Talks & Presentations

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Contents

List of Tables

List of Figures

Preface

These are my talks and presentations in a nice & readable format.

How to read this book?

This is not a real book. Each chapter contains notes used as a reference guide to creates the slides.

About the author

to be defined.

Chapter 1

What is this?

1.1   The Short Answer

Q: What is this?

A: A site where I host and publish the documentation and reference materials for my talks.

1.2   The Long Answer

1.2.1   Motivation

Have you ever feel limited by the "expressiveness" of the documentation tools you use (e.g., simple markdown)? Or frustrated by the complexity they might introduce (e.g., latex)? Well, this situation inspired me to enter a quest to find the best technical writing tool for (software) engineers that's simple enough to learn, has a lightweight syntax, and avoids unnecessary complexity and boilerplate. I recently concluded that such a tool doesn't exist (but could!).

Since my background is on machine learning and data engineering, I was looking for something that can parse mathematical equations and at the same time, execute arbitrary code snippets. In particular, I was looking for:

- **A expressive but straightforward syntax for formatting.** We all know that LaTeX is the king for document formatting, but introduces significant boilerplate for small projects. On the other hand, markdown is very simple but compromises expressiveness.
- **Ability to parse and present math equations.** This is the main reason I keep coming back to LaTeX. Is there a way out?

- **Ability to execute arbitrary code snippets in several languages.** I don't ask for much. As an engineer specialized on the data fields, I expect to be able to run at

least Scala, Python, and Bash.
- **Being able to use a single-source document to generate multiple outputs formats.** I might want to share the same document as a PDF, or a webpage.
- **Reference management simplification.** Nice to have!

Fortunately, there are plenty of open source tools that aim to solve particular doc-oriented problems. My solution turned out to be a **giant hack** that combines several of these tools.

1.2.2   The proposed approach

You might be reading this document on a website, pdf-file, or even an ebook. A single source file generated all of these outputs. Let's be clear; this is not magic. It's the result of using several high-quality open source projects. In particular, I want to express my appreciation to all the collaborators of the following projects:

- Pandoc - a Haskell based universal document converter.
- Rmarkdown - a tool for reproducible research that allows computing code and narrative to be in the same document.
- Bookdown - an Rmarkdown extension.
- Scala Tut - an SBT plugin that allows executable scala-code snippets in Markdown.
- Scala Microsite - an SBT plugin that allows the creation of microsites.

Let me explain how to combine all these tools into a giant hack:
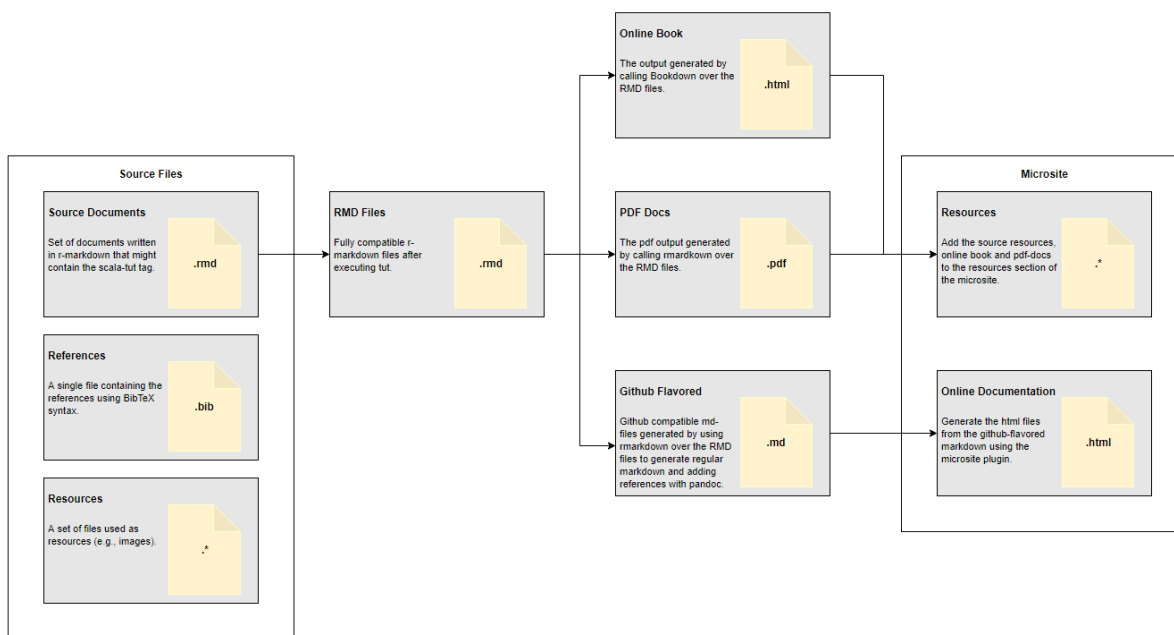
Find a naive implementation of this process in the github repo that contains the source code for this site.

1.2.3 Why R markdown?

As you might have noticed, this Frankenstein tool relies mostly on R-markdown for the most relevant features. Let me cite the author of the Bookdown framework to explain my decision:

> "R Markdown may not be the right format for you if you find these elements not enough for your writing: paragraphs, (section) headers, block quotations, code blocks, (numbered and unnumbered) lists, horizontal rules, tables, inline formatting (emphasis, strikeout, superscripts, subscripts, verbatim, and small caps text), LaTeX math expressions, equations, links, images, footnotes, citations, theorems, proofs, and examples."

(Xie, Allaire, and Grolemund 2018)

1.2.4 Publishing

The SBT microsite plugin facilitates the deployment of the resulting site into github pages. This service can host and serve static sites without a problem by using Jekyll.
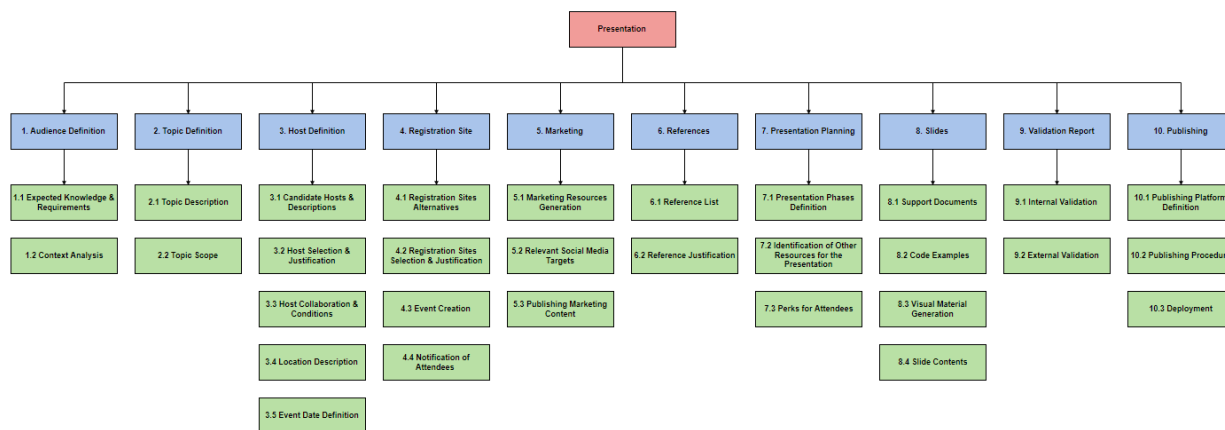
I use a custom script that execute the whole pipeline:

- `./publish --local`: serve the site in localhost.
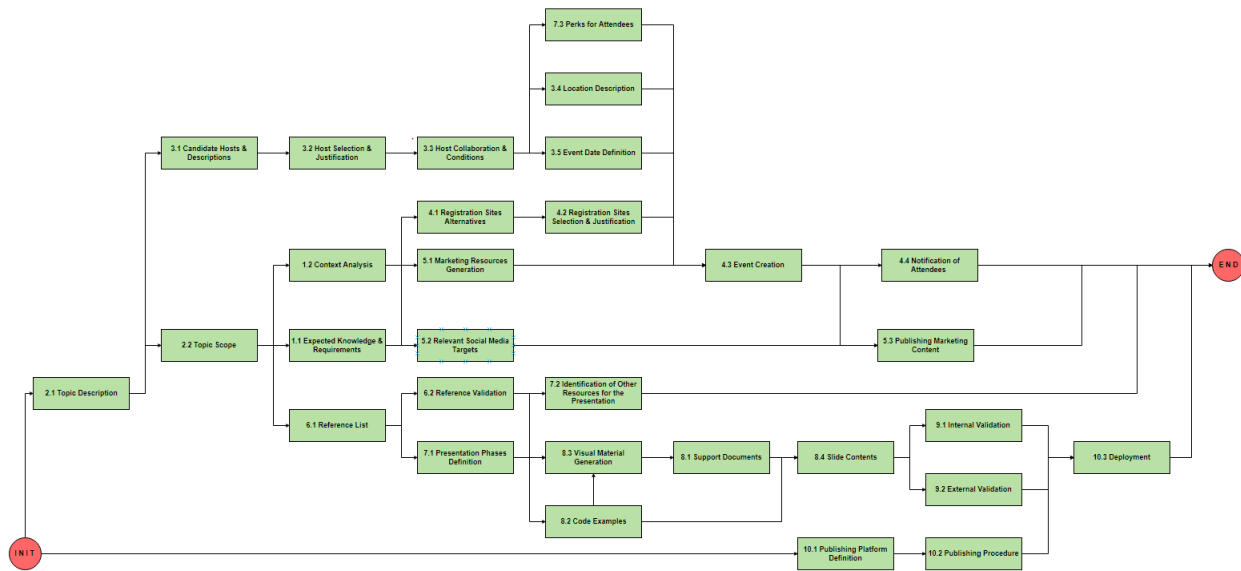- `./publush --site`: serve the site in github pages.

Note that you must run the `setup` scripts before.

1.2.5 Presentations

We can represent the project of generating a presentation with a work-breakdown structure diagram (WBS).

To represent the dependencies, we can take the "leaves of the tree" and arrange them in a network diagram.

1.3   References

Chapter 2

Monads in [My Py]thon

2.1 Acknowledgments

This talk is inspired and based on the following conferences:

- Monads, in my Python? by Xuanyi Chew
- Scala Monads: Declutter Your Code With Monadic Design by Dan Rosen
- Category Theory, The essence of interface-based design by Erik Meijer
- Type-checked Python in the real world by Carl Meyer
- Learning to Love Type Systems by Lauren Tan
- New Functional Constructs in Scala 3 by Martin Odersky

2.2 About MyPy

The *python-enhancement-proposal-484* (PEP 484) by Guido van Rossum and Jukka Lehtosalo introduced the concept of **type hints** inspired on function annotations (PEP 3107). This type-hints are completely ignored at runtime but can be used with an optional static type checker. MyPy is the most popular type checker for python, lead by Guido van Rossum at Dropbox.

2.2.1 Why types

> "A type system is a tractable syntactic method for proving the absence of certain program behaviors by classifying phrases according to the kinds of values they compute."

(Pierce and Benjamin 2002)

> "A type system is a way to add constraints to your code. The type system is there to help you enforce logic that's consistent within those constraints."

(Tan 2018)

Constraints are desirable because they limit the number of bugs in the program. We can use a strong DSL (domain specific language) to represent the business logic of our application and let the type checker verify the consistency.

In the Pragmatic types blogpost, the author explains the difference between using a type system for type-checking the code vs using unit-tests. Consider the following illustration:

We achieve type-safety in an application with (1) a robust type system & checker, and (2) by following the functional programming principles.

Functional programming started as a practical implementation of the following mathematical theories:

- **Proof Theory**: logic and mathematical proofs.
- **Category Theory**: algebra, composition and abstractions.
- **Type Theory**: programs and the idea of prepositions as types.

Curry-Howard-Lambek correspondence shows that these three theories are equivalent among each others.

Consider the following python function:

```python
def addition(x: int, y: int) -> int:    # proposition
    return x + y                        # proof
```

The type signature serves as a proposition; given two integers x and y, there exists a function that returns another integer.

The implementation (body) of the function is the proof of such proposition. In this sense, **types** are propositions and **programs** are proofs. Therefore, we can think of type-checking as proof-checking.

Good type signatures and a DSLs facilitate the implementation of a particular program and let's the developer rely on the type-systems to increase productivity.

2.2.2 Installation

Installation it's straightforward (Ubuntu 18.04):

```
$ sudo apt install python3.7 && python3.7 -m pip install -U mypy
```

Now you can run the static type checker with your python programs:

```
$ python3.7 -m mypy app.py
```

To avoid warnings/errors related to external libraries, use:

```
$ python3.7 -m mypy --ignore-missing-imports app.py
```

2.3 About Monads

The most popular definition of a monad is probably the one phrased by James Iry in his blog-post A Brief, Incomplete, and Mostly Wrong History of Programming Languages.

> "A monad is just a monoid in the category of endofunctors."

Nonetheless, we can find the complete form of this definition in the book Categories for the working mathematician.

> "A monad in X is just a monoid in the category of endofunctors of X, with product $\times$ replaced by composition of endofunctors and unit set by the identity endofunctor."

(Mac Lane 2013)

And a more formal definition in this same book:

> "Formally, the definition of a monad is like that of a monoid M in sets. The set M of elements of the monoid is replaced by the endofunctor $T : X \to X$, while the cartesian product $\times$ of two sets is replaced by the composite of two functors, the binary operation $\mu : M \times M \to M$ of multiplication by the trasformation $\mu : T^2 \to T$ and the unit (identity) element $\nu : 1 \to M$ by $\nu : I_x \to T$."

(Mac Lane 2013)

$\mu : T^2 \to T$

With the help of this stackoverflow post, this wolfram post and the scala cats typelevel docs we can shine some light to this definition:

- A monoid is a representation of a set S closed under an associative binary operation and has an identity element or unit.

A type `A` can form a semigroup if it has an associative binary operation `combine` that satisfies `combine(x, combine(y, z)) = combine(combine(x, y), z)` for any choice of x, y, and z in `A`.

```scala
trait Semigroup[A] {
    def combine(x: A, y: A): A
}

object Semigroup {
    def combine[A](x: A, y: A)(implicit sg: Semigroup[A]): A =
        sg.combine(x, y)
}
```

We can create a simple example for `Int`:

```scala
implicit val integerAdditionSemigroup: Semigroup[Int] =
    new Semigroup[Int] {
```

```scala
        def combine(x: Int, y: Int): Int = x + y
    }
```

Example:

```scala
Semigroup.combine[Int](1, 2)
// res0: Int = 3

Semigroup.combine[Int](1, Semigroup.combine[Int](2, 3))
// res1: Int = 6
```

To define a monoid we need to extend the `Semigroup` with an empty value such that the following holds true: `combine(x, empty) = combine(empty, x) = x`

```scala
trait Monoid[A] extends Semigroup[A] {
  def empty: A
}

object Monoid {
    def empty[A](implicit m: Monoid[A]): A = m.empty
    def combine[A](x: A, y: A)(implicit m: Monoid[A]): A =
        m.combine(x, y)
}

// Int monoid
implicit val integerAdditionMonoid: Monoid[Int] = new Monoid[Int] {
    def empty: Int = 0
    def combine(x: Int, y: Int): Int = x + y
}
```

We can verify the `combine` operation with our empty element:

```scala
Monoid.combine[Int](1, Monoid.empty[Int])
// res3: Int = 1
```

- A **functor** is a mathematical structure-preserving transformation between categories. And **endofunctor** is a functor from one category back to the same category.

```scala
trait Functor[F[_]] {
  def map[A, B](fa: F[A])(f: A => B): F[B]
}
```

- A **category** is a collection of (1) objects, (2) morphisms or arrows for each pair of objects, and a (3) binary operation for composition between arrows. See more about categories.

According to Erik Meijer in this talk "Category Theory, The essence of interface-based design" we can use the following following equivalences as a practival guide:
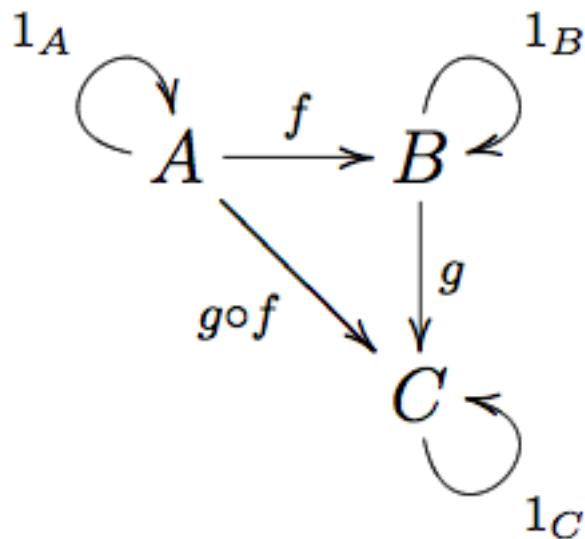
Figure 2.1: Categories

- `Category` = Programming Language
- `Objects` = Types
- `Morphism` = functions, static methods, properties : `f(a: A): B` or `f: B an A`

(Meijer 2015)

2.4 Monads in Scala

The Scala language provides a rich set of functional programming constructs. Consider the following code-snipped shown at the conference "Scale by the Bay - 2018" by Martin Odersky to define an abstract monad in Scala:

```scala
trait Functor[F[_]] {
    def map[A, B](this x: F[A])(f: A => B): F[B]
}


trait Monad[F[_]] extends Functor[F] {
    def pure[A](x: A): F[A]
    def flatMap[A, B](this x: F[A])(f: A => F[B]): F[B]
    def map[A, B](this x: F[A])(f: A => B): F[B] =
        x.flatMap(f `andThen` pure)
}
```

Now we can use extension methods (Scala 3) to create a particular implementation:

```scala
implicit object ListMonad extends Monad[List] {
    def flatMap[A, B](this xs: List[A])(f: A => List[B]): List[B] =
```

```
        xs.flatMap(f)
    def pure[A](x: A): List[A] = List(x)
}
```

(Odersky 2018)

2.5   Monads in python

Without higher-kinded types. For now.

Consider the following python functions:

```python
def div(num: int, den: int) -> int:
    return num / den

def factorial(n: int) -> int:
    if n < 0:
        raise Exception("Factorial is defined over non-negative numbers")
    return 1 if n == 0 else n * factorial(n-1)
```

If we would like to compose both functions we would likely have to implement several safe guards to avoid runtime erros and invalid inputs. What if we use python's None naively instead of error-handling for the div function?

```python
def div(num: int, den: int) -> int:
    if den == 0:
        return None
    return num / den
```

We still have composability problems (see this diagram). Moreover, our types are incorrect!

- **Q**: Is there a way we can generalize this?
- **A**: Monads!

Let's create an Option monad.

For simplicity, let's use a higher-order function that allows us to compose two functions:

```python
from typing import Callable, TypeVar
A = TypeVar('A')
B = TypeVar('B')
C = TypeVar('C')
```

```python
def compose(this: Callable[[A], B], and_then: Callable[[B], C]) -> Callable[[A], C]:
    return lambda x: and_then(this(x))
```

Now let's define our option:

```python
from abc import ABC, abstractmethod
from typing import Union, Generic, TypeVar, Callable
A = TypeVar("A", covariant=True)
B = TypeVar("B")
T = TypeVar("T")
```

```python
class Option(Generic[A], ABC):
    @abstractmethod
    def __str__(self) -> str:
        pass
    @abstractmethod
    def get(self, or_else: B) -> Union[A, B]:
        pass
    @abstractmethod
    def flat_map(self, f: Callable[[A], 'Option[B]']) -> 'Option[B]':
        pass
    @staticmethod
    def pure(x: T) -> 'Option[T]':
        return Some(x)
    def map(self, f: Callable[[A], B]) -> 'Option[B]':
        return self.flat_map(compose(this=f, and_then=self.pure))
    @abstractmethod
    def foreach(self, f: Callable[[A], None]) -> None:
        pass
    @abstractmethod
    def flatten(self) -> 'Option':
        pass
```

An `Option[A]` can take `Some[A]` value or be `Empty`. We can define the `Some` type:

```python
class Some(Option[A]):
    def __init__(self, value: A) -> None:
        self._value = value
    def __str__(self) -> str:
        return f"Some({self._value})"
    def get(self, or_else: B) -> Union[A, B]:
        return self._value
    def flat_map(self, f: Callable[[A], Option[B]]) -> Option[B]:
        return f(self._value)
    def foreach(self, f: Callable[[A], None]) -> None:
        f(self._value)
    def flatten(self) -> Option:
        if isinstance(self._value, Option):
            return self._value.flatten()
        return self
```

The `Empty` class is defined as:

```python
class Empty(Option[A]):
    def __init__(self) -> None:
        pass
    def __str__(self) -> str:
        return "Empty"
    def get(self, or_else: B) -> Union[A, B]:
        if isinstance(or_else, Exception):
            raise or_else
        return or_else
    def flat_map(self, f: Callable[[A], Option[B]]) -> Option[B]:
        return Empty[B]()
    def foreach(self, f: Callable[[A], None]) -> None:
        return None
    def flatten(self) -> Option:
        return self
```

Now we can use our option type!

```python
# Two options
opt_a: Option[int] = Some(2)
opt_b: Option[int] = Some(5)
# Sum a+b
opt_c = opt_a.flat_map(lambda a: opt_b.map(lambda b: a + b))
# Sum c+d
opt_d: Option[int] = Empty()
opt_e = opt_c.flat_map(lambda c: opt_d.map(lambda d: c + d))
# Print results
print(f"opt_c = {opt_c}\nopt_e = {opt_e}")
```

```
## opt_c = Some(7)
## opt_e = Empty
```

Let's define some decorators:

```python
from typing import Callable, TypeVar
T = TypeVar("T")
A = TypeVar("A")
```

Decorate a function to output `Option` type:

```python
def to_option(fn: Callable[..., T]) -> Callable[..., Option[T]]:
    def inner(*args, **kwargs) -> Option[T]:
        try:
            value = fn(*args, **kwargs)
            if value is None:
                return Empty[T]()
```

```python
            return Some(value)
        except Exception:
            return Empty[T]()
    return inner
```

Decorate a function facilitate `Option` composability;

```python
def composable(fn: Callable[..., Option[T]]) -> Callable[..., Option[T]]:
    def inner(*args, **kwargs) -> Option[T]:
        new_args = []
        new_kwargs = {}
        for arg in args:
            new_arg = arg if isinstance(arg, Option) else Some(arg)
            new_arg.foreach(lambda value: new_args.append(value))
        for k in kwargs:
            v = kwargs[k]
            new_val = v if isinstance(v, Option) else Some(v)
            new_val.foreach(lambda value: new_kwargs.update({k: value}))
        return fn(*new_args, **new_kwargs)
    return inner
```

Now we are ready to define our functions:

```python
@composable
@to_option
def div(num: int, den: int) -> int:
    return num / den
```

```python
@composable
@to_option
def factorial(n: int) -> int:
    if n < 0:
        raise Exception("Factorial is defined over non-negative numbers")
    return 1 if n == 0 else n * factorial(n-1)
```

Our monadic values allows us to easily compose between `Objects` (see this).

```python
a = 5
b = 0
res = div(a, b)
print(f"div(a,b) = {res}")


## div(a,b) = Empty
```

```python
a = 15
b = 0
c = 3
d = 5
```

```python
res_1 = div(d, div(a, b))
res_2 = div(d, div(a, c))
print(f"div(d, div(a, b) = {res_1}\ndiv(d, div(a, c)) = {res_2}")
```

```
## div(d, div(a, b) = Empty
## div(d, div(a, c)) = Some(1.0)
```

```python
a = 10
b = -2
res_1 = div(a, b)
res_2 = factorial(res_1)
print(f"div(a, b) = {res_1}\nfactorial(res_1)= {res_2}")
```

```
## div(a, b) = Some(-5.0)
## factorial(res_1)= Empty
```

Great!

2.6   Example

add a more complex example.

2.7   References

Chapter 3

End-to-End ML with Apache Spark

3.1 Acknowledgments

This talk is based and inspired on the following conferences:

3.2 References

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