

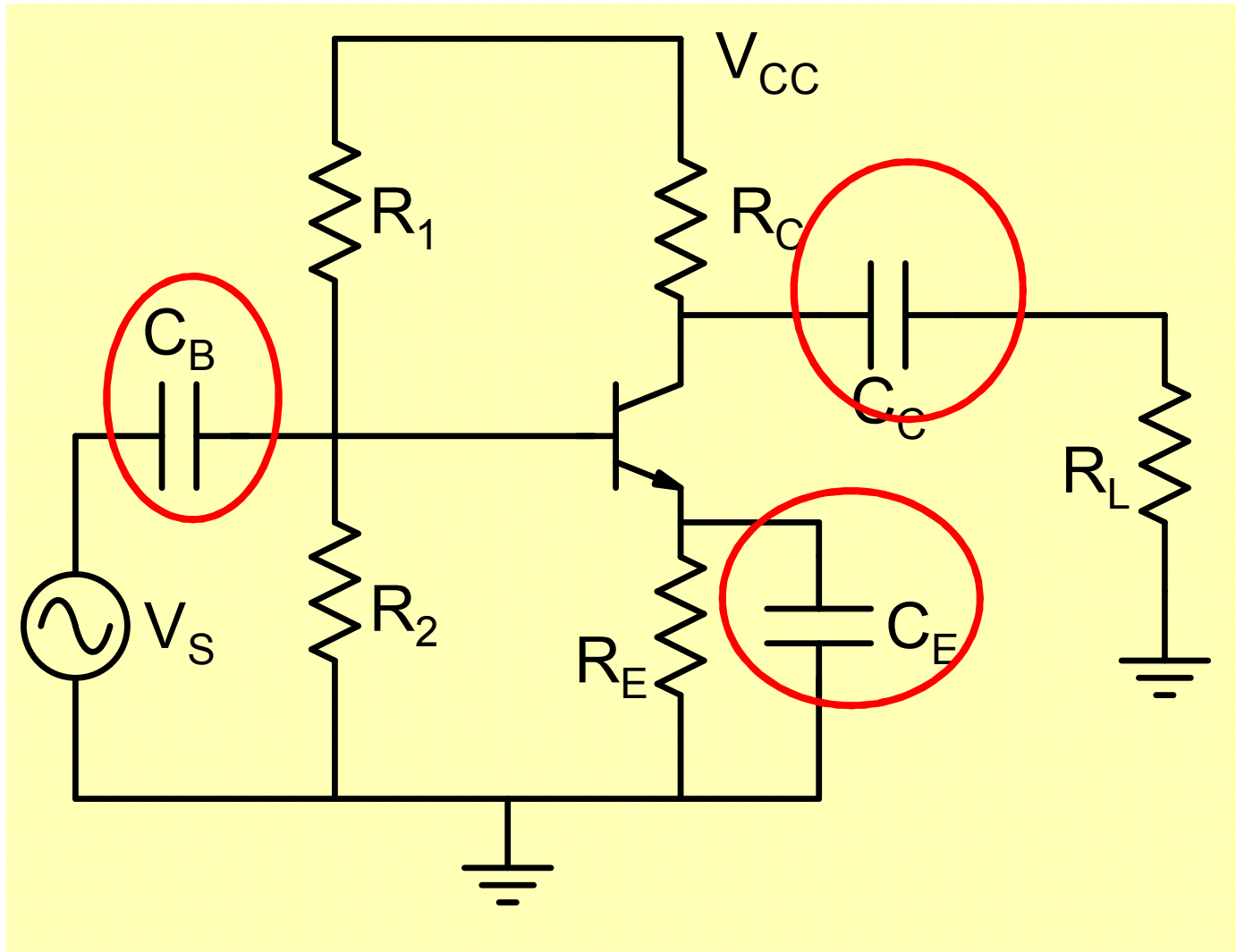
EE210: Microelectronics-I

Lecture-28: Differential Amplifiers_1

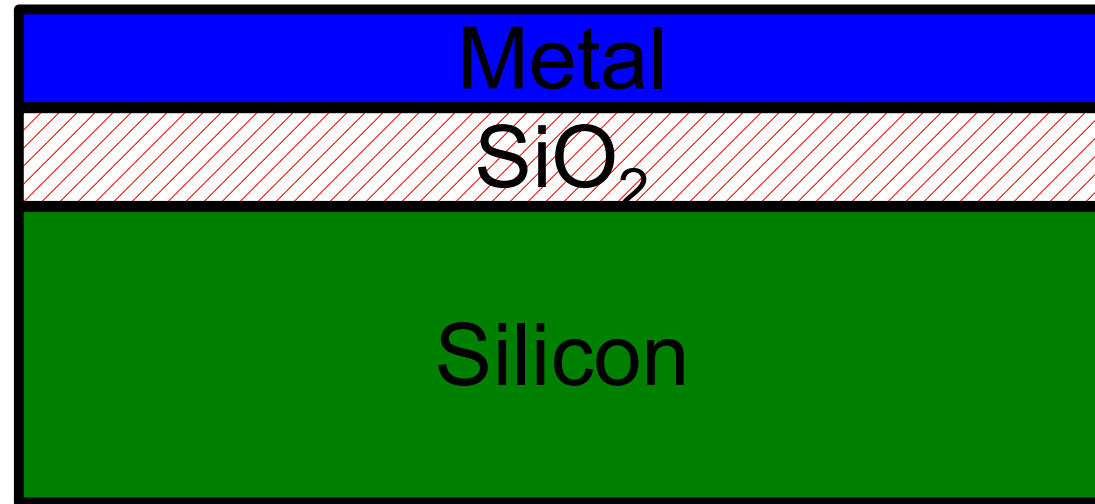
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How do we bias without using coupling capacitors?



Making large capacitors (μF) on chip is impossible !



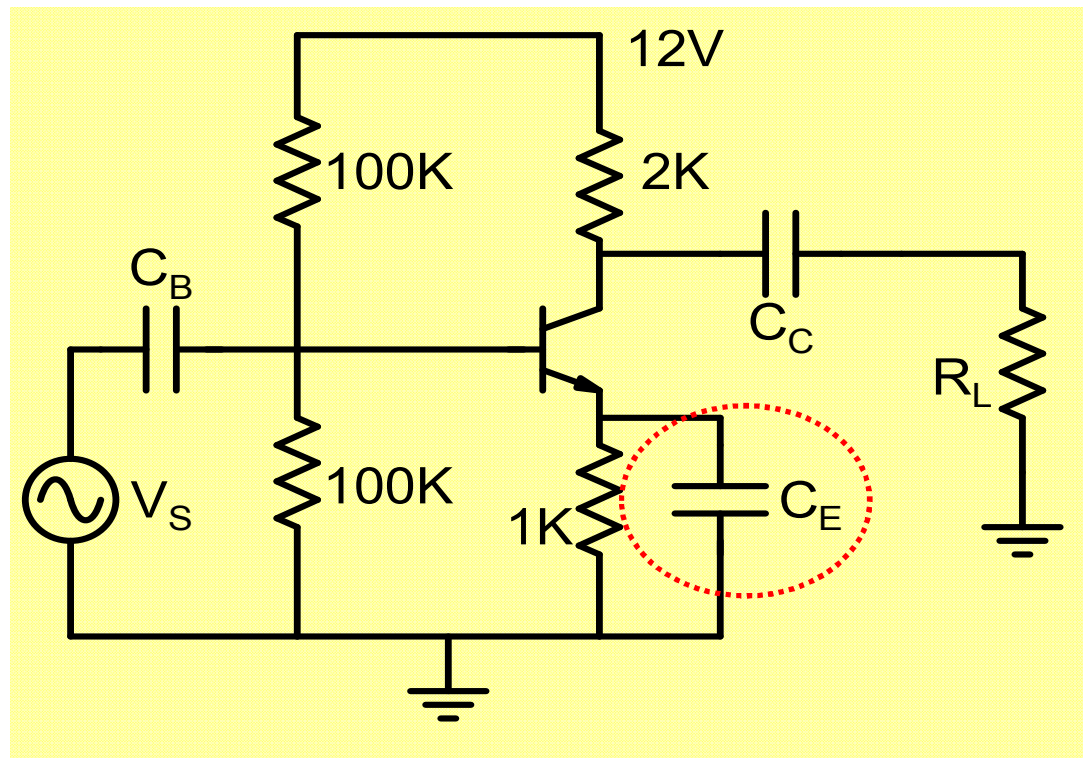
$$C = \frac{\epsilon_{ox}}{t_{ox}} \times Area$$

$$\epsilon_{ox} = 3.9 \times 8.85 \times 10^{-14} \text{ F / cm} ; t_{ox} = 20 \text{ nm}$$

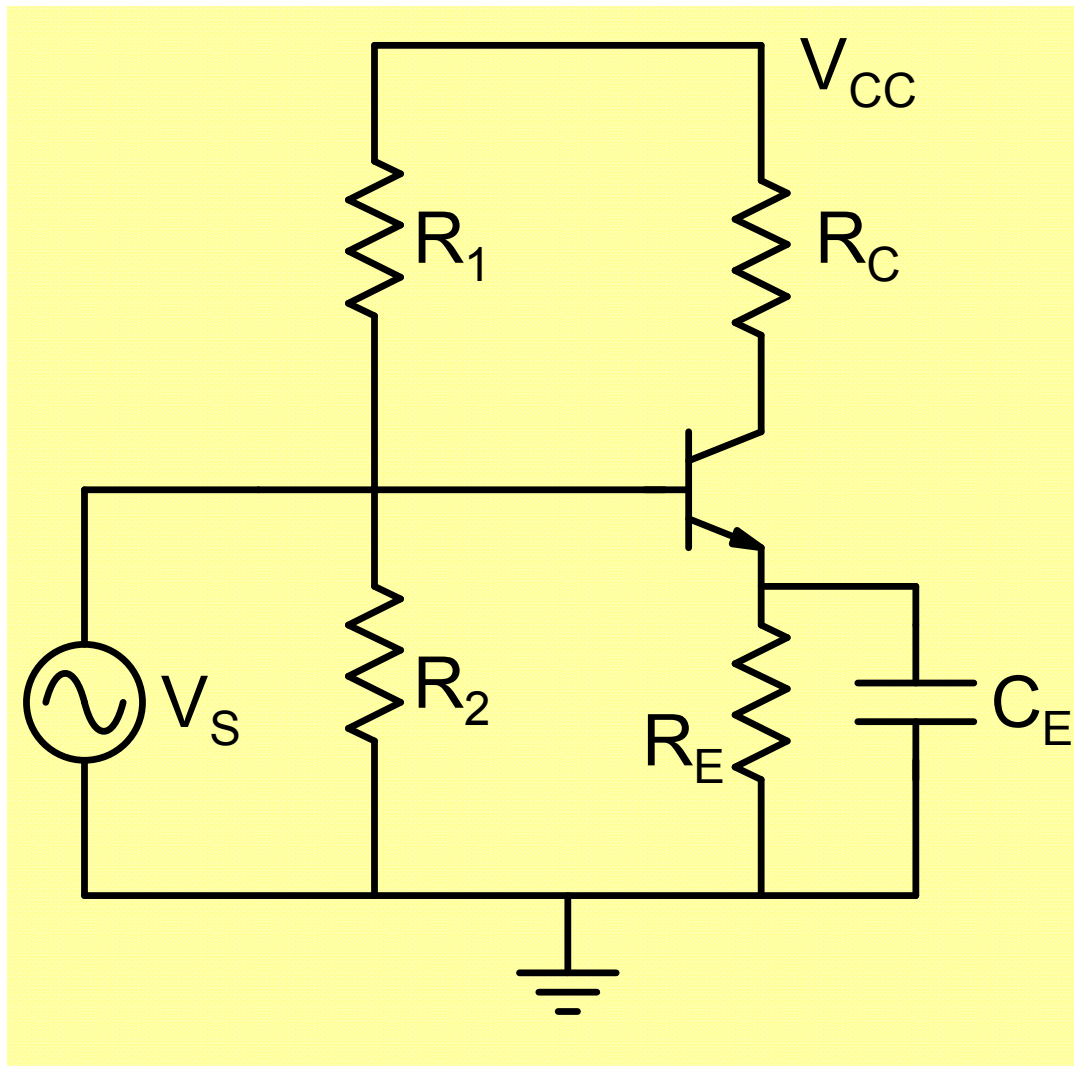
$$Area = 57 \text{ cm}^2 \text{ !! for } 10 \mu\text{F capacitor}$$

One can only make capacitors of the order of a few Picofarads on chip

This would lead to an unacceptably large lower cutoff frequency

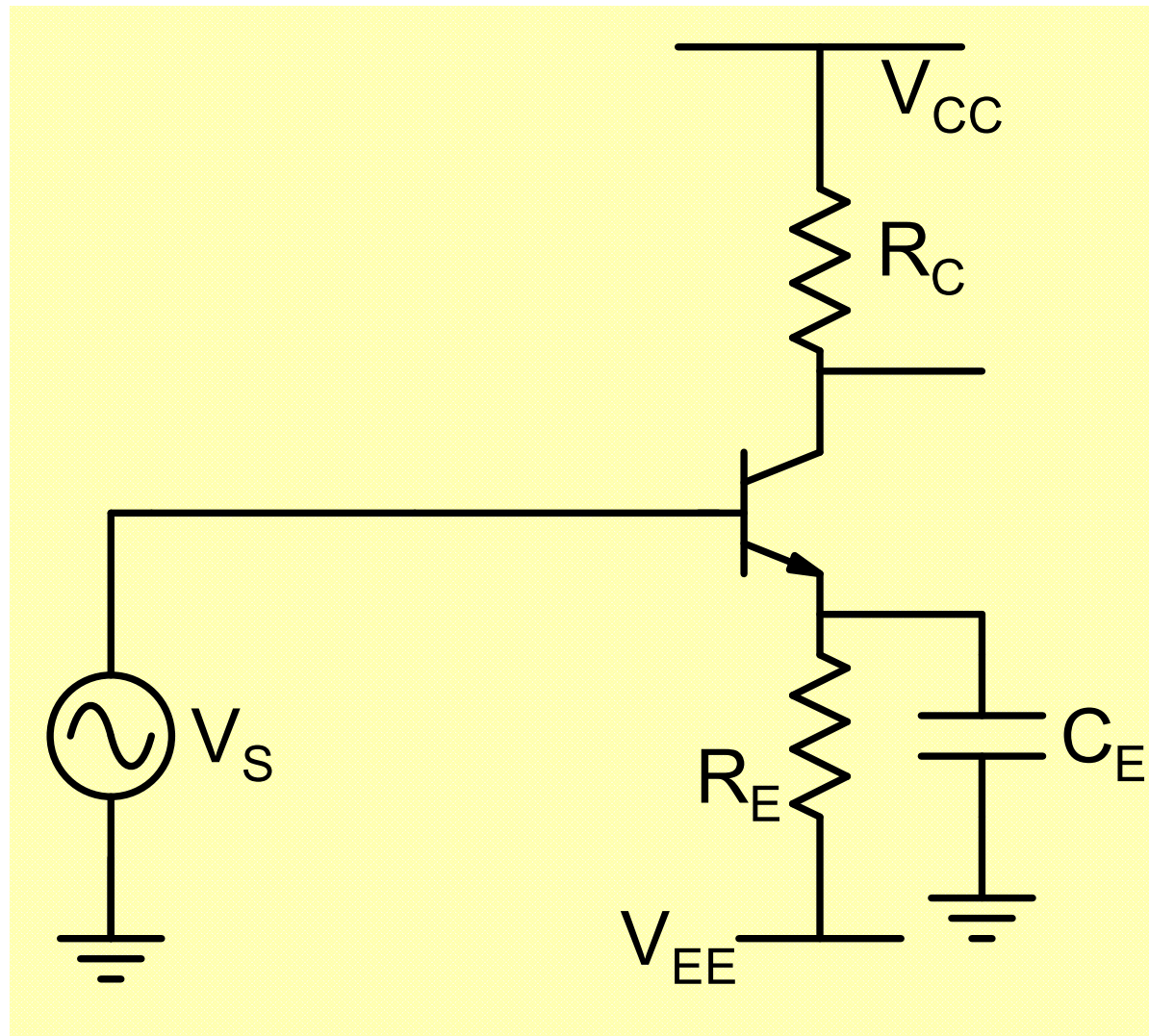


Cannot simply remove C_B !



$V_{BE} = 0$ so that BJT is in Cutoff Mode

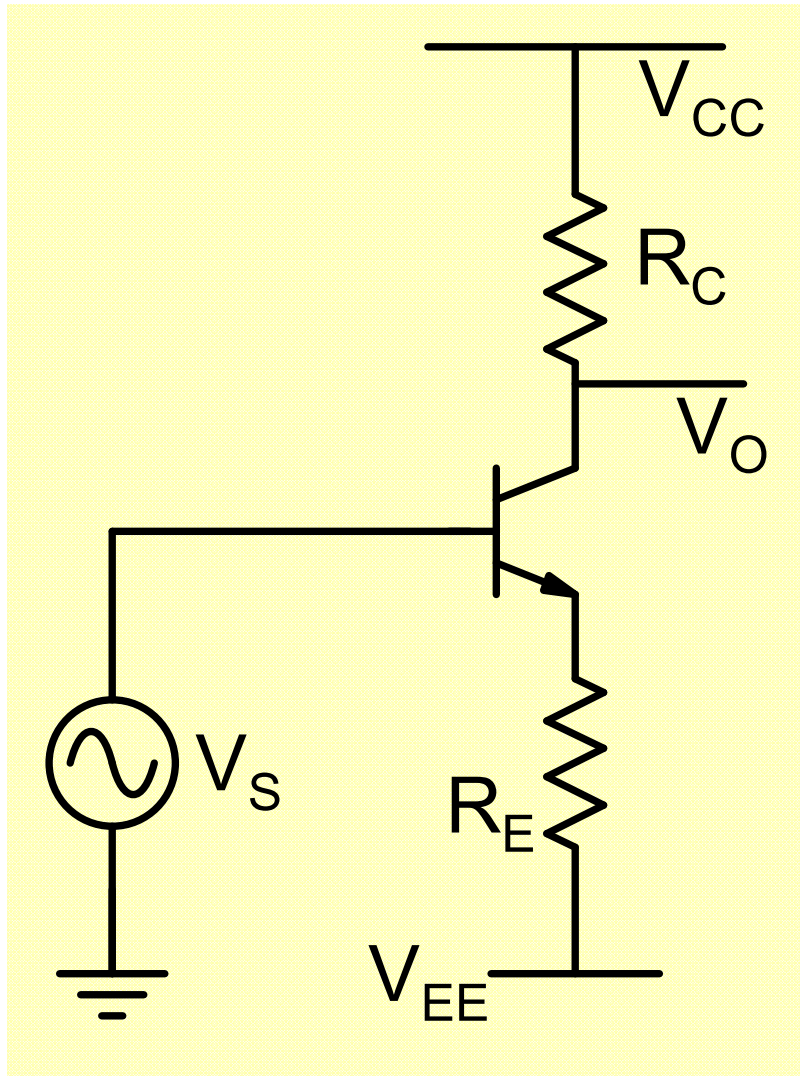
dc coupled input with use of negative power supply



$$I_{CQ} = \frac{-0.7 - V_{EE}}{R_E}$$

Good bias point stability against variations in β

Without C_E , voltage gain is too low !



$$A_V \cong -\frac{R_C}{R_E}$$

$$I_{CQ} = \frac{-0.7 - V_{EE}}{R_E}$$

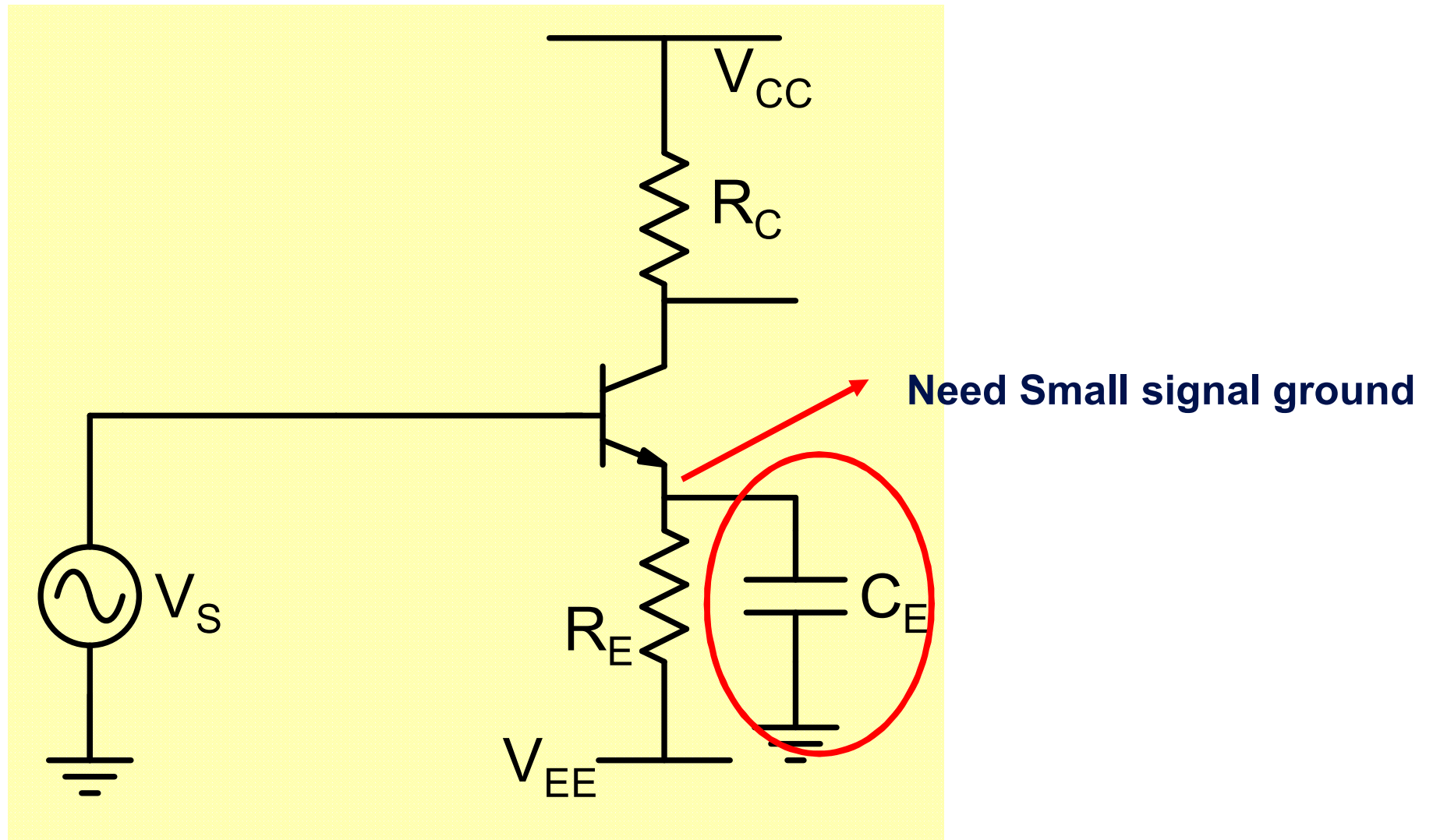
$$I_{CQ} = \frac{V_{CC} - V_{CQ}}{R_C}$$

$$|A_V| \cong \frac{V_{CC} - V_{CQ}}{-0.7 - V_{EE}}$$

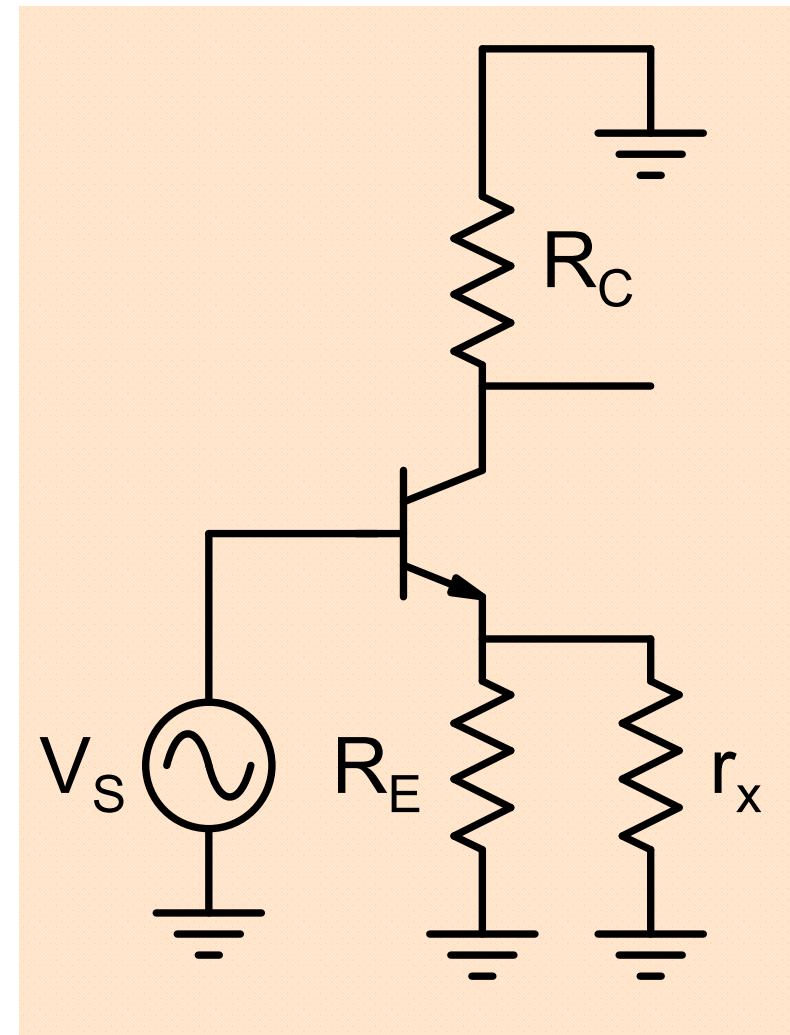
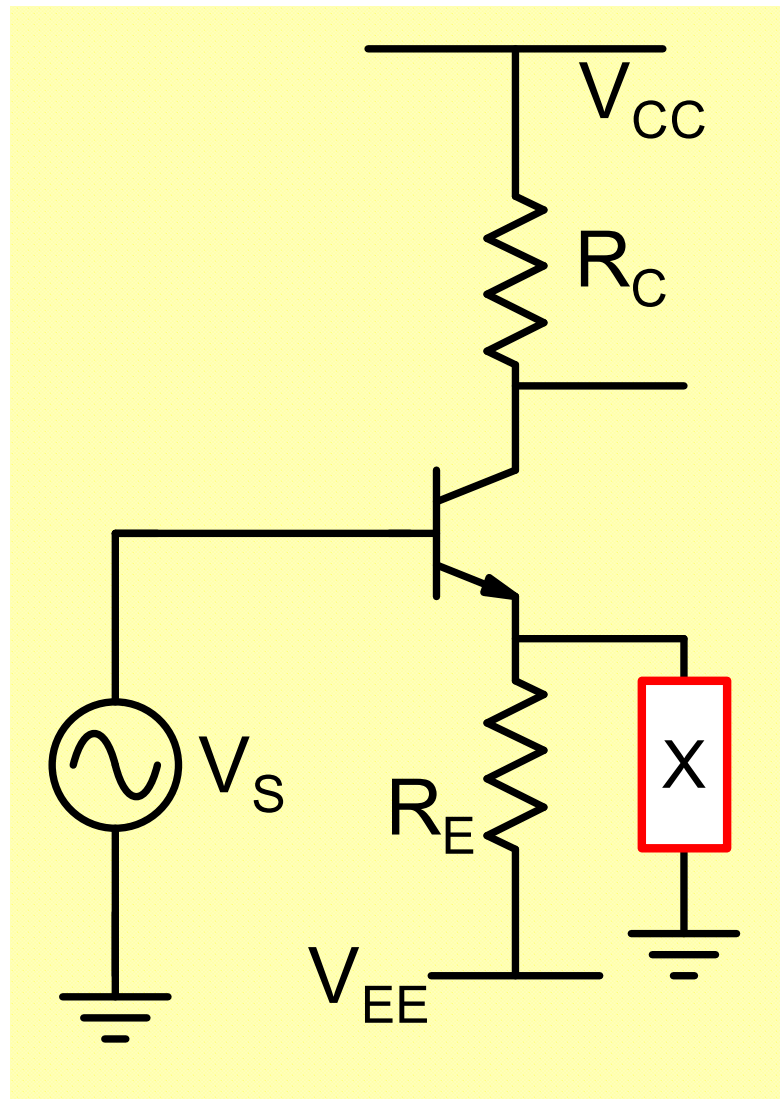
$$< \frac{V_{CC}}{-0.7 - V_{EE}} = \frac{12}{11.3}$$

Have to keep R_E for proper biasing

Key Problem: How do we get rid of C_E ?

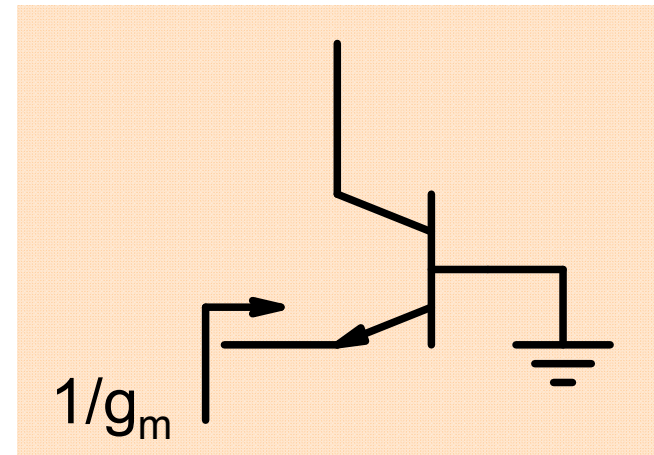
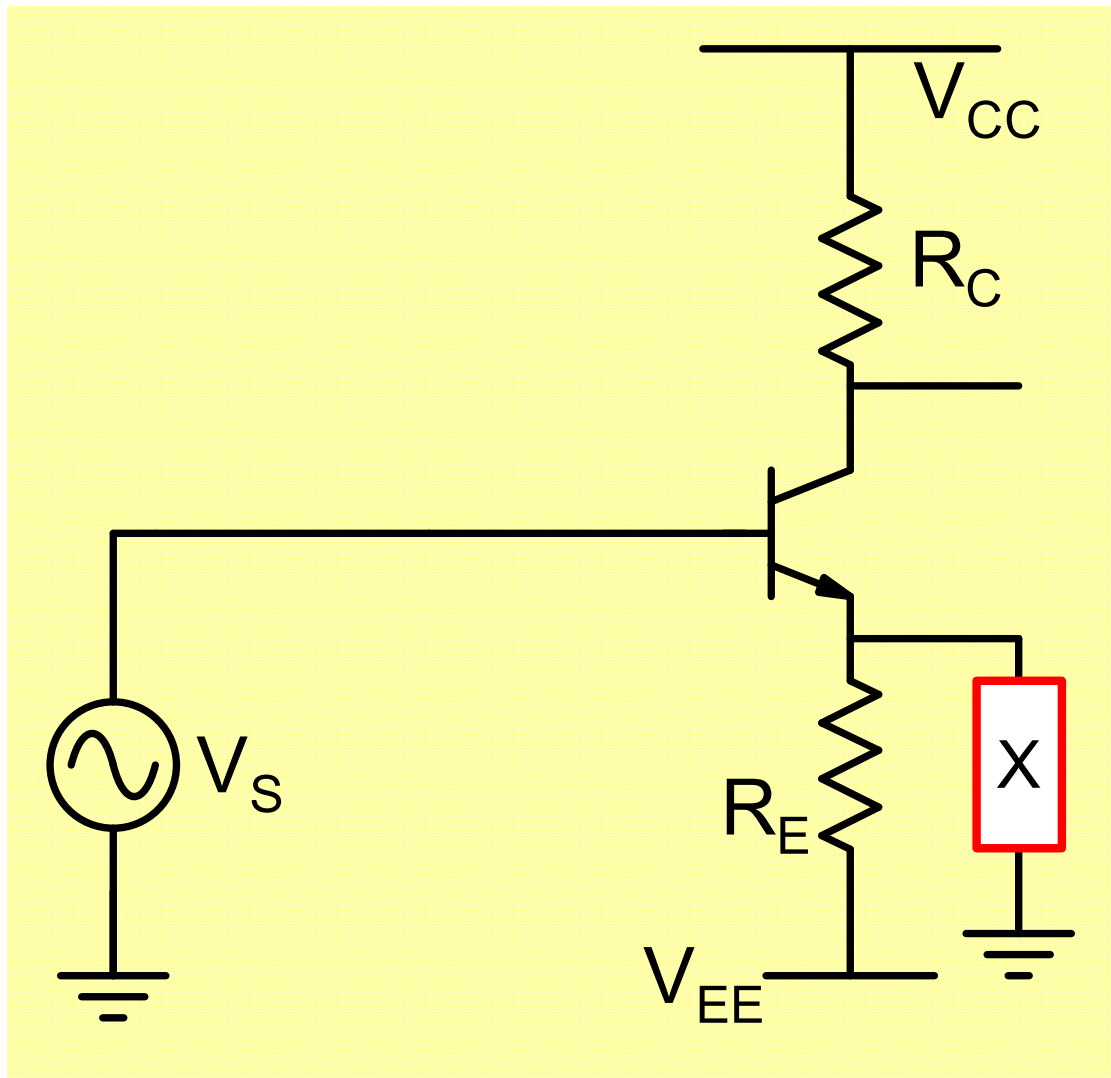


Want an element with very low small-signal resistance

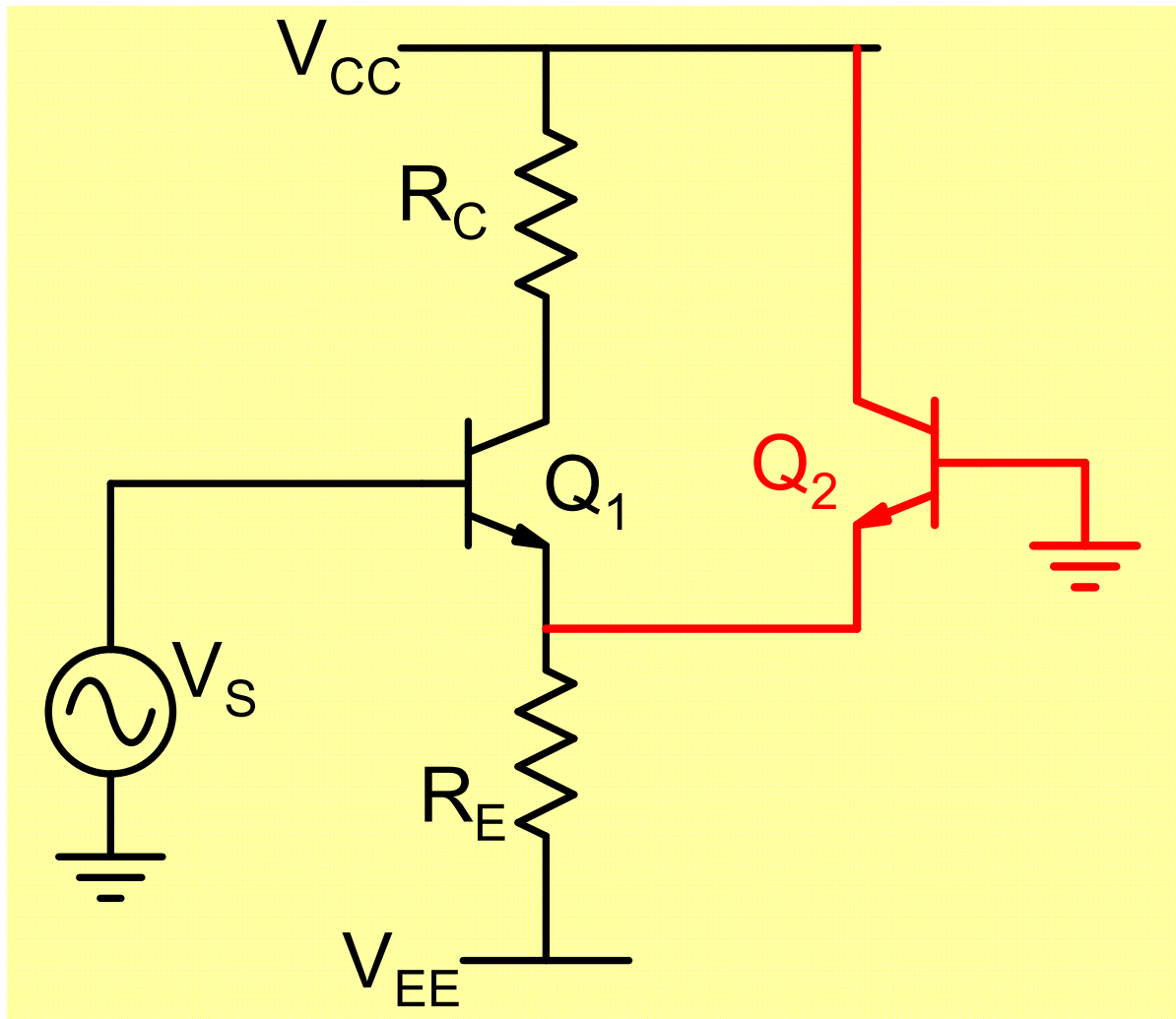


$$r_x \ll R_E, R_C$$

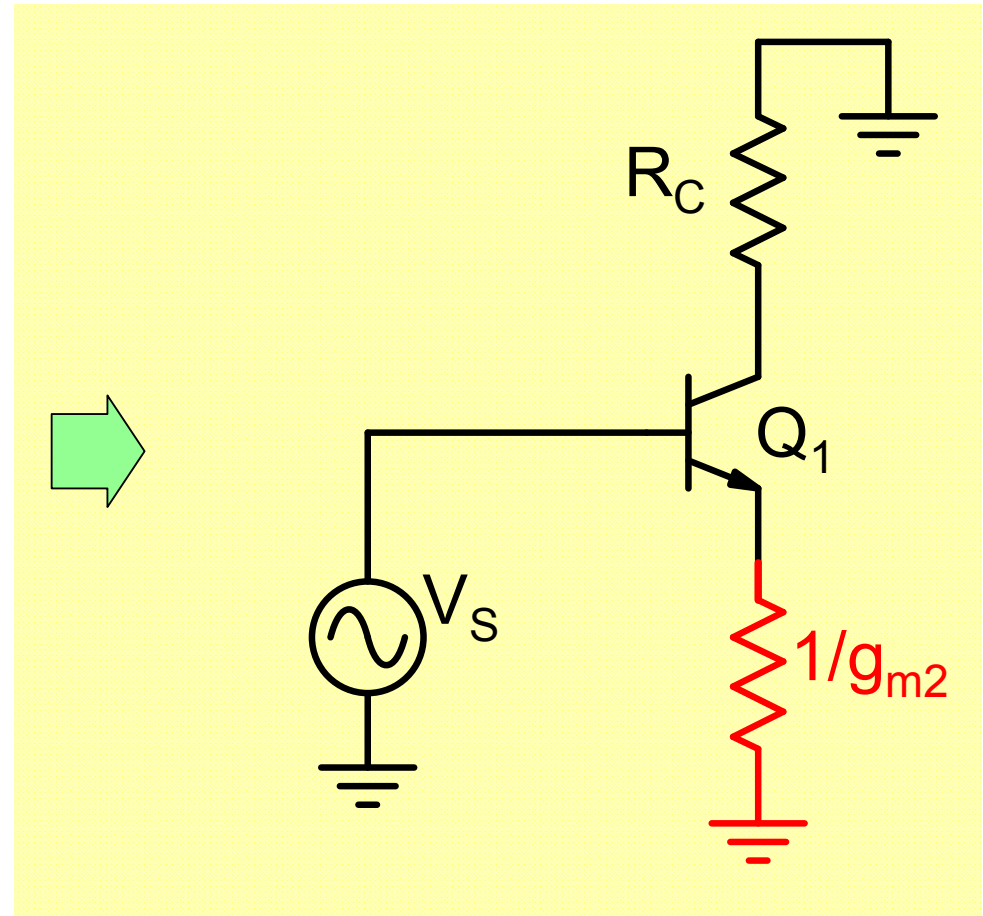
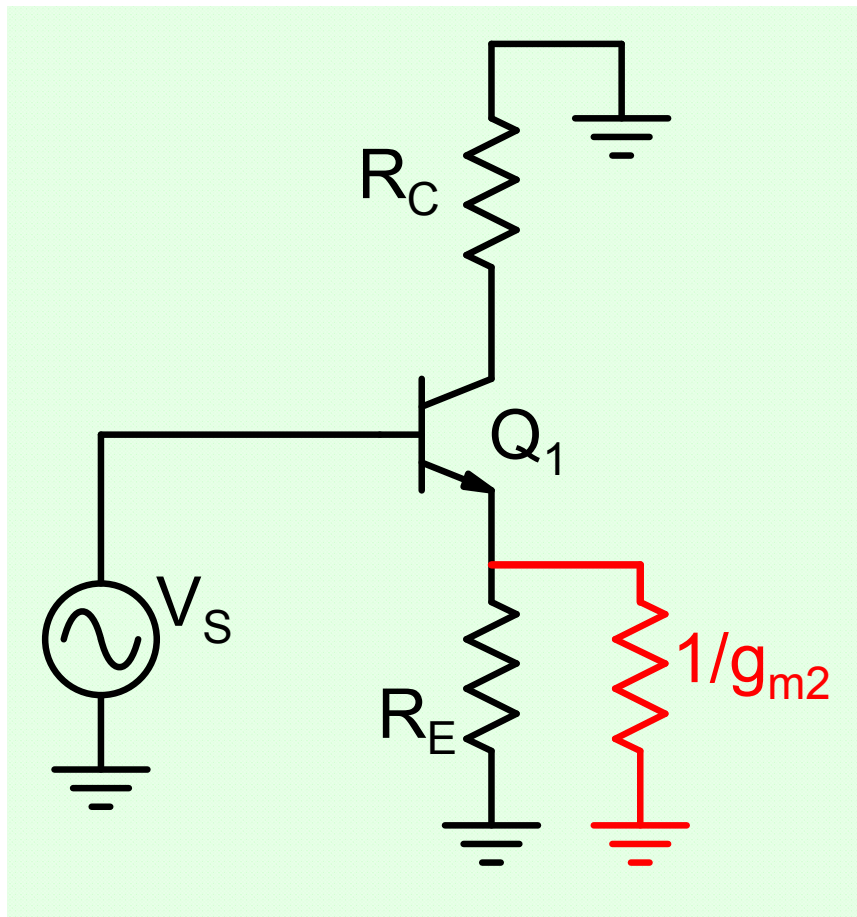
Want an element with very low small-signal resistance



Possible Solution

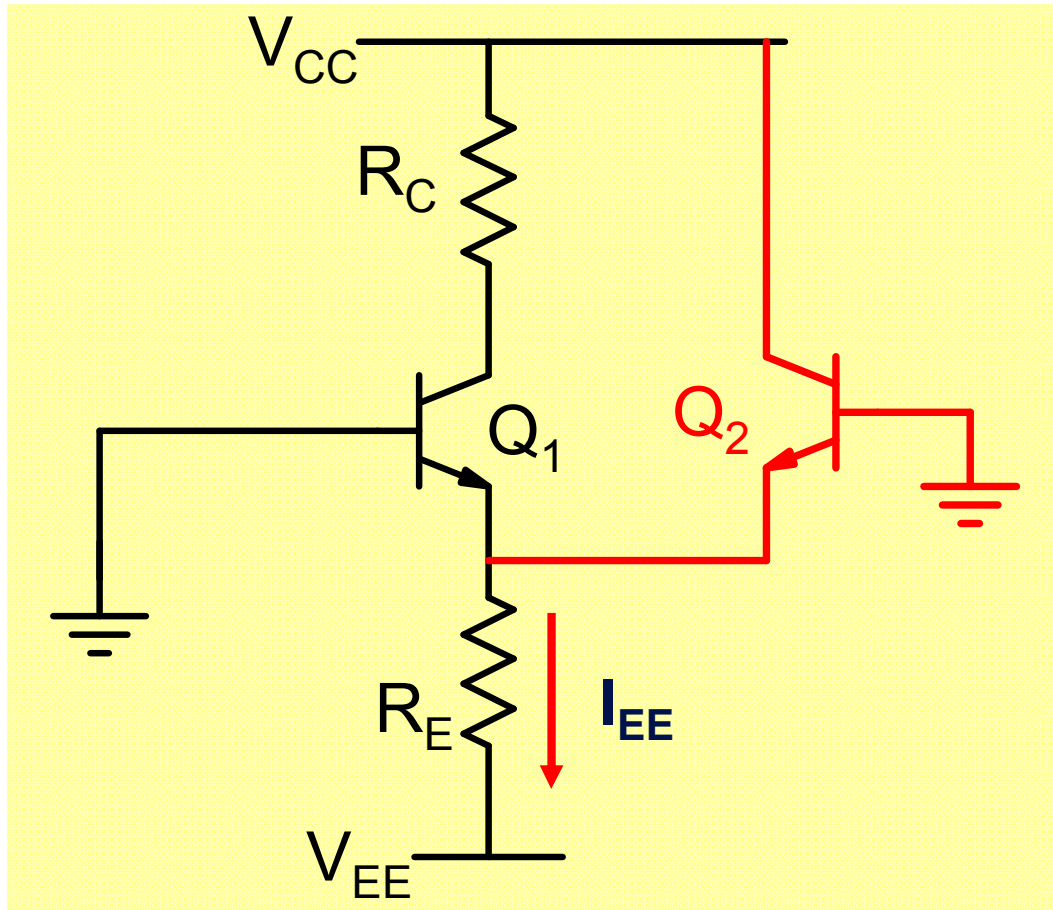


Small Signal Gain



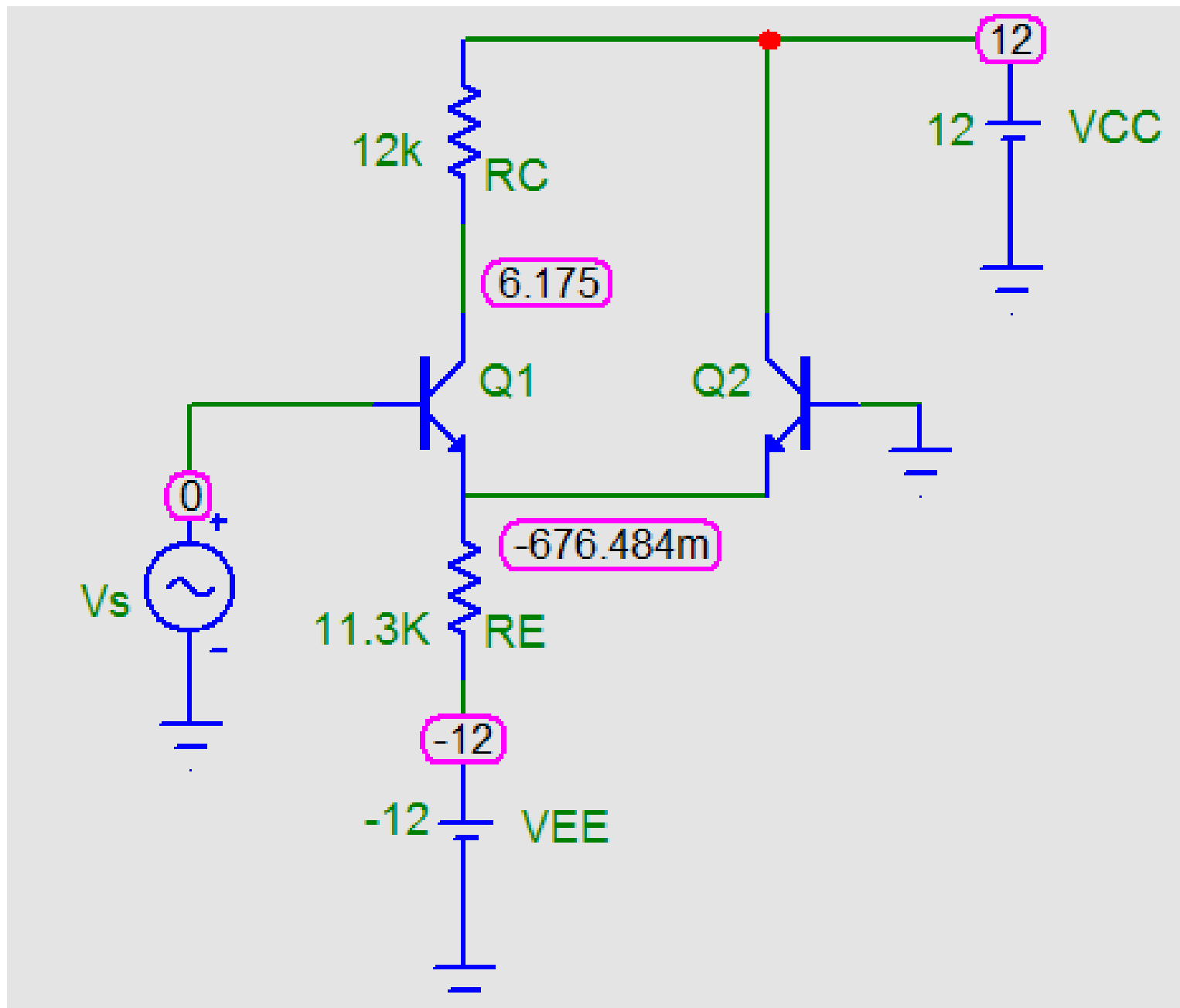
$$A_V \cong - \frac{g_{m1}}{1 + g_{m1}/g_{m2}} R_C = -0.5 g_m R_C$$

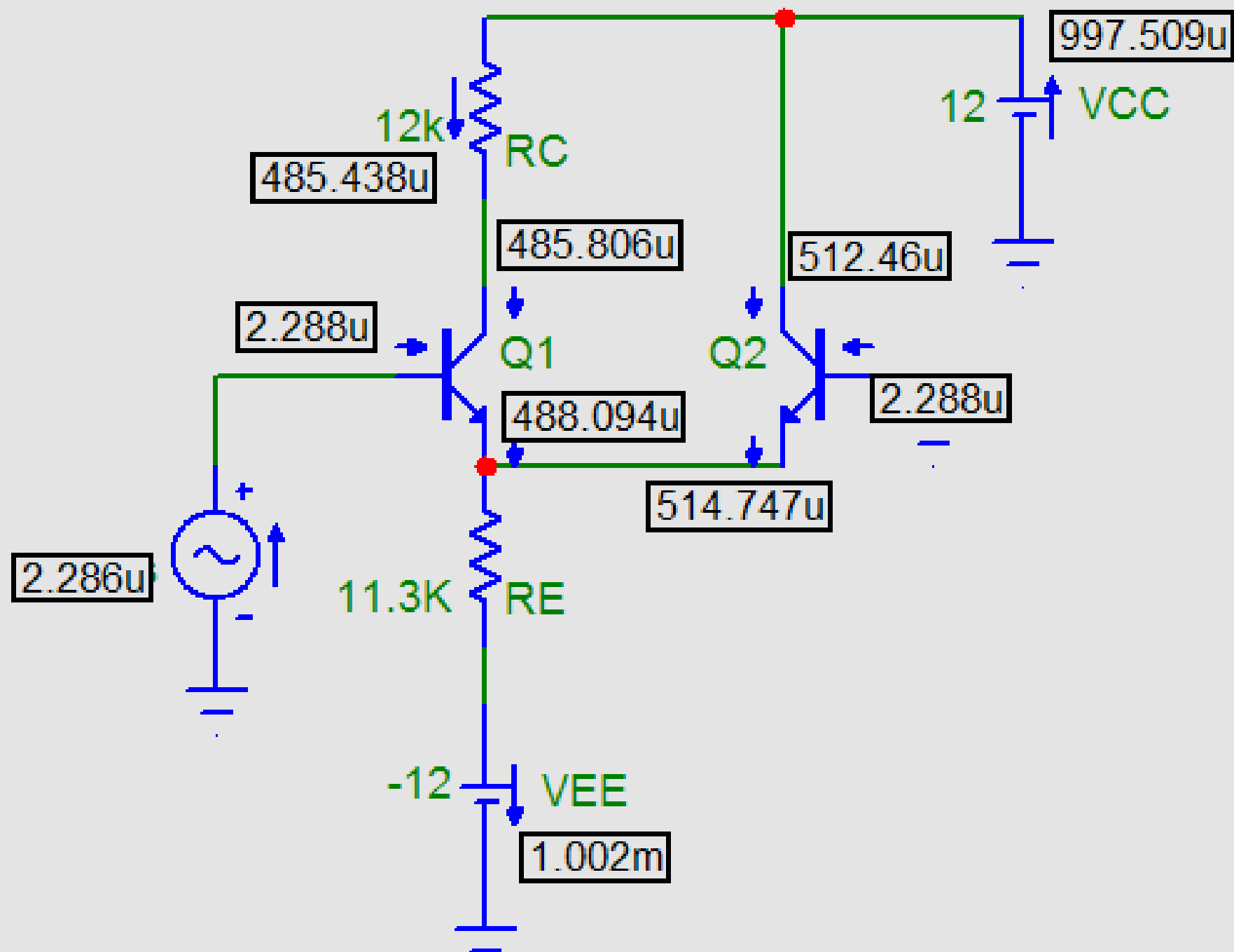
What about bias point?



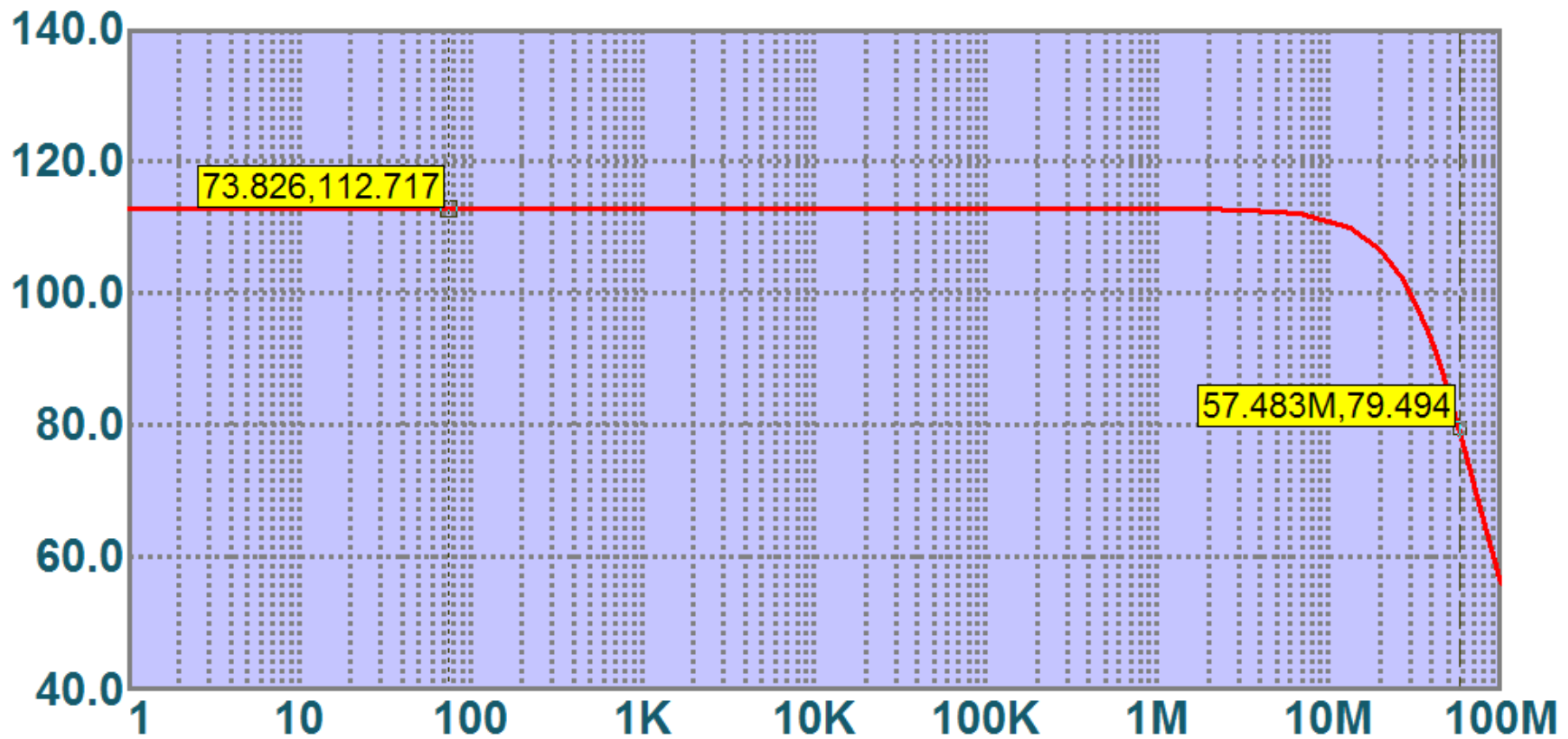
$$I_{EE} = \frac{-0.7 - V_{EE}}{R_E}$$
$$I_{CQ1} = I_{CQ2} = 0.5 I_{EE}$$

Example



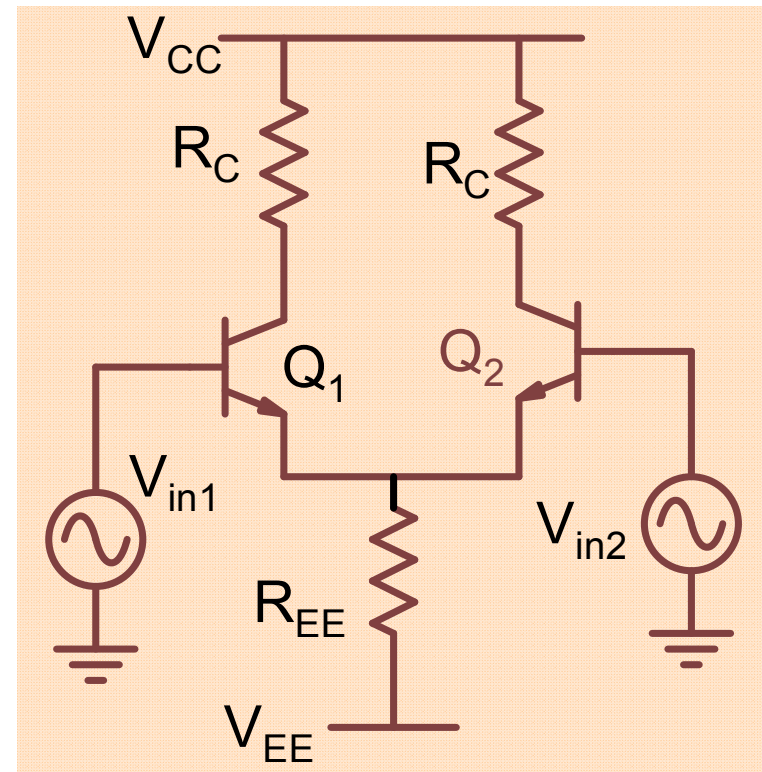
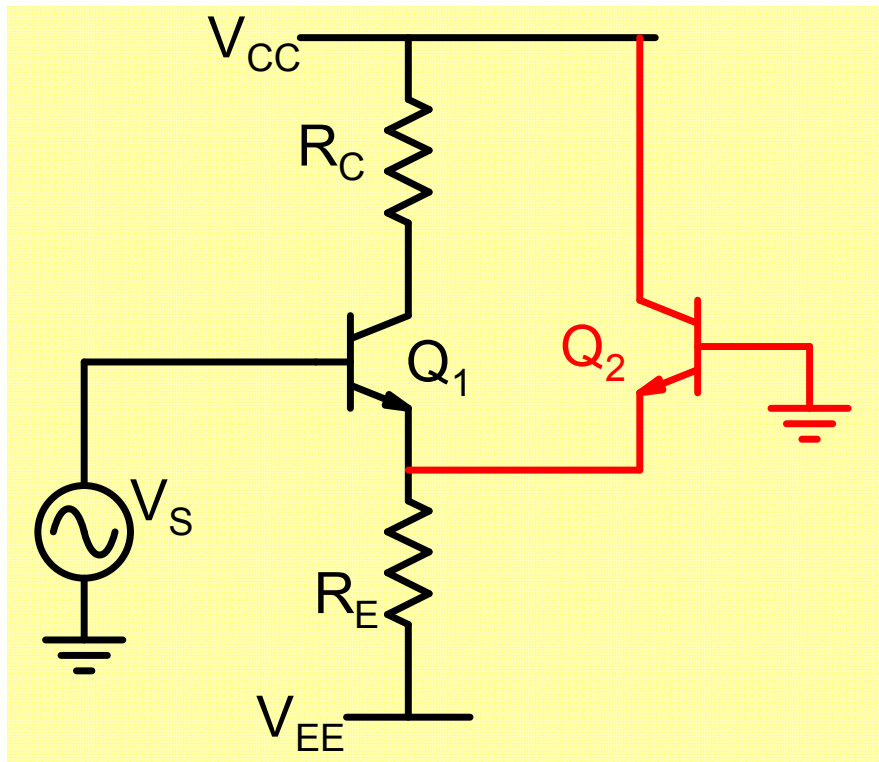


dc amplifier



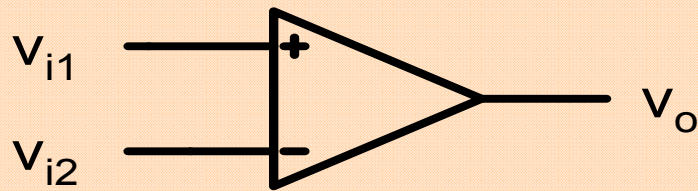
$$A_V \cong 0.5 g_m R_C = 115.4$$

Can make the circuit more useful by making it symmetrical

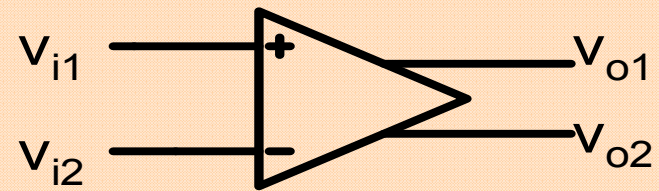


Differential Amplifier

-An amplifier that is sensitive to difference in input voltages and insensitive to what is common.



Differential input
Single-ended Output



Differential input
Differential Output

$$v_{id} = v_{in1} - v_{in2}$$

$$v_{ic} = \frac{v_{in1} + v_{in2}}{2}$$

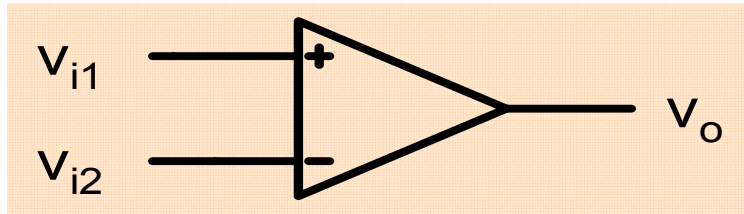
$$v_o = A_d v_{id} + A_{cm} v_{ic}$$

$$A_d \gg A_{cm}$$

A_d : Differential mode gain

A_{cm} : Common mode gain

$$\text{Common Mode Rejection Ratio: } CMRR = \frac{A_d}{A_{cm}}$$



$$A_d = 100; \quad A_{cm} = 0.01$$

$$v_{i1} = 1V + 5mV \times \sin(\omega t) ; \quad v_{i2} = 1V - 5mV \times \sin(\omega t)$$

$$v_{id} = v_{in1} - v_{in2} = 10mV \times \sin(\omega t)$$

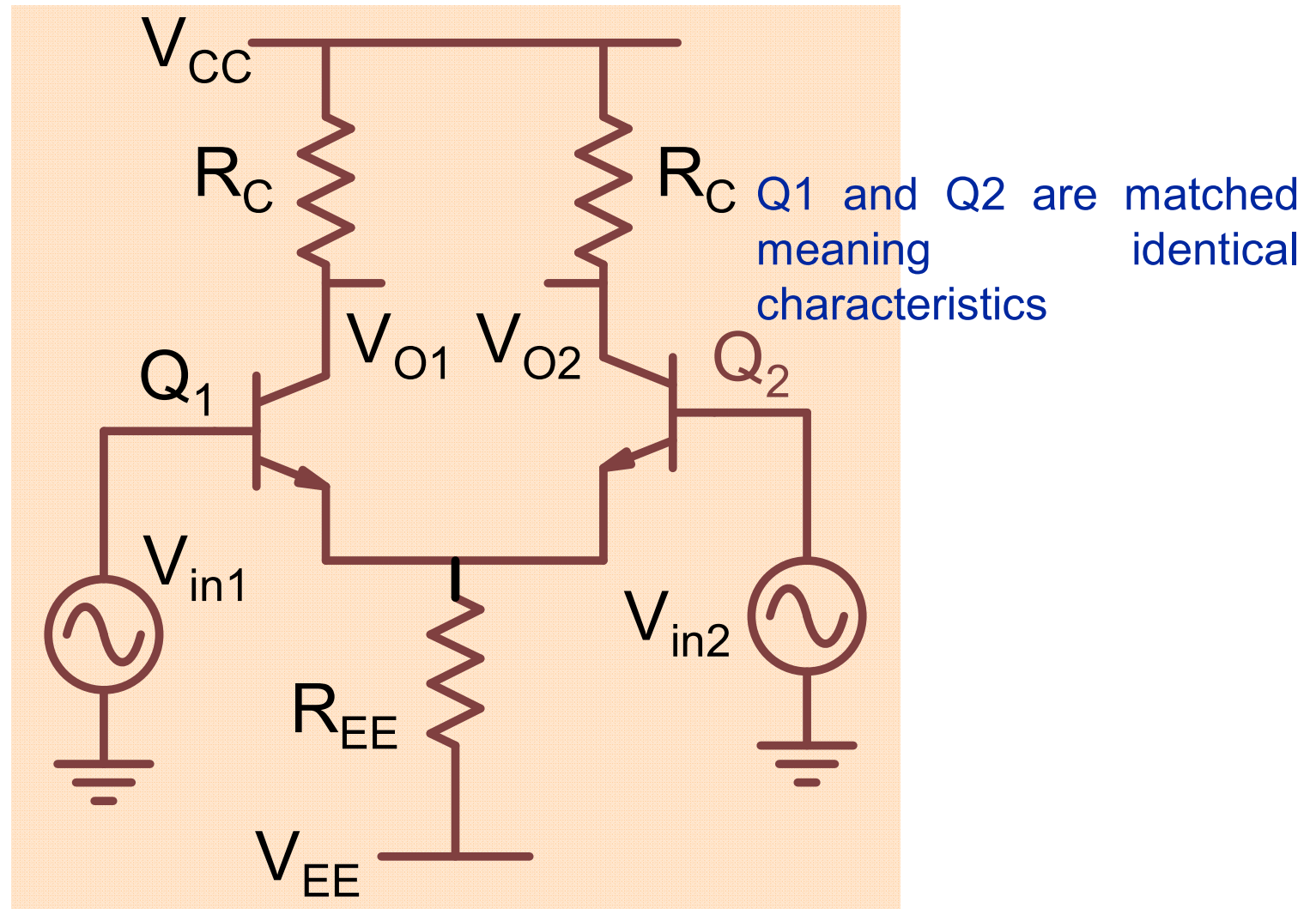
$$v_{ic} = \frac{v_{in1} + v_{in2}}{2} = 1V$$

$$\begin{aligned} v_o &= A_d v_{id} + A_{cm} v_{ic} \\ &= 1V \times \sin(\omega t) + 10mV \end{aligned}$$

Whatever is common is rejected and whatever is different is amplified !

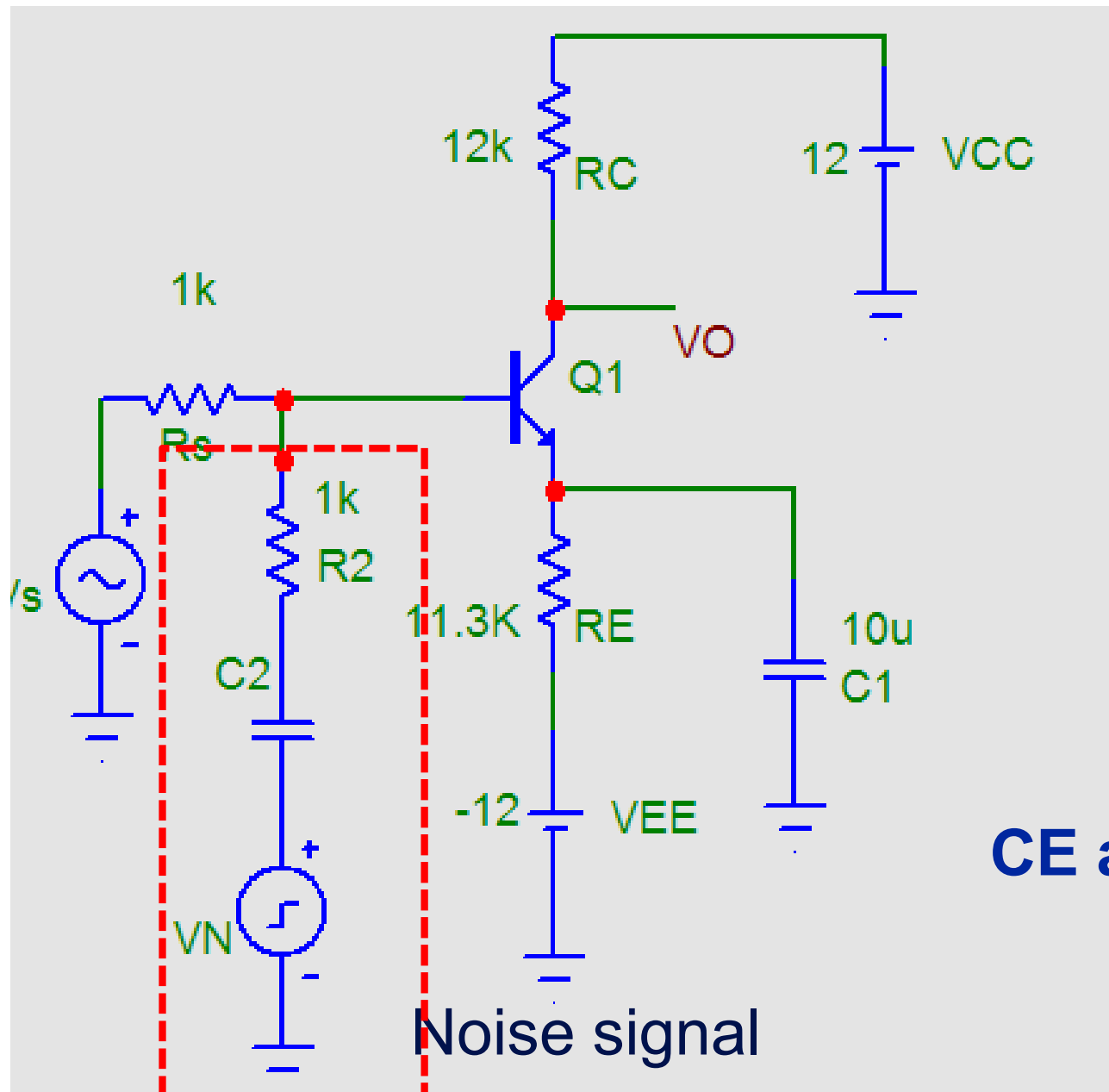
Applications ?

Differential Pair



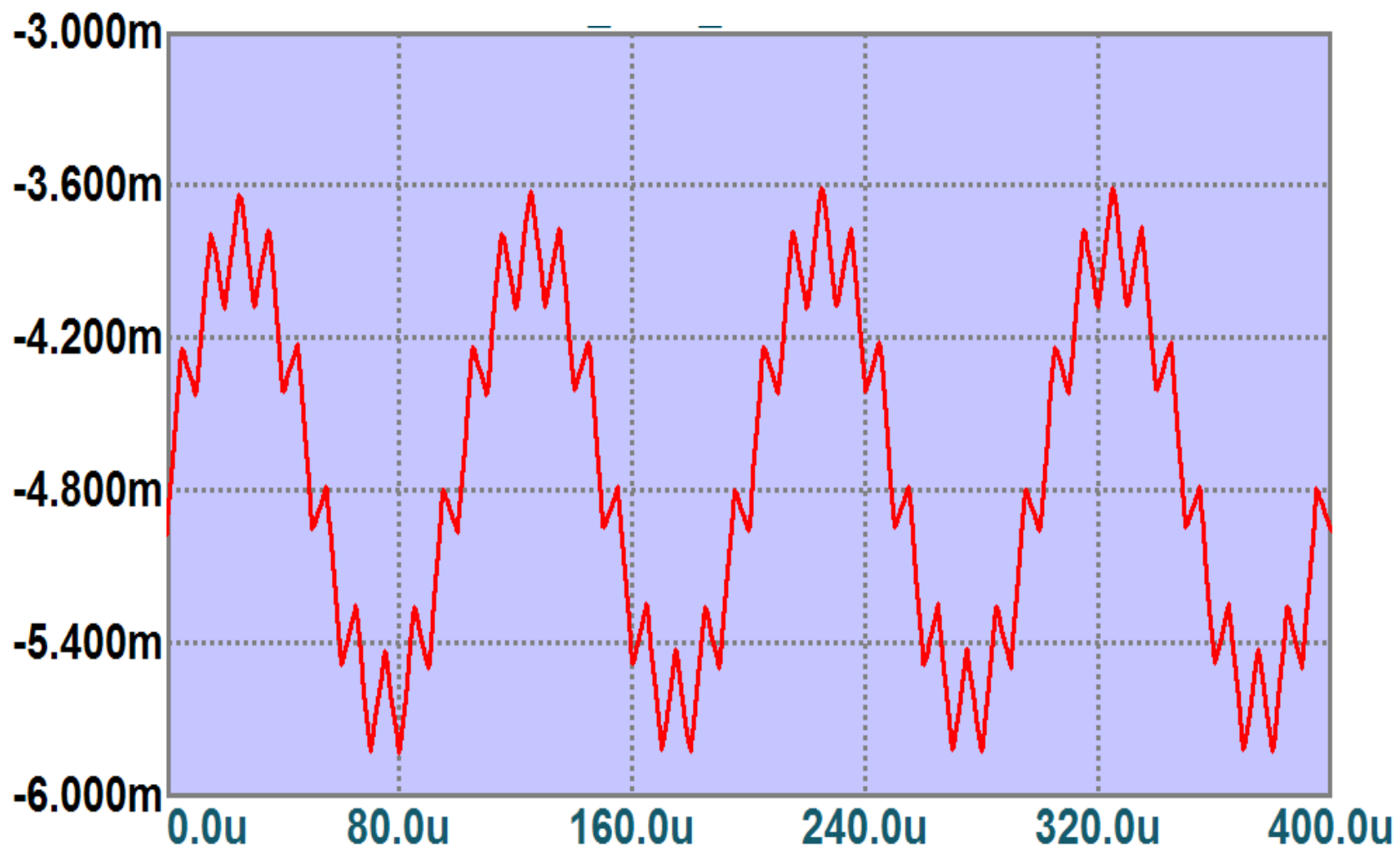
Both outputs sensitive to only difference of input voltages

Advantages: Unwanted signal rejection

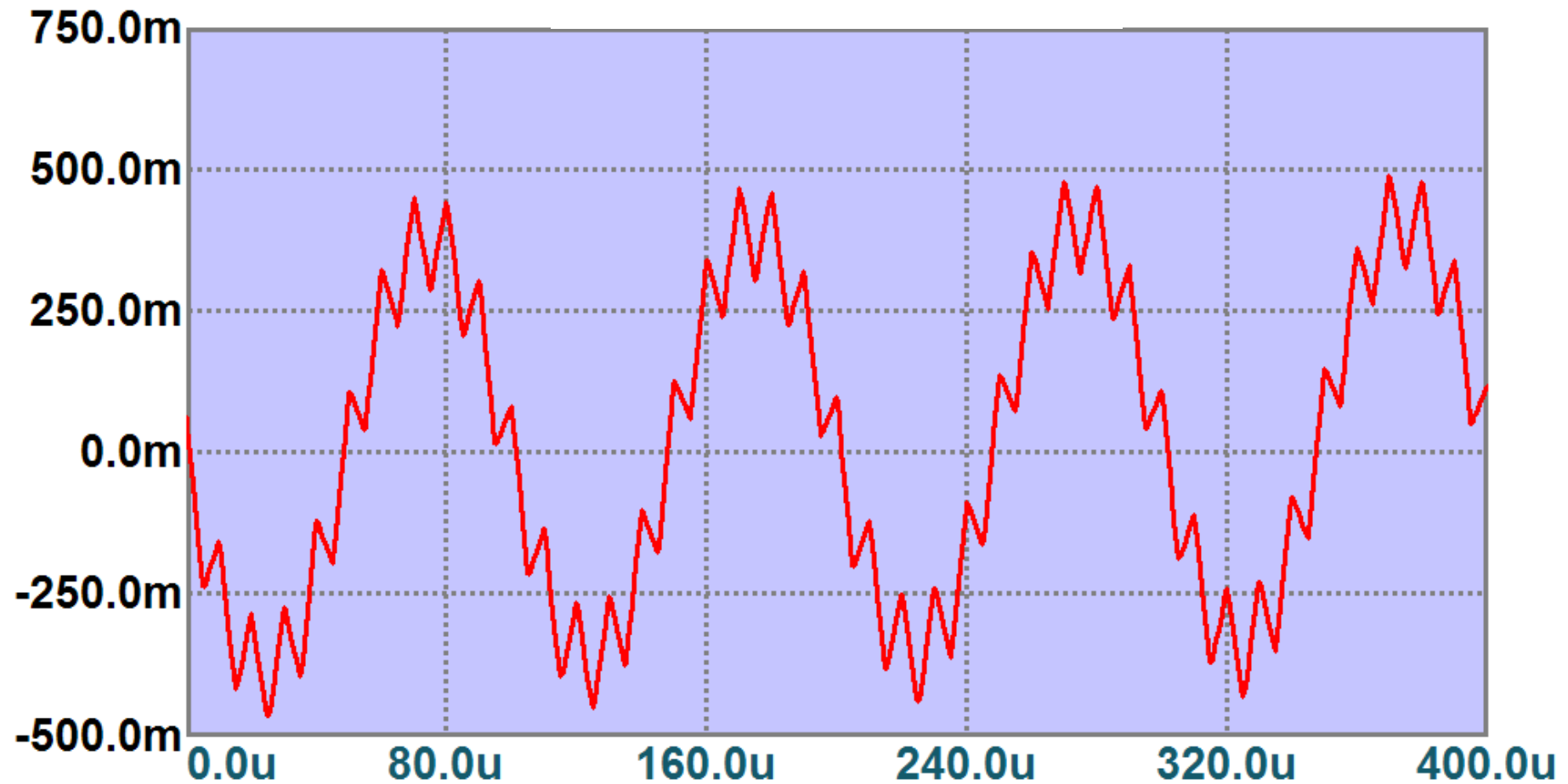


CE amplifier

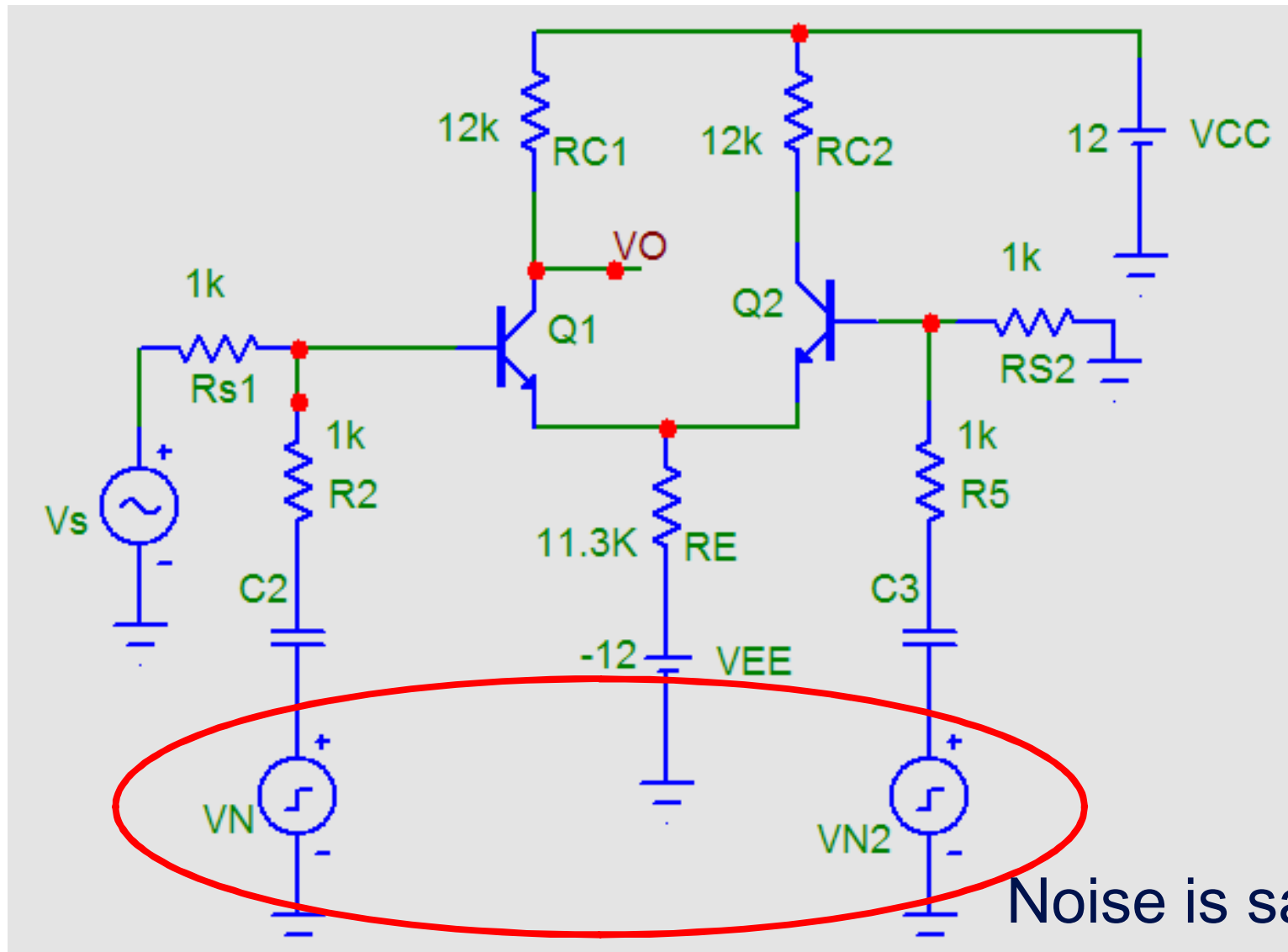
Noisy input



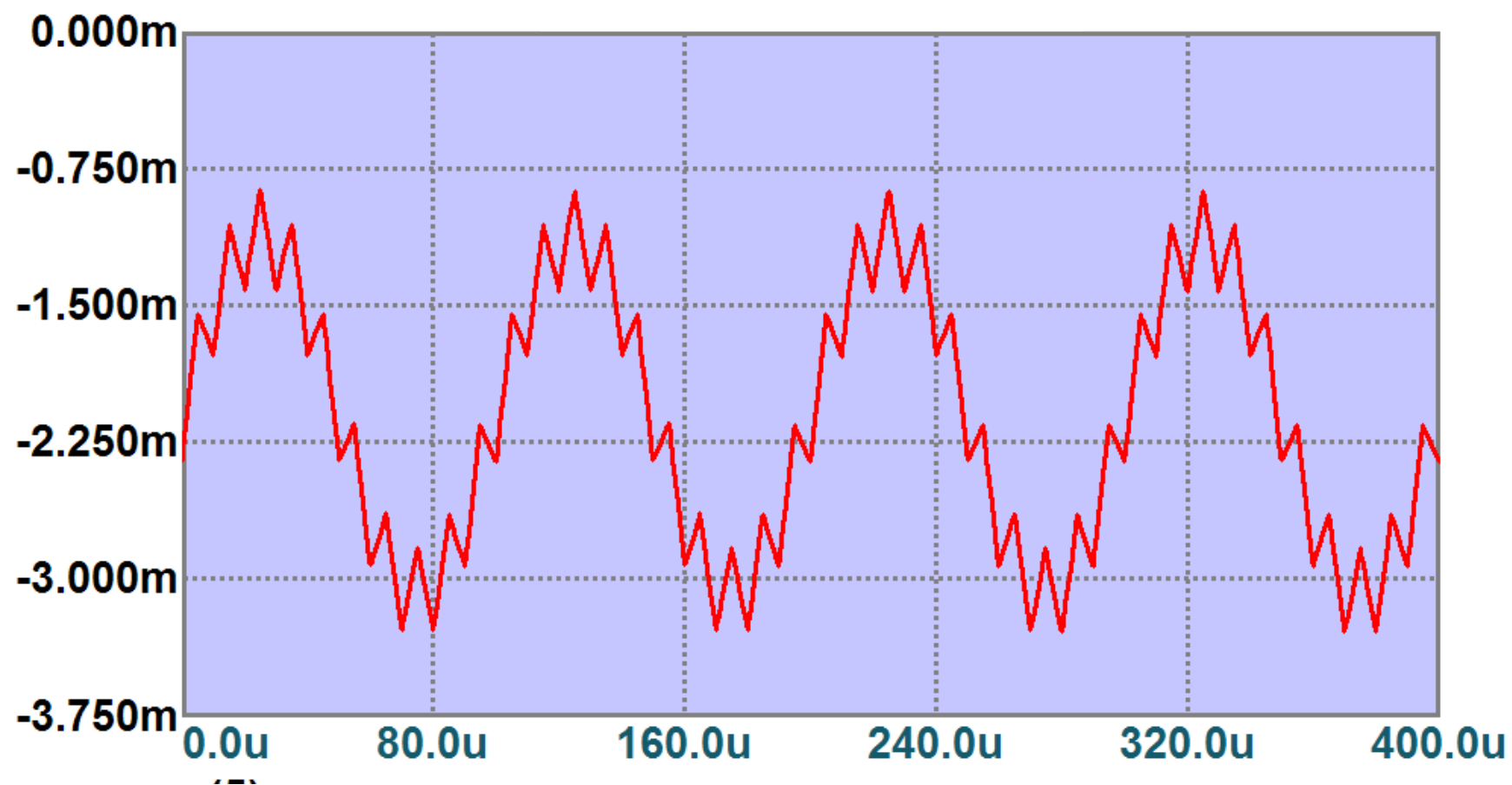
CE amplifier: Output is noisy as well

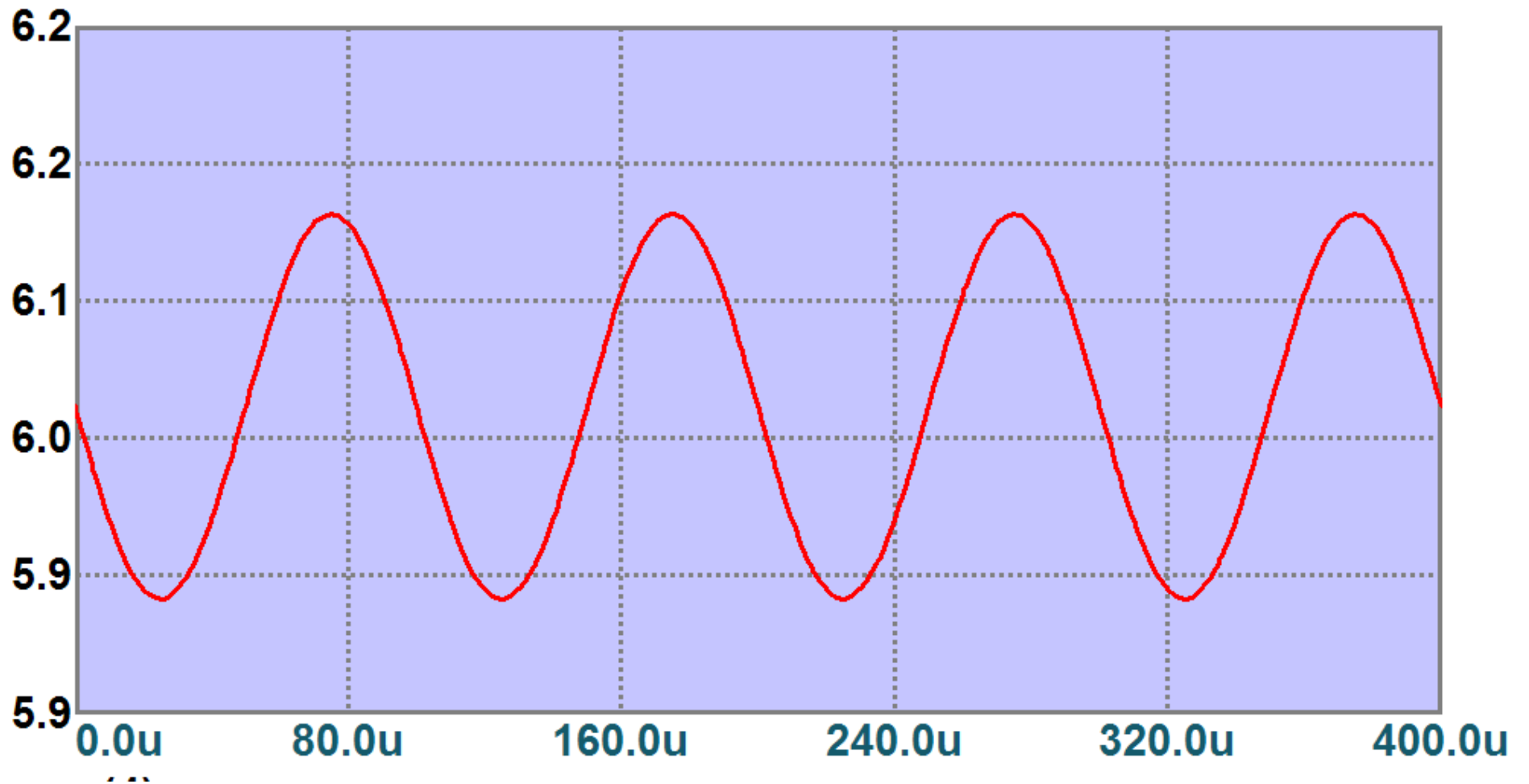


Differential Amplifier



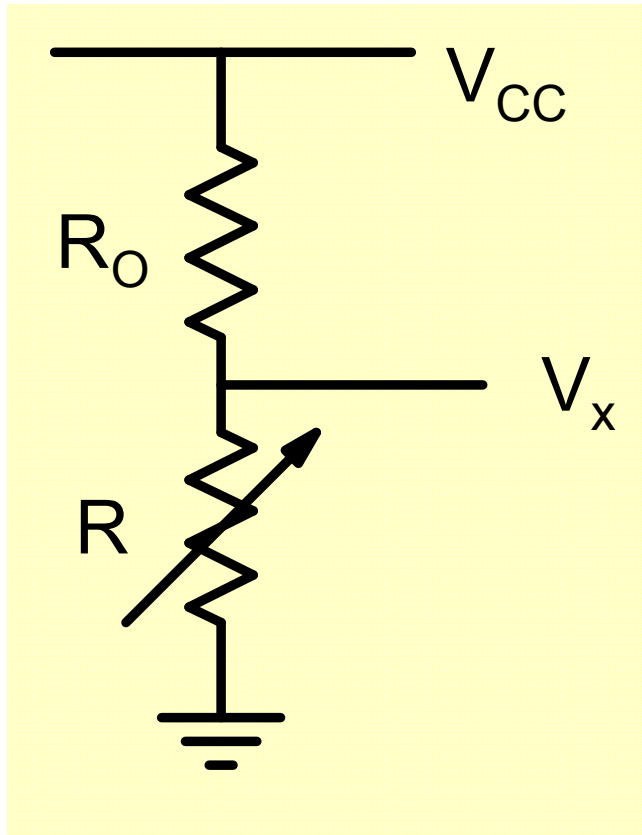
Noisy input





Output: Noise Free

Amplifying small signal immersed in a large signal



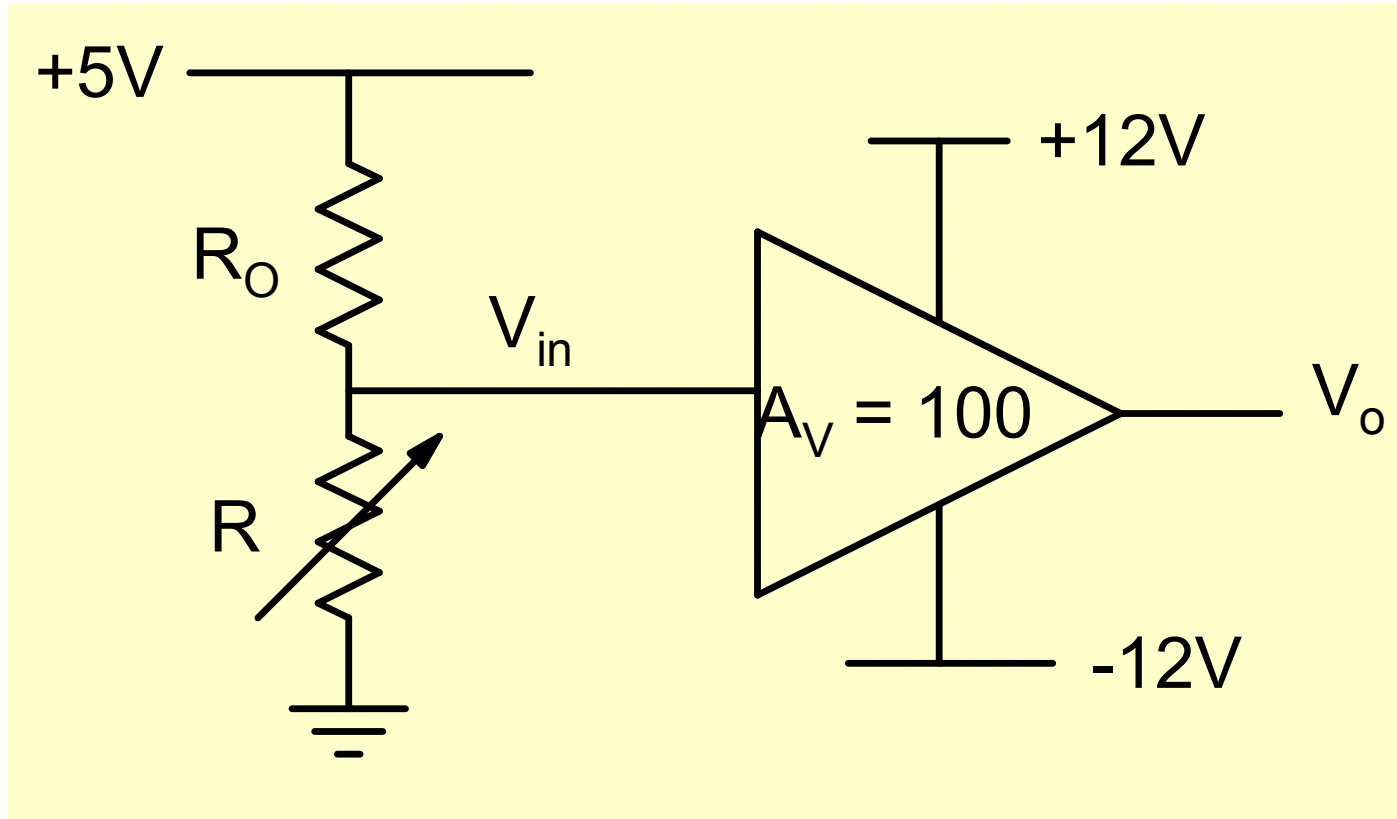
$$V_x \cong 0.5V_{CC} + 0.5V_{CC} \times \frac{\Delta R}{R_O}$$

$$V_{CC} = 5V; \frac{\Delta R}{R_O} = 1\%$$

$$V_x \cong 2.5V + 25mV$$

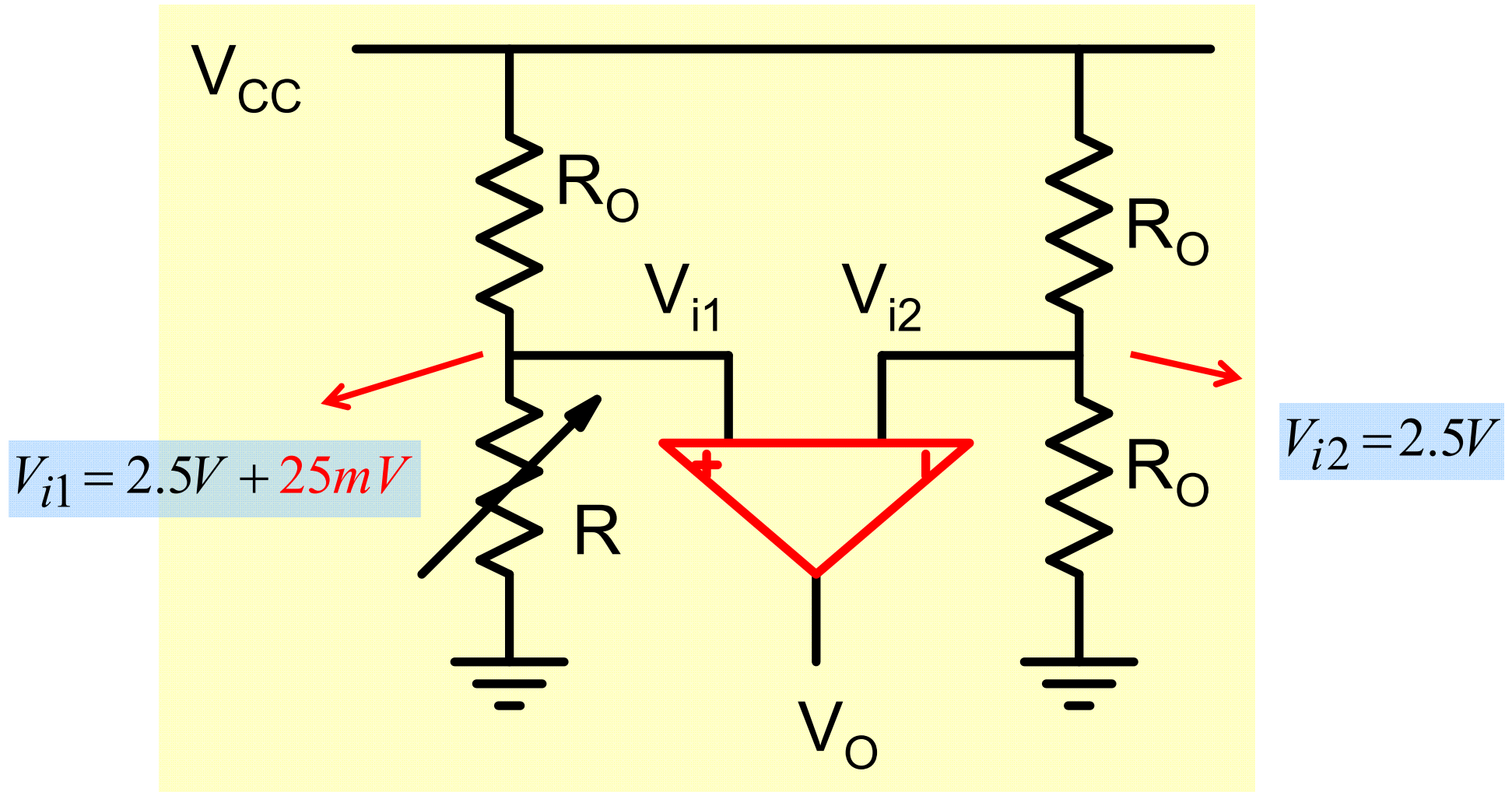

How do we detect the small signal ?

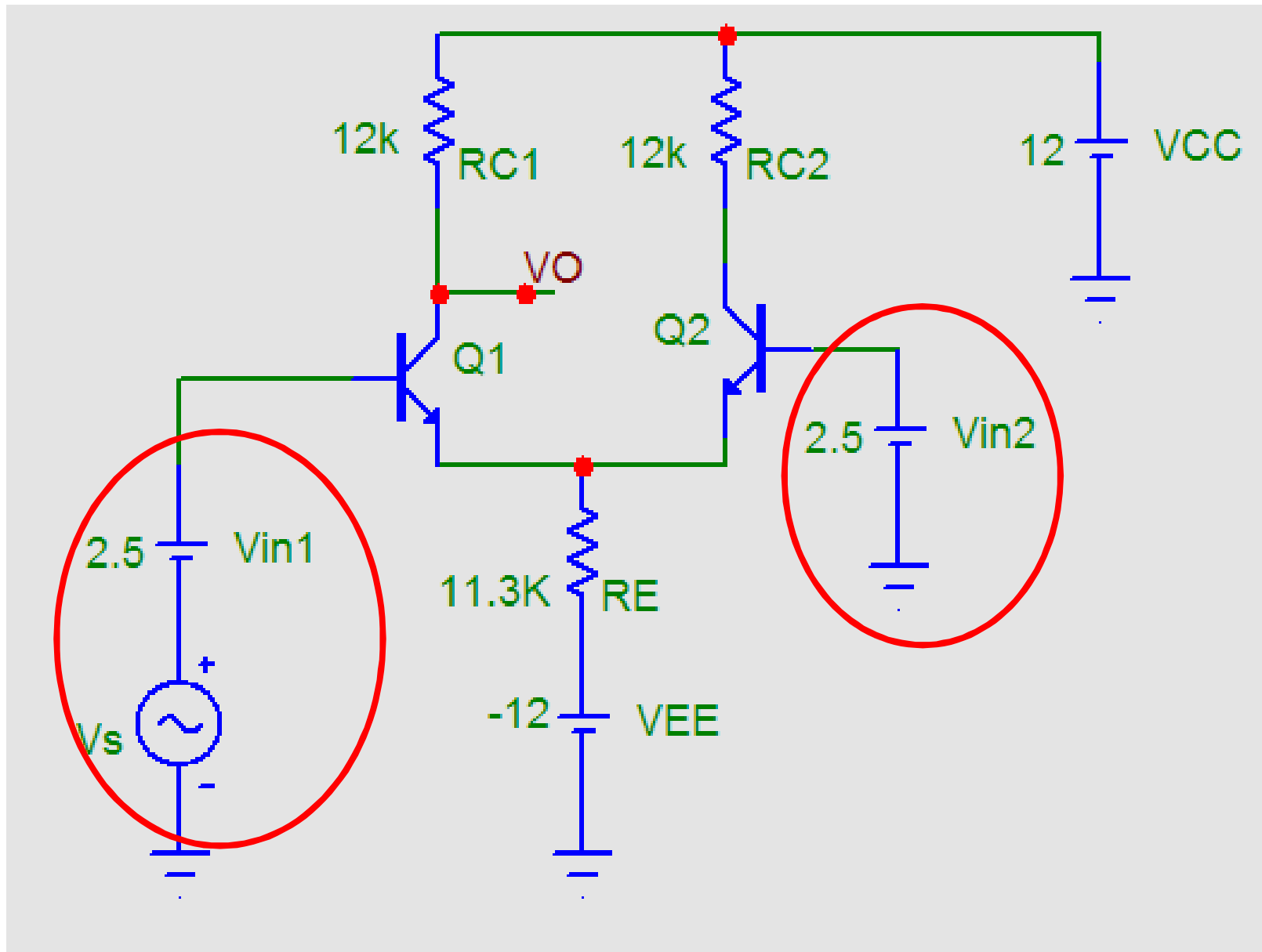
Amplifier with single ended input won't work !

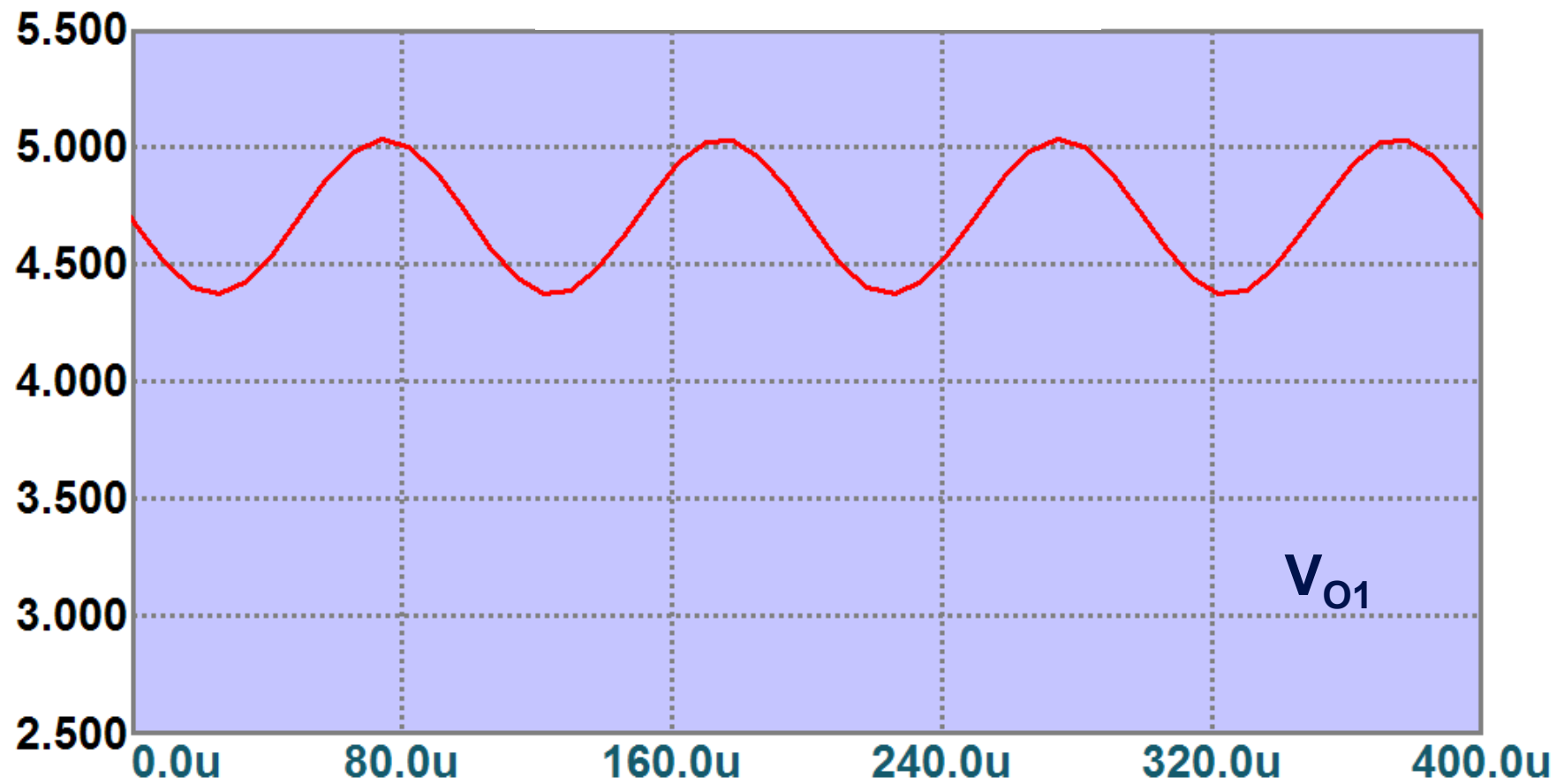


$$V_{in} \cong 2.5V + 25mV$$

Differential amplifier is a natural solution

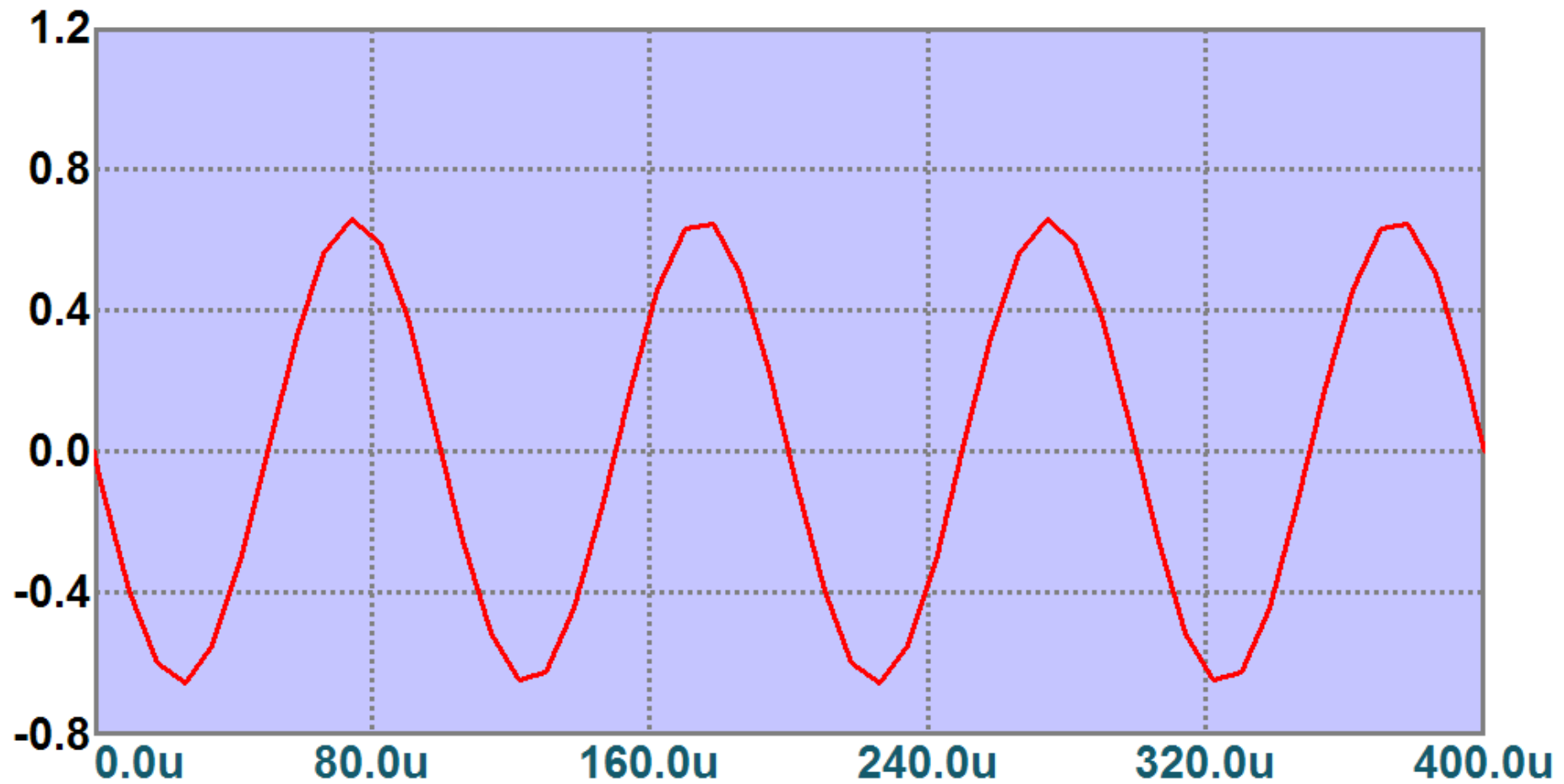




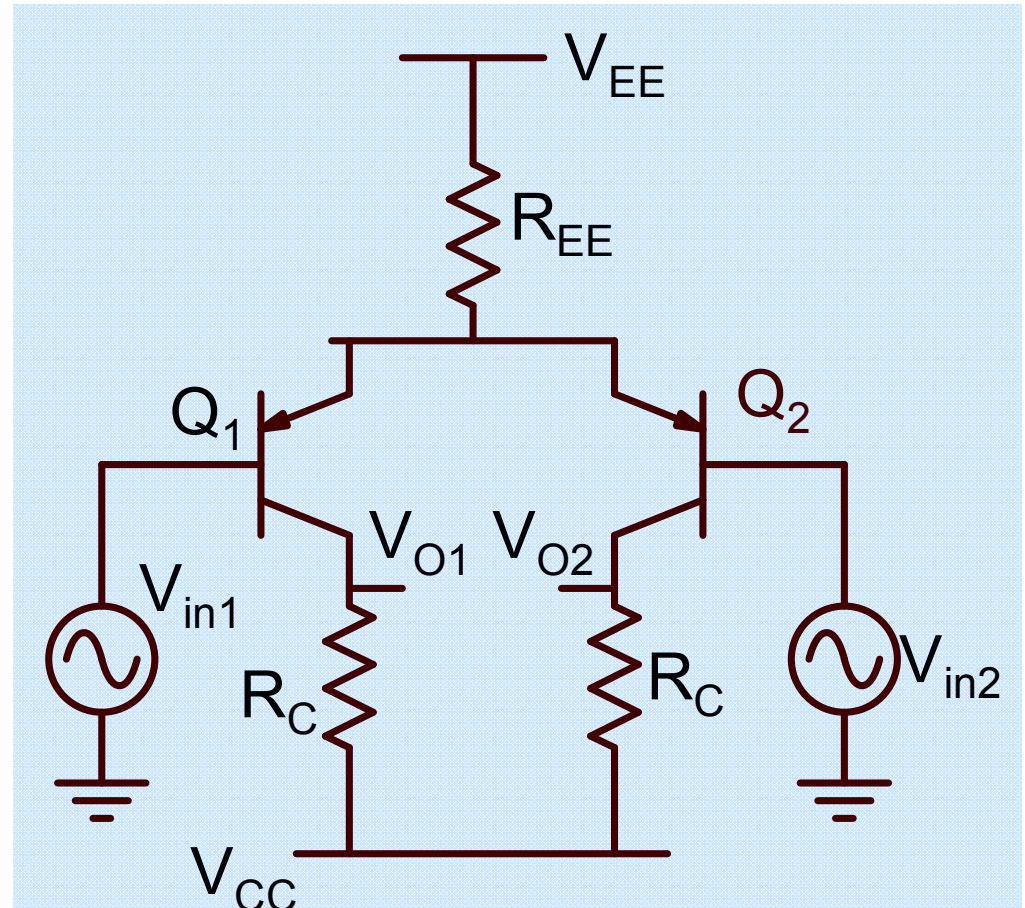
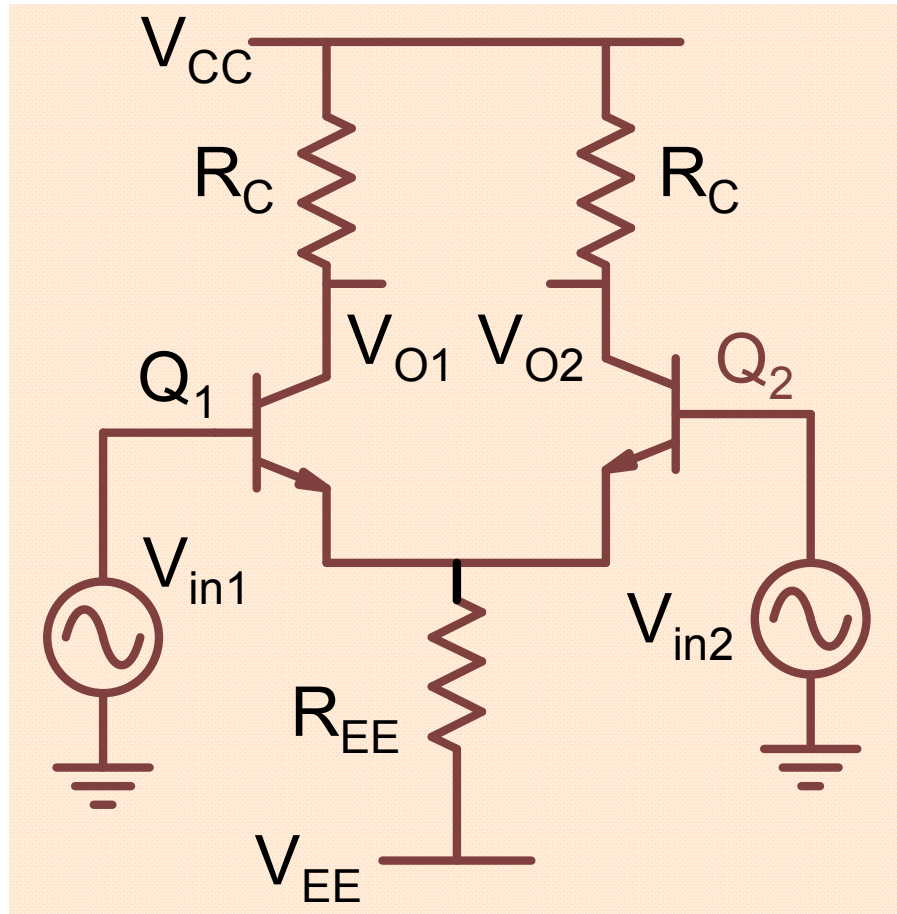


One can detect and amplify the desired input signal

Differential output signal is even better !



Differential pairs



Transistors are matched