Your name:	SOLUTION	

If you don't know the answer to a question, ask your instructor for help.

1.

1. Consider the code shown to the right. The code will produce an error message ("crash") when it runs.

On what line does the program crash? Why does it crash? It crashes at line **print(c)** because the name (variable) **c** has not been defined, i.e., it has not been given a value. The **c** in **cat** has nothing to do with the **c** in **main**.

Will PyCharm identify the error even before the code runs? <u>Yes</u>

Is this a <u>syntax</u> or **semantic** error? (Circle your choice.)

def main():
 cat(4, 10)
 print(c)

def cat(a, b): c = a + b

main()

2. Consider the code shown to the right. It is a contrived example with poor style, but it will run without errors.

What does it print when the function named **one** runs?

Write your answer in the box to the right of the code.

def one():

a = 4

b = 10

c = two(a, b)

print(a, b, c)

def two(b, a):

print(a, b)

a = 100

b = 200

return a + b

Output:

10 4

4 10 300

The specification of a function tells which things?Mark all that apply.

Any side effects of the function

____ What goes in

How the function works

What comes out

4. [Begin this problem with your instructor.]

Consider the code in the next column.	size = 10	Output:	i	<u>size</u>
	for j in range(3):	0 15		10
In the third column,	size = size + 5	15	0	15
show what the code prints when it runs.	<pre>print(j, size)</pre>	1 20		15
	size = size - j	19	1	20
Your instructor will	<pre>print(size)</pre>	2 24		19
show you how to use the 4th column.		22	2	24
				22

6

- 5. How many integers are there from **3** to **8**, inclusive (that is, including both the **3** and the **8**)?
- 6. How many integers are there from 3 to b, inclusive
 (that is, including both the 3 and the b), assuming 3 <= b?
 b 3 + 1, which is b 2
- 7. How many integers are there from a to b, inclusive
 (that is, including both the a and the b), assuming a <= b?
- 8. Fill in the blanks below to complete the Accumulator pattern that implements the function **sum_many** that takes two arguments, **m** and **n** (with **m** <= **n**), and returns the sum of the squares of the integers from **m** to **n**, inclusive. For example,

```
sum_many(3, 6) returns (3 * 3) + (4 * 4) + (5 * 5) + (6 * 6), which is 86.
```

In this and ALL problems through Exam 1, you are forbidden from using the multiple-argument form of the RANGE expression. That is, range(a) is OK but NOT range(a, b) or range(a, b, c).

9. [Do this problem with your instructor. Don't do the remaining problems until you have done this one.]

Suppose that your module contains a function, <code>sum_of_digits(number)</code>, described below. Assume that it has been implemented correctly (per the specification in its doc-string):

In the box below, implement a second function, product_of_sums_of_digits(x, y), per the specification in its doc-string. Hint: reuse sum_of_digits by calling it in your answer. In general: reuse functions you or someone else wrote by calling them.

10. Fill in the blanks below to complete the Accumulator pattern that implements the function <code>sum_many_digits</code> that takes a non-negative integer <code>upper_bound</code> and returns the sum of the <code>sum-of-digits</code> of the integers from <code>0</code> to <code>upper_bound</code>, inclusive. For example,

```
sum_many_digits(12) returns 0 + 1 + 2 + 3 + 4 + 5 + 6 + 7 + 8 + 9 + 1 + 2 + 3, which is 51.
```

Hint: Reuse the sum_of_digits function from the previous problem! That is, call sum_of_digits as part of your solution to this sum_many_digits problem.

In this and ALL problems through Exam 1, you are forbidden from using the multiple-argument form of the RANGE expression. That is, range(a) is OK but NOT range(a, b) or range(a, b, c).

```
def sum_many_digits(upper_bound):
    total = 0

    for k in range(upper_bound + 1):
        total = total + sum_of_digits(k)

    return total
[There is another solution that uses the fact that sum_of_digits(0) is 0, but the above is more natural, I think.]
```

11. Finally, implement a function *more_sum_many_digits* that takes two non-negative integers *lower_bound* and *upper_bound* and returns the sum of the sum-of-digits of the integers from *lower_bound* to *upper_bound*, inclusive.

Hint: *Reuse the function from the previous problem!* This problem is SHORT and EASY, once you see the idea. It can be done with a SINGLE line of code!

```
def more_sum_many_digits(lower_bound, upper_bound):
    big_sum = sum_many_digits(upper_bound)
    interior_sum = sum_many_digits(lower_bound - 1)
    return big_sum - interior_sum
```