# **Documentation: Longest Valid Parentheses**

# **Problem Statement:**

Given a string `s` containing only '(' and ')' characters, the task is to find the length of the longest valid (well-formed) parentheses substring.

## **Function Signature:**

def longestValidParentheses(self, s: str) -> int:

## **Parameters:**

`s`: A string consisting of '(' and ')' characters.

# **Return Value:**

-An integer representing the length of the longest valid parentheses substring.

# Approach:

#### 1. Stack Implementation:

- a. We utilize a stack to keep track of indices of the opening parentheses.
- b. Additionally, we maintain a variable `max\_length` to store the length of the longest valid substring encountered so far.
- c. Another variable `start\_index` is used to keep track of the starting index of the current substring being evaluated.

### 2. <u>Iteration:</u>

- a. Iterate through each character in the input string `s`.
- b. If the current character is '(', push its index onto the stack.
- c. If the current character is ')':
- d. If the stack is not empty, pop the topmost index from the stack.
- e. If the stack is still not empty after popping, update `max\_length` by calculating the length of the valid substring from the current index to the index at the top of the stack.
- f. If the stack becomes empty after popping, update `max\_length` by calculating the length of the valid substring from the current index to `start\_index`.
- g. Update `start\_index` to the current index if the stack becomes empty.

### 3. Return:

a. After iterating through the entire string, return the final value of `max\_length`.

## **Examples:**

### Example 1:

- Input: s = "(()")
- Output: `2`
- Explanation: The longest valid parentheses substring is "()".

### Example 2:

- Input: s = ")()())"
- Output: `4`
- Explanation: The longest valid parentheses substring is "()()".

## **Example 3:**

```
- Input: `s = ""`
```

- Output: `0`

Explanation: Since the input string is empty, there are no valid parentheses substrings, so the output is `0`.

# **Constraints:**

```
- `0 <= s.length <= 3 * 10^4`
```

- Each character in `s` is either '(' or ')'.

## **Complexity Analysis:**

- 1. <u>Time Complexity:</u> O(n), where n is the length of the input string `s`. The algorithm involves a single pass through the string.
- 2. **Space Complexity:** O(n), where n is the length of the input string `s`. The stack can potentially store all indices of opening parentheses.