

EE610 – Image Processing

M1 – Introduction to images and
imaging

Early example of photography



Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

Electromagnetic Spectrum

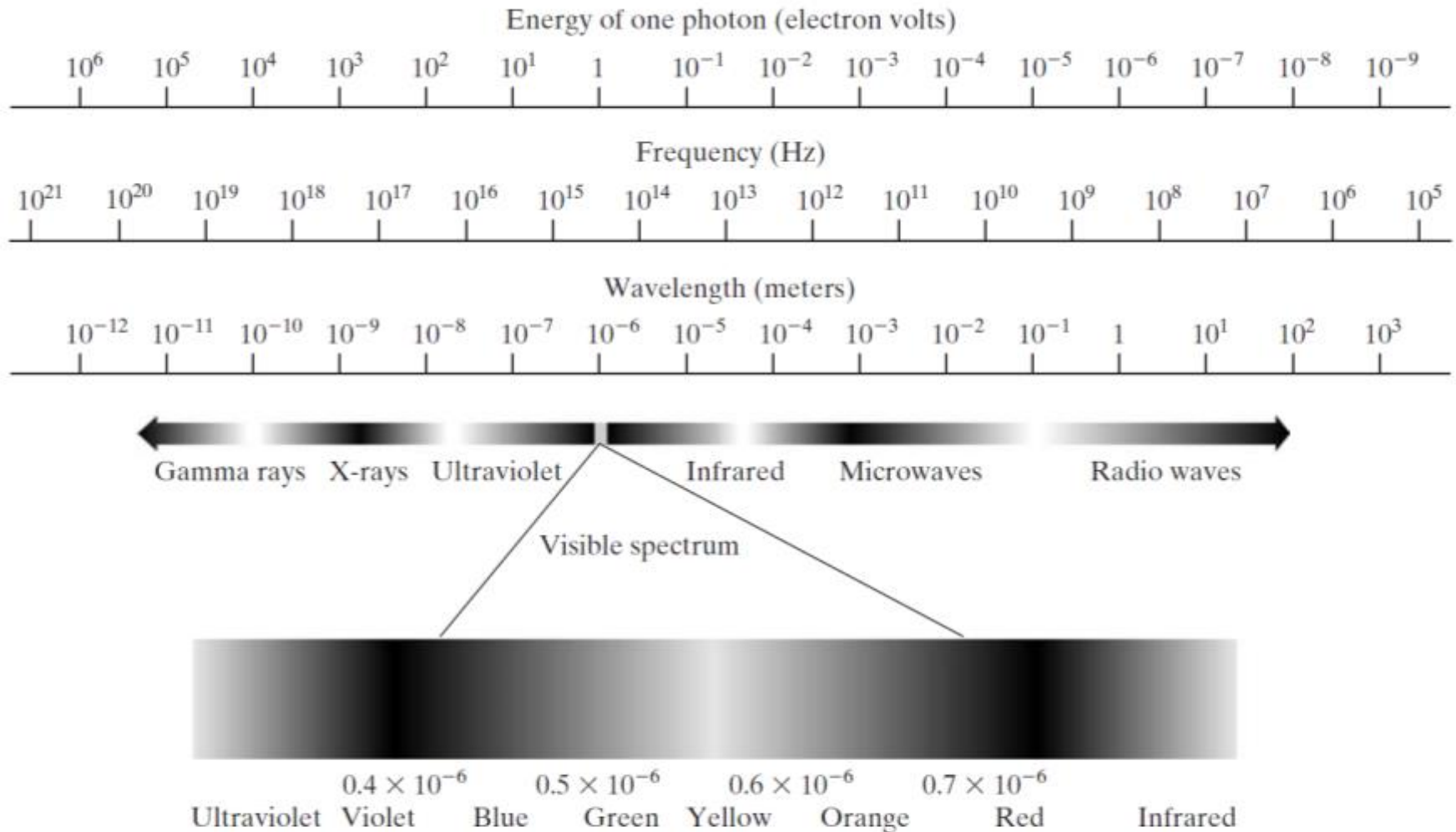


FIGURE 2.10 The electromagnetic spectrum. The visible spectrum is shown zoomed to facilitate explanation, but note that the visible spectrum is a rather narrow portion of the EM spectrum.

Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

Some types of images

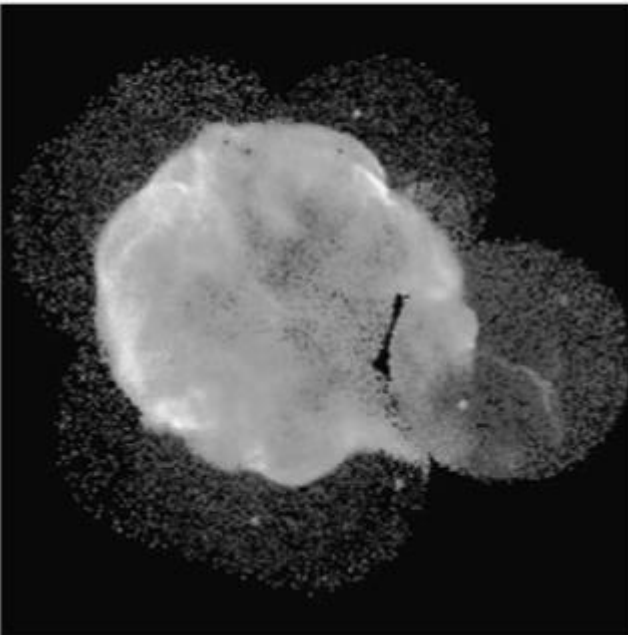
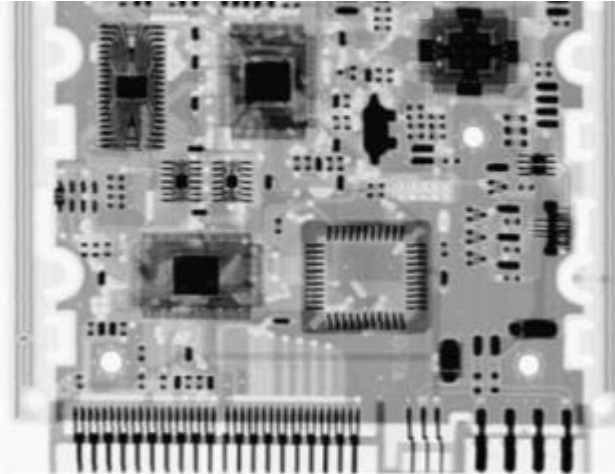
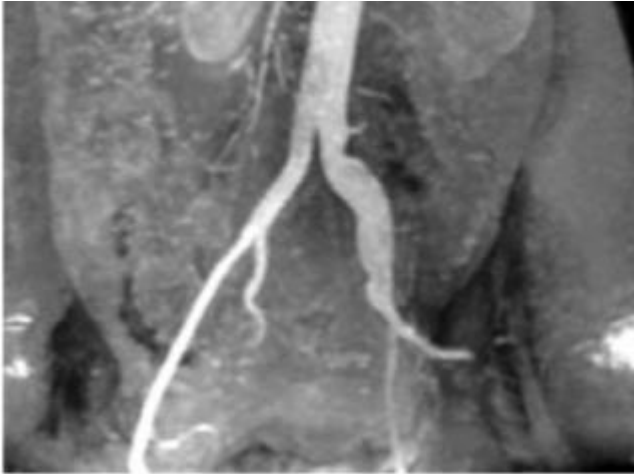
- Regular photography
- Brightfield microscopy
- Industrial photography
- Visible band satellite imagery
- IR band satellite imagery
- IR spectromicroscopy
- UV images
- X-ray images
- Electron microscopy
- ...

Surface of the moon pictured by Ranger 7 in 1964

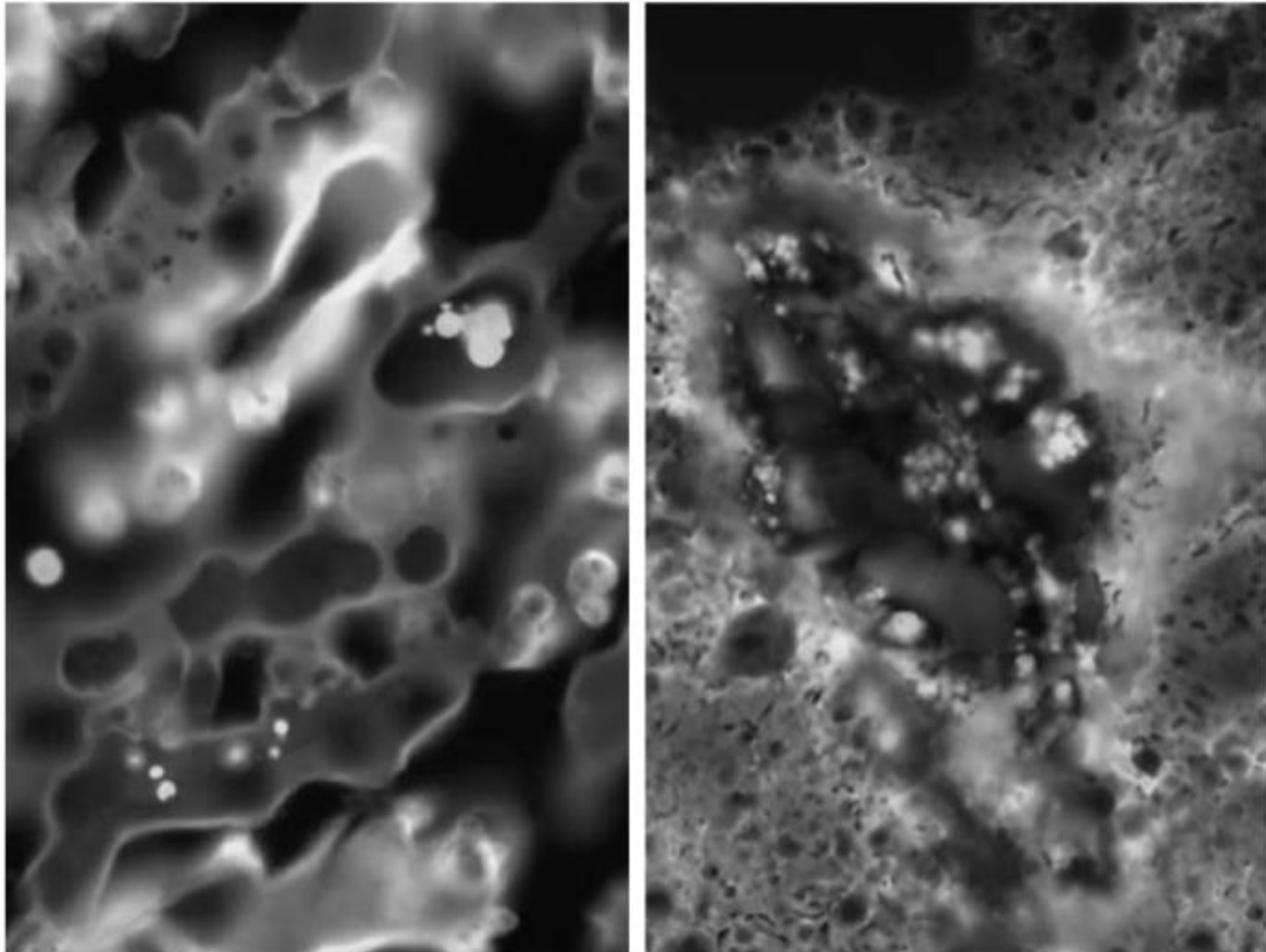


Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

Examples of X-ray images



Examples of UV images of healthy and diseased corn



Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

Examples of microscopy images

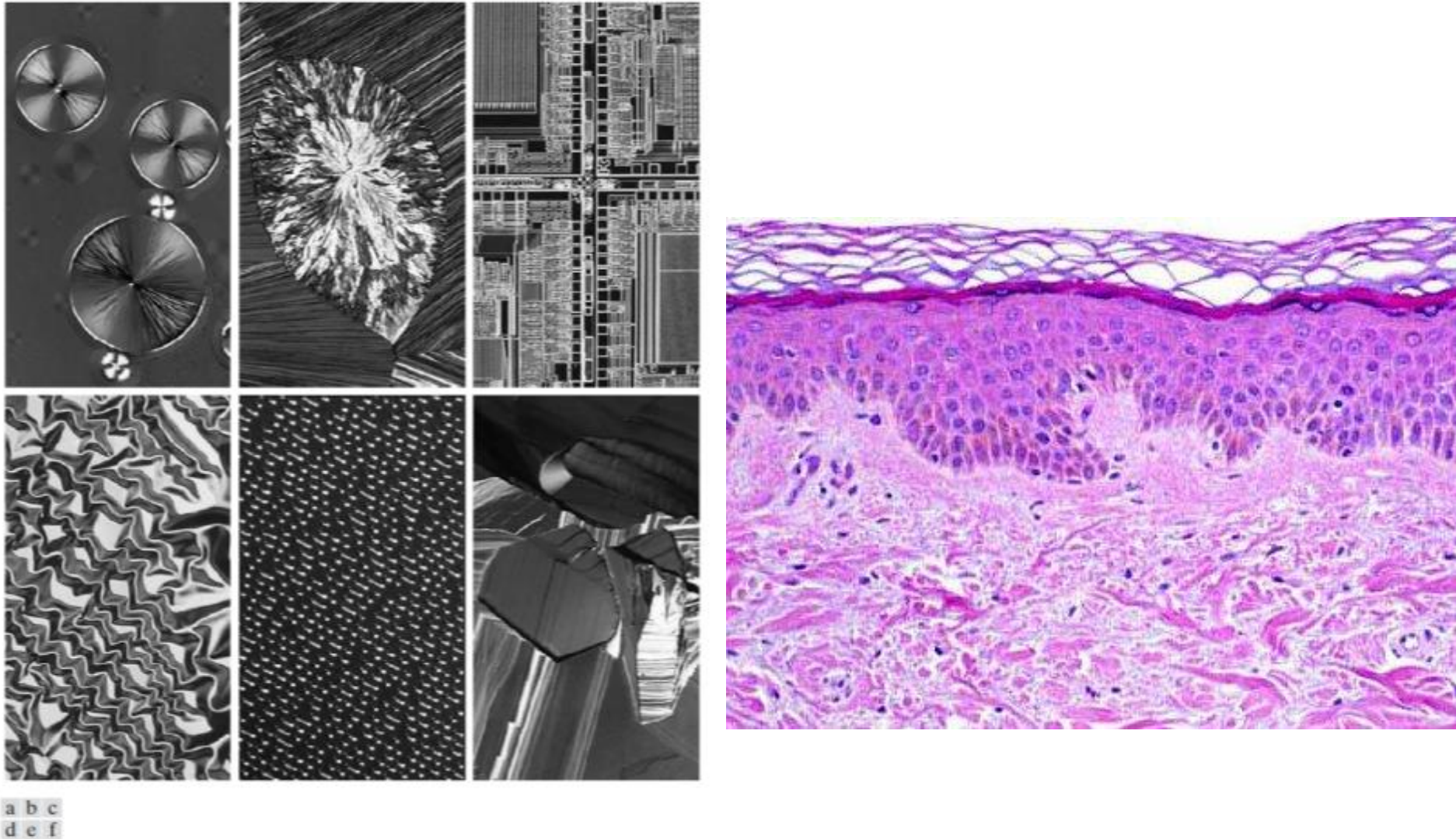


FIGURE 1.9 Examples of light microscopy images. (a) Taxol (anticancer agent), magnified 250 \times . (b) Cholesterol—40 \times . (c) Microprocessor—60 \times . (d) Nickel oxide thin film—600 \times . (e) Surface of audio CD—1750 \times . (f) Organic superconductor—450 \times . (Images courtesy of Dr. Michael W. Davidson, Florida State University.)

Thematic bands of LANDSAT satellite

Band No.	Name	Wavelength (μm)	Characteristics and Uses
1	Visible blue	0.45–0.52	Maximum water penetration
2	Visible green	0.52–0.60	Good for measuring plant vigor
3	Visible red	0.63–0.69	Vegetation discrimination
4	Near infrared	0.76–0.90	Biomass and shoreline mapping
5	Middle infrared	1.55–1.75	Moisture content of soil and vegetation
6	Thermal infrared	10.4–12.5	Soil moisture; thermal mapping
7	Middle infrared	2.08–2.35	Mineral mapping

Same area pictured with different bands

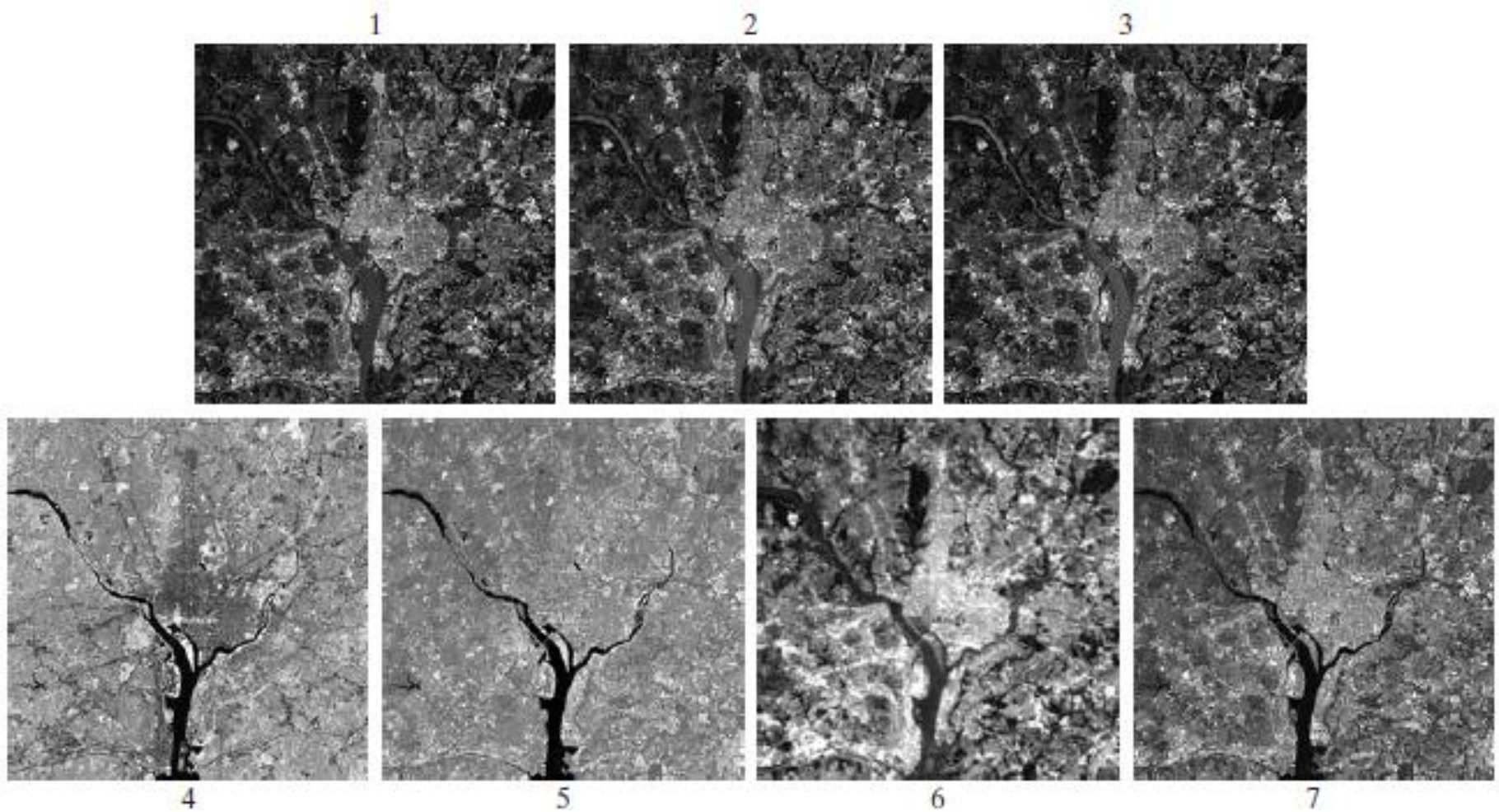
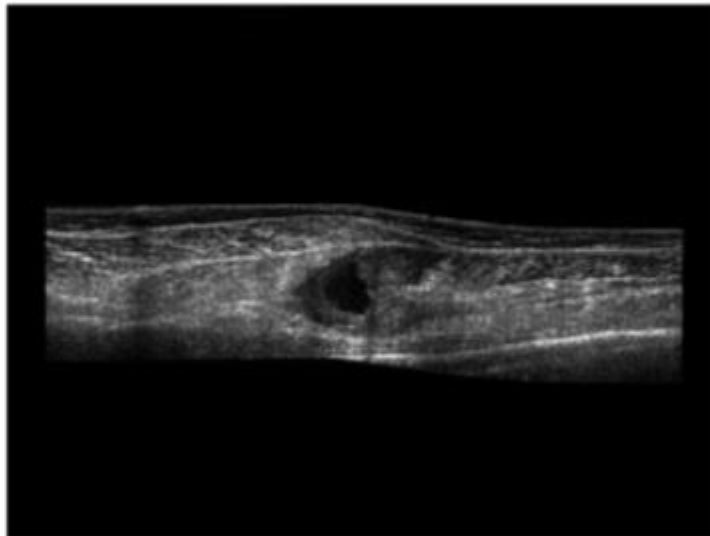
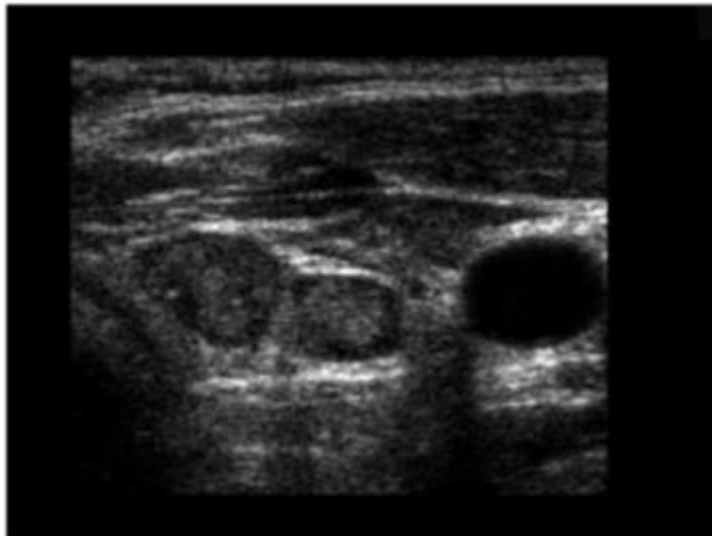
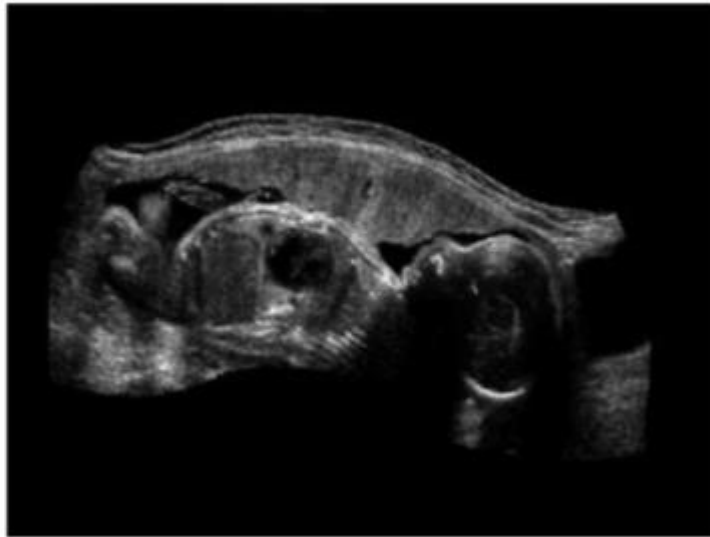
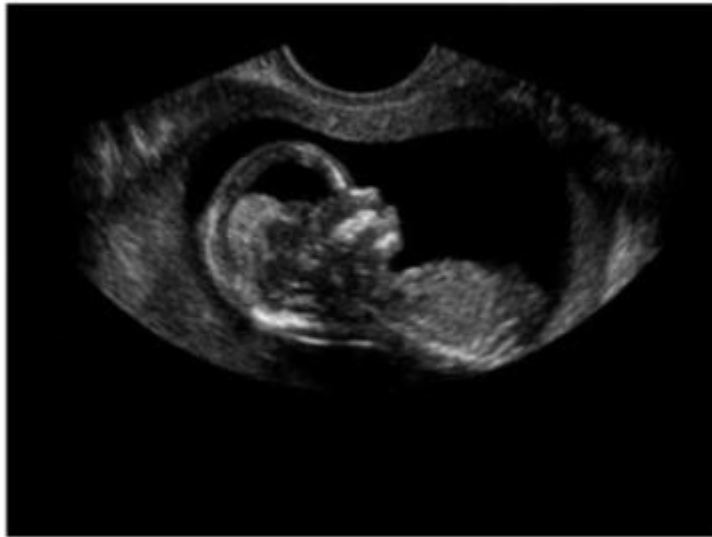


FIGURE 1.10 LANDSAT satellite images of the Washington, D.C. area. The numbers refer to the thematic bands in Table 1.1. (Images courtesy of NASA.)

Photography using ultrasound

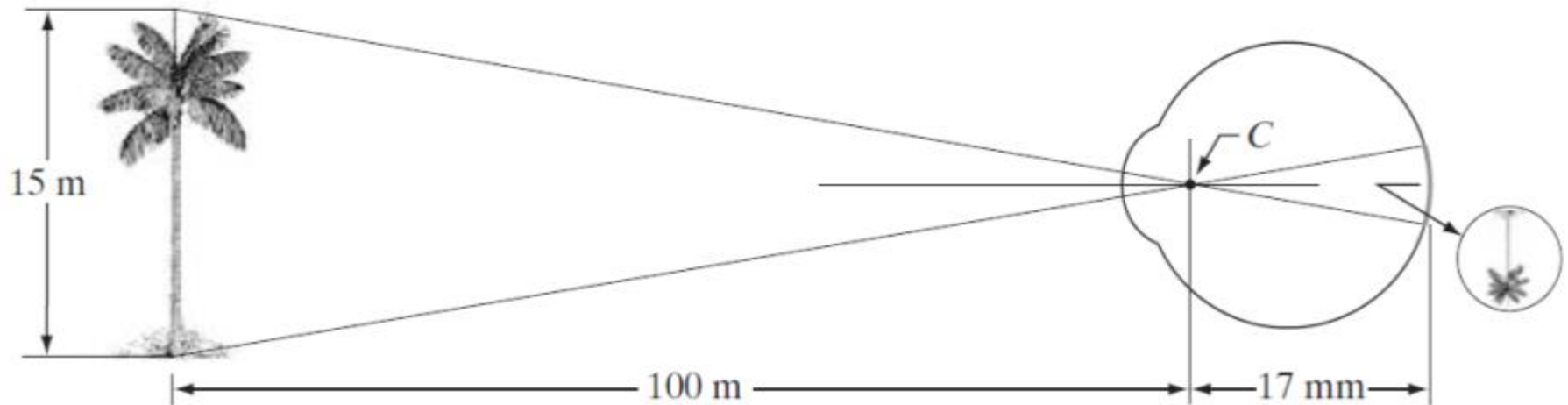


a b
c d

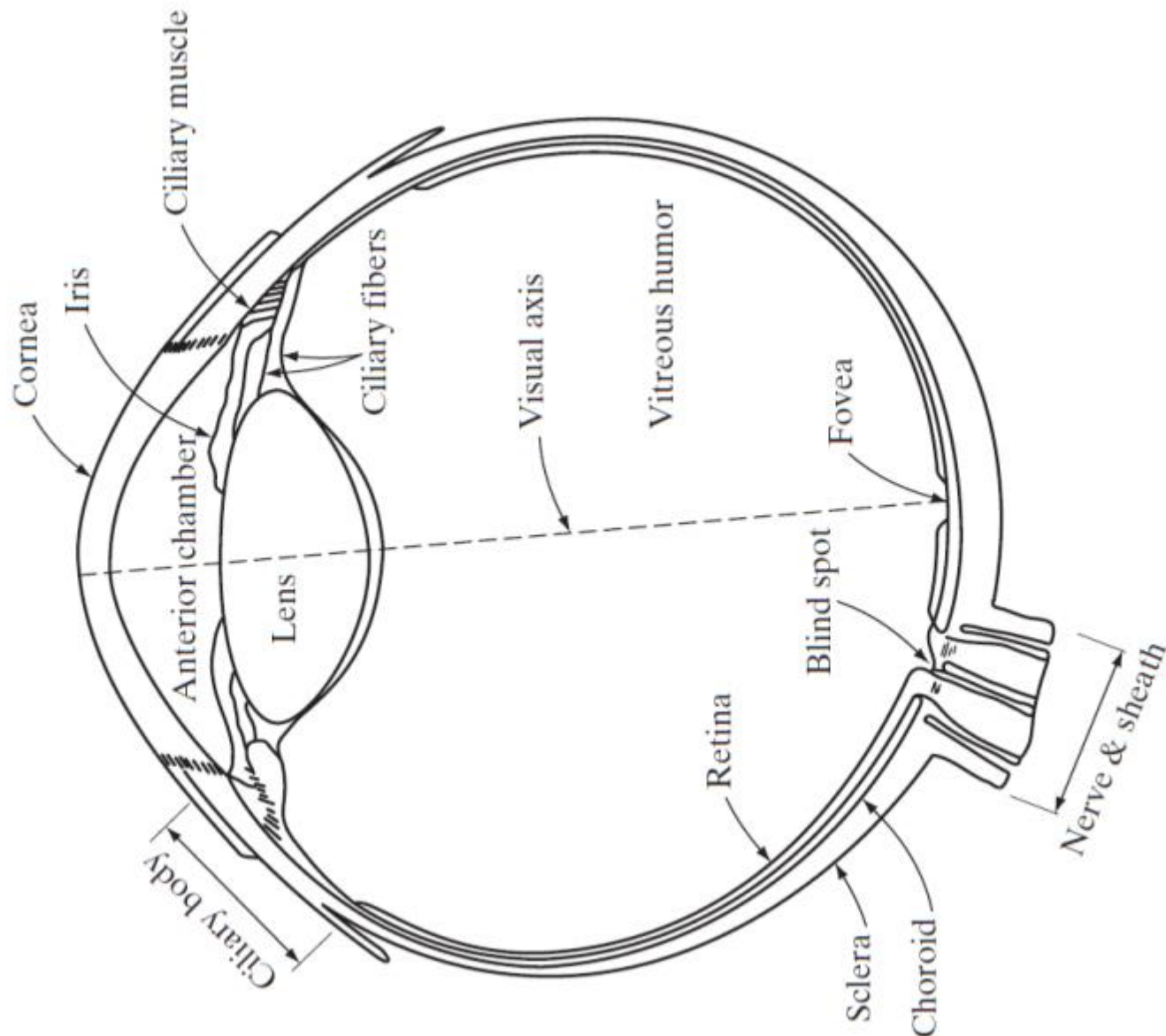
FIGURE 1.20

Examples of ultrasound imaging. (a) Baby. (b) Another view of baby. (c) Thyroids. (d) Muscle layers showing lesion. (Courtesy of Siemens Medical Systems, Inc., Ultrasound Group.)

Image formation in the human eye



Structure of the human eye



Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

Distribution of rods and cones

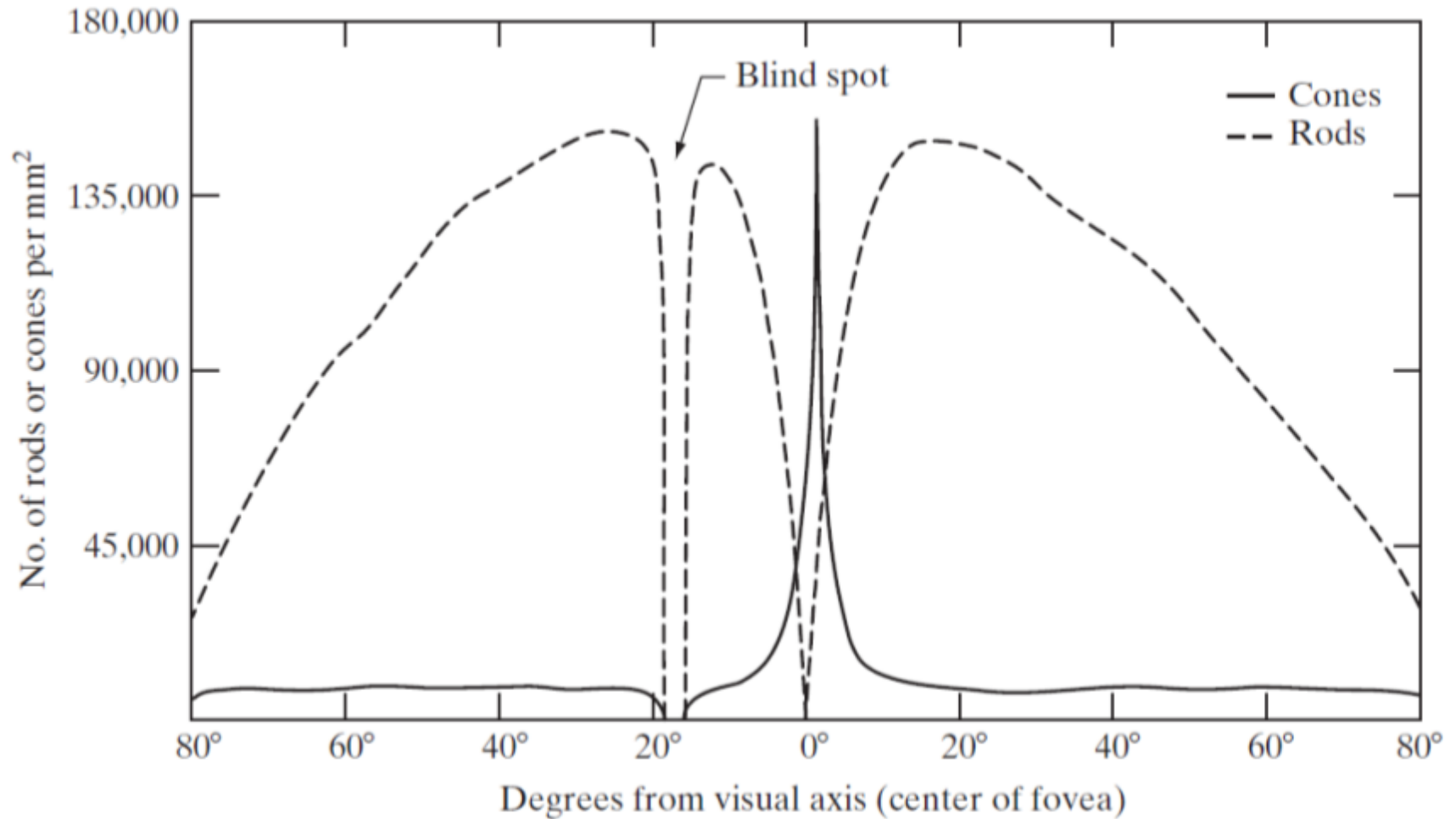


Image formation in a camera

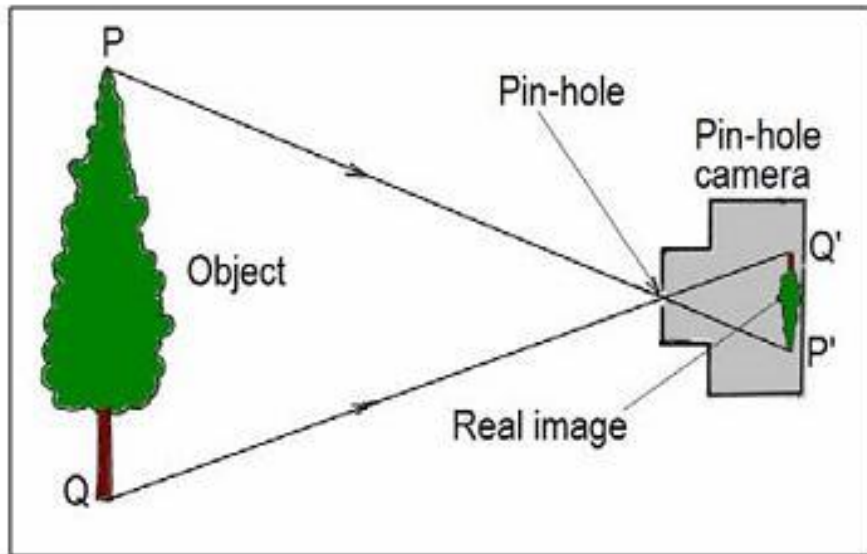


Fig.5(a) Real image by a pin-hole camera

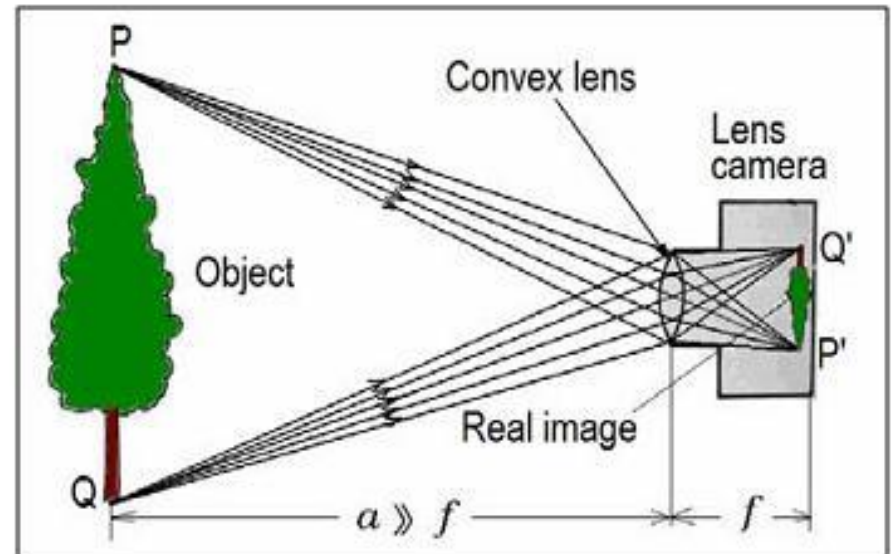
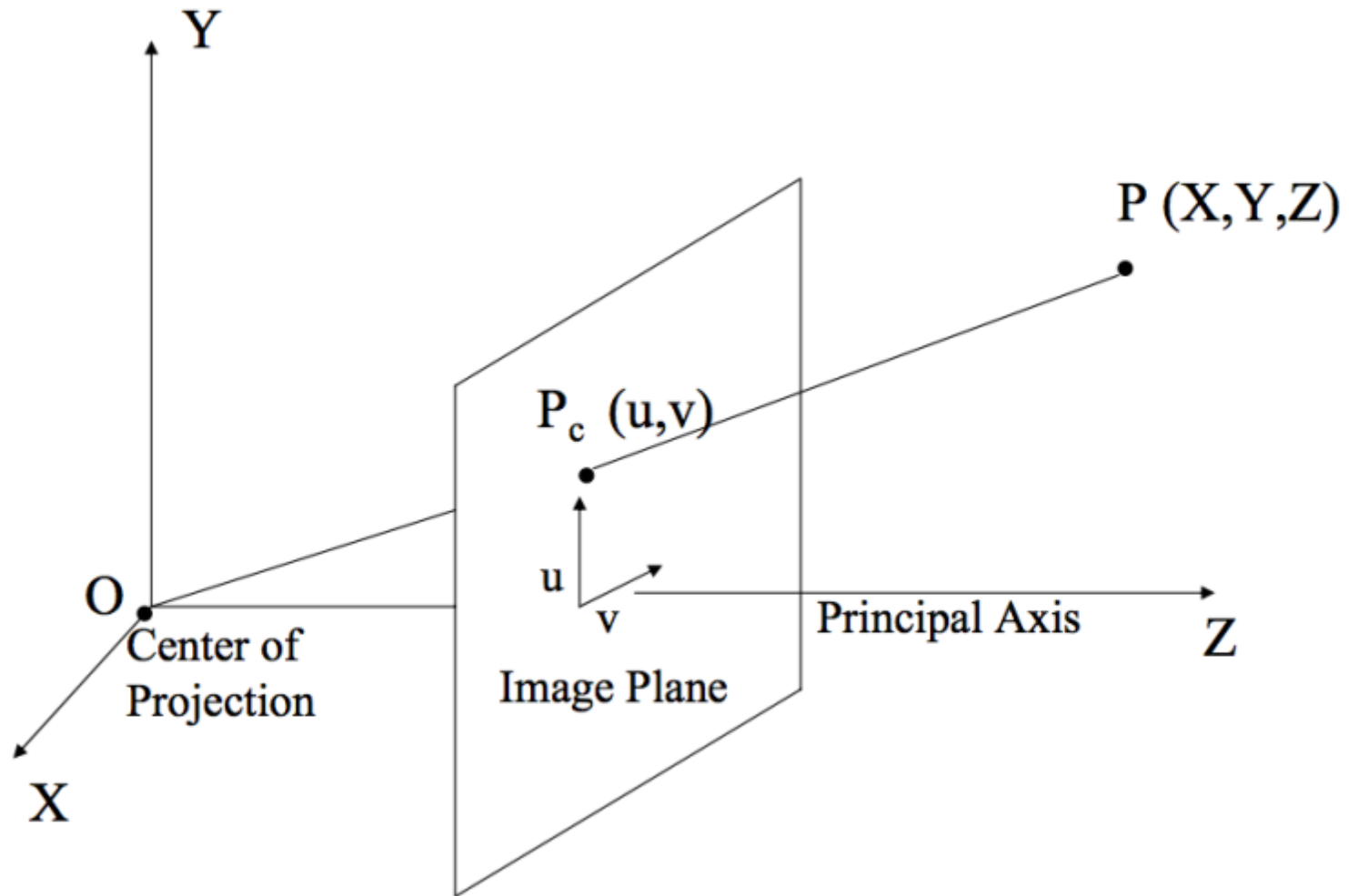
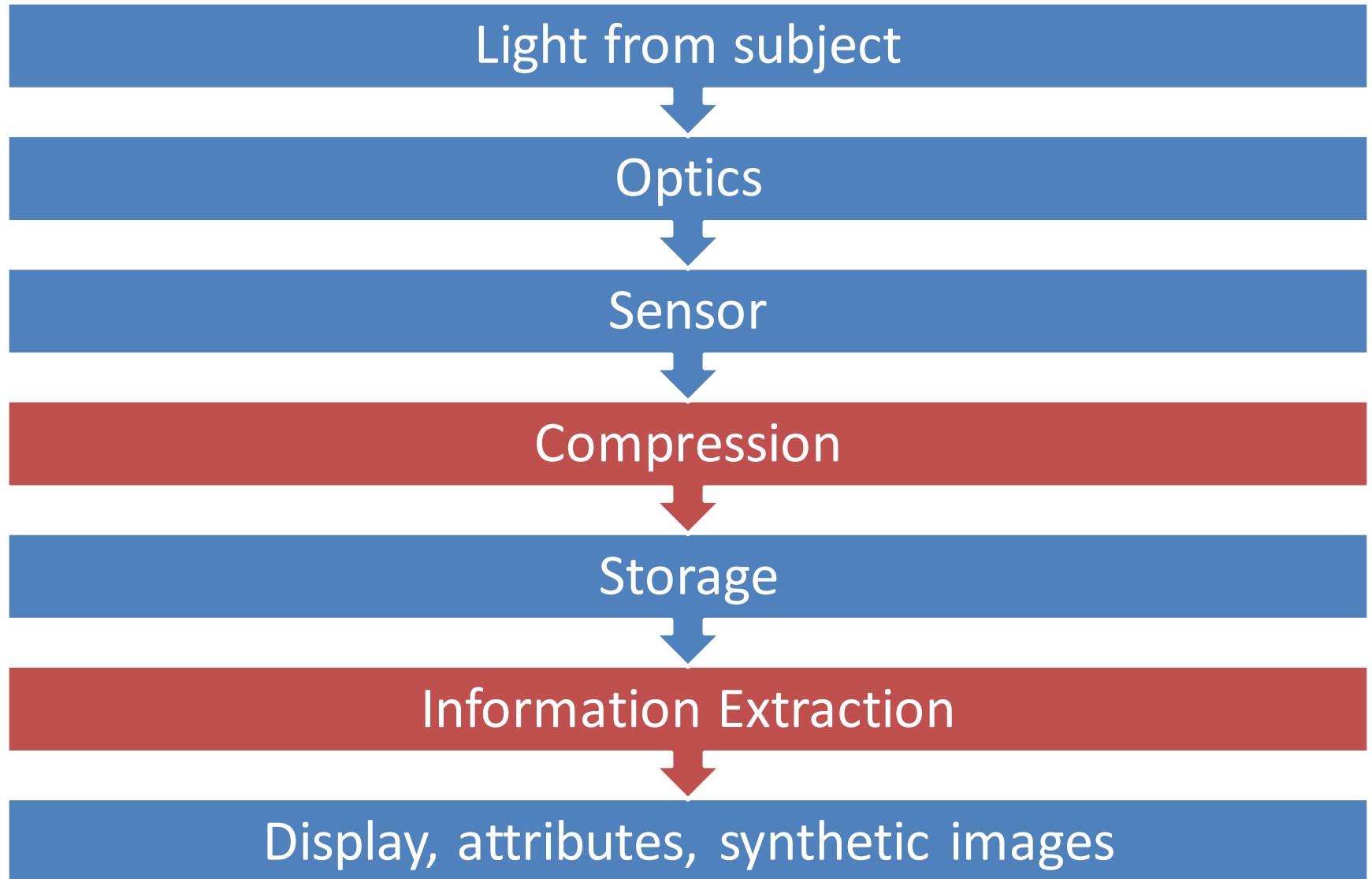


Fig.5(b) Real image by a lens camera

A simplified camera model



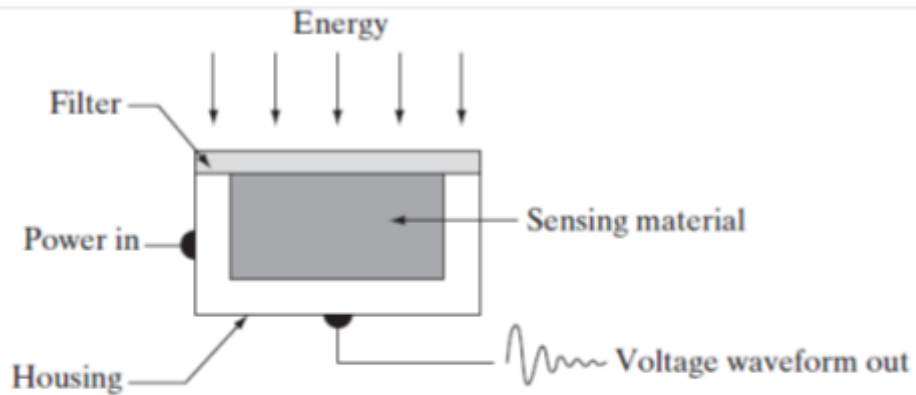
Typical Image Processing System



Characteristics of an image

- A function in 2-d
- Has high spatial correlation
- Finite spatial extent
- Discretized to pixels
 - Spatial sampling
 - Intensity quantization

Sensors



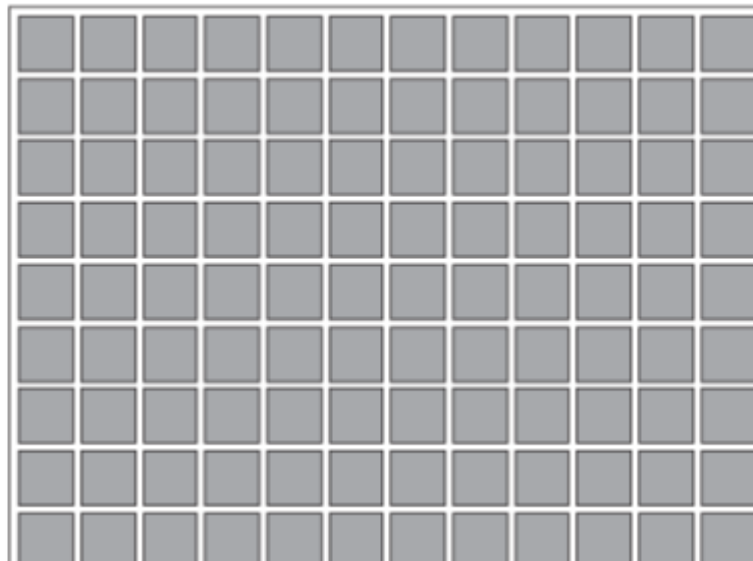
a
b
c

FIGURE 2.12

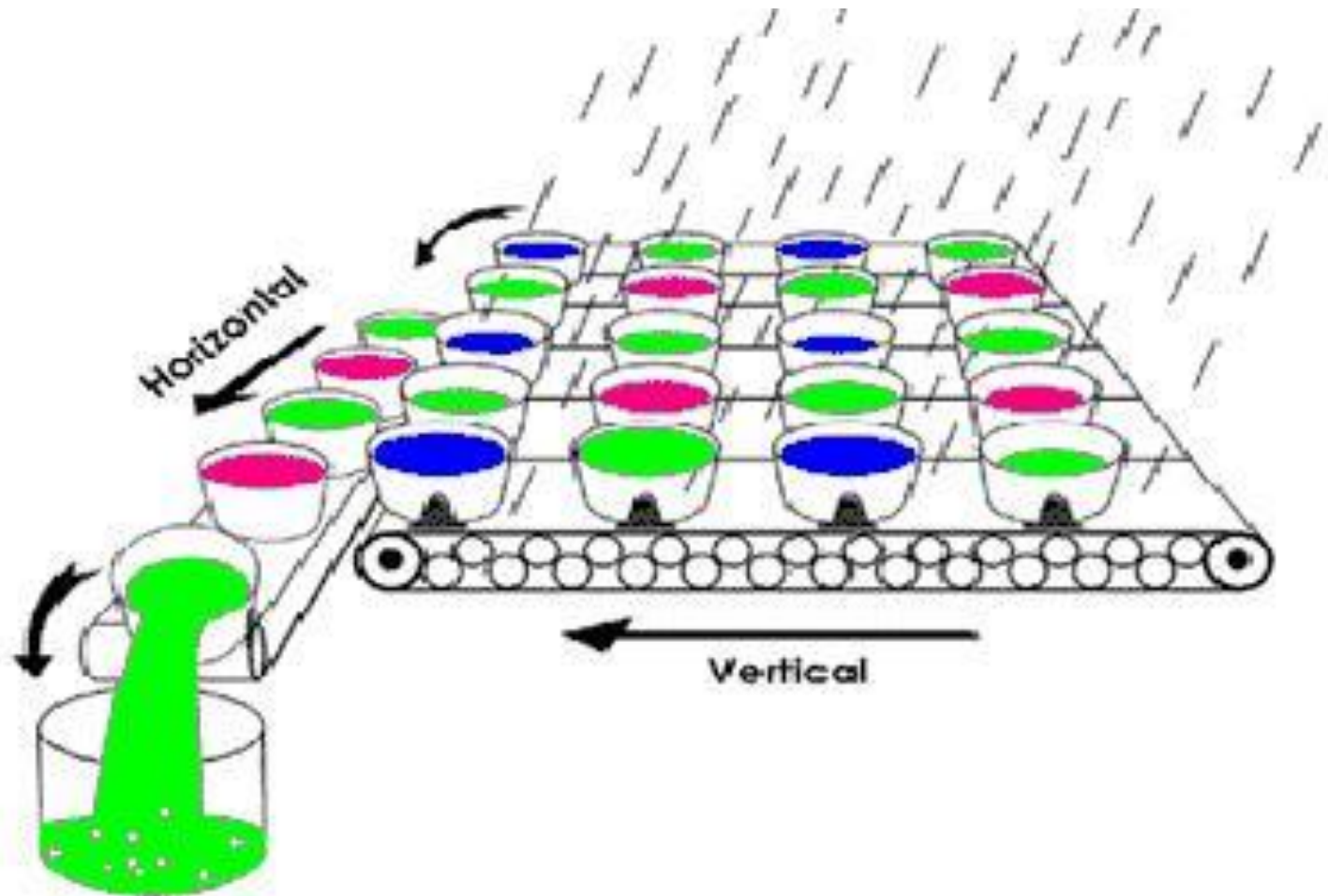
(a) Single imaging sensor.

(b) Line sensor.

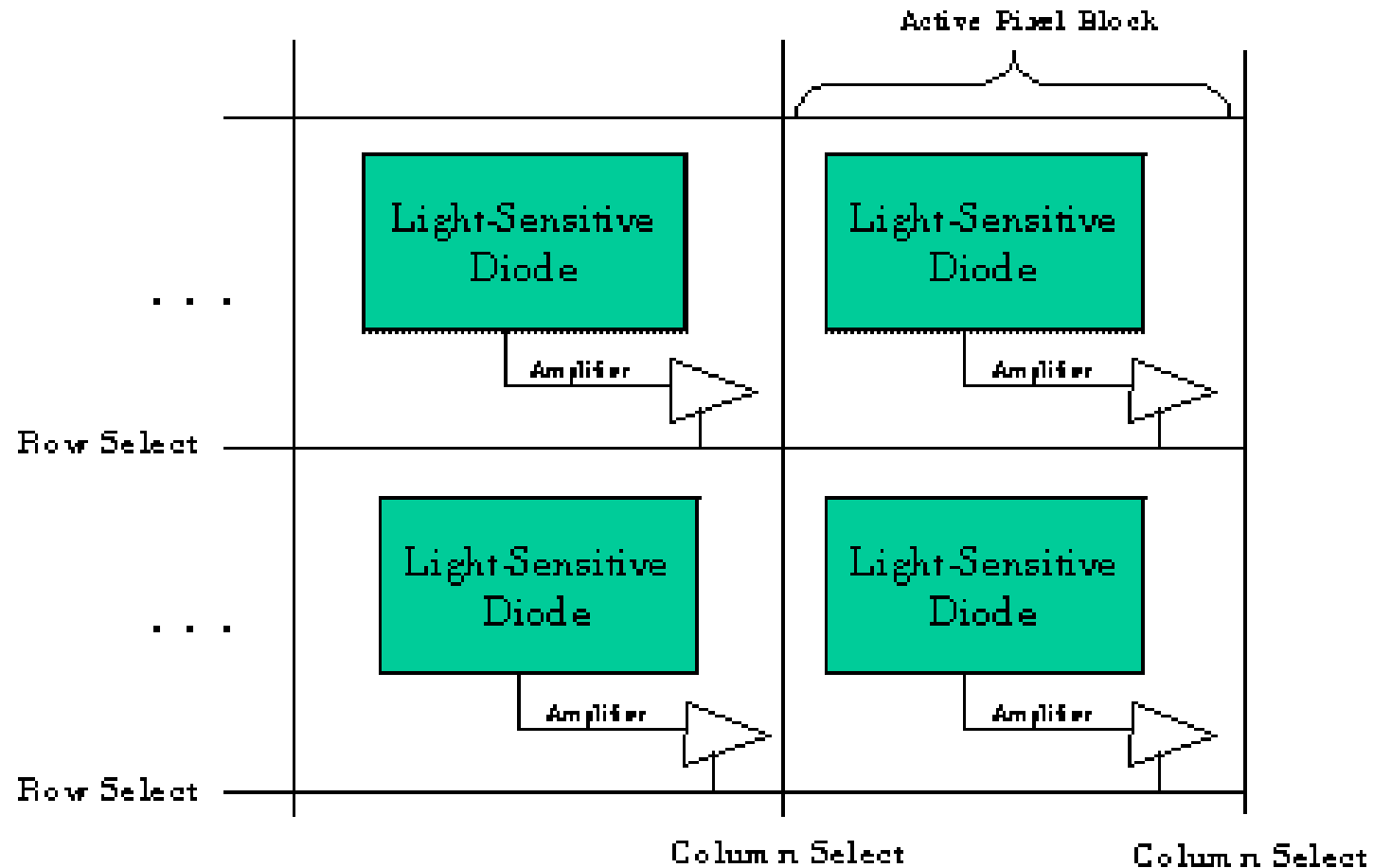
(c) Array sensor.



Depiction of CCD sensors

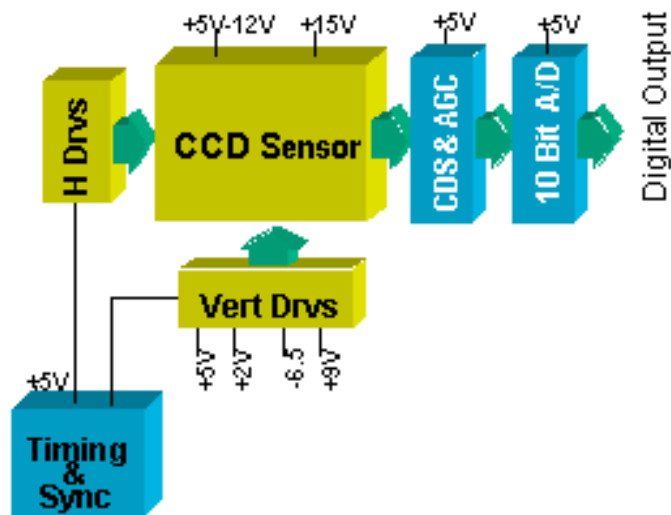


Depiction of CMOS



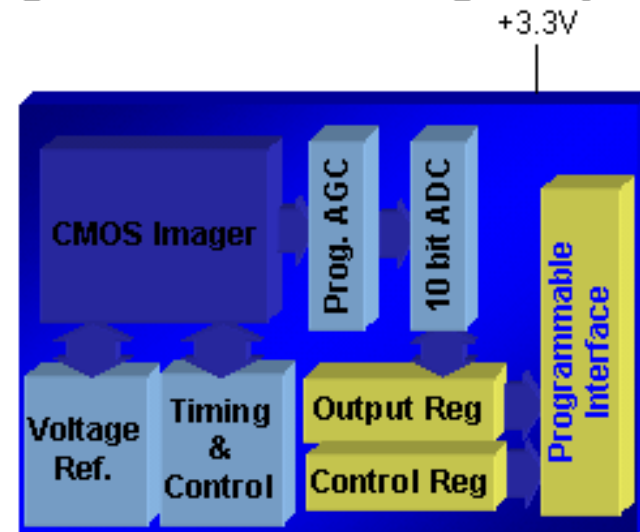
CCD vs. CMOS

Basic CCD Imager System



- Multiple support chips required
- Multiple supply voltages
- Dedicated manufacturing and production needs

Integrated CMOS Imager System

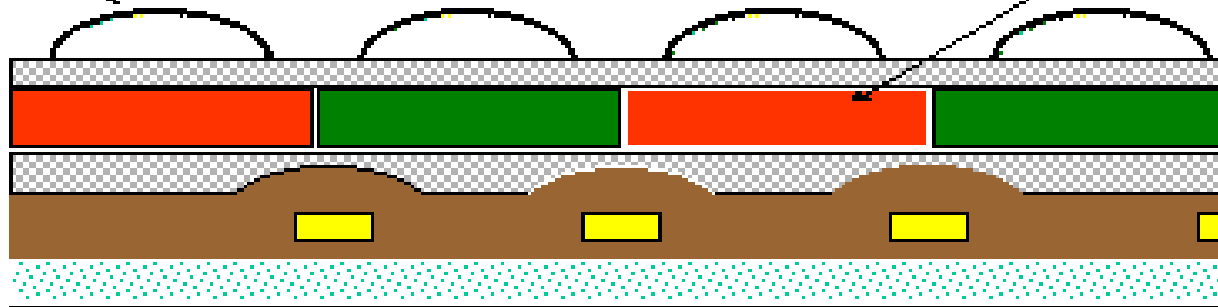


- Lower system-level cost
- Lower power consumption (3 to 10 times lower)
- Smaller size / greater integration
- Streamlined manufacturing and production
- Ease of use for end users
- Accelerated time to market

Concentrating light and color filtering

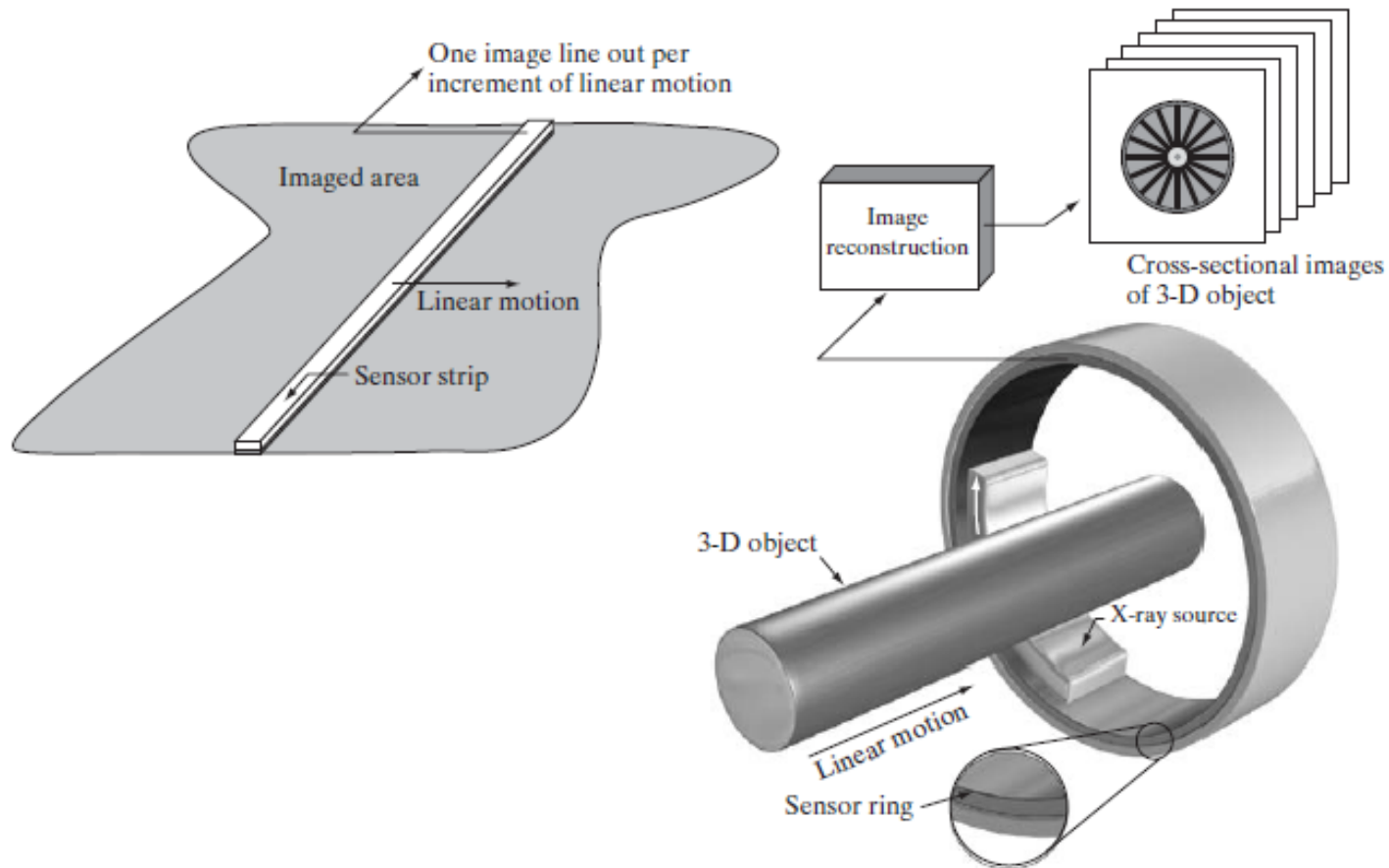
M i c r o - l e n s

C o l o r F i l t e r



C M O S
I m a g e r
A r r a y

Some other sensor configurations



a b

FIGURE 2.14 (a) Image acquisition using a linear sensor strip. (b) Image acquisition using a circular sensor strip.

A Simple Image Formation Model

- $0 < f(x, y) < \infty$
- $f(x, y) = i(x, y) r(x, y)$

Image Sampling and Quantization

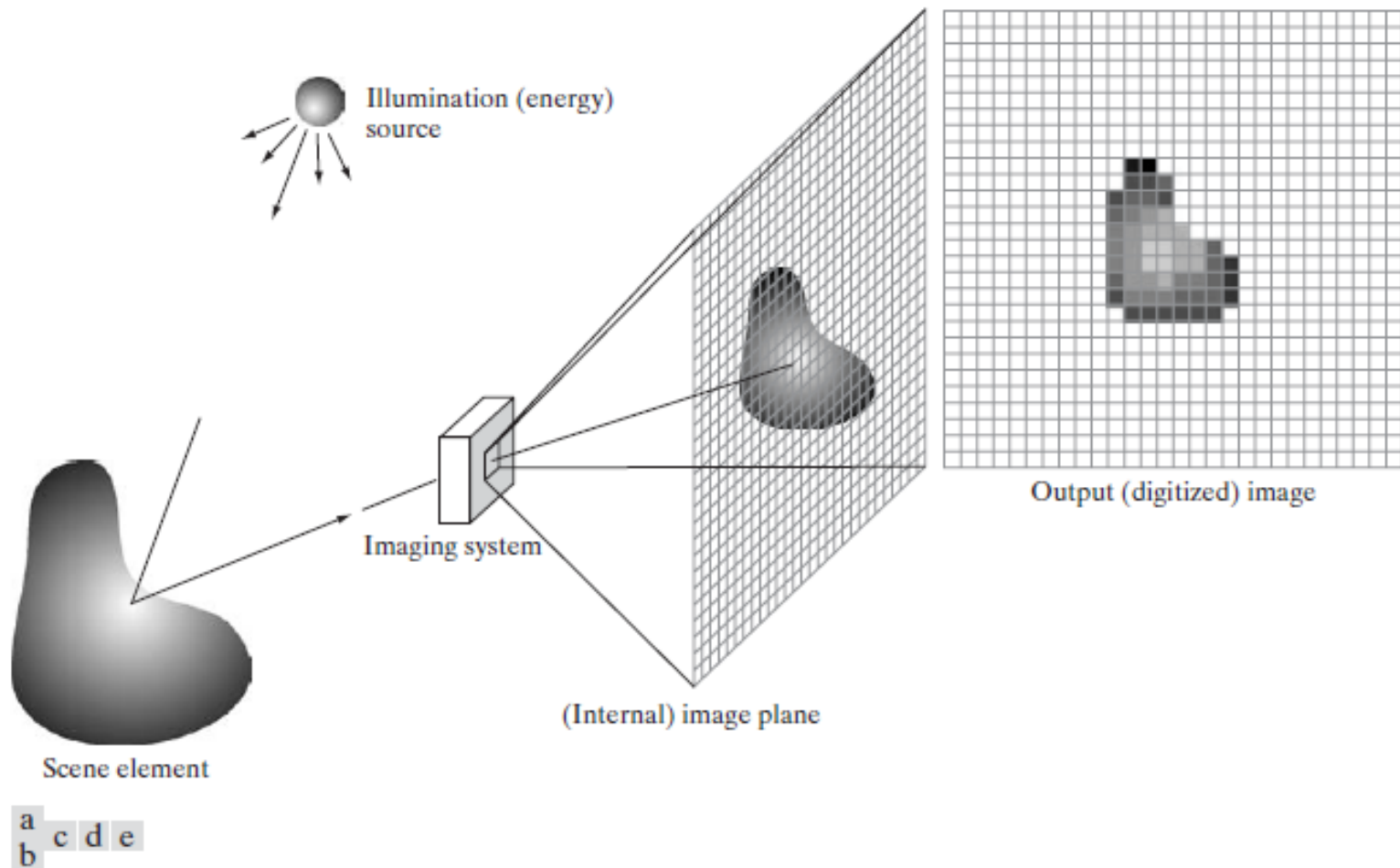
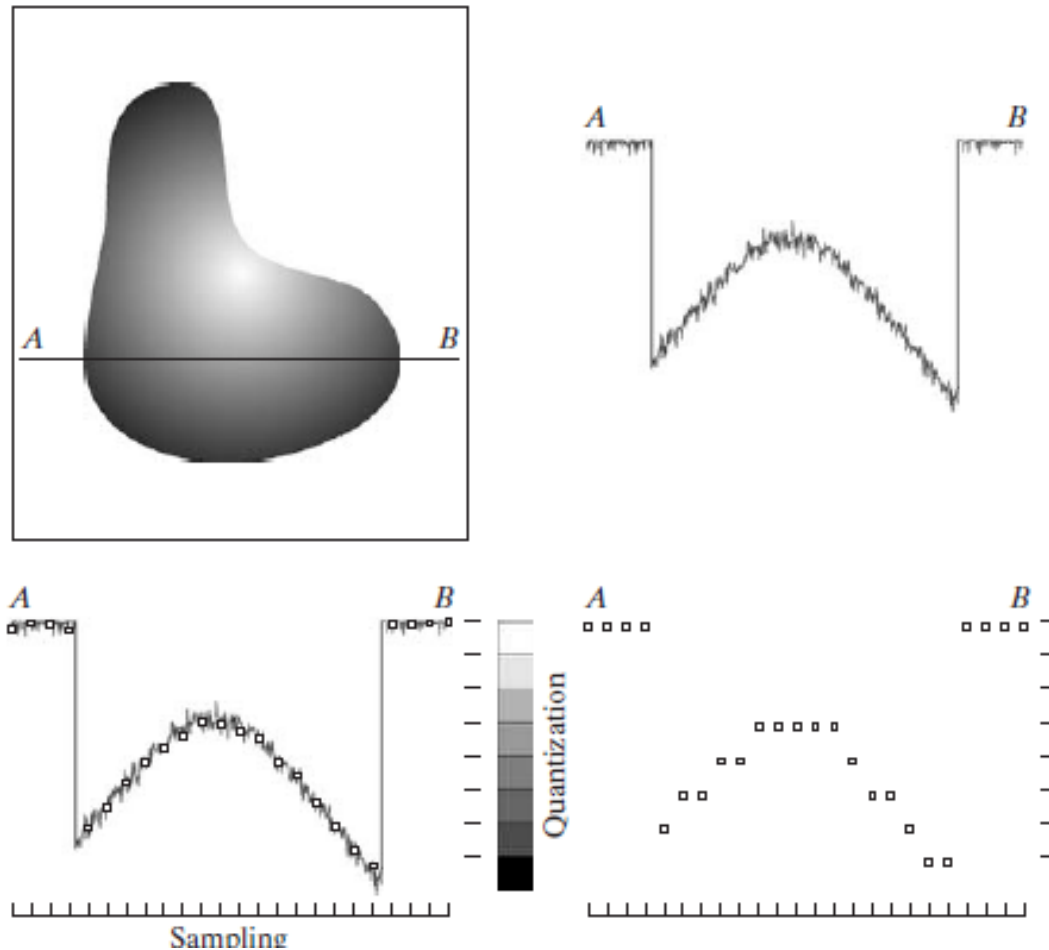


FIGURE 2.15 An example of the digital image acquisition process. (a) Energy (“illumination”) source. (b) An element of a scene. (c) Imaging system. (d) Projection of the scene onto the image plane. (e) Digitized image.

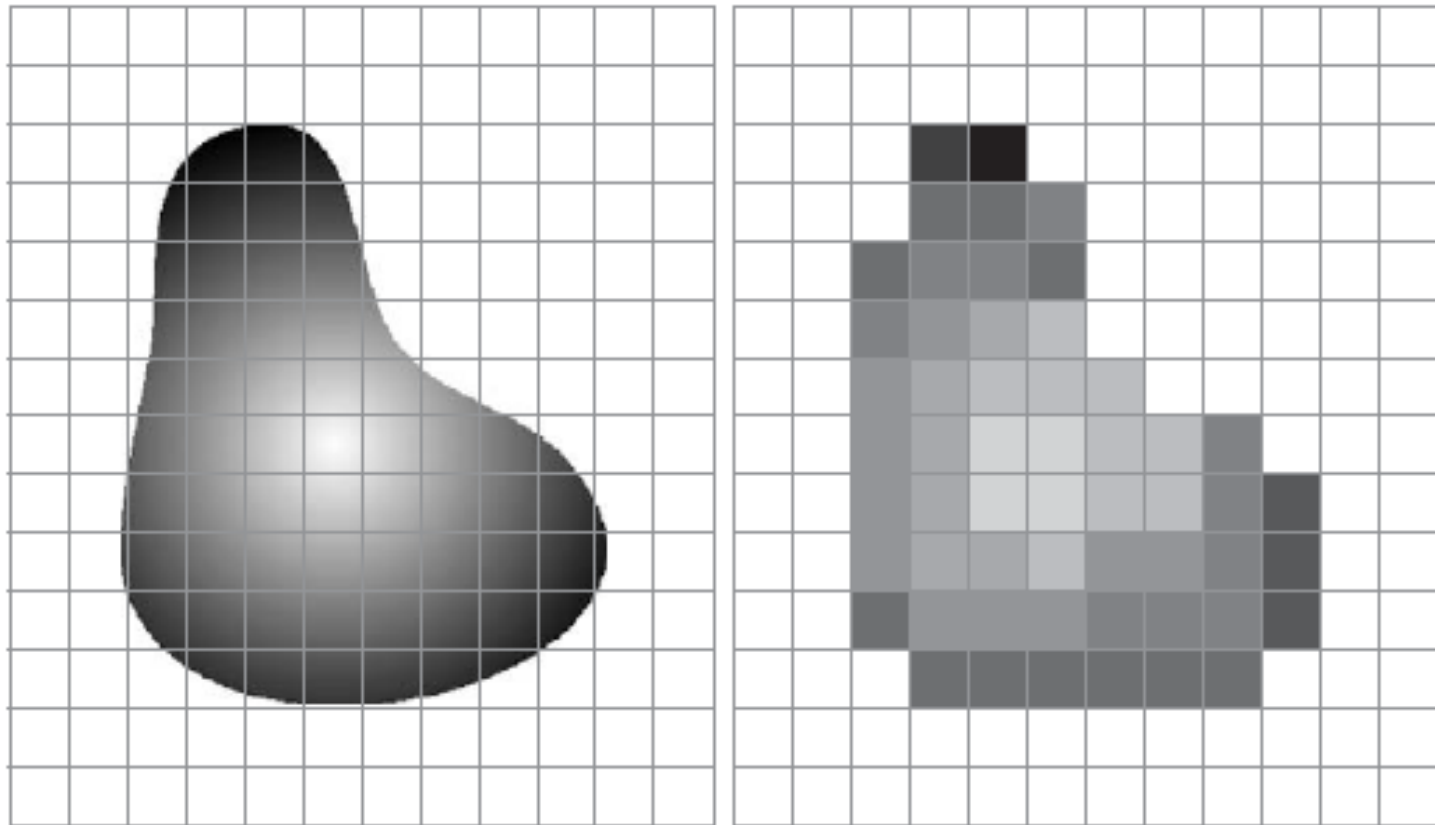
Sampling and quantization



a b
c d

FIGURE 2.16
Generating a digital image.
(a) Continuous image. (b) A scan line from *A* to *B* in the continuous image, used to illustrate the concepts of sampling and quantization. (c) Sampling and quantization. (d) Digital scan line.

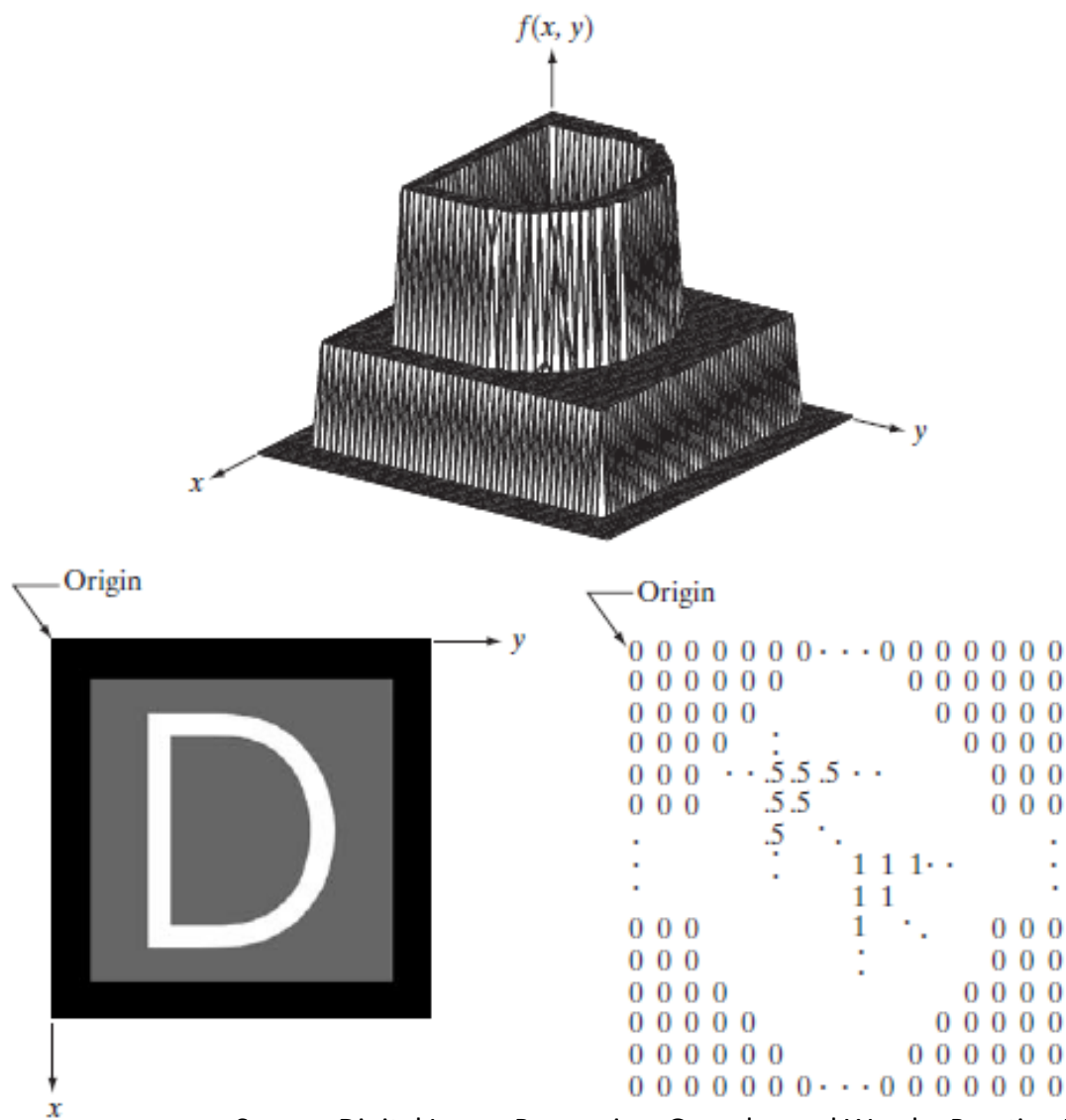
Sampling and quantization



a b

FIGURE 2.17 (a) Continuous image projected onto a sensor array. (b) Result of image sampling and quantization.

Surfaces and contours of intensity



a
b c

FIGURE 2.18

(a) Image plotted as a surface.

(b) Image displayed as a visual intensity array.

(c) Image shown as a 2-D numerical array (0, .5, and 1 represent black, gray, and white, respectively).

Arrays, matrices, and vectors

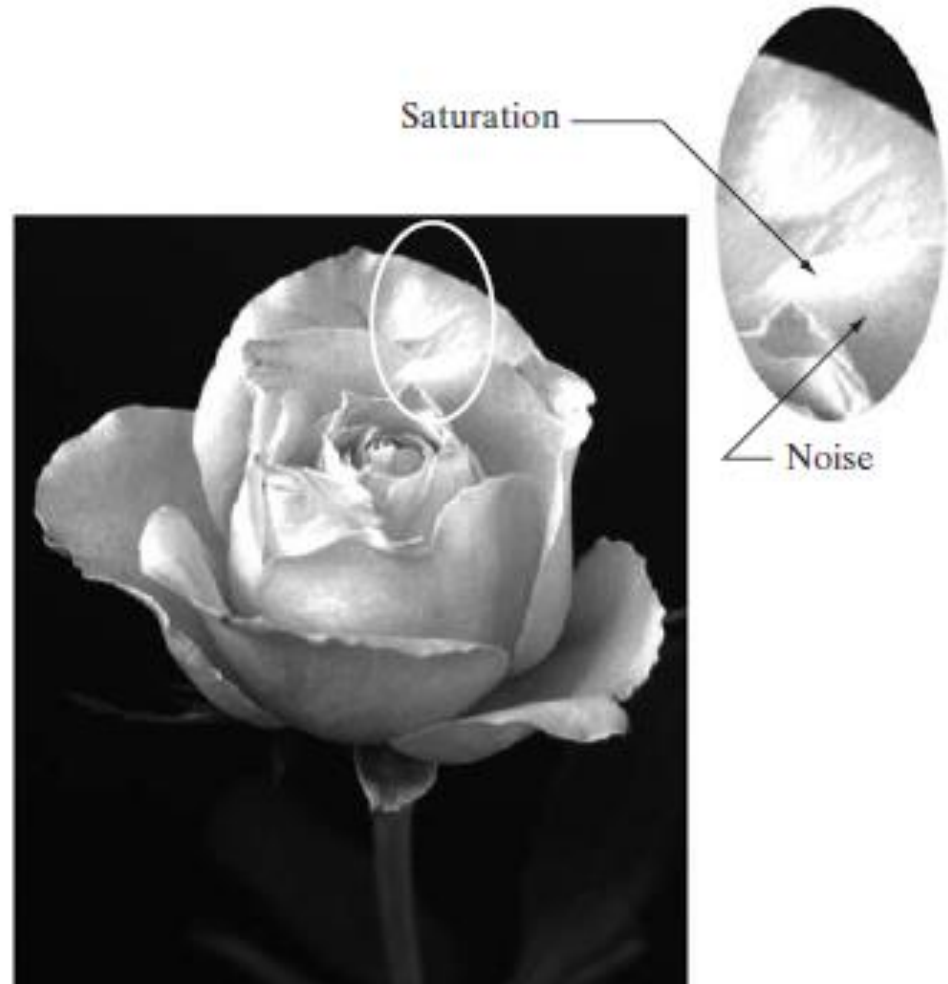
- Image is a 2-d (or 3-d) array
 - Not a matrix (or a tensor)
- Image pixels can be represented as a vector
 - Vectorizing an image
- RGB can be represented as a vector

Image sizes and intensity levels

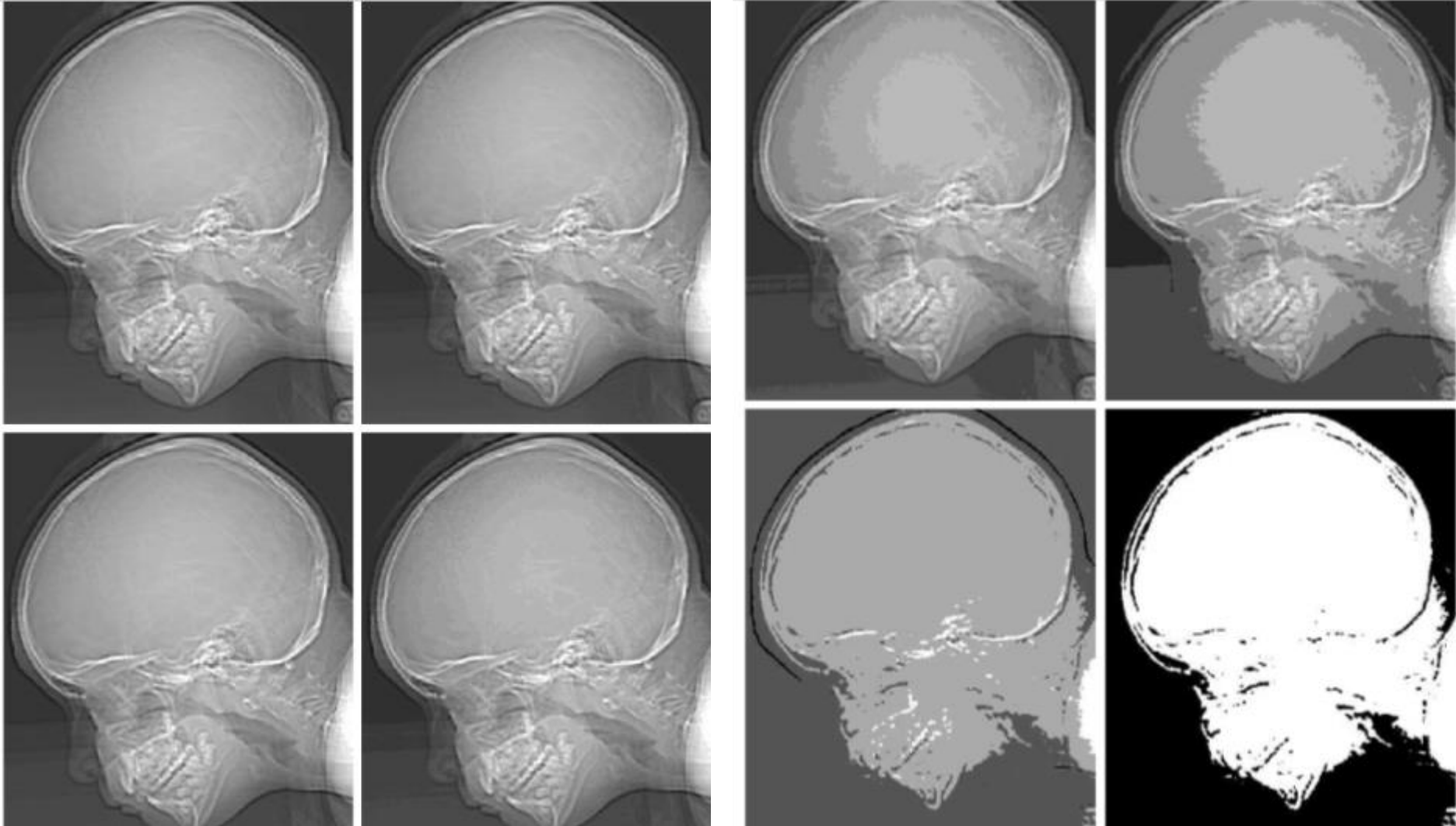
- Intensity levels are usually powers of 2
 - Why?
- Image sizes are preferably powers of 2, but not always
 - Why?
- There are different ways to describe resolution

When pixel intensities are outside the range represented

FIGURE 2.19 An image exhibiting saturation and noise. Saturation is the highest value beyond which all intensity levels are clipped (note how the entire saturated area has a high, *constant* intensity level). Noise in this case appears as a grainy texture pattern. Noise, especially in the darker regions of an image (e.g., the stem of the rose) masks the lowest detectable true intensity level.

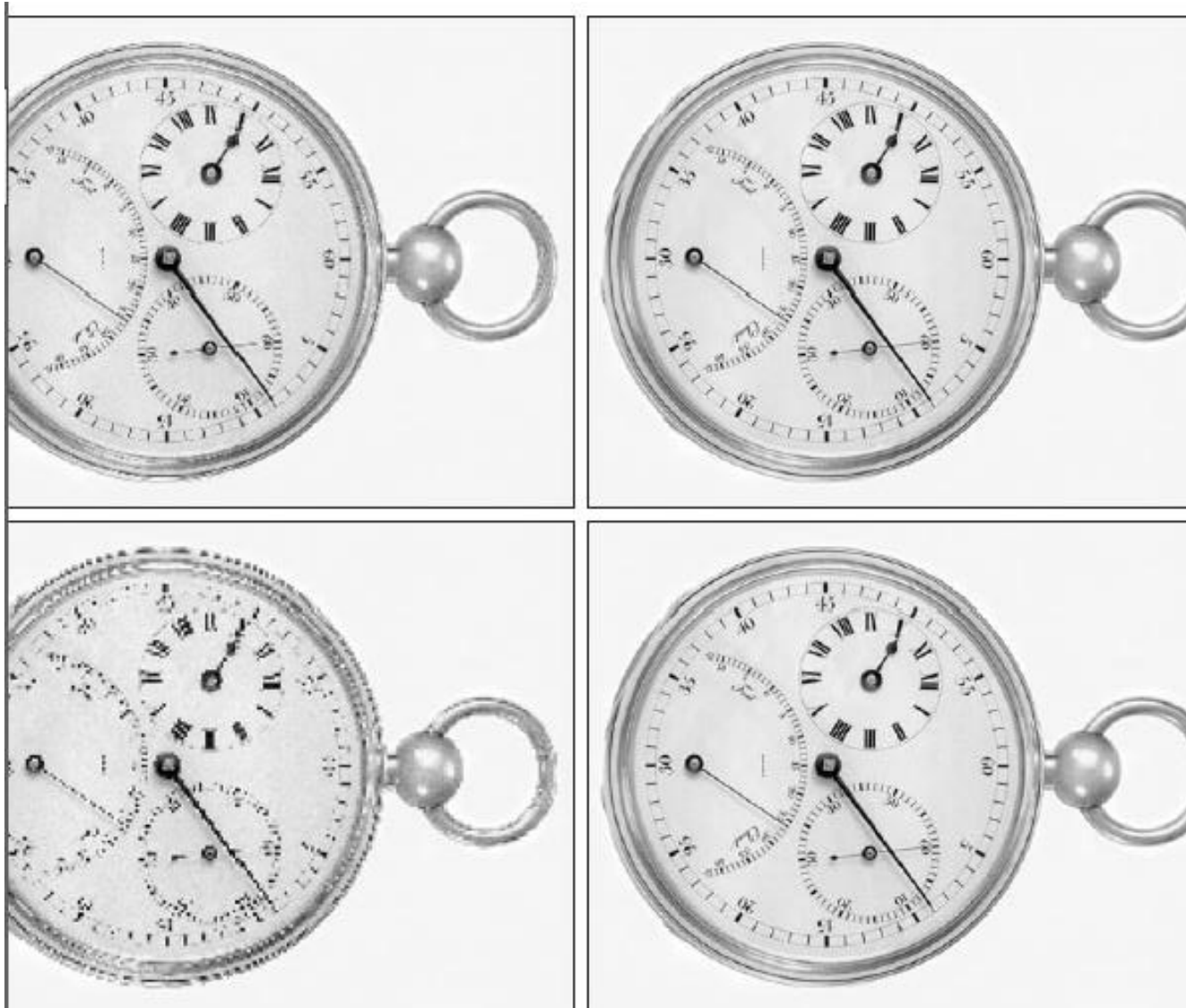


Effect of intensity levels



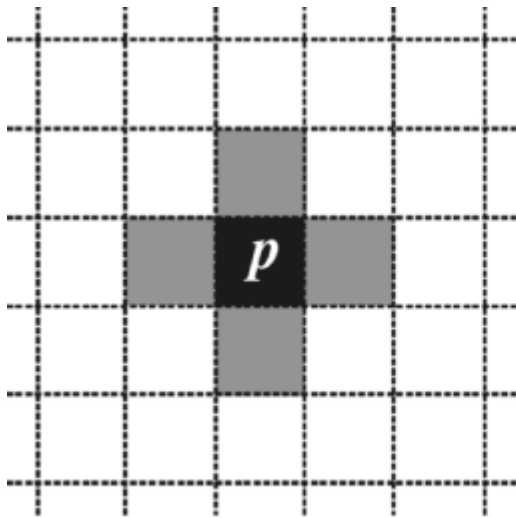
Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

Effect of spatial resolution

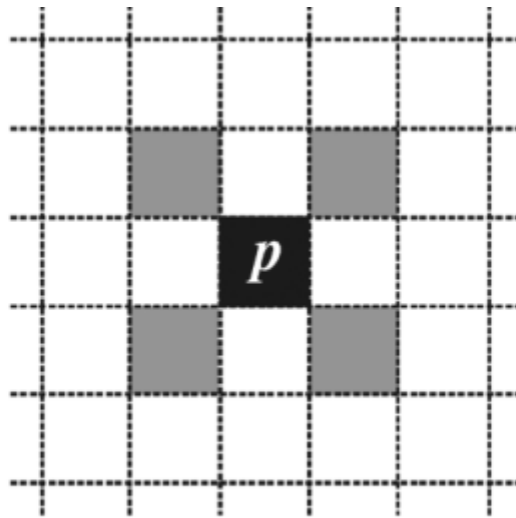


Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall

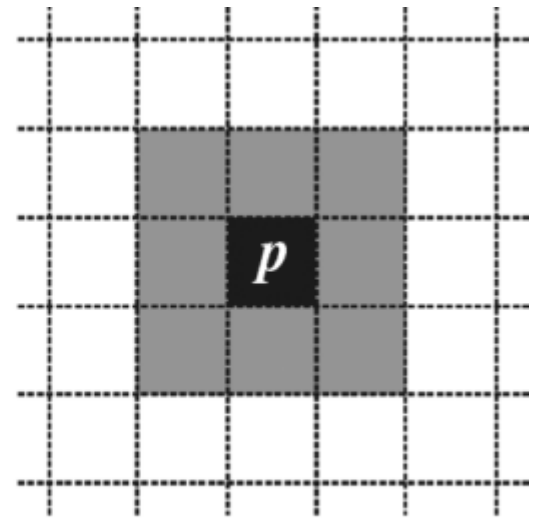
Neighbors of a pixel



(a)



(b)



(c)

Adjacency

- Neighboring pixels are said to be adjacent if their values belong to a set V
- E.g. $V = \{1\}$ means all pixel pairs that have value 1, and are neighbors are adjacent.
- Examples
 - 4-adjacency
 - 8-adjacency
 - Mixed adjacency (first check 4, if not then check D)

Paths and connected components

- A series of adjacent pixels is a path
- A set of adjacent pixels in which a path from any pixel to any other pixel exists is a connected component
- Connected components have inner and outer boundaries

Distance measures

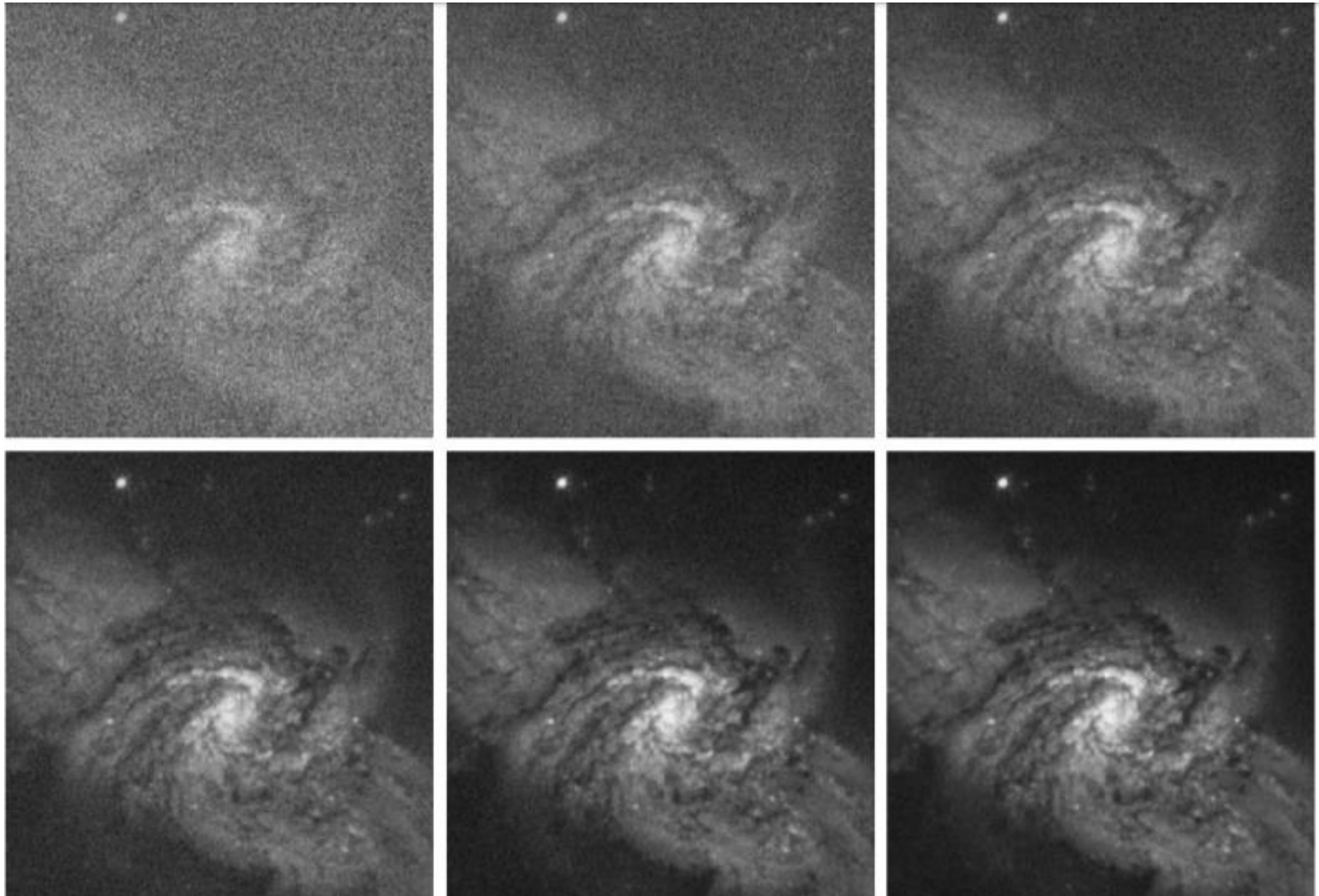
- $D(p,q) \geq 0$
- $D(p,q) = D(q,p)$
- $D(p,q) \leq D(p,z) + D(z,q)$
- Examples
 - Euclidean distance
 - D_4 distance
 - D_8 distance

Array vs. Matrix Ops

- Array ops are element wise
- E.g.
 - Element-wise products
 - Element-wise sums
 - Element-wise linear operation
 - Element-wise nonlinear operation

Example: Averaging of K images

- Noise std. dev. reduces by $K^{-1/2}$

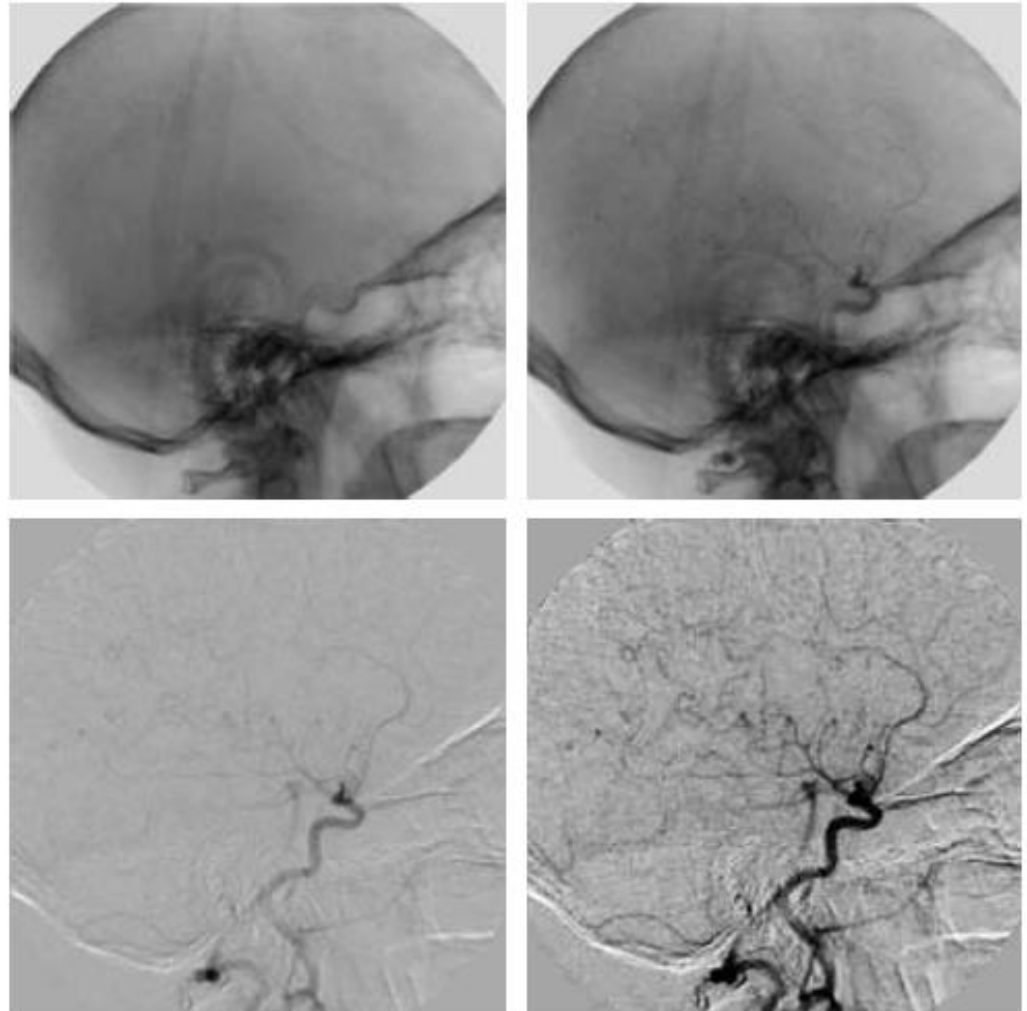


Subtraction of images

a	b
c	d

FIGURE 2.28

Digital subtraction angiography. (a) Mask image. (b) A live image. (c) Difference between (a) and (b). (d) Enhanced difference image. (Figures (a) and (b) courtesy of The Image Sciences Institute, University Medical Center, Utrecht, The Netherlands.)



ROI masking



FIGURE 2.30 (a) Digital dental X-ray image. (b) ROI mask for isolating teeth with fillings (white corresponds to 1 and black corresponds to 0). (c) Product of (a) and (b).

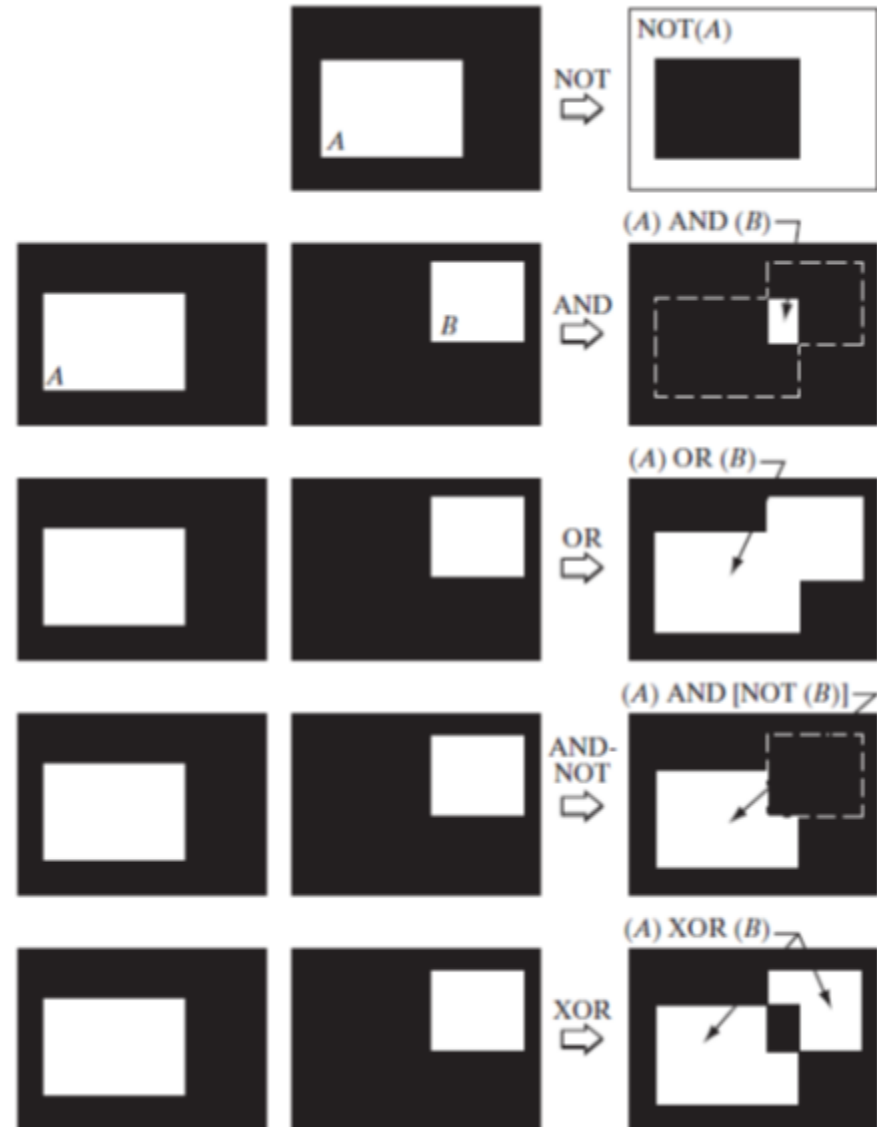
How will you enhance contrast?

- $L_{\text{new}} = (L_{\text{old}} - L_{\text{min}}) / (L_{\text{max}} - L_{\text{min}})$
- Instead of max and min, one can use 1st percentile and 99th percentile.

Logical operations

FIGURE 2.33

Illustration of logical operations involving foreground (white) pixels. Black represents binary 0s and white binary 1s. The dashed lines are shown for reference only. They are not part of the result.

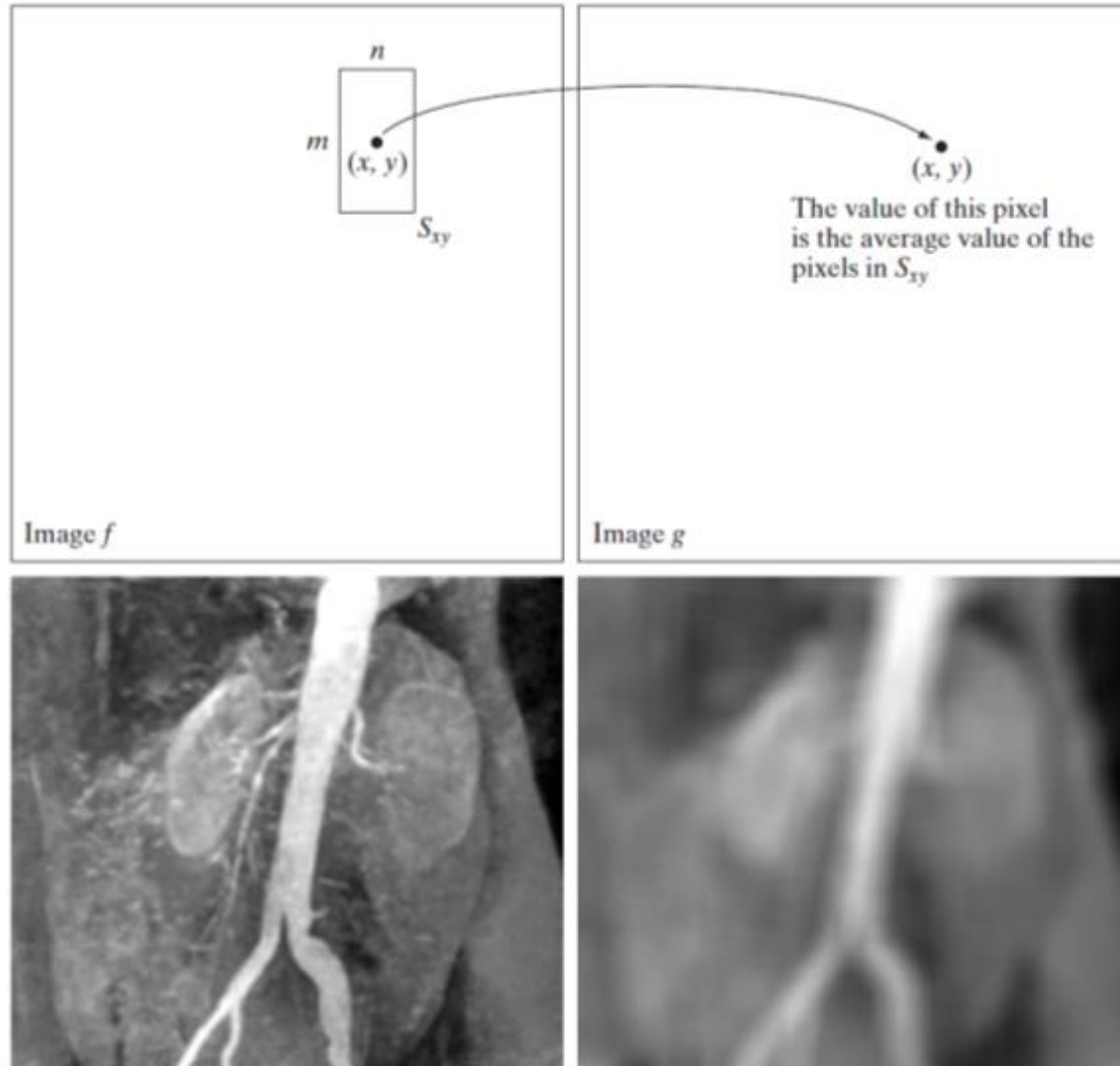


Going beyond single pixels to use spatial neighborhoods

a b
c d

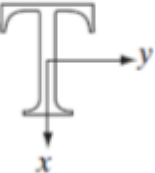


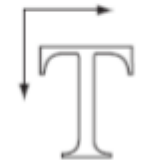


FIGURE 2.35

Local averaging using neighborhood processing. The procedure is illustrated in (a) and (b) for a rectangular neighborhood. (c) The aortic angiogram discussed in Section 1.3.2. (d) The result of using Eq. (2.6-21) with $m = n = 41$. The images are of size 790×686 pixels.



Coordinate transformation

- (x, y)
 $= T\{(v, w)\}$

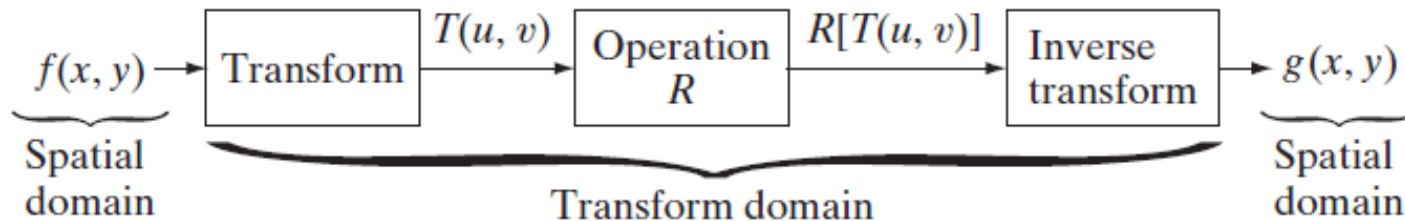
Transformation Name	Affine Matrix, T	Coordinate Equations	Example
Identity	$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$	$x = v$ $y = w$	
Scaling	$\begin{bmatrix} c_x & 0 & 0 \\ 0 & c_y & 0 \\ 0 & 0 & 1 \end{bmatrix}$	$x = c_x v$ $y = c_y w$	
Rotation	$\begin{bmatrix} \cos \theta & \sin \theta & 0 \\ -\sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix}$	$x = v \cos \theta - w \sin \theta$ $y = v \sin \theta + w \cos \theta$	
Translation	$\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ t_x & t_y & 1 \end{bmatrix}$	$x = v + t_x$ $y = w + t_y$	
Shear (vertical)	$\begin{bmatrix} 1 & 0 & 0 \\ s_v & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$	$x = v + s_v w$ $y = w$	
Shear (horizontal)	$\begin{bmatrix} 1 & s_h & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$	$x = v$ $y = w + s_h v$	

Vectorizing an image

- Express an $M \times N$ image as an $MN \times 1$ vector
- Now, you can define matrix operations
e.g. $\mathbf{g} = \mathbf{H}\mathbf{f} + \mathbf{n}$

Working in a *transform* domain

$$T(u, v) = \sum_{x=0}^{M-1} \sum_{y=0}^{N-1} f(x, y)r(x, y, u, v)$$

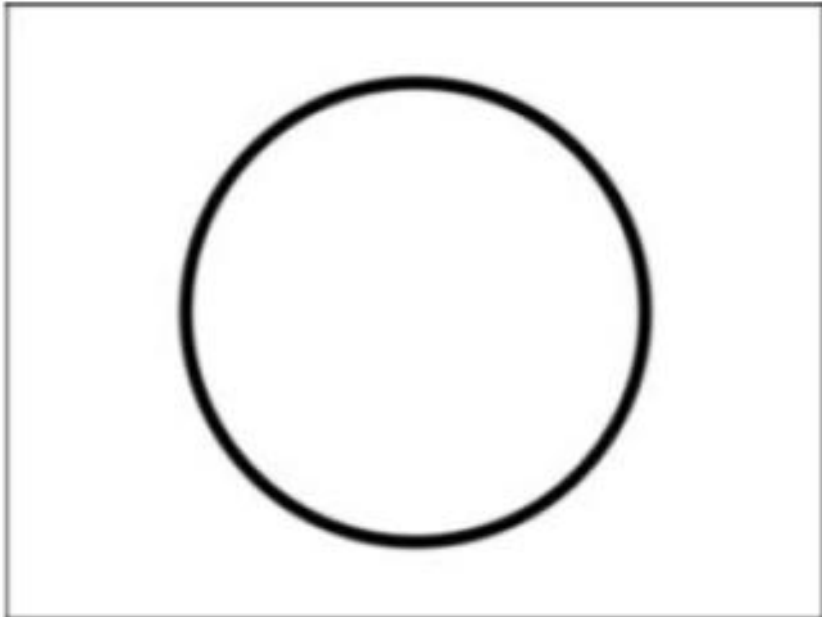
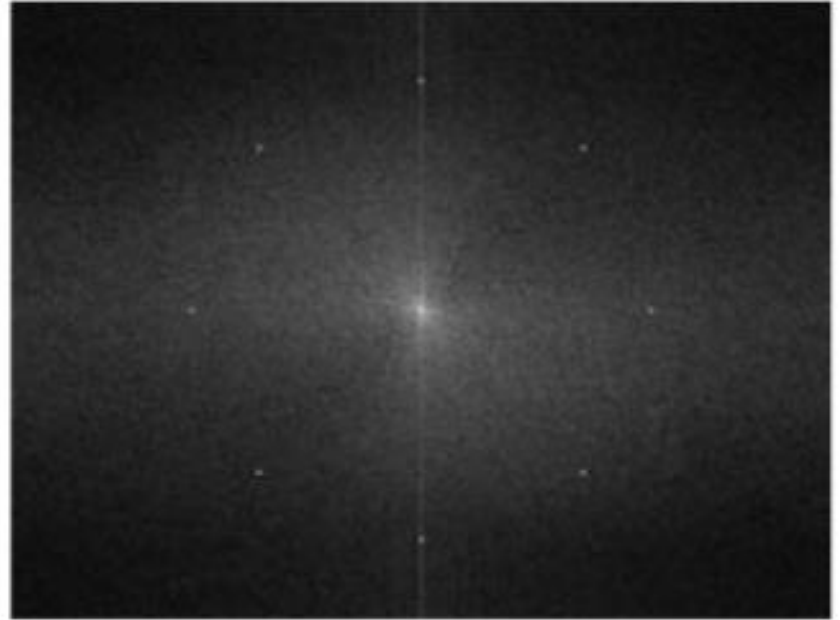
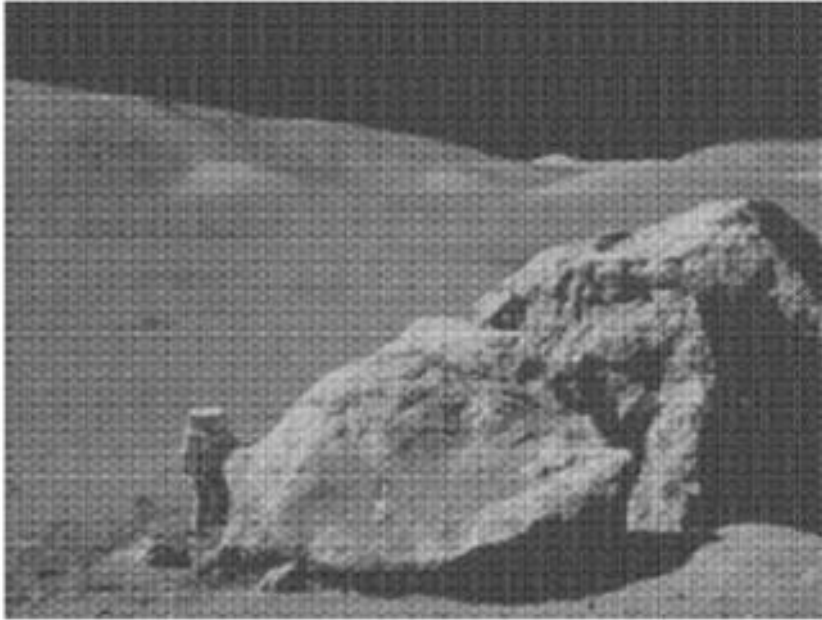


are the row and column dimensions of f . Variables u and v are called the *transform variables*. $T(u, v)$ is called the *forward transform* of $f(x, y)$. Given $T(u, v)$, we can recover $f(x, y)$ using the *inverse transform* of $T(u, v)$,

$$f(x, y) = \sum_{u=0}^{M-1} \sum_{v=0}^{N-1} T(u, v)s(x, y, u, v) \quad (2.6-31)$$

for $x = 0, 1, 2, \dots, M - 1$ and $y = 0, 1, 2, \dots, N - 1$, where $s(x, y, u, v)$ is called the *inverse transformation kernel*. Together, Eqs. (2.6-30) and (2.6-31) are called a *transform pair*.

Example: Cleaning sinusoidal interference



Source: Digital Image Processing, Gonzalez and Woods, Prentice Hall