

# Lab sessions:

Máster en Ingeniería Industrial

Lab session 2: Control of a three-phase inverter connected to the grid

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#### 1. Introduction

The second lab session has consisted in the implementation of the inverter's control, including the necessary Park's transforms and the PWM generator. The control is not currently working and will be fixed on the next session. The following is a summary of the work carried out on this second session.

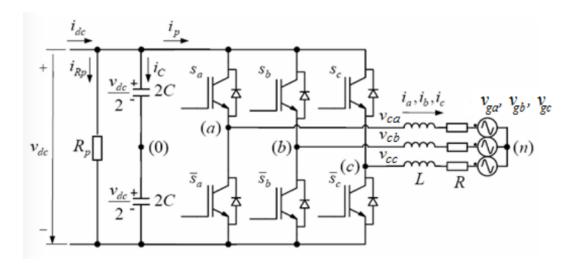
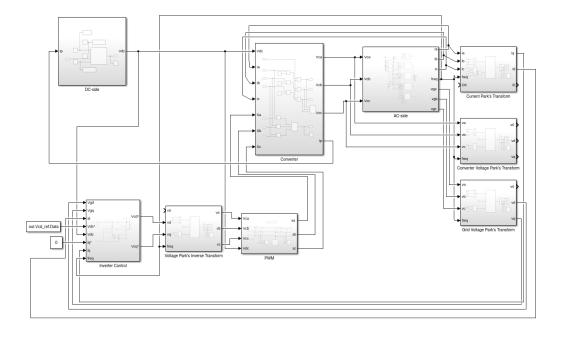


Figure 1.1: Three-phase inverter connected to the grid



 ${\bf Figure~1.2:~Final~model~after~the~second~lab~session}$ 

#### 2. Park's Transform

The model equations written in abc components from a non-linear system with differential equations have no analytical solution. Thus, it is necessary to change this equations by means of a transformation in order to remove the equations dependence on the mechanical angle to obtain a lineal system.

We are transforming the abc components to dq components in a rotating frame of reference.

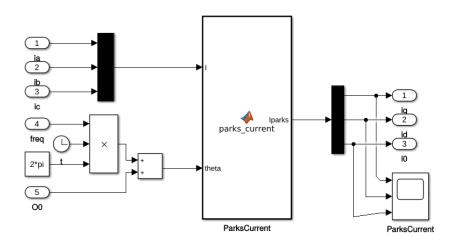


Figure 2.1: Current Park's transform

```
\begin{aligned} & \textbf{function} & & \textbf{Iparks} = \textbf{parks} \_ \textbf{current} (\textbf{I}, \textbf{theta}) \\ & & \textbf{Iparks} = 2/3* [\textbf{cos}(\textbf{theta}), \textbf{cos}(\textbf{theta} - 120/180* \textbf{pi}), \textbf{cos}(\textbf{theta} + 120/180* \textbf{pi}); \\ & & & \textbf{sin}(\textbf{theta}), \textbf{sin}(\textbf{theta} - 120/180* \textbf{pi}), \textbf{sin}(\textbf{theta} + 120/180* \textbf{pi}); \\ & & & .5, .5, .5]* \textbf{I}; \end{aligned}
```

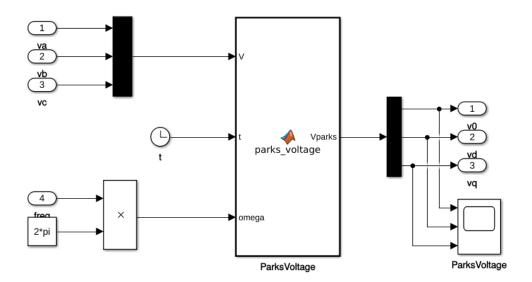


Figure 2.2: Voltage Park's transform

```
function Vparks=parks_voltage(V,t,omega)
Vparks=sqrt(2/3)*[1/sqrt(2),1/sqrt(2),1/sqrt(2);
cos(omega*t),cos(omega*t-(2*pi)/(3)),cos(omega*t+(2*pi)/(3));
-sin(omega*t),-sin(omega*t-(2*pi)/(3)),-sin(omega*t+(2*pi)/(3))]*V;
```

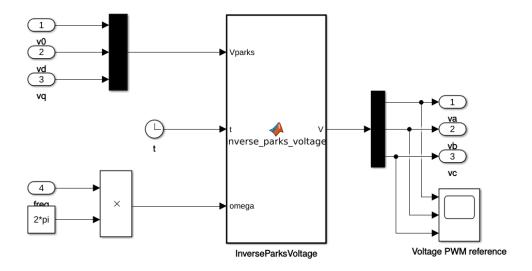
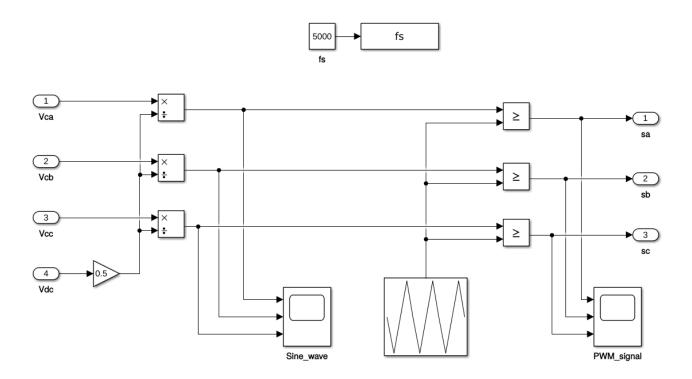


Figure 2.3: Inverse voltage Park's transform

```
\label{eq:function} \begin{split} & \textbf{function} \ \ \text{V=inverse\_parks\_voltage} \ (\text{Vparks}\,, \textbf{t}\,, \text{omega}) \\ & \text{V=} \textbf{sqrt} \ (2/3) * \big[ 1/\, \textbf{sqrt} \ (2)\,, 1/\, \textbf{sqrt} \ (2)\,, 1/\, \textbf{sqrt} \ (2)\,; \\ & \textbf{cos} \ (\text{omega*t}\,)\,, \textbf{cos} \ (\text{omega*t}\,-(2*\textbf{pi})/(3))\,, \textbf{cos} \ (\text{omega*t}\,+(2*\textbf{pi})/(3))\,; \\ & -\textbf{sin} \ (\text{omega*t}\,)\,, -\textbf{sin} \ (\text{omega*t}\,-(2*\textbf{pi})/(3))\,, -\textbf{sin} \ (\text{omega*t}\,+(2*\textbf{pi})/(3)) \big] \setminus \text{Vparks}\,; \end{split}
```

### 3. Modelling the PWM

The PWM genarator is used to trigger the IGBTs fiering in order to operate the inverter. The PWM is generated by comparing two signals scaled between -1 and 1, one of the signals is a sine wave obtained from the inverters dq voltages and the other is a triangular signal who's frequency is the same as the inverters switching frequency.



 ${\bf Figure~3.1:~PWM~generator}$ 

## 4. Modelling the inverters control

Finally, the inverters control has also been modeled, however it is still not working as it should and will be fixed on the next session.

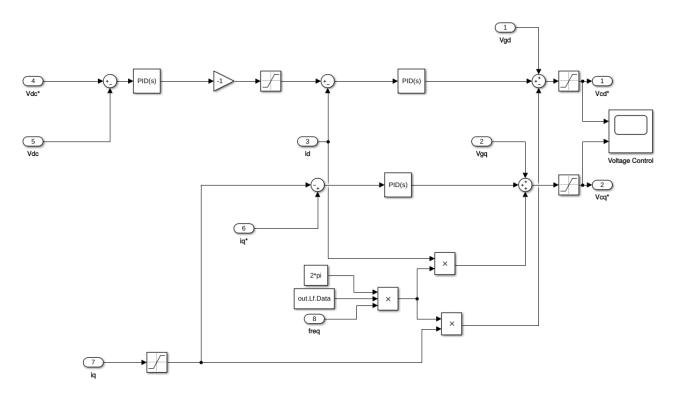


Figure 4.1: Inverter's control model