

Last Lecture before MSE

Modern QM \longrightarrow SE \longrightarrow $1e^-$ Atom (H-atom) Exactly Solvable

Structure

Time integrated picture
Eigenvalue Eigenf.ⁿ soln.

$$\hat{H}\psi = E\psi$$

Solve assuming
Central force
Potential. $l > 0$

$$V_{\text{eff}} = \text{Coulumb} + \frac{\hbar^2 l(l+1)}{2I}$$

$\psi \rightarrow$ Radial
Angular
 l

multielectron
Problem

He
Li
Be
etc.
:
:

Rydberg
atoms

H-like

neglect $e^- - e^-$
repulsion

Recipe

\hookrightarrow Write \hat{H}
SE \longrightarrow Solve

SE
↳ Spatial soln. (n, l, m_l) 3 quantum #

→ Antisymm. of wavefⁿ → Pauli Exclusion Principle → Spin quantum #
4th quantum #

n, l, m_l, m_s

$$\psi_{\text{Total}} = \psi_{\text{space}} \psi_{\text{spin}}$$

Aufbau Principle
Hunds Rule

H
He
Li
Be

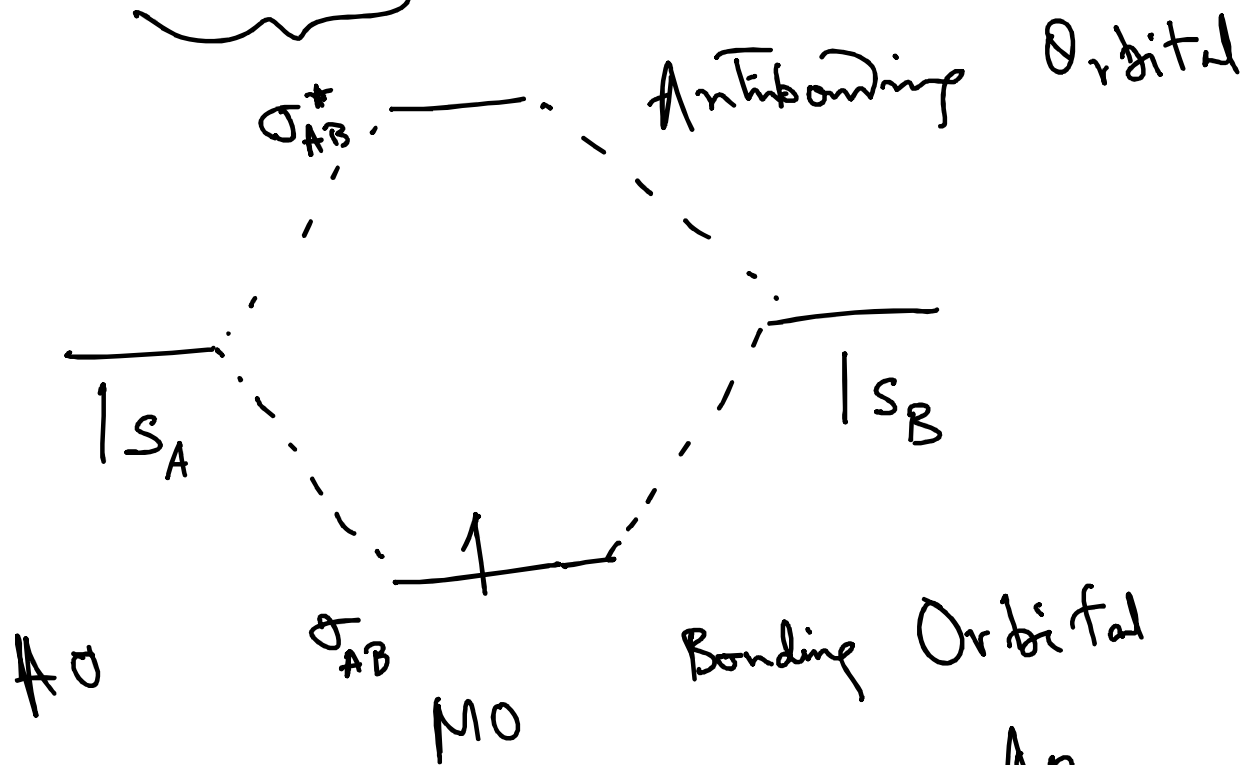
Atomic Orbitals
ie wavefⁿ.

$1e^-$ Molecule ion

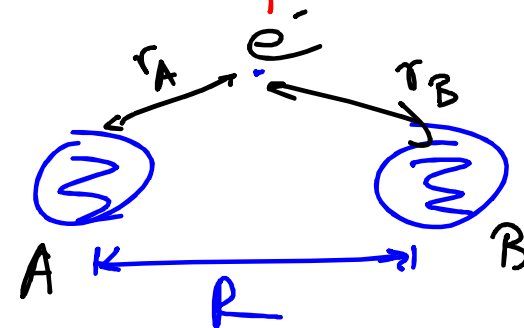
H_2^+

LCAO

MO Theory



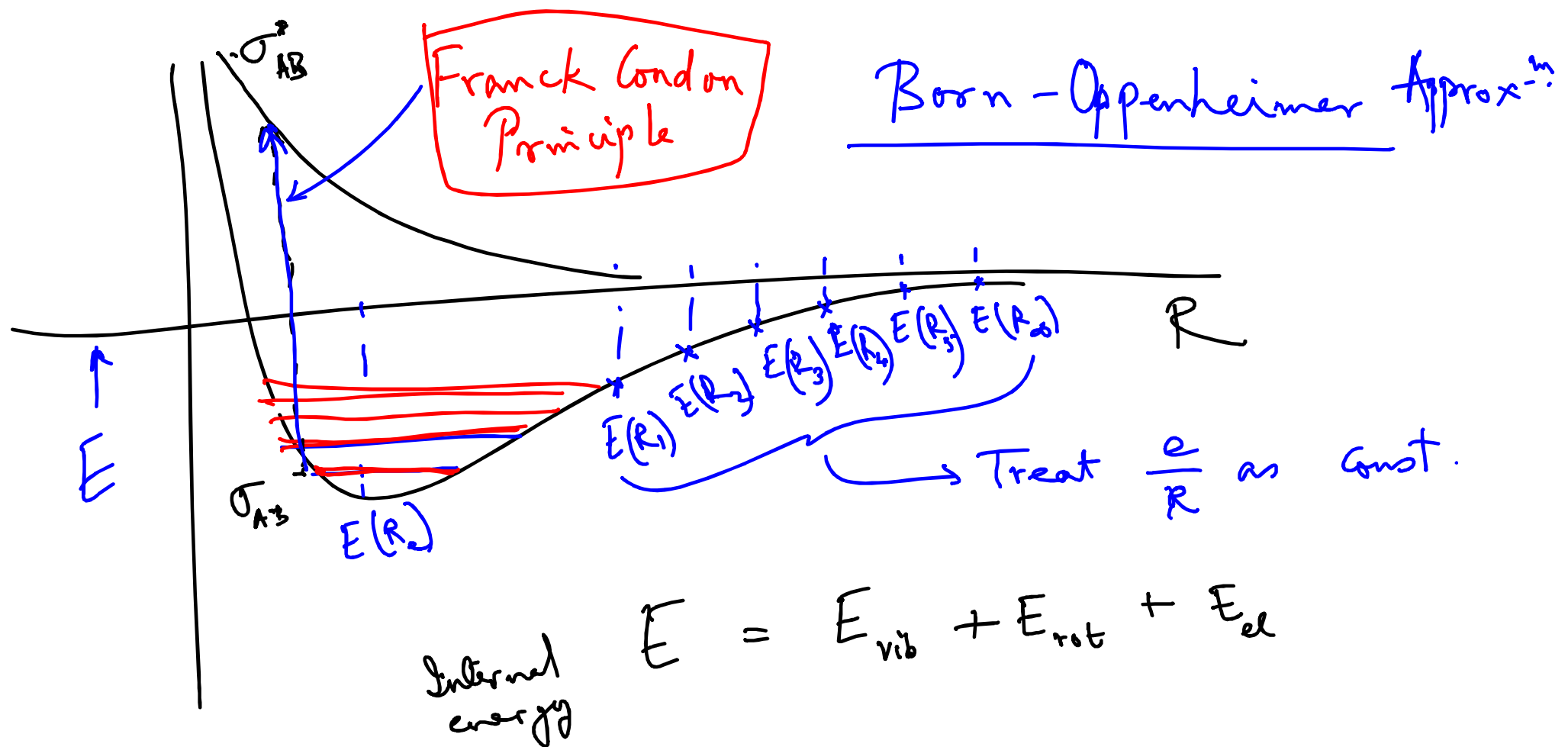
Constant
Inter
nuclear
separation



AO

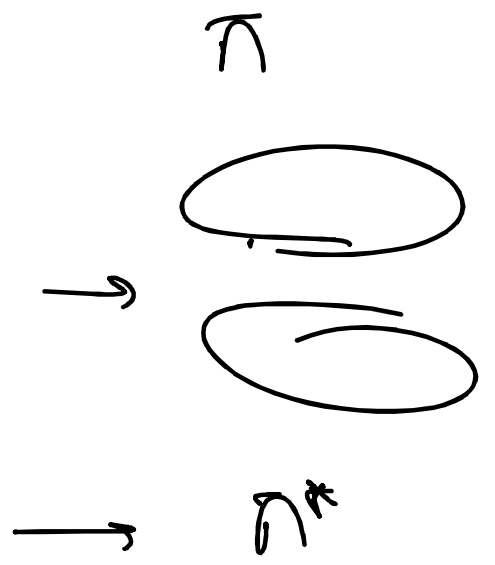
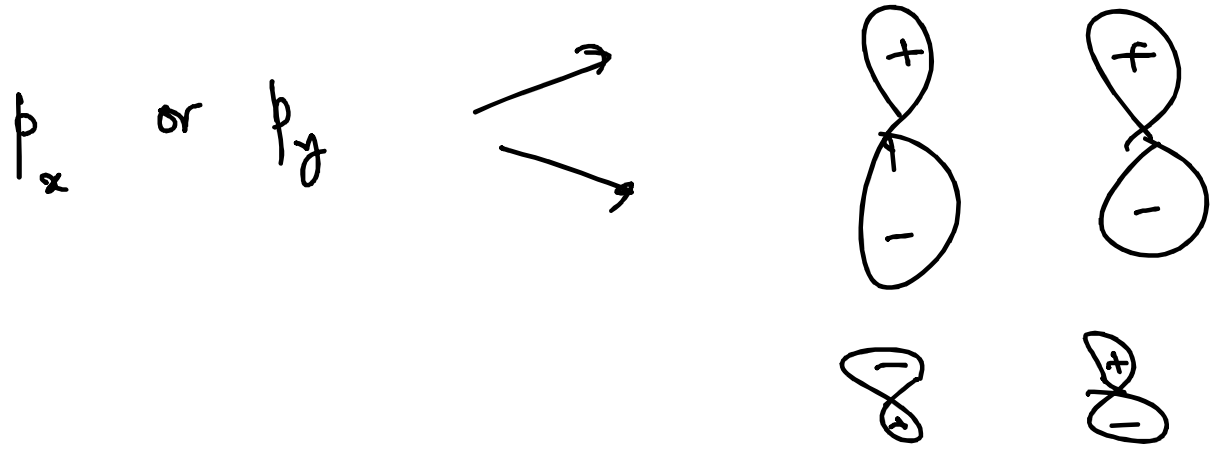
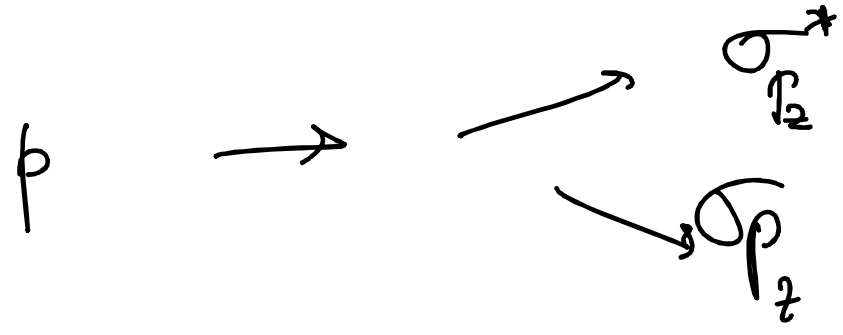
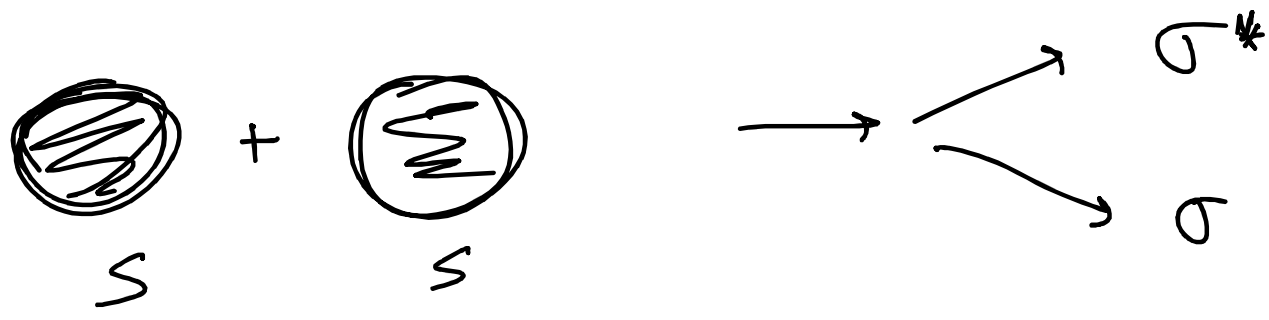
$$\hat{H}\Psi = E\Psi$$

$$-\frac{\hbar^2}{2m_e} \nabla^2 - \frac{e^2}{r_A} - \frac{e^2}{r_B} + \frac{e^2}{R} \quad \text{Const}$$



Spectroscopy

Light - matter interaction



$O_2 \rightarrow$ Triplet
molecule

HOMO — — —
Highest occupied MO

LUMO
lowest unoccupied MO

LUMO —

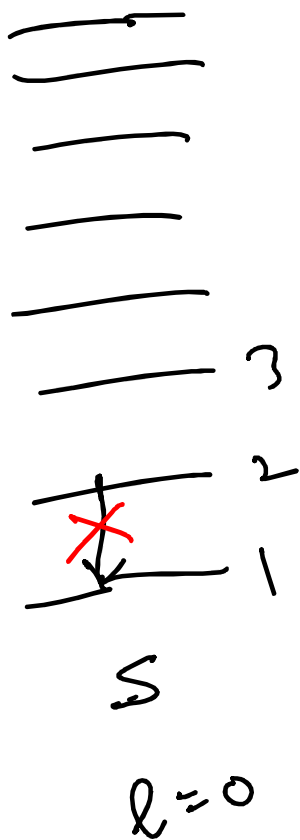
HOMO —

$$\text{Bond Order} = \frac{1}{2} (N_B - N_{AB})$$

Non bonding electrons
sp - hybridization

$$\text{HF} \\ \Psi = c_1 \phi_1 + c_2 \phi_2$$

Selection Rule



$l=1$



$l=2 \dots$

$$\Delta m = \pm 1, 0 \checkmark$$

$$\Delta l = \pm 1 \checkmark$$

$$\Delta l \neq 0$$