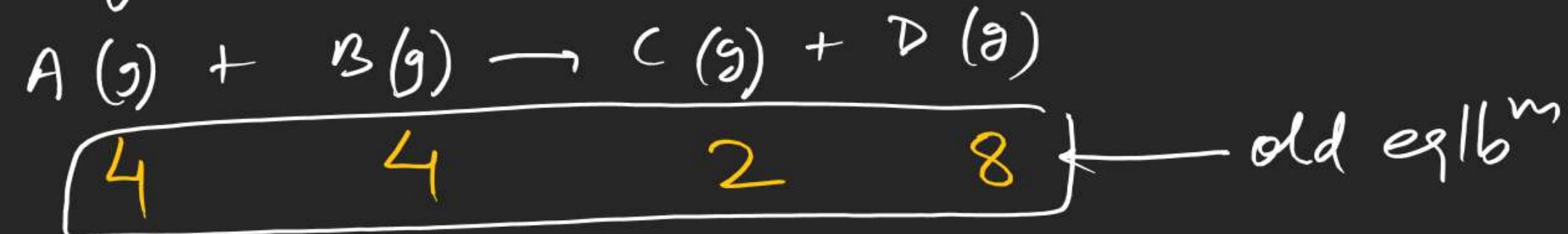


Q. for the given rxn



the no. of moles
at eqlb^m

was found to be

4, 4, 2 & 8

respectively in

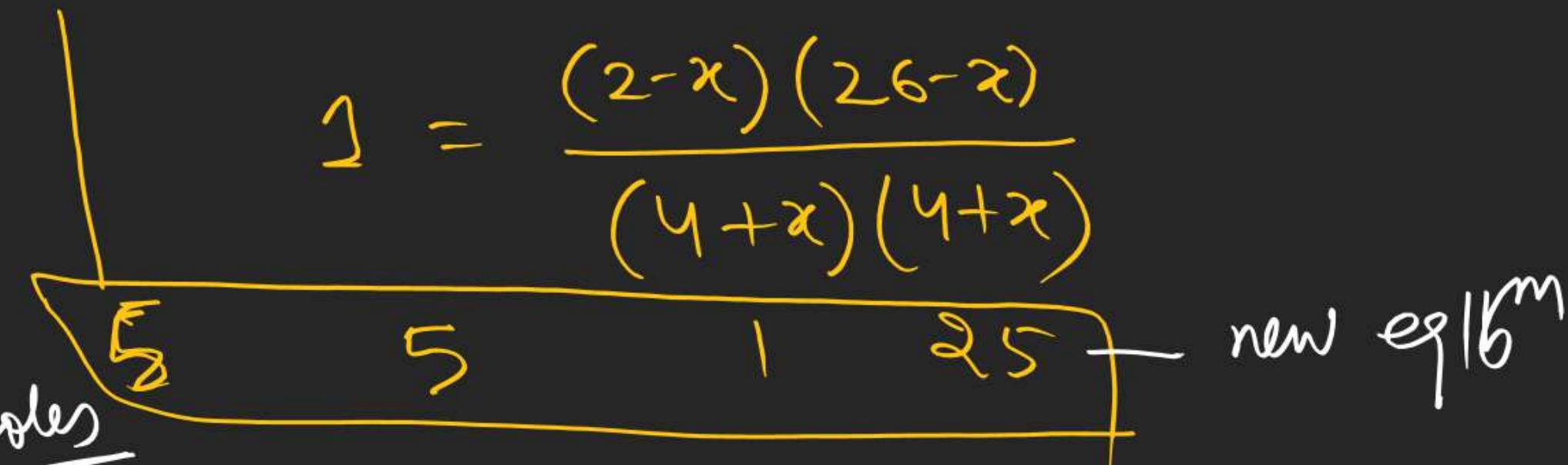
1 lit container.

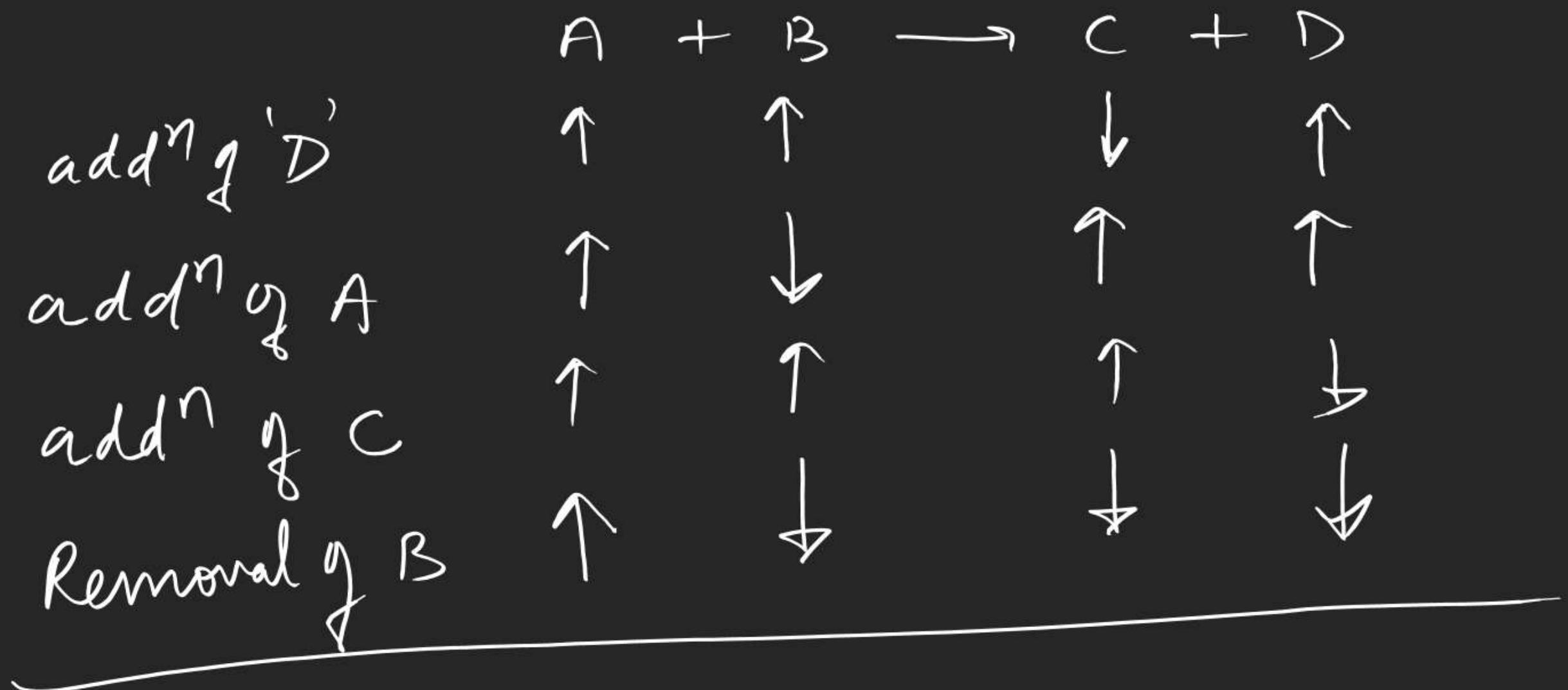
find the no. of moles

at new eqlb^m if 12 moles
of D are added to
above container



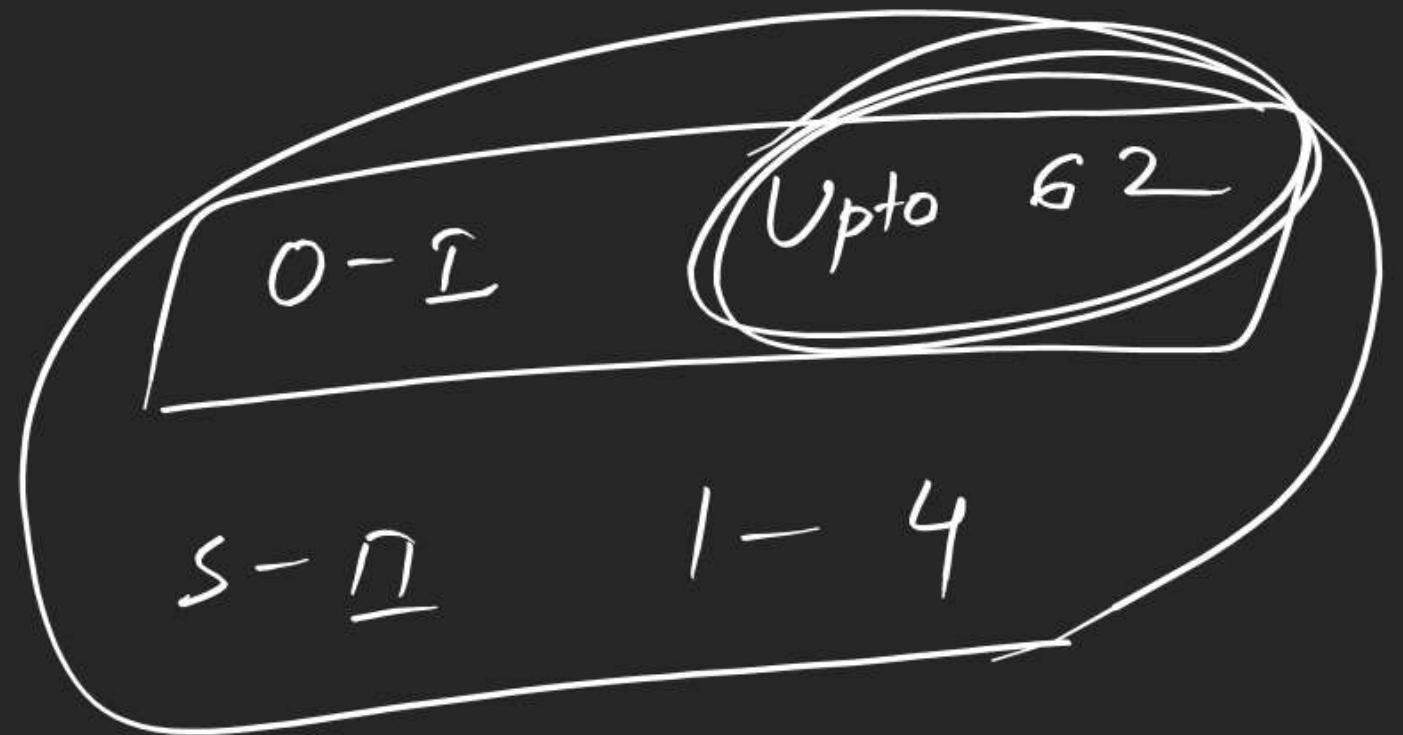
$$I = \frac{(2-x)(26-x)}{(4+x)(4+x)}$$





⑪ Effect of change in pressure

akk 7007



(42)



0.8

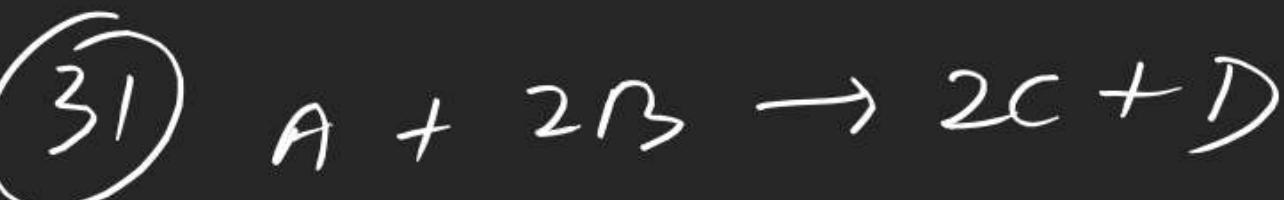
0.4

1.6

$$\frac{1.6 \times 1.6}{0.8 \times 0.4 \times 0.4}$$

$$= \frac{160}{8} = 20$$

(2.8)



a 1.5a

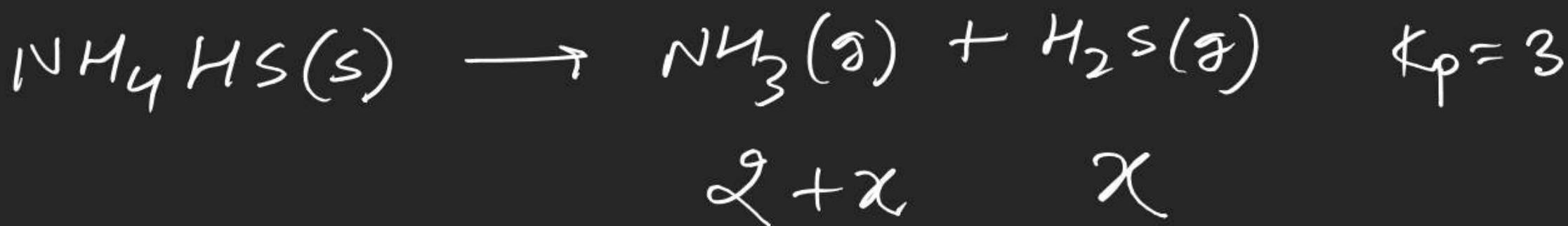
a-x 1.5a-2x 2x x

$$a-x = x$$

$$x = a/2$$

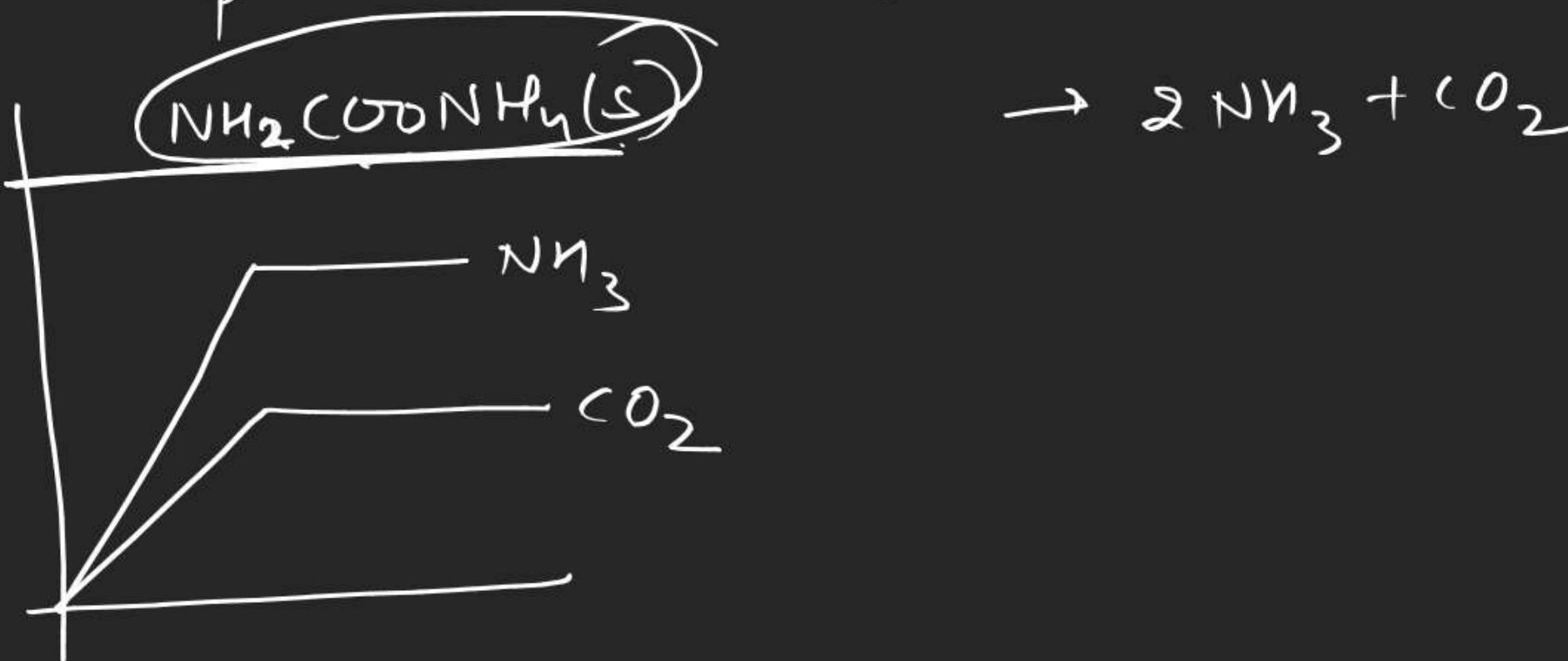
$$1.5a - 2 \cdot \frac{a}{2} \\ = 0.5a$$

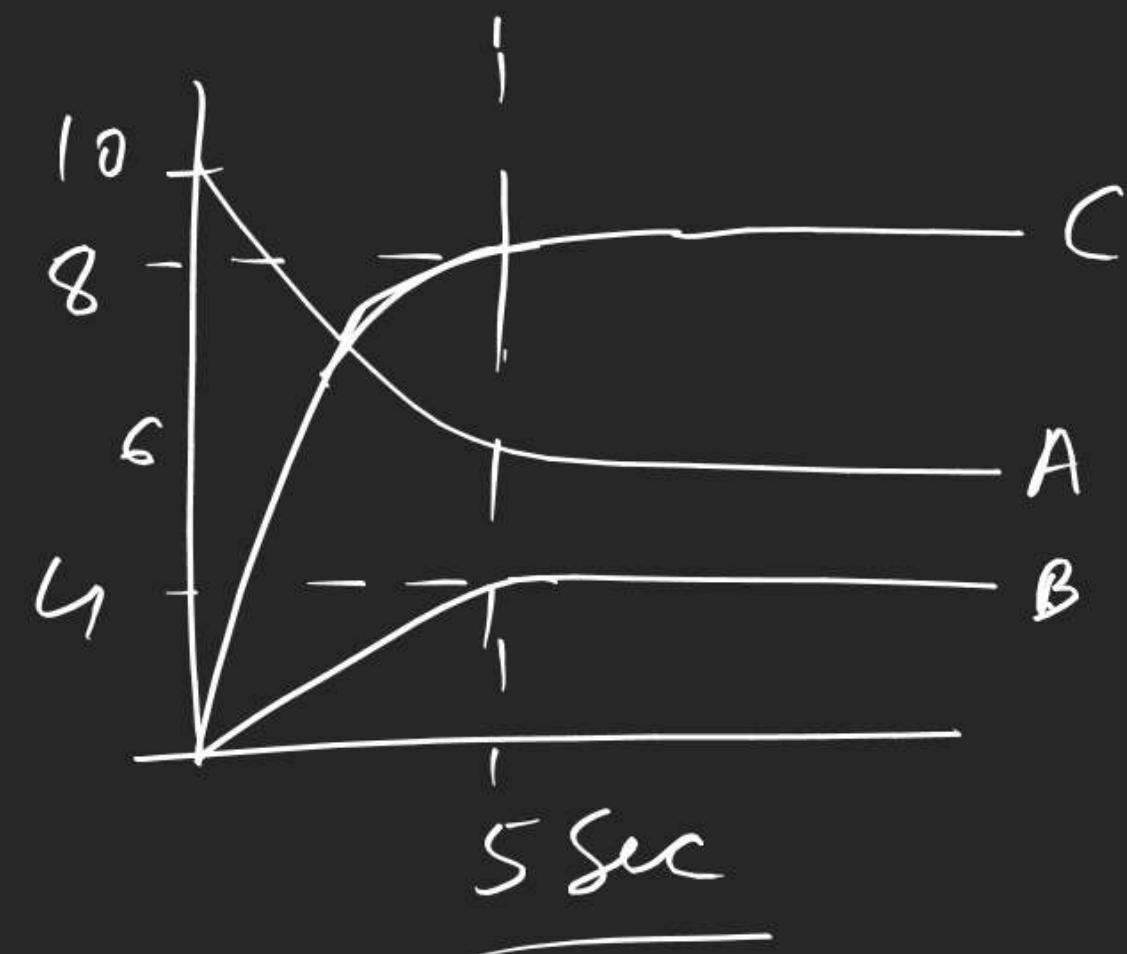
(47)



$$K_p = 3 = (2+x)(x)$$

(62)





$$A \rightarrow B + 2C$$
$$K_C = \frac{4 \times 64}{6}$$



2P

3P

P

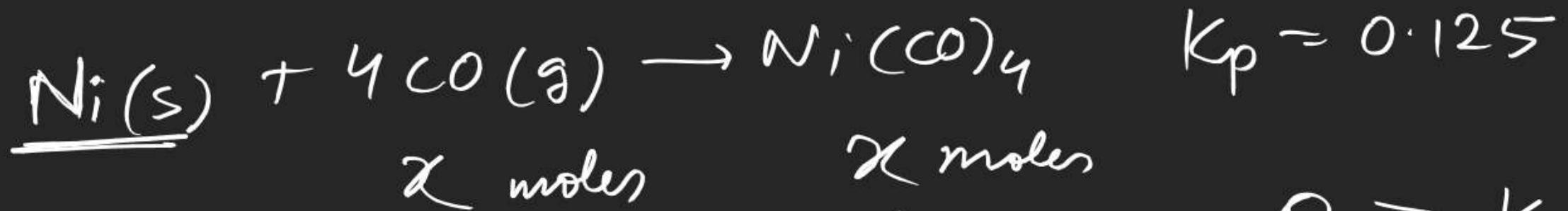
P'

$$\begin{aligned}
 K_p &= (2P)^2(P) \\
 &= 4P^3
 \end{aligned}$$

$$K_p = (3P)^2(P') = 4P^3$$

$$P' = \frac{4P}{9}$$

(4)



$$Q_p > K_p$$

let Pressure is P

$$\begin{aligned} Q_p &= \frac{x}{x^4} \left(\frac{P}{2x} \right)^{1-4} \\ &= \frac{1}{x^3} \times \left(\frac{2x}{P} \right)^3 \\ &= \frac{1}{x^3} \times \frac{8x^3}{P^3} > 0.125 \end{aligned}$$

$$\begin{aligned} \cancel{1000} \times \frac{8}{0.125} &> P^3 \\ 64 &> P^3 \\ 4 &> P \end{aligned}$$

Relative Humidity =

P_{H_2O} > aqueous tension

condensation

P_{H_2O} < aqueous tension

vapourisation

(RH) Relative humidity = $\frac{P_{H_2O}}{\text{aqueous tension}} \times 100$

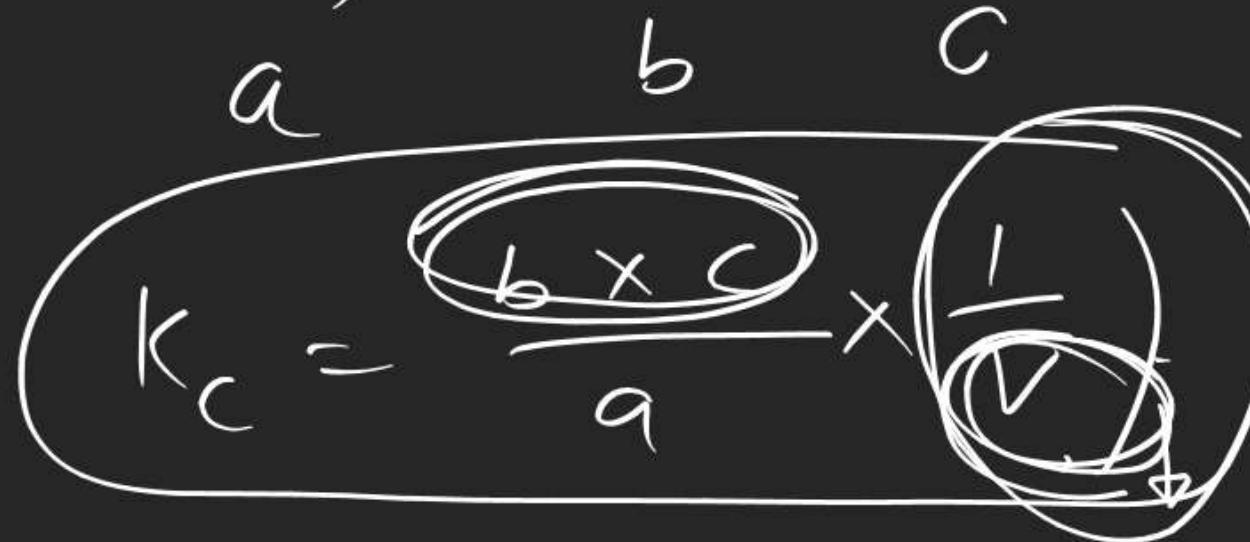
RH > 100% condensation



$H_2O(l)$
at $25^\circ C$

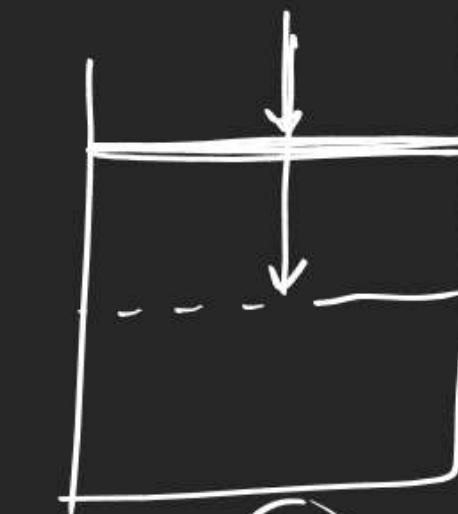
$V \cdot p_r = 50 \text{ torr}$
= aqueous tension

Effect of change in pressure: →



An increase in pressure
(by decreasing volume) favours the direction which produces less no. of moles of gases.

Pressure ↑



Volume ↓

An increase in volume favours the Rxn which produces more no. of moles of gases

$$P = \frac{nRT}{V}$$



$\Delta n_g = 0$
PT equilibrium will not shift in any dirn

Q. for the given Rxn



old

2

6

4

new

new

$2+x$

$6-x$

$4-x$

old

$$\frac{4}{10} \times 50 = 20$$

$$\frac{6}{12} \times 10 = 5$$

$$2$$

$$10$$

$$\frac{4}{12} \times 10 = \frac{10}{3}$$

$$10 = \frac{(6-x)(4-x)}{(2+x)} \left(\frac{50}{12-x} \right)$$

$$x = 2$$

$$K_p = \frac{P_B P_C}{P_A}$$

The no. of moles

at equilb was found to be

2, 6 & 4 respectively at

10 atm. find the no. of moles
and pressure of each substance

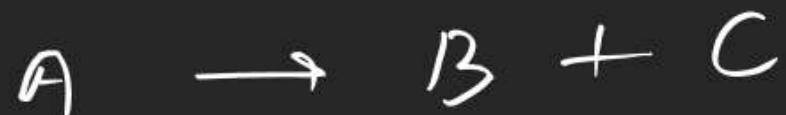
if equilb is re-established
at 50 atm.

$$P_A = \frac{n \uparrow R T}{V \downarrow} \quad P = \frac{n \uparrow R T}{V \downarrow}$$



$P \uparrow$ backward

$$K_p = \frac{P_B^2}{P_A}$$



$P_A \uparrow$ $P_B \uparrow$ $P_C \uparrow$

