2021101113-reliability-assignment

February 20, 2024

1 Yulu: Normality Testing

```
import numpy as np
import matplotlib.pyplot as plt
import pandas as pd
import seaborn as sns
import scipy.stats as stats

def season_category(x):
    if x == 1:
        return 'season_1'
    elif x == 2:
        return 'season_2'
    elif x == 3:
        return 'season_3'
    else:
        return 'season_4'
```

Reading the dataset

```
[166]: df = pd.read_csv('BRSM_Assignment_Datasets.csv')
    data = df.copy()
    print(df.head())
    print()
    print("Columns are given by:")
    print(df.columns)
    alpha = 0.05
```

```
holiday
                                       workingday
             datetime season
                                                   weather
                                                            temp
                                                                   atemp
 2011-01-01 00:00:00
                                                            9.84 14.395
1 2011-01-01 01:00:00
                            1
                                    0
                                                0
                                                         1 9.02 13.635
2 2011-01-01 02:00:00
                            1
                                    0
                                                0
                                                         1 9.02 13.635
3 2011-01-01 03:00:00
                            1
                                    0
                                                0
                                                         1 9.84 14.395
                            1
                                    0
4 2011-01-01 04:00:00
                                                0
                                                         1 9.84 14.395
```

```
        humidity
        windspeed
        casual
        registered
        count

        0
        81
        0.0
        3
        13
        16

        1
        80
        0.0
        8
        32
        40
```

```
3
               75
                         0.0
                                   3
                                              10
                                                     13
                         0.0
               75
                                               1
                                                      1
      Columns are given by:
      Index(['datetime', 'season', 'holiday', 'workingday', 'weather', 'temp',
             'atemp', 'humidity', 'windspeed', 'casual', 'registered', 'count'],
            dtype='object')
      Shape of the dataset
[167]: df.shape
[167]: (10886, 12)
      Converting the datatype of datetime column from object to datetime
      df['datetime'] = pd.to_datetime(df['datetime'])
[168]:
[169]: df['season'] = df['season'].apply(season_category)
[170]: df['season'] = df['season'].astype('category')
       df['holiday'] = df['holiday'].astype('category')
       df['workingday'] = df['workingday'].astype('category')
       df['weather'] = df['weather'].astype('category')
       df['temp'] = df['temp'].astype('float32')
       df['atemp'] = df['atemp'].astype('float32')
       df['humidity'] = df['humidity'].astype('float32')
       df['windspeed'] = df['windspeed'].astype('float32')
       df['casual'] = df['casual'].astype('int32')
       df['registered'] = df['registered'].astype('int32')
       df['count'] = df['count'].astype('int32')
[171]: df.info()
      <class 'pandas.core.frame.DataFrame'>
      RangeIndex: 10886 entries, 0 to 10885
      Data columns (total 12 columns):
           Column
                       Non-Null Count
                                       Dtype
           ----
                       _____
                                       ____
                       10886 non-null datetime64[ns]
       0
           datetime
       1
           season
                       10886 non-null
                                       category
                       10886 non-null
       2
           holiday
                                       category
       3
           workingday
                       10886 non-null
                                       category
       4
           weather
                       10886 non-null
                                       category
       5
                       10886 non-null
           temp
                                       float32
                       10886 non-null
                                       float32
       6
           atemp
       7
           humidity
                       10886 non-null float32
```

2

80

0.0

5

27

32

```
9
           casual
                        10886 non-null
                                        int32
       10
           registered 10886 non-null
                                        int32
           count
                        10886 non-null
       11
                                        int32
      dtypes: category(4), datetime64[ns](1), float32(4), int32(3)
      memory usage: 426.0 KB
[172]: df.describe()
[172]:
                                    datetime
                                                       temp
                                                                    atemp
       count
                                       10886
                                              10886.000000
                                                             10886.000000
       mean
              2011-12-27 05:56:22.399411968
                                                 20.230862
                                                                23.655085
                        2011-01-01 00:00:00
      min
                                                   0.820000
                                                                 0.760000
                                                 13.940000
       25%
                        2011-07-02 07:15:00
                                                                16.665001
       50%
                        2012-01-01 20:30:00
                                                 20.500000
                                                                24.240000
       75%
                        2012-07-01 12:45:00
                                                 26.240000
                                                                31.059999
                        2012-12-19 23:00:00
                                                 41.000000
                                                                45.455002
       max
       std
                                         NaN
                                                   7.791590
                                                                 8.474601
                  humidity
                                windspeed
                                                 casual
                                                            registered
                                                                                count
              10886.000000
                             10886.000000
                                           10886.000000
                                                          10886.000000
                                                                        10886.000000
       count
       mean
                 61.886459
                                12.799396
                                              36.021955
                                                            155.552177
                                                                          191.574132
      min
                  0.000000
                                 0.000000
                                               0.000000
                                                              0.000000
                                                                             1.000000
                                                                            42.000000
       25%
                 47.000000
                                 7.001500
                                               4.000000
                                                             36.000000
       50%
                 62.000000
                                12.998000
                                              17.000000
                                                            118.000000
                                                                           145.000000
       75%
                 77.000000
                                16.997900
                                              49.000000
                                                            222.000000
                                                                          284.000000
                100.000000
                                56.996899
                                             367.000000
                                                            886.000000
                                                                          977.000000
       max
                                              49.960477
                                                            151.039033
                                                                          181.144454
       std
                 19.245033
                                 8.164537
[173]: def plot categorical distribution(df, column, subplot index):
           column_distribution = df[column].value_counts().reset_index()
           column_distribution.columns = [column, 'count']
           plt.subplot(subplot index)
           plt.pie(column_distribution['count'], labels=column_distribution[column],__
        →autopct='%1.1f%%', startangle=140)
           plt.title(f'Distribution of {column}')
           plt.axis('equal')
       plt.figure(figsize=(10, 10))
       plt.subplot(2, 2, 1)
       plot_categorical_distribution(df, 'season', 221)
       plt.subplot(2, 2, 2)
       plot_categorical_distribution(df, 'weather', 222)
       plt.subplot(2, 2, 3)
```

8

windspeed

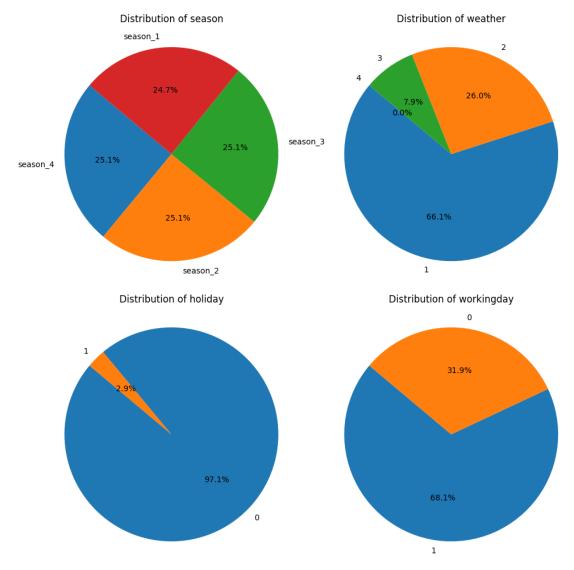
10886 non-null

float32

```
plot_categorical_distribution(df, 'holiday', 223)

plt.subplot(2, 2, 4)
plot_categorical_distribution(df, 'workingday', 224)

plt.tight_layout()
plt.show()
```



```
[174]: def plot_countplot(df, column, subplot_index):
    plt.subplot(subplot_index)
    sns.countplot(data=df, x=column)
    plt.title(f'Countplot of {column}')
```

```
plt.figure(figsize=(12, 10))

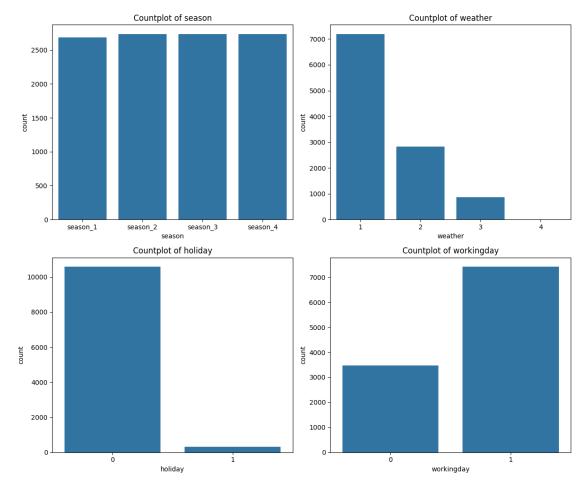
plt.subplot(2, 2, 1)
plot_countplot(df, 'season', 221)

plt.subplot(2, 2, 2)
plot_countplot(df, 'weather', 222)

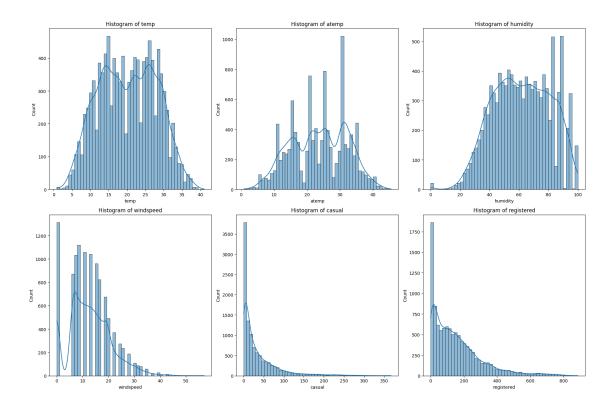
plt.subplot(2, 2, 3)
plot_countplot(df, 'holiday', 223)

plt.subplot(2, 2, 4)
plot_countplot(df, 'workingday', 224)

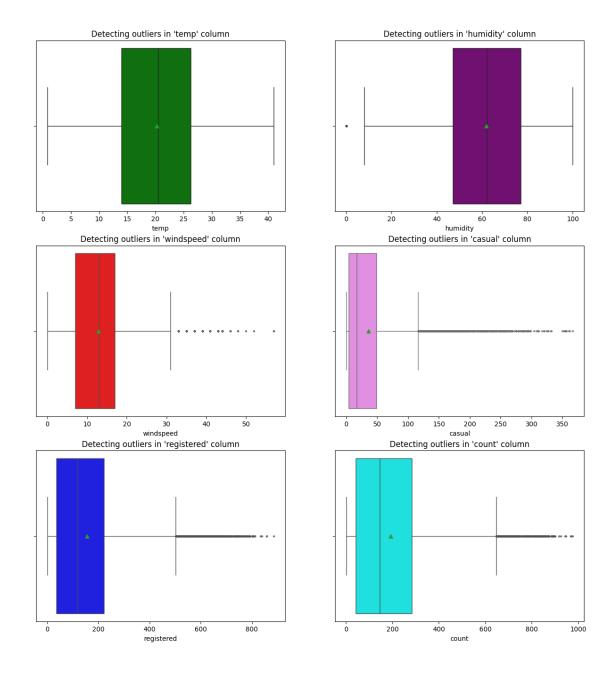
plt.tight_layout()
plt.show()
```



```
[175]: def plot_histplot(df, column, subplot_index):
           plt.subplot(subplot_index)
           sns.histplot(data=df, x=column, kde=True, bins=50)
           plt.title(f'Histogram of {column}')
       plt.figure(figsize=(18, 12))
       plt.subplot(2, 3, 1)
       plot_histplot(df, 'temp', 231)
       plt.subplot(2, 3, 2)
       plot_histplot(df, 'atemp', 232)
       plt.subplot(2, 3, 3)
       plot_histplot(df, 'humidity', 233)
       plt.subplot(2, 3, 4)
       plot_histplot(df, 'windspeed', 234)
       plt.subplot(2, 3, 5)
       plot_histplot(df, 'casual', 235)
       plt.subplot(2, 3, 6)
       plot_histplot(df, 'registered', 236)
       plt.tight_layout()
       plt.show()
```



1.0.1 Detecting Outliers in the dataset



2 Exploratory Analysis

- The lowest average hourly count of rental bikes is observed in January, followed by February and March.
- Out of every 100 users, approximately 19 are casual users, and 81 are registered users.
- Over 85% of the recorded windspeed data has a value of less than 20.
- The mean total hourly count of rental bikes is 144 for the year 2011 and 239 for the year 2012, indicating an annual growth rate of 65.41%.
- The dataset spans from January 1, 2011, to December 19, 2012, totaling 718 days and 23

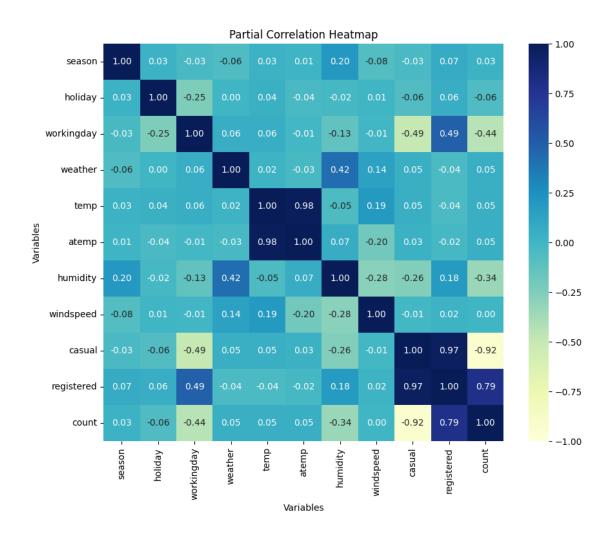
hours.

- More than 80% of the time, the temperature remains below 28 degrees Celsius.
- Similarly, more than 80% of the time, the humidity value exceeds 40, indicating varying levels from optimum to too moist.
- Throughout the day, there is a notable fluctuation in counts, with lower counts during early morning hours, a morning peak, a peak count in the afternoon, and a gradual decline in the evening and nighttime.
- The count of rental bikes exhibits a seasonal pattern, with higher demand during the season_1 and season_2 months, a slight decline in the season_3, and further decrease in season_4.

3 Correlation between the Variables

Partial Correlations between Variables

```
import pingouin as pg
def plot_partial_corr_heatmap(df):
    df_subset = df
    partial_corr = df_subset.pcorr()
    plt.figure(figsize=(10, 8))
    sns.heatmap(data=partial_corr, cmap='YlGnBu', annot=True, fmt=".2f", using the subset of the subset
```



Semi-Partial Correlations between Variables

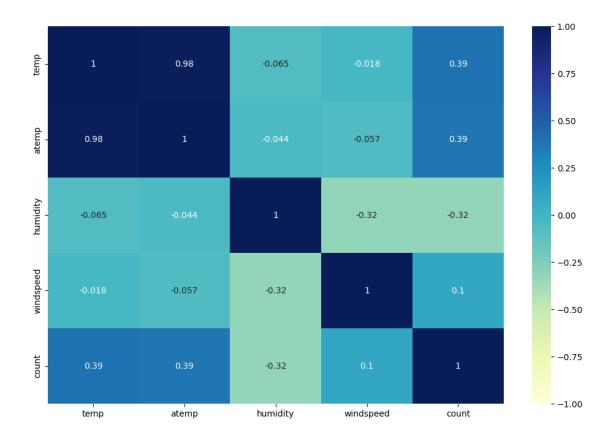
```
return pd.DataFrame(results)
       # Assuming df is your DataFrame
       main_variables = ["count", "registered", "casual"]
       control_variables = ["season", "holiday", "workingday", "weather", "temp", __

¬"atemp", "windspeed", "humidity"]

       semi_partial_corr_matrix = calculate_semi_partial_correlations(data,_
        →main_variables, control_variables)
       print(semi_partial_corr_matrix)
         Main Variable Control Variable
                                          Correlation
      0
                  count
                                  season
                                              0.151205
      1
                                 holiday
                  count
                                             -0.009473
      2
                              workingday
                                             -0.003325
                  count
      3
                                 weather
                  count
                                              0.021735
      4
                  count
                                    temp
                                              0.015508
      5
                  count
                                   atemp
                                              0.051327
      6
                  count
                               windspeed
                                              0.037257
      7
                                humidity
                                             -0.301704
                  count
      8
            registered
                                  season
                                              0.158171
      9
            registered
                                              0.004206
                                 holiday
      10
            registered
                              workingday
                                              0.118971
      11
            registered
                                 weather
                                              0.010966
            registered
      12
                                              0.005006
                                    temp
      13
            registered
                                   atemp
                                              0.044091
                                              0.039632
      14
            registered
                               windspeed
      15
            registered
                                humidity
                                             -0.247559
      16
                                              0.056757
                casual
                                  season
      17
                casual
                                 holiday
                                             -0.054565
      18
                casual
                              workingday
                                             -0.408466
      19
                casual
                                 weather
                                              0.050723
      20
                casual
                                              0.046378
                                    temp
      21
                casual
                                   atemp
                                              0.054086
      22
                               windspeed
                                              0.011614
                casual
      23
                casual
                                humidity
                                             -0.365153
[179]: def plot_correlation_heatmap(df):
           new_df = df[['temp', 'atemp', 'humidity', 'windspeed', 'count']]
           corr_data = new_df.corr()
           plt.figure(figsize=(12, 8))
           sns.heatmap(data=corr_data, cmap='YlGnBu', annot=True, vmin=-1, vmax=1)
```

plt.show()

plot_correlation_heatmap(data)



Partial and Semi-Partial Correlations Based on the provided table of partial and semi-partial correlation results:

Existence of Correlations: - Partial Correlations: There are statistically significant partial correlations between many pairs of variables. For example, "count" has a strong negative partial correlation with humidity, and "casual" has a strong negative partial correlation with workingday. These correlations persist even after controlling for the effects of other variables in the model.

• Semi-Partial Correlations: Similarly, significant semi-partial correlations exist. The semi-partial correlation provides insight into the unique contribution of one variable to the dependent variable while controlling for other variables. For instance, "casual" has a significant negative semi-partial correlation with humidity, indicating that "casual" uniquely predicts the dependent variable while considering other factors.

Implications: - Significant partial correlations suggest independent relationships between variables, such as the negative correlation between count and humidity, indicating fewer rentals with increasing humidity, regardless of other factors. - Significant semi-partial correlations highlight unique relationships with the dependent variable, like fewer casual riders on working days, irrespective of weather conditions.

Usage of Partial Correlations: - Partial correlations elucidate direct relationships between variables by removing the influence of others, beneficial in complex datasets to identify associations unaffected by confounding variables.

Observations: - High correlations involving humidity imply its strong relationship with rental counts and user types. - Differences in vehicle usage patterns on working days compared to holidays persist after accounting for other factors. - Temperature's direct influence on rental behaviors appears less pronounced when considering other factors.

Conclusion: The identified correlations shed light on factors influencing vehicle rental behaviors, with humidity and working days showing robust and unique relationships with rental counts and user types. These insights can guide strategies to enhance rental services based on specific user needs and conditions.

3.0.1 Inferences on Correlations

- No high positive or negative correlations (0.7 0.9) are found between any columns.
- Low positive correlations (0.3 0.5) exist between the columns [count, temp], [count, atemp], and [casual, atemp].
- Moderate positive correlations (0.5 0.7) are observed between the columns [casual, count] and [casual, registered].
- A very high correlation (> 0.9) is observed between the columns [atemp, temp] and [count, registered].
- Negligible correlation is noted between all other combinations of columns

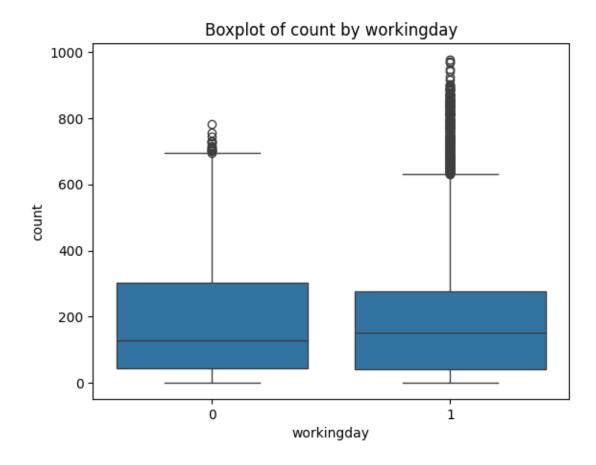
3.1 Does the presence of a working day influence the quantity of electric cycles rented?

Set up Null Hypothesis

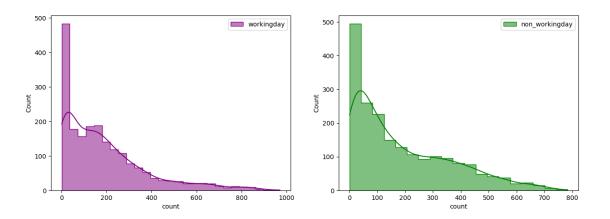
- Null Hypothesis (${
 m H0}$) Working Day does not have any effect on the number of electric cycles rented.
- \bullet Alternate Hypothesis (${\bf H}{\bf A}$) Working Day has some effect on the number of electric cycles rented

```
[180]: def plot_boxplot(df, x_column, y_column):
    sns.boxplot(data=df, x=x_column, y=y_column)
    plt.title(f'Boxplot of {y_column} by {x_column}')
    plt.show()

plot_boxplot(df, 'workingday', 'count')
```

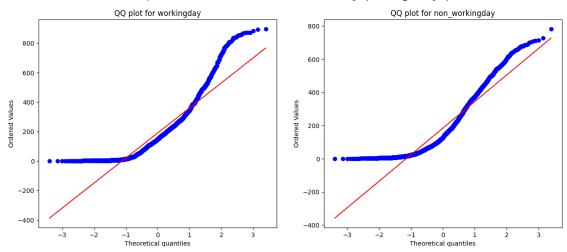


Visual examinations to ascertain whether the samples adhere to a normal distribution



Based on the plot above, it can be deduced that the distributions deviate from the normal distribution $via\ QQ\ Plot$

QQ plots for the count of electric vehicles rented in workingday and non_workingday



In a QQ plot, if data points closely align with the diagonal line, the distribution is likely \boldsymbol{x}

Conducting the Shapiro-Wilk test to assess normality. H_0 : The sample conforms to a normal distribution.

 H_1 : The sample deviates from a normal distribution.

Significance Level (α) = 0.05

Test Statistics: Shapiro-Wilk test for normality

Workingday

p-value: 4.0055231172291755e-38

The sample does not follow a normal distribution

```
Non-Workingday
p-value: 4.384645369207715e-36
The sample does not follow a normal distribution
```

Applying the Box-Cox transformation to the data and assessing whether the transformed data adheres to a normal distribution.

Workingday

p-value: 1.606449722752868e-33

The sample does not follow a normal distribution

Non-Workingday

p-value: 8.140929444965395e-24

The sample does not follow a normal distribution

/var/folders/kk/7w6727t942z6xwr_96jpcwtc0000gn/T/ipykernel_2675/1579685415.py:3: UserWarning: scipy.stats.shapiro: For N > 5000, computed p-value may not be accurate. Current N is 7412.

test_stat, p_value = stats.shapiro(transformed_data)

Workingday: The sample does not follow a normal distribution (p < 0.05)

Non-Workingday: Similarly, the sample does not follow a normal distribution (p < 0.05)

Both samples fail the test for normality.

Despite applying the Box-Cox transformation to both the "workingday" and "non_workingday" datasets, neither conforms to a normal distribution.

As the samples do not exhibit a normal distribution, the application of the T-Test is inapprop

Ho: Mean number of electric cycles rented is the same for working and non-working days

Ha: Mean number of electric cycles rented is not the same for working and non-working days

Assuming a significance level of 0.05

Test statistics: Mann-Whitney U rank test for two independent samples

P-value: 0.9679139953914079

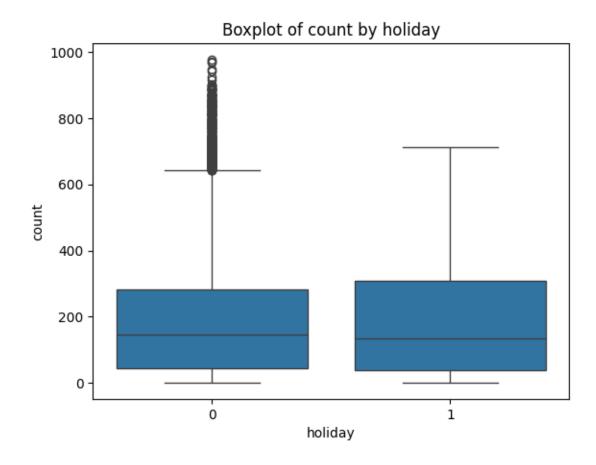
Mean number of electric cycles rented is the same for working and non-working days

Hence, there is no statistically significant difference in the mean hourly count of total rental bikes between working and non-working days.

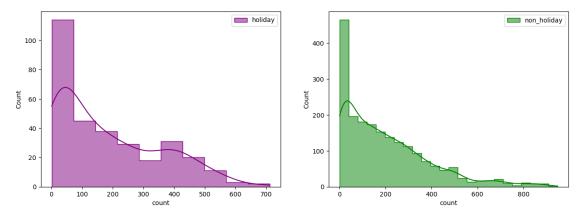
- 3.2 Does the presence of holidays affect the number of electric cycles rented? Set up Null Hypothesis
 - Null Hypothesis (H0) Holidays have no effect on the number of electric vehicles rented
 - Alternate Hypothesis (HA) Holidays has some effect on the number of electric vehicles rented

```
[186]: def plot_boxplot(df, x_column, y_column):
    sns.boxplot(data=df, x=x_column, y=y_column)
    plt.title(f'Boxplot of {y_column} by {x_column}')
    plt.show()

plot_boxplot(df, 'holiday', 'count')
```

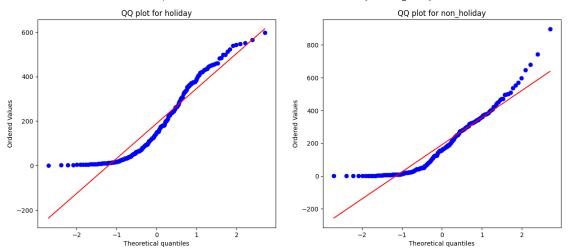


Visual examinations to ascertain whether the samples adhere to a normal distribution



Based on the plot above, it can be deduced that the distributions deviate from the normal distribution $via\ QQ\ Plot$

QQ plots for the count of electric vehicles rented in holiday and non_holiday



In a QQ plot, if data points closely align with the diagonal line, the distribution is likely

Conducting the Shapiro-Wilk test to assess normality. H_0 : The sample conforms to a normal distribution.

 H_1 : The sample deviates from a normal distribution.

Significance Level (α) = 0.05

Test Statistics: Shapiro-Wilk test for normality

```
Holiday
```

p-value: 6.050815038488292e-11

The sample does not follow normal distribution

Non-Holiday

```
p-value: 1.152826952999538e-12
The sample does not follow normal distribution
```

Applying the Box-Cox transformation to the data and assessing whether the transformed data adheres to a normal distribution.

```
[190]: def boxcox_shapiro_test_holiday(df, column, holiday_value, alpha=0.05):
           transformed_data = stats.boxcox(df.loc[df['holiday'] == holiday_value,__

column])[0]

           test_stat, p_value = stats.shapiro(transformed_data)
           print('p-value:', p_value)
           if p_value < alpha:</pre>
               print('The sample does not follow normal distribution')
           else:
               print('The sample follows normal distribution')
       print('Holiday')
       boxcox_shapiro_test_holiday(df, 'count', 1)
       print()
       print('Non-Holiday')
       boxcox_shapiro_test_holiday(df, 'count', 0)
      Holiday
      p-value: 2.134933458313291e-07
      The sample does not follow normal distribution
      Non-Holiday
      p-value: 1.411562913878583e-36
      The sample does not follow normal distribution
      /var/folders/kk/7w6727t942z6xwr 96jpcwtc0000gn/T/ipykernel 2675/764229625.py:3:
      UserWarning: scipy.stats.shapiro: For N > 5000, computed p-value may not be
      accurate. Current N is 10575.
        test_stat, p_value = stats.shapiro(transformed_data)
      Holiday: The sample does not follow a normal distribution (p < 0.05)
```

Non-Holiday: Similarly, the sample does not follow a normal distribution (p < 0.05)

Both samples fail the test for normality.

Despite employing the Box-Cox transformation on both the "holiday" and "non-holiday" datasets, the samples do not conform to a normal distribution.***

As the samples do not exhibit a normal distribution, the application of the T-Test is not appropriately

Ho: Number of electric cycles rented is similar for holidays and non-holidays

Ha: Number of electric cycles rented is not similar for holidays and non-holidays days

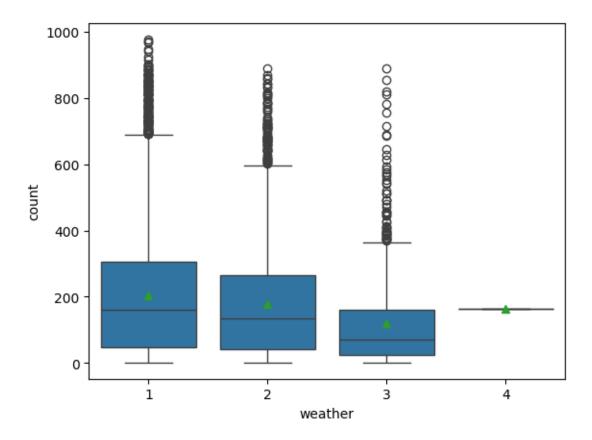
Assuming significance level to be 0.05

Test statistics: Mann-Whitney U rank test for two independent samples

P-value: 0.4832708697957452 Number of electric cycles rented is similar for holidays and non-holidays

Thus, the quantity of electric cycles rented shows statistical similarity between holidays and non-holidays.

3.3 Does the number of rented cycles remain consistent or vary across different weather conditions?

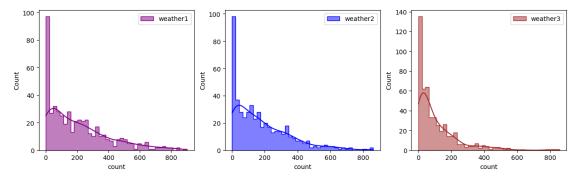


```
len(df_weather1) = 7192
len(df_weather2) = 2834
len(df_weather3) = 859
len(df_weather4) = 1
```

Set up Null Hypothesis

- Null Hypothesis (H0) Mean of cycle rented per hour is same for weather 1, 2 and 3. (We wont be considering weather 4 as there in only 1 data point for weather 4 and we cannot perform a ANOVA test with a single data point for a group)
- Alternate Hypothesis (HA) -Mean of cycle rented per hour is not same for season 1,2,3 and 4 are different.

Visual examinations to ascertain whether the samples adhere to a normal distribution



```
[194]: def plot_qq_weather(df_weather1, df_weather2, df_weather3, sample_size=500):
    plt.figure(figsize=(18, 6))
    plt.suptitle('QQ plots for the count of electric vehicles rented in_u
    different weathers')

plt.subplot(1, 3, 1)
    stats.probplot(df_weather1.loc[:, 'count'].sample(sample_size), plot=plt,_u
    dist='norm')
    plt.title('QQ plot for weather_1')

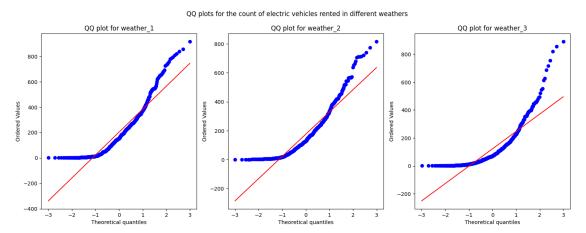
plt.subplot(1, 3, 2)
    stats.probplot(df_weather2.loc[:, 'count'].sample(sample_size), plot=plt,_u
    dist='norm')
    plt.title('QQ plot for weather_2')

plt.subplot(1, 3, 3)
```

```
stats.probplot(df_weather3.loc[:, 'count'].sample(sample_size), plot=plt,_
dist='norm')
plt.title('QQ plot for weather_3')

plt.show()

plot_qq_weather(df_weather1, df_weather2, df_weather3)
```



In a QQ plot, if data points closely align with the diagonal line, the distribution is likely

Conducting the Shapiro-Wilk test to assess normality. H_0 : The sample conforms to a normal distribution.

 H_1 : The sample deviates from a normal distribution.

Significance Level (α) = 0.05

Test Statistics: Shapiro-Wilk test for normality

```
def shapiro_test_weather(df_weather, sample_size=500):
    for i, df in enumerate(df_weather, start=1):
        test_stat, p_value = stats.shapiro(df.loc[:, 'count'].
        sample(sample_size))
        print(f'Weather {i}:')
        print('P-value:', p_value)
        if p_value < 0.05:
            print('The sample does not follow normal distribution')
        else:
            print('The sample follows normal distribution')
        print()
        shapiro_test_weather([df_weather1, df_weather2, df_weather3])</pre>
```

Weather 1:

```
P-value: 1.5509246085862853e-20
The sample does not follow normal distribution
Weather 2:
P-value: 1.3652772463303648e-18
The sample does not follow normal distribution
Weather 3:
P-value: 3.804245753589141e-25
The sample does not follow normal distribution
```

Applying the Box-Cox transformation to the data and assessing whether the transformed data adheres to a normal distribution

```
[196]: def boxcox shapiro test weather(df weather, sample size=500):
           for i, df in enumerate(df_weather, start=1):
               df_size = len(df.loc[:, 'count'])
               if sample_size > df_size:
                   sample_size = df_size
                   print(f"Sample size reduced to {sample_size} due to population size⊔
        ⇔limitation.")
               transformed_data = stats.boxcox(df.loc[:, 'count'].sample(sample_size,_u
        →replace=True))[0]
               test_stat, p_value = stats.shapiro(transformed_data)
               print(f'Weather {i}:')
               print('P-value:', p_value)
               if p_value < 0.05:</pre>
                   print('The sample does not follow normal distribution')
                   print('The sample follows normal distribution')
               print()
       boxcox_shapiro_test_weather([df_weather1, df_weather2, df_weather3])
```

```
Weather 1:
P-value: 9.381083932302074e-06
The sample does not follow normal distribution
Weather 2:
P-value: 1.714582473813351e-08
The sample does not follow normal distribution
Weather 3:
P-value: 0.004534852335751225
The sample does not follow normal distribution
```

Weather 1: The sample does not follow a normal distribution (p < 0.05)

Weather 2: Similarly, the sample does not follow a normal distribution (p < 0.05)

Weather 3: Likewise, the sample does not follow a normal distribution (p < 0.05)

All weather samples fail the test for normality.

Due to the samples' lack of normal distribution and unequal variance, the f_oneway test cannot

Ho: Mean no. of cycles rented is same for different weather

Ha: Mean no. of cycles rented is different for different weather

Assuming significance Level to be 0.05

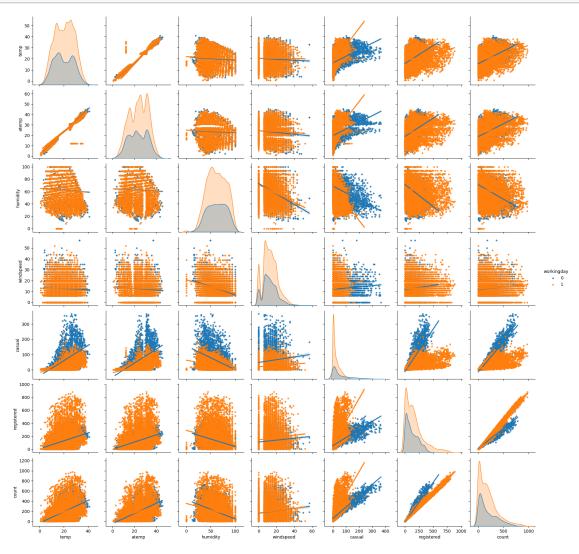
```
Test Statistic = [1.36471292e+01 1.83091584e+00 5.37649760e+00 1.56915686e+01 1.08840000e+04 3.70017441e+01 4.14298489e+01 1.83168690e+03 2.80380482e+01 2.84639685e+02 1.73745440e+02 2.04955668e+02] p value = [1.08783632e-03 4.00333264e-01 6.79999165e-02 3.91398508e-04 0.00000000e+00 9.22939752e-09 1.00837627e-09 0.00000000e+00 8.15859150e-07 1.55338046e-62 1.86920588e-38 3.12206618e-45] Reject Null Hypothesis
```

Hence, there is a statistically significant difference in the average number of rental bikes across varying weather conditions.

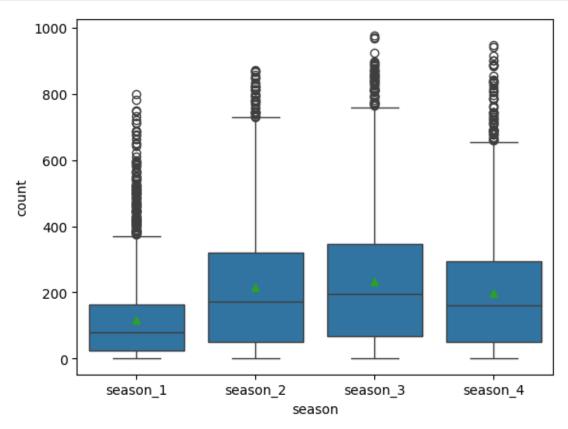
3.4 Does the number of rented cycles vary across different seasons?

Set up Null Hypothesis

- Null Hypothesis (H0) Mean of cycle rented per hour is same for season 1,2,3 and 4.
- Alternate Hypothesis (HA) -Mean of cycle rented per hour is different for season 1,2,3 and 4



```
df_season_3 = df.loc[df['season'] == 'season_3', 'count']
print("len(df_season_3) = ", len(df_season_3))
df_season_4 = df.loc[df['season'] == 'season_4', 'count']
print("len(df_season_4) = ", len(df_season_4))
```



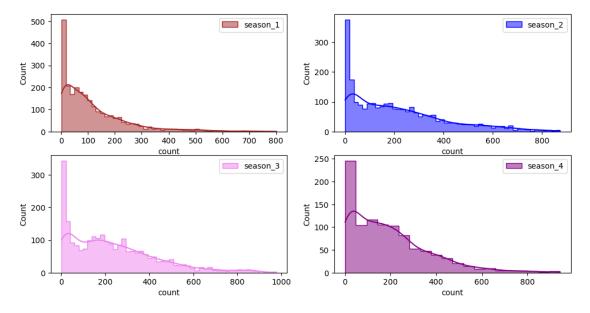
```
len(df_season_1) = 2686
len(df_season_2) = 2733
len(df_season_3) = 2733
len(df_season_4) = 2734
```

Visual examinations to ascertain whether the samples adhere to a normal distribution

```
def plot_season_histograms(df_season_1, df_season_2, df_season_3, df_season_4):
    plt.figure(figsize=(12, 6))
    plt.subplot(2, 2, 1)
    sns.histplot(df_season_1.sample(2500), bins=50, element='step', u
    color='brown', kde=True, label='season_1')
    plt.legend()
    plt.subplot(2, 2, 2)
    sns.histplot(df_season_2.sample(2500), bins=50, element='step', u
    color='blue', kde=True, label='season_2')
    plt.legend()
```

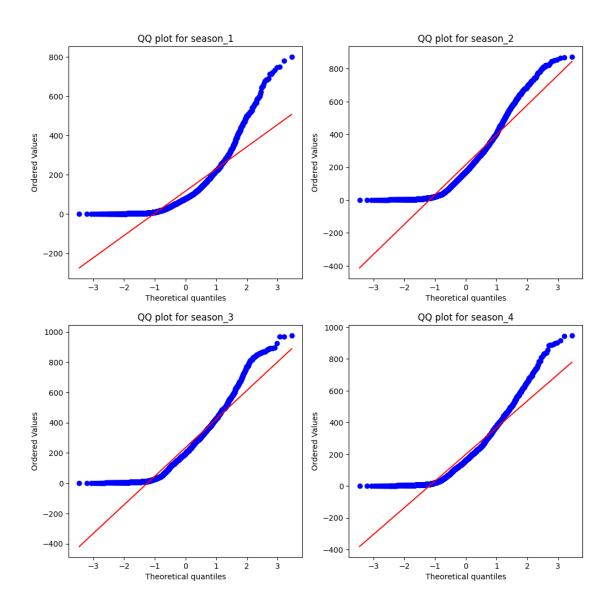
```
plt.subplot(2, 2, 3)
    sns.histplot(df_season_3.sample(2500), bins=50, element='step',
color='violet', kde=True, label='season_3')
    plt.legend()
    plt.subplot(2, 2, 4)
    sns.histplot(df_season_4.sample(1000), bins=20, element='step',
color='purple', kde=True, label='season_4')
    plt.legend()
    plt.show()

plot_season_histograms(df_season_1, df_season_2, df_season_3, df_season_4)
```



Based on the plot above, it can be deduced that the distributions deviate from the normal distribution $via\ QQ\ Plot$

```
plt.subplot(2, 2, 2)
stats.probplot(df_season_2.sample(sample_size), plot=plt, dist='norm')
plt.title('QQ plot for season_2')
sample_size = min(2500, len(df_season_3))
plt.subplot(2, 2, 3)
stats.probplot(df_season_3.sample(sample_size), plot=plt, dist='norm')
plt.title('QQ plot for season_3')
sample_size = min(2500, len(df_season_4))
plt.subplot(2, 2, 4)
stats.probplot(df_season_4.sample(sample_size), plot=plt, dist='norm')
plt.title('QQ plot for season_4')
plt.show()
plot_qq_plots_seasons(df_season_1, df_season_2, df_season_3, df_season_4)
```



In a QQ plot, if data points closely align with the diagonal line, the distribution is likely ### Conducting the Shapiro-Wilk test to assess normality.

 ${\cal H}_0 :$ The sample conforms to a normal distribution. ${\cal H}_1 :$ The sample deviates from a normal distribution.

Significance Level (α) = 0.05

Test Statistics: Shapiro-Wilk test for normality

```
[202]: def shapiro_test_seasons(df_season_1, df_season_2, df_season_3, df_season_4):
           test_stat, p_value = stats.shapiro(df_season_1.sample(2500))
           print('Season_1:')
           print('p-value:', p_value)
           if p_value < 0.05:</pre>
               print('The sample does not follow normal distribution')
           else:
               print('The sample follows normal distribution')
           test_stat, p_value = stats.shapiro(df_season_2.sample(2500))
           print('\nSeason 2:')
           print('p-value:', p_value)
           if p_value < 0.05:</pre>
               print('The sample does not follow normal distribution')
           else:
               print('The sample follows normal distribution')
           test_stat, p_value = stats.shapiro(df_season_3.sample(2500))
           print('\nSeason_3:')
           print('p-value:', p_value)
           if p_value < 0.05:</pre>
               print('The sample does not follow normal distribution')
           else:
               print('The sample follows normal distribution')
           test_stat, p_value = stats.shapiro(df_season_4.sample(2500))
           print('\nSeason 4:')
           print('p-value:', p_value)
           if p_value < 0.05:
               print('The sample does not follow normal distribution')
           else:
               print('The sample follows normal distribution')
       shapiro_test_seasons(df_season_1, df_season_2, df_season_3, df_season_4)
      Season_1:
      p-value: 1.923503189124498e-47
      The sample does not follow normal distribution
      Season_2:
      p-value: 2.4169744974060843e-37
      The sample does not follow normal distribution
      Season_3:
      p-value: 3.8882858972509213e-35
      The sample does not follow normal distribution
```

```
Season_4:
p-value: 4.5566465258258154e-38
The sample does not follow normal distribution
```

Applying the Box-Cox transformation to the data and assessing whether the transformed data adheres to a normal distribution

```
[203]: def boxcox_shapiro_test_seasons(df_season_1, df_season_2, df_season_3,_
        ⇔df_season_4):
          transformed_df_season_1 = stats.boxcox(df_season_1.sample(2500))[0]
          test_stat, p_value = stats.shapiro(transformed_df_season_1)
          print('Season_1:')
          print('p-value:', p_value)
          if p_value < 0.05:</pre>
               print('The sample does not follow normal distribution')
               print('The sample follows normal distribution')
          transformed_df_season_2 = stats.boxcox(df_season_2.sample(2500))[0]
          test_stat, p_value = stats.shapiro(transformed_df_season_2)
          print('\nSeason_2:')
          print('p-value:', p_value)
           if p_value < 0.05:</pre>
               print('The sample does not follow normal distribution')
               print('The sample follows normal distribution')
          transformed_df_season_3 = stats.boxcox(df_season_3.sample(2500))[0]
          test_stat, p_value = stats.shapiro(transformed_df_season_3)
          print('\nSeason_3:')
          print('p-value:', p_value)
          if p_value < 0.05:
               print('The sample does not follow normal distribution')
          else:
               print('The sample follows normal distribution')
          transformed_df_season_4 = stats.boxcox(df_season_4.sample(2500))[0]
          test_stat, p_value = stats.shapiro(transformed_df_season_4)
          print('\nSeason_4:')
          print('p-value:', p_value)
           if p_value < 0.05:
               print('The sample does not follow normal distribution')
          else:
               print('The sample follows normal distribution')
      boxcox_shapiro_test_seasons(df_season_1, df_season_2, df_season_3, df_season_4)
```

```
Season_1:
p-value: 4.4682075596800425e-17
The sample does not follow normal distribution
Season 2:
p-value: 2.2174905263258163e-21
The sample does not follow normal distribution
Season 3:
p-value: 2.86797692479316e-21
The sample does not follow normal distribution
Season_4:
p-value: 8.093192125614107e-20
The sample does not follow normal distribution
Season 1: The sample does not follow a normal distribution (p < 0.05)
Season 2: Similarly, the sample does not follow a normal distribution (p < 0.05)
Season 3: Likewise, the sample does not follow a normal distribution (p < 0.05)
Season 4: Similarly, the sample does not follow a normal distribution (p < 0.05)
All samples fail the test for normality.
```

Due to the lack of normal distribution and unequal variance among the samples, the f_oneway te

Ho: Mean no. of cycles rented is same for different seasons

Ha: Mean no. of cycles rented is different for different seasons

Assuming significance Level to be 0.05

```
[204]: def kruskal_test(df1, df2, df3, df4):
    alpha = 0.05
    test_stat, p_value = stats.kruskal(df1, df2, df3, df4)
    print('Test Statistic =', test_stat)
    print('p value =', p_value)

    if p_value < alpha:
        print('Reject Null Hypothesis')
    else:
        print('Failed to reject Null Hypothesis')

kruskal_test(df_season_1, df_season_2, df_season_3, df_season_4)</pre>
```

Test Statistic = 699.6668548181988 p value = 2.479008372608633e-151 Reject Null Hypothesis Hence, there is a statistically significant difference in the average number of rental bikes across different seasons.

3.4.1 Inferences from Analysis

- The average hourly count of rental bikes shows no significant difference between working and non-working days.
- There is no statistically significant relationship between weather types 1, 2, and 3 and seasons concerning the average hourly total number of bikes rented.
- The hourly total number of rental bikes significantly varies across different seasons.
- The hourly total number of rental bikes varies significantly across different weather conditions.