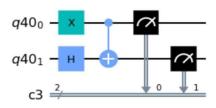
## 1) What is the output after executing the following circuit "1000" times?



- a) {'10':490, '01':510}
- b) {'01':490, '10':510}
- c) {'01':490, '11':510}
- d) {'00':490, '11':510}

## 2) Which of the statements given below will create a quantum circuit with '3' quantum bits and '4' classical bits?

- a) qc= QuantumCircuit(4,3)
- b) q= QuantumRegister(3)
  - c= ClassicalRegister(4)
  - qc= QuantumCircuit(q,c)
- c) qc= QuantumCircuit(3,4)
- d) qc= QuantumCircuit([3,4])

#### 3) Given this code fragment, what is the probability that a measurement would result in |1>?

qc = QuantumCircuit(1)

qc.x(0)

qc.ry(5\*pi/8, 0)

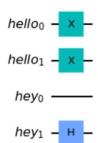
- a) 0.31
- b) 0.25
- c) 0.47
- d) 0.69

## 4) Assuming the fragment below, which three code fragments would produce the circuit illustrated?

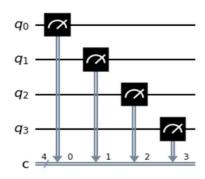
q = QuantumRegister(2,'hello')

c = QuantumRegister(2,'hey')

qc = QuantumCircuit(q,c)

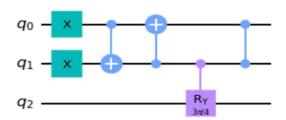


- a) qc.x([0,1]) qc.h(3) qc.draw()
- b) qc.h(q[0:2])
   qc.x(c[0])
   qc.draw()
- c) qc.h(q[0]) qc.h(q[1]) qc.x(c[0]) qc.draw()
- d) qc.h(q[-2:2])
   qc.x([3])
   qc.draw()
- e) qc.h(q) qc.x(c) qc.draw()
- f) qc.x(q[0:2]) qc.h(c[1:2]) qc.draw('mpl')
- 5) Given an empty QuantumCircuit object, qc, with four qubits and three classical bits, which one of these code fragments would create this circuit?



- a) qc.measure\_all()
- b) qc.measure(0,1,2,3,4)
- c) qc.measure([0,0], [1,1], [2,2], [3,3], [4,4])
- d) for i in range(4): qc.measure(i,i)
- e) qc.measure([0,1,2,3], [0,1,2,3])

6) Select the code that perfectly matches the given figure below.



```
a) qc = QuantumCircuit(3)
qc.x([0,1])
qc.cx(0,1)
qc.cx(1,0)
qc.ry(3*pi/4,1,2)
qc.swap(0,1)
```

```
    b) qc = QuantumCircuit(3)
    qc.x(0,1)
    qc.cx(0,1)
    qc.cx(1,0)
    qc.cry(3*pi/4,1,2)
    qc.swap(0,1)
```

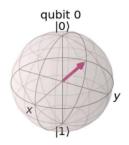
```
c) qc = QuantumCircuit(3)
    qc.x([0,1])
    qc.cx(0,1)
    qc.cx(1,0)
    qc.cry(3*pi/4,1,2)
    qc.cz(0,1)
```

```
d) qc = QuantumCircuit(3)
    qc.x([0,1])
    qc.cx(0,1)
    qc.cx(1,0)
    qc.cry(3*pi/4,0,2)
    qc.cz(0,1)
```

7) Given this code, which two inserted code fragments result in the state vector represented by this Bloch sphere?

```
qc= QuantumCircuit(1,1)
# Insert code fragment here
simulator = Aer.get_backend('statevector_simulator')
job = execute(qc, simulator)
result = job.result()
outputstate = result.get_statevector(qc)
```

## plot\_bloch\_multivector(outputstate)



- a) qc.ry(-pi/2,0)
- b) qc.x(0)

qc.h(0)

c) qc.h(0)

qc.x(0)

- d) qc.ry(pi/2,0)
- e) qc.h(0)

qc.rz(-pi/2,0)

f) qc.x(0)

qc.rx(pi,0)

qc.ry(-pi/2,0)

## 8) T-gate is a Qiskit phase gate with what value of the phase parameter?

- a) п/2
- b) п
- с) п/4
- d) n/8

## 9) Which two options would place a barrier across qubits 1 and 2 to the QuantumCircuit below?

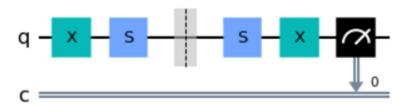
q= QuantumRegister(3)

c= ClassicalRegister(3)

qc = QuantumCircuit(q,c)

- a) qc.barrier\_all()
- b) qc.barrier([0,1])
- c) qc.barrier()
- d) qc.barrier(q[0:2])
- e) qc.barrier(qc[0,1])

# 10) What code fragment codes the equivalent circuit if you remove the barrier in the following QuantumCircuit?



```
a) qc = QuantumCircuit(1,1)
   qc.h(0)
   qc.t(0)
   qc.h(0)
   qc.measure(0,0)
b) qc = QuantumCircuit(1,1)
   qc.h(0)
   qc.z(0)
   qc.h(0)
   qc.measure(0,0)
c) qc = QuantumCircuit(1,1)
   qc.h(0)
   qc.t(0)
   qc.tdg(0)
   qc.h(0)
   qc.measure(0,0)
d) qc = QuantumCircuit(1,1)
   qc.h(0)
   qc.sdg(0)
   qc.z(0)
   qc.x(0)
```

## 11) Given the following code, What is the depth of the circuit?

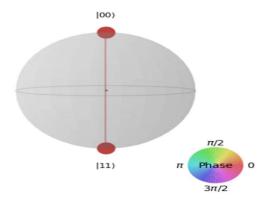
```
qc= QuantumCircuit(3)
qc.h(0)
qc.cx(0,1)
qc.h(0)
qc.h(1)
qc.cx(1,2)
```

- a) 5
- b) 3
- c) 4
- d) 6

## 12) Which one of the following codes can be used to add the two given circuits?

```
qc1= QuantumCircuit(1)
qc1.x(0)
```

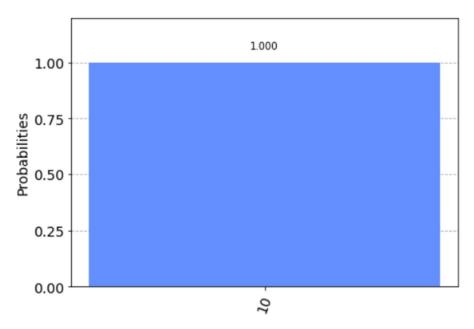
```
qc1.h(0)
      qc2= QuantumCircuit(2)
      qc2.cx(0,1)
      qc2.cx(1,0)
   a) qc1+qc2
   b) qc1.append(qc2)
   c) qc_new = qc1.add(qc2)
   d) None of the above
13) Which one of the following codes gives us the status of the job?
          a) job.monitor()
          b) job.status()
          c) job.status('check_my_job')
          d) job.get_status()
14) Which one of the following codes is used to invert the given circuit?
              qc = QuantumCircuit(2)
              qc.x(1)
              qc.z(0)
              qc.h(0)
          a) qc.get_inverse()
          b) qc.inverse()
          c) qc.invert()
          d) We cannot invert circuits using qiskit
15) Which one of the following codes will result in an X gate?
   a) HZH
   b) ZYZ
   c) HXH
   d) ZXZ
16) Which one of the two following codes are used to check the version of qiskit?
   a) qiskit_qiskit_version___
   b) qiskit. version
   c) qiskit._qiskit_version___
   d) qiskit_version_table
   e) qiskit_version_table_
17) Given the asphere output after executing the code, which one of the following code produces the
given gsphere?
```



```
a) q = QuantumRegister(2)
   c = ClassicalRegister(2)
   qc = QuantumCircuit(q, c)
   qc.h(q[0])
   qc.cx(q[0], q[1])
b) q = QuantumRegister(2)
   c = ClassicalRegister(2)
   qc = QuantumCircuit(q, c)
   qc.x(q[0])
   qc.h([0])
c) q = QuantumRegister(2)
   c = ClassicalRegister(2)
   qc = QuantumCircuit(q, c)
   qc.h([0])
   qc.x([1])
d) q = QuantumRegister(2)
   c = ClassicalRegister(2)
   qc = QuantumCircuit(q, c)
   qc.h(q[1])
   qc.cx(q[0],q[1])
```

## 18) Select the most appropriate code, when executed gives the histogram data given below.

```
qc = QuantumCircuit(2,2)
qc.x(0)
qc.cx(0,1)
qc.cx(1,0)
qc.measure([0,1],[0,1])
```



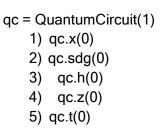
- a) backend = Aer.get\_backend('statevector\_simulator')
   result = execute(qc, backend).result()
   counts = result.get\_counts()
   plot\_histogram(counts)
- b) backend = Aer.get\_backend('unitary\_simulator') result = execute(qc, backend).result() counts = result.get\_unitary() plot histogram(counts)
- c) backend = Aer.get\_backend('qasm\_simulator')
   result = execute(qc, backend).result()
   counts = result.get\_counts()
   plot\_histogram(counts)
- d) backend = Aer.get\_backend('pulser\_simulator') result = execute(qc, backend).result() counts = result.get\_statevector() plot\_histogram(counts)

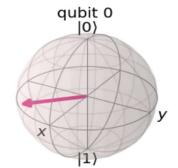
# 19) Which one of the following codes tells us the way qubits are arranged in the given quantum system?

```
provider = IBMQ.load_account()
backend = provider.get_backend('ibmq_belem')
```

- a) plot\_gate(backend)
- b) plot\_gate\_map(backend)
- c) plot\_error\_map(backend)
- d) plot\_gate\_error(backend)

# 20) Arrange the given code fragments in particular order so that when the arranged code is executed it results in the given Bloch sphere.





## 21) Which one of the following output results are correct when the given code is executed?

q = QuantumRegister(2)

c = ClassicalRegister(2)

qc = QuantumCircuit(q, c)

qc.h(q[0])

qc.x(q[1])

qc.h(q[1])

sim = Aer.get backend('unitary simulator')

job = execute(qc, sim)

unitary = job.result().get\_unitary()

$$[\ 0.70710678 + 0.j \ \ 0.70710678 + 0.j \ \ 0. \qquad + 0.j \ \ 0. \qquad + 0.j]$$

$$[\ 0. \quad \ +0.j \ \ 0. \quad \ +0.j \ \ 0.70710678+0.j \ \ 0.70710678+0.j]]$$

d) 
$$[[0+0.j 0 +0.j 0. +0.j 0. +0.j 0. ]$$
  
 $[0+0.j 0 +0.j 0. +0.j 0. +0.j ]$ 

```
22) Which one of the following output results are correct when the given code is executed?
                             qc = QuantumCircuit(2,2)
                             qc.h(0)
                             qc.z(1)
                             backend = Aer.get_backend('statevector_simulator')
                             job = execute(qc, backend)
                             statevector = job.result().get statevector()
                             print(statevector)
   a) [0.70710678+0.j 0+0.j
                                  -0.70710678
                                                  +0.j -0.
                                                              +0.j]
   b) [0.70710678+0.j 0+0.j
                                                  +0.j -0.
                                                              +0.i1
                                           -0.
   c) [ 0.70710678+0.j 0.70710678+0.j -0.
                                                 +0.j -0.
                                                             +0.j]
                                                 +0.j -0.
   d) [0+0.j 0.70710678+0.j
                                                             +0.j]
23) Convert the given QASM circuit to the QISKIT circuit.
              OPENQASM 2.0;
              include "qelib1.inc";
              greg q0[1];
              creg c0[1];
              h q0[0];
              x = q0[1];
              measure q0[1] -> c0[1];
        a) q = QuantumRegister(1)
            c = ClassicalRegister(1)
            qc = QuantumCircuit(q, c)
            qc.h(q[0])
            qc.x(q[1])
        b) q = QuantumRegister(1)
            c = ClassicalRegister(1)
            qc = QuantumCircuit(q, c)
            qc.h(q[1])
            qc.x(q[0])
            qc.measure([0,1],[0,1])
   c) q = QuantumRegister(1)
       c = ClassicalRegister(1)
       qc = QuantumCircuit(q, c)
       qc.h(q[1])
       qc.x(q[0])
       qc.measure([1],[1])
```

d) q = QuantumRegister(1)c = ClassicalRegister(1)

```
qc = QuantumCircuit(q, c)
qc.h(q[0])
qc.x(q[1])
qc.measure([1],[1])
```

#### 24) Which of the following given results matches the maximally entangled state or bell state?

```
a) {'10': 520, '01': 504}b) {'10': 494, '11': 530}c) {'00': 513, '11': 487}d) {'01': 524, '10': 476}
```

#### 25) Which of these code fragments would execute a circuit?

```
from qiskit import QuantumCircuit, execute, BasicAer
backend = BasicAer.get_backend('qasm_simulator')
qc = QuantumCircuit(2)
# insert code here
```

- a) execute(qc, backend, shots =1024, basic\_gates=['u1', 'u2', 'u3', 'cx'], max\_credits='100')
- b) execute(qc, memory\_slots\_shape='square', backend)
- c) execute(qc, backend, mode='custom')
- d) execute(qc, backend, init\_qubits= [0,1])

### 26) Which code snippet would execute a circuit given these parameters?

- Use the Unitary Simulator
- Measure the circuit 1000 times
- Use a coupling map that connects three qubits linearly
- Convert the output to latex

```
qc = QuantumCircuit(3)
# Insert code fragment here
result = job.result()
```

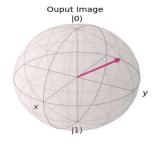
```
a) backend = Aer.get_backend('unitary_simulator')
couple_map = [[0, 1], [1, 2]]
job = execute(qc, backend, shot=1024, coupling_map=couple_map)
unitary = result.get_unitary()
unitary = array_to_latex(unitary)
b) backend = Aer.get_backend('unitary_simulator')
couple_map = [[0, 1], [1, 2]]
job = execute(qc, backend, loop=1000, coupling_map=couple_map)
unitary = result.get_unitary()
unitary = array_latex(unitary)
```

c) backend = Aer.get\_backend('unitary\_simulator') couple\_map = [[0, 1], [1, 2]] job = execute(qc, backend, shots=1000, coupling\_map=couple\_map)

```
unitary = result.get_unitary()
unitary = array_to_latex(unitary)
```

d) backend = Aer.get\_backend('ibmq\_simulator') couple\_map = [[0, 1], [1, 2]] job = execute(qc, backend, shot=1024, coupling\_map=couple\_map) unitary = result.get\_unitary() unitary = array\_latex(unitary)

#### 27) Which one of the following codes given below will result in the image shown?



a) cords=[1,1,1]plot\_bloch\_multivector(cords,'Output Image')

b) cords=[0,pi/7,0] plot\_bloch\_vector(cords,cords\_type='cartesian',name='Output Image')

c) cords=[pi/2,pi/2,pi/2] plot\_bloch\_vector(cords,cords\_type='spherical', title='Output Image')

d) qc = QuantumCircuit(1)
 qc.tdg(0)
 qc.sdg(0)

#### 28) Which simulators are available in Aer?

- a) unitary\_simulator
- b) quantum\_simulator
- c) qasm\_simulator
- d) quantum circuit simulator
- e) statevector\_simulator
- f) basic\_qasm\_simulator
- g) ibmq\_simulator
- h) pulse\_simulator

#### 29) Which code fragment would yield an operator that represents a single-qubit Z gate?

- a) op = Operator.Zop(0)
- b) op = Operator([[0,1]])
- c) qc = QuantumCircuit(1)
   qc.z(0)
   op = Operator(qc)
- d) op = Operator([[1,0,0,1]])

## 30) Which one of the following codes will calculate the process fidelity of the given code below?

- a) process\_fidelity(op\_a, op\_b)
- b) fidelity.get\_process(op\_a,op\_b)
- c) process\_fidelity\_cal(np.array(op\_a),np.array(op\_b))
- d) fidelity\_process(np.array(op\_a),np.array(op\_b))

#### 31) Which one of the following codes are used to calculate the tensor product of A and B?

- a) A = Operator(Pauli(label='X'))
  - B = Operator(Pauli(label='Z'))

A.tensor(B)

- b) A = Operator(Pauli(label='X'))
  - B = Operator(Pauli(label='Z'))

A.expand(B)

- c) A = Operator(Pauli(label='X'))
  - B = Operator(Pauli(label='Z'))

A.compose(B)

- d) A = Operator(Pauli(label='X'))
  - B = Operator(Pauli(label='Z'))

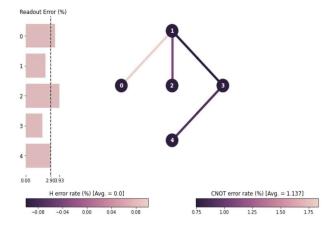
B.tensor(A)

## 32) Which of the given codes below are true or result true when executed.

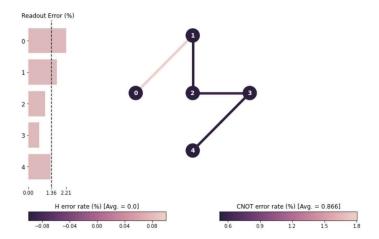
- a) Operator(Pauli(label='X')) == Operator(XGate())
- b) Operator(XGate()) == np.exp(1j \* 0.5) \* Operator(XGate())
- c) Operator(Pauli(name='X')) == Operator(XGate())
- d) Operator(XGate()) == np.exp(1j \* 0) \* Operator(XGate())

#### 33) Which of the given options are correct?

ibmq\_belem Error Map



#### ibmq santiago Error Map



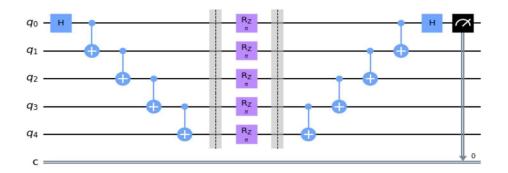
- a) H error rate of ibmq\_belam is equal to the H error rate of ibmq\_santiago
- b) CNOT error rate of ibmq\_santiago is greater than the CNOT error rate of ibmq\_belam
- c) CNOT error rate of ibmq\_santiago is less than the CNOT error rate of ibmq\_belam
- d) Readout error rate of 3rd qubit in ibmq\_belam is greater than the readout error of 3rd qubit in ibmq\_santiago
- e) Readout error rate of 3rd qubit in ibmq\_belam is less than the readout error of 3rd qubit in ibmq\_santiago
- f) The average readout error of ibmq\_santiago is greater than the average readout error of ibmq\_belem
- g) The average readout error of ibmq\_santiago is less than the average readout error of ibmq\_belem

#### 34) Which of the following codes, when executed gives the density matrix?

q = QuantumRegister(1)
c = ClassicalRegister(1)
qc = QuantumCircuit(q, c)
qc.h(q[0])
# Insert your code here

- a) DensityMatrix = Density Matrix.get instruction(qc)
- b) Density\_Matrix = DensityMatrix.get\_instructions(qc)
- c) Density Matrix = DensityMatrix.from instruction(qc)
- d) DensityMatrix = DensityMatrix.from\_instructions(qc)

35) Arrange the given code fragments in particular order so that when the arranged code is executed it results in the given figure below.



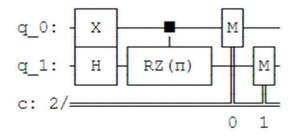
- 1) qc = QuantumCircuit(5, 1)
- 2) qc.barrier()
- 3) qc.h(0)
- 4) n = 5
- 5) for i in range(n-1):
- 6) for i in reversed(range(n-1)):
- 7) qc.cx(i, i+1)
- 8) qc.rz(pi, range(5))
- 9) qc.measure(0, 0)
- a) 1),7),8),5),2),7),4),3),2),3),6),9)
- b) 4),1),3),5),7),2),8),2),6),7),3),9)
- c) 3),6),7),2),5),7),8),2),3),1),4),9)
- d) 4),1),3),6),7),3),8),2),5),7),2),9)

## 36) Which line of code would assign a unitary simulator object to the variable backend?

- a) backend = BasicAer.UnitarySimulatorPy()
- b) backend = BasicAer.get backend('unitary simulator')
- c) backend = BasicAer.get\_back('unitary\_simulator')
- d) backend = BasicAer.StatevectorSimulatorPy().get\_backend()

## 37) When executed, which one of the following codes produces the given image?

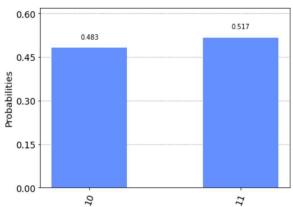
qc = QuantumCircuit(2,2)
qc.x(0)
qc.h(1)
qc.crz(pi,0,1)
qc.measure([0,1],[0,1])
#Insert your code here



a) qc.draw('mpl')

- b) qc.draw('text')
- c) qc.draw('latex')
- d) qc.plot('text')

## 38) When executed, which one of the following codes produces the histogram image given below?



qc = QuantumCircuit(2,2)
#Insert your code here
qc.measure([0,1],[0,1])
#Insert your code here
counts = result.get\_counts()
plot\_histogram(counts)

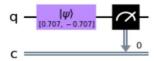
```
a) qc.x(1)
   qc.cx(1,0)
   qc.h(1)
   backend = Aer.get_backend('qasm_simulator')
   result = execute(qc,backend, shots=1024).result()
b) qc.x(0)
   qc.cx(1,0)
   qc.h(1)
   backend = Aer.get_backend('statevector_simulator')
   result = execute(qc,backend, shots=1000).result()
c) qc.x(0)
   qc.cx(0,1)
   qc.h(1)
   backend = Aer.get_backend('qasm_simulator')
   result = execute(qc,backend, shots=1024).result()
d) qc.x(1)
   qc.cx(0,1)
   qc.h(0)
   backend = Aer.get backend('qasm simulator')
```

result = execute(qc,backend, shots=1000).result()

- a) AerSimulator('aer simulator statevector')
- b) UnitarySimulator('get unitarysimulator')
- c) AerSimulator('aer\_simulator\_superop')
- d) AerSimulator('aer\_simulator\_density\_matrix')
- e) AerSimulator('aer.get\_simulator\_statevector')
- f) AerSimulator('aer simulator matrix')

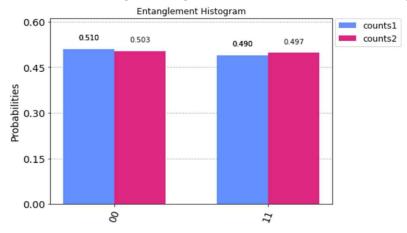
## 40) Which one of the following codes would initialize the given quantum circuit?

initial\_state = [1/sqrt(2), -1/sqrt(2)]
arb\_st = QuantumCircuit(1,1)
#Insert your code here
arb\_st.measure(0,0)
arb\_st.draw('mpl')



- a) arb st.initialize(initial state, 0)
- b) arb\_st.get\_initialize(inital\_state,1)
- c) arb\_st.initialize(get\_initial\_state, 0)
- d) arb\_st.initialize(initial\_state, 1)

### 41) Which one of the following codes given below would produce the given image?



- a) plot histogram([counts1, counts2], name="Entanglement Histogram")
- b) plot histogram([counts1, counts2],legend=legend, name="Entanglement Histogram")
- i) plot histogram([counts1, counts2],legend=legend, title="Entanglement Histogram")
  - c) plot histogram([counts1, counts2],legend=True, name="Entanglement Histogram")

## 42) Which one of the following codes will create a random circuit?

from qiskit.circuit.random import random\_circuit #Insert your code here

a) circ = random\_circuit(2, 2, reset=reset, measure=True)

- b) circ = random\_circuit(2, 2,conditional=True, measurement=measure)
- c) circ = random circuit(2, 2, measure=False)
- d) circ = random\_circuit(2, 2, max\_operands=True)

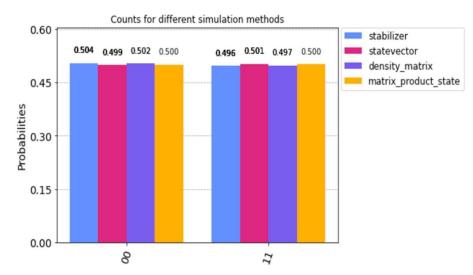
## 43) Which of the following codes given below will take the bloch vector to |1> state?

- a) qc.x(0)
  - qc.ry(pi,0)
- b) qc.h(0)
  - qc.rz(pi,0)
  - qc.ry(pi/2,0)
- c) qc.h(0)
  - qc.rx(pi,0)
  - qc.ry(-pi/2,0)
- d) qc.x(0)
  - qc.h(0)
  - qc.ry(-pi/2,0)

#### 44) Choose the correct backend from the given options.

- a) 'qasm\_simulator'
- b) 'gasm.simulator'
- c) 'gasmsimulator
- d) 'QasmSimulator'

# 45) According to the image given below, choose the backend that has produced the most stable bell state?



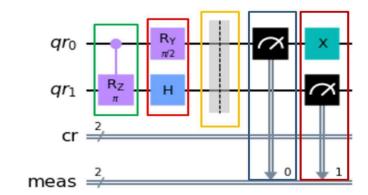
- a) aer\_simulator\_stabilizer
- b) aer\_simulator\_density\_matrix
- c) aer simulator matrix product state
- d) aer\_simulator\_statevector

#### 46) Which of the following codes is used to decompose the given circuit?

```
qc = QuantumCircuit(3)
qc.x(0)
qc.cx(0,1)
qc.ccx(0,1,2)
#Insert your code here
```

- a) qc.decompose()
- b) qc.decomposed()
- c) qc.get\_decomposed()
- d) qc.get\_decompose(qc)
- 47) Given the image after executing the code given below. Choose the option that doesn't fit or match the code.

```
q = QuantumRegister(2, 'qr')
c = ClassicalRegister(2, 'cr')
qc = QuantumCircuit(q,c)
qc.crz(pi,0,1)
qc.ry(pi/2,0)
qc.h(1)
qc.measure_all()
qc.x(0)
```



- a) Yellow box(Barrier)
- b) Green box(Rz gate)
- c) Red box(Ry gate and Hadamard gate)
- d) Blue box(Measurement)
- e) Maroon box(X gate and Measurement)
- f) None of the above
- 48) Which of the following gates given below are multi qubit gates?
  - a) cry(pi,0,1)
  - b) rz(pi/4)
  - c) ccx(0,1,2)
  - d) cx(0,1)
  - e) All of the above
- 49) Given the unitary matrix, which one of the following codes given below builds a circuit with unitary gate applied to the first 2 qubits?

$$U = [[1,0,0,0], \\ [0,0,0,1], \\ [0,1,0,0], \\ [0,0,1,0]]$$

a) qc = QuantumCircuit(3)qc.unitary(U, [1,2])

- b) qc = QuantumCircuit(3) qc.get\_unitary(U, [0,2])
- c) qc = QuantumCircuit(2) qc.get\_unitary(U, [1,2])
- d) qc = QuantumCircuit(3)
- qc.unitary(U, [0,1])
- 50) There are two qubits where an X gate is applied to qubit 0 and a H gate to qubit 1. What will be the output if they are measured?
  - a) '00'
  - b) '10' & '01'
  - c) '01' & '11'
  - d) '11' & '00'

#### **Answers**

24 C

25 A

1 C 26 C 2 B C 3 A 4 A F 5 DE 6 C 7 ABF 8 C 9 B D 10 B 11 C 12 D 13 B 14 B 15 A 16 CD 17 A 18 C 19 B 20 B C E 21 E 22 C 23 D

27 C 28 A C E H 29 C 30 A 31 A 32 A D 33 A C D F 34 C 35 B 36 B 37 B 38 D 39 A C D 40 A 41 C 42 C 43 D 44 A 45 C 46 A 47 F 48 A C D 49 D

50 C