

From ① & ②

$$\frac{F}{M+2m} = g$$

$$F = g(M+2m)$$

#. Find 'F' so that block A and B doesn't have any relative motion w.r.t C. All surfaces are smooth.

Sol<sup>n</sup> :- W.r.t C

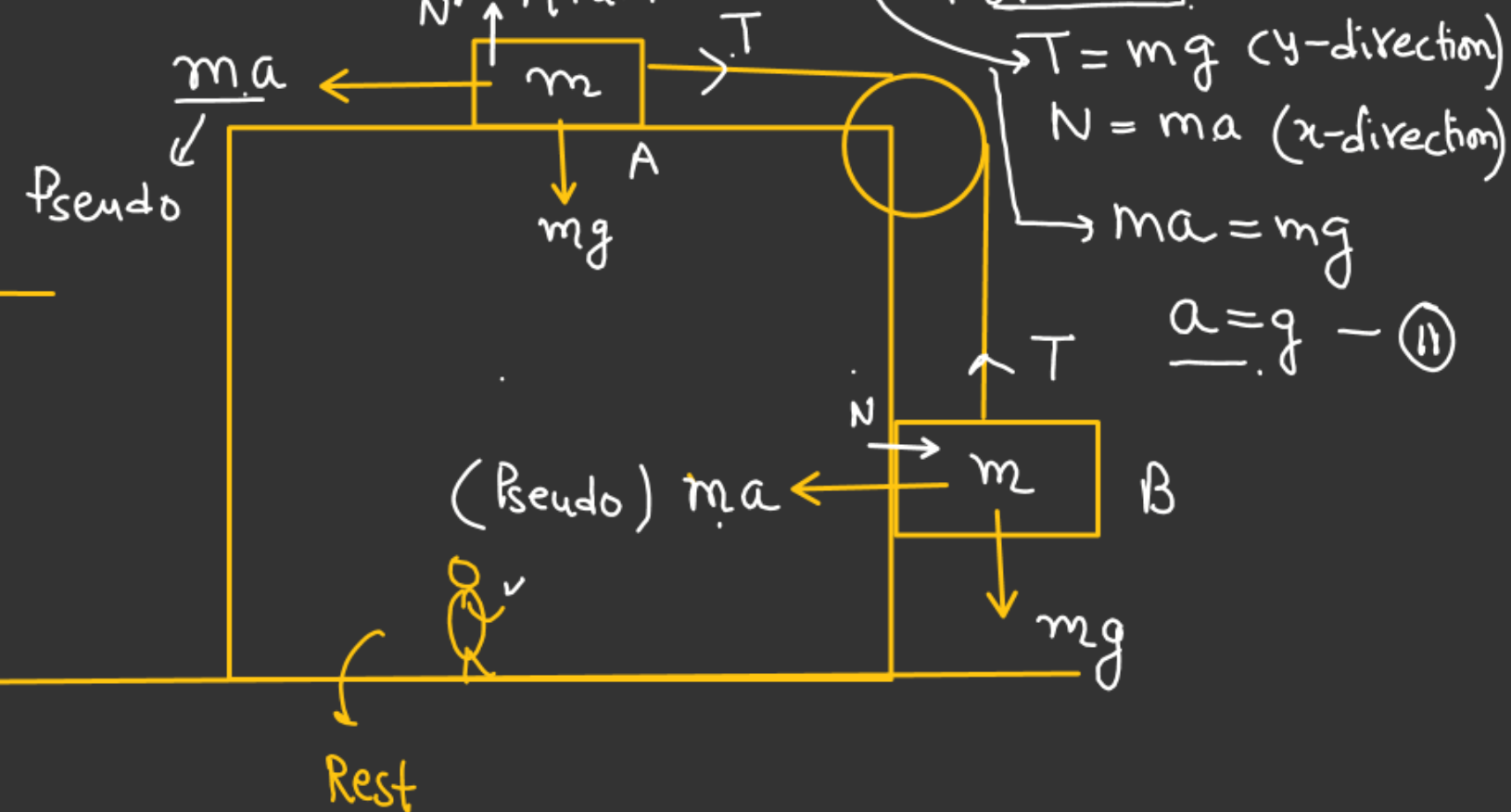
$$\underline{\underline{a}} = \left( \frac{F'}{M+2m} \right) \text{--- ①}$$

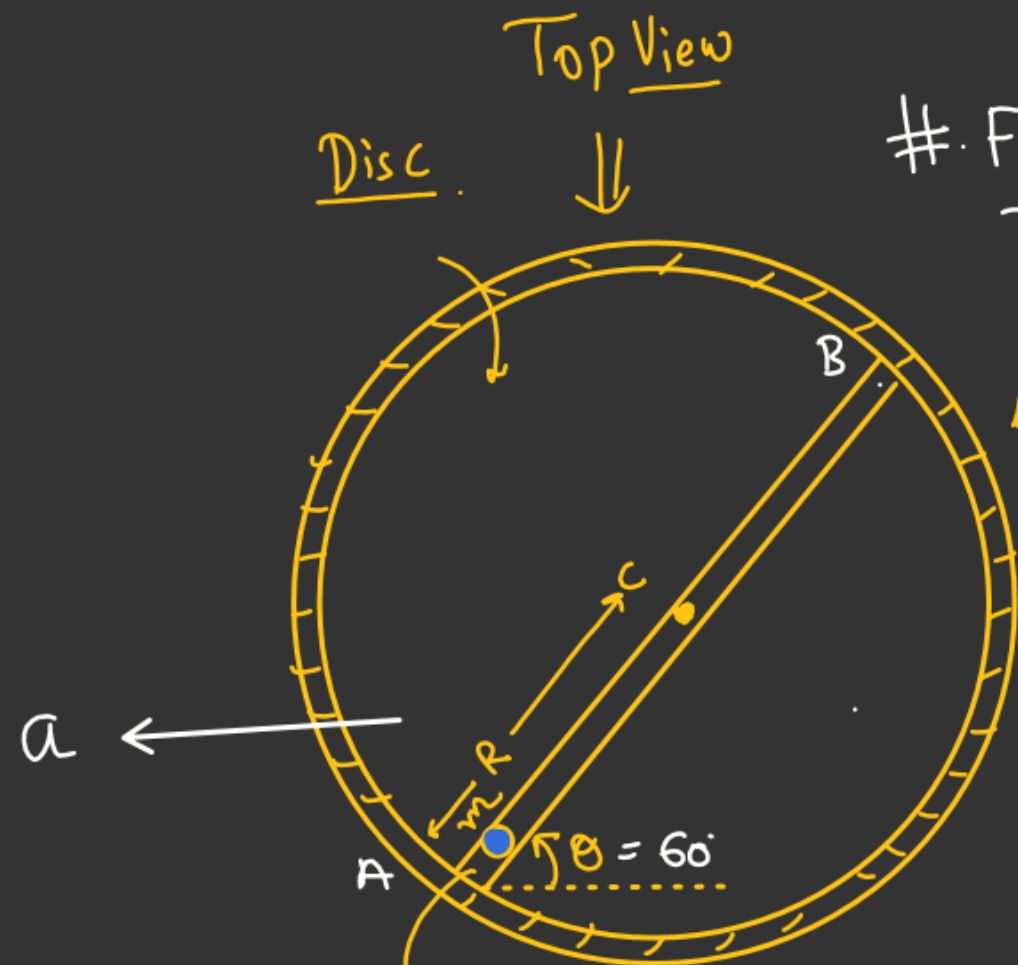
For Block A  
 $[T = ma], [N' = mg]$

For block B  
 $T = mg$  (y-direction)  
 $N = ma$  (x-direction)

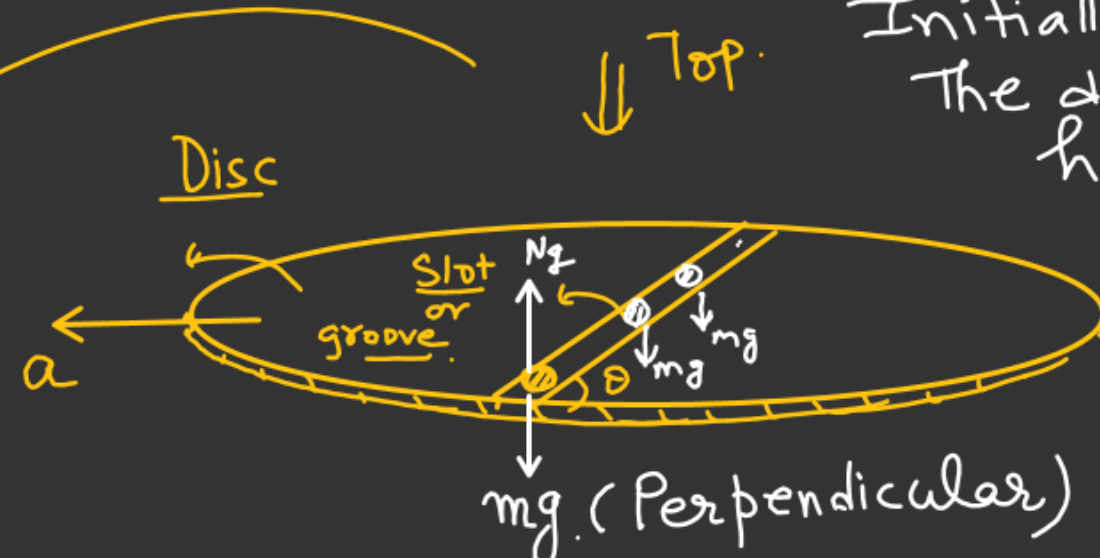
$$ma = mg$$

$$\underline{\underline{a}} = g \text{--- ②}$$





# Find Time taken by ball to reach the other diametrical end. disc is accelerated at  $t=0$ . Initially disc is at rest. The disc is on the smooth horizontal plane.



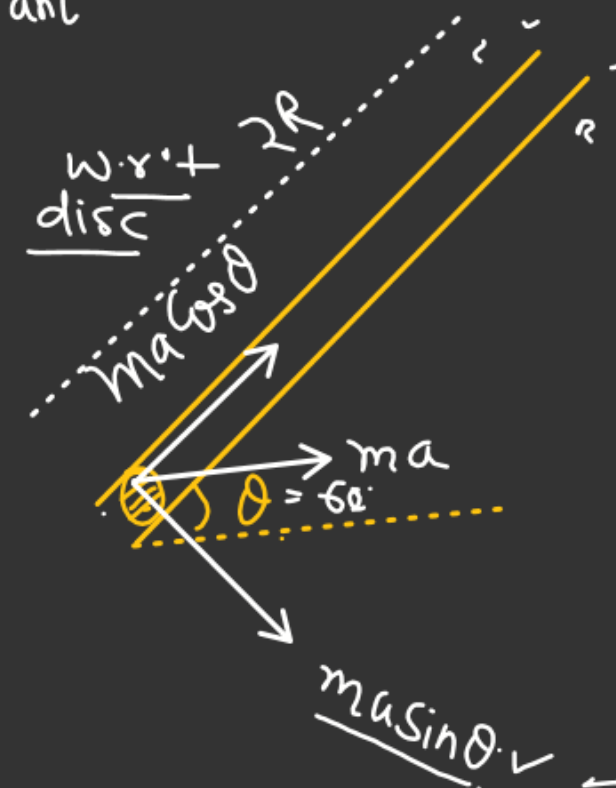
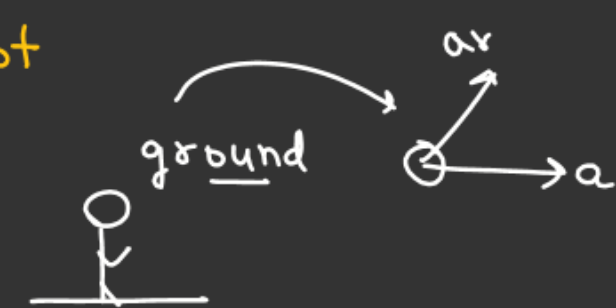
$N$  (due to Right wall)

$N = ma \sin 60^\circ$

$N = \left( \frac{ma\sqrt{3}}{2} \right)$

$ma \sin \theta$

$\Downarrow$  Constant



$a_r = a \cos \theta = a \cos 60^\circ$

$(a_r = \frac{a}{2})$

$u_{rel} = 0$

$S = u_{rel}t + \frac{1}{2}a_{rel}t^2$

$\Downarrow$

$0$

$2R = \frac{1}{2} \left( \frac{a}{2} \right) t^2$

$\sqrt{\frac{8R}{a}} = t$

$\frac{N}{mg} = 1$

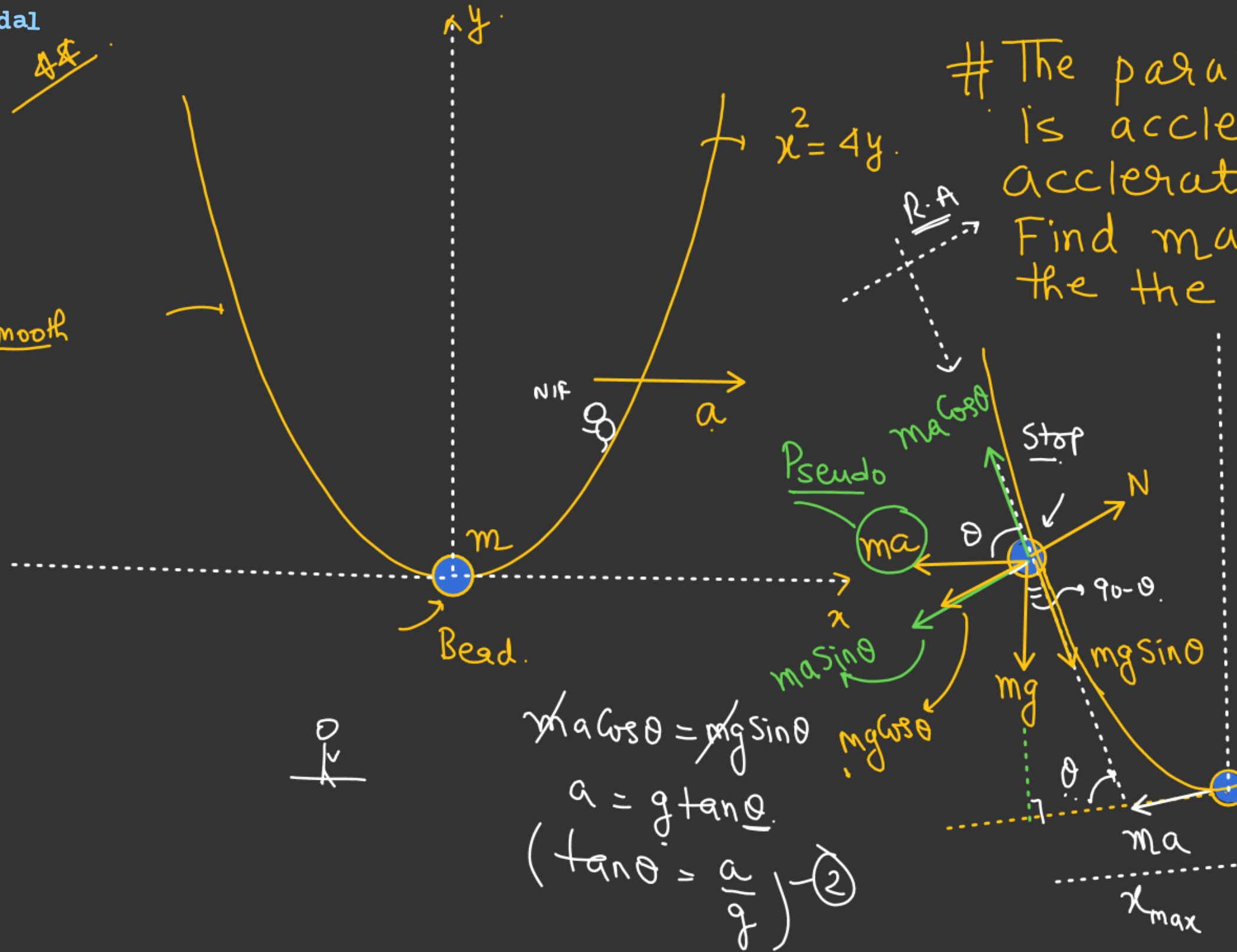
$\Downarrow$

due to gravity

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Smooth

# The parabolic Shape wire is accelerated with constant acceleration  $a \text{ m/s}^2$  horizontally. Find maximum  $x$ -coordinate of the bead.



$$x^2 = 4y$$

$$y = \frac{x^2}{4}$$

$$\frac{dy}{dx} = \frac{2x}{4} = \left(\frac{x}{2}\right)$$

$$\tan \theta = \left(\frac{x}{2}\right) \quad \text{--- (1)}$$

From (1) & (2).

$$\frac{a}{g} = \frac{x_{\max}}{2}$$

$$x_{\max} = \frac{2a}{g}$$

$$x_{\max} = \frac{a}{g} \text{ m s}^{-2}$$

Ans.

$$ma \cos \theta = mg \sin \theta$$

$$a = g \tan \theta$$

$$\left( \tan \theta = \frac{a}{g} \right) \quad \text{--- (2)}$$

## String-pulley

String :- "Massless"

↳ Tension in a string remain same until & unless string is not changing.

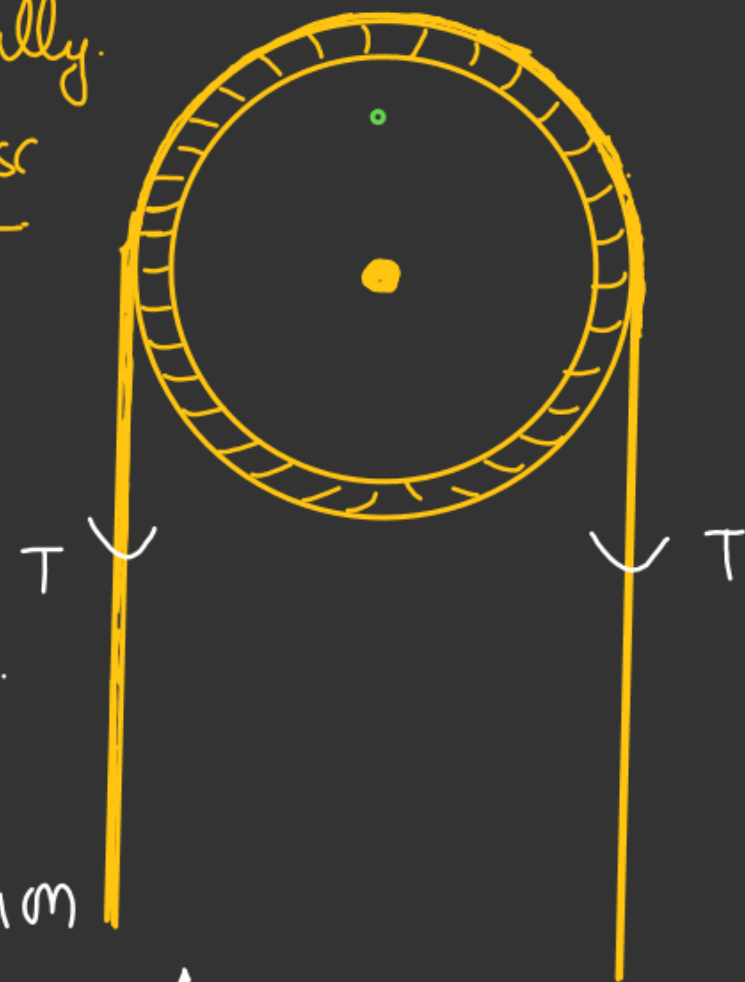
Note :- \*\*

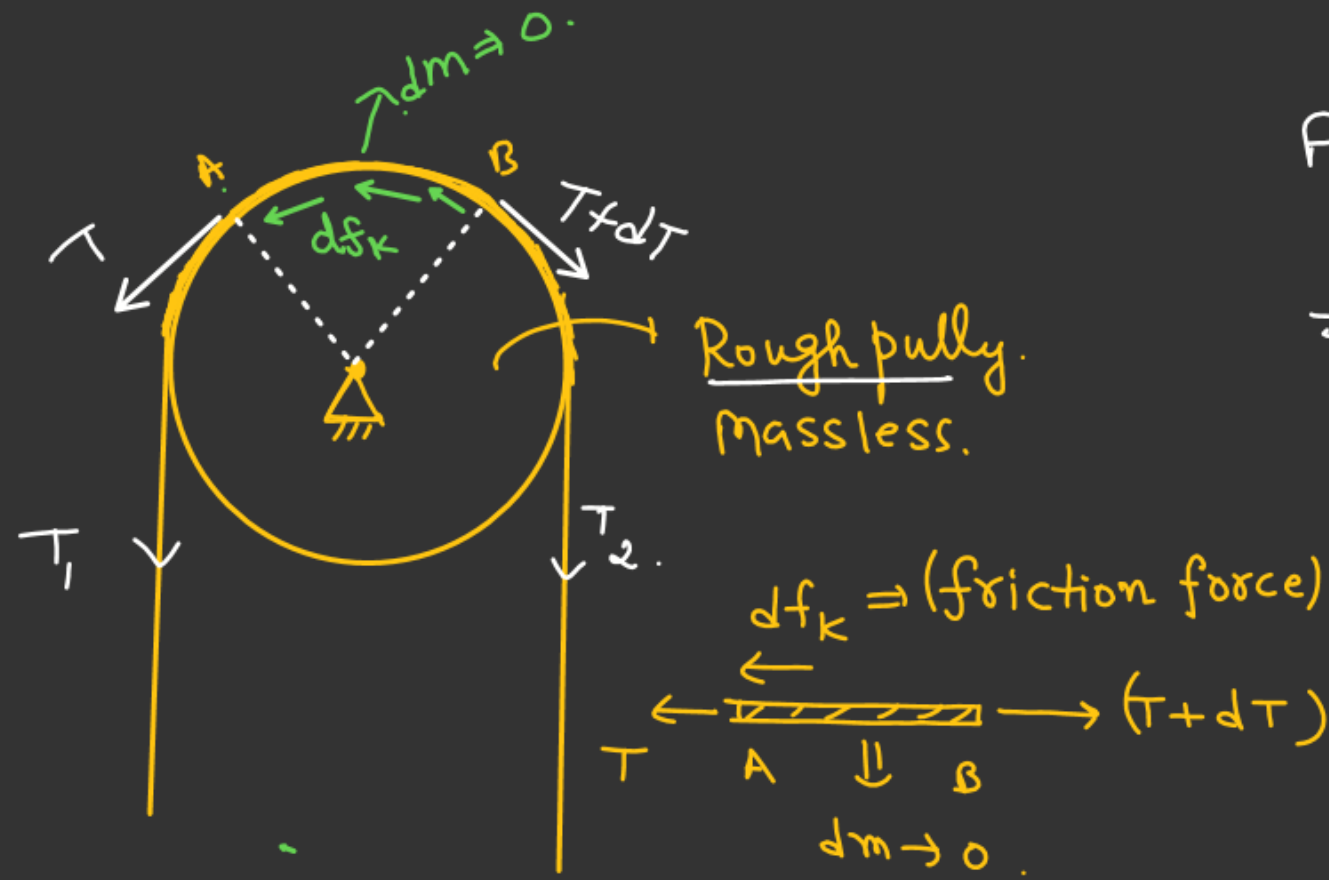
If massless string passes through frictionless & massless pulley then tension in string remain same.

## Pulley

↳ Masless pully.

↳ foictionless



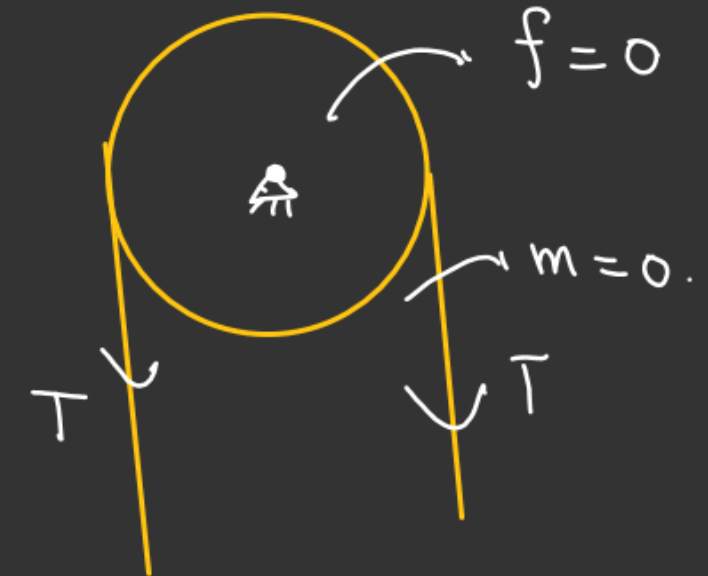


For  $T_1 = T_2 = T$

$dT = 0$

$\Rightarrow \boxed{df_k = 0}$

$\hookrightarrow$  i.e. No friction b/w String & pulley.

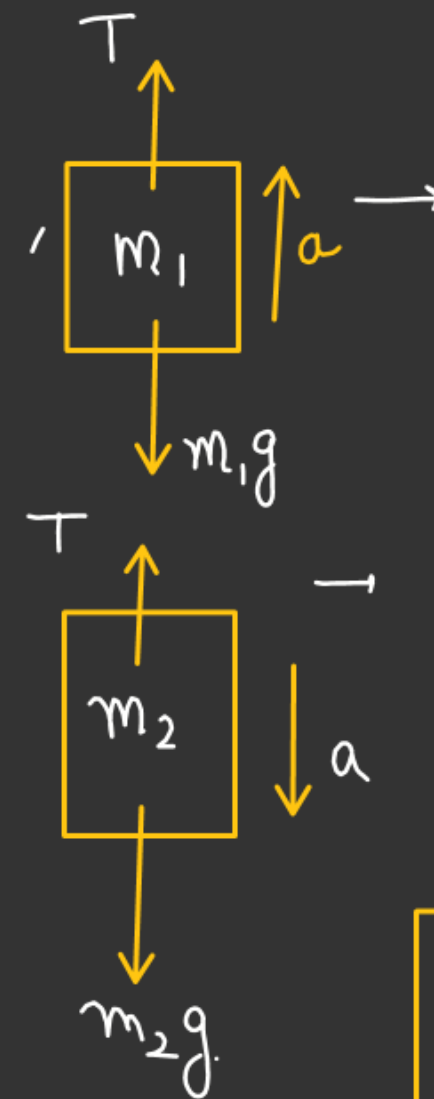
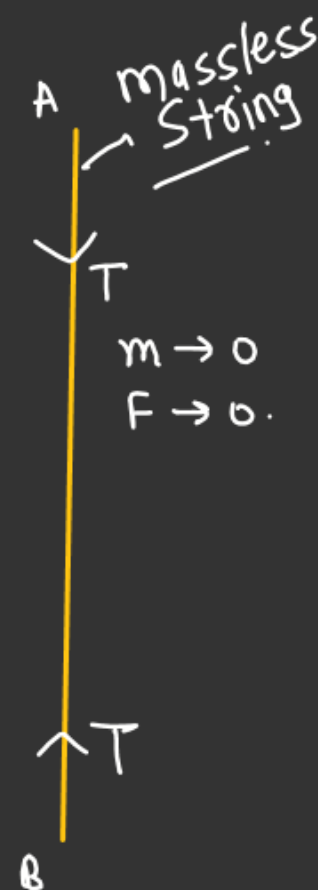
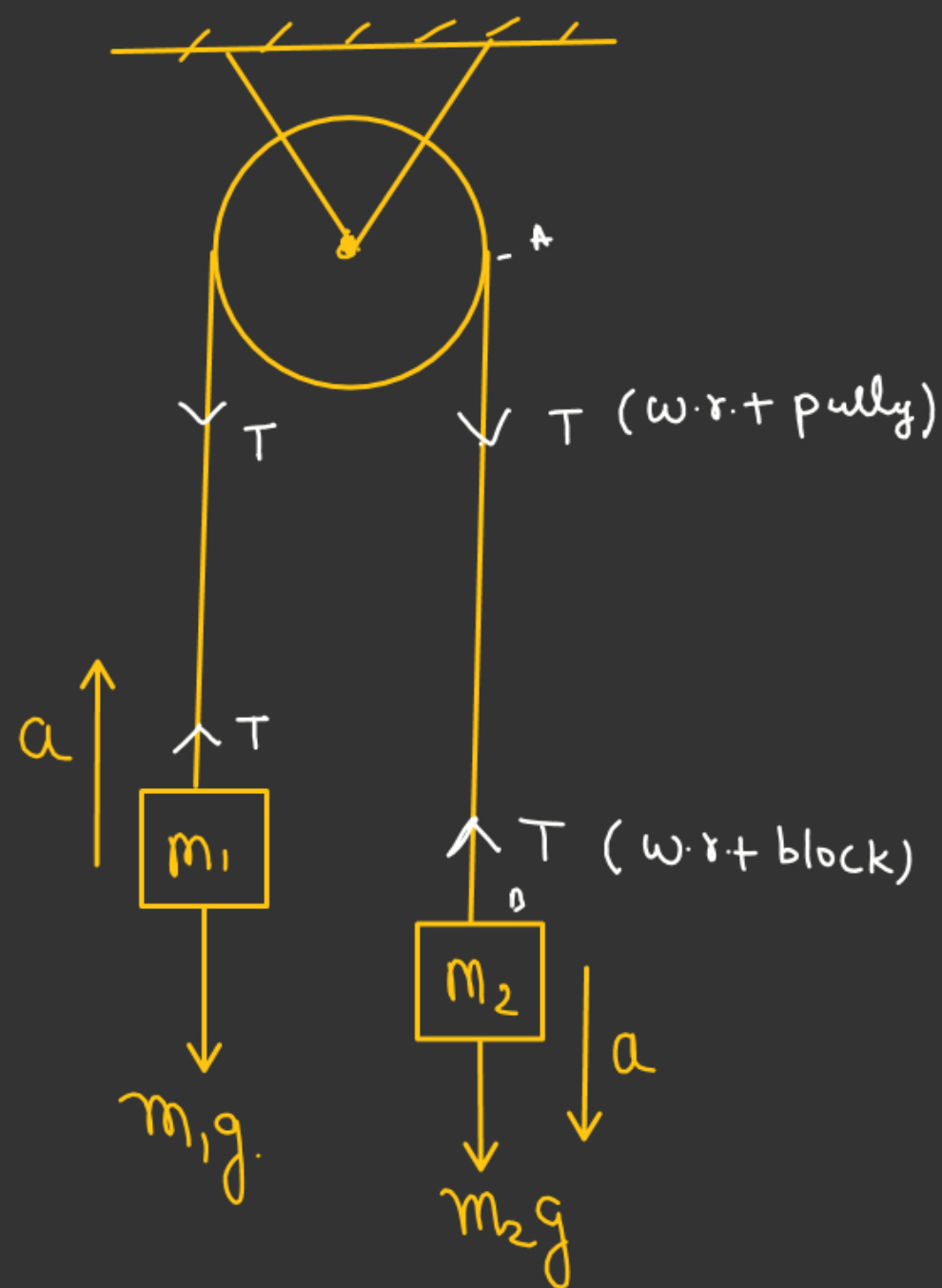


If pulley is rough tension in the string not same.

~~$T + df_k = T + dT$~~

$\boxed{df_k = dT}$



Atwood Machine.

$$T - m_1 g = m_1 a \quad \text{--- (1)}$$

$$m_2 g - T = m_2 a \quad \text{--- (2)}$$

$$\text{--- (1) + (2) ---}$$

$$(m_2 - m_1)g = (m_1 + m_2)a$$

$$a = \left[ \frac{m_2 - m_1}{m_1 + m_2} \right] g \quad \text{--- } m_2 > m_1$$

$$T = \frac{2m_1 m_2 g}{m_1 + m_2}$$