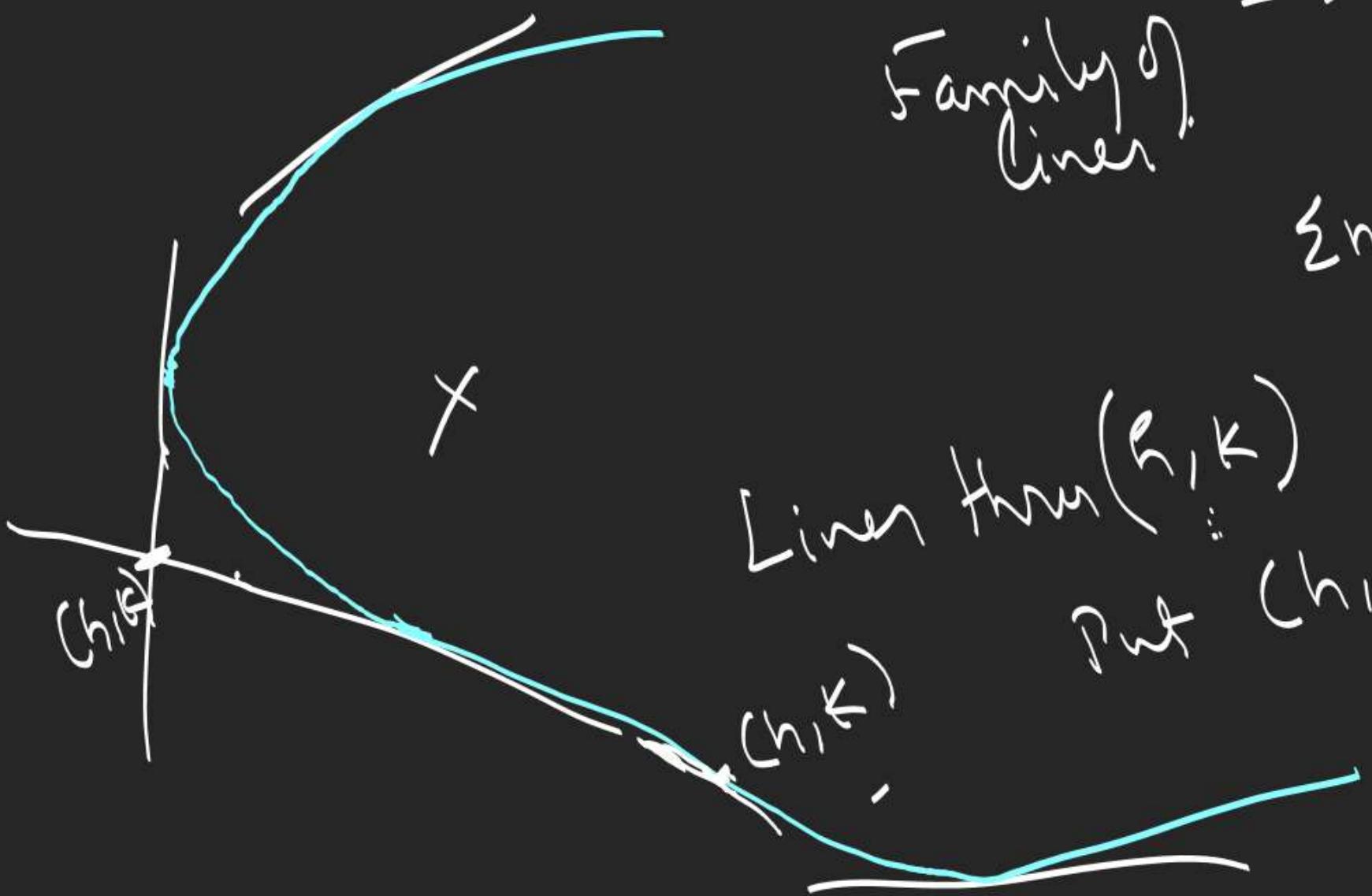


Envelope.

Line thru (h, k)
Put (h, k)

$\Rightarrow (h, k)$ lies on envelope

$$my - m^2x - l = 0, m \in \mathbb{R}.$$

Envelope = ?

$$m^2h - m k + l = 0$$

2 distinct lines
coincident lines
no line

$$\Rightarrow \Delta = 0 \Rightarrow k^2 - 4h = 0$$

Family of lines

$$P\lambda^2 + Q\lambda + R = 0$$

P, Q, R are linear in x, y ,

$\lambda \rightarrow$ parameter

$$(sin \alpha)(x+2y) - (ln \lambda) \gamma \\ (2x-3y+7)\lambda^2 + (x-y)\lambda + (4x+3y+1) = 0$$

$$\lambda(\lambda^2 - Q^2 + 2(x+y+1)) = 0$$

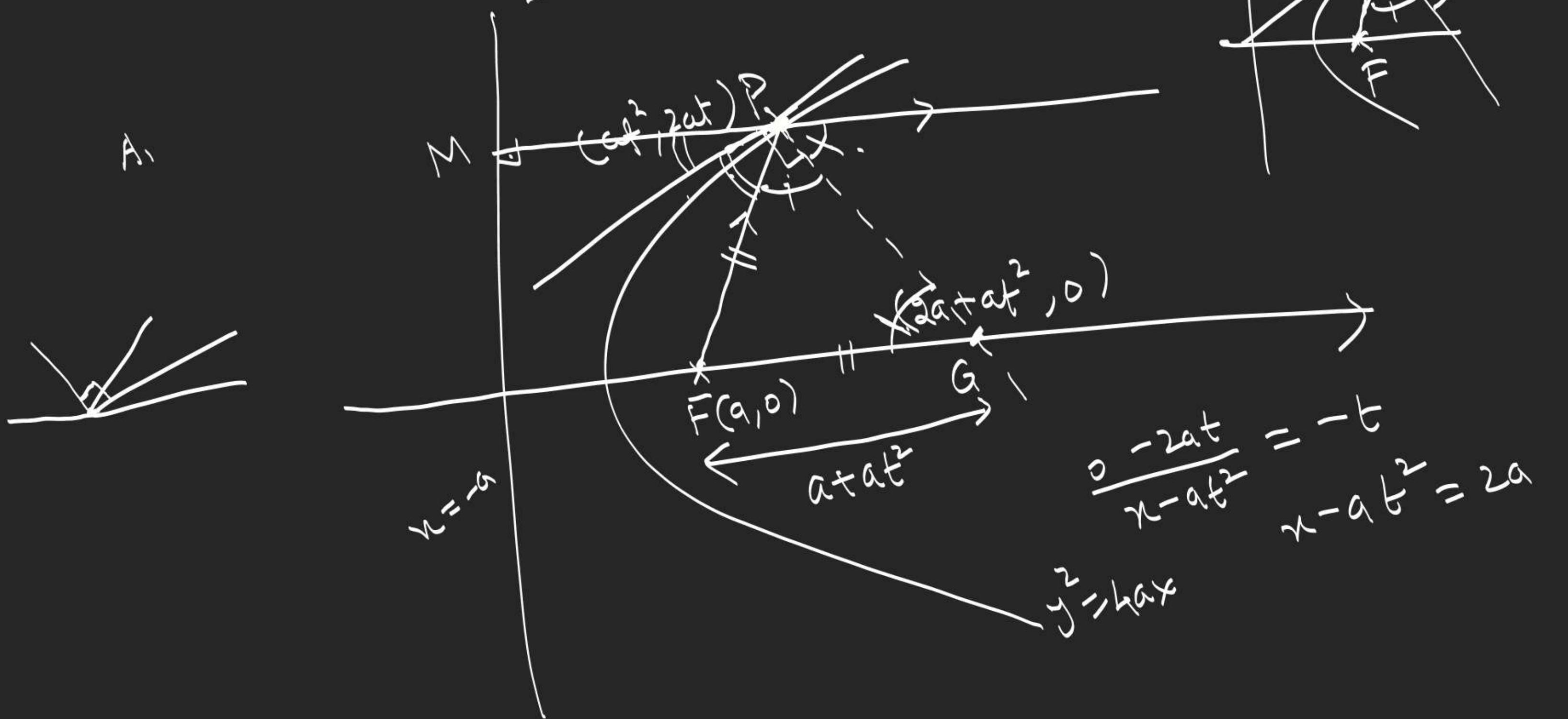
Envelope = ?

$$D=0$$

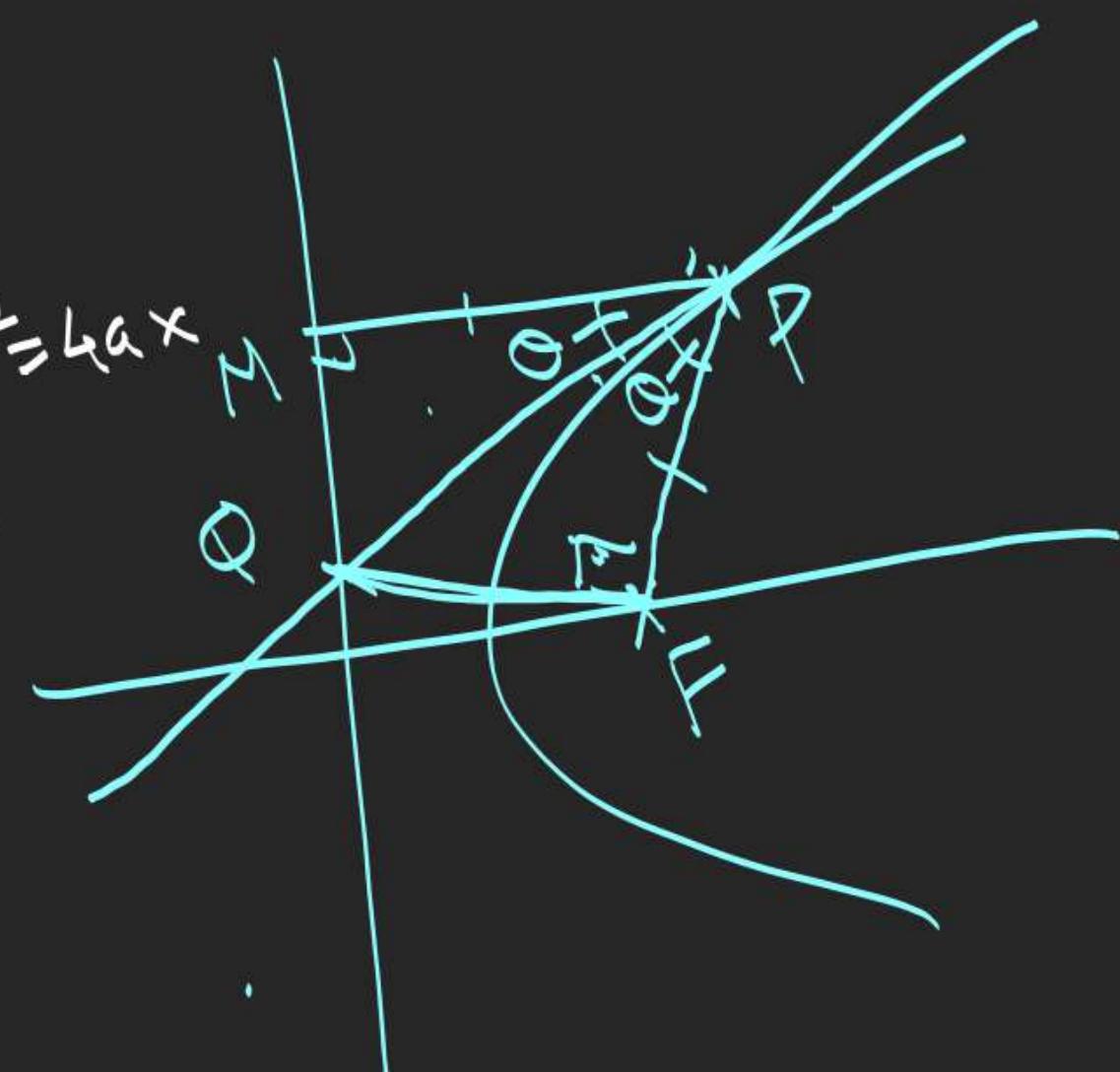
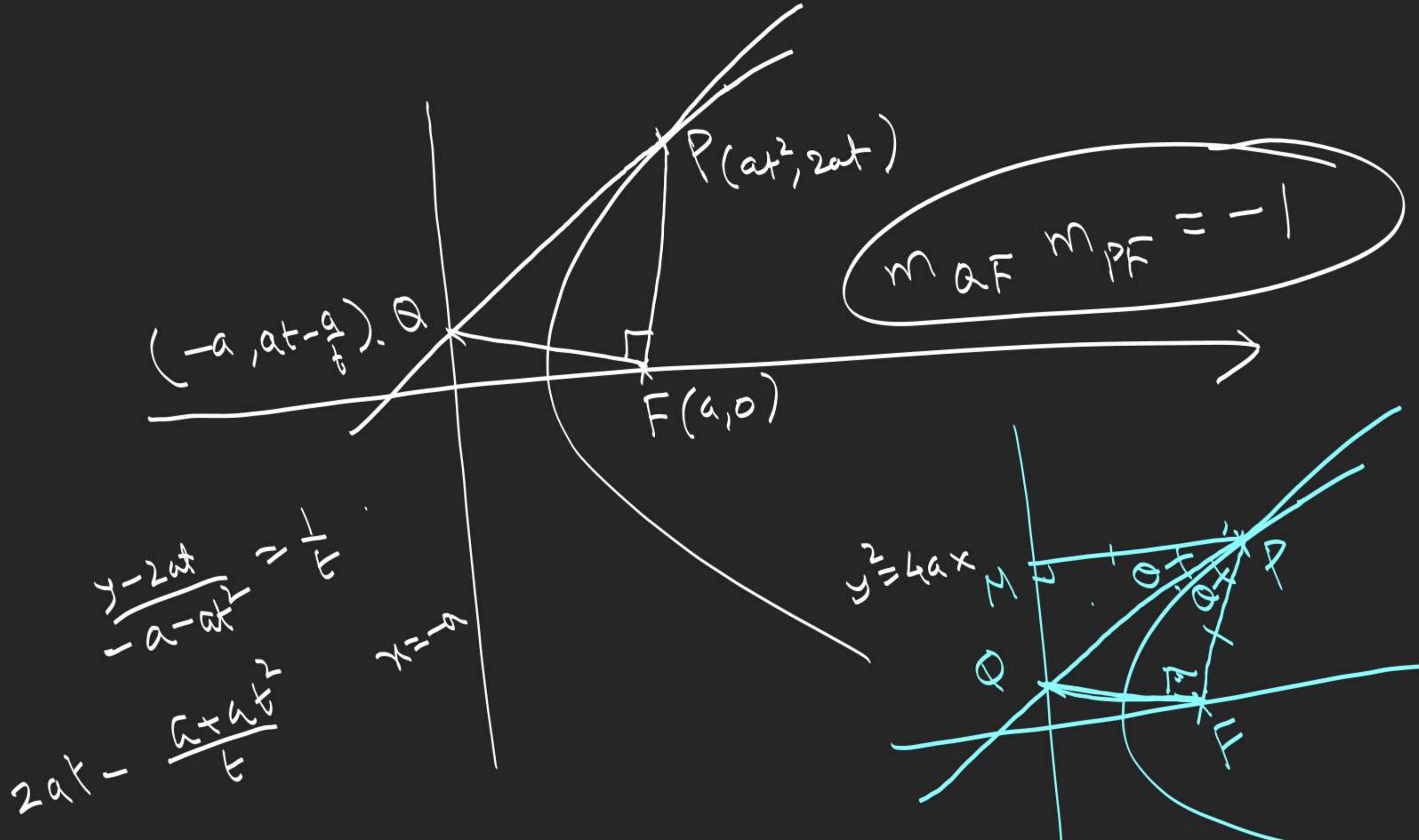
$$\Rightarrow Q^2 = 4PR$$

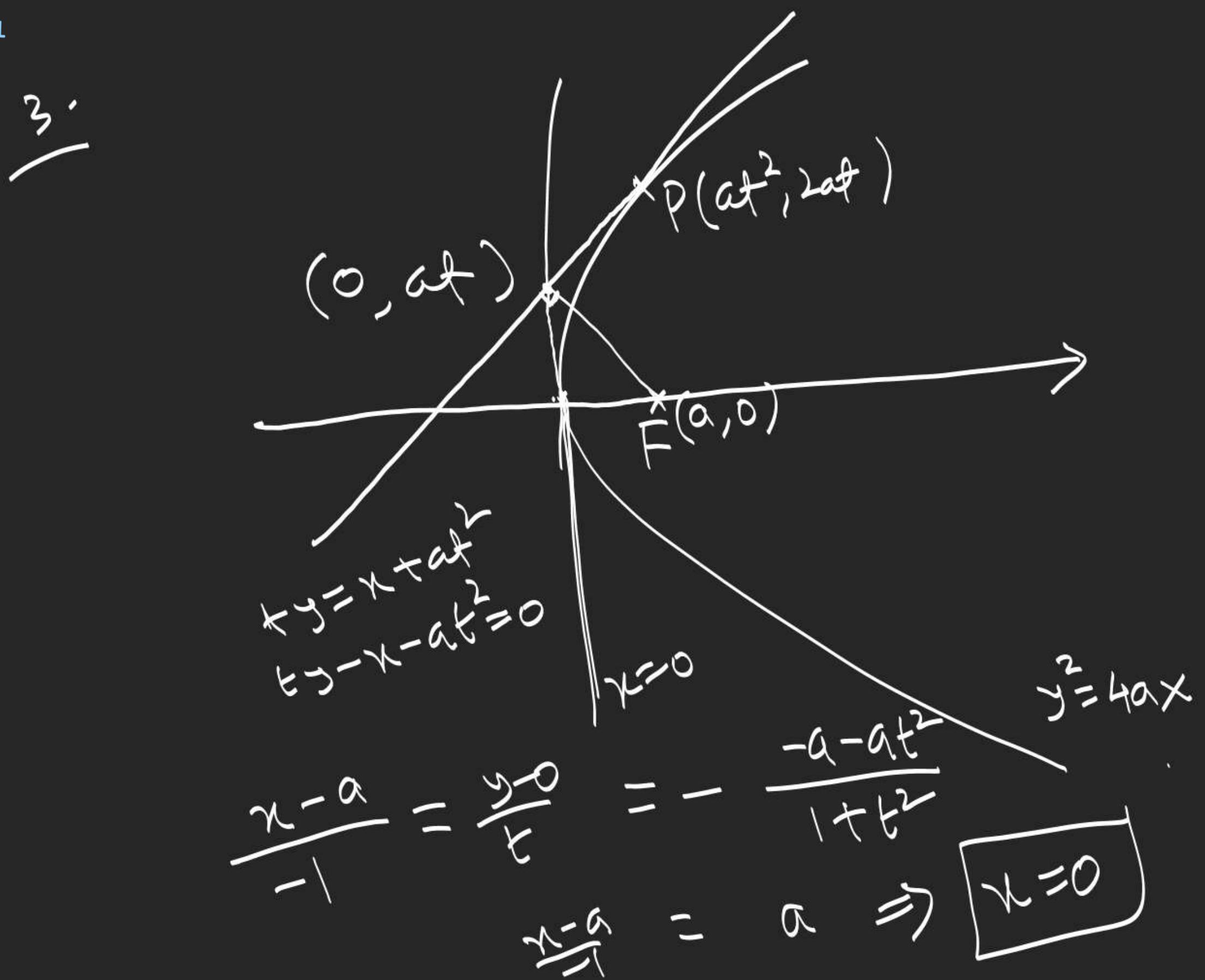
Note \rightarrow

① Reflection Prop

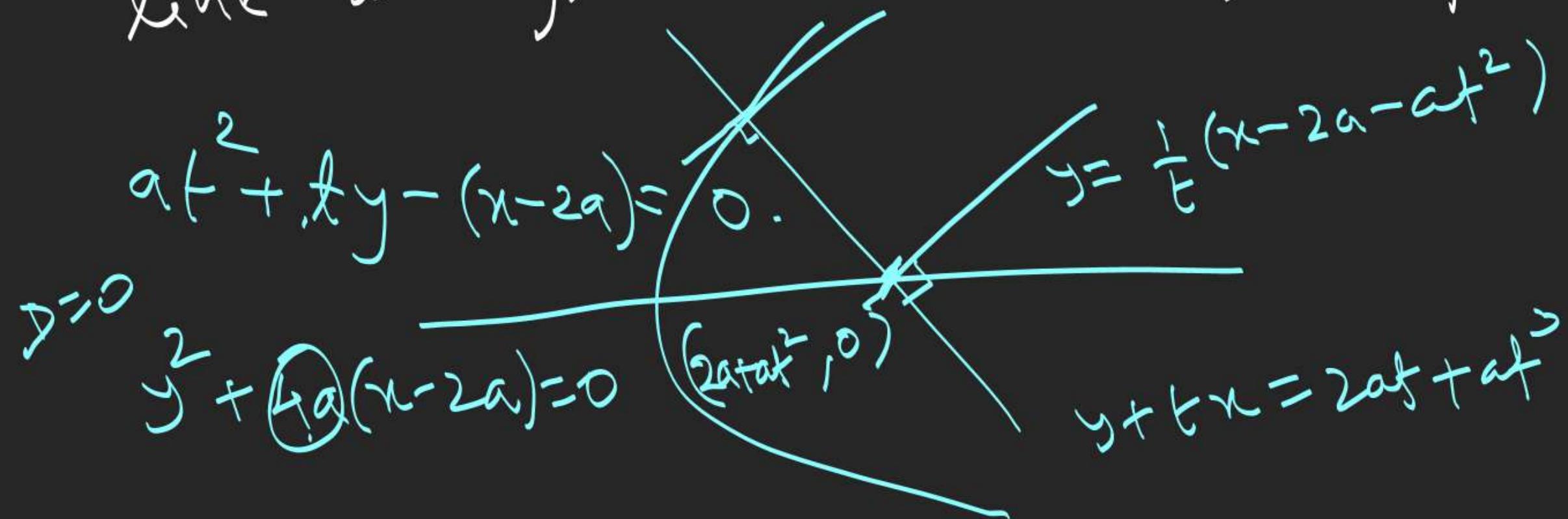


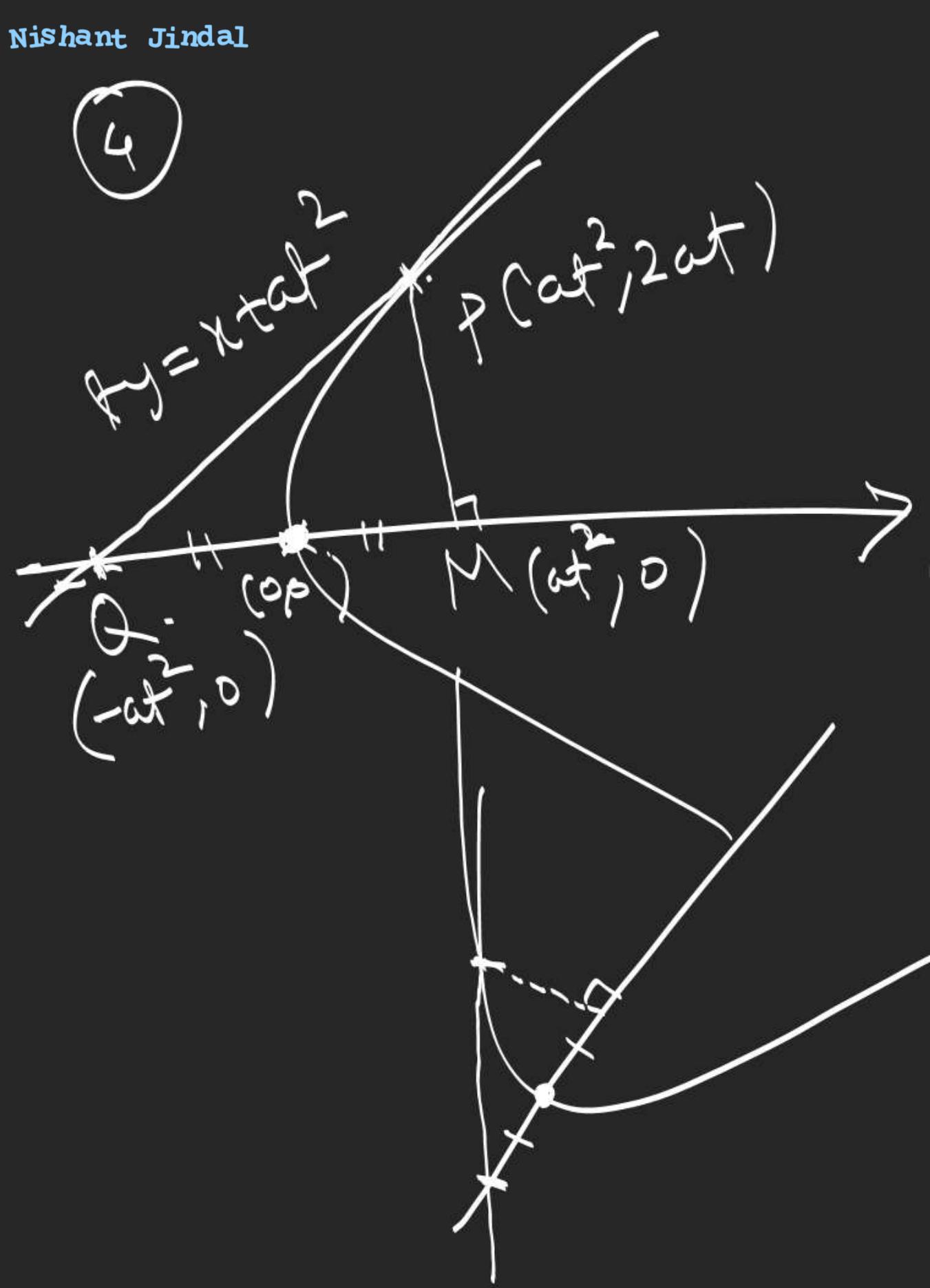
(2)





Q. From the point where any normal to parabola $y^2 = 4ax$ meet its axis is drawn a line perpendicular to this normal. P.T. this line always touches an equal parabola.





$\Sigma x - 28$
9, 11, 14, 17, 23,

$\Sigma x - 29$
4, 7, 8, 10, 23, 27

$\Sigma x - 30$
2, 3, 13, 15, 18, 21, 25,
26, 29, 30

Paper 2