# final-project

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CSCI-347: Data Mining

Final Project

# Part 1: Plan (20 points)

The problem that we are investigating is the association between developed liver disorders and the possible contributing factors that lead to such a diagnosis. It is no question that the consumption of alcoholic beverages increases the chances of developing a liver disorder, but the question still remains why some people are more at risk than others. In addition to alcohol consumption, other compounds found in the liver have been found to have confounding associations.

The data set that we have selected is the Liver Disorders Data Set (Forsyth). The data set includes a total of seven attributes. The first five attributes are numerical values pulled from the blood test of the patient. Since these values are thought to be sensitive to liver disease, they may show common traits so that early detection is more viable. The next variable is the number of drinks of alcohol per day. This could be a connecting factor for some of the test results. The final attribute is a categorical variable to help separate the data into test or training sets.

The data mining techniques that we will use to solve this problem include dimensionality reduction. There exists one categorical attribute within our data set that will need to be removed as it only contains information for if it was intended for a training dataset. We plan to use dimensionality reduction across all of the provided attributes in an attempt to identify which attributes have the greatest effect.

If we run out of time we plan to not explore the differences in the training and test categories to reduce the scope of the project from two separate datasets to a single dataset. If this were to happen we would totally ignore the categorical classification and run all testing over the entire dataset as a whole.

# Part 2: Implement (30 points)

## Setup Code

## Import Libraries

```
[5]: import numpy as np
  import pandas as pd
  import matplotlib.pyplot as plt
  from sklearn.decomposition import PCA
  from google.colab import drive
  import numpy.linalg as LA
  import os
```

## Global (Const.) Variables

## **Data Import Function**

The following function is used read the data's file and parse the contents.

```
[7]: # GetRawDataFromFile()
# returns a 2-dimensional array of the data
def getRawDataFromFile(file: str) -> list:

# mount to google drive
drive.mount('/content/drive')

# check that file exists
```

```
if not os.path.exists(file):
    # file does NOT exist, raise error
    raise RuntimeError(f'File "{file}" does not exist')
# read file's lines
lines = list()
with open(file, 'r') as f: lines = f.readlines()
# unmount google drive
drive.flush_and_unmount()
# parse the lines content and create the 2-dimensioal array
data = list()
# iterate through each line
for line in lines:
    # clean the line string
    line = str(line).strip()
    # if line is empty, skip it
    if line is None or line == "" or len(line) < 1: continue
    # split the line (string) by seperator (",")
    line_data = line.split(',')
    # column 7 (index: 6) needs to be removed
    line_data.pop(6)
    # each value in the 'line_data' needs to be converted to a
    # numerical type.
    # All of the columns in the data are of type "int", except
    # for one, column[5], which is a float
    for data_item_index, data_item in enumerate(line_data):
        # is current column index 5?
        if data_item_index in [5]:
            # cast to type float
            data_item = float(data_item)
        else:
            # cast to type int
            data_item = int(data_item)
        # update the data_item value after type casting
        line_data[data_item_index] = data_item
    # append row to (raw) data array
    data.append(line_data)
# return the raw data
return data
```

#### **Data Initialization**

Get the RAW\_DATA (2-dimensional array) from the file contents:

```
[8]: # populate the raw data from the source file contents
RAW_DATA = getRawDataFromFile(DATA_FILENAME)
```

Drive already mounted at /content/drive; to attempt to forcibly remount, call drive.mount("/content/drive", force\_remount=True).

Initialize DataFrame:

```
[9]: # create a dataFrame from the RAW_DATA

df = pd.DataFrame(data=RAW_DATA, columns=DATA_COLUMN_NAMES.values())
```

Initialize numpy.ndarray:

```
[10]: # create a numpy multi-dim. array from the RAW_DATA
D = np.ndarray(shape=(len(RAW_DATA), len(RAW_DATA[0])), dtype=float)
# populate the numpy data matrix (array)
for i, row in enumerate(RAW_DATA): D[i] = np.array(row)
```

### Data Preview

The data is made up by 345 rows (instances) and 6 columns (attributes).

```
[11]: D.shape
```

```
[11]: (345, 6)
```

[12]: D

```
[12]: array([[85., 92., 45., 27., 31., 0.], [85., 64., 59., 32., 23., 0.], [86., 54., 33., 16., 54., 0.], ..., [98., 77., 55., 35., 89., 15.], [91., 68., 27., 26., 14., 16.], [98., 99., 57., 45., 65., 20.]])
```

```
[13]: df.describe()
```

```
Mean Corpuscular Volume Alkaline Phosphotase \
[13]:
                                                  345.000000
                           345.000000
      count
      mean
                            90.159420
                                                   69.869565
      std
                             4.448096
                                                   18.347670
      min
                            65.000000
                                                   23.000000
      25%
                            87.000000
                                                   57.000000
      50%
                            90.000000
                                                   67.000000
```

```
Alamine Aminotransferase
                                        Aspartate Aminotransferase
                            345.000000
                                                         345.000000
      count
                                                          24.643478
      mean
                             30.405797
      std
                             19.512309
                                                          10.064494
      min
                              4.000000
                                                           5.000000
      25%
                                                          19.000000
                             19.000000
      50%
                             26.000000
                                                          23.000000
      75%
                             34.000000
                                                          27.000000
      max
                            155.000000
                                                          82.000000
             Gamma-Glutamyl Transpeptidase \
                                 345.000000
      count
      mean
                                  38.284058
      std
                                  39.254616
      min
                                   5.000000
      25%
                                  15.000000
      50%
                                  25.000000
      75%
                                  46.000000
                                 297.000000
      max
             Number of half-pint equivalents of alcoholic beverages drunk per day
                                                      345.000000
      count
      mean
                                                        3.455072
      std
                                                        3.337835
      min
                                                        0.00000
      25%
                                                        0.500000
      50%
                                                        3.000000
      75%
                                                        6.000000
                                                       20.000000
      max
     Estimated Covariance Matrix
[14]: # get the covariave matrix
      Sigma = np.cov(D.T, ddof=1)
      Sigma
[14]: array([[ 19.7855578 ,
                                 3.59934277,
                                                12.81884058,
                                                                8.40583923,
                38.81795585,
                                 4.6423576],
                 3.59934277, 336.63700708,
                                                27.28273509,
                                                               26.97080384,
                95.89180991,
                                 6.17290192],
             [ 12.81884058,
                                27.28273509,
                                               380.73019885,
                                                              145.25846815,
```

80.000000

138.000000

75%

max

93.000000

103.000000

26.97080384, 145.25846815, 101.29403438,

13.47177283],

9.39236603],

385.60532524,

208.45331143,

8.40583923,

```
[ 38.81795585,
                              95.89180991,
                                            385.60532524, 208.45331143,
              1540.92489046,
                              44.70902005],
                4.6423576 ,
                                6.17290192,
                                             13.47177283,
                                                             9.39236603,
                44.70902005,
                              11.14114425]])
[15]: # print the covariance matrix
      frmt_str = '[ ' + ' '.join(["{:<7.2f}"] * Sigma.shape[1]) + ' ]'
      for row in Sigma: print(frmt_str.format(*row))
     3.60
                       12.82
                               8.41
                                       38.82
                                               4.64
                                                       1
     [ 3.60
               336.64 27.28
                               26.97
                                       95.89
                                               6.17
                                                       1
     [ 12.82
                       380.73 145.26 385.61 13.47
               27.28
                                                       ]
     「8.41
               26.97
                      145.26 101.29 208.45
                                               9.39
                                                       1
     [ 38.82
                                                       1
               95.89
                       385.61 208.45 1540.92 44.71
     Γ 4.64
               6.17
                       13.47
                               9.39
                                       44.71
                                               11.14
                                                       1
     Eigenvalues
[16]: evalues, evectors = LA.eig(Sigma)
[17]: evalues
[17]: array([1704.23455772,
                              8.51379717,
                                            19.59323592,
                                                           37.76391713,
              290.92117087, 329.48615401])
[18]: evectors
[18]: array([[ 2.48915066e-02, 3.11252804e-01, -9.43765959e-01,
               1.08533543e-01, 4.94442234e-03, 1.98561179e-03],
             [7.49485205e-02, 6.73102408e-03, 1.32930005e-03,
              -4.14076557e-02, -3.81810281e-02, 9.95571826e-01],
             [ 2.92623798e-01, -1.30836279e-02, -3.21086702e-02,
              -3.49274184e-01, 8.89478140e-01, -2.31264856e-03],
             [ 1.50393856e-01, 5.10442210e-02, 1.28881103e-01,
               9.24576654e-01, 3.19083539e-01, 3.88528379e-02],
             [ 9.40591759e-01, 1.57223279e-02, 2.33472488e-02,
              -4.14320645e-02, -3.24855878e-01, -8.51287245e-02],
             [ 2.83421198e-02, -9.48710968e-01, -3.01857001e-01,
               8.91897708e-02, 8.68807215e-04, 8.42648015e-03]])
     Sort eigenvalues (and corresponding vectors) in decending order.
[19]: | idx = evalues.argsort()[::-1]
      evalues = evalues[idx]
      evectors = evectors[:, idx]
[20]: evalues
```

```
[20]: array([1704.23455772, 329.48615401, 290.92117087, 37.76391713,
              19.59323592,
                              8.51379717])
[21]: evectors
[21]: array([[ 2.48915066e-02, 1.98561179e-03, 4.94442234e-03,
              1.08533543e-01, -9.43765959e-01, 3.11252804e-01],
             [7.49485205e-02, 9.95571826e-01, -3.81810281e-02,
             -4.14076557e-02, 1.32930005e-03, 6.73102408e-03],
             [ 2.92623798e-01, -2.31264856e-03, 8.89478140e-01,
             -3.49274184e-01, -3.21086702e-02, -1.30836279e-02],
             [1.50393856e-01, 3.88528379e-02, 3.19083539e-01,
              9.24576654e-01, 1.28881103e-01, 5.10442210e-02],
             [ 9.40591759e-01, -8.51287245e-02, -3.24855878e-01,
             -4.14320645e-02, 2.33472488e-02, 1.57223279e-02],
             [ 2.83421198e-02, 8.42648015e-03, 8.68807215e-04,
              8.91897708e-02, -3.01857001e-01, -9.48710968e-01]])
```

#### Total Variance

```
[22]: total_var = sum(np.diag(Sigma))
total_var
```

[22]: 2390.512832827772

#### Mean Centering

First, we must find the multi-dimensional mean:

```
[23]: multi_d_mean = np.mean(D, axis=0)
multi_d_mean
```

```
[23]: array([90.15942029, 69.86956522, 30.4057971 , 24.64347826, 38.28405797, 3.45507246])
```

Now we can center our data from the multi-dimensional mean:

```
[24]: centered_data = D - multi_d_mean centered_data
```

```
50.71594203, 11.54492754],

[ 0.84057971, -1.86956522, -3.4057971 , 1.35652174,

-24.28405797, 12.54492754],

[ 7.84057971, 29.13043478, 26.5942029 , 20.35652174,

26.71594203, 16.54492754]])
```

## Principle Component Analysis (PCA)

```
[25]: pca = PCA(n_components=2)

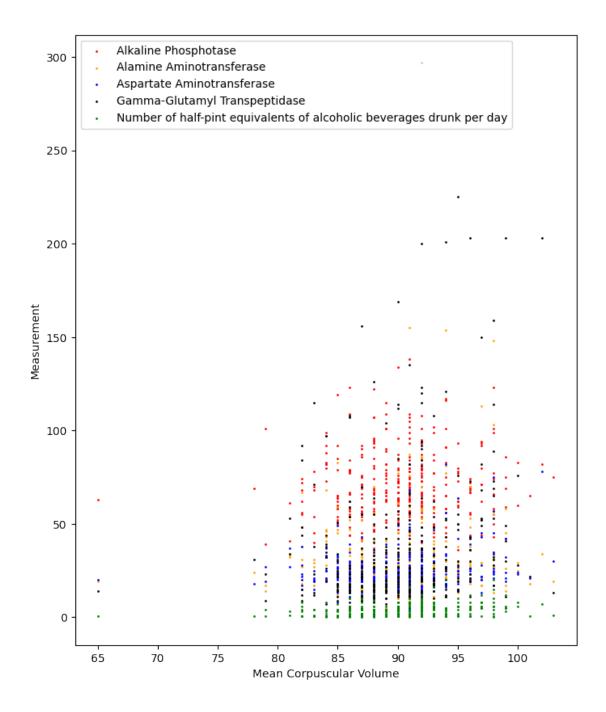
[26]: pca_transformed_D = pca.fit_transform(D)
    pca_transformed_centered_D = pca.fit_transform(centered_data)
```

### **Data Visualization**

#### Raw Data

Blood tests which are thought to be sensitive to liver disorder that might arise from excessive alcohol consumption.

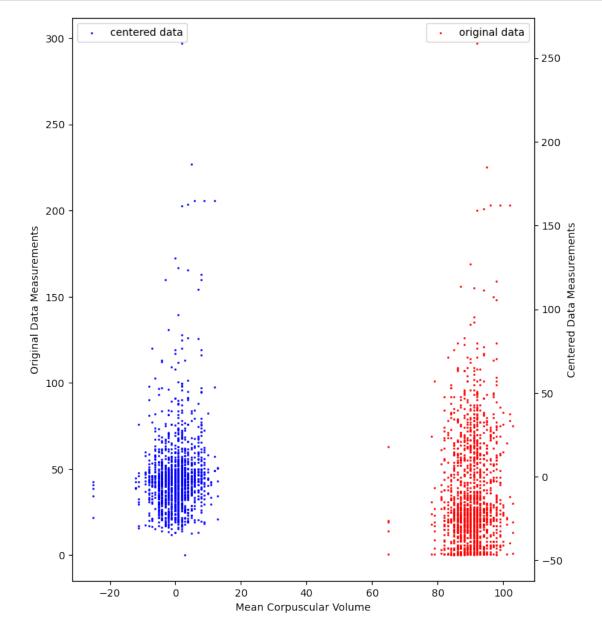
```
[27]: plt.figure(figsize=(8, 10), dpi=100)
    for i in range(1, 6):
        plt.scatter(D[:,0], D[:,i], s=1, c=dot_colors[i-1], label=DATA_COL_VALS[i])
    plt.ylabel('Measurement')
    plt.xlabel(DATA_COL_VALS[0])
    plt.legend(loc='upper left')
    plt.show()
```



## Original Data v.s. Mean Centered Data

```
[28]: fig = plt.figure(figsize=(8, 10), dpi=100)
ax1 = fig.add_subplot(111)
ax2 = ax1.twinx()
for i in range(1, 6):
    ax1.scatter(D[:,0], D[:,i], s=1, c='red')
```

```
for i in range(1, 6):
    ax2.scatter(centered_data[:,0], centered_data[:,i], s=1, c='blue')
ax1.legend(['original data'], loc='upper right')
ax2.legend(['centered data'], loc='upper left')
ax1.set_ylabel('Original Data Measurements')
ax2.set_ylabel('Centered Data Measurements')
ax1.set_xlabel(DATA_COL_VALS[0])
plt.show()
```



### Centered Data v.s. Projected Data

Let's project our data on to the largest eigenvector.

```
[29]: Sigma_centered = np.cov(pca_transformed_centered_D.T, ddof=1)
      evalues_centered, evectors_centered = LA.eig(Sigma_centered)
      # sort
      idx = evalues_centered.argsort()[::-1]
      evalues_centered = evalues_centered[idx]
      evectors_centered = evectors_centered[:, idx]
      coords_along_eig0 = evectors_centered[:,0].T.dot(pca_transformed_centered_D.T)
      coords_along_eig1 = evectors_centered[:,1].T.dot(pca_transformed_centered_D.T)
      coords_along_eig0
[29]: array([-7.94013907e-01, -5.56860410e+00, 1.28506263e+01, -6.61028704e-01,
             -3.16517168e+01, -2.72797043e+01, -3.24661762e+01, -3.08199894e+01,
             -3.38109526e+01, -3.45647505e+01, -2.85428289e+01, -2.78498460e+01,
             -1.42506455e+01, -2.11624988e+01, -2.69263222e+01, -2.06214855e+01,
             -3.03984727e+01, -2.54608889e+01, 1.56401760e+01, -2.66157360e+01,
             -1.93977566e+01, -2.00776630e+01, -3.39468473e+01, -2.26958953e+01,
              6.18625502e+01, -1.52080423e+01, -2.30350924e+01, -3.06242149e+01,
             -2.14670900e+01, -2.39611948e+01, -2.15265037e+01, 2.39450873e+00,
             -8.74377620e+00, 2.18298389e+00, -2.94751566e+01, 8.41954814e+01,
             -1.06056017e+01, -3.58689708e+01, -8.24794406e+00, -3.46749835e+00,
              1.96572444e+01, 4.11234216e+00, -2.51380221e+01, -2.53193786e+01,
             -2.28387419e+01, -2.84698060e+01, -3.37818461e+01, 9.20970930e+00,
             -2.76135229e+01, -3.12557509e+00, -2.43480207e+01, -2.85873056e+01,
              5.91795101e+01, -3.11723763e+00, -1.28947144e+01, -2.39898569e+01,
             -2.07666550e+01, -2.32826200e+01, -3.38703651e+00, -1.60093160e+01,
             -1.03990614e+01, -2.52581126e+01, -3.51892997e+01, -3.19709530e+01,
             -1.10594350e+01, -1.96900438e+01, -3.17387692e+01, -1.73743289e+01,
             -2.56794384e+01, -2.81932345e+01, 1.63854503e+01, -2.85360694e+00,
             -2.93484245e+01, -1.46234448e+01, -2.58873164e+01, -7.29083906e-01,
              1.16301672e+02, -9.08084068e+00, -2.83051967e+01, -8.04630172e+00,
              2.83832954e+01, 1.03569424e+01, -1.41477256e+01, -1.61410305e+01,
              2.42846609e+02, -1.61410305e+01, -9.57840152e+00, -3.17739719e+01,
             -2.81040173e+01, -3.15990006e+01, -1.33056278e+01, -3.58649769e+01,
             -2.27294490e+00, -2.63260741e+01, -1.36310763e+01, -1.53614485e+01,
              1.52608902e+01, 6.00376631e+01, -4.84346965e+00, -1.41032602e+01,
             -1.57310722e+01, 3.41650803e+01, -2.92373608e+01, -2.65888457e+01,
             -2.34268121e+01, -2.29878703e+01, -8.13561148e+00, -1.68010763e+01,
             -3.66312398e+01, 1.26547626e+01, -2.50423768e+01, -1.60626511e+01,
             -2.37080007e+01, -2.11195252e+01, 1.29635072e+02, -3.59170128e+01,
             -2.24706213e+01, -2.81648875e+01, -1.66571795e+01, -2.76964173e+01,
              9.84917291e+00, -1.58736582e+01, -2.35225047e+01, -1.83380989e+01,
```

```
-5.21300315e+00, -2.84349426e+01, 7.01217024e+00, 3.98415774e+01,
-2.96942425e+01, -1.99339260e+01, -9.22284434e+00, -2.17677681e+01,
7.21982565e+01, 1.30584793e+02, -3.09289297e+01, -2.87036818e+01,
-1.88240683e+01, -1.91911334e+01, 6.75571679e+01, -3.09855758e+01,
-2.20878390e+01, -1.19069955e+01, -2.37004572e+01, -1.23857098e+00,
-2.98914338e+01, 1.26284222e+01, 9.86913782e+00, 4.75188874e+01,
-2.09618560e+01, -2.37004572e+01, 6.20713708e+01, -1.27406522e+00,
-2.18859075e+01, -3.11195147e+01, 3.43941317e+01, 2.82418243e+01,
4.77868760e+01, 1.46139275e+01, 1.45090132e+01, -2.26821924e+01,
 2.64758524e+01, -2.49425819e+01, -8.70750716e+00, 3.81068131e+00,
-2.84245991e+01, -1.04233978e+01, 5.65232182e+01, 8.83734968e+01,
 3.49742559e+01, 1.24759791e+01, -9.48512403e+00, 3.41344077e+01,
-1.97299031e+01, -3.31627144e+01, 8.69212714e+01, 1.24759791e+01,
 2.46257040e+01, -2.80777293e+01, 1.73655039e+02, 1.07905400e+01,
 3.17153878e+01, 7.96647426e+01, 1.26425097e+01, -1.43188504e+01,
 3.36506764e+01, 2.84408340e+01, 6.34201428e+01, 1.01954878e+01,
7.09081255e+01, 1.70810128e+02, -2.47632547e+01, -2.90799978e+01,
-1.72682324e+00, -2.20002213e+01, -3.74839664e+01, -2.59067183e+01,
-2.90954503e+01, -2.15012307e+01, -1.74055503e+01, -2.91022786e+01,
-1.95560567e+01, -2.86208677e+01, 2.22451181e+01, -1.99099385e+01,
 9.38126360e+01, -6.06023867e+00, -2.76379176e+01, -2.02262355e+01,
-1.64169712e+01, -3.34981419e+01, -1.64642682e+01, -1.01765438e+01,
-7.46453247e+00, -2.97241294e+01, -2.85930086e+01, -2.02102714e+01,
-3.31876259e+01, 1.85884839e+01, -2.18144432e+01, 9.26434637e+00,
-2.61755367e+00, -1.79194272e+01, -2.81464522e+01, -2.81022157e+01,
-2.99045277e+01, -2.57889930e+01, 2.00286155e+00, 2.97032682e+01,
1.18884964e+01, 2.03997540e+01, -1.27592347e+01, -1.57567593e+01,
1.55949575e+02, -2.86218448e+00, 2.57490567e+01, -8.15251311e+00,
-1.96737203e+01, -9.53444531e+00, -3.08101738e+01, -1.99156007e+01,
-2.23778522e+01, -3.07255197e+01, -2.56423174e+01, -5.37732266e+00,
-2.33751907e+01, -2.57318869e+01, -2.25193348e+01, -3.04075154e+01,
-2.80691506e+01, 4.75260521e+01, -2.84727865e+00, 7.18450897e+01,
-2.55019474e+01, 1.22309054e+01, 5.23915762e+00, -1.52910340e+01,
-2.44874860e+01, -1.74928034e+01, -2.19798612e+01, -7.61009312e+00,
3.55174703e+01, -1.50206801e+01, -1.01976138e+01, -2.09646309e+01,
3.11772659e+01, -1.07715560e+01, -3.18157857e+01, -8.98664570e+00,
-2.68006294e+00, -2.32313106e+01, -2.97339128e+01, -1.77252253e+01,
-3.13539472e+01, -2.58348536e+01, -1.58880656e+01, -5.20244477e+00,
4.24192406e+01, 2.99829671e+01, -6.22141837e+00, 1.16201089e+01,
-1.31915122e+01, -2.44249529e+01, -3.13146674e+01, -1.93006472e+01,
-1.86349889e+01, 3.48949015e+01, -2.53143407e+01, -1.17550748e+01,
 6.43976833e+00, 1.70666800e+00, -2.98611344e+00, -2.79760520e+01,
-2.37412567e+01, 6.55178864e+01, 2.38276831e+01, 1.06442486e+01,
-8.18873375e+00, 1.69826668e+01, -2.19834009e+01, 1.20691815e+02,
-1.28001380e+01, -3.31428015e+01, -3.07920310e+01, 2.90570255e+00,
 5.92353668e+00, -8.00506849e+00, 7.46488945e+01, -1.18166635e+01,
-2.90473276e+01, -2.93237018e+00, 5.66614903e+01, 4.96158678e+01,
```

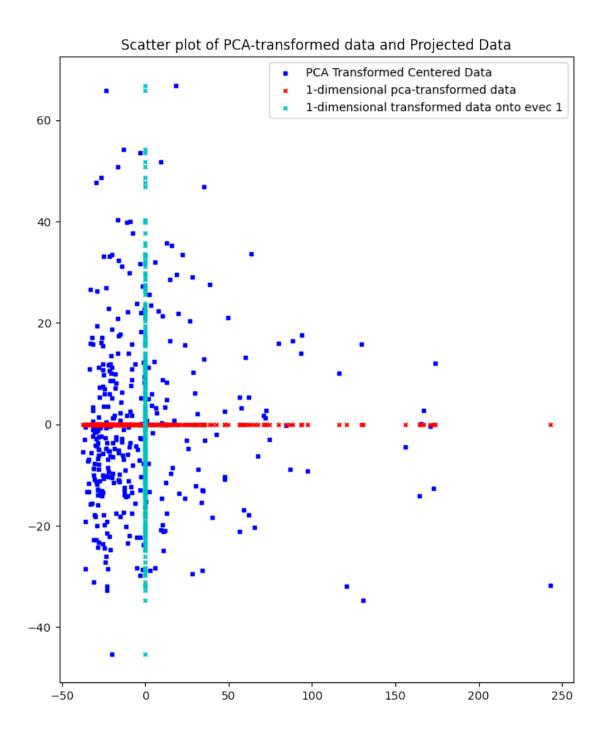
```
5.93276227e+00, -2.10093392e+01, -2.28731489e+01, 1.67116629e+02, 9.73040788e+01, -2.20878390e+01, 4.01985705e+00, 7.72639940e+00, -1.13847795e+01, -1.20970644e+00, 1.65311059e+02, -3.07436469e+01, -2.50254305e+01, -1.76704030e-01, 6.07976538e-01, -1.27709048e+01, -3.34606936e+00, 3.10228175e-01, 1.73116035e+02, 1.02788343e+01, -9.99387384e+00, 9.32390209e+01, 1.81740850e+01, -1.60813582e+00, -1.33034138e+01, 3.48377442e+00, -2.90276768e+01, 2.38699141e+01, 2.01533164e+00, 1.64625157e+02, 5.75141905e+01, -2.33976376e+01, 3.88197525e+01])
```

Observe that now, we now have a 1 dimensional representation of our data that captures about 73% of the total variance of the centered data set.

```
[30]: evalues_centered[0]/sum(np.diag(Sigma_centered))
```

#### [30]: 0.8379884946288922

```
[31]: projected_along_eig0 = np.zeros((D.shape[0],2))
      for i in range(len(coords_along_eig0)):
          projected_along_eig0[i,:] = coords_along_eig0[i]*evectors_centered[:,0]
      projected_along_eig1 = np.zeros((D.shape[0],2))
      for i in range(len(coords_along_eig1)):
          projected_along_eig1[i,:] = coords_along_eig1[i]*evectors_centered[:,1]
      pjdev0 = projected_along_eig0
      pjdev1 = projected_along_eig1
      fig = plt.figure(figsize=(8, 10), dpi=100)
      ax = fig.add_subplot(111)
      ax.scatter(pca_transformed_centered_D[:,0], pca_transformed_centered_D[:,1],__
      ⇒s=10, c='b', marker='s', label='PCA Transformed Centered Data')
      ax.scatter(pjdev0[:,0], pjdev0[:,1], s=10, c='r', marker='x',_
      →label='1-dimensional pca-transformed data')
      ax.scatter(pjdev1[:,0], pjdev1[:,1], s=10, c='c', marker='x',_
      →label='1-dimensional transformed data onto evec 1')
      plt.legend(loc='upper right')
      plt.title('Scatter plot of PCA-transformed data and Projected Data')
      plt.show()
```



Part 3: Report (40 points)

# **Problem Statement**

We where hoping to help identify key characteristics that can help show potential signs of liver disorders.

#### Data

This data set had 345 intstances and 7 attributes with no missing values.

All of the attributes in our data were numerical.

## Preprocessing Techniques

To preprocess our data, we used a few techiques. We mean centered our data so that our data results would be standardized between the techiques that require mean centering and those that do not.

## **Data Mining Techniques**

We used dimensionality reduction to identify which of the attributes has the greatest effect on PCA. We used PCA as it very quickly can give us a good estimation on which attributes hold the majority of the variance. It can also show us how greatly an attribute effects the position of a data point when a dimension is reduced.

### **Analysis**

Data was taken from https://archive.ics.uci.edu/ml/datasets/Liver+Disorders

### **Proportion of Total Variance**

In the direction of the largest eigenvalues, we capture 71% of the total variance. This shows us that while there is a large amount of data in the major components, the other components may still contain valuable information.

- [32]: evalues[0]/total\_var
- [32]: 0.7129158791006928

## Missing Values

There were no missing values from the data.

[33]:	<pre>df.isnull().sum()</pre>	
[33]:	Mean Corpuscular Volume	0
	Alkaline Phosphotase	0
	Alamine Aminotransferase	0
	Aspartate Aminotransferase	0
	Gamma-Glutamyl Transpeptidase	0
	Number of half-pint equivalents of alcoholic beverages drunk per day	0
	dtype: int64	

### Results

## Time Constraints

We did not explore everything that we hoped to be able to when we started the project. We where not able to run the same techiques on the same dataset by separating the datasets into a test base and a real data. We where also not able to run the k-means algorithm.

# Video Link

https://youtu.be/COPckqaGQb8

## References

Forsyth, Richard S. "Liver Disorders Data Set." UCI Machine Learning Repository, 15 May 1990, https://archive.ics.uci.edu/ml/datasets/Liver+Disorders. Accessed 14 April 2022.