

# Area-level excess mortality in times of COVID-19 in Switzerland

geographical, socioeconomic and political determinants

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# Background

- ▶ Excess all-cause mortality is central to assessing the impact of the COVID-19 pandemic
- ▶ Spatial granularity: country, region, canton, **municipality?** (Staub et al. 2022, Konstantinoudis et al. 2022, Riou et al. 2023)
- ▶ Association with **local characteristics** (Bertoli et al. 2020, Brandily et al. 2021)

# Study aims

1. Estimate excess all-cause mortality at the municipality level
2. Explore correlations with local characteristics:
  - ▶ urbanisation
  - ▶ language region
  - ▶ vicinity of international borders
  - ▶ socioeconomic position
  - ▶ voting behavior for COVID-19 referendums

- ▶ All-cause deaths by week, municipality, age, sex for 2011-2020 from BFS (through Swiss National Cohort)
- ▶ Temperature from ERA5

## Step 1: excess by municipality

The usual approach:

- ▶ fit a regression model on 2011-2019
- ▶ predict expected deaths for 2020 by week, municipality, age, sex
- ▶  $\text{excess} = \text{observed} - \text{expected}$
- ▶ **problem:** difficult to work with so many strata (2,141 municipalities, 4 age groups, 2 sex groups  $\rightarrow$  17,128 strata)

## Step 1: excess by municipality

The chosen solution was to use **downscaling**:

- ▶ estimate expected at a higher level (canton) for the full year 2020
- ▶ **distribute** the expected deaths from the cantonal to the municipality level according to the observed distribution of deaths
- ▶ random draws from a **multinomial distribution** repeated 100 times
- ▶ take the median

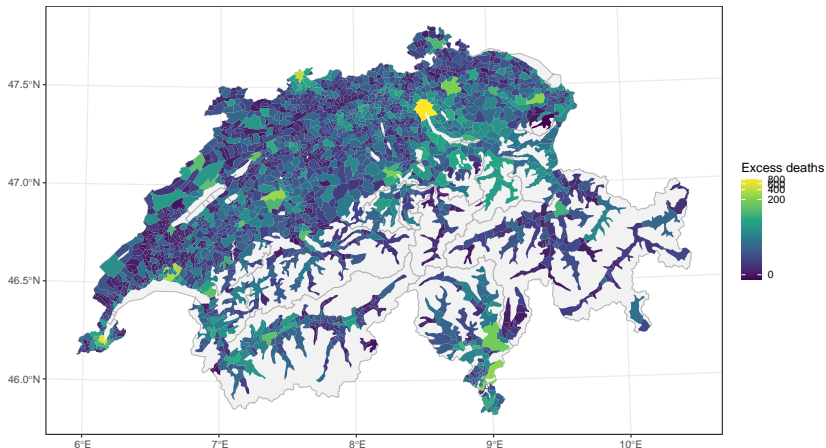
## Step 1: excess by municipality

Age group	Sex	Observed	Expected (median)	Expected (lower bound)	Expected (upper bound)	Relative excess (median)	Relative excess (lower bound)	Relative excess (upper bound)
40-59	Female	1,713	1,769	1,642	1,895	0.97	0.90	1.04
40-59	Male	2,966	2,230	2,074	2,396	1.33	1.24	1.43
60-69	Female	2,611	2,592	2,421	2,753	1.01	0.95	1.08
60-69	Male	4,478	3,201	3,013	3,449	1.40	1.30	1.49
70-79	Female	6,203	5,028	4,708	5,376	1.23	1.15	1.32
70-79	Male	8,972	5,953	5,615	6,310	1.51	1.42	1.60
80+	Female	27,541	17,205	16,453	18,284	1.60	1.51	1.67
80+	Male	20,292	17,677	16,791	18,900	1.15	1.07	1.21
Total	Total	74,776	55,676	53,865	57,821	1.34	1.29	1.39

# Step 1: excess by municipality

Mapping **raw excess deaths** by municipality:

- ▶ does not account for population size

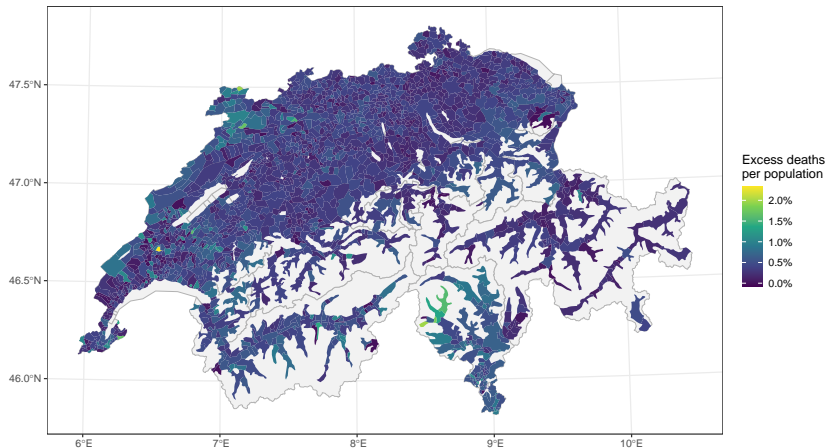




# Step 1: excess by municipality

Scale by **population**:

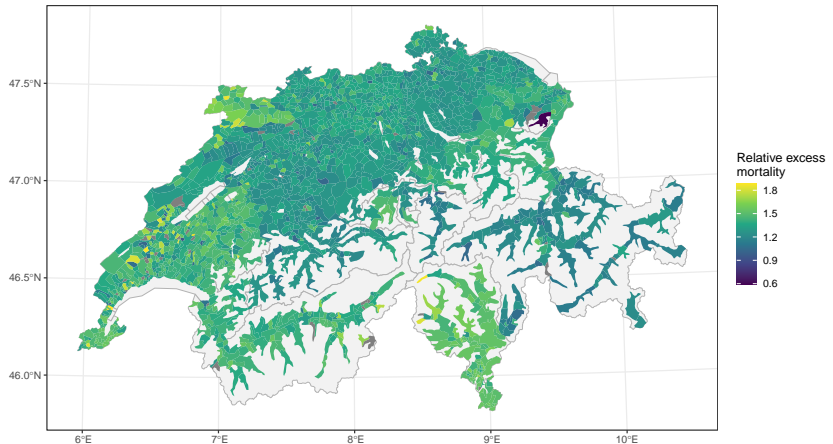
- ▶ does not account for population structure (age, sex. . .)



## Step 1: excess by municipality

Scale by expected mortality ( $\rightarrow$  relative excess mortality):

- problems with zero denominators and small area estimation



## Step 2: local correlates of excess mortality

Explore correlations with local covariates:

- ▶ yet another Poisson regression model
- ▶ let  $O_{t,i,j,k}$  be the number of observed deaths during week  $t$  in municipality  $i$ , age group  $j$  and sex group  $k$
- ▶ depends on the number of expected deaths  $E_{t,i,j,k}$
- ▶ and a log-linear predictor  $\log \lambda = \alpha + \beta X$

$$O_i \sim \text{Poisson}(\lambda E_i)$$

## Step 2: local correlates of excess mortality

Other advantage:

- ▶ stabilizes small area estimation using **spatial models**
- ▶ log link means that all effects are **multiplicative**

**Iterative model development:**

- ▶ start simple and add complexity progressively
- ▶ compare models with WAIC

# Model 1.0

We start with a **baseline model** without covariates (only  $\alpha$ ):

- ▶  $\lambda = \exp(\alpha)$  can be interpreted as a relative excess mortality  
( $\lambda = O/E$ )

Code:

```
m1.0 = inla( observed ~ 1 + offset( expected ), ...)
```

# Model 1.0

Results:

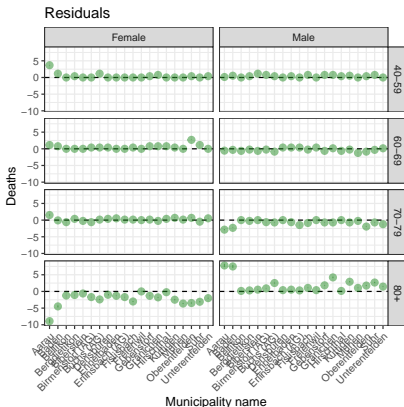
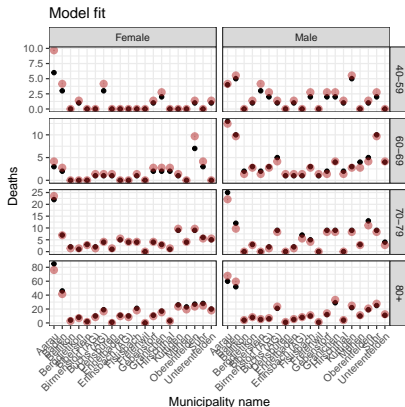
```
##               mean 0.025quant 0.975quant  
## (Intercept) 1.38           1.37           1.39
```

- ▶ this corresponds to the overall average relative excess

# Model 1.0

Check **model fit** and residuals:

## WAIC = 49278.96



## Model 1.1

We expect that excess mortality **differs by age and sex**:

- ▶ added as a covariate (as everything multiplies)

Code:

```
m1.1 = inla( observed ~ -1 +  
                sex:age_group +  
                offset( expected ),  
                ...)
```



## Model 1.1

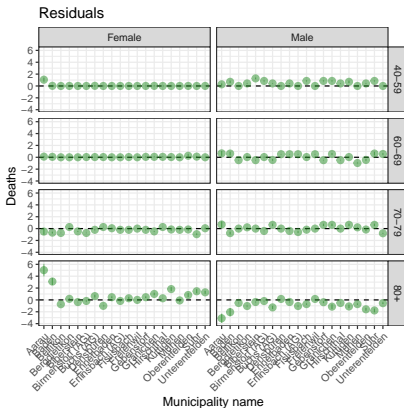
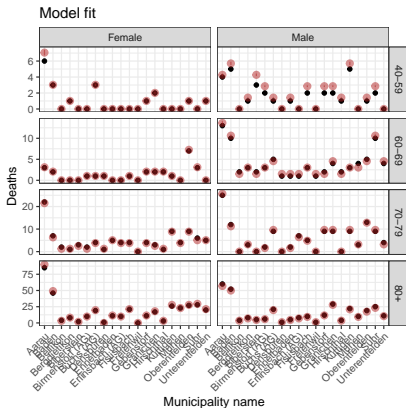
As expected, the relative excess mortality **varies a lot** across age and sex groups:

##	mean	0.025quant	0.975quant
## sexFemale:age_group40-59	1.01	0.96	1.06
## sexMale:age_group40-59	1.42	1.37	1.48
## sexFemale:age_group60-69	1.04	1.00	1.08
## sexMale:age_group60-69	1.52	1.47	1.56
## sexFemale:age_group70-79	1.26	1.23	1.30
## sexMale:age_group70-79	1.61	1.57	1.64
## sexFemale:age_group80+	1.64	1.62	1.66
## sexMale:age_group80+	1.16	1.15	1.18

# Model 1.1

Big improvement of model fit:

## deltaWAIC = -2088.29



## Model 1.2

Allow for **spatial variability**:

- ▶ i.i.d. random effect by municipality
- ▶ all effects are pulled towards a **global average**
- ▶ excess by municipality can vary independently from the others around this global average
- ▶ “municipality effect” applies **the same** to all age and sex groups.

Code:

```
m1.2 = inla( observed ~ -1 +  
              sex:age_group +  
              f(id_space, model = "iid") +  
              offset( expected ),  
              ...)
```

## Model 1.2

The age and sex effect remains similar:

##	mean	0.025quant	0.975quant
## sexFemale:age_group40-59	1.01	0.96	1.06
## sexMale:age_group40-59	1.43	1.38	1.48
## sexFemale:age_group60-69	1.04	1.00	1.08
## sexMale:age_group60-69	1.52	1.48	1.57
## sexFemale:age_group70-79	1.27	1.24	1.30
## sexMale:age_group70-79	1.61	1.58	1.64
## sexFemale:age_group80+	1.64	1.62	1.66
## sexMale:age_group80+	1.17	1.15	1.18

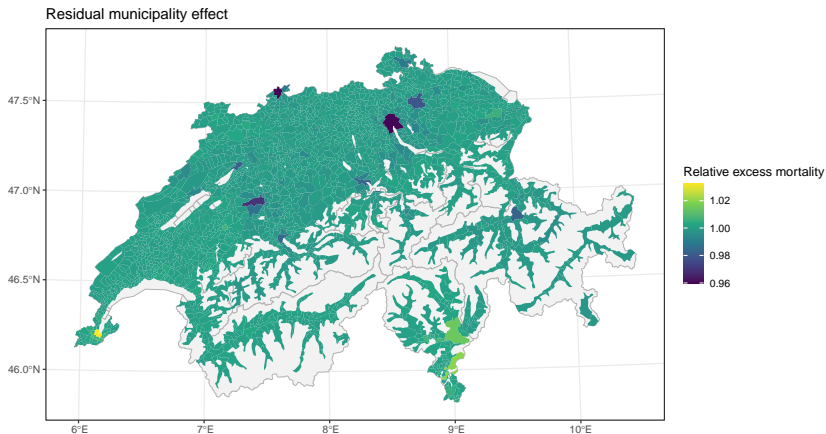
## Model 1.2

Again, improvement of model fit:

```
## deltaWAIC = -31.47579
```

# Model 1.2

Now we can look at the **spatial variation**:



## Model 1.3

Structured spatial variability:

- ▶ municipalities are **no longer independent**
- ▶ correlation between **neighboring municipalities** with a BYM model

Code:

```
m1.2 = inla( observed ~ -1 +  
              sex:age_group +  
              f(id_space, model = "bym", ...) +  
              offset( expected ),  
              ...)
```

## Model 1.3

Improvement of model fit:

```
## deltaWAIC = -178.0986
```

The proportion of "structured variability" (as opposed to i.i.d) is high:

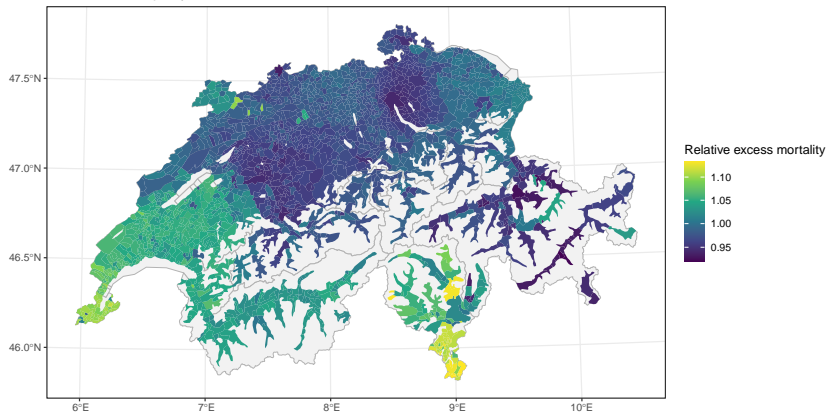
```
##               mean 0.025quant 0.975quant
## Phi for id_space 0.98         0.88         1
```



# Model 1.3

## Actual spatial variation:

Residual municipality effect



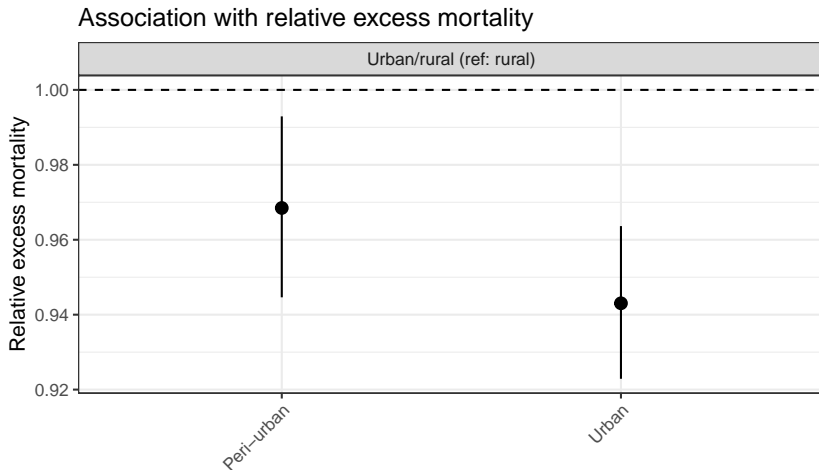
## Model 1.4

We now have a good model of excess mortality by municipality, we can add local **covariates**:

- ▶ **urbanisation**
- ▶ **socioeconomic position**
- ▶ **international links**
- ▶ **language region**
- ▶ voting behavior for **COVID-19 referendums** (June and Nov 2020)

## Model 1.4a

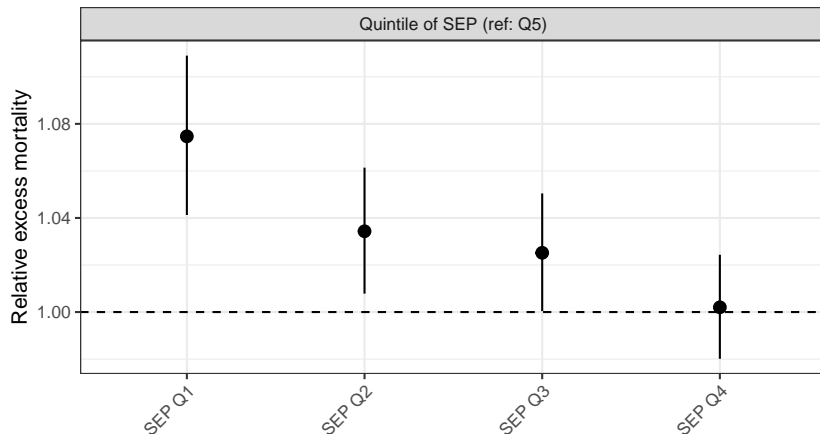
For **urbanisation**, FSO classifies Swiss municipalities in 3 classes (urban, peri-urban or rural):



## Model 1.4b

For **socioeconomic position**, we take the median of the Swiss neighbourhood index of SEP, then transform into quintiles:

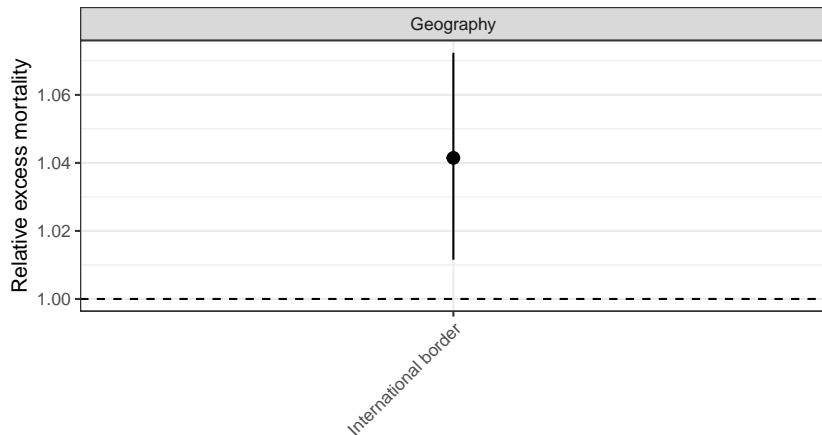
Association with relative excess mortality



## Model 1.4c

For **international links**, we assess whether municipality belongs to a *cross-border labor region* (FSO):

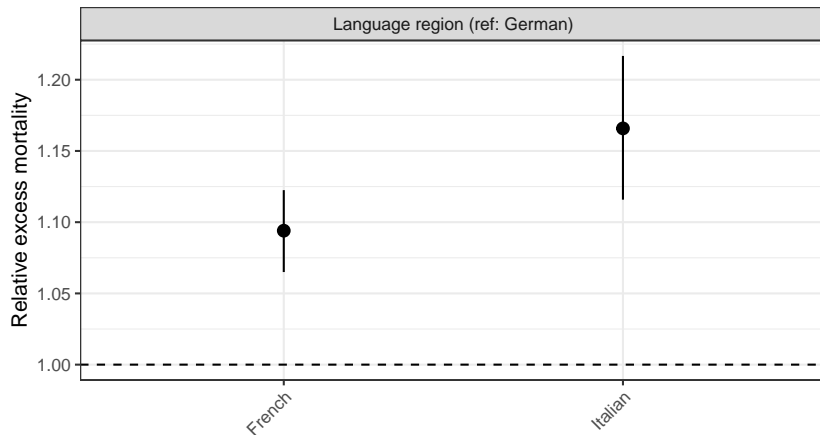
Association with relative excess mortality



## Model 1.4d

For **language regions**, we take the official language of each municipality:

Association with relative excess mortality

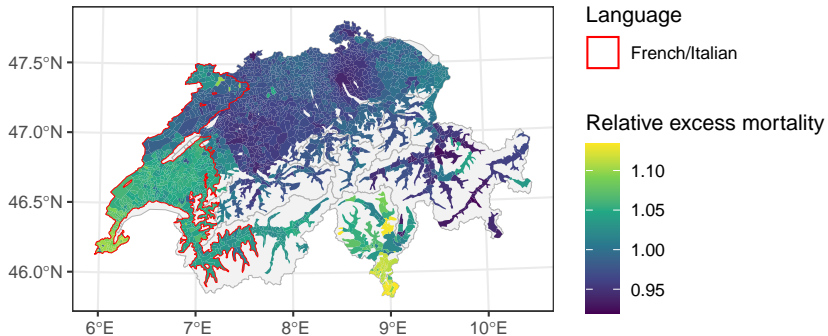


# Model 1.4d

This one is not so easy:

- ▶ the association is likely **confounded by the way the first wave started** (in Ticino and the South-West)

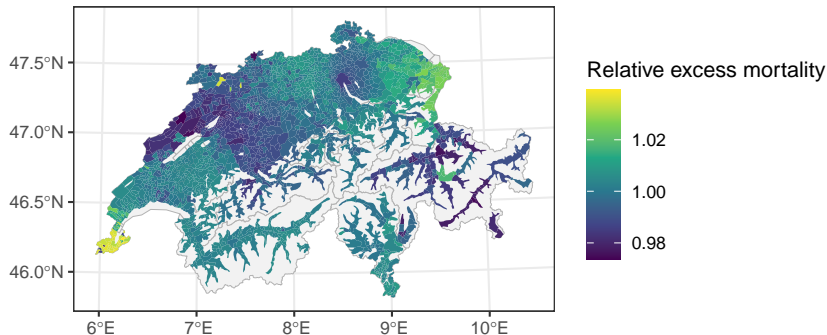
Municipality effect



## Model 1.4d

Adding language region **disrupts** the geographical variation observed before:

Residual municipality effect

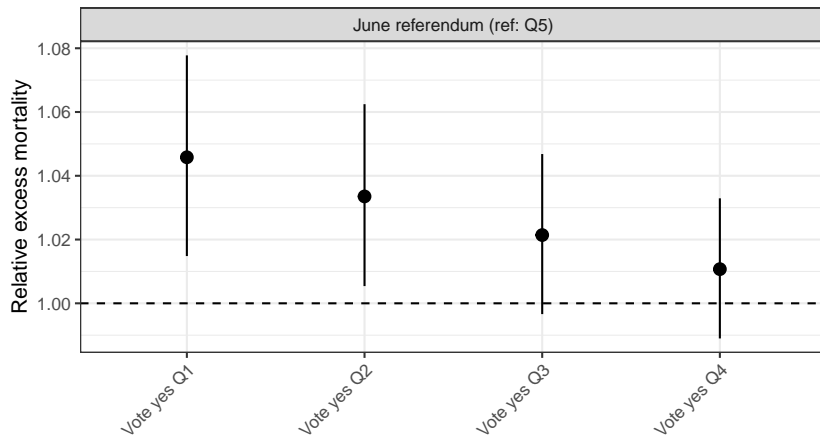




# Model 1.4e

For **voting behavior**, we take the proportion of Yes at the June 2020 referendum (November is very similar):

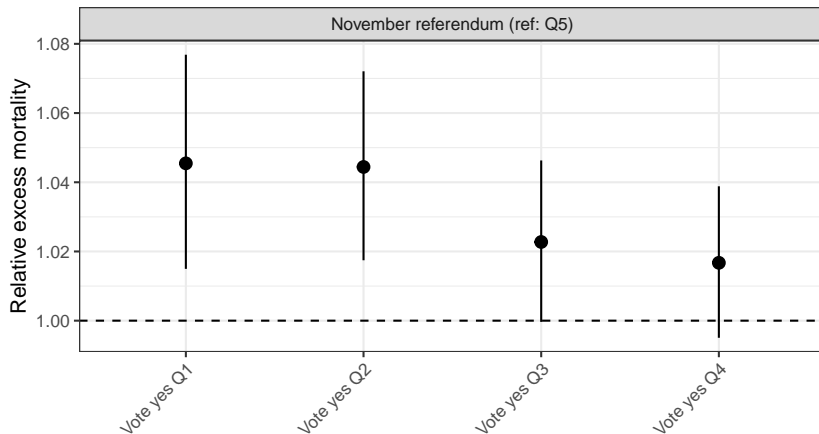
Association with relative excess mortality



# Model 1.4e

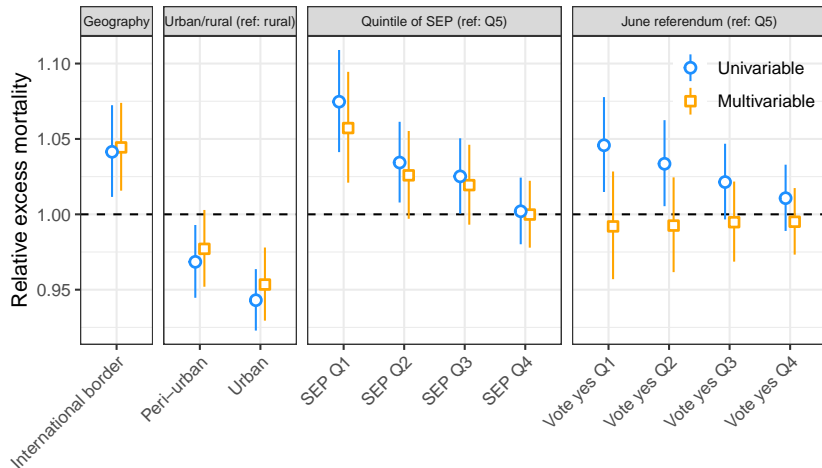
November is very similar:

Association with relative excess mortality



# Model 1.5

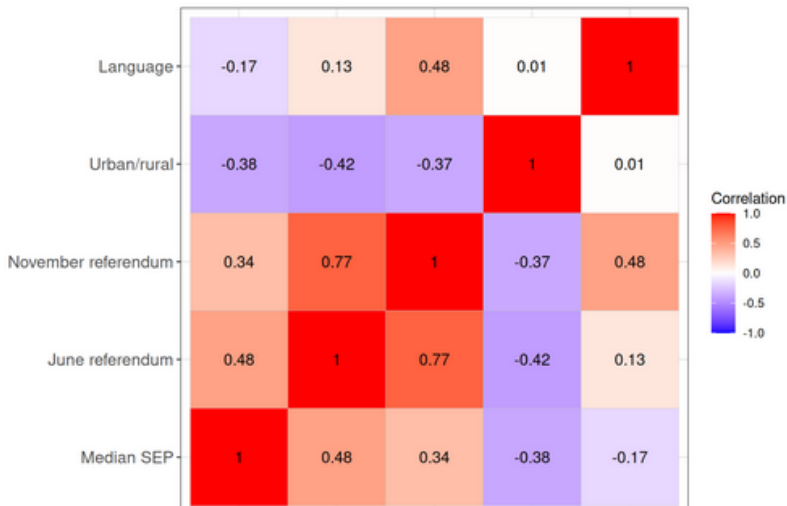
## Multivariable analysis:



# Model 1.5

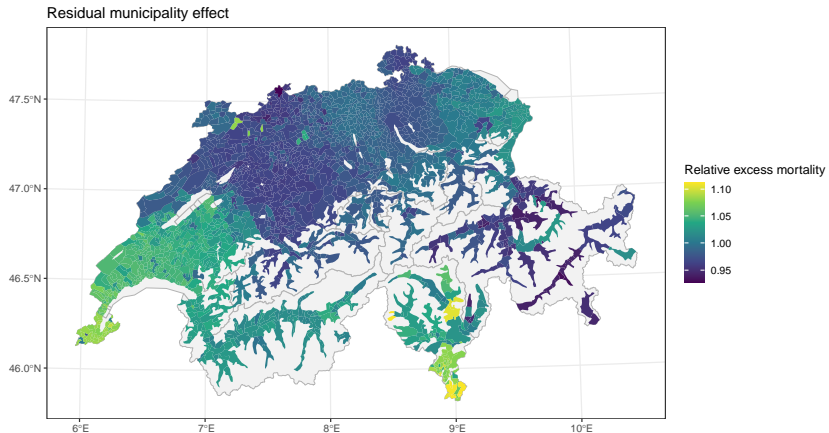
Intercorrelation between SEP and voting behaviour:

- impossible to disentangle between the two



# Model 1.5

Residual municipality effect (after removing the effects of covariates):



## Model 1.5

- ▶ Expected higher excesses in Ticino and Southwestern Switzerland
- ▶ A visible **barrier** between French-speaking and German-speaking regions
- ▶ Lower excess in the **large cities of the German-speaking part** (Zurich, Basel, Bern)
- ▶ Lower excess in relatively **isolated valleys** of Graubunden

# Conclusions

- ▶ Small-area excess mortality **varied substantially** in Switzerland in 2020, depending on the geographical location and type of municipality.
- ▶ Areas most affected included Ticino, the Lake of Geneva region, the Jura and the Northeast of the country.
- ▶ **Rural** municipalities, municipalities of **lower socioeconomic position** and showing **lower support for COVID-19 control measures** experienced higher excess mortality.