

no. of ways
to divide into
10 equal groups

$$\frac{20!}{(2!)^{10} \cdot 10!}$$

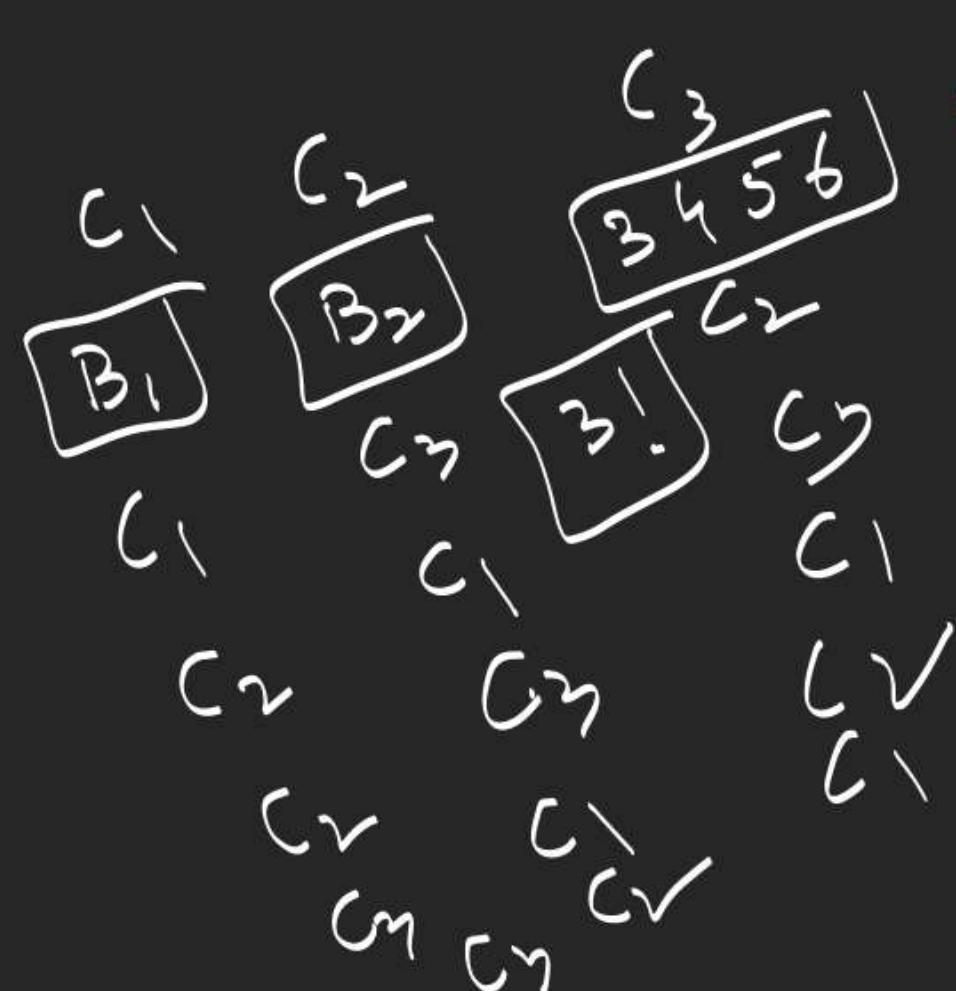
no. of ways
to distinguish
10 distinct groups

$$= \frac{20!}{(2!)^{10} \cdot 10!} \times 10!$$

2.

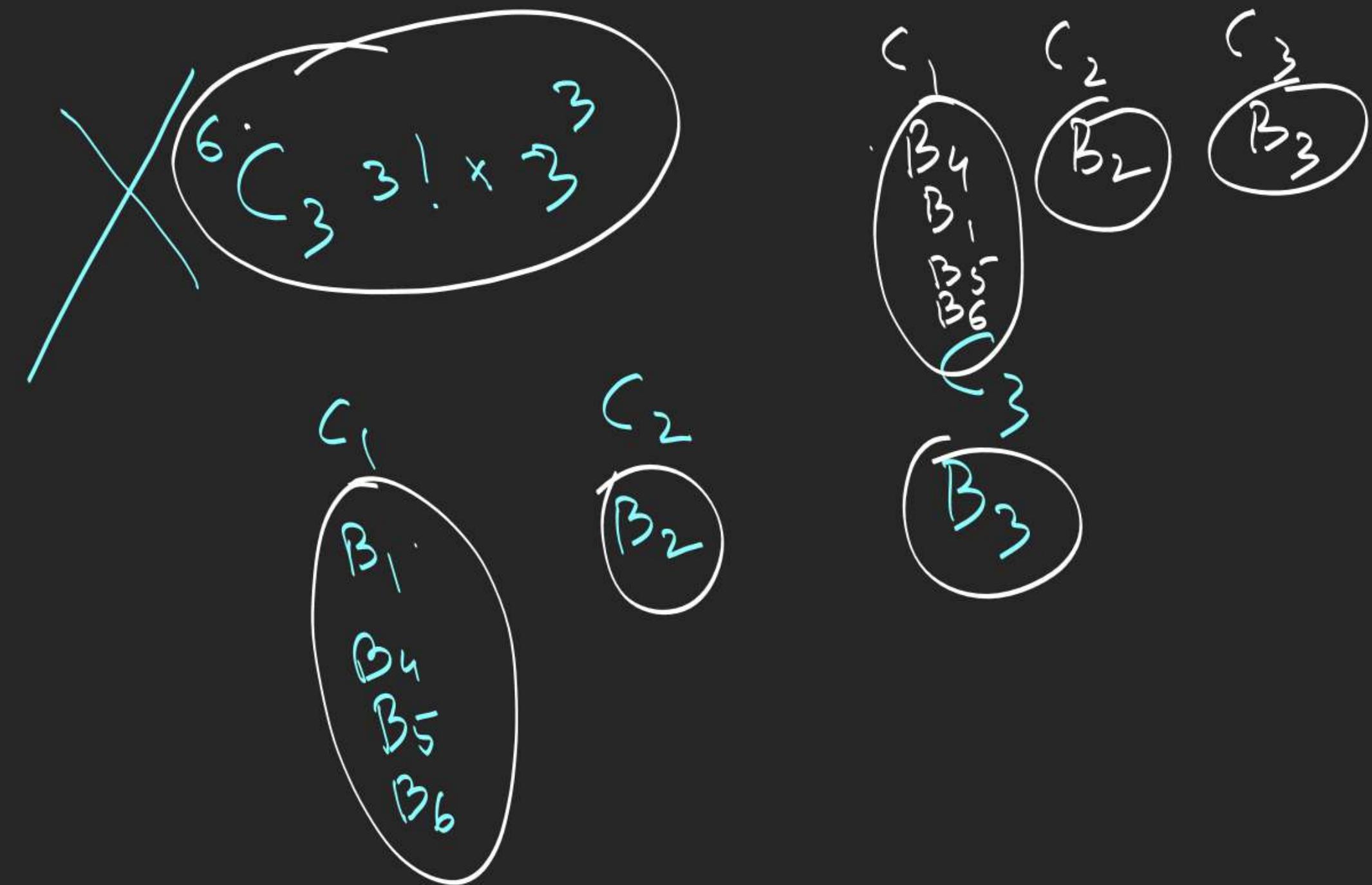
114, 123, 222

$$\frac{6!}{(1!)^2 4! \times 2!} \times 3! + \frac{6!}{1! 2! 3!} \times 3! + \frac{6!}{(2!)^3 3!} \times 3!$$



$$\begin{aligned}
 &= 3^6 - n(A \cup B \cup C) \\
 &= 3^6 - (3 \times 2^6 - {}^3C_2 1^6) \\
 A &= C_1 \text{ got } \approx 600 \text{ books} \\
 B &= C_2 - 11 \\
 C &= C_3 - 11
 \end{aligned}$$

1



3.

benvassed.

① $\frac{8!}{3!3!2!2!} \times 3!$

② $\left(\frac{8!}{3!3!2!2!} \times 3! \right) 3! \times 3! \times (3 \times 2)$

8 passengers

9 seats

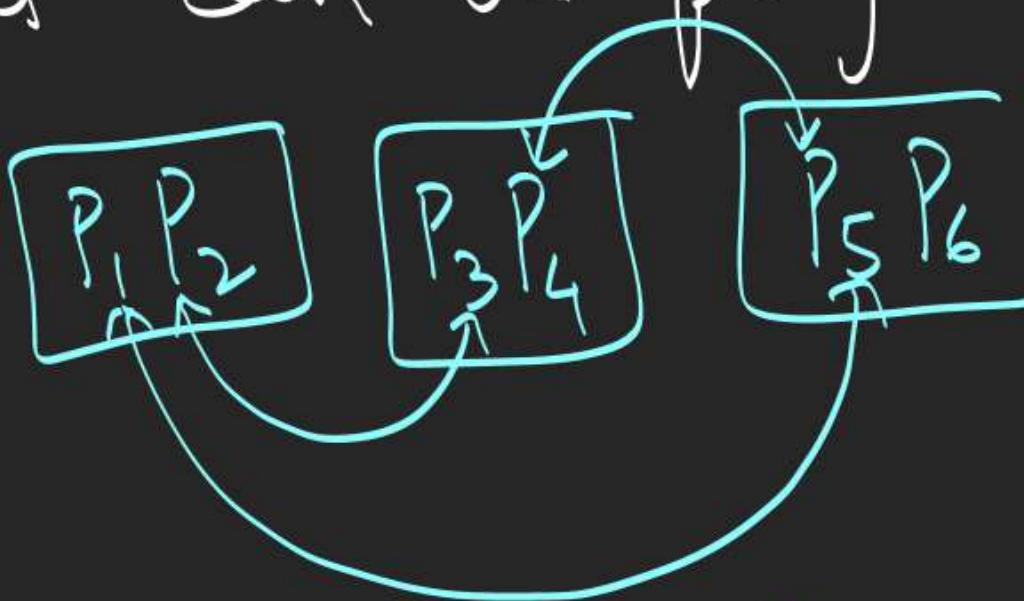
9P_8

$$\underline{\underline{=}} \quad \frac{45!}{20! \ 15! \ 10!} \times 1$$

5. There are 6 men available for a game
in which every pair has to play with other pair.
Find no. of games that can be played.

$$\frac{6!}{(2!)^3 3!} \times 3$$

$$6C_4 \times 3$$



P₁ P₂ P₃ P₄
~~P₁ P₄~~
~~P₁ P₂~~
~~P₁ P₃~~

Q. In how many ways 13 cards to each of the four players be distributed from a pack of 52 cards so that each may have ^{A K Q J of same suit} _{to every player} $\frac{36!}{(9!)^4 4!}$ remaining cards.

(i) A / K / Q / J of same suit $\frac{36!}{(9!)^4 4!} \times 4!$

(ii) ——— any suit

$$\text{A A A A} \quad (4!)^4 \times \left(\frac{36!}{(9!)^4 4!} \times 4! \right)$$

DPP-2
SC → 46-60

Red

Red Suits Black

Black



2

23

1

1

5

1

9

15

1

1

1

1

1

~~13 denominations~~

JQKA → honour cards.

J Q K → face cards