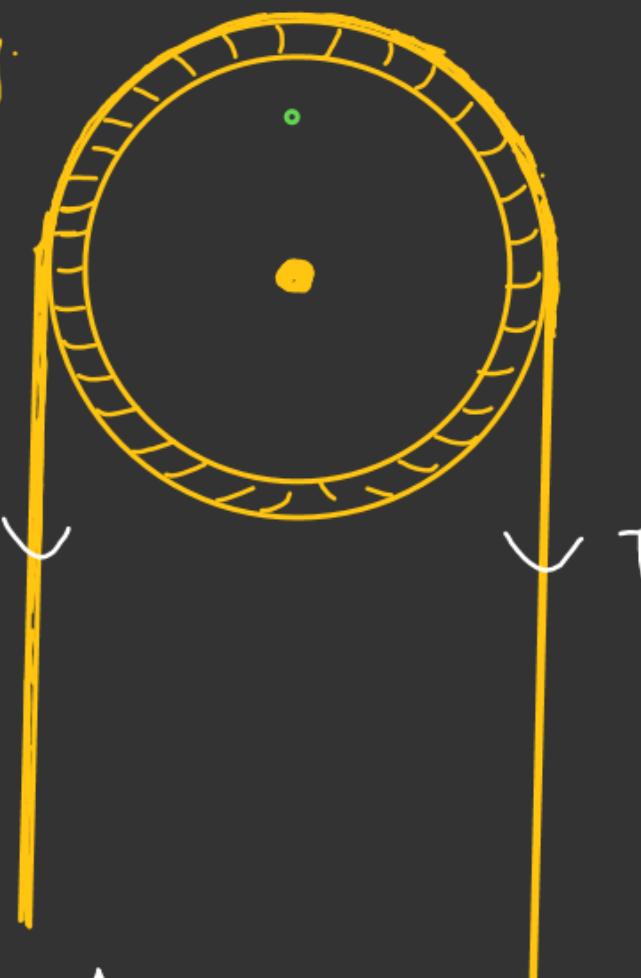
Note:- **

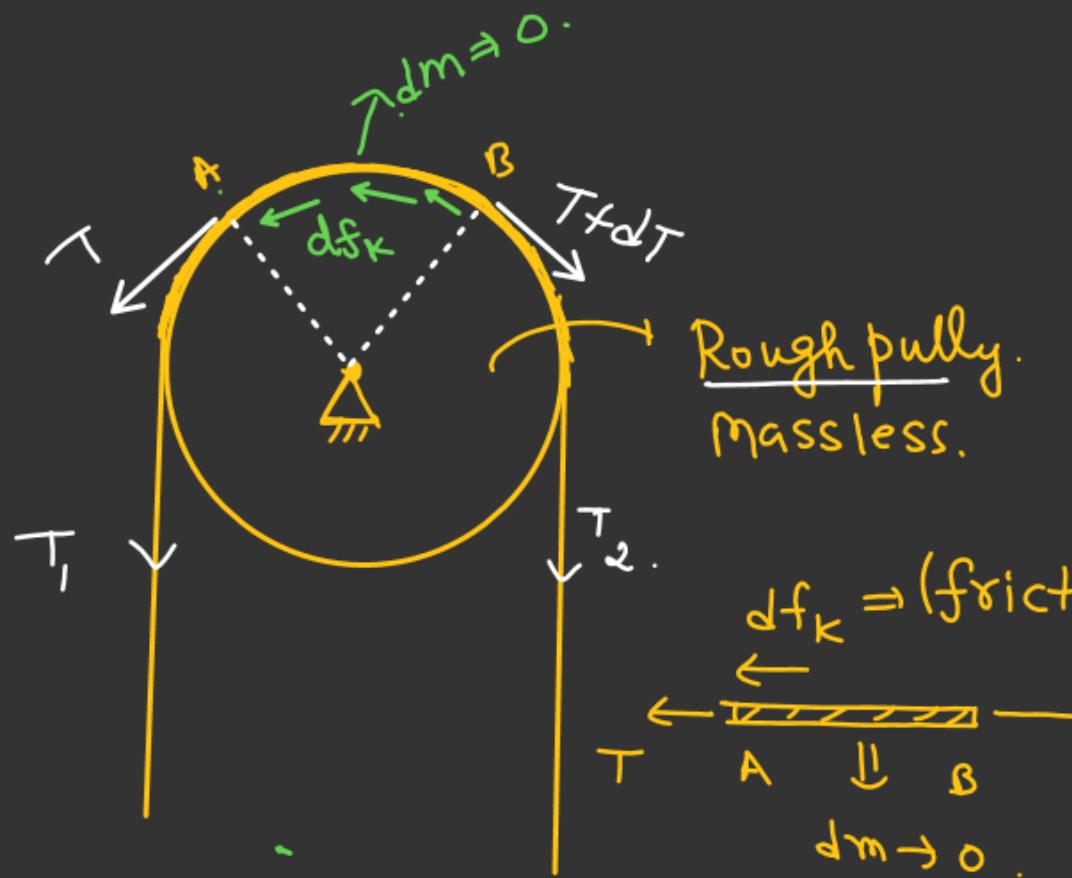
If massless string passes
through frictionless &
massless pulley then tension
is string remain same.

Pulley

↳ Massless pulley.

↳ friction less





If pulley
is rough
tension in
the String not
same

$$\cancel{T + df_k} = \cancel{T + dT}$$

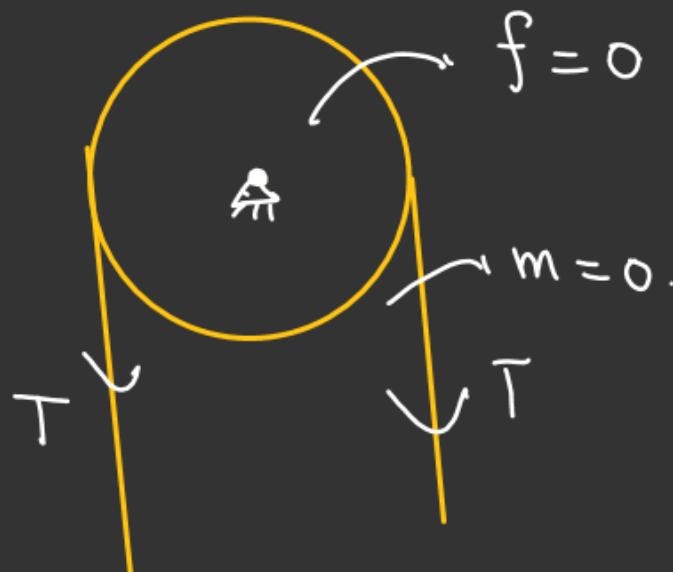
$$df_k = dT$$

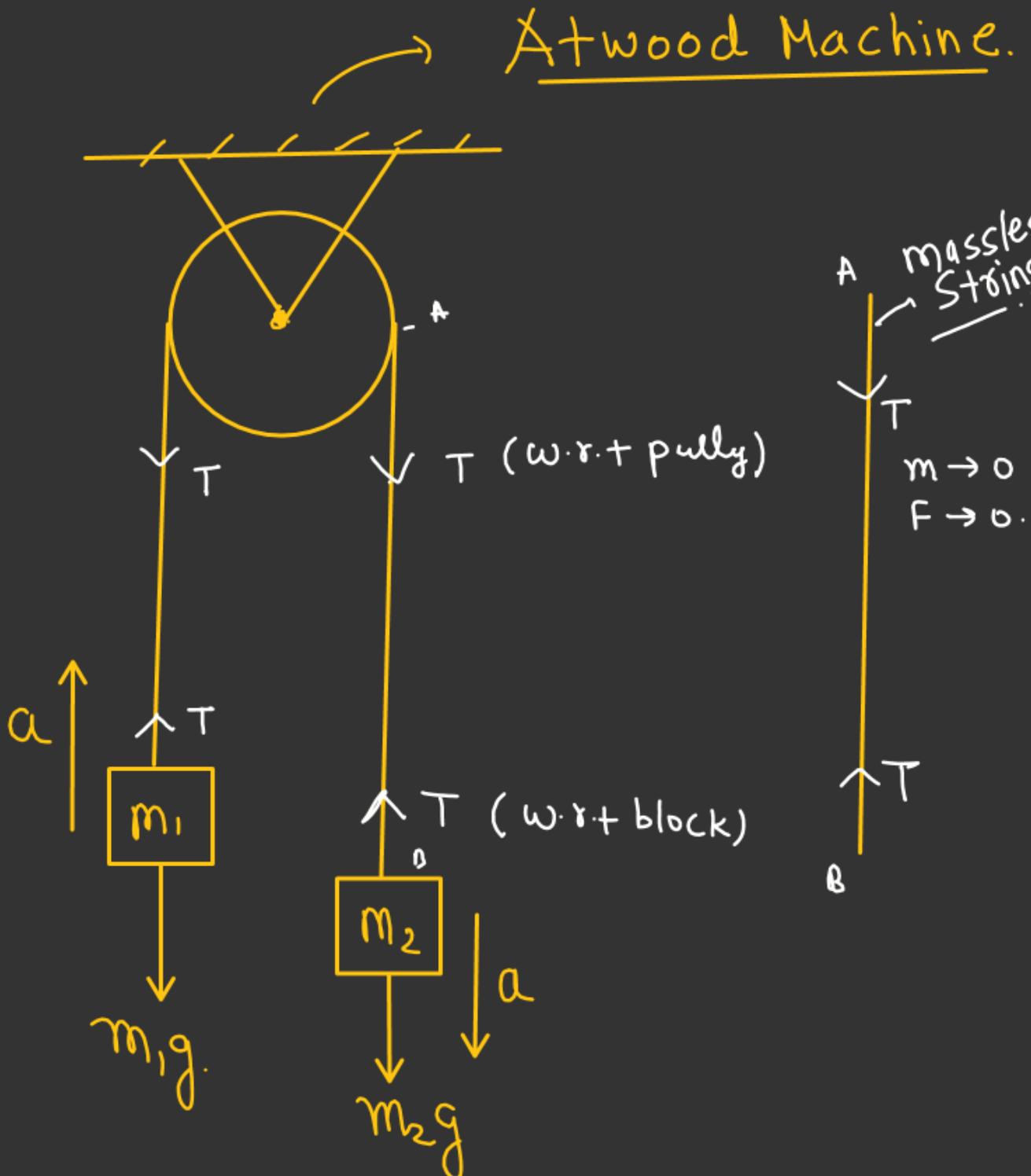
$$\text{For } T_1 = T_2 = T$$

$$dT = 0$$

$$\Rightarrow df_k = 0$$

\hookrightarrow i.e No friction b/w
String & pulley.





massless string

$T - m_1 g = m_1 a \quad \text{--- (1)}$

$m_2 g - T = m_2 a \quad \text{--- (2)}$

$\frac{\text{(1) + (2)}}{(m_2 - m_1)g} = (m_1 + m_2)a$

$$a = \left[\frac{m_2 - m_1}{m_1 + m_2} \right] g$$

$\cancel{m_2 > m_1}$

$$T = \frac{2m_1 m_2 g}{m_1 + m_2}$$

$\cancel{* *}$