

## ★ Merge Sort

Merge Sort is a divide - conquer sorting algorithm that splits the array into smaller subarrays, sorts them, and then merges back together in sorted order.

Time complexity :  $O(n \log n)$  in all cases making it an efficient

## ★ How merge sort works

i. Divide :- split the array into two halves



- 2- conquer - Recursively sort both halves
- 3- Merge - merge the sorted halves back together.

### merge function

```

let combined = [];
let i = j = 0;
while (arr1.length < arr1.length &&
      j < arr2.length)
{
    combined.push(arr1[i]);
    i++;
}
while (j < arr2.length)
{
    combined.push(arr2[j]);
    j++;
}
return combined;

```

### function of merge sort(arr)

```

if (arr.length === 1) return arr;
let mid = Math.floor(arr.length / 2);
let left = arr.slice(0, mid);
let right = arr.slice(mid);
return merge(mergeSort(left), mergeSort(right));
}

```

### ★ Big O

- Time complexity  $O(n \log n)$
- Best case:  $O(n \log n)$
- Worst case:  $O(n \log n)$
- Average case:  $O(n \log n)$

### ★ Quick Sort - A Fast Divide-and-Conquer Sorting Algorithm.

- Quick sort is divide and conquer algorithm that picks a pivot, partitions the array into halves and recursively sort them.
- It is known for its efficiency in practical use.

### ★ Swap function

```

function swap(arr, firstInd, secondInd) {
    let temp = arr[firstInd];
    arr[firstInd] = arr[secondInd];
    arr[secondInd] = temp;
}

```



## ★ Pivot function

```
function Pivot(arr, pivotInd = 0, endInd = arr.length - 1) {
    let swapInd = pivotInd;
    let pivotVal = arr[pivotInd];
    for (i = pivotInd + 1; i <= endInd; i++) {
        if (arr[i] < pivotVal) {
            swapInd++;
            swap(arr, swapInd, i);
        }
    }
    swap(arr, pivotInd, swapInd);
    return swapInd;
}
```

## ★ Quick Sort function

```
function quickSort(arr, left = 0, right = arr.length - 1) {
    if (left < right) {
        let pivotInd = Pivot(arr, left, right);
        quickSort(arr, left, pivotInd - 1);
        quickSort(arr, pivotInd + 1, right);
    }
    return arr;
}
```

## ★ Big O

→ Time complexity :-

- Base case -  $O(n \log n)$
- Avg case -  $O(n \log n)$
- Worst -  $O(n^2)$

→ Space complexity -  $O(\log n)$

## ★ Tree Traversal order

→ It is the process of visiting all the nodes of a tree data structure in a systematic way.

→ There are three main types of tree traversal:-

### 1- Depth-First Traversal (DFT)

In DFT

#### a- Inorder Traversal (Left → Root → Right)

- First, visit the left subtree.
- Then, visit the root node.
- Finally, visit the right subtree.

→ used (Binary Search Tree) BST to retrieve sorted values.

#### b- Preorder Traversal (Root → Left → Right)

- First, visit the root node.
- Then, visit the left subtree.
- Finally, visit the right subtree.

used for copying trees & prefix



## 1- Postorder Traversal (Left $\rightarrow$ Right $\rightarrow$ Root)

- First, visit the left subtree.
- Then, visit the right subtree.
- Finally, visit the root node.
- used for deleting nodes and postfix expression

## 2- Breadth-First Traversal (BFT) / Level Order Traversal

- visit all nodes at each level moving to the next level.
- uses a queue (FIFO) nodes.

```

BFS() {
    currentNode = this.root;
    let queue = [];
    let res = [];
    while (queue.length) {
        currentNode = queue.shift();
        res.push(currentNode.value);
        if (currentNode.left) queue.push(currentNode.left);
        if (currentNode.right) queue.push(currentNode.right);
    }
    return res;
}
    
```

## ★ DFS - Preorder (RLR)

```

DFSPreorder() {
    let res = [];
    function traverse(currentNode) {
        res.push(currentNode.value);
        if (currentNode.left) traverse(currentNode.left);
        if (currentNode.right) traverse(currentNode.right);
    }
    traverse(this.root);
    return res;
}
    
```

## ★ DFS - Post Order (LRR)

```

DFSPostOrder() {
    let res = [];
    function traverse(currentNode) {
        if (currentNode.left) traverse(currentNode.left);
        if (currentNode.right) traverse(currentNode.right);
        res.push(currentNode.value);
    }
    traverse(this.root);
    return res;
}
    
```

## ★ In DFS - InOrder (LRR)





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```
dfs InOrder() {  
    let res = [];  
    function traverse (currNode) {  
        if (currNode.left) traverse(currNode.left);  
if (currNode.right) traverse(currNode.right);  
        res.push(currNode.value);  
        if (currNode.right) traverse(currNode.right);  
    }  
    return traverse(this.root);  
    return res;  
}
```