

Task A.

1. Prior-probabilities:

':(' :)'
0.001 0.999

---liklihood-probabilities:

'+|:(' +|:)' ' -|:(' -|:)'
0.99 0.05 0.01 0.95

2. posterior probebilities via Bayes rule:

$$\underbrace{p(\theta|D)}_{\text{posterior}} = \underbrace{p(D|\theta)}_{\text{likelihood}} \underbrace{p(\theta)}_{\text{prior}} / \underbrace{p(D)}_{\text{evidence}}$$

$$p(D) = \sum_{\theta^*} p(D|\theta^*)p(\theta^*)$$

$$p(\theta = \neg | T = +) = \frac{p(T = + | \theta = \neg) p(\theta = \neg)}{\sum_{\theta} p(T = + | \theta) p(\theta)}$$

results:

p(' +')	p(' -')	p(' :') +')	p(' :') -')	p(' :') +')	p(' :') -')
0.05094	0.94906	0.9805	0.9999	0.01943	1.0537e-05

3. take posterior probebilities as prior and run again:

results: 0: test is negative, 1:test is positive

T =

0 1 0 0 0

healthy =

0.0000 0.2818 0.0000 0.0000 0.0000

desease =

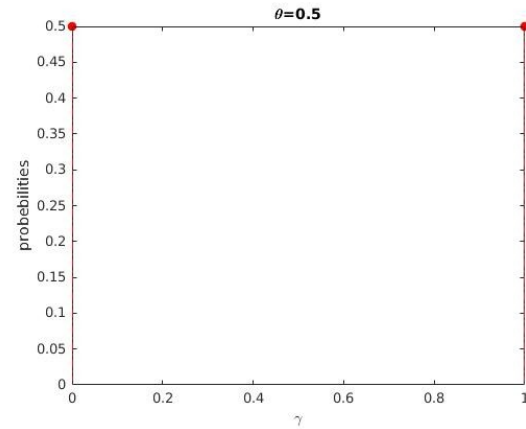
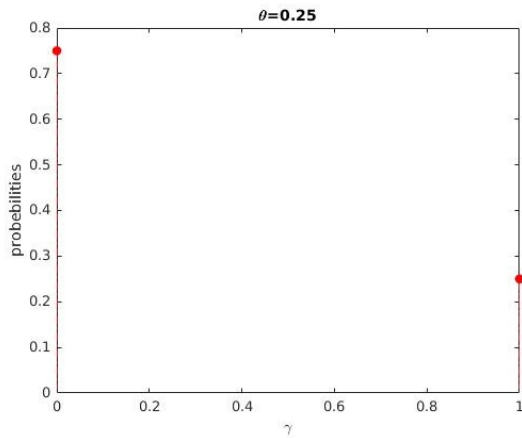
1.0000 0.1495 1.0000 1.0000 1.0000

Task B.

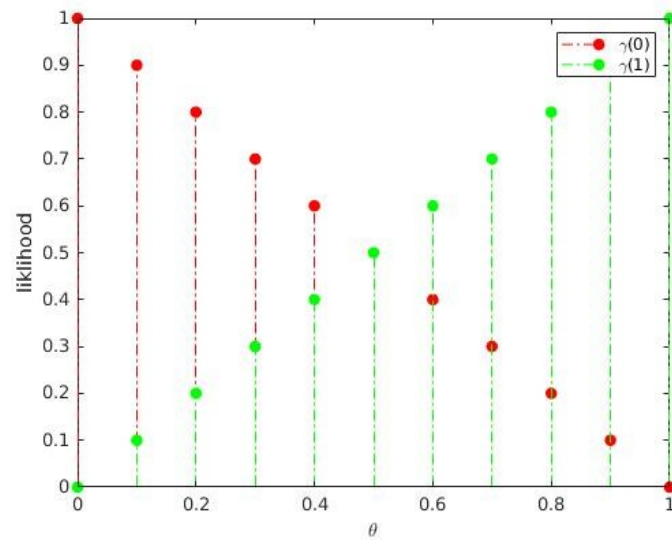
Bernoulli_Distribution:

$$p(y|\theta) = \theta^y (1 - \theta)^{(1-y)} \quad (6.1)$$

results: $\Theta=0.5$, $\Theta=0.25$ $\gamma=0$, $\gamma=1$



likelihood function for set of input $0 < \theta < 1$



likelihood function for $\Theta=0.5$ for N [10, 1000, 10000] : number of coin flip

gama =

0 1

N =

10 1000 10000

10

likelihood: 9.765625e-04 N

log-ikelihhood:-6.931472e+00

1000

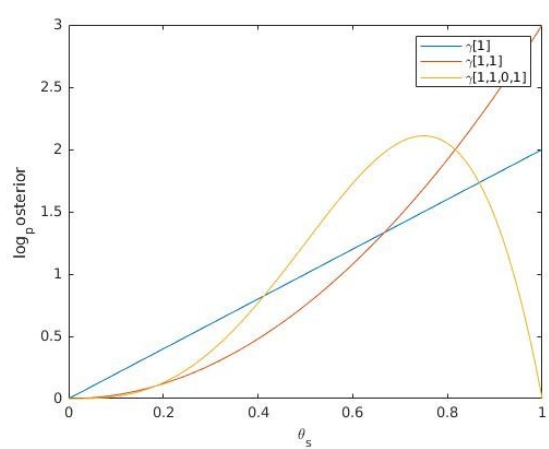
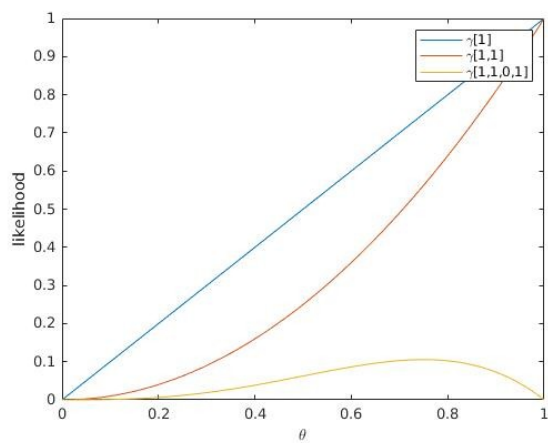
9.332636e-302

-6.931472e+02

10000

0

plot likelihood,log likelihood function for $0<\Theta<1$ for γ [1], [1,1] [1,1,0,1]



plot posterior distribution.

