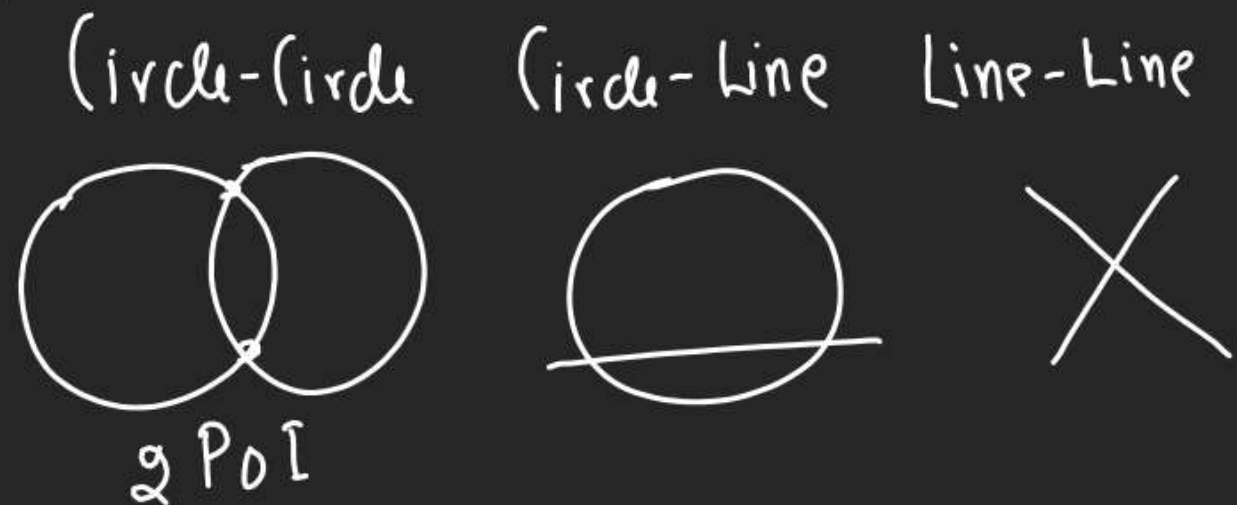


Q from 5 Circles & 4 Lines  
find max. PoI.



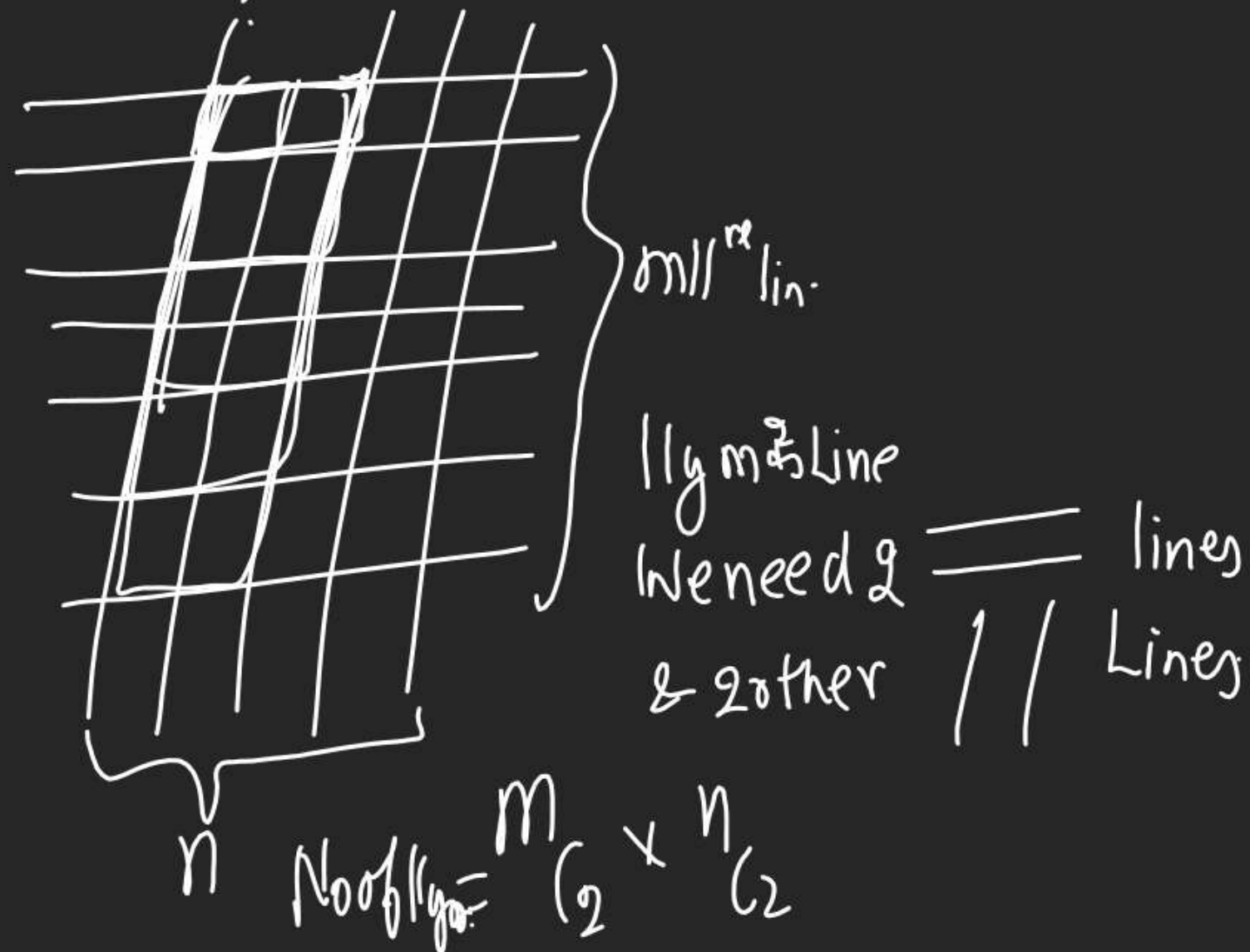
$$5C_2 \times 2 + 5C_1 \times 4C_1 \times 2 + 4C_2 \times 1$$

5 Circle  
2 Circle  
Select 2  
to 1 line

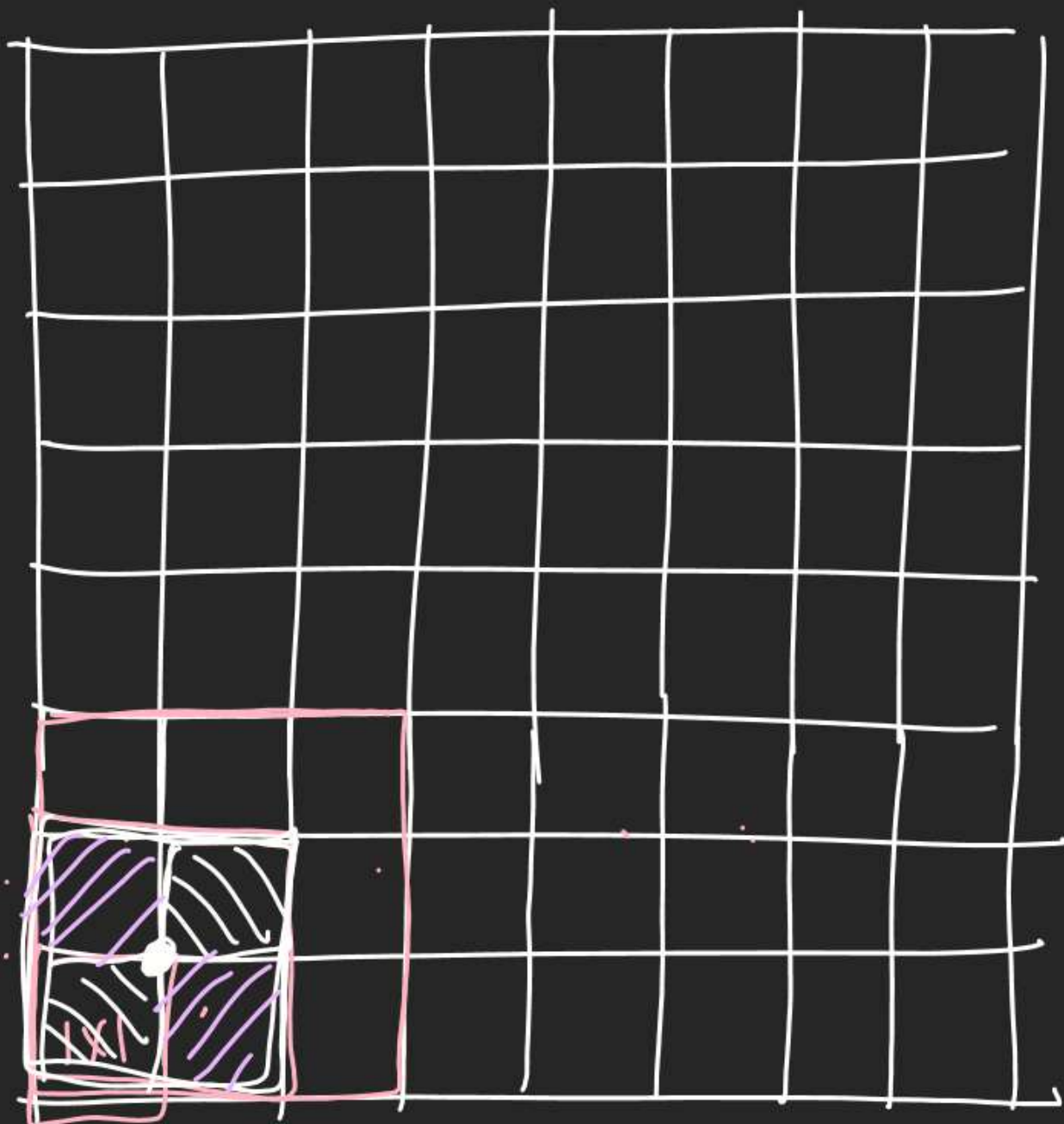
1 Hr  
Pair  
to  
PoI

$$20 + 40 + 6 = 66$$

Q from  $m$   $11^{\text{th}}$  Line &  $n$  another  
 $11^{\text{th}}$  Lines find No of  $11^{\text{th}}$  from  
Psbly



Q On a chessboard



① No of sq<sup>r</sup> on  
(chessboard)

$$1 \times 1 \rightarrow 8 \times 8$$

$$2 \times 2 \rightarrow 7 \times 7$$

$$3 \times 3 \rightarrow 6 \times 6$$

$$4 \times 4 \rightarrow 5 \times 5$$

$$5 \times 5 \rightarrow 4 \times 4$$

$$6 \times 6 \rightarrow 3 \times 3$$

$$7 \times 7 \rightarrow 2 \times 2$$

$$8 \times 8 \rightarrow 1 \times 1$$

$$\begin{aligned} \text{Total sq}^r &= 1^2 + 2^2 + 3^2 + \dots + 8^2 \\ &= \frac{8 \times 9}{2} \times \frac{8+1}{2} = 204 \end{aligned}$$

(2) Total Rectangle.

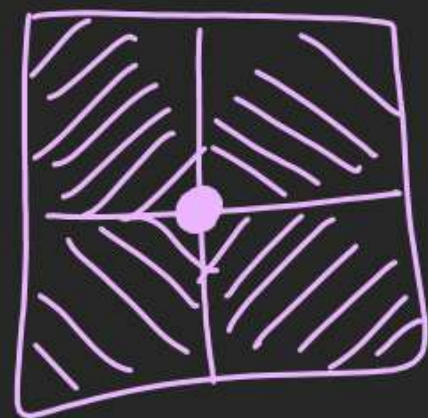
$$= {}^8C_2 \times {}^8C_2 = 36 \times 36 = 1296$$

Not

$$(3) \text{ Rectangle who are not sq}^r = 1296 - 204$$

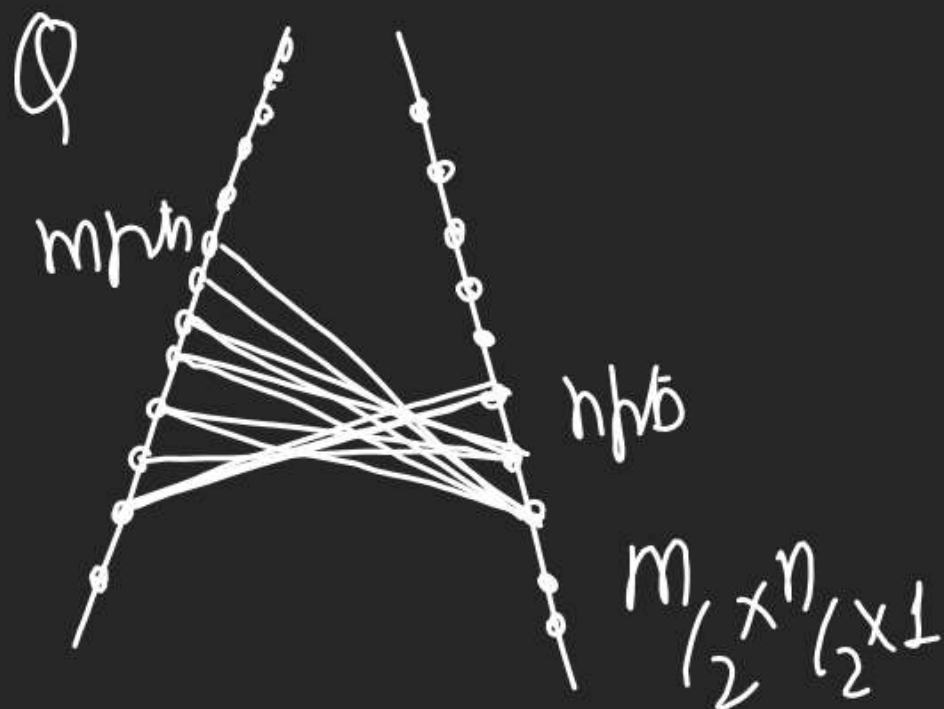


(4) No of  $\overset{\text{unit}}{\text{sq}}^n$  who have common  
Vertex.



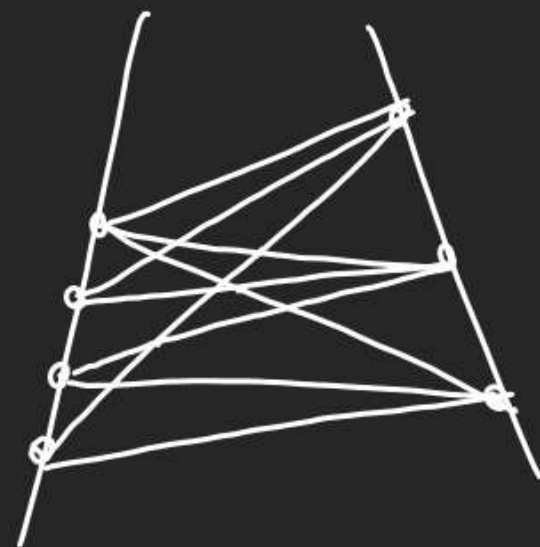
Jitni bar Aise  $2 \times 2$   
→ Dobe Ayenge  
We will get  
2 unit  $\text{sq}^n$   
having comm. vertex.

No of unit  $\text{sq}^n$ s =  $7 \times 7 \times 2$   
having comm.  
vertex.



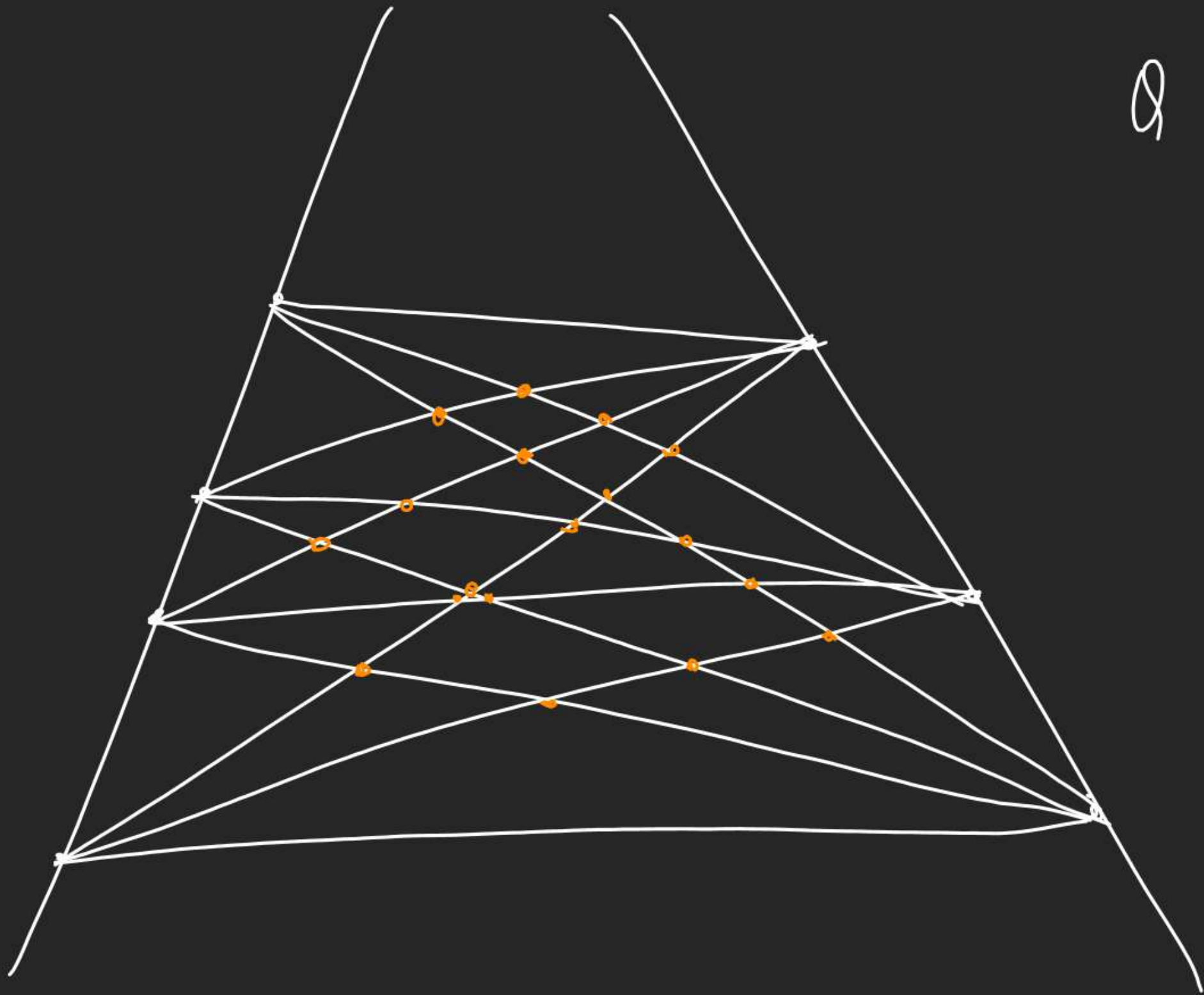
Find No of PoI

When a pt from  
1<sup>st</sup> line & a pt from  
2<sup>nd</sup> line is connected

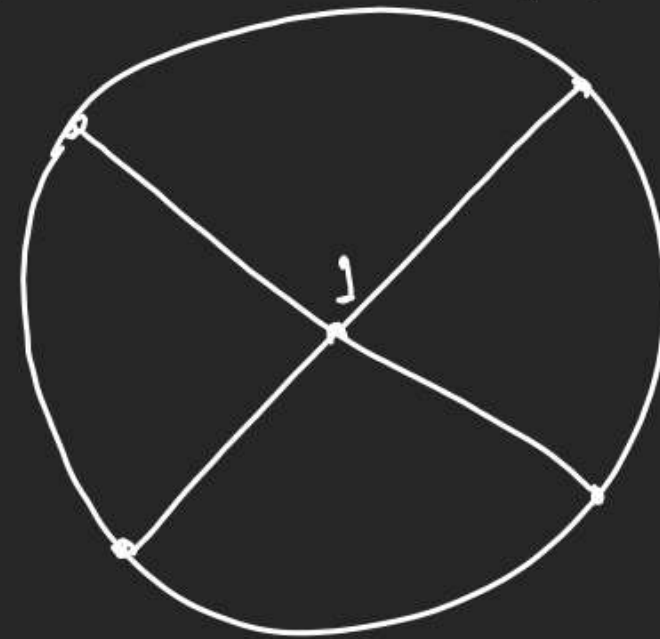


$$PoI = {}^4C_2 \times {}^3C_2 \times 1$$

$$= 6 \times 3 = 18$$



Q 9 pts are given on a Circle, each pt is joined to another, find No of POI

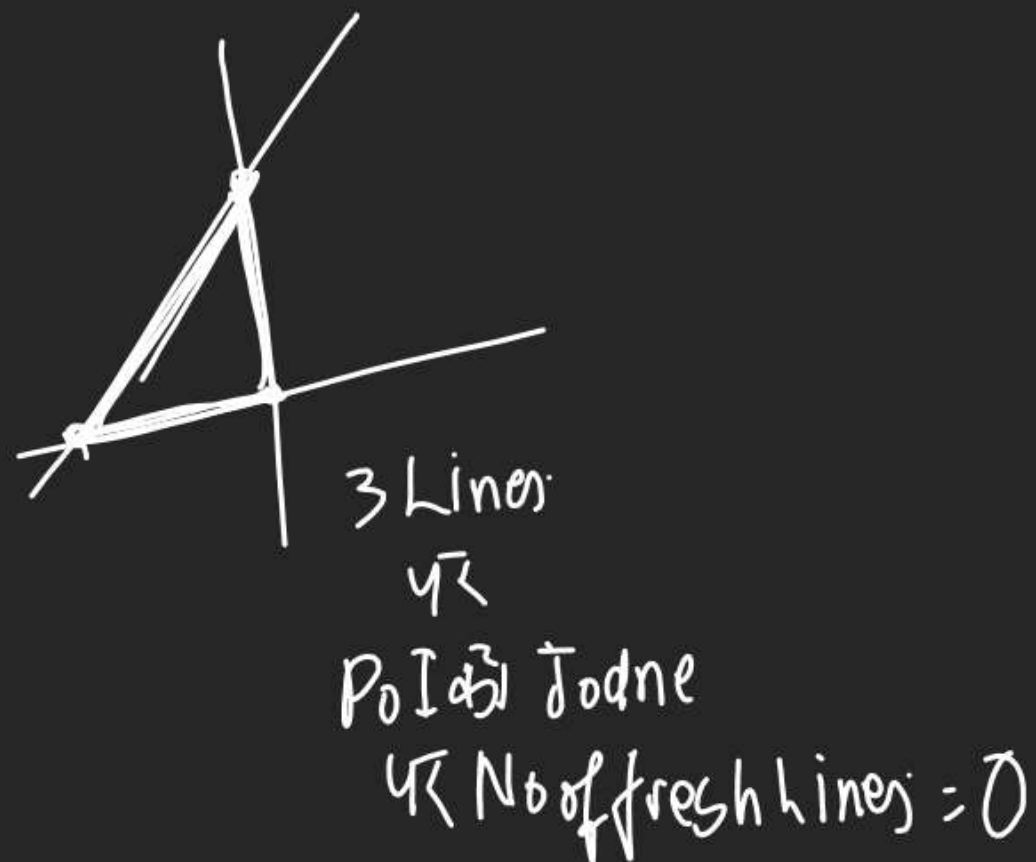
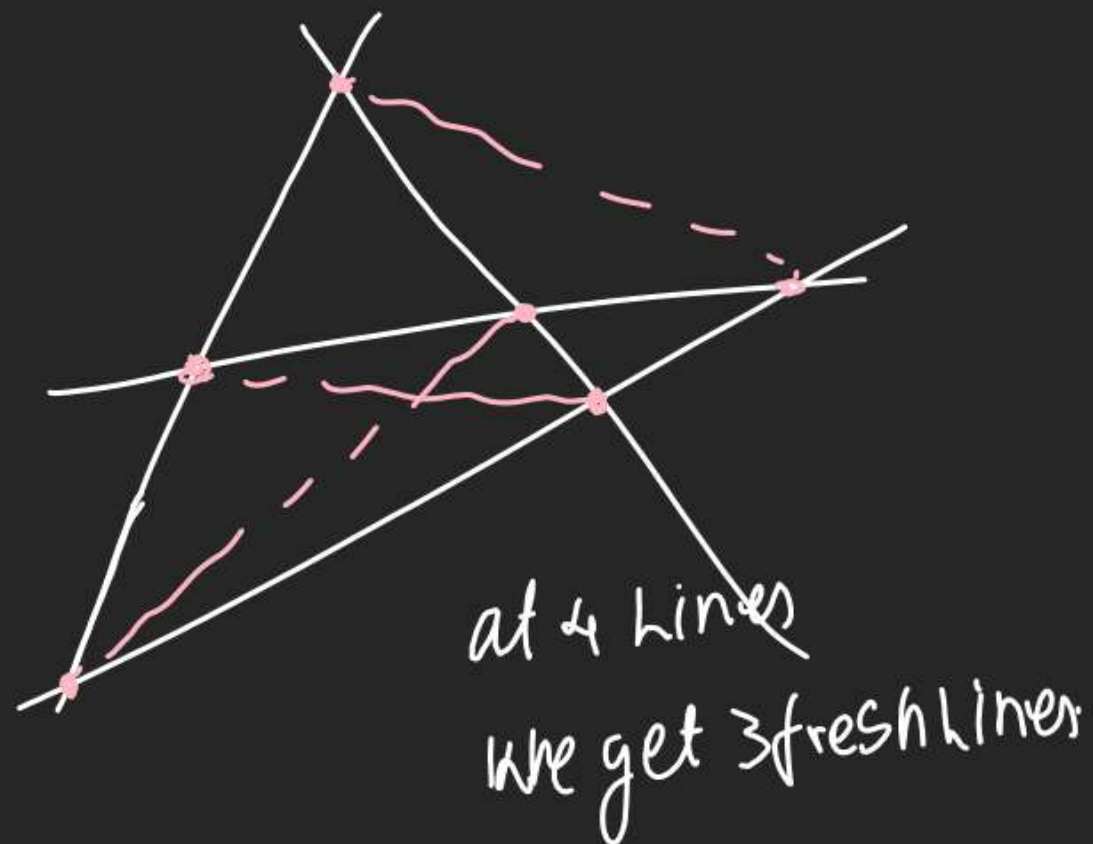


If you need 1 pt of Int. on a Circle you need 4 pts

As many times you can find 4 pts out of 9 you will get 1 POI

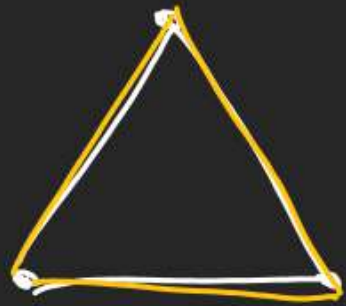
$$\text{Total} = {}^9C_4 \times 1 \text{ POI}$$

① There are  $n$  STL in a plane } No of  
 no 2 of them are  $\parallel$ , no 3 passes fresh  $= nC_4 \times 3$   
 through same pt Their P.O.I are lines  
 joined Then find No of fresh Lines.

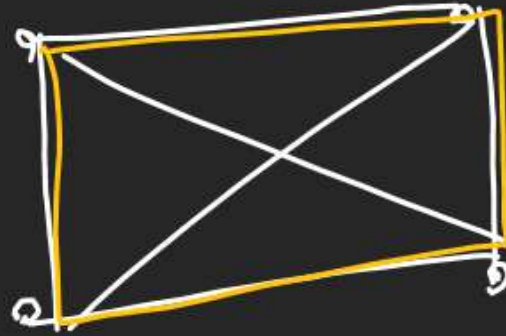




# Visualisations & Analysis

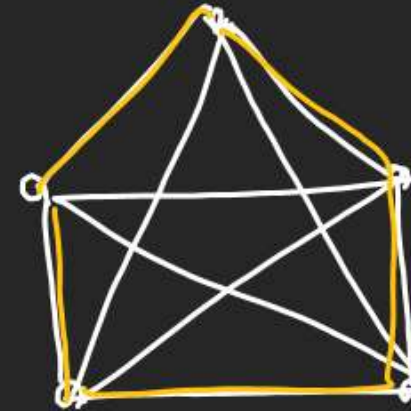


3 vertices  
No of st. lines.  
 ${}^3C_2 = 3$   
all 3 sides



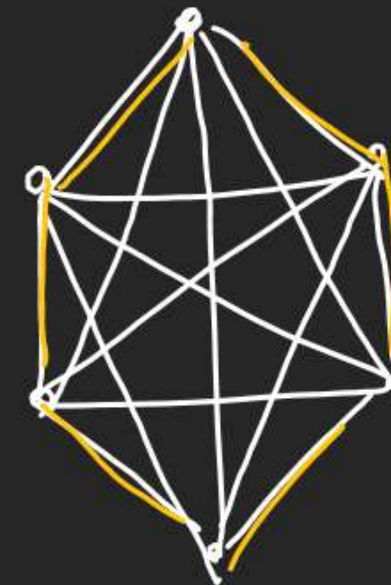
4 vertices  
No of STL =  ${}^4C_2$   
= 6

4 vertices = 4 Sides + 2 diag.



5 vertices  
No of STL  
=  ${}^5C_2 = 10$

5 vertices = 5 Sides + 5 diag.



6 vertices  
No of STL  
=  ${}^6C_2 = 15$

6 vertices = 6 Side + 9 diag.

If we make st lines joining  
n vertices then we can get n sides

$${}^nC_2 = n + \text{diag} \Rightarrow \boxed{\text{Diag} = {}^nC_2 - n} = \frac{n^2 - 3n}{2}$$

Q If a polygon has 44 diag.  
then No of sides = ?

$$\frac{n^2 - 3n}{2} = 44$$

$$n^2 - 3n - 88 = 0$$

$$(n - 11)(n + 8) = 0$$

$$n = -8, 11$$

$\therefore$  polygon of 11 sides

DP-3

Q1 VALEDICTORY

VL AEIO DCTRY

$$= 8 \times 4$$

Q2 RNA <sup>\*</sup>2, <sup>\*</sup>3, 4, 5, 6, <sup>\*</sup>0

$$\frac{400-1000}{60} = 3 \times 5 \times 4$$

RA

$$3 \times 6 \times 6$$

$$= 108 - 1$$

$$= 107 \quad (400)$$

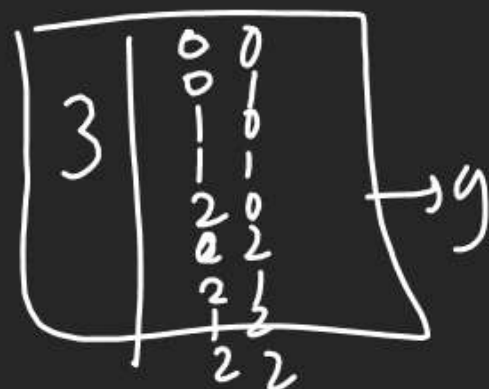
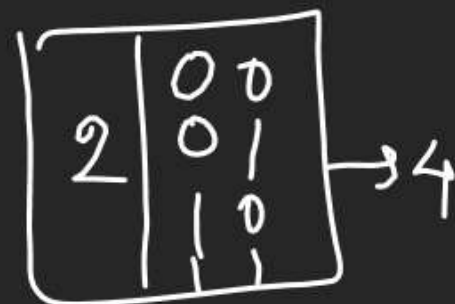
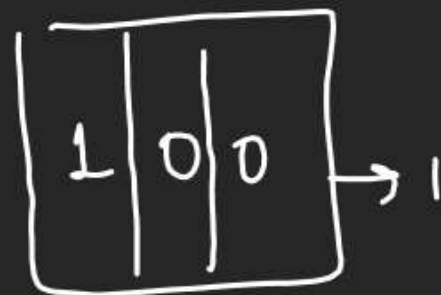
(3) Interior Angle =  $150^\circ$ 

$$\text{Exterior} = 30^\circ$$

$$\text{No of Side} = \frac{360}{30} = 12$$

$$\text{No of diag} = \frac{(12)^2 - 3 \times 12}{2}$$

$$54 \text{ diag}$$

Q4  $10 \times 15$ Q5, Q6 (check Notes)  
RankQ8

$$1^2 + 2^2 + 3^2 - - + y^2$$



Q<sub>10</sub>

1, 2, 3, 4, 5, 6, 7, 8, 9

1		3	5		4	2		6
X		X	X		X	X		X

3, 4 are left, 5 is not left

1, 2 are left

g<sub>2</sub> bbe → 1st tree key  
Sebhara

$$g_{C_2 \times 1 \times 7} \times 1 \times 5 (C_2 \times 1 \times 3)$$