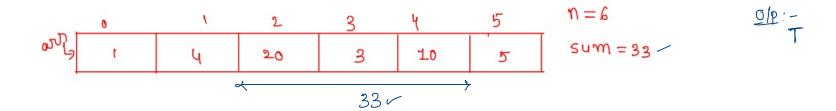
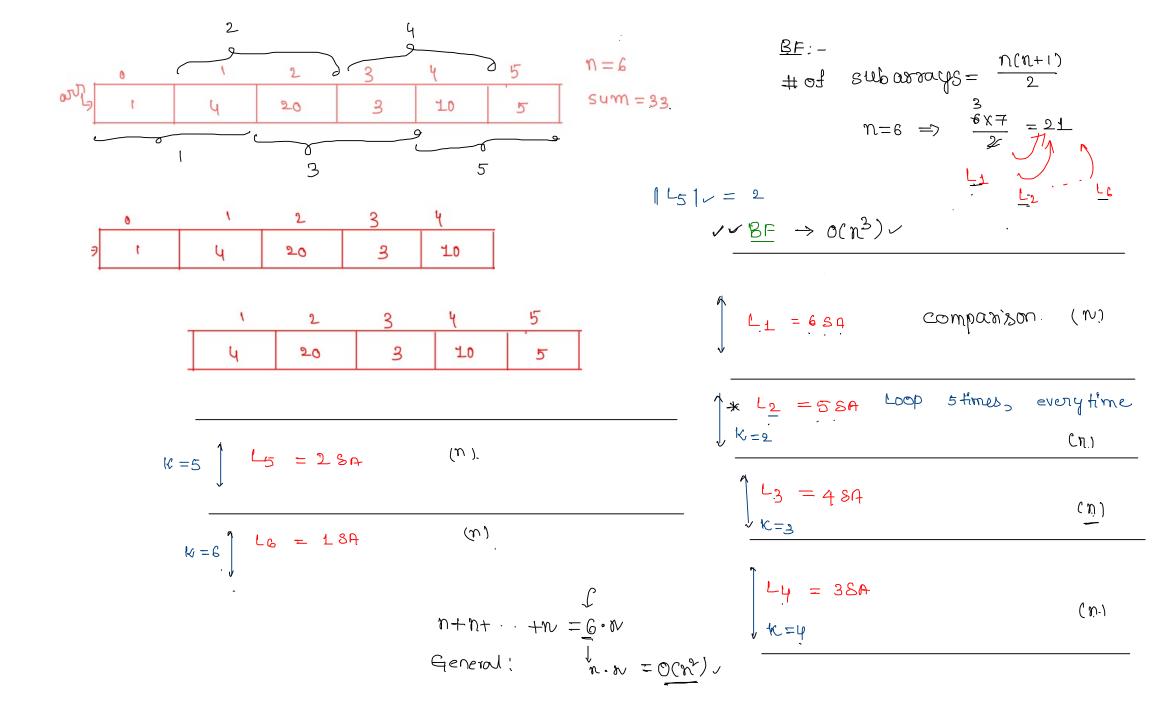
S2-Class2 [Sliding Window-2]

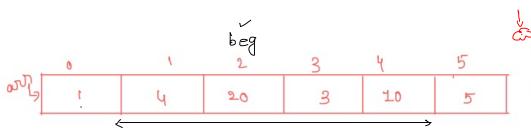
Q) Return True: If there exists a sub array whose sum is equal to given sum

False : otherwise









A TOBE

$$n = 6$$
 $sum = 33$
 $cgiven)$

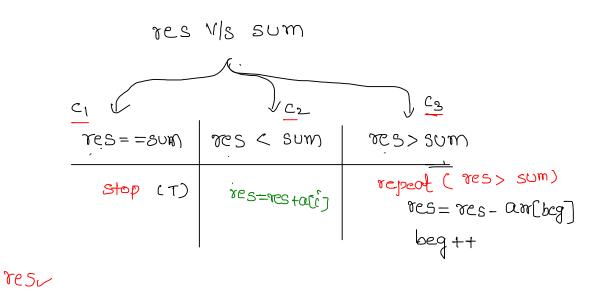
$$5+20=25$$

$$25+3=28$$

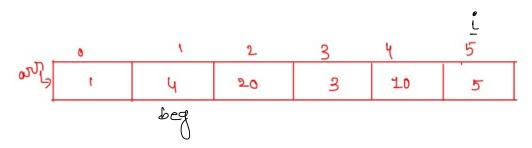
$$1+4+20+3 \quad 28+10=38$$

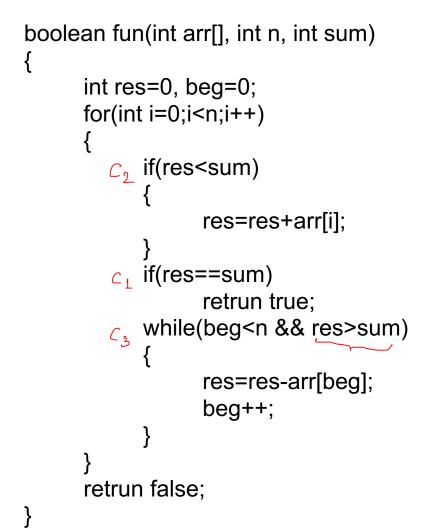
$$38-1=37$$

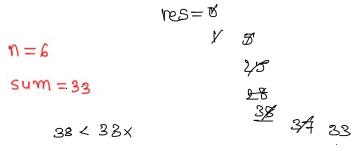
$$37-4=33$$

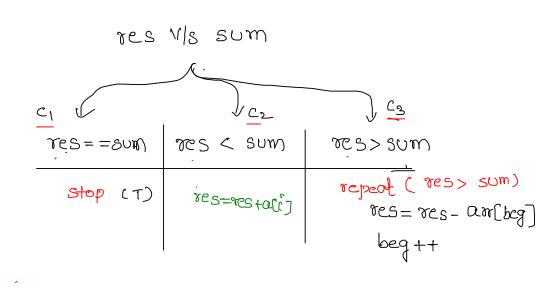


```
x → while(beg<n && res>sum)
{
          res=res-arr[beg];
          beg++;
}
```

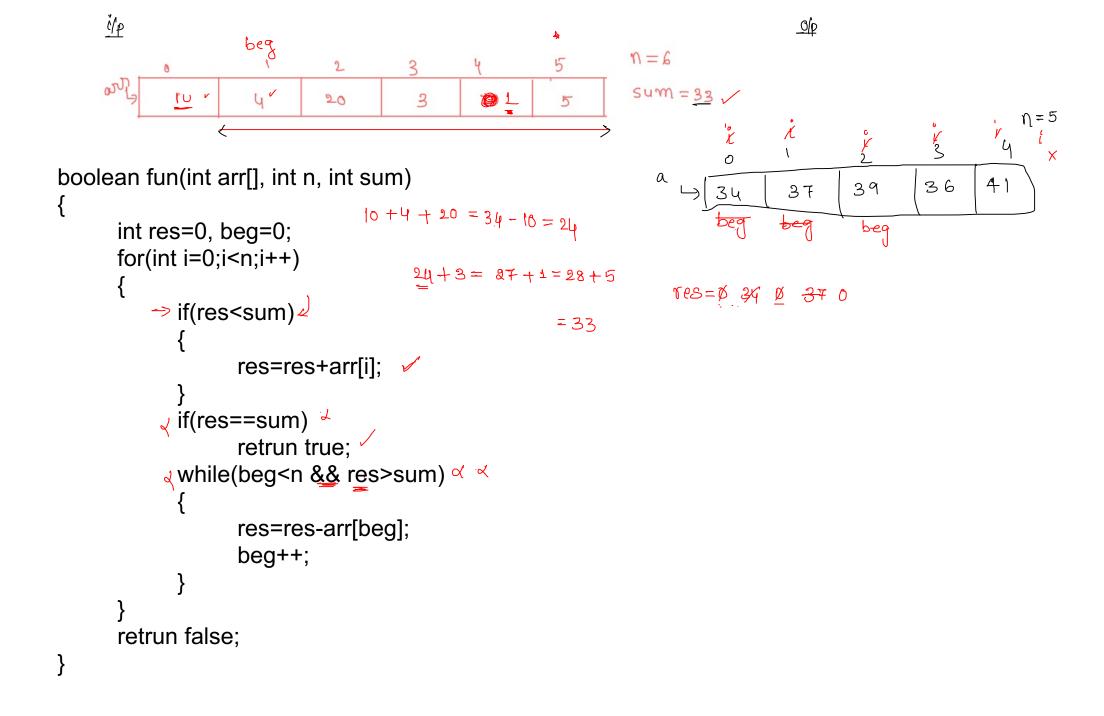








```
x \( \sigma \text{while(beg<n && res>sum)} \\  \{ \quad res=res-arr[beg]; \quad beg++; \quad \}
\end{align*}
```

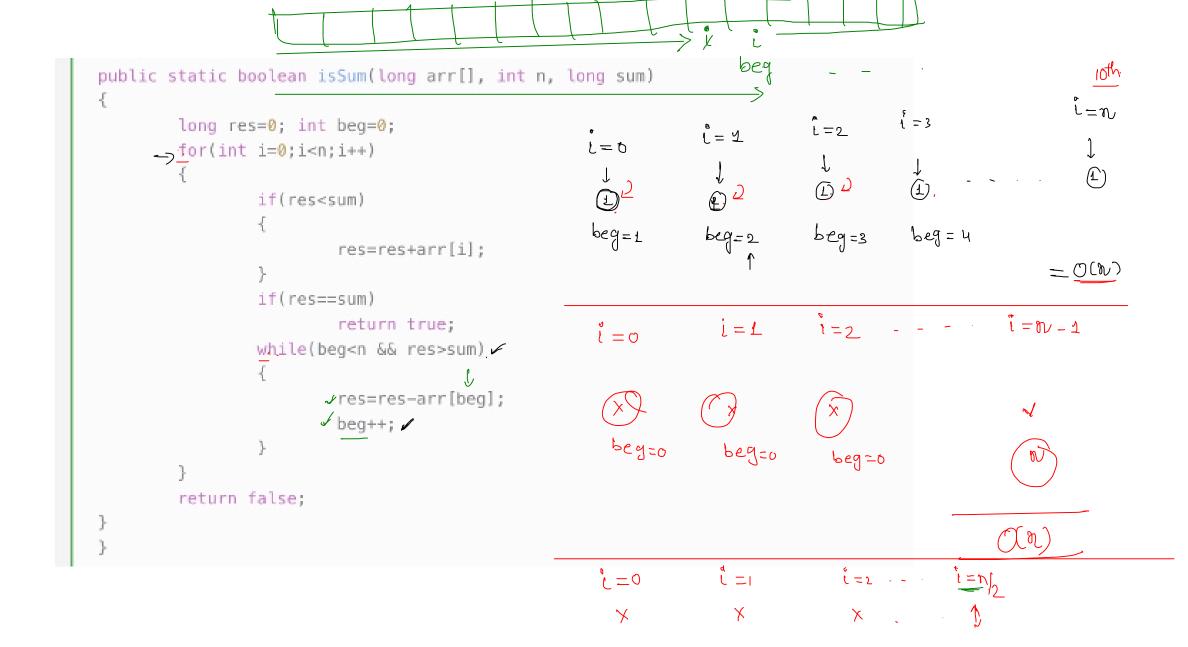


```
import java.util.Scanner;
class Main
public static void main(String args[]){
        Scanner sc = new Scanner(System.in);
        int tc = sc.nextInt();
        for(int i = 0;i<tc;i++){</pre>
            int n = sc.nextInt();
            long[] arr = new long[n];
            long k = sc.nextLong();
            for(int j=0;j<n;j++){</pre>
                arr[j]= sc.nextLong();
            boolean result = isSum(arr,n,k);
            if(result){
                System.out.println("Yes");
            else{
                System.out.println("No");
public static boolean isSum(long arr[], int n, long sum)
        long res=0; int beg=0;
        for(int i=0;i<n;i++)</pre>
                if(res<sum)</pre>
                        res=res+arr[i];
                if(res==sum)
                        return true;
                while(beg<n && res>sum)
                        res=res-arr[beg];
                        beg++;
        return false;
```

```
→ ocnux Analysis
public static boolean isSum(long arr[], int n, long sum)
                                                                                        25*(
         long res=0; int beg=0;
         for(int i=0;i<n;i++)
                                                                                  if(res<sum)
                            res=res+arr[i];
                                                                                                      j=5 · · ·
                                                                                   j: 5 times
                  if(res==sum)
                            return true;
                                                                                                                                                         i = n
                                                                                                        1 = 1
                                                                                  \ddot{\ell} = 0
                  while(beg<n && res>sum)
                            res=res-arr[beg];
                            beg++;
                                                                                                         n times
                                                                                                                                                         ~ times
                                                                                                                              n times
                                                                                    n times
                                                                      ilon;
                                                                                       \dot{\mathcal{V}} + \dot{\mathcal{V}} + \mathcal{V} + \dots + \mathcal{V} = \mathcal{V} \times \mathcal{V} = \mathcal{V} \longrightarrow \mathcal{O}(\mathcal{V})
         return false;
                                                                                                    1 = 1
                                                                                  i = 0
                                                                                                                                                  l = l
                                                                                                                      <u>i = 2</u>
                                                                                                      \sqrt{1 - 1}
                                                                                                                       N-2
                                                                                    3
```

 $1 + 2 + 3 + \cdots + n - 1 + n = \frac{n(n+1)}{2} = O(n^2)$

```
\zeta = 1 \zeta = 2 \zeta = 1
                                                                   <sub>(</sub> =0
public static boolean isSum(long arr[], int n, long sum)
       long res=0; int beg=0;
       for(int i=0;i<n;i++)
              if(res<sum)
                     res=res+arr[i];
                                                                                        =O(n^{\gamma})
              if(res==sum)
                     return true;
              while(beg<n && res>sum)
                                                            (1) N + (n-1)(1) = n+n-1=2n-1 = O(n)
                     res=res-arr[beg];
                     beg++;
       return false;
```



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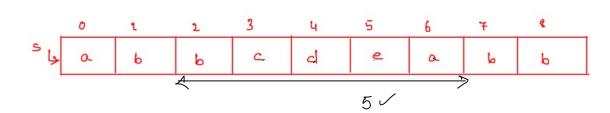
	BF.	àm (tixed)	SM Crasing
ጥ · C	o(n ³)	O(N ²)	o(n)
S.C	0(7)	Q(T)	0(1)

o(re) 3 mar bo neight,





9) Find the size of largest sub-string which doesn't contains any repeated characters in given string





```
function longestUniqueSubsttr(s,n)
   let hm be a hashmap/ object
    maximum_length = 0;
    start = 0;
    for(i= 0; i < n; i++)
     if(hm.containsKey(s[i]))
       start = Math.max(start, hm.get(s[i]) + 1);
     hm.put(s[i], i);
     maximum_length = Math.max(maximum_length, i-start + 1);
    return maximum_length;
```