

# **Jump Game II Documentation**

## **Problem Description**

You are given a 0-indexed array of integers `nums` of length `n`. You are initially positioned at `nums[0]`. Each element `nums[i]` represents the maximum length of a forward jump from index `i`. In other words, if you are at `nums[i]`, you can jump to any `nums[i + j]` where:

- $0 \leq j \leq \text{nums}[i]$
- $i + j < n$

Return the minimum number of jumps to reach `nums[n - 1]`. The test cases are generated such that you can reach `nums[n - 1]`.

## **Examples**

### **Example 1:**

Input: `nums = [2,3,1,1,4]`

Output: `2`

**Explanation:** The minimum number of jumps to reach the last index is 2. Jump 1 step from index 0 to 1, then 3 steps to the last index.

### **Example 2:**

Input: `nums = [2,3,0,1,4]`

Output: `2`

## **Constraints**

- $1 \leq \text{nums.length} \leq 10^4$
- $0 \leq \text{nums}[i] \leq 1000$
- It's guaranteed that you can reach `nums[n - 1]`.

## **Approach**

1. Initialize `max_reach` to `nums[0]`, `steps` to `nums[0]`, and `jumps` to `1`.
2. Iterate over the elements of the array from index 1 to the end:
  - a. Update `max_reach` to the maximum of `max_reach` and `i + nums[i]`.
  - b. Decrement `steps` by 1.
  - c. If `steps` becomes 0, increment `jumps` and update `steps` to `max_reach - i`.
  - d. If the loop reaches the last index, return `jumps`.
3. If the loop ends without reaching the last index, return `jumps`.

## **Time Complexity**

- The time complexity of the solution is  $O(n)$ , where  $n$  is the length of the input array `nums`. This is because we traverse the array only once.