

# Assignment-2

2021101113

Science - II

Q1

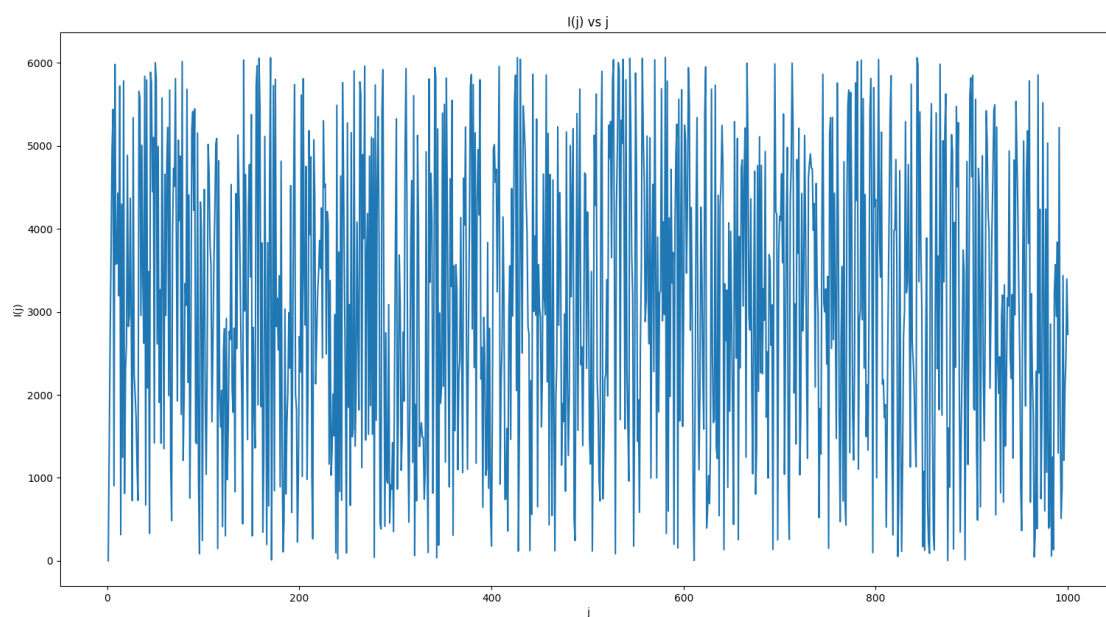
Gowlapalli Rohit

All these commands are tested on Ubuntu Version 20.04.3 LTS (Focal Fossa)

Q1

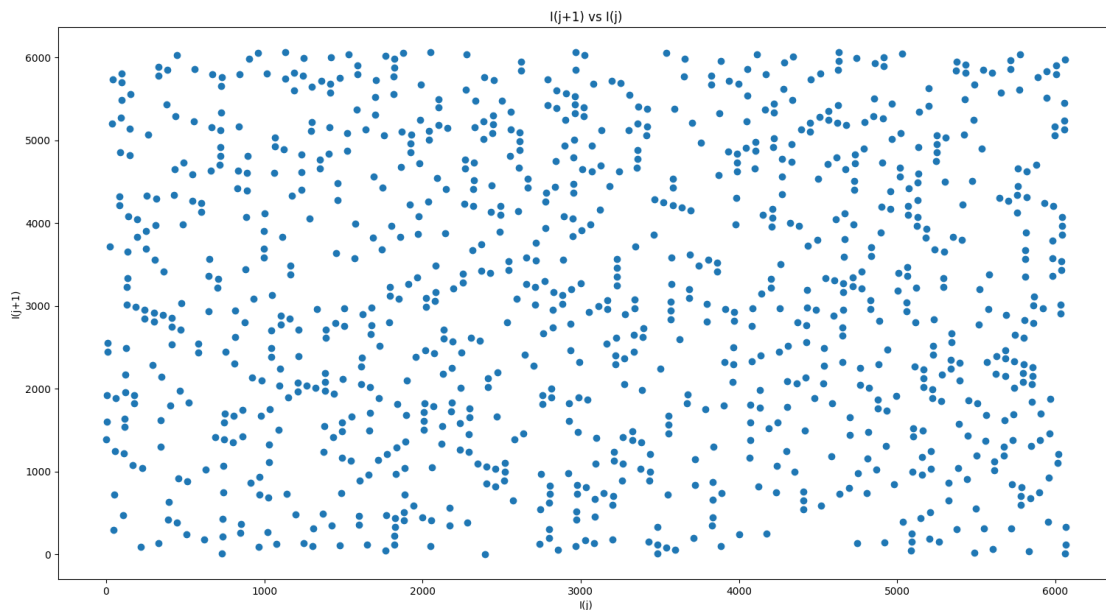
- |— Q1a.py
- |— Q1b.py
- |— Q1c.py
- |— Q1.pdf

- Q1-part-a



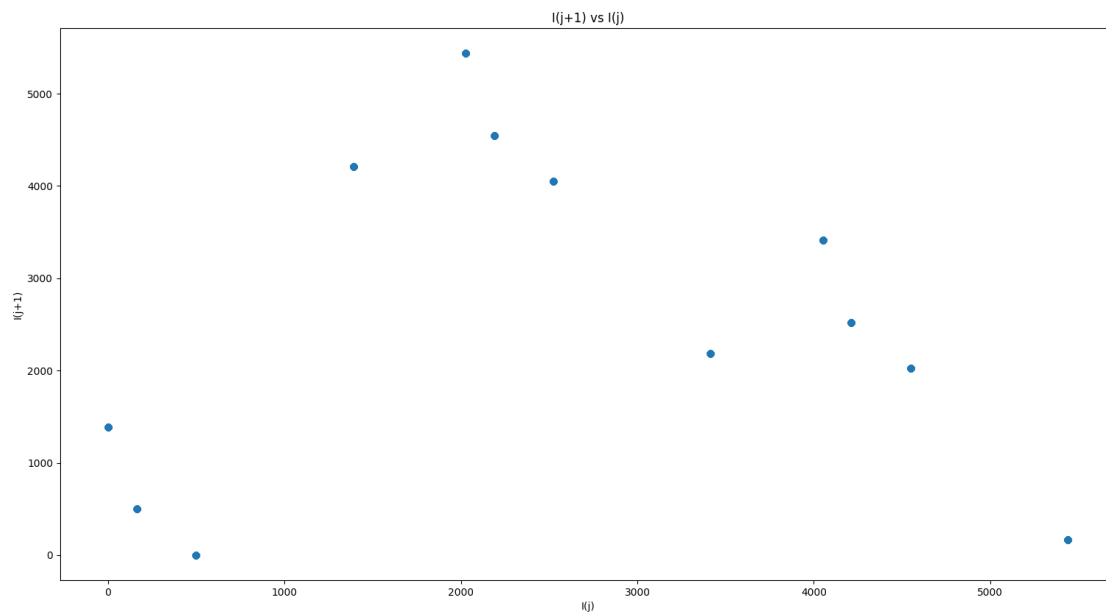
- Q1-part-b

Now if  $I$  is truly random then there should be no correlation between successive values of  $I$ . Thus, a good way of testing our random number generator is to plot  $I_j$  versus  $I_{j+1}$  (where  $I_j$  corresponds to the  $j$ th number in the pseudo-random sequence) for many different values of  $j$ . For a good random number generator, the plotted points should densely fill the unit square. Moreover, there should be no discernible pattern in the distribution of points.



Above Figure shows a correlation plot for the first 1000  $I_j - I_{j+1}$  pairs generated using a linear congruential pseudo-random number generator characterized by  $A=106$ ,  $C=1283$ , and  $M=6075$ . It can be seen that this is a far better choice of values for  $A$ ,  $C$ , and  $M$ , since the pseudo-random sequence is of maximal length, yielding  $I_j$  values which are fairly evenly distributed in the range 0 to 1. However, if we look carefully at above Figure, we can see that there is a slight tendency for the dots to line up in the horizontal and vertical directions. This indicates that the  $I_j$  are not quite randomly distributed: i.e., there is some correlation between successive  $I_j$  values. The problem is that  $M$  is too low: i.e., there is not a sufficiently wide selection of different  $I_j$  values in the interval 0 to 1.

The simple linear congruential method on the other hand exhibits a regular lattice structure where all points lie on parallel hyperplanes.



Above Figure shows a correlation plot for the first 1000  $I_j - I_{j+1}$  pairs generated using a linear congruential psuedo-random number generator characterized by  $A=107$ ,  $C=1283$ , and  $M=6075$ . It can be seen that this is a poor choice of values for  $A$ ,  $C$ , and  $M$ , since the pseudo-random sequence repeats after a few iterations, yielding  $I_j$  values which do not densely fill the interval 0 to 1.

- Q1-part-c

